由恰当微分的性质可导出 Maxwell 关系式 (按括号对齐)

$$dU = T dS - p dV$$

$$dH = T dS + V dp$$

$$dA = -S dT - p dV$$

$$dG = -S dT + V dp$$

$$\begin{pmatrix} \frac{\partial T}{\partial V} \rangle_S = -\left(\frac{\partial p}{\partial S}\right)_V$$

$$\begin{pmatrix} \frac{\partial T}{\partial p} \rangle_S = \left(\frac{\partial V}{\partial S}\right)_p$$

$$\begin{pmatrix} \frac{\partial S}{\partial V} \rangle_T = \left(\frac{\partial p}{\partial T}\right)_V$$

$$\begin{pmatrix} \frac{\partial S}{\partial p} \rangle_T = -\left(\frac{\partial V}{\partial T}\right)_p$$
(1)

(按等号对齐)

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$$\begin{pmatrix} \frac{\partial S}{\partial V} \rangle_T = \left(\frac{\partial p}{\partial T}\right)_V$$

$$\begin{pmatrix} \frac{\partial S}{\partial p} \rangle_T = -\left(\frac{\partial V}{\partial T}\right)_p$$
(2)

一个高次方程的解集

$$\Omega = \left\{ x \middle| x^7 + x^6 + x^5 \\
+ x^4 + x^3 + x^2 \\
+ x + 1 = 0 \right\}$$
(3)