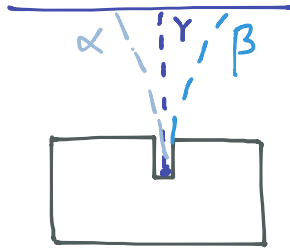


- Is nature discrete or not?

discrete \rightarrow particles
continuum \rightarrow fields



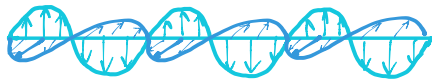
- under magnetic field, radiation beam splitted to 3 and deviated to different directions.

- the one that didn't deviate at all was electrically neutral, a **PHOTON**.

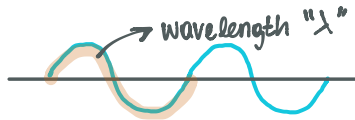
- β was **ELECTRONS**.

- α particles were Helium nuclei.
2 PROTONS + 2 NEUTRONS.

- EM radiation: radio waves, visible light, gamma rays



"light wave"



$$\rightarrow \lambda = vL$$

$$\rightarrow T: \text{period}$$

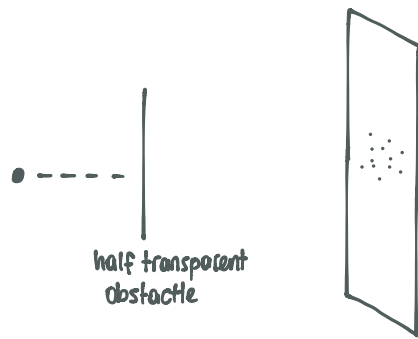
$$\frac{\lambda}{T} \rightarrow \text{distance} = \text{for light} = c$$

$$\rightarrow \text{time} = \text{for other waves its another } v.$$

$$\boxed{\lambda \cdot f = c}$$

$$\omega = 2\pi f \text{ (frequency in radians)} \rightarrow f = c/\lambda$$

$$\boxed{\omega = \frac{2\pi c}{\lambda}}$$



wave particle duality ← light is a wave
light is a particle

- light is made of indivisible elements called PHOTONS
- wave character of the light represents the probability that the photon appears at different places.

- when it comes to light, it's a manifestation of both particles & waves.
- if you do the double-slit experiment with $2e^-$ s, you'll see that they exhibit wave behavior.
- $E = hf$ → shorter wavelength \propto higher frequency → MORE ENERGY
longer wavelength \propto lower frequency → LESS ENERGY

• $E_{\text{RAY}} = nhf$
 ↳ some integer → quantized

- $E = mc^2$ is only true for an object at rest. $E \rightarrow$ Rest Energy
- in particle physics rest mass \rightarrow mass

e^- and e^+ have the same mass.

• e^- e^+ → at rest.
→ together $E = 2mc^2$

- for a particle at rest, mass & energy are the same thing.

$E = mc^2$ is just a units conversion.

- $c = 2.99792458 \times 10^8 \text{ m/s}$
- $h = 6.62607015 \times 10^{-34} \text{ kg} \cdot \text{m}^2/\text{s}$

- particles are too light to experience any significant gravity.
- Momentum: objects at rest can have energy, but can't have momentum.

$$E = mc^2 \quad m = E/c^2 \quad p = m \cdot c = E/c$$

- $\omega = \frac{2\pi c}{\lambda}$ $p = \frac{\hbar \omega}{c} = \frac{\hbar 2\pi c}{\lambda c} = \frac{\hbar 2\pi}{\lambda} \rightarrow$ momentum of a photon

$$p = h/\lambda \rightarrow \text{shorter wavelength} - \text{larger momentum}$$

larger energy

• If you wanna detect small particles, you have to use shorter and shorter wavelengths, which requires larger energies, thus BIGGER machines!