



**International Centre for Education and Research (ICER)
VIT-Bangalore**

Predicting Climate Change Impact on the World.

CS6510 – PROJECT 1

REPORT

Submitted by

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RESEARCH**

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**International Centre for Education and Research (ICER)
VIT-Bangalore**

BONAFIDE CERTIFICATE

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ABSTRACT

Research Question: This study focuses on developing predictive models for key climate change parameters in India, including Atmospheric CO₂ Concentrations, Change in Mean Sea Levels, Forest Land Cover, and Annual Surface Temperature Change. The goal is to understand the ongoing effects of global warming and support the development of climate policies and strategies to mitigate these impacts especially on INDIA.

Methodology:

1. Data Collection: Historical climate data was sourced from the International Monetary Fund (IMF) Climate Data Platform.
2. Data Preprocessing: The data was cleaned, normalized, and transformed to make it suitable for analysis.
3. Exploratory Data Analysis (EDA): Trends, patterns, and correlations in the data were identified through visualizations and statistical analysis.
4. Model Development: Various models, including Linear Regression, Multiple Linear Regression ARIMA, SARIMA and LSTM were developed and compared.
5. Training and Validation: Metrics like MSE, MAE, RMSE, and R-squared were used for evaluation.
6. Scenario Analysis: Different climate scenarios were developed to understand potential future states and their impacts on ecosystems, human health, and the economy in India.

Results:

- Model Performance: The LSTM model showed superior performance in capturing long-term dependencies and complex patterns in the data, making it well-suited for long-term predictions while ARIMA is well-suited for short term predictions.
- Scenario Insights: The scenario analysis provided valuable insights into the potential impacts of climate change on India's ecosystems, public health, and economy under different future states.

Conclusion:

- The study successfully developed predictive models for key climate change parameters in India.
- The findings highlight the importance of using advanced machine learning techniques to improve prediction accuracy.

- The insights gained from the scenario analysis can inform climate policies and strategies, helping India mitigate and adapt to the adverse effects of climate change.
- This research fills a critical gap in region-specific climate studies and supports global efforts in combating climate change.

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CHAPTER 1

INTRODUCTION

1.1 Research Topic:

This study focuses on developing predictive models for key climate change parameters for **India**, including Atmospheric CO₂ Concentrations, Change in Mean Sea Levels, Forest Land Cover, and Annual Surface Temperature Change. The goal is to understand the ongoing effects of global warming and support the development of climate policies and strategies to mitigate these impacts.

1.2 Background and Rationale:

Research Questions and Hypotheses: Climate change is profoundly affecting India's diverse ecosystems, human health, and economic stability. Despite the global significance of this issue, there is a noticeable gap in region-specific studies that address India's unique climate dynamics. Given India's vast and varied geography, from the Himalayas to coastal areas and arid regions to dense forests, it is crucial to understand how climate change impacts these diverse environments. Accurate predictions of climate parameters can help formulate effective policies and adaptive strategies, ensuring sustainable development and resilience against climate-related challenges.

- Research Questions:**

1. How will atmospheric CO₂ concentrations in India change over the next few decades?
2. What are the projected changes in mean sea levels along India's coastlines?
3. How will forest land cover in India be affected by climate change?
4. What are the expected trends in annual surface temperature change in India?

- Hypotheses:**

1. Atmospheric CO₂ concentrations in India will continue to rise due to ongoing industrialization and urbanization.
2. Mean sea levels along India's coastlines will increase, leading to higher risks of coastal flooding and erosion.
3. Forest land cover in India will decrease due to deforestation and climate-induced changes in vegetation patterns.

4. Annual surface temperatures in India will show an upward trend, contributing to more frequent and severe heatwaves.

1.3 Scope and Limitations:

- **Scope:**
 - This research focuses on historical climate data specific to India sourced from the International Monetary Fund (IMF) Climate Data Platform.
 - The study aims to develop and validate predictive models using advanced machine learning and time-series forecasting techniques.
 - The analysis will include scenario planning to understand potential future states and their impacts on India's ecosystems, public health, and economy.
- **Limitations:**
 - The accuracy of predictions depends on the quality and completeness of the available data.
 - The models may not fully capture all regional climate variations and localized impacts.
 - The study's findings are limited to the specific parameters and timeframes analysed, and may not account for unforeseen climate events or interventions.

2. LITERATURE REVIEW

Climate Change Indicators used:

1. Atmospheric CO₂ Concentrations:

- Current Knowledge: Atmospheric CO₂ levels are rising due to human activities such as burning fossil fuels, deforestation, and industrial processes.
- Impact: CO₂ is a significant greenhouse gas contributing to global warming and climate change.

2. Change in Mean Sea Levels:

- Current Knowledge: Sea levels are increasing globally due to the melting of polar ice caps and glaciers and the thermal expansion of seawater as it warms.
- Impact: Rising sea levels threaten coastal communities, ecosystems, and infrastructure through increased flooding and erosion.

3. Forest Land Cover:

- Current Knowledge: Forest land cover is declining due to deforestation, land-use changes, and climate-related stress.
- Impact: Forests are crucial for carbon sequestration, biodiversity, and climate regulation.

4. Annual Surface Temperature Change:

- Current Knowledge: Global surface temperatures are rising, resulting in more frequent and intense heatwaves.
- Impact: Increasing temperatures affect human health, agriculture, and natural ecosystems.

Models:

- Time-Series Forecasting Models: Linear Regression, ARIMA, LSTM used to analyse and predict trends in climate-related time series data.
- Comparative analysis between ARIMA and LSTM which performs better in short-term and long-term predictions.

Previous Studies:

- Numerous global studies have analysed climate data to identify trends in CO₂ concentrations, sea level rise, deforestation, and temperature changes.
- Some regional studies have focused on specific areas but often lack the comprehensive approach required for understanding India's diverse climate dynamics and researches are quite old.

Gaps in Existing Literature:

1. Regional Focus:

- Gap: Limited research specifically addressing climate change impacts in India, given its unique environmental and socio-economic context.
- Contribution: This study aims to provide a comprehensive analysis focused on India, highlighting localized impacts and trends.

2. Integrated Approach:

- Gap: Many studies analyse climate indicators in isolation rather than an integrated manner.
- Contribution: This project will integrate multiple indicators (CO₂ concentrations, sea levels, forest cover, temperature) to offer a holistic understanding of climate change impacts in India.

3. Advanced Predictive Techniques:

- Gap: There is a lack of studies employing advanced machine learning and deep learning techniques for climate predictions in India.

- Contribution: This research will utilize advanced machine learning models like LSTM and ARIMA to improve prediction accuracy and provide more detailed insights.

4. Scenario Planning:

- Gap: Insufficient use of scenario analysis to explore different future climate states and their potential impacts.
- Contribution: The project will develop various climate scenarios to understand and plan for potential future impacts on India's ecosystems, health, and economy.

[1] The paper "***Tackling Climate Change with Machine Learning***," published on November 5, 2019, is a collaborative effort involving researchers from multiple prestigious institutions, including MIT, Cornell, Stanford, Harvard, DeepMind, Google AI, Microsoft Research, University of Pennsylvania, and Carnegie Mellon University. The paper is available as a preprint on arXiv with the number 1906.05433.

The research encompasses a comprehensive analysis of machine learning applications across various domains of climate change. It evaluates multiple algorithm types, including supervised learning, unsupervised learning, reinforcement learning, and deep learning approaches. Key performance metrics such as prediction accuracy, computational efficiency, data requirements, scalability, and real-world applicability are assessed.

One of the significant research limitations identified is the challenge of data quality and availability, along with computational resource constraints and model generalizability issues. The complexity of climate systems further complicates these challenges. Interdisciplinary collaboration challenges are also highlighted, including communication barriers between domains and the need to integrate

expertise from computer science, climate science, environmental policy, engineering, and economics.

The paper discusses scalability and implementation issues, emphasizing the need to translate research into practical solutions. Infrastructure adaptation requirements, the cost of large-scale implementation, and the integration of technical and policy measures are crucial considerations. Developing flexible machine learning models that can adapt to diverse environmental contexts, create transferable methodologies, and address regional variability is a key focus.

High-impact problem exploration areas include renewable energy optimization, carbon emissions reduction, climate modeling, ecosystem monitoring, urban planning, and agricultural innovation. The paper promotes collaborative research frameworks, encourages cross-domain knowledge exchange, and develops integrated research methodologies.

Recommendations for the future include continued investment in interdisciplinary research, developing more robust and adaptable machine learning models, enhancing data collection and sharing mechanisms, and creating policy frameworks that support technological innovation. Potential future approaches involve advanced AI-driven climate prediction models, more sophisticated emissions tracking systems, enhanced renewable energy grid management, and improved climate adaptation strategies.

The research emphasizes machine learning's transformative potential in addressing climate change while acknowledging the complex and multifaceted nature of environmental challenges.

[2] The paper titled "***A Novel Hybrid Machine Learning Model for Prediction of CO₂ Using Socio-Economic and Energy Attributes for Climate Change Monitoring and Mitigation Policies***," authored by Sachin Kumar, was published in Science Direct's Ecological Informatics, Volume 77, under Article Number 102253 in November 2023.

This research employs several machine learning techniques including Linear Regression (LR), Support Vector Regression (SVR), Random Forest Regressor (RFR), hybrid models, and deep learning models like Recurrent Neural Networks (RNN), Long Short-Term Memory (LSTM), and TabNet. The performance of these models was evaluated using various metrics such as Mean Absolute Error (MAE), Root Mean Square Error (RMSE), Mean Absolute Percentage Error (MAPE), and Symmetric Mean Absolute Percentage Error (SMAPE), with respective values of 0.0307, 0.0346, 5.1447, and 5.2267.

The study also identifies several data limitations, including the complexity of variables, issues with generalizability, the need for real-time data incorporation, exploration of additional variables, application to different regions, and the development of more advanced models. These challenges underline the complexities of accurately predicting CO₂ emissions and the necessity for continuous improvement in model development.

The key observations highlight the research's focus on creating a hybrid machine learning approach to predict CO₂ emissions using socio-economic and energy-related attributes. This model aims to assist in climate change monitoring and policy development. The relatively low error rates indicate promising predictive capabilities, although the authors note several limitations that future research could address to enhance the model's effectiveness.

The study underscores the potential of hybrid machine learning models in climate change monitoring and the critical need for interdisciplinary efforts to refine these models and improve their application in diverse environmental contexts.

[3] The paper titled "***ForestNet: Classifying Drivers of Deforestation in Indonesia using Deep Learning on Satellite Imagery***" was authored by Irvin et al. (2020) and updated by Ramachandran et al. (2024), with contributions from Stanford University, Descartes Labs, and RTI International. Initially published on November 11, 2020, the latest update was made on May 1, 2024.

This study focuses on classifying the drivers of deforestation in Indonesia using deep learning models applied to satellite imagery analysis. The research is particularly noted for its development of deep learning models and achieving superior classification accuracy.

Despite its strengths, the research identifies several limitations, including dataset constraints, model complexity, potential overfitting, and the lack of real-time analysis capabilities. Addressing these limitations is critical for improving the accuracy and applicability of the models.

Future research recommendations emphasize the need to enhance model accuracy, expand the dataset, and develop real-time monitoring capabilities. These steps are essential for creating more effective tools to combat deforestation.

In essence, the study offers an innovative approach to understanding deforestation patterns through advanced machine learning techniques. By concentrating on Indonesia, it aims to provide valuable insights into the drivers of forest loss, which can inform environmental conservation and policy-making efforts.

[4] The paper titled "*Sea Level Prediction Using Machine Learning*" by Rifat Tur, Erkin Tas, Ali Torabi Haghghi, and Ali Danandeh Mehr was published by MDPI on December 13, 2021. It was part of the special issue on the application of data pre- and post-processing methods for modeling hydro-climatological processes.

This study employs a machine learning approach with Multiple Linear Regression (MLR) as the primary technique. The performance of the model was evaluated using Root Mean Squared Error (RMSE) and Nash-Sutcliffe Efficiency (NSE) metrics. The results showed an RMSE value of 0 and an NSE of less than 0, indicating significant challenges in the model's predictive accuracy. These metrics suggest that the model's predictions may not effectively capture the variability in sea level measurements, potentially due to issues like oversimplification of the model, data preprocessing problems, or the unsuitability of the chosen machine learning technique for this specific prediction task.

The study identifies several key challenges and limitations, including the lack of real-time analysis, the need for improved model accuracy, and limited real-time monitoring capabilities. These challenges highlight the complexity of accurately predicting sea levels and the necessity for more sophisticated approaches.

The research underscores the importance of machine learning techniques for predicting sea levels, which is crucial for understanding the impacts of climate change, coastal management, and environmental planning. However, the performance metrics indicate that the current model may not be fully effective. Therefore, future research should explore more advanced machine learning models, improve data preprocessing techniques, develop real-time monitoring capabilities, and enhance model accuracy through more sophisticated approaches.

This study represents an important step in utilizing machine learning for environmental monitoring and highlights the need for ongoing research and development to address the identified challenges and limitations.

[5] The paper titled "***Tackling Extreme Urban Heat: A Machine Learning Approach to Assess the Impacts of Climate Change and the Efficacy of Climate Adaptation Strategies in Urban Microclimates***" was authored by Grant Buster, Jordan Cox, Brandon N. Benton, and Ryan N. King. These researchers are affiliated with the Strategic Energy Analysis Centre (SEAC), the National Renewable Energy Laboratory (NREL), and the Computational Science Centre (CSC). The publication date is November 8, 2024.

The study employs a multistep modeling process using a machine learning approach to understand and predict urban heat patterns, which is critical for addressing climate change impacts in urban environments. The performance of the models was evaluated using Root Mean Square Error (RMSE) and Mean Absolute Error (MAE) metrics. Key research challenges identified include dataset limitations and the need for model accuracy enhancement.

This research is particularly timely, addressing the growing challenge of extreme urban heat – a critical issue in climate change adaptation. Urban areas are significantly more vulnerable to heat stress due to factors such as the urban heat island effect, concentrated built environments, limited green spaces, and high levels of human activity and infrastructure density.

The study's limitations suggest the need for more comprehensive data collection, improved data preprocessing techniques, expansion of the existing dataset, and continuous model refinement. These steps are essential to enhance the model's accuracy and applicability in predicting urban heat patterns.

The potential implications of this research are vast, providing valuable insights for urban planning, climate adaptation strategies, mitigation of heat-related health risks, infrastructure development, and energy management in urban environments. By understanding and predicting urban heat patterns more accurately, this research can inform effective climate adaptation and mitigation strategies, contributing to more resilient urban environments.

3. OBJECTIVE

The primary objective of this project is to develop accurate predictive models for key climate change parameters in India, specifically Atmospheric CO₂ Concentrations, Change in Mean Sea Levels, Forest Land Cover, and Annual Surface Temperature Change. This involves:

1. **Understanding Trends:** Analyzing historical climate data to identify trends and patterns specific to India.
2. **Predictive Modeling:** Employing advanced machine learning techniques, including Linear Regression, Multiple Linear Regression, ARIMA, and LSTM models, to forecast future values of these climate parameters.
3. **Impact Assessment:** Evaluating the potential impacts of predicted changes on India's ecosystems, human health, and economic stability.
4. **Scenario Analysis:** Developing various climate scenarios to understand potential future states and their implications.
5. **Policy Support:** Providing valuable insights that can inform and shape effective climate policies and adaptive strategies tailored to India's unique context.
6. **Awareness and Preparedness:** Enhancing understanding and awareness of climate change impacts among stakeholders, thereby promoting informed decision-making and preparedness.

Through this project, we aim to contribute to the global effort to mitigate and adapt to climate change, ensuring a sustainable and resilient future for India.

4. PROPOSED METHODOLOGY

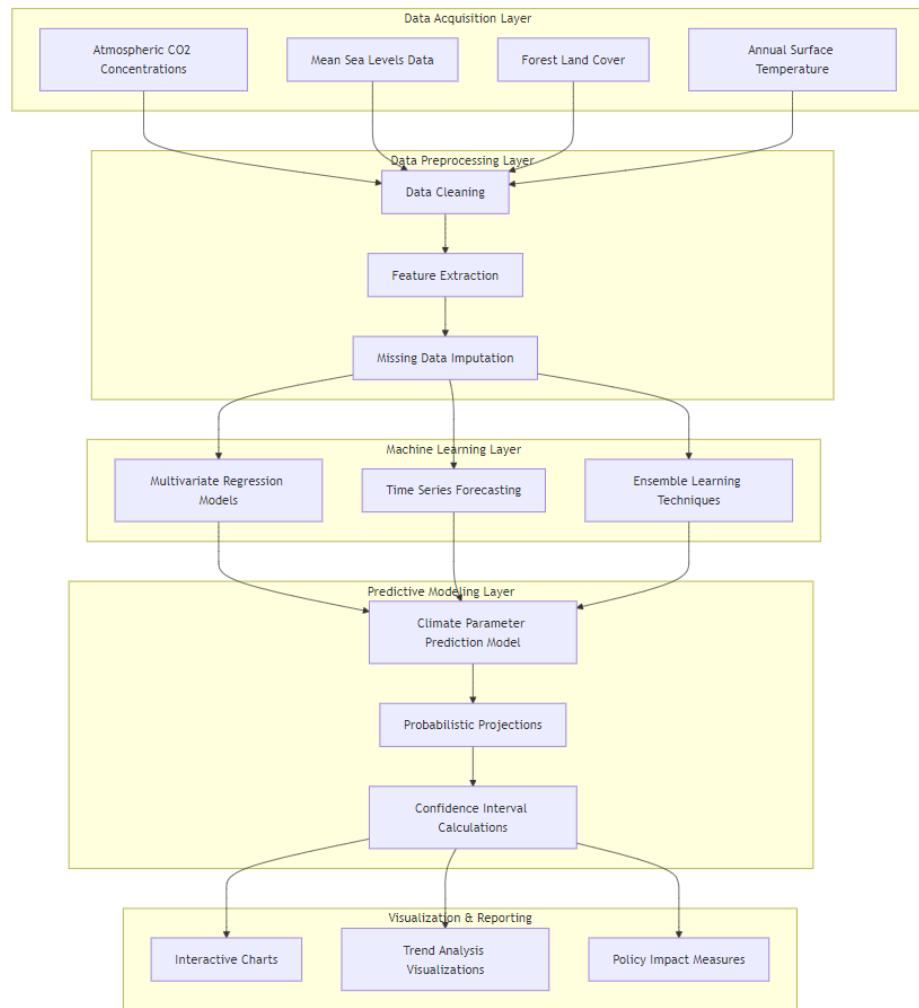


Figure 4.1

1. Data Collection and Preprocessing:

1. Gather historical data on the above indicators from the IMF's Climate Data Portal.
2. Clean, preprocess, and transform data to ensure consistency and completeness for use in predictive models.

2. Exploratory Data Analysis (EDA):

1. Analyze the trends, patterns, and distributions of the climate indicators over time.
2. Identify potential outliers, missing values, and other anomalies.

3. Modeling and Prediction:

1. Develop predictive models (such as Regression, ARIMA, LSTM etc.) to forecast future values of each indicator.
2. Evaluate model performance using appropriate metrics (e.g., RMSE, MAE) and optimize the model for better accuracy.

Research Design:

The research design involves a combination of statistical and machine learning techniques to develop predictive models for key climate change parameters in India. This mixed-method approach allows for robust analysis, leveraging the strengths of both traditional and advanced methodologies.

Rationale for Chosen Methodology:

- **Linear and Multiple Linear Regression:** Chosen for their simplicity and interpretability, providing a baseline for understanding the relationships between climate variables.
- **ARIMA:** Selected for its capability to handle time-series data and capture linear trends and seasonal patterns, making it suitable for *short-term forecasting*.
- **LSTM:** Employed for its ability to model long-term dependencies and complex, non-linear relationships in sequential data, crucial for accurate *long-term climate predictions*.

Data Sources, Collection Methods, and Instruments

Data Sources:

- Primary Source: International Monetary Fund (**IMF Climate Data Platform**, providing comprehensive historical global and regional climate data specific to India.

Collection Methods:

- **Data Extraction:** Downloading relevant datasets from the IMF Climate Data Platform.
- **Data Cleaning:** Removing any inconsistencies, handling missing values, and ensuring data quality.

Instruments Used:

- **Software:** *Python*.
- **Libraries and Frameworks:** Pandas, NumPy, scikit-learn for regression models, statsmodels for ARIMA, and TensorFlow, Keras , sklearn for LSTM models.

Data Analysis Procedures

1. Exploratory Data Analysis (EDA):

- Visualization: Plotting time-series data to identify trends, seasonal patterns, and anomalies.
- Descriptive Statistics: Calculating relevant statistical information.

2. Model Development:

- Linear and Multiple Linear Regression: Estimating relationships between dependent and independent variables.
- ARIMA: Selecting appropriate p, d, and q parameters using methods like auto-correlation and partial auto-correlation plots and auto ARIMA.
- LSTM: Designing and Training the model on historical climate data.

3. Model Validation:

- Performance Metrics: Evaluating models using Mean Squared Error (MSE), Mean Absolute Error (MAE), Root Mean Squared Error (RMSE), and R-squared.

4. Scenario Analysis:

- Developing and analyzing different climate scenarios to predict future states and assess their potential impacts on India's ecosystems, human health, and economy.

Validity and Reliability

Ensuring Validity:

- **Data Quality:** Ensuring that the data from the IMF Climate Data Platform is accurate, consistent, and relevant.
- **Appropriate Models:** Selecting models that are well-suited for the nature of the data and the research objectives

5. TOOLS AND TECHNIQUES

Python Libraries Used

1. Pandas

- **Functionality:**
 - **Data Manipulation:** Provides data structures like DataFrames to manipulate and analyze structured data easily.
 - **Data Cleaning:** Functions for handling missing data, filtering rows/columns, and merging datasets.
 - **Exploratory Data Analysis (EDA):** Tools to generate descriptive statistics and basic visualizations.
- **Use Case:** Used for loading, cleaning, manipulating, and exploring climate datasets.

2. NumPy

- **Functionality:**
 - **Numerical Operations:** Provides support for large multi-dimensional arrays and matrices, along with a collection of mathematical functions to operate on these arrays.
 - **Linear Algebra:** Functions for performing linear algebra operations, which are essential for statistical analyses.
- **Use Case:** Used for numerical computations and handling array operations efficiently.

3. Matplotlib

- **Functionality:**
 - **Data Visualization:** A comprehensive library for creating static, animated, and interactive visualizations in Python.
 - **Plotting:** Functions to create various types of plots such as line charts, bar charts, histograms, and scatter plots.
- **Use Case:** Used for visualizing climate data and model outputs, helping to identify trends and patterns.

4. Seaborn

- **Functionality:**
 - **Statistical Visualizations:** Built on top of Matplotlib, it provides a high-level interface for drawing attractive and informative statistical graphics.
 - **Enhanced Plots:** Functions for more complex visualizations such as heatmaps, pair plots, and violin plots.
- **Use Case:** Used for creating more aesthetically pleasing and informative statistical plots.

5. Scikit-Learn

- **Functionality:**
 - **Machine Learning:** Tools for predictive data analysis, including classification, regression, clustering, and dimensionality reduction algorithms.
 - **Model Selection:** Functions for hyperparameter tuning and model evaluation.
 - **Preprocessing:** Tools for data preprocessing, including scaling, normalization, and splitting datasets.
- **Use Case:** Used for building and evaluating Linear Regression and other machine learning models.

6. Statsmodels

- **Functionality:**
 - **Statistical Models:** Provides classes and functions for estimating and testing statistical models, including ARIMA and other time-series models.
 - **Statistical Tests:** Tools for performing hypothesis tests and statistical data analysis.
- **Use Case:** Used for implementing ARIMA models and performing advanced statistical analyses.

7. TensorFlow, Keras

- **Functionality:**
 - **Deep Learning:** TensorFlow is an open-source library for machine learning and deep learning. Keras is a high-level API within TensorFlow for building and training neural networks.
 - **Model Building:** Tools for constructing, training, and evaluating deep learning models, including LSTM networks.
 - **GPU Acceleration:** Support for training models on GPUs for faster computation.
- **Use Case:** Used for building, training, and evaluating LSTM models for long-term climate predictions.

6 IMPLEMENTATIONS

6.1 Mean Global Surface Temperature Dataset

6.1.1. ABOUT THE DATASET:

- **Source of the Dataset :**

<https://climatedata.imf.org/pages/access-data>

ObjectID	Country	ISO2	ISO3	Indicator	Unit	Source	CTS Code	CTS Name	CTS Full Desc	1961	1962	1963	1964	1965	1966	1967	1968	1969	1970	1971	1972	1973
2	1 Afghanistan	AF	AFG	Temperatu	Degree	Ce Food and / ECSS		Surface Te Environne	-0.126	-0.173	0.844	-0.751	-0.22	0.239	-0.348	-0.398	-0.513	0.843	0.642	-1.095	0.264	
3	2 Africa	AFR	AFRTMP	Temperatu	Degree	Ce Food and / ECSS		Surface Te Environne	-0.017	-0.036	0.063	-0.156	-0.201	0.138	-0.215	-0.221	0.355	0.22	-0.198	0.001	0.377	
4	3 Albania	AL	ALB	Temperatu	Degree	Ce Food and / ECSS		Surface Te Environne	0.635	0.342	0.086	-0.169	-0.39	0.553	-0.082	0.062	-0.036	-0.137	-0.205	-0.081	-0.294	
5	4 Algeria	DZ	DZA	Temperatu	Degree	Ce Food and / ECSS		Surface Te Environne	0.155	0.12	0.05	0.254	-0.111	0.405	-0.024	-0.065	0.247	0.08	-0.412	0.36	-0.023	
6	5 American	AS	ASM	Temperatu	Degree	Ce Food and / ECSS		Surface Te Environne	0.121	0	0.211	-0.089	-0.595	0.129	-0.387	-0.185	0.145	-0.034	-0.42	-0.056	0.33	
7	6 Americas	AMETMP		Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.053	-0.084	0.264	-0.244	-0.3	-0.104	-0.113	-0.003	0.098	0.156	-0.239	-0.454	0.164	
8	7 Andorra	AD	AND	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.756	0.12	-0.744	0.315	-0.489	0.414	0.636	0.005	-0.158	0.106	-0.333	-0.479	-0.003	
9	8 Angola	AO	AGO	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.06	-0.132	-0.171	-0.21	-0.173	0.190	-0.086	-0.202	0.173	0.246	-0.075	-0.012	0.45	
10	9 Anguilla	AI	AIA	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.058	-0.034	0.242	0.051	-0.317	0.126	-0.136	-0.255	0.309	0.209	-0.185	-0.073	0.31	
11	10 Antarctica	ATATMP		Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.28	-0.228	0.135	-0.366	-0.099	-0.24	0.133	-0.087	-0.255	-0.133	0.281	0.621	0.011	
12	11 Antigua and	AG	ATG	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.065	-0.08	0.183	0.057	-0.441	0.158	-0.136	-0.255	0.309	0.209	-0.185	-0.073	0.31	
13	12 Argentina	AR	ARG	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.122	-0.06	0.165	-0.345	0.092	-0.164	-0.001	0.479	0.297	0.437	-0.265	-0.011	-0.141	
14	13 Armenia	FAM	ARM	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environment, Climate Change, Climate and Weather, Surface Temperature Change														
15	14 Aruba, Bonaire, Sint Eustatius and	AW	ABW	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	-0.237	0.1	0.02	0.212	-0.43	0.13	-0.268	-0.062	0.531	0.303	-0.24	0.073	0.301	
16	15 Asia	ASIAITMP		Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.044	-0.018	0.27	-0.171	-0.028	0.33	-0.305	-0.329	-0.007	0.078	-0.123	-0.165	0.246	
17	16 Australia	AU	AUS	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.158	0.132	-0.097	-0.015	0.147	-0.229	-0.081	-0.199	0.11	0.007	-0.01	0.103	0.841	
18	17 Austria	AT	AUT	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	1.028	-0.623	-0.728	-0.369	-0.88	0.609	0.684	0.218	-0.12	-0.544	-0.054	0.108	-0.027	
19	18 Azerbaijan	AZ	AZE	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environment, Climate Change, Climate and Weather, Surface Temperature Change														
20	19 Bahamas	BS	BHS	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.016	-0.14	-0.173	0.116	0.008	-0.166	-0.18	-0.317	-0.108	-0.539	-0.132	0.449	0.31	
21	20 Bahrain	BI	BHR	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	-0.481	0.392	0.633	-0.56	0.237	0.539	-0.352	-0.435	0.579	0.262	-0.232	-0.6	-0.259	
22	21 Bangladesh	BD	BGD	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.128	-0.299	-0.115	0.083	-0.215	0.312	-0.213	-0.224	-0.001	-0.027	-0.591	-0.031	0.169	
23	22 Barbados	BB	BRB	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.24	0.104	0.201	-0.019	-0.298	-0.176	-0.287	-0.407	0.256	0.011	-0.449	-0.295	-0.054	
24	23 Belarus	BY	BLR	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environment, Climate Change, Climate and Weather, Surface Temperature Change														
25	24 Belgium	BE	BEL	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environment, Climate Change, Climate and Weather, Surface Temperature Change														
26	25 Belize	BZ	BZL	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	-0.098	-0.251	-0.184	-0.154	-0.195	-0.306	-0.411	-0.283	0.19	-0.245	-0.182	0.582	0.491	
27	26 Benin	BJ	BEN	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	-0.161	-0.267	0.103	-0.255	-0.122	-0.056	-0.269	-0.096	0.372	0.374	-0.125	0.161	0.65	
28	27 Bhutan	BT	BTN	Temperatu	Degree	Ce Food and / ECCS		Surface Te Environne	0.203	-0.3	-0.23	0.05	-0.583	0.135	-0.38	-0.484	0.086	-0.056	-0.262	-0.051	0.303	

Key Columns in the Dataset:

1. **ObjectID:** A unique identifier for each record.
2. **Country:** The name of the country or region.
3. **ISO2:** The 2-letter ISO country code (e.g., "AF" for Afghanistan).
4. **ISO3:** The 3-letter ISO country code (e.g., "AFG" for Afghanistan).
5. **Indicator:** Describes the specific indicator being measured. In this case, it's the "Temperature change with respect to a baseline climatology, corresponding to the period."
6. **Unit:** The measurement unit for the data, which is "Degree Celsius" in this dataset.
7. **Source:** Refers to the source of the data. This dataset comes from the **Food and Agriculture Organization of the United Nations (FAO)**.
8. **CTS Code, CTS Name, CTS Full Descriptor:** Codes and descriptors related to the type of climate or environmental indicator being measured.

9. Years (1961-2023): The temperature change data for each year from 1961 to 2023 for each country or region. These values indicate the change in temperature in comparison to the baseline climatology.

6.1.2. Exploratory Data Analysis

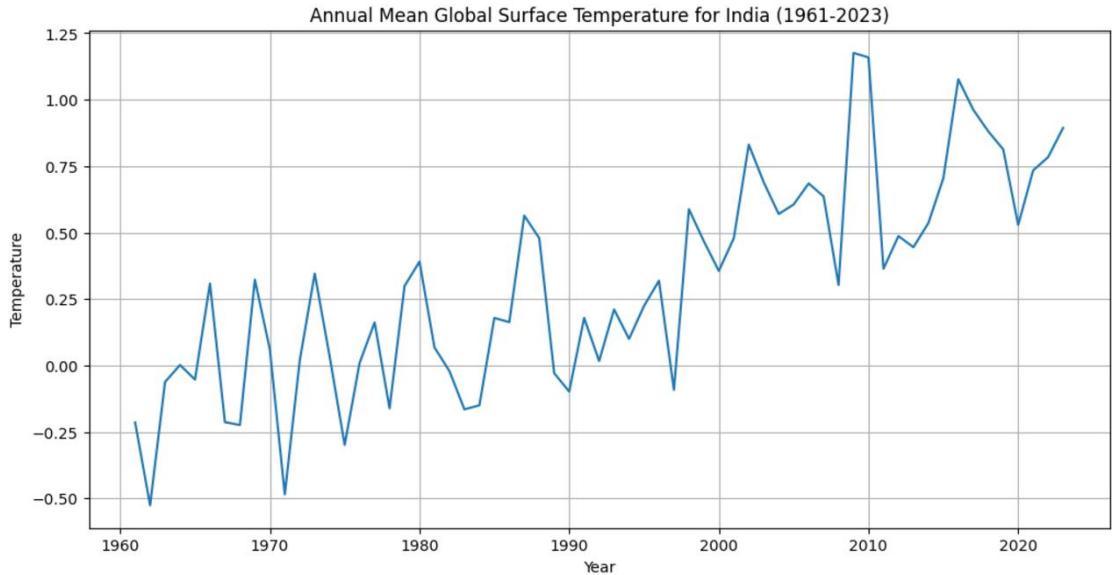


Figure 6.1

Interpretation: Mean Global Surface Temperature seems to be increasing over the period of years plotted above.

6.1.3 Results and Discussion: Mean Global Surface Temperature LINEAR REGRESSION MODEL:

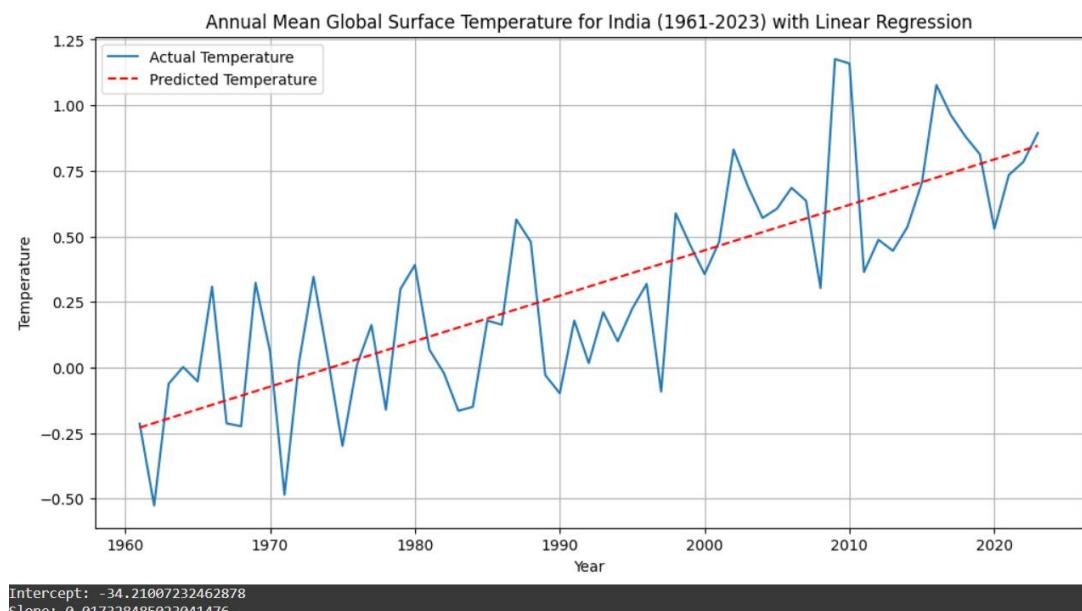


Figure 6.2

PREDICTION USING LINEAR REGRESSION:

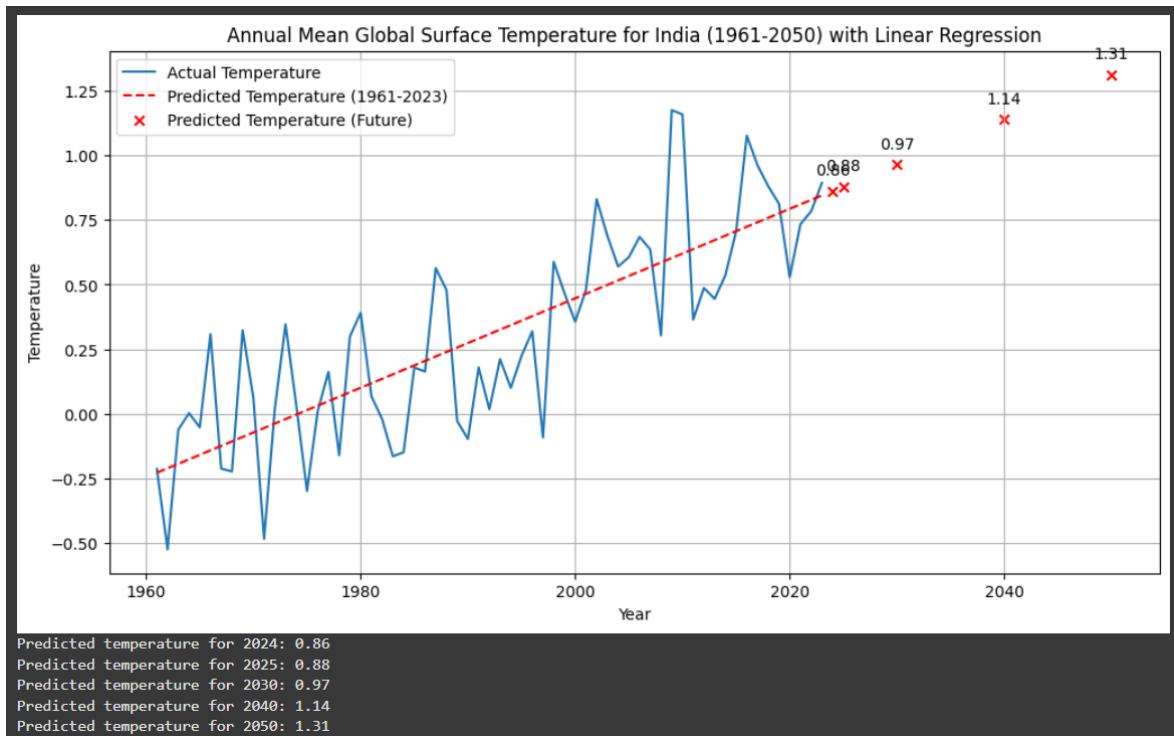


Figure 6.3

EVALUATION METRICS:

```
[ ] import numpy as np
from sklearn.metrics import mean_squared_error, r2_score, mean_absolute_error
from scipy import stats

# Calculate Mean Squared Error (MSE)
mse = mean_squared_error(y, y_pred)
print(f"Mean Squared Error (MSE): {mse}")

# Calculate Root Mean Squared Error (RMSE)
rmse = np.sqrt(mse)
print(f"Root Mean Squared Error (RMSE): {rmse}")

# Calculate Mean Absolute Error (MAE)
mae = mean_absolute_error(y, y_pred)
print(f"Mean Absolute Error (MAE): {mae}")
```

→ Mean Squared Error (MSE): 0.05746845380453541
Root Mean Squared Error (RMSE): 0.23972578877654238
Mean Absolute Error (MAE): 0.19309536559546114

BUILDING ARIMA MODEL:

ACF and PACF Plots: Mean Global Surface Temperature

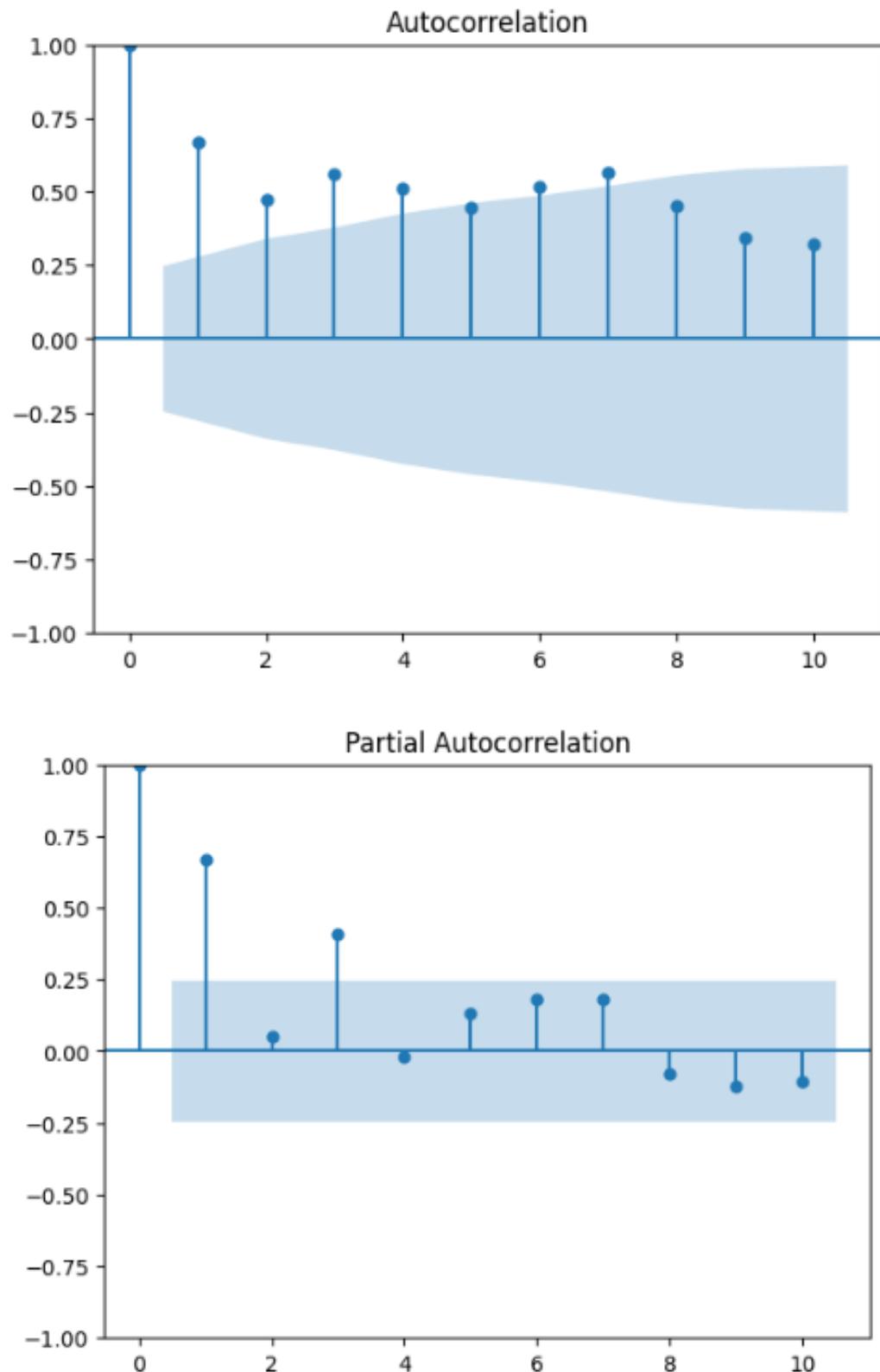


Figure 6.4

Using AUTO ARIMA model to find (p,d,q):

```

Best model: ARIMA(2,1,1)(0,0,0)[0]
Total fit time: 5.266 seconds
                    SARIMAX Results
=====
Dep. Variable:                  y      No. Observations:          63
Model: SARIMAX(2, 1, 1)      Log Likelihood:        -2.386
Date: Tue, 10 Dec 2024      AIC:                   12.772
Time: 09:04:14                BIC:                   21.281
Sample: 0                      HQIC:                 16.113
                           - 63
Covariance Type: opg
=====
            coef    std err      z      P>|z|      [0.025      0.975]
-----
ar.L1      0.1234    0.182     0.677    0.499    -0.234     0.481
ar.L2     -0.3414    0.144    -2.363    0.018    -0.625    -0.058
ma.L1     -0.6848    0.161    -4.267    0.000    -0.999    -0.370
sigma2     0.0622    0.012     5.078    0.000     0.038     0.086
-----
Ljung-Box (L1) (Q):           0.08  Jarque-Bera (JB):       1.14
Prob(Q):                     0.78  Prob(JB):             0.57
Heteroskedasticity (H):       1.08  Skew:                  0.31
Prob(H) (two-sided):         0.86  Kurtosis:              2.78
=====
```

Table 6.1

Using (p,d,q)=(2,1,1) values to build ARIMA (AutoRegressive Integrated Moving Average)

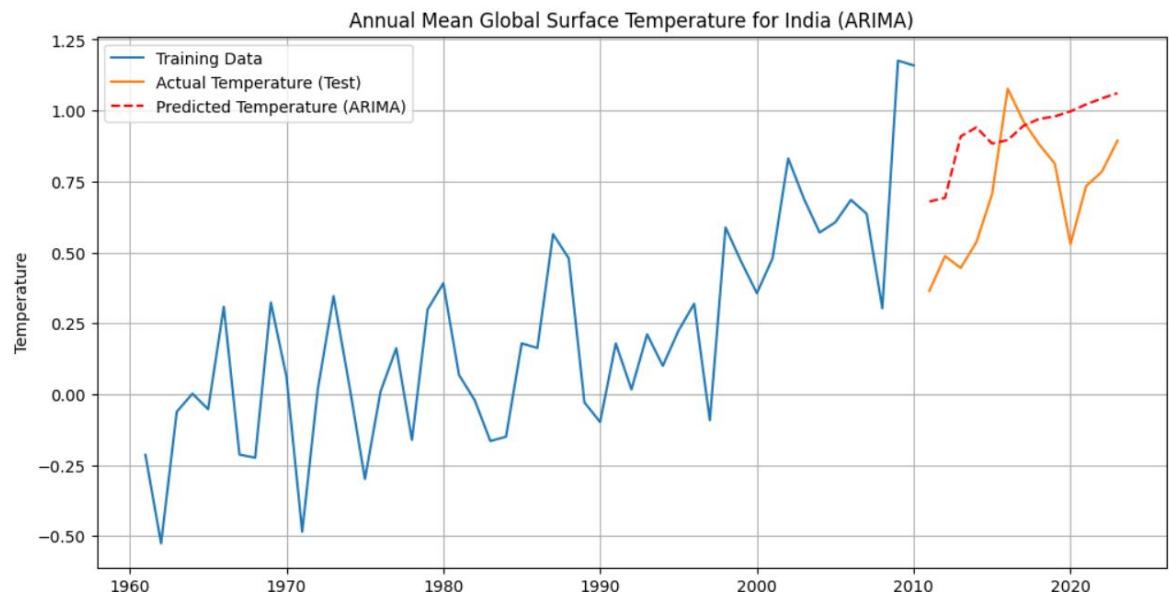


Figure 6.5

Predicting Values using ARIMA Model:

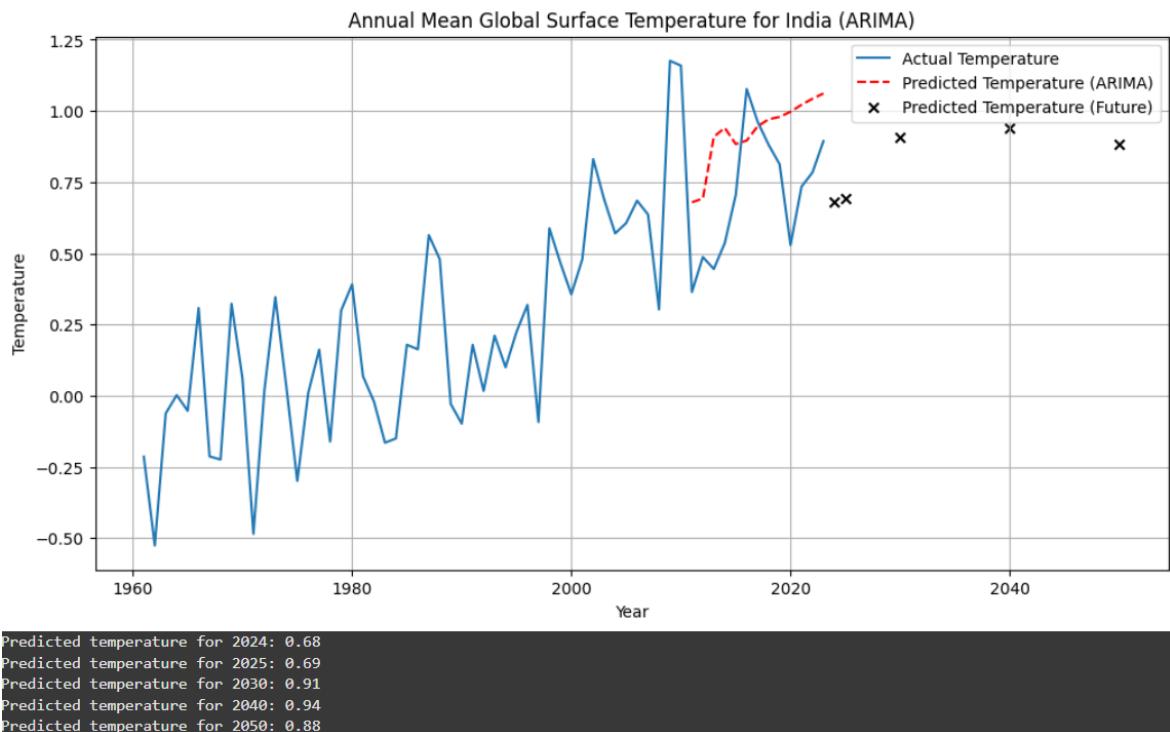


Figure 6.6

Using LSTM (Long Short-Term Memory) Model:

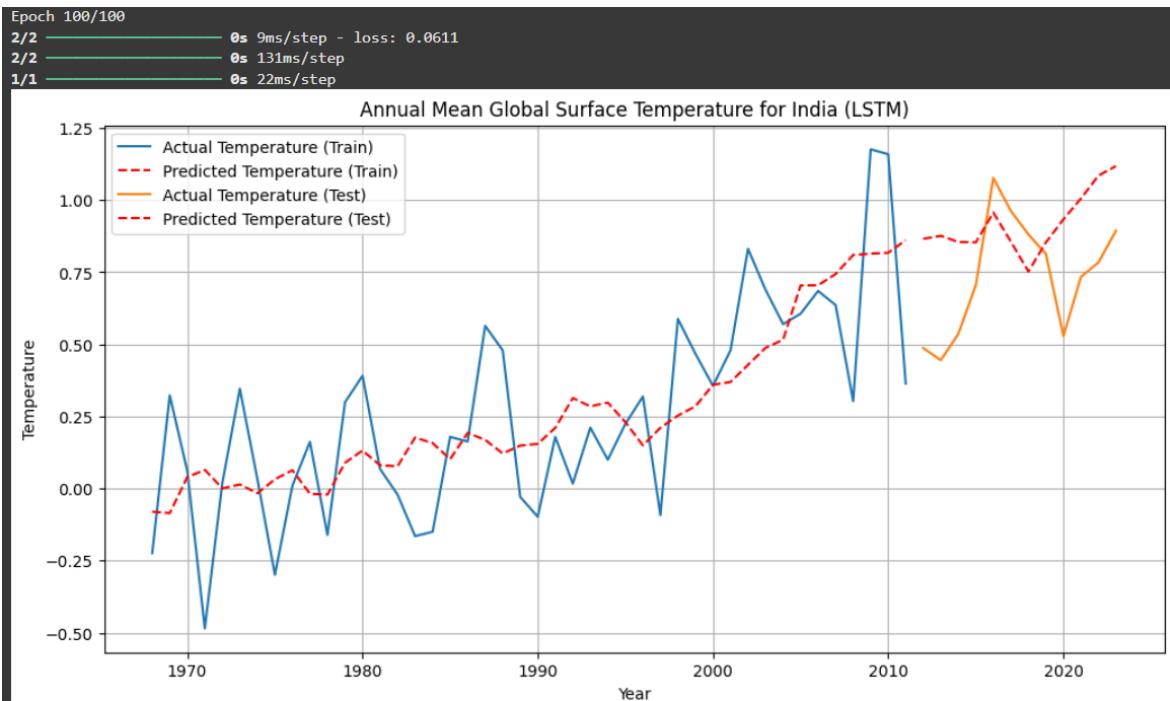


Figure 6.7

Predicting using LSTM (Long Short-Term Memory) Model:

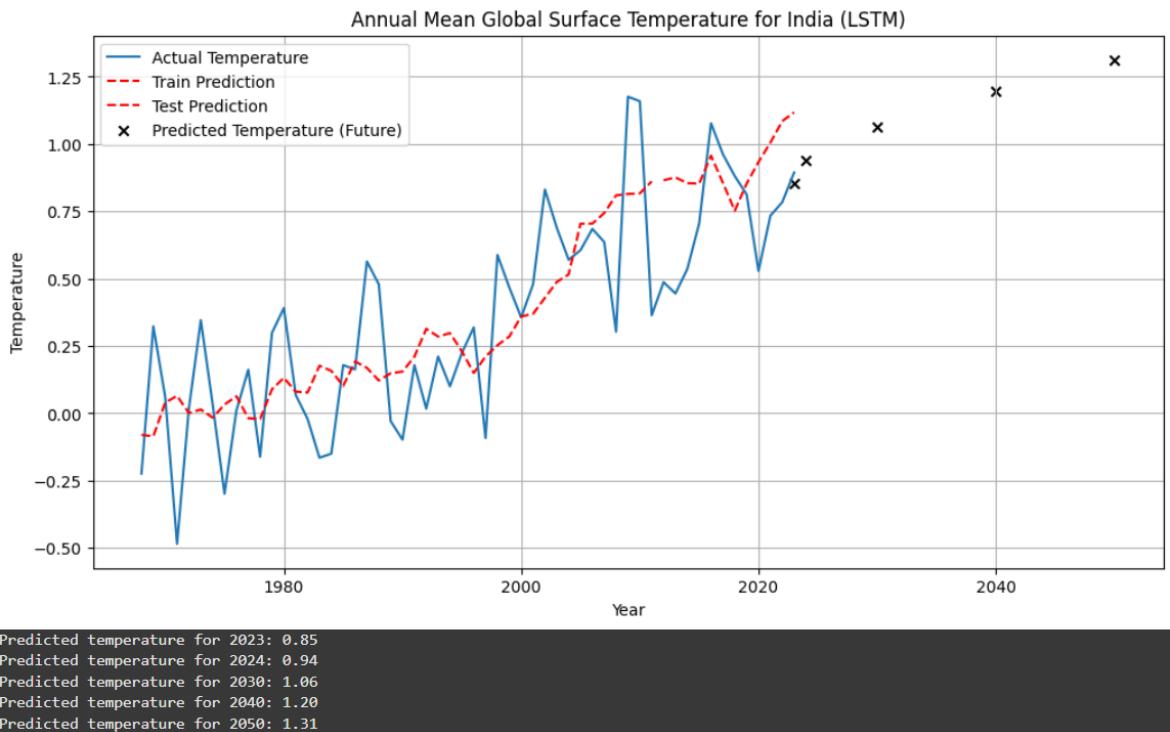


Figure 6.8

LSTM Model summary:

Train RMSE: 0.2483186996493169		
Test RMSE: 0.2160219339208327		
Model: "sequential"		
Layer (type)	Output Shape	Param #
lstm (LSTM)	(None, 50)	10,400
dense (Dense)	(None, 1)	51
Total params: 31,355 (122.48 KB)		
Trainable params: 10,451 (40.82 KB)		
Non-trainable params: 0 (0.00 B)		
Optimizer params: 20,904 (81.66 KB)		
None		

Table 6.2

6.2 Atmospheric Co₂ concentration Dataset

6.2.1. ABOUT THE DATASET:

- **Source of the Dataset:**

<https://climatedata.imf.org/pages/access-data>

ObjectId	Country	ISO2	ISO3	Indicator	Unit	Source	CTS_Code	CTS_Name	CTS_Full_Descriptor	Date	Value
1	World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M03	315.7	
2	2 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M04	317.45	
3	3 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M05	317.51	
4	4 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M06	317.24	
5	5 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M07	315.86	
6	6 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M08	314.93	
7	7 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M09	313.2	
8	8 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M10	312.43	
9	9 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M11	313.33	
10	10 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1958M12	314.67	
11	11 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M01	315.58	
12	12 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M02	316.48	
13	13 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M03	316.65	
14	14 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Percent	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M03	0.3	
15	15 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M07	317.72	
16	16 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Percent	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M08	0.09	
17	17 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M09	318.29	
18	18 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Percent	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M05	0.25	
19	19 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M07	318.15	
20	20 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Percent	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M08	0.29	
21	21 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M07	316.54	
22	22 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Percent	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M08	0.22	
23	23 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M09	314.8	
24	24 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Percent	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M08	-0.04	
25	25 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M09	313.84	
26	26 World	WLD		Monthly Atmospheric Carbon Dioxide Concentrations	Percent	Dr. Pieter Tans, National Oceanic and Atmospheric	ECCA	Atmospheric Carbon Dioxide Environment, Climate	1959M09	0.2	

Key Columns in the Dataset:

1. **ObjectId:** Unique identifier for each record.
2. **Country:** The geographical entity related to the data, such as "World."
3. **ISO2:** The two-letter ISO country code (e.g., "WLD" for World).
4. **ISO3:** The three-letter ISO country code (e.g., "WLD" for World).
5. **Indicator:** The type of data recorded. In this case, it is "Monthly Atmospheric Carbon Dioxide Concentrations" or "Year on Year Percentage Change."
6. **Unit:** The unit of measurement for the values, such as "Parts Per Million" (PPM) or "Percent."
7. **Source:** The source of the data, which includes references to institutions like NOAA and Scripps Institution of Oceanography.
8. **CTS_Code:** A code referring to the category of the data.
9. **CTS_Name:** The name associated with the data category, like "Atmospheric Carbon Dioxide Concentrations."
10. **CTS_Full_Descriptor:** A more detailed descriptor of the category, often mentioning environmental topics related to climate change and weather.
11. **Date:** The date of the measurement, formatted as YYYYMM (e.g., 1958M03 corresponds to March 1958).

12. Value: The actual recorded value for the atmospheric CO₂ concentration (in PPM) or the year-on-year percentage change.

6.2.2. Exploratory Data Analysis

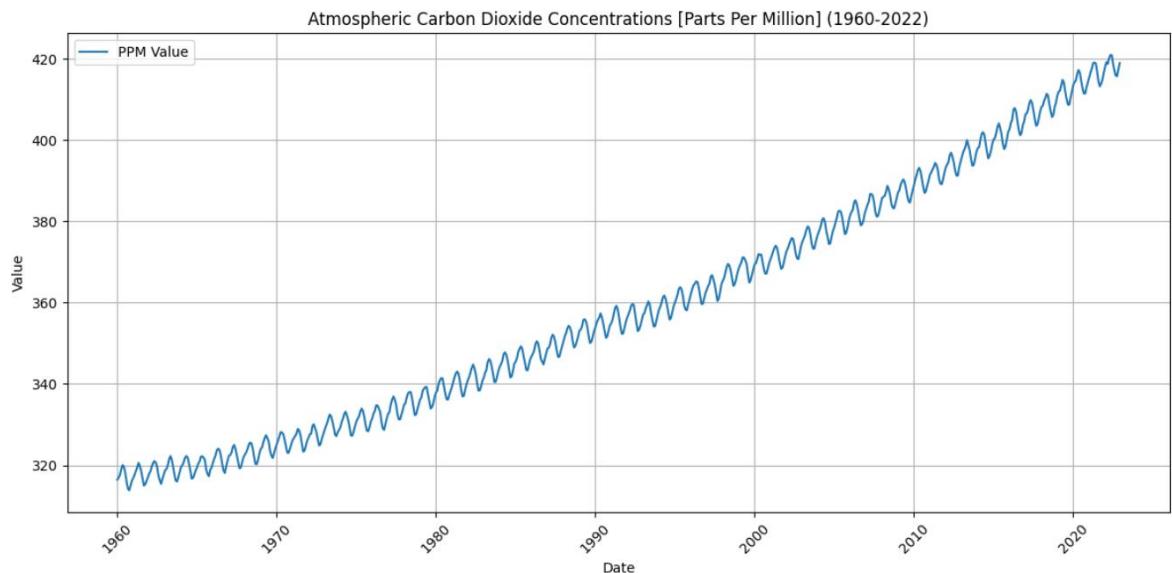


Figure 6.9

Interpretation: CO₂ ppm values seem to be increasing over the period of years plotted above.

Results and Discussion: Atmospheric CO₂ concentration

LINEAR REGRESSION MODEL:

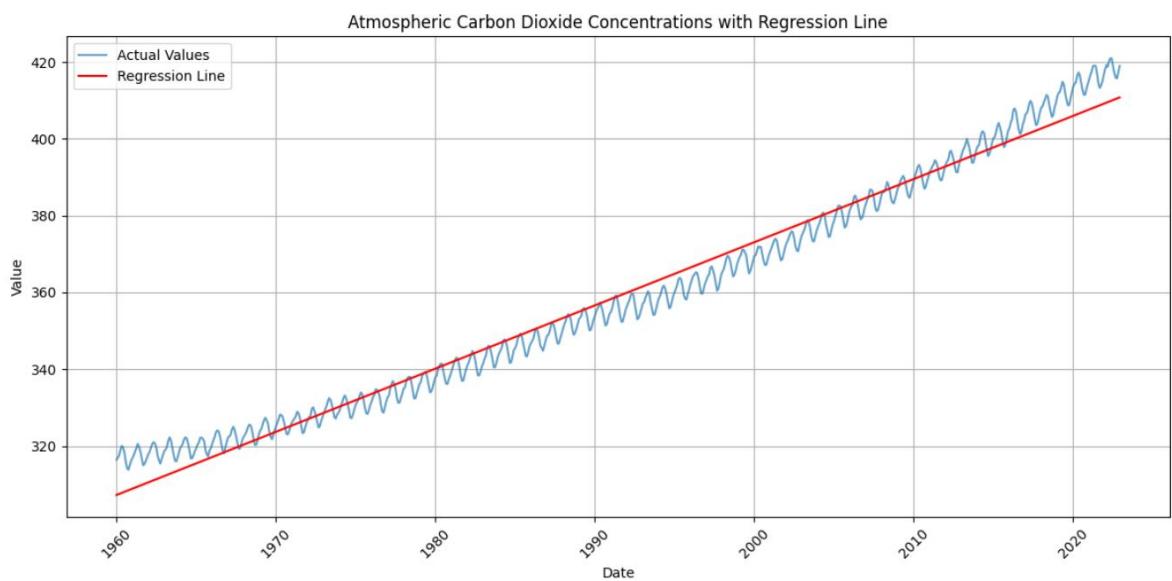


Figure 6.10

PREDICTION USING LINEAR REGRESSION:

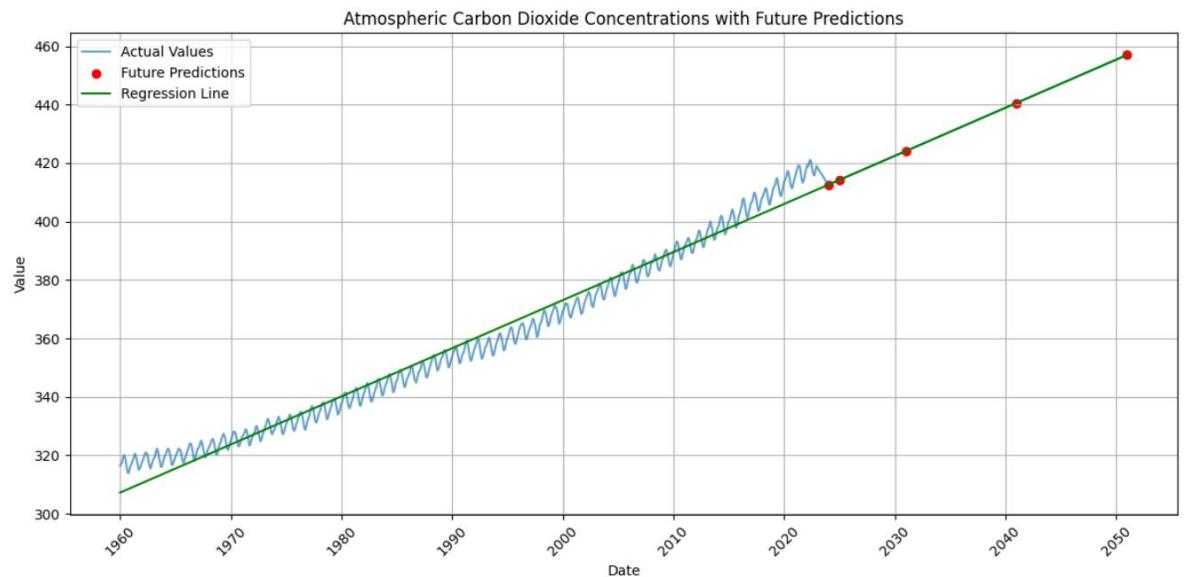


Figure 6.11

```
Future Predictions:  
Date: 2023-12-31 00:00:00, Predicted Value: 412.5672139719967  
Date: 2024-12-31 00:00:00, Predicted Value: 414.2162673126603  
Date: 2030-12-31 00:00:00, Predicted Value: 424.08805930554036  
Date: 2040-12-31 00:00:00, Predicted Value: 440.5470534406342  
Date: 2050-12-31 00:00:00, Predicted Value: 457.0015419655077
```

EVALUATION METRICS:

```
# Print the model's coefficients and intercept
print("Coefficients:", model.coef_)
print("Intercept:", model.intercept_)

# Evaluate the model (example using R-squared)
from sklearn.metrics import r2_score
r2 = r2_score(y_test, y_pred)*100
print(f"R-squared: {r2} %")

# You can add other evaluation metrics as needed, such as Mean Squared Error (MSE) or Mean Absolute Error (MAE)
from sklearn.metrics import mean_squared_error, mean_absolute_error
mse = mean_squared_error(y_test, y_pred)
mae = mean_absolute_error(y_test, y_pred)

print(f"Mean Squared Error: {mse}")
print(f"Mean Absolute Error: {mae}")
```

Coefficients: [0.00450561]
Intercept: 307.2485750703215
R-squared: 97.74697051786634 %
Mean Squared Error: 19.107936506686393
Mean Absolute Error: 3.6588814342312617

BUILDING ARIMA MODEL:

ACF and PACF Plots: Atmospheric Co₂ concentration

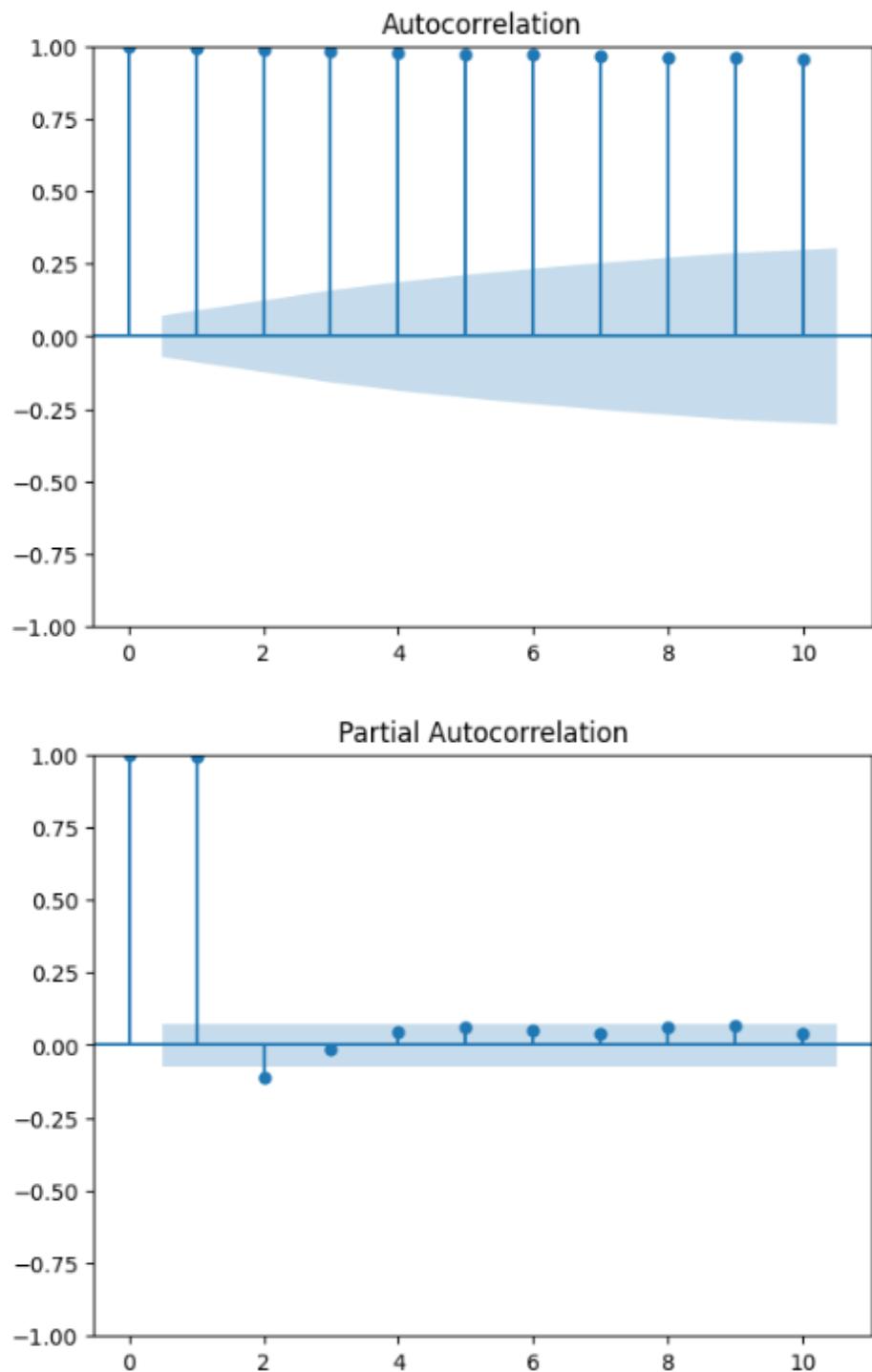


Figure 6.12

Using AUTO ARIMA model to find (p,d,q):

```

Best model: ARIMA(2,1,1)(0,0,0)[0] intercept
Total fit time: 9.455 seconds
SARIMAX Results
=====
Dep. Variable: y No. Observations: 756
Model: SARIMAX(2, 1, 1) Log Likelihood: -749.798
Date: Tue, 10 Dec 2024 AIC: 1509.595
Time: 07:58:45 BIC: 1532.729
Sample: 0 HQIC: 1518.506
- 756
Covariance Type: opg
=====
            coef    std err      z   P>|z|      [0.025      0.975]
-----
intercept  0.0412    0.003  11.886  0.000     0.034     0.048
ar.L1      1.5441    0.022  70.329  0.000     1.501     1.587
ar.L2     -0.8465    0.023 -37.316  0.000    -0.891    -0.802
ma.L1     -0.8989    0.018 -49.566  0.000    -0.934    -0.863
sigma2     0.4251    0.022  19.561  0.000     0.382     0.468
-----
Ljung-Box (L1) (Q): 0.35 Jarque-Bera (JB): 39.05
Prob(Q): 0.55 Prob(JB): 0.00
Heteroskedasticity (H): 1.28 Skew: 0.52
Prob(H) (two-sided): 0.05 Kurtosis: 3.42
=====
```

Table 6.3

Using (p,d,q)=(2,1,1) values to build ARIMA

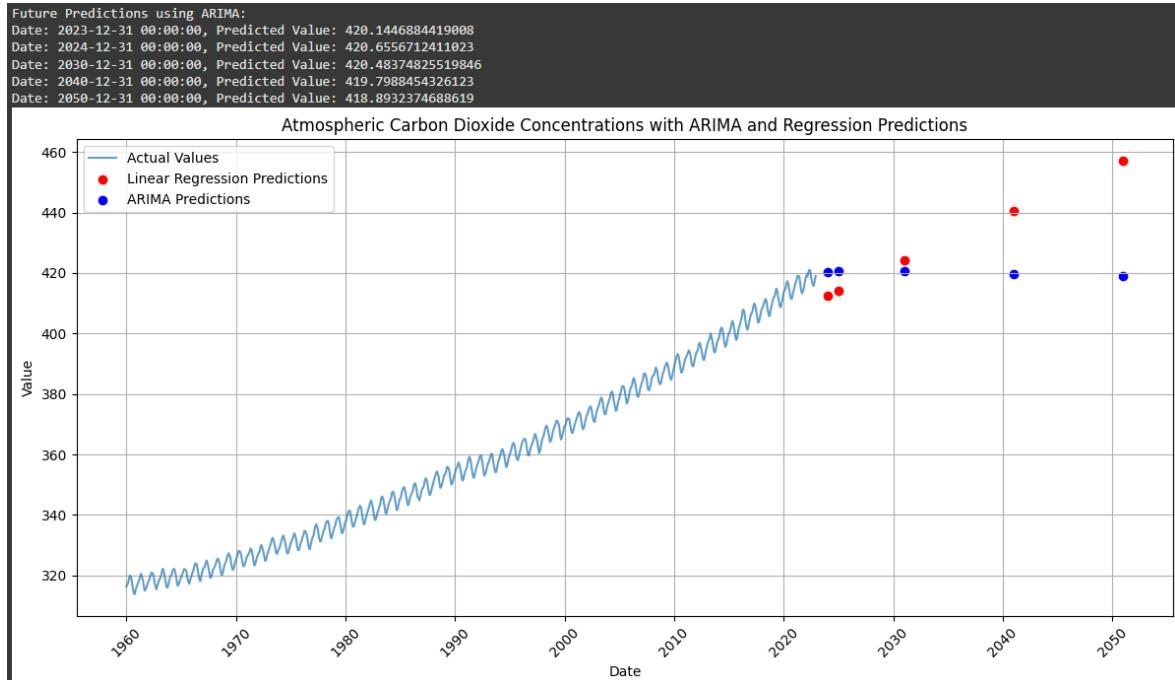


Figure 6.13

Using LSTM (Long Short-Term Memory) Model:

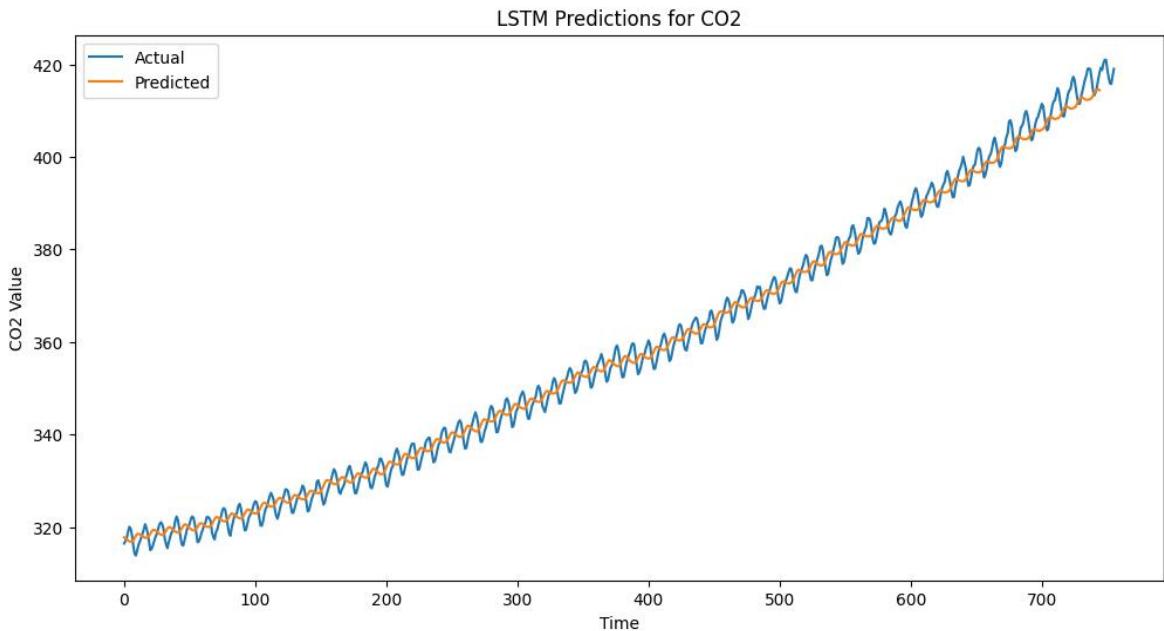


Figure 6.14

Predicting using LSTM (Long Short-Term Memory) Model:

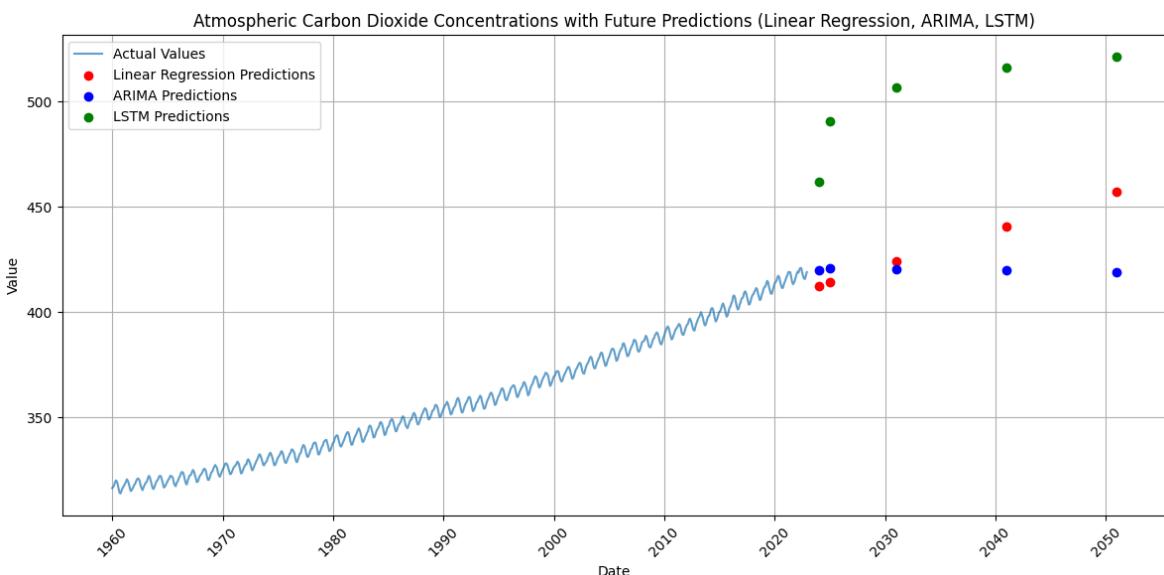


Figure 6.15

LSTM Model summary:

Model: "sequential"		
Layer (type)	Output Shape	Param #
lstm (LSTM)	(None, 10, 50)	10,400
lstm_1 (LSTM)	(None, 50)	20,200
dense (Dense)	(None, 1)	51

Total params: 91,955 (359.20 KB)
Trainable params: 30,651 (119.73 KB)
Non-trainable params: 0 (0.00 B)
Optimizer params: 61,304 (239.47 KB)

Table 6.4

6.3 Change in Mean Sea Levels Dataset

6.3.1. ABOUT THE DATASET:

- **Source of the Dataset:**

<https://climatedata.imf.org/pages/access-data>

ObjectID	Country	ISO2	ISO3	Indicator	Unit	Source	CTS_Code	CTS_Name	CTS_Full_Descriptor	Measure	Date	Value
1	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Andaman Sea	D12/17/1992	-10.34	
2	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Arabian Sea	D12/17/1992	-18.46	
3	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Atlantic Ocean	D12/17/1992	-15.41	
4	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Baltic Sea	D12/17/1992	196.85	
5	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Bay Bengal	D12/17/1992	3.27	
6	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Caribbean Sea	D12/17/1992	-13.58	
7	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Gulf Mexico	D12/17/1992	-3.95	
8	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Indian Ocean	D12/17/1992	-27.63	
9	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Indonesian	D12/17/1992	-3.09	
10	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Mediterranean	D12/17/1992	39.02	
11	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Nino	D12/17/1992	-3.13	
12	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic North Pacific	D12/17/1992	19.59	
13	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic North Sea	D12/17/1992	44.01	
14	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Pacific Ocean	D12/17/1992	-14.88	
15	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Persian Gulf	D12/17/1992	134.53	
16	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Sea Japan	D12/17/1992	-46.65	
17	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Sea Okhotsk	D12/17/1992	-4.39	
18	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic South China	D12/17/1992	-4.6	
19	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Southern Ocean	D12/17/1992	-24.43	
20	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Tropics	D12/17/1992	-19.64	
21	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic World	D12/17/1992	-15.95	
22	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Yellow Sea	D12/17/1992	-70.61	
23	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Adriatic Sea	D12/18/1992	9.19	
24	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Bering Sea	D12/18/1992	-5.35	
25	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic North Atlantic	D12/18/1992	-0.23	
26	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Andaman Sea	D12/26/1992	-2.64	
27	World	WLD		Change in mean sea level: Sea level: Millimeters	Millimeters	National Oceanic and ECCL		Change in Mean Sea Level	Environment, Climate Change, Climate Indic Indian Ocean	D12/26/1992	226.05	

Key Columns in the Dataset:

1. **ObjectId:** A unique identifier for each row of data.
2. **Country:** The region or country, though all entries are marked "World".
3. **ISO2 and ISO3:** The two-letter and three-letter codes for the region (e.g., "WLD" stands for World).
4. **Indicator:** Describes the type of data (in this case, "Change in mean sea level").
5. **Unit:** Measurement unit (**Millimeters**).
6. **Source:** The source of the data, in this case, NOAA and the TOPEX/Poseidon satellite mission.
7. **CTS_Code:** Code representing the context of the data (e.g., "ECCL").
8. **CTS_Name:** The name related to the environmental context ("Change in Mean Sea Level").
9. **CTS_Full_Descriptor:** Detailed description of the environmental context.
10. **Measure:** The specific location or region the sea level data is related to (e.g., "Andaman Sea", "Baltic Sea").
11. **Date:** The date of the observation.
12. **Value:** The sea level change in millimeters for that specific region on that specific date.

6.3.2. Exploratory Data Analysis

Plotting change in mean sea level for all water bodies:

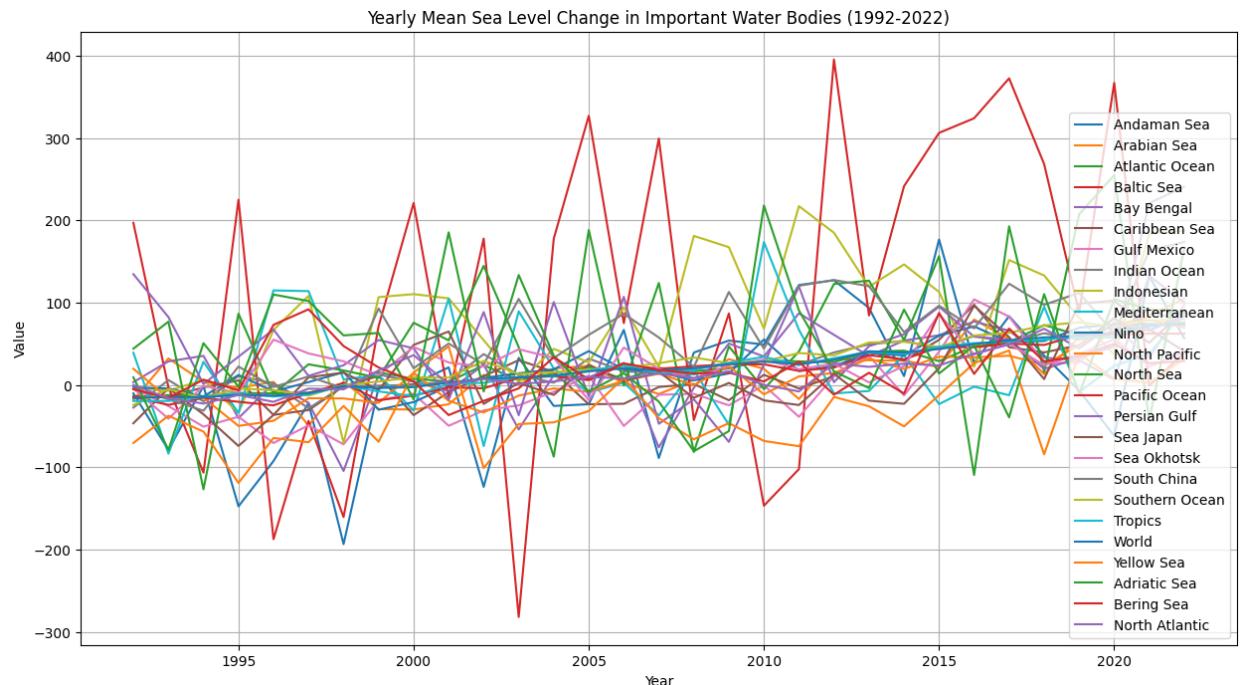


Figure 6.16

Large Water bodies Surrounding India:



Figure 6.17

Mean sea level values for Indian Ocean, Bay of Bengal, Arabian Sea seems to be increasing over the period of years plotted.

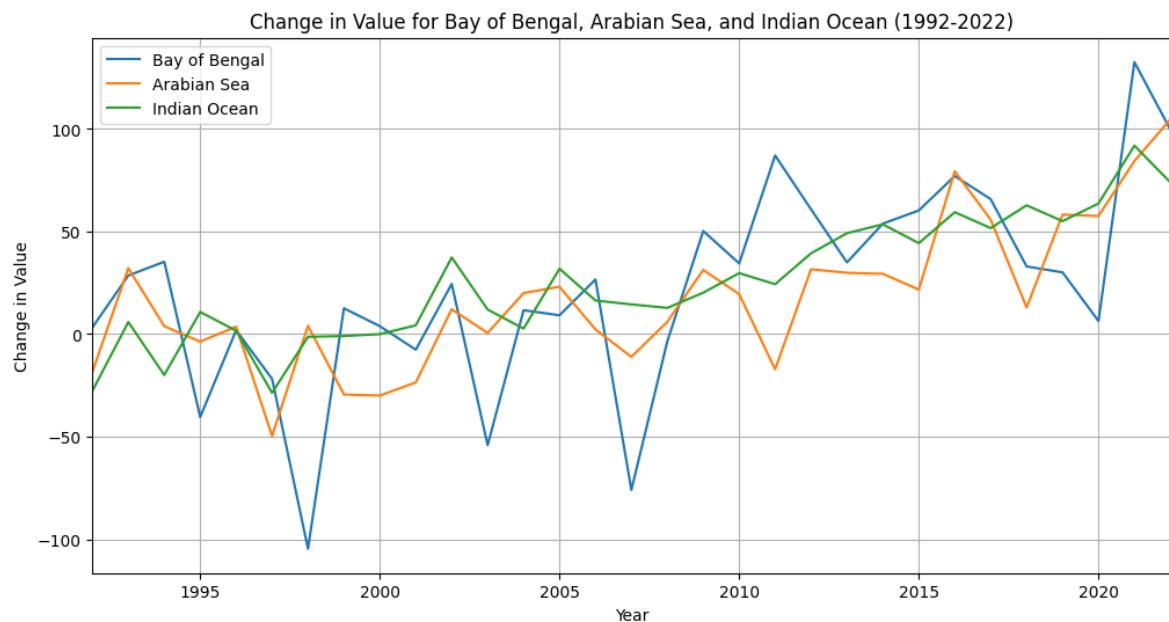


Figure 6.18

Results and Discussion: Change in Mean Sea Levels

LINEAR REGRESSION MODEL:

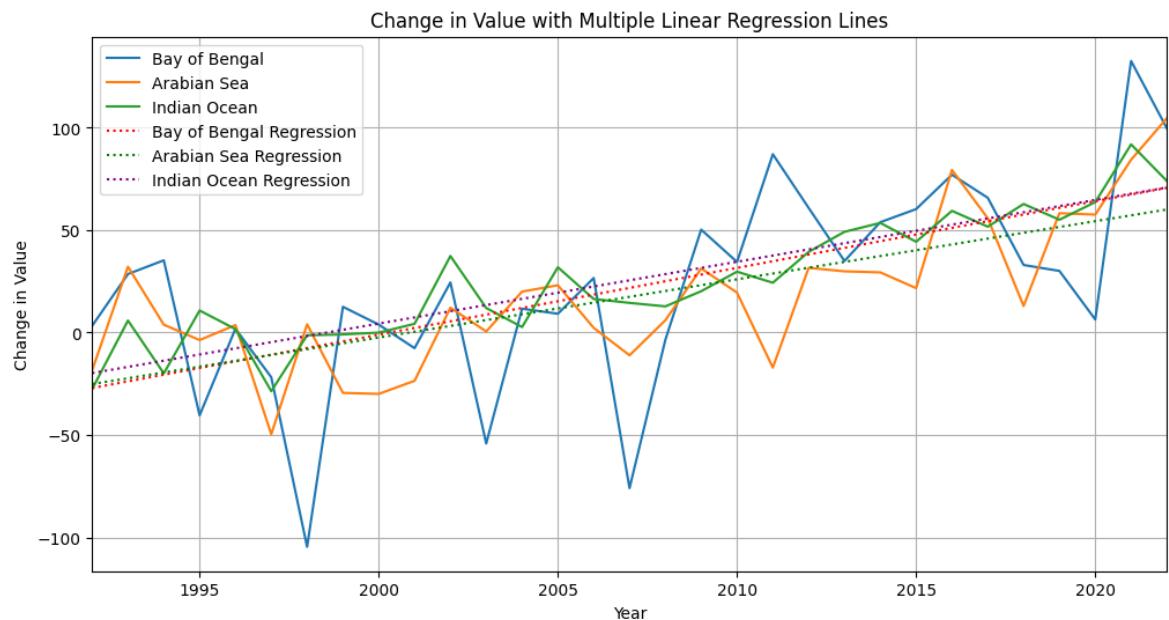


Figure 6.19

PREDICTION USING LINEAR REGRESSION:

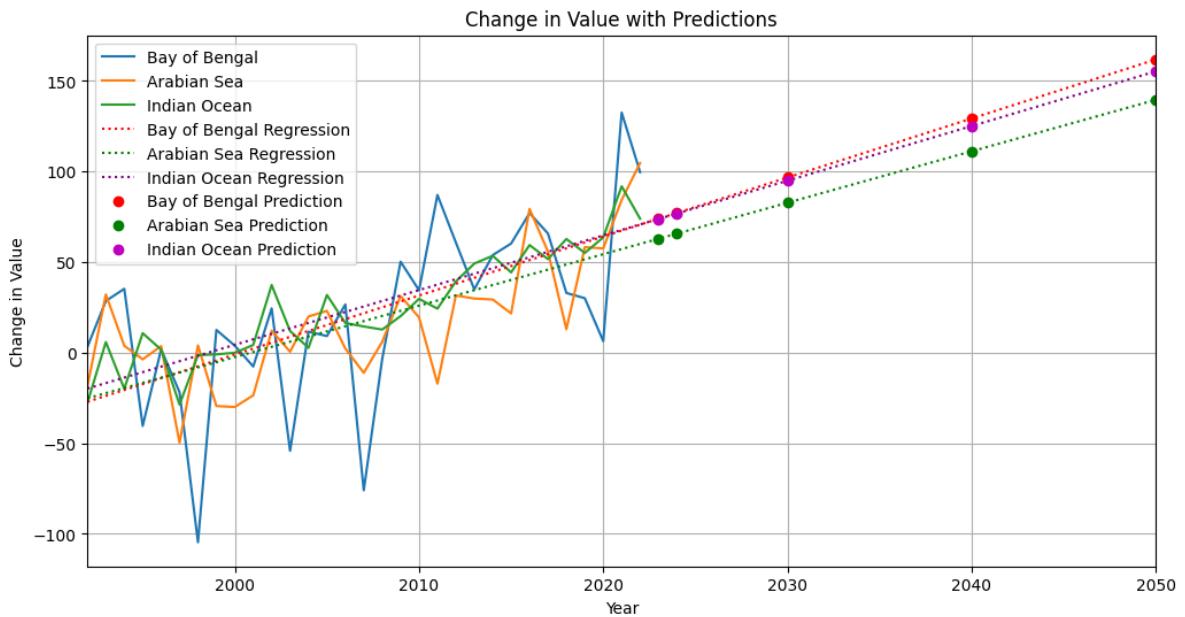


Figure 6.20

Values predicted over time:

```
Predictions for future years:  
Year: 2023  
    Bay of Bengal: 73.92012903225714  
    Arabian Sea: 62.905096774193225  
    Indian Ocean: 73.81703225806359  
Year: 2024  
    Bay of Bengal: 77.17846370967618  
    Arabian Sea: 65.74589919354821  
    Indian Ocean: 76.83642338709615  
Year: 2030  
    Bay of Bengal: 96.72847177419226  
    Arabian Sea: 82.79071370967722  
    Indian Ocean: 94.95277016128966  
Year: 2040  
    Bay of Bengal: 129.31181854838542  
    Arabian Sea: 111.19873790322526  
    Indian Ocean: 125.14668145161158  
Year: 2050  
    Bay of Bengal: 161.89516532257858  
    Arabian Sea: 139.6067620967733  
    Indian Ocean: 155.3405927419335
```

EVALUATION METRICS:

Summary for Indian Ocean:						
OLS Regression Results						
Dep. Variable:	y	R-squared:	0.837			
Model:	OLS	Adj. R-squared:	0.831			
Method:	Least Squares	F-statistic:	149.0			
Date:	Thu, 12 Dec 2024	Prob (F-statistic):	5.97e-13			
Time:	07:19:58	Log-Likelihood:	-120.80			
No. Observations:	31	AIC:	245.6			
Df Residuals:	29	BIC:	248.5			
Df Model:	1					
Covariance Type:	nonrobust					
coef	std err	t	P> t	[0.025	0.975]	
const	-6034.4112	496.438	-12.155	0.000	-7049.741	-5019.081
x1	3.0194	0.247	12.207	0.000	2.514	3.525
Omnibus:	2.611	Durbin-Watson:	2.123			
Prob(Omnibus):	0.271	Jarque-Bera (JB):	1.884			
Skew:	0.604	Prob(JB):	0.390			
Kurtosis:	3.006	Cond. No.	4.50e+05			
<hr/>						
Notes:						
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.						
[2] The condition number is large, 4.5e+05. This might indicate that there are strong multicollinearity or other numerical problems.						
Mean Squared Error (MSE): 141.9432567104577						
Root Mean Squared Error (RMSE): 11.913994154373993						
Mean Absolute Error (MAE): 9.27123803329857						

Table 6.5

Summary for Arabian Sea:						
OLS Regression Results						
Dep. Variable:	y	R-squared:	0.537			
Model:	OLS	Adj. R-squared:	0.521			
Method:	Least Squares	F-statistic:	33.65			
Date:	Thu, 12 Dec 2024	Prob (F-statistic):	2.75e-06			
Time:	07:19:58	Log-Likelihood:	-141.97			
No. Observations:	31	AIC:	287.9			
Df Residuals:	29	BIC:	290.8			
Df Model:	1					
Covariance Type:	nonrobust					
coef	std err	t	P> t	[0.025	0.975]	
const	-5684.0382	982.836	-5.783	0.000	-7694.163	-3673.913
x1	2.8408	0.490	5.801	0.000	1.839	3.842
Omnibus:	0.162	Durbin-Watson:	1.511			
Prob(Omnibus):	0.922	Jarque-Bera (JB):	0.228			
Skew:	0.150	Prob(JB):	0.892			
Kurtosis:	2.706	Cond. No.	4.50e+05			
<hr/>						
Notes:						
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.						
[2] The condition number is large, 4.5e+05. This might indicate that there are strong multicollinearity or other numerical problems.						
Mean Squared Error (MSE): 556.3479337135805						
Root Mean Squared Error (RMSE): 23.587028929341237						
Mean Absolute Error (MAE): 18.99426404786677						

Table 6.6

```

Summary for Bay of Bengal:
OLS Regression Results
=====
Dep. Variable:                  y   R-squared:           0.358
Model:                          OLS   Adj. R-squared:      0.336
Method: Least Squares   F-statistic:         16.20
Date: Thu, 12 Dec 2024   Prob (F-statistic): 0.000374
Time: 07:19:58   Log-Likelihood:     -157.55
No. Observations:            31   AIC:             319.1
Df Residuals:                 29   BIC:             322.0
Df Model:                      1
Covariance Type:        nonrobust
=====
            coef    std err       t   P>|t|      [ 0.025   0.975]
-----
const    -6517.6909   1624.670   -4.012   0.000   -9840.515   -3194.867
x1        3.2583     0.809     4.025   0.000      1.603     4.914
-----
Omnibus:                   5.479   Durbin-Watson:      1.774
Prob(Omnibus):            0.065   Jarque-Bera (JB):  3.951
Skew:                     -0.829   Prob(JB):        0.139
Kurtosis:                  3.556   Cond. No.      4.50e+05
-----
Notes:
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
[2] The condition number is large, 4.5e+05. This might indicate that there are
strong multicollinearity or other numerical problems.
Mean Squared Error (MSE): 1520.250187085066
Root Mean Squared Error (RMSE): 38.99038582888179
Mean Absolute Error (MAE): 29.449229708636853

```

Table 6.7

ACF and PACF Plots: Change in Mean Sea Levels

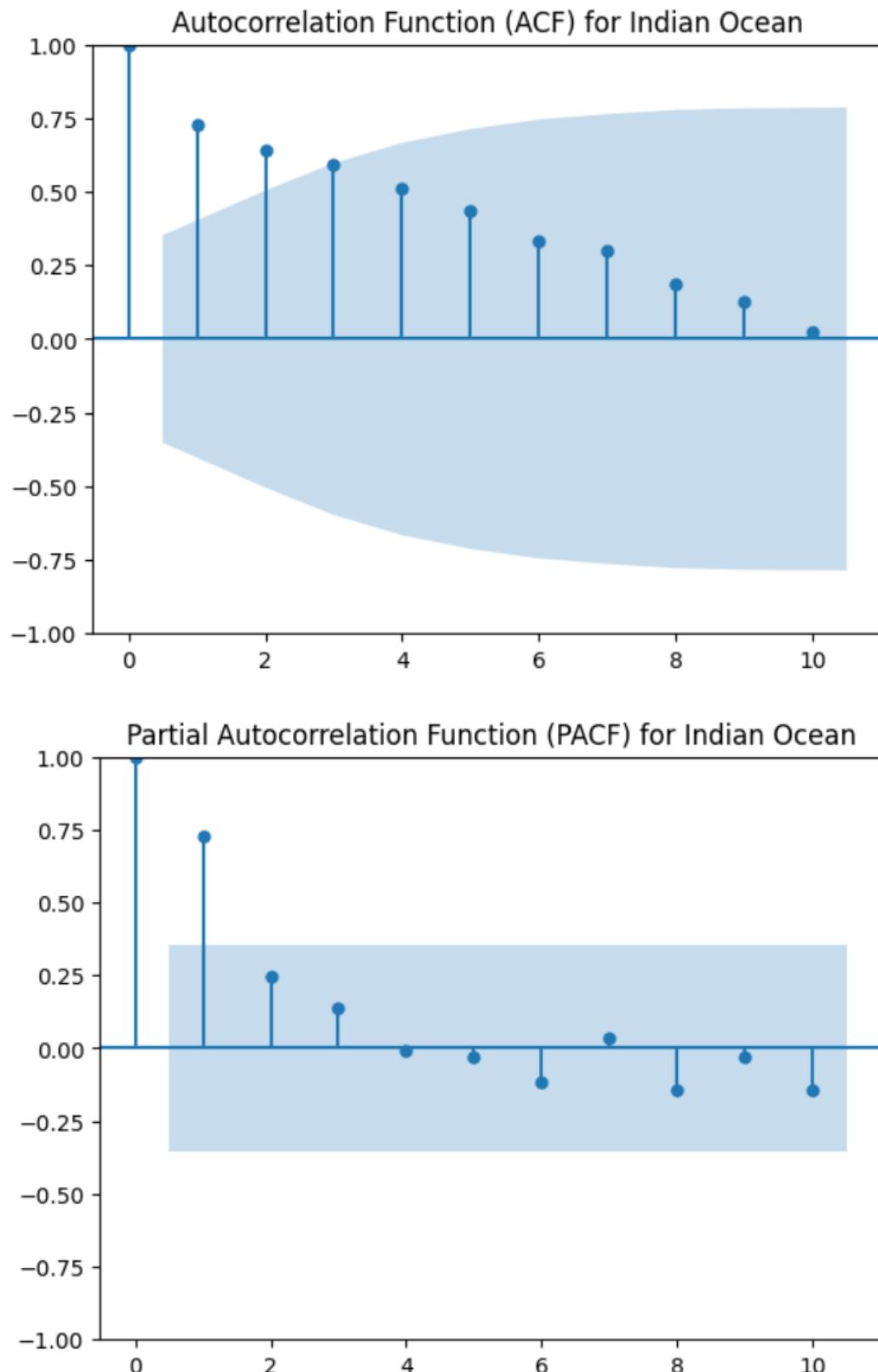


Figure 6.21

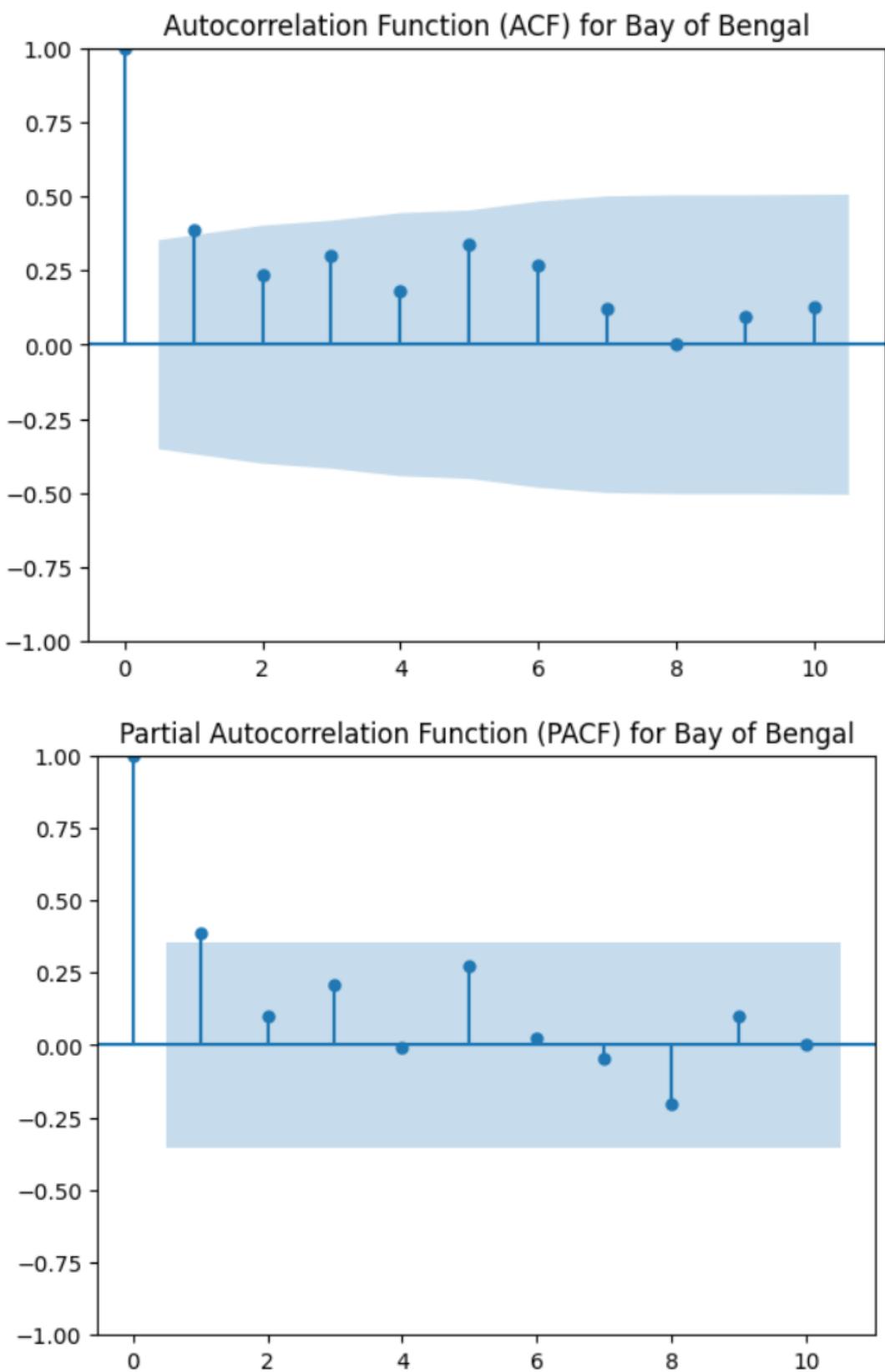


Figure 6.22

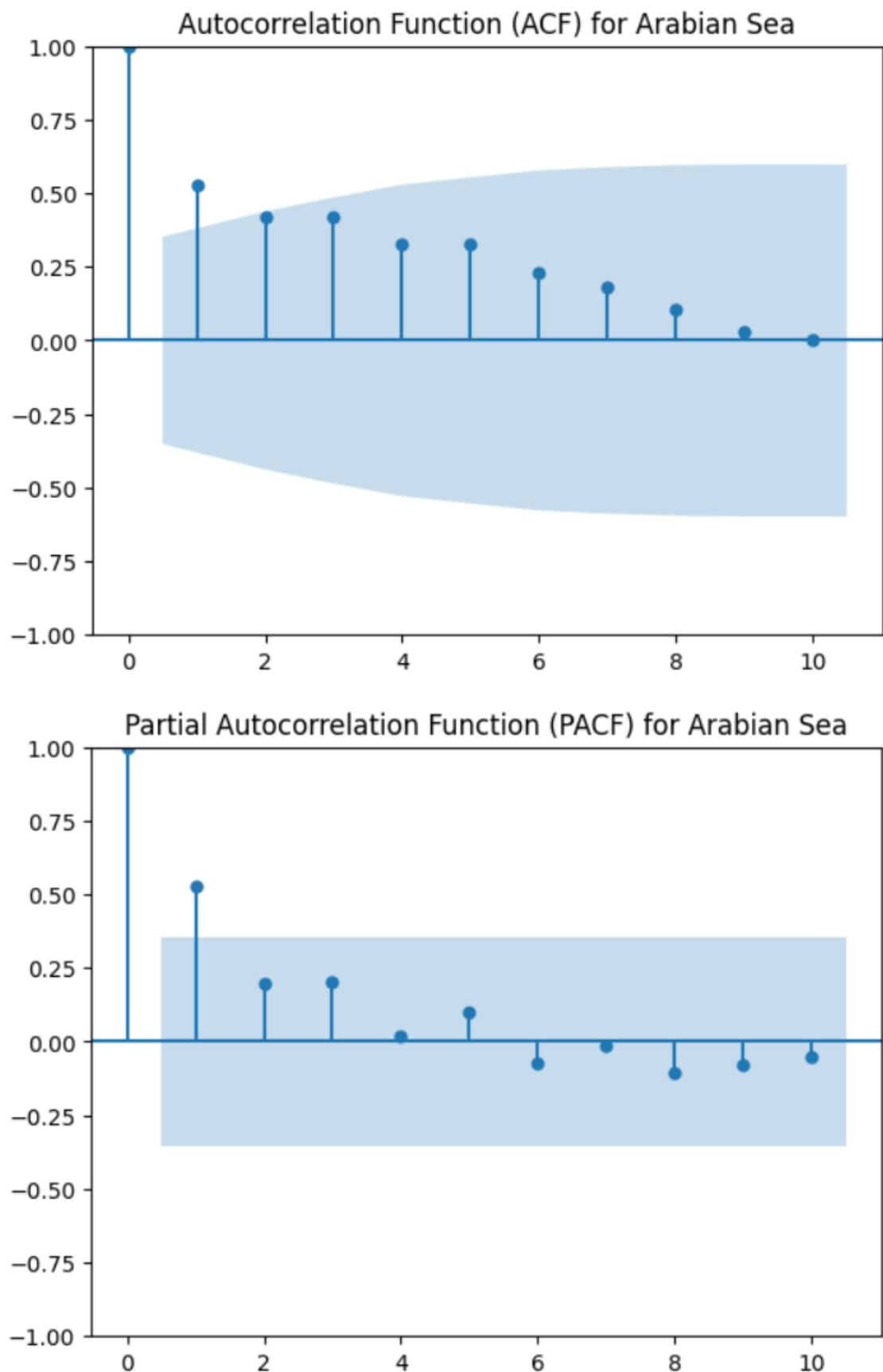


Figure 6.23

Using AUTO ARIMA model to find (p,d,q):

Indian Ocean:

```

Best model: ARIMA(2,1,0)(0,0,0)[0] intercept
Total fit time: 11.059 seconds
SARIMAX Results
=====
Dep. Variable:                      y   No. Observations:                  31
Model:                 SARIMAX(2, 1, 0)   Log Likelihood:           -119.724
Date:                Tue, 10 Dec 2024   AIC:                         247.449
Time:                    07:04:13     BIC:                         253.053
Sample:                   0 - 31      HQIC:                        249.242
Covariance Type:            opg
=====
            coef    std err      z      P>|z|      [0.025      0.975]
-----
intercept    7.4877    3.107    2.410      0.016      1.397    13.578
ar.L1       -0.7799    0.246   -3.174      0.002     -1.262    -0.298
ar.L2       -0.5269    0.204   -2.589      0.010     -0.926    -0.128
sigma2      166.0032   48.897    3.395      0.001    70.167    261.840
-----
Ljung-Box (L1) (Q):                  0.04  Jarque-Bera (JB):             0.29
Prob(Q):                           0.83  Prob(JB):                  0.87
Heteroskedasticity (H):              0.38  Skew:                     0.24
Prob(H) (two-sided):                0.14  Kurtosis:                 3.02
-----

```

Table 6.8

Using (p,d,q)=(2,1,0) values to build ARIMA

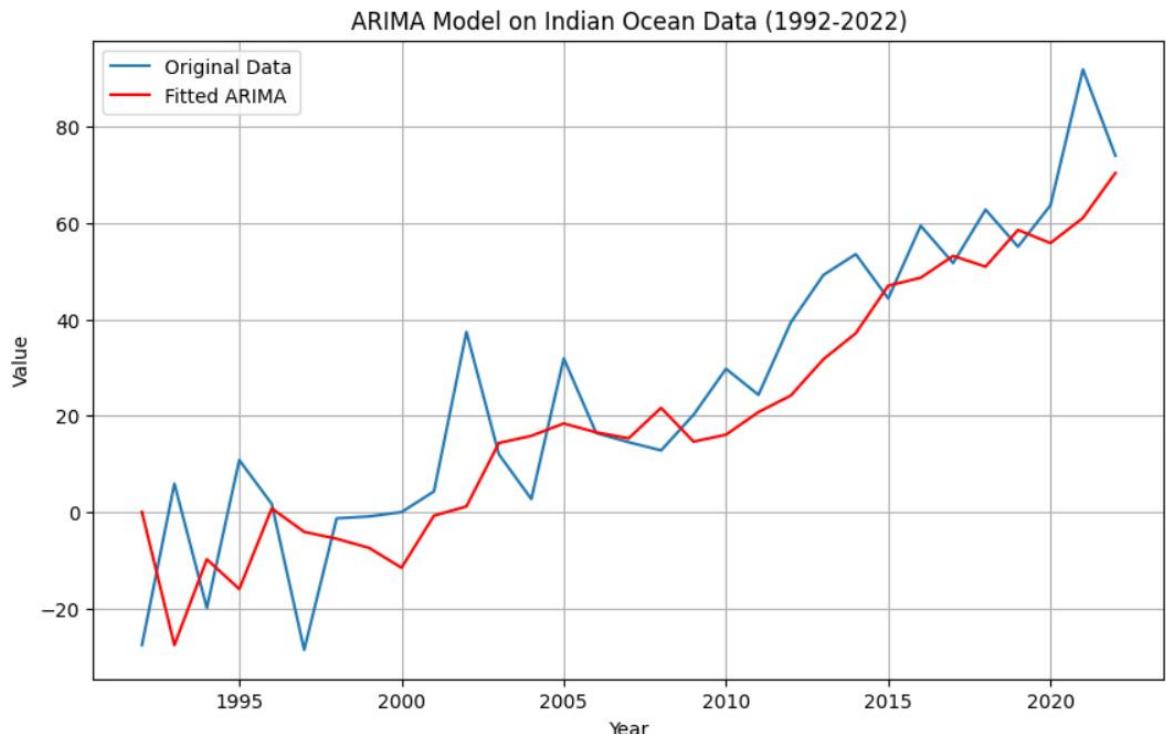


Figure 6.24

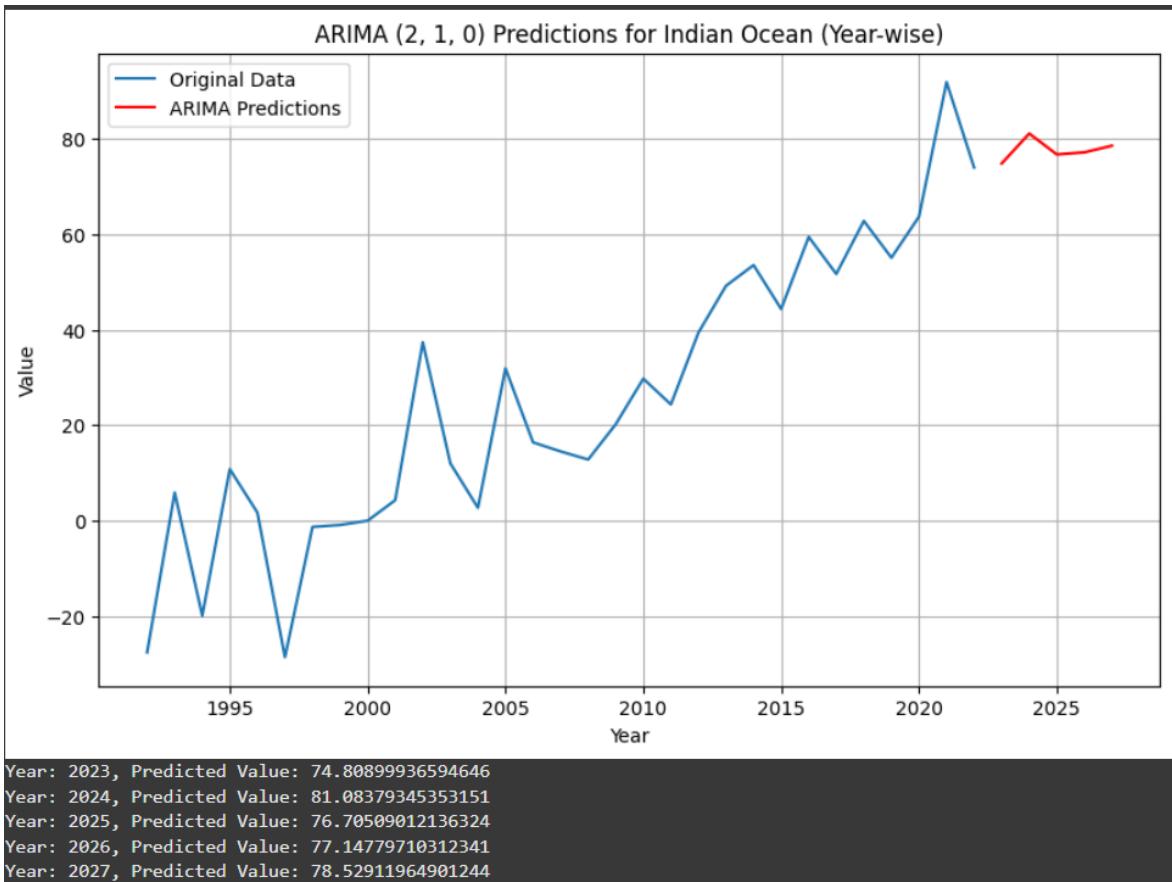


Figure 6.25

Using AUTO ARIMA model to find (p,d,q):

Bay of Bengal:

```

Best model: ARIMA(1,0,0)(0,1,0)[12] intercept
Total fit time: 13.378 seconds
                                         SARIMAX Results
=====
Dep. Variable:                                y   No. Observations:      31
Model:             SARIMAX(1, 0, 0)x(0, 1, 0, 12) Log Likelihood:  -99.040
Date:           Tue, 10 Dec 2024    AIC:            204.081
Time:                07:04:58    BIC:            206.914
Sample:          0 - 31    HQIC:            204.560
Covariance Type:                            opg
=====
              coef    std err        z     P>|z|      [0.025    0.975]
-----
intercept    30.4637    13.975     2.180     0.029      3.073    57.854
ar.L1        0.3213     0.277     1.158     0.247     -0.223     0.865
sigma2      1962.3022   948.219     2.069     0.039    103.827  3820.777
=====
Ljung-Box (L1) (Q):                      0.02  Jarque-Bera (JB):       1.33
Prob(Q):                               0.90  Prob(JB):          0.51
Heteroskedasticity (H):                  1.10  Skew:                 0.50
Prob(H) (two-sided):                   0.91  Kurtosis:            2.17
=====
```

Table 6.9

Using $(p,d,q)=(1,0,0)$ values to build ARIMA

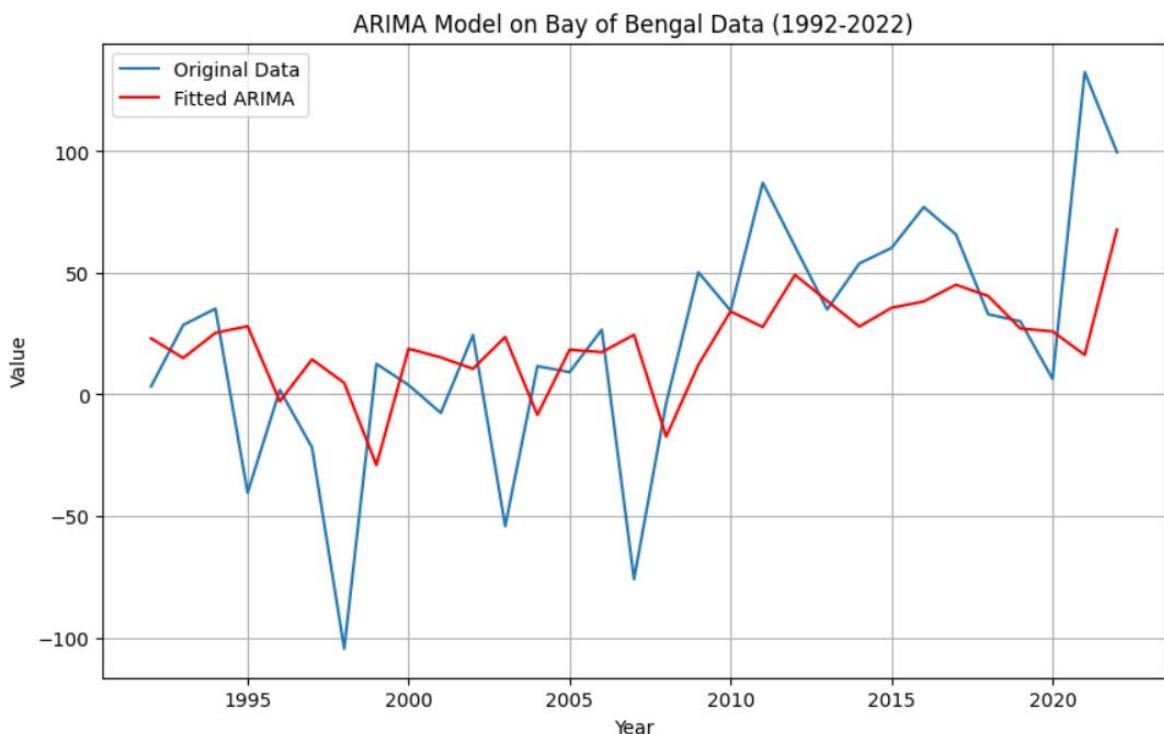
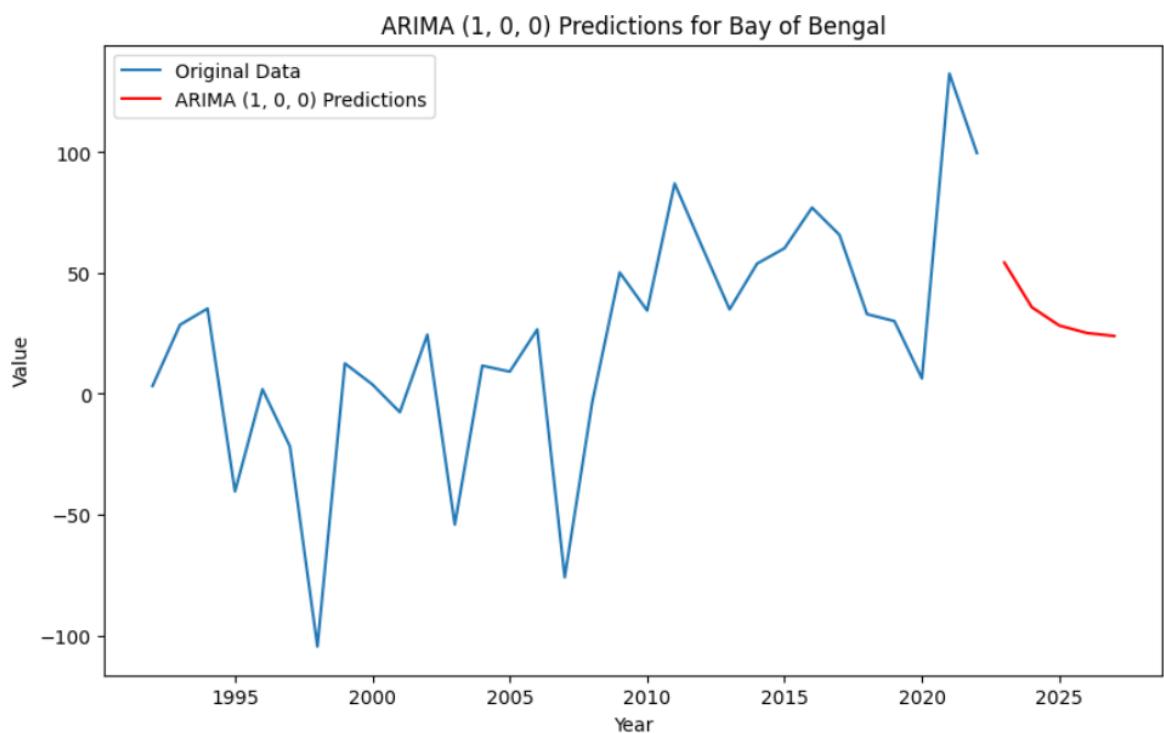


Figure 6.26



```

Predicted value for 2023: 54.3249113938531
Predicted value for 2024: 35.814727471378234
Predicted value for 2025: 28.2604062392197
Predicted value for 2026: 25.177359116746214
Predicted value for 2027: 23.919115090939002
  
```

Figure 6.27

Using AUTO ARIMA model to find (p,d,q):

Arabian Sea:

SARIMAX Results						
Dep. Variable:	y	No. Observations:	31			
Model:	SARIMAX(0, 1, 1)	Log Likelihood	-138.910			
Date:	Tue, 10 Dec 2024	AIC	283.821			
Time:	07:05:39	BIC	288.024			
Sample:	0 - 31	HQIC	285.166			
Covariance Type:	opg					
	coef	std err	z	P> z	[0.025	0.975]
intercept	2.9022	1.479	1.962	0.050	0.003	5.801
ma.L1	-0.7161	0.181	-3.951	0.000	-1.071	-0.361
sigma2	601.1656	165.203	3.639	0.000	277.374	924.958
Ljung-Box (L1) (Q):			0.05	Jarque-Bera (JB):		0.43
Prob(Q):			0.82	Prob(JB):		0.81
Heteroskedasticity (H):			0.85	Skew:		-0.28
Prob(H) (two-sided):			0.80	Kurtosis:		2.84

Table 6.10

Using (p,d,q)=(0,1,1) values to build ARIMA

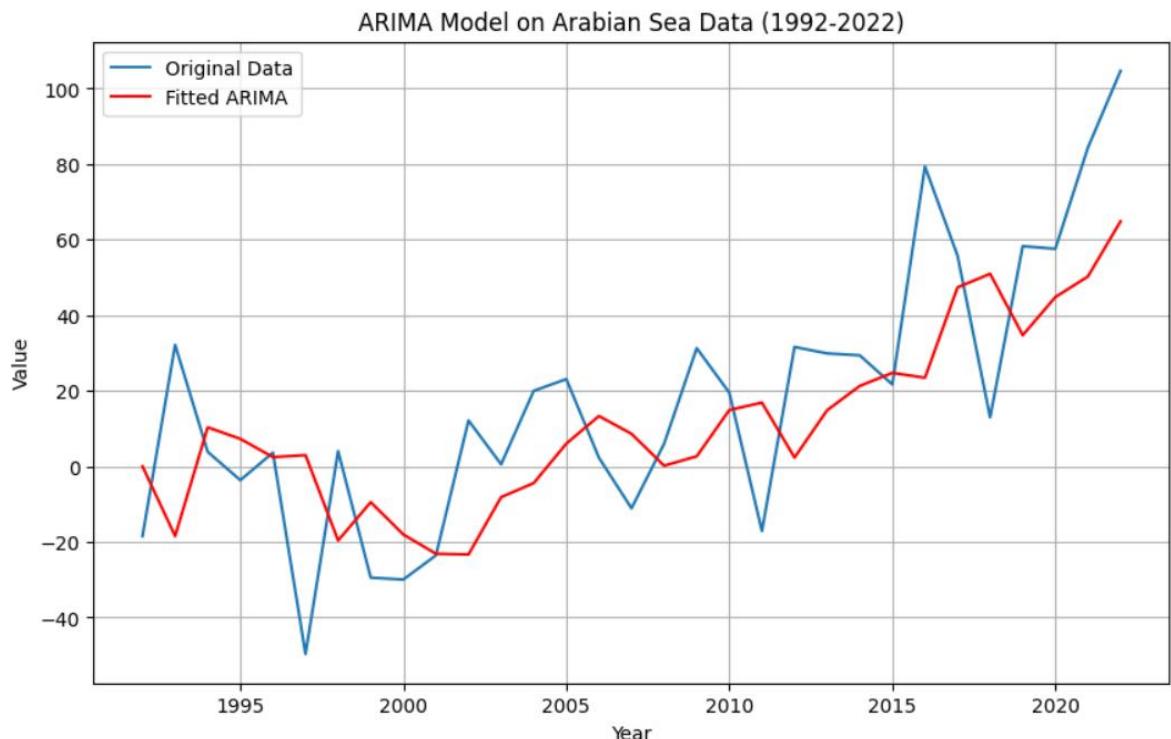


Figure 6.28

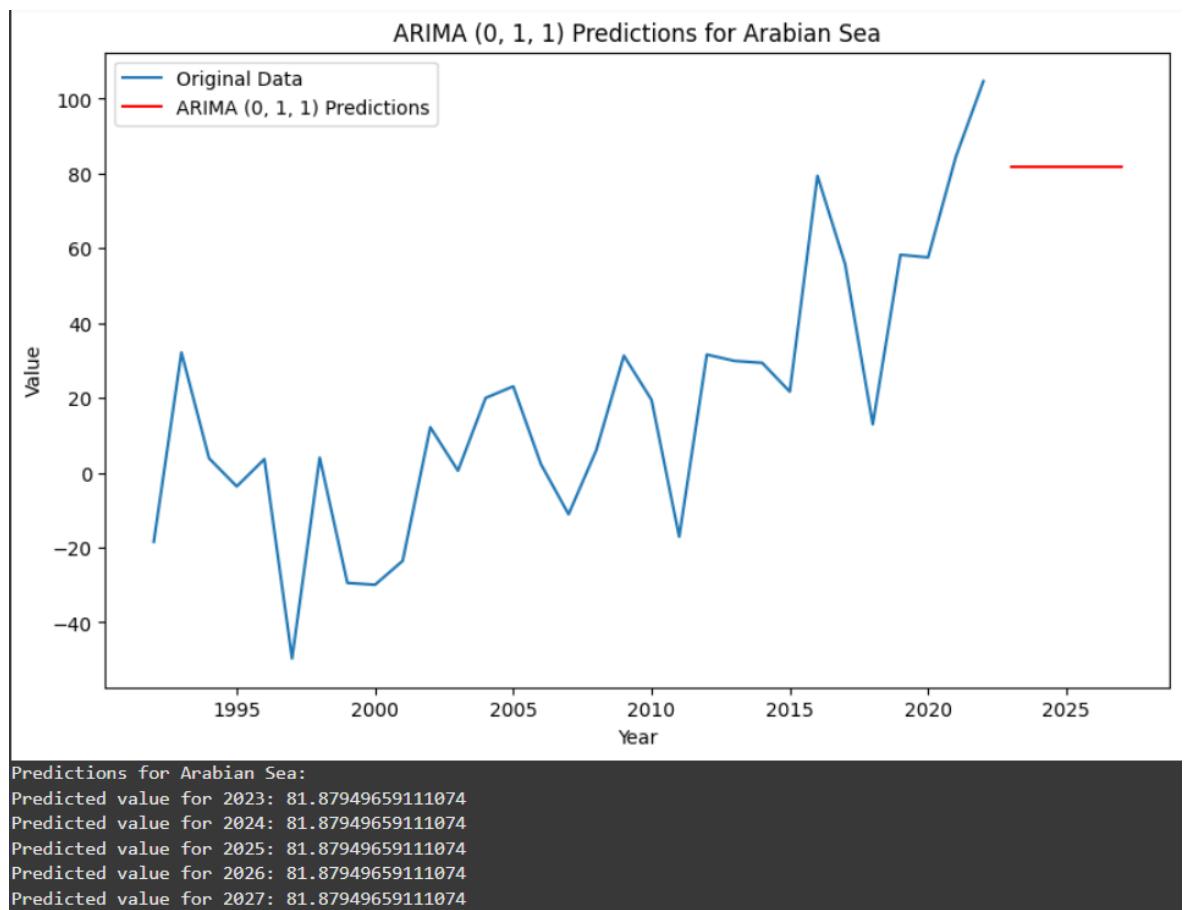


Figure 6.29

Predicting using LSTM (Long Short-Term Memory) Model:

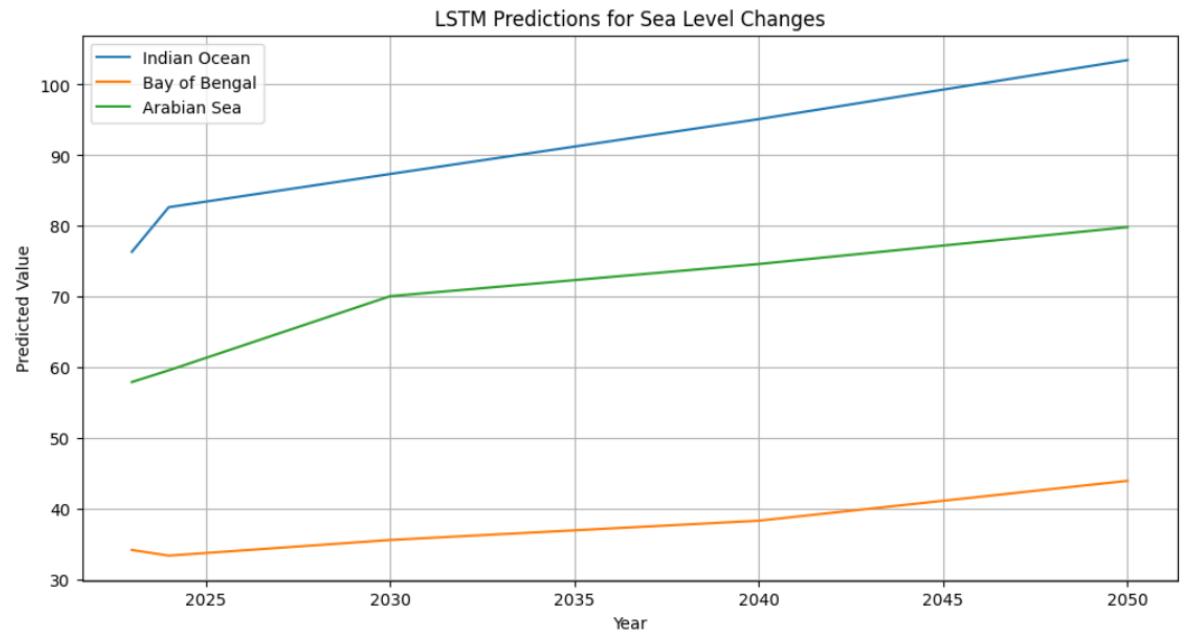


Figure 6.30

LSTM Model summary:

LSTM Model Summary for Indian Ocean: Model: "sequential"		
Layer (type)	Output Shape	Param #
lstm (LSTM)	(None, 50)	10,400
dense (Dense)	(None, 1)	51
Total params: 31,355 (122.48 KB) Trainable params: 10,451 (40.82 KB) Non-trainable params: 0 (0.00 B) Optimizer params: 20,904 (81.66 KB)		

Table 6.11

LSTM Model Summary for Bay of Bengal: Model: "sequential_1"		
Layer (type)	Output Shape	Param #
lstm_1 (LSTM)	(None, 50)	10,400
dense_1 (Dense)	(None, 1)	51
Total params: 31,355 (122.48 KB) Trainable params: 10,451 (40.82 KB) Non-trainable params: 0 (0.00 B) Optimizer params: 20,904 (81.66 KB)		

Table 6.12

LSTM Model Summary for Arabian Sea: Model: "sequential_2"		
Layer (type)	Output Shape	Param #
lstm_2 (LSTM)	(None, 50)	10,400
dense_2 (Dense)	(None, 1)	51
Total params: 31,355 (122.48 KB) Trainable params: 10,451 (40.82 KB) Non-trainable params: 0 (0.00 B) Optimizer params: 20,904 (81.66 KB)		

Table 6.13

6.4 Forest Area Cover Dataset

6.4.1. ABOUT THE DATASET:

- **Source of the Dataset:**

<https://climatedata.imf.org/pages/access-data>

A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	U	V	W	F2	
1	ObjectID	Country	ISO2	ISO3	Indicator	Unit	Source	CTS_Code	CTS_Name	CTS_Full_L	F1992	F1993	F1994	F1995	F1996	F1997	F1998	F1999	F2000	F2001	F2002	F2003	F2004	F2
2	1	Advanced Economies	AETMP		Carbon stock in forests and ECMFC				Environne	52618.66	53177.7	53393.57	53609.44	53825.31	54041.18	54257.05	54472.92	54755.43	54931.22	55107.02	55282.82	55458.62	5	
3	2	Advanced Economies	AETMP		Forest area: 1000 HA				Environne	945840.6	950628.8	950883.6	951138.5	951393.4	951648.3	951903.2	952158.1	953167	953722.1	954277.3	954832.4	955387.6	9	
4	3	Advanced Economies	AETMP		Index of fc: Index				Environne	100	101.0624	101.4727	101.8829	102.2932	102.7034	103.1137	103.5239	104.0609	104.399	104.729	105.0631	105.3972	11	
5	4	Advanced Economies	AETMP		Index of fc: Index				Environne	100	100.506	100.5332	100.560	100.5871	100.614	100.641	100.667	100.7746	100.8333	100.892	100.9507	101.0099	11	
6	5	Afghanista	AF		Forest area: 1000 HA				Environne	1208.44	1208.44	1208.44	1208.44	1208.44	1208.44	1208.44	1208.44	1208.44	1208.44	1208.44	1208.44	1208.44		
7	6	Afghanista	AF		Index of fc: Index				Environne	100	100	100	100	100	100	100	100	100	100	100	100	100	100	
8	7	Afghanista	AF		Land area: 1000 HA				Environne	65223	65223	65223	65223	65223	65223	65223	65223	65223	65223	65223	65223	65223	65223	
9	8	Afghanista	AF		Share of fc: Percent				Environne	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	1.852782	
10	9	Africa			AFRTMP				Environne	55811.76	57006.75	56766.94	56527.13	56047.52	56807.71	55567.9	55328.1	55079.0	54830.08	54581.07	54332.07	54183.07	54043.07	
11	10	Africa			AFRTMP				Environne	685614.1	702769.5	699668.7	696567.8	693467	690366.2	687265.3	684164.5	681063.7	677834.8	674606	671377.1	668148.3	665148.3	
12	11	Africa			AFRTMP				Environne	100	102.1411	101.7114	101.2813	100.8521	100.4223	99.99275	99.56303	99.13341	98.68725	98.2411	97.79494	97.34879	96	
13	12	Africa			AFRTMP				Environne	100	102.5022	102.0499	101.5977	101.1454	100.6931	100.2408	99.78858	98.33631	98.8653	98.39447	98.92348	97.45254	95	
14	13	Albania	AL		AFRTMP				Environne	784.9	782.95	781	779.05	777.1	775.15	773.2	771.25	769.3	770.577	771.854	773.131	774.408		
15	14	Albania	AL		Index of fc: Index				Environne	100	99.7515	99.50312	99.2546	99.00624	98.7578	98.50936	98.26092	98.01249	98.17518	98.33788	98.50057	98.66327	95	
16	15	Albania	AL		Land area: 1000 HA				Environne	2740	2740	2740	2740	2740	2740	2740	2740	2740	2740	2740	2740	2740	2740	
17	16	Albania	AL		Share of fc: Percent				Environne	28.64599	28.57482	28.50365	28.43248	28.36131	28.29015	28.21898	28.14781	28.07664	28.01232	28.16985	28.21646	28.26307	21	
18	17	Algeria	DZ		AFRTMP				Environne	30.8266	30.6701	30.5136	30.3571	30.2006	30.0441	29.8876	29.7312	29.5747	30.2307	30.8868	31.5428	32.1989		
19	18	Algeria	DZ		Forest area: 1000 HA				Environne	1640.4	1640.6	1631.8	1623	1614.2	1605.4	1596.6	1587.8	1579	1612.9	1646.8	1680.7	1714.6		
20	19	Algeria	DZ		Index of fc: Index				Environne	100	99.49232	98.98464	98.47693	97.96929	97.46161	96.95393	96.44658	95.9389	98.66693	100.1953	102.3233	104.4517	11	
21	20	Algeria	DZ		Index of fc: Index				Environne	100	99.46647	98.93295	98.39942	97.86589	97.33236	96.79884	96.26531	95.73178	97.78707	99.84237	101.8977	103.953	11	
22	21	Algeria	DZ		Land area: 1000 HA				Environne	238174	238174	238174	238174	238174	238174	238174	238174	238174	238174	238174	238174	238174		
23	22	Algeria	DZ		Share of fc: Percent				Environne	0.692519	0.688824	0.685129	0.681435	0.67747	0.674045	0.67035	0.666655	0.662361	0.677194	0.691427	0.705561	0.719894	0.	
24	23	American	AS		AFRTMP				Environne	1.1817	1.1956	1.2095	1.2234	1.2373	1.2512	1.2651	1.279	1.2929	1.3036	1.3144	1.3251	1.3359		
25	24	American	AS		Forest area: 1000 HA				Environne	18.002	17.968	17.934	17.898	17.854	17.798	17.764	17.73	17.67	17.64	17.61				
26	25	American	AS		Index of fc: Index				Environne	100	101.1768	102.3525	103.5288	104.7051	105.8814	107.0576	108.2334	109.4102	110.3158	111.2296	112.1351	113.049	1	
27	26	American	AS		AFRTMP				Environne	100	99.81113	99.62226	99.4334	99.24453	99.05566	98.86679	98.67792	98.48906	98.32241	98.15576	97.98911	97.82246	9	

Key Columns in the Dataset:

1. **ObjectID:** A unique identifier for each record.
2. **Country:** The name of the country or region for which the data is recorded (e.g., Advanced Economies, Afghanistan, Africa, Albania, Algeria).
3. **ISO2:** The two-letter ISO country code (e.g., AF for Afghanistan, DZ for Algeria).
4. **ISO3:** The three-letter ISO country code (e.g., AFG for Afghanistan, DZA for Algeria).
5. **Indicator:** The specific environmental indicator being measured (e.g., Carbon stocks in forests, Forest area, Share of forest area).
6. **Unit:** The unit of measurement for the data (e.g., Million tonnes, 1000 HA, Percent).
7. **Source:** The source of the data, which is the Food and Agriculture Organization of the United Nations (FAO) along with additional notes about data access and calculations.
8. **CTS_Code:** A code related to the environmental sector the data falls under (e.g., ECMFC, ECMFF).
9. **CTS_Name:** A descriptor of the environmental category (e.g., Environment, Climate Change, Mitigation, Forest and Carbon).

- 10. CTS_Full_Descriptor:** A more detailed explanation of the environmental category (e.g., Carbon Stocks in Living Biomass (in Forests)).
- 11. Yearly Data (1992-2022):** The data columns spanning multiple years (e.g., F1992, F1993, ..., F2022) contain the recorded values for each year corresponding to the respective indicator.

6.4.2. Exploratory Data Analysis

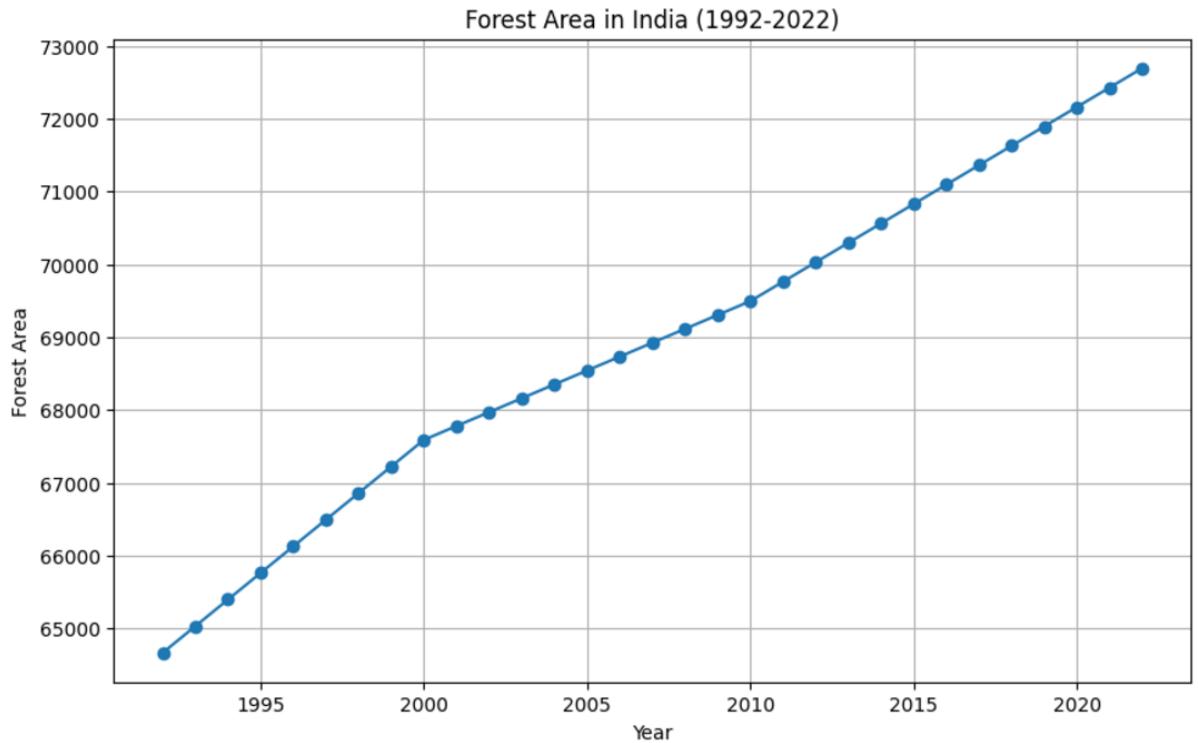


Figure 6.31

Interpretation: Forest area in India values seems to be increasing over the period of years plotted above.

Results and Discussion: Forest Area Cover

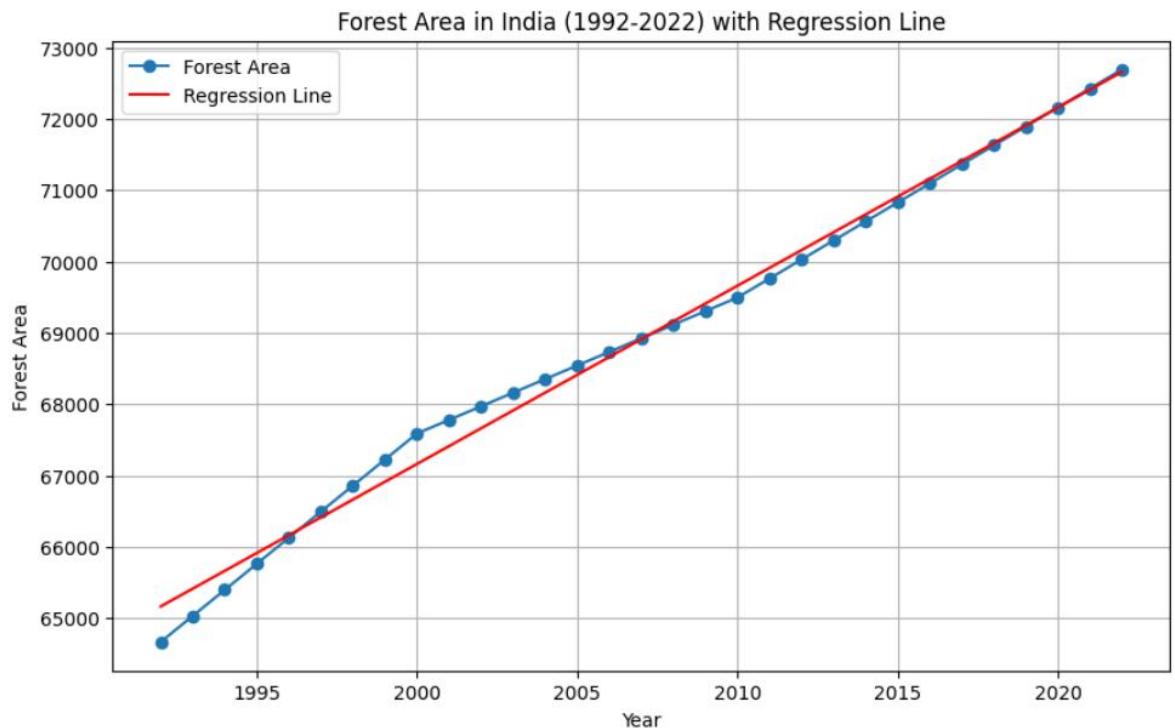


Figure 6.32

EVALUATION METRICS:

```
Slope: 249.69532258064515
Intercept: -432226.0317741935
R-value: 99.58763709339708%
P-value: 8.753224918248456e-32
Standard Error: 4.223889949234077
R-squared: 0.9917697461846157
```

PREDICTION USING LINEAR REGRESSION:

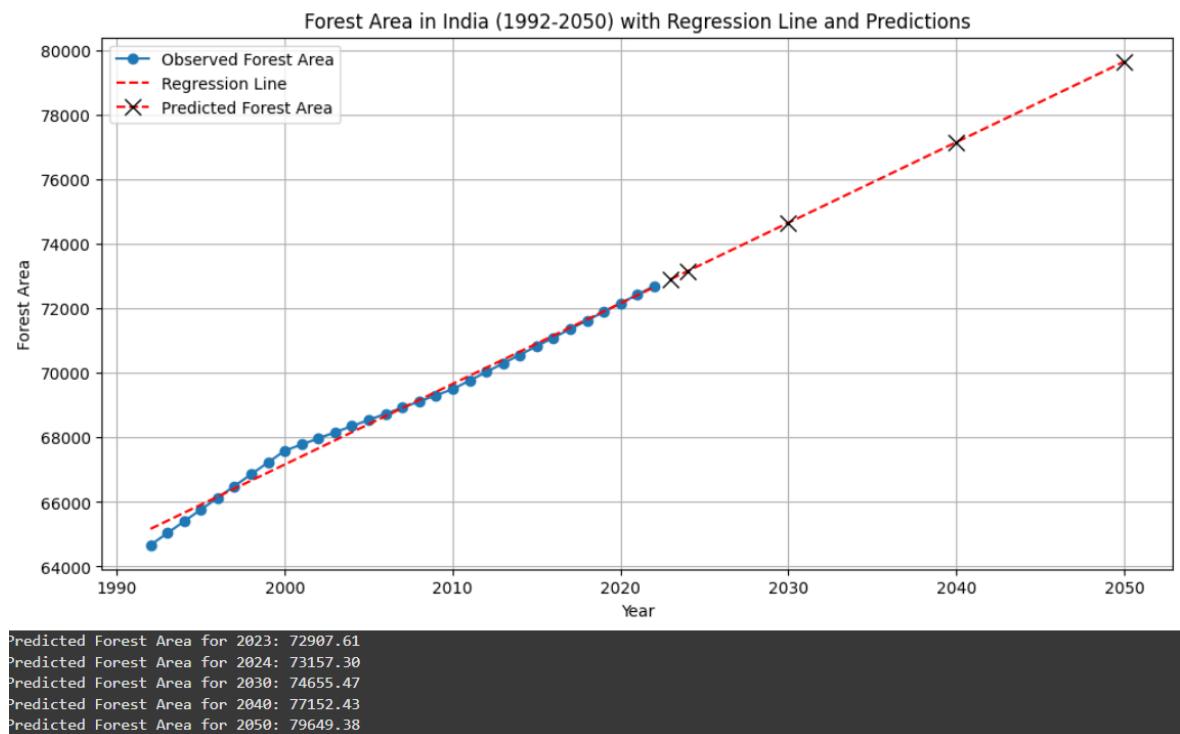


Figure 6.33

ACF and PACF Plots: Forest Area Cover:

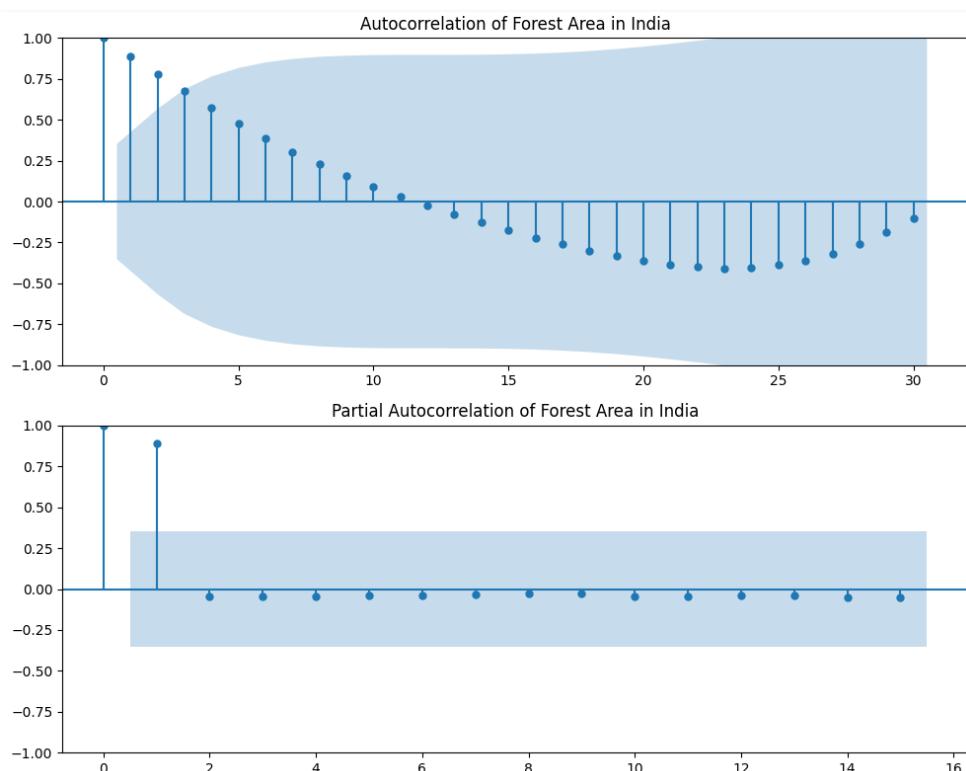


Figure 6.34

Using AUTO ARIMA model to find (p,d,q):

```

Best model: ARIMA(0,2,0)(0,0,0)[0]
Total fit time: 0.315 seconds
SARIMAX Results
=====
Dep. Variable: y No. Observations: 31
Model: SARIMAX(0, 2, 0) Log Likelihood: -144.574
Date: Tue, 10 Dec 2024 AIC: 291.147
Time: 07:46:43 BIC: 292.514
Sample: 0 HQIC: 291.575
- 31
Covariance Type: opg
=====
            coef    std err          z      P>|z|      [0.025      0.975]
-----
sigma2    1252.2601   103.327     12.119      0.000    1049.743    1454.777
-----
Ljung-Box (L1) (Q): 0.00 Jarque-Bera (JB): 420.07
Prob(Q): 0.96 Prob(JB): 0.00
Heteroskedasticity (H): 0.00 Skew: -3.58
Prob(H) (two-sided): 0.00 Kurtosis: 20.22
-----

```

Table 6.14

Using (p,d,q)=(0,2,0) values to build ARIMA

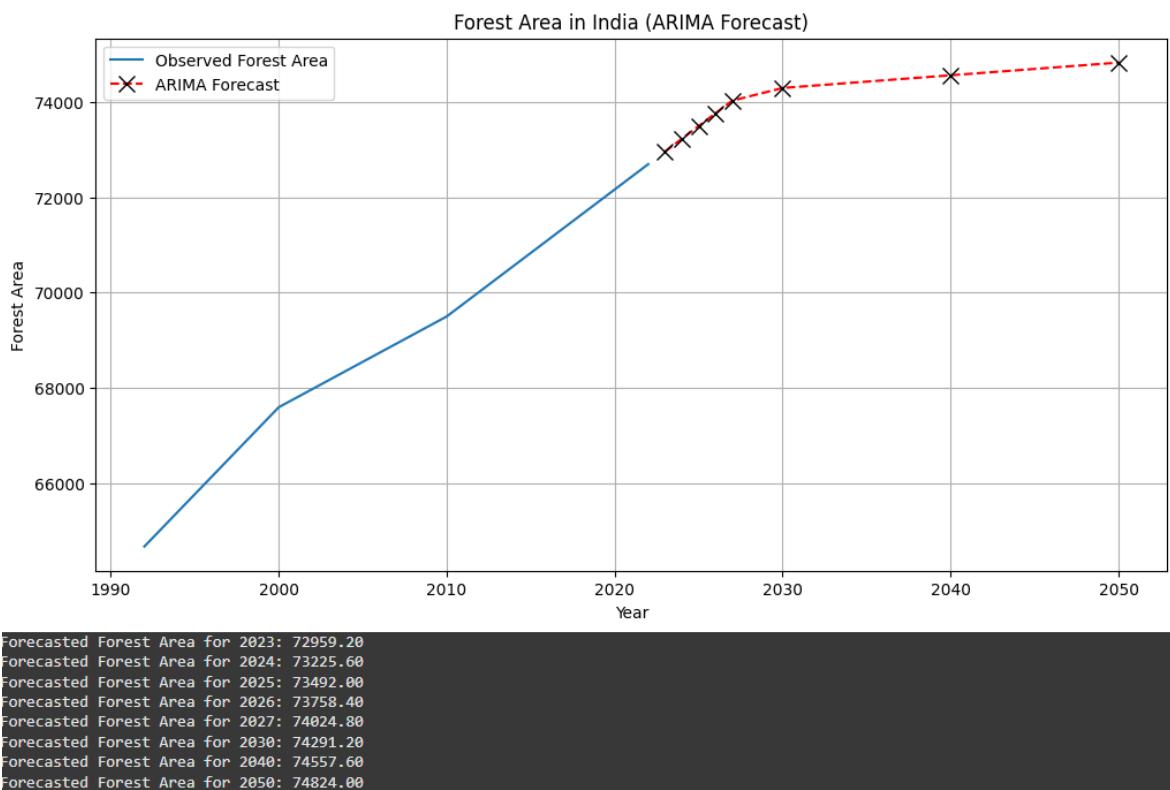


Figure 6.35

Predicting using LSTM (Long Short-Term Memory) Model :

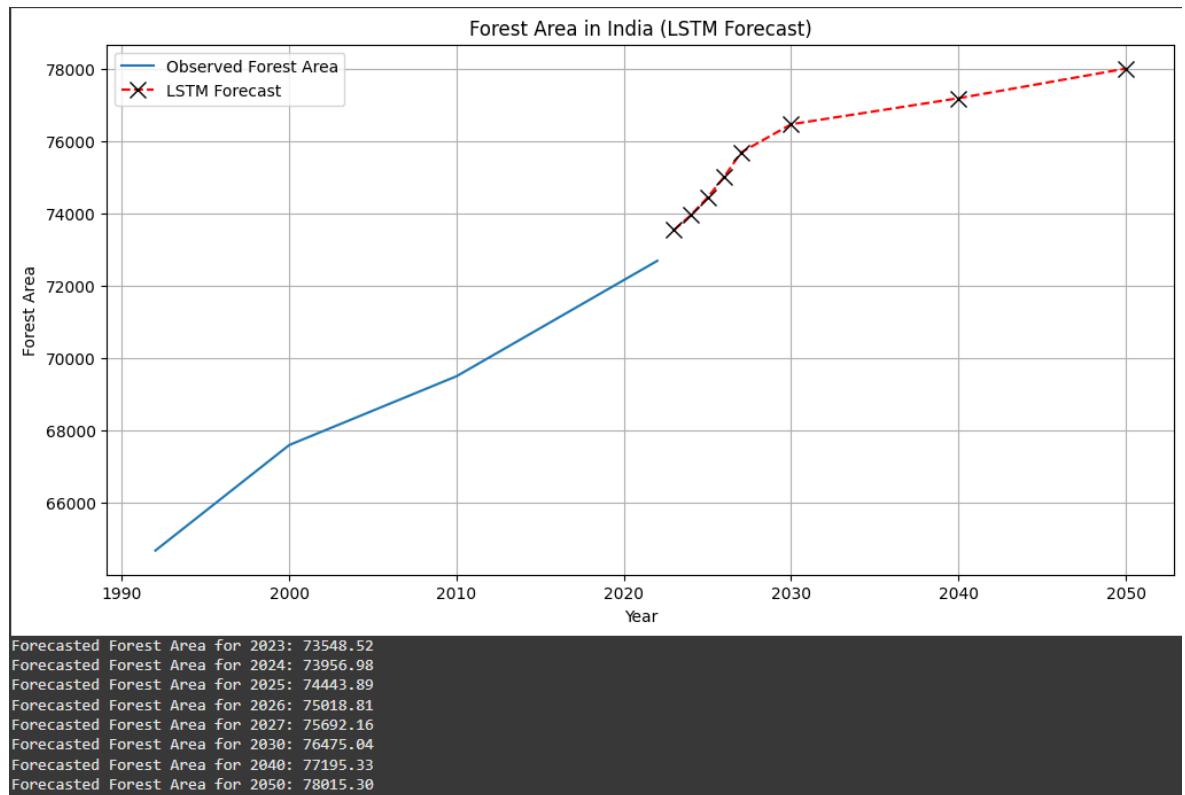


Figure 6.36

Model: "sequential"

Layer (type)	Output Shape	Param #
lstm (LSTM)	(None, 5, 50)	10,400
lstm_1 (LSTM)	(None, 50)	20,200
dense (Dense)	(None, 1)	51

Total params: 91,955 (359.20 KB)
 Trainable params: 30,651 (119.73 KB)
 Non-trainable params: 0 (0.00 B)
 Optimizer params: 61,304 (239.47 KB)

Table 6.15

Performance Analysis: ARIMA vs LSTM

Strengths	<ul style="list-style-type: none"> - Well-Suited for Short-Term Forecasts: Effective for short-term forecasting, especially if data is linear and has strong seasonal patterns. 	<ul style="list-style-type: none"> - Handles Non-Linearities: Captures non-linear relationships and complex patterns in data, suitable for more complex datasets.
Weaknesses	<ul style="list-style-type: none"> - Statistical Foundation: Has a solid statistical basis and is widely used in econometrics and other fields. 	<ul style="list-style-type: none"> - Versatility: Applied to a wide range of time series problems, including those with irregular intervals and missing data.
Practical Considerations	<ul style="list-style-type: none"> - Limited to Linear Relationships: Assumes linear relationships, which might not capture complex patterns. 	<ul style="list-style-type: none"> - Complexity: More complex and requires more computational resources and time to train.
	<ul style="list-style-type: none"> - Struggles with Long-Term Forecasts: Can struggle with long-term forecasts due to reliance on past values and patterns that might not persist. 	<ul style="list-style-type: none"> - Data Requirement: Generally, requires more data to train effectively compared to simpler models like ARIMA.
	<ul style="list-style-type: none"> - Short-Term Forecasts: If data is linear and you need short-term forecasts, ARIMA can be a good choice. 	<ul style="list-style-type: none"> - Long-Term Forecasts: If data is non-linear and you need long-term forecasts, LSTM is likely the better option.
	<ul style="list-style-type: none"> - Data Complexity: For simple and linear data, ARIMA might suffice. 	<ul style="list-style-type: none"> - Data Complexity: For more complex data with multiple patterns and long-term dependencies, LSTM is preferred.

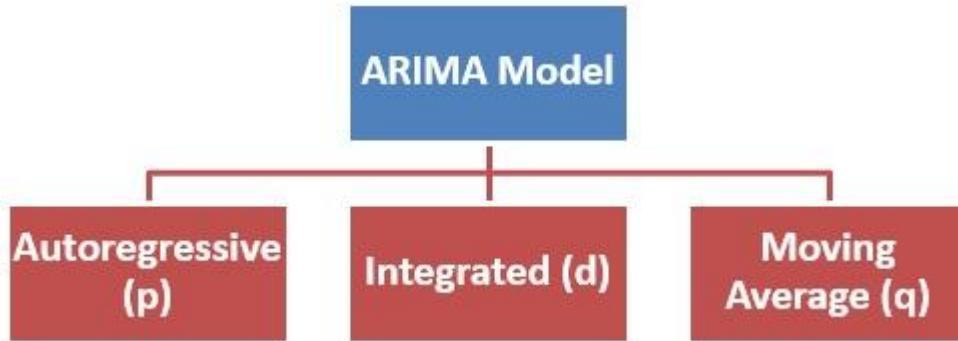
Table 6.16

6.5 MODELS USED IN STUDY

1. Linear Regression

- **Functionality:**
 - Linear Regression models the relationship between a dependent variable and one independent variable using a straight line.
 - It predicts the value of the dependent variable based on the value of the independent variable.
 - **Formula:** $Y = b_0 + b_1 * X$
 - **Outputs:** Coefficient (slope), Intercept, R-squared value, p-value for significance testing.
- **Use Case:** To establish a basic understanding of the relationship between two variables, such as temperature change over time.

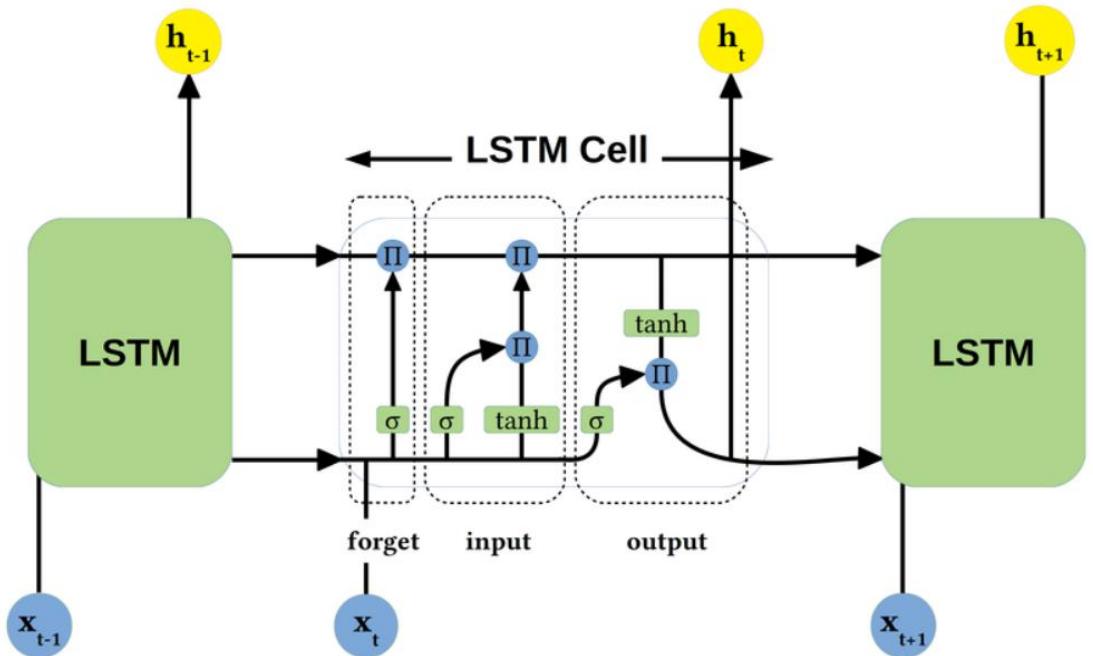
2. ARIMA (AutoRegressive Integrated Moving Average)



- **Functionality:**
 - ARIMA models time-series data by combining autoregression (AR), differencing (I), and moving average (MA).
 - **Components:**
 - **AutoRegressive (AR):** Uses past values to predict future values.
 - **Integrated (I):** Differencing the data to make it stationary.
 - **Moving Average (MA):** Uses past forecast errors to improve the prediction.

- **Formula:** $Y_t = c + \phi_1 * Y_{t-1} + \phi_2 * Y_{t-2} + \dots + \theta_1 * \epsilon_{t-1} + \theta_2 * \epsilon_{t-2} + \dots + \epsilon_t Y_t$
 $= c + \phi_1 * Y_{t-1} + \phi_2 * Y_{t-2} + \dots + \theta_1 * \epsilon_{t-1} + \theta_2 * \epsilon_{t-2} + \dots + \theta_t * \epsilon_t$
- **Outputs:** AR and MA coefficients, differencing order, model fit statistics (AIC, BIC), forecasts.
- **Use Case:** To capture and predict linear trends and seasonal patterns in time-series data, such as annual sea level changes.

4. LSTM (Long Short-Term Memory)



- **Functionality:**
 - LSTM is a type of recurrent neural network (RNN) designed to remember long-term dependencies in sequential data.
 - It uses memory cells to store information and gates to control the flow of information.
 - **Components:**
 - **Forget Gate:** Decides what information to discard from the cell state.
 - **Input Gate:** Decides which new information to add to the cell state.

- **Output Gate:** Decides what to output based on the cell state.
- **Formula:** Includes complex equations involving the gates and cell states, optimized during training.
- **Outputs:** Predicted values, model loss (e.g., Mean Squared Error), training and validation accuracy.
- **Use Case:** To model complex, non-linear relationships and long-term dependencies in time-series data, such as predicting long-term temperature changes.

6.1.4. EVALUATION

Performance Metrics

- **Functionality:**
 - Metrics used to evaluate the accuracy and effectiveness of predictive models.
 - **Common Metrics:**
 - **Mean Squared Error (MSE):** Average of the squared differences between predicted and actual values.
 - **Mean Absolute Error (MAE):** Average of the absolute differences between predicted and actual values.
 - **Root Mean Squared Error (RMSE):** Square root of the mean squared error, providing error in the same units as the original data.
 - **R-squared (R²):** Proportion of the variance in the dependent variable explained by the independent variables.
 - **Outputs:** Quantitative measures of model performance.
- **Use Case:** To compare the performance of different models and select the best one.

Relevance of COP 29 SUMMIT:



The *COP 29 summit, held in Baku from November 11 to 22, 2024*, brought several key findings and decisions to the forefront of global climate action. One of the most significant decisions was to mobilize **\$300 billion annually by 2035** for climate finance to support developing countries. This decision aimed to address the urgent need for financial resources to combat climate change and its impacts.

However, **India rejected this offer**, stating that the amount was grossly insufficient to meet the needs of developing nations. India's delegate, Chandni Raina, emphasized that the proposed \$300 billion was an "optical illusion" and would not address the enormity of the climate challenges faced by the Global South. India argued that the financial commitment should be closer to **\$1.3 trillion annually** to effectively tackle climate adaptation and transformation efforts.

India's rejection highlighted the ongoing equity concerns and the need for developed countries to take greater responsibility for their historical emissions. The decision underscored the importance of collaboration and trust among nations to achieve meaningful progress in addressing climate change.

Incorporating these findings into your project can provide valuable context for understanding the complexities of climate finance and the challenges faced by developing countries. It also emphasizes the need for accurate predictions and comprehensive climate policies to support equitable and effective climate action.

8.CONCLUSION

The ***primary goal of this project is to develop a sophisticated machine learning-based predictive model*** designed to estimate future values of key climate parameters: Atmospheric CO₂ Concentrations, Sea Level Change, Land Cover Distribution, and Annual Surface Temperature Change. By leveraging historical trends and a range of relevant factors, this model aims to provide precise and reliable forecasts, which are critical for understanding and addressing the impacts of climate change. The ability to accurately predict these parameters will play a pivotal role in shaping effective and targeted climate policies and strategies.

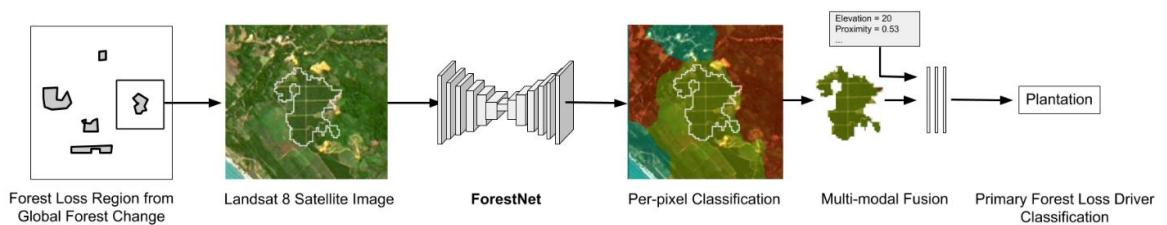
Additionally, the ***secondary goal of the project focuses on exploring and understanding the intricate relationships between these climate variables***. By analyzing how changes in one parameter may influence others, this research seeks to provide deeper insights into the interconnected nature of climate systems. This understanding is essential for formulating more accurate and holistic climate projections. Such insights can significantly enhance the effectiveness of climate policies by enabling policymakers to account for the complex interactions within the climate system.

Furthermore, this project highlights the ***importance of international summits like COP 29***, held from November 11 to 22, 2024. These summits provide a critical platform for global leaders, scientists, and policymakers to discuss and negotiate climate action strategies. The insights gained from this project can inform these discussions, leading to more precise and targeted climate policies. By understanding the relationships between key climate variables and their future trajectories, stakeholders can make more informed decisions, ensuring that policies are based on robust scientific evidence and are capable of addressing the multifaceted challenges posed by climate change.

In conclusion, the development of a machine learning-based predictive model for climate parameters not only advances scientific understanding but also provides essential tools for policymakers. The project's dual focus on accurate prediction and understanding interrelationships between climate variables ensures that the resulting climate policies will be both comprehensive and effective. By contributing valuable insights to international climate negotiations, this research underscores the critical role of advanced technological approaches in tackling global environmental challenges.

9. FUTURE ENHANCEMENT

- In the Forest Area Dataset instead of taking dataset from online sources I will use Satellite Imaging using **Forest Net [3]** which uses Deep Learning to predict actual deforestation and its impact.
- Developed by **STANFORD**: For accurate prediction of forest area.



10. APPENDICES

CODES ARE ATTACHED DATABASE WISE:

- Annual Mean Global Surface Temperature Dataset
PAGE 61-74
- Atmospheric Co2 concentration Dataset
PAGE 75-87
- Change in Mean Sea Levels Dataset
PAGE 88-106
- Forest Area Cover Dataset
PAGE 107-124

Annual Mean Global Surface Temperature Dataset

```
from google.colab import drive
drive.mount('/content/drive')

Mounted at /content/drive

import pandas as pd

# Assuming your dataset is in a CSV file named 'your_dataset.csv'
# Replace 'your_dataset.csv' with the actual filename and path
df = pd.read_csv('/content/drive/My Drive/Project sem1/Datasets/Annual_Mean_Global_Surface_Temperature.csv')

# Now you can work with the dataframe 'df'
print(df.head())
```

```
ObjectID          Country ISO2   ISO3  \
0      1 Afghanistan, Islamic Rep. of AFG
1      2                      Africa  NaN  AFRTMP
2      3                      Albania AL   ALB
3      4                      Algeria DZ   DZA
4      5                     American Samoa AS   ASM

                                         Indicator      Unit  \
0  Temperature change with respect to a baseline ...  Degree Celsius
1  Temperature change with respect to a baseline ...  Degree Celsius
2  Temperature change with respect to a baseline ...  Degree Celsius
3  Temperature change with respect to a baseline ...  Degree Celsius
4  Temperature change with respect to a baseline ...  Degree Celsius

                                         Source CTS Code  \
0  Food and Agriculture Organization of the Unite...    ECCS
1  Food and Agriculture Organization of the Unite...    ECCS
2  Food and Agriculture Organization of the Unite...    ECCS
3  Food and Agriculture Organization of the Unite...    ECCS
4  Food and Agriculture Organization of the Unite...    ECCS

                           CTS Name  \
0  Surface Temperature Change
1  Surface Temperature Change
2  Surface Temperature Change
3  Surface Temperature Change
4  Surface Temperature Change

                           CTS Full Descriptor  ...  2014  2015  \
0  Environment, Climate Change, Climate and Weath...  ...  0.521  1.204
1  Environment, Climate Change, Climate and Weath...  ...  1.013  1.190
2  Environment, Climate Change, Climate and Weath...  ...  1.285  1.667
3  Environment, Climate Change, Climate and Weath...  ...  1.713  1.153
4  Environment, Climate Change, Climate and Weath...  ...  0.840  0.679

   2016  2017  2018  2019  2020  2021  2022  2023
0  1.612  1.642  1.624  0.991  0.587  1.475  2.154  1.956
1  1.392  1.180  1.178  1.297  1.200  1.396  0.996  1.485
2  1.558  1.196  2.103  1.751  1.567  1.589  1.585  2.122
3  1.787  1.533  1.231  1.107  1.905  2.360  1.776  2.274
4  1.209  1.105  0.859  1.209  1.101  0.938  0.925  0.951

[5 rows x 73 columns]
```

```
df = df.drop('ISO2', axis=1)

print(df.head())

ObjectID          Country ISO3  \
0      1 Afghanistan, Islamic Rep. of AFG
1      2                      Africa AFRTMP
2      3                      Albania AL   ALB
3      4                      Algeria DZA
4      5                     American Samoa ASM

                                         Indicator      Unit  \
0  Temperature change with respect to a baseline ...  Degree Celsius
1  Temperature change with respect to a baseline ...  Degree Celsius
2  Temperature change with respect to a baseline ...  Degree Celsius
3  Temperature change with respect to a baseline ...  Degree Celsius
4  Temperature change with respect to a baseline ...  Degree Celsius

                                         Source CTS Code  \
0  Food and Agriculture Organization of the Unite...    ECCS
1  Food and Agriculture Organization of the Unite...    ECCS
2  Food and Agriculture Organization of the Unite...    ECCS
3  Food and Agriculture Organization of the Unite...    ECCS
4  Food and Agriculture Organization of the Unite...    ECCS

                           CTS Name  \
0  Surface Temperature Change
```

```

0 Surface Temperature Change
1 Surface Temperature Change
2 Surface Temperature Change
3 Surface Temperature Change
4 Surface Temperature Change

      CTS Full Descriptor 1961 ... 2014 \
0 Environment, Climate Change, Climate and Weath... -0.126 ... 0.521
1 Environment, Climate Change, Climate and Weath... -0.017 ... 1.013
2 Environment, Climate Change, Climate and Weath... 0.635 ... 1.285
3 Environment, Climate Change, Climate and Weath... 0.155 ... 1.713
4 Environment, Climate Change, Climate and Weath... 0.121 ... 0.840

 2015 2016 2017 2018 2019 2020 2021 2022 2023
0 1.204 1.612 1.642 1.624 0.991 0.587 1.475 2.154 1.956
1 1.190 1.392 1.180 1.178 1.297 1.200 1.396 0.996 1.485
2 1.667 1.558 1.196 2.103 1.751 1.567 1.589 1.585 2.122
3 1.153 1.787 1.533 1.231 1.107 1.905 2.360 1.776 2.274
4 0.679 1.209 1.105 0.859 1.209 1.101 0.938 0.925 0.951

```

[5 rows x 72 columns]

df.dtypes

	0
Objectid	int64
Country	object
ISO3	object
Indicator	object
Unit	object
...	...
2019	float64
2020	float64
2021	float64
2022	float64
2023	float64

72 rows x 1 columns

dtype: object

```

# Find all unique countries in the DataFrame
unique_countries = df['Country'].unique()

# Print the unique countries
unique_countries

array(['Afghanistan', 'Islamic Rep. of', 'Africa', 'Albania', 'Algeria',
       'American Samoa', 'Americas', 'Andorra', 'Principality of', 'Angola',
       'Anguilla', 'Antarctica', 'Antigua and Barbuda', 'Argentina',
       'Armenia', 'Rep. of', 'Aruba', 'Kingdom of the Netherlands', 'Asia',
       'Australia', 'Austria', 'Azerbaijan', 'Rep. of', 'Bahamas', 'The',
       'Bahrain', 'Kingdom of', 'Bangladesh', 'Barbados',
       'Belarus', 'Rep. of', 'Belgium', 'Belize', 'Benin', 'Bhutan',
       'Bolivia', 'Bosnia and Herzegovina', 'Botswana', 'Brazil',
       'British Virgin Islands', 'Brunei Darussalam', 'Bulgaria',
       'Burkina Faso', 'Burundi', 'Cabo Verde', 'Cambodia', 'Cameroon',
       'Canada', 'Cayman Islands', 'Central African Rep.', 'Chad',
       'Chile', 'China, P.R.: Hong Kong', 'China, P.R.: Macao',
       'China, P.R.: Mainland', 'Colombia', 'Comoros', 'Union of the',
       'Congo, Dem. Rep. of the', 'Congo, Rep. of', 'Cook Islands',
       'Costa Rica', "Côte d'Ivoire", 'Croatia, Rep. of', 'Cuba',
       'Cyprus', 'Czech Rep.', 'Denmark', 'Djibouti', 'Dominica',
       'Dominican Rep.', 'Ecuador', 'Egypt, Arab Rep. of', 'El Salvador',
       'Equatorial Guinea, Rep. of', 'Eritrea, The State of',
       'Estonia, Rep. of', 'Eswatini, Kingdom of',
       'Ethiopia, The Federal Dem. Rep. of', 'Europe',
       'Falkland Islands (Malvinas)', 'Faroe Islands', 'Fiji, Rep. of',
       'Finland', 'France', 'French Polynesia', 'Gabon', 'Gambia, The',
       'Georgia', 'Germany', 'Ghana', 'Gibraltar', 'Greece', 'Greenland',
       'Grenada', 'Guadeloupe', 'Guatemala', 'Guyana, French', 'Guinea',
       'Guinea-Bissau', 'Guyana', 'Haiti', 'Holy See', 'Honduras',
       'Hungary', 'Iceland', 'India', 'Indonesia',
       'Iran, Islamic Rep. of', 'Iraq', 'Ireland', 'Isle of Man',
       'Israel', 'Italy', 'Jamaica', 'Japan', 'Jordan',
       'Kazakhstan, Rep. of', 'Kenya', 'Kiribati',
       'Korea, Dem. People's Rep. of', 'Korea, Rep. of', 'Kuwait',
       'Kyrgyz Rep.', 'Lao People's Dem. Rep.', 'Latvia', 'Lebanon'],
      dtype='object')

```

```
'Lesotho, Kingdom of', 'Liberia', 'Libya', 'Liechtenstein',
'Lithuania', 'Luxembourg', 'Madagascar, Rep. of', 'Malawi',
'Malaysia', 'Maldives', 'Mali', 'Malta',
'Marshall Islands, Rep. of the', 'Martinique',
'Mauritania, Islamic Rep. of', 'Mauritius', 'Mayotte', 'Mexico',
'Micronesia, Federated States of', 'Moldova, Rep. of', 'Monaco',
'Mongolia', 'Montenegro', 'Montserrat', 'Morocco',
'Mozambique, Rep. of', 'Myanmar', 'Namibia', 'Nauru, Rep. of',
'Nepal', 'Netherlands, The', 'New Caledonia', 'New Zealand',
'Nicaragua', 'Niger', 'Nigeria', 'Niue', 'Norfolk Island',
'North Macedonia, Republic of ', 'Norway', 'Oceania', 'Oman',
'Pakistan', 'Palau, Rep. of', 'Panama', 'Papua New Guinea',
'Paraguay', 'Peru', 'Philippines', 'Pitcairn Islands',
'Poland, Rep. of', 'Portugal', 'Puerto Rico', 'Qatar', 'Réunion',
'Romania', 'Russian Federation', 'Rwanda', 'Saint Helena',
'Saint Pierre and Miquelon', 'Samoa', 'San Marino, Rep. of',
'São Tomé and Príncipe, Dem. Rep. of', 'Saudi Arabia', 'Senegal',
'Serbia, Rep. of', 'Seychelles', 'Sierra Leone', 'Singapore',
'Slovak Rep.', 'Slovenia, Rep. of', 'Solomon Islands', 'Somalia',
'South Africa', 'South Sudan, Rep. of', 'Spain', 'Sri Lanka',
'St. Kitts and Nevis', 'St. Lucia',
'St. Vincent and the Grenadines', 'Sudan', 'Suriname',
'Svalbard Jan Mayen Islands', 'Sweden', 'Switzerland',
'Syrian Arab Rep.', 'Taiwan Province of China',
'Tajikistan, Rep. of', 'Tanzania, United Rep. of', 'Thailand',
'Timor-Leste, Dem. Rep. of', 'Togo', 'Tokelau', 'Tonga',
'Trinidad and Tobago', 'Tunisia', 'Tuvalu, Rep. of'
```

```
# Filter the DataFrame for rows where 'Country' is 'India'
india_data = df[df['Country'] == 'India']

# Find and print the null/missing values in the filtered DataFrame
print(india_data.isnull().sum())
print(india_data.isnull().sum().sum())
```

```
→ ObjectID      0
  Country       0
  ISO3          0
  Indicator     0
  Unit          0
  ..
  2019          0
  2020          0
  2021          0
  2022          0
  2023          0
Length: 72, dtype: int64
0
```

```
import matplotlib.pyplot as plt

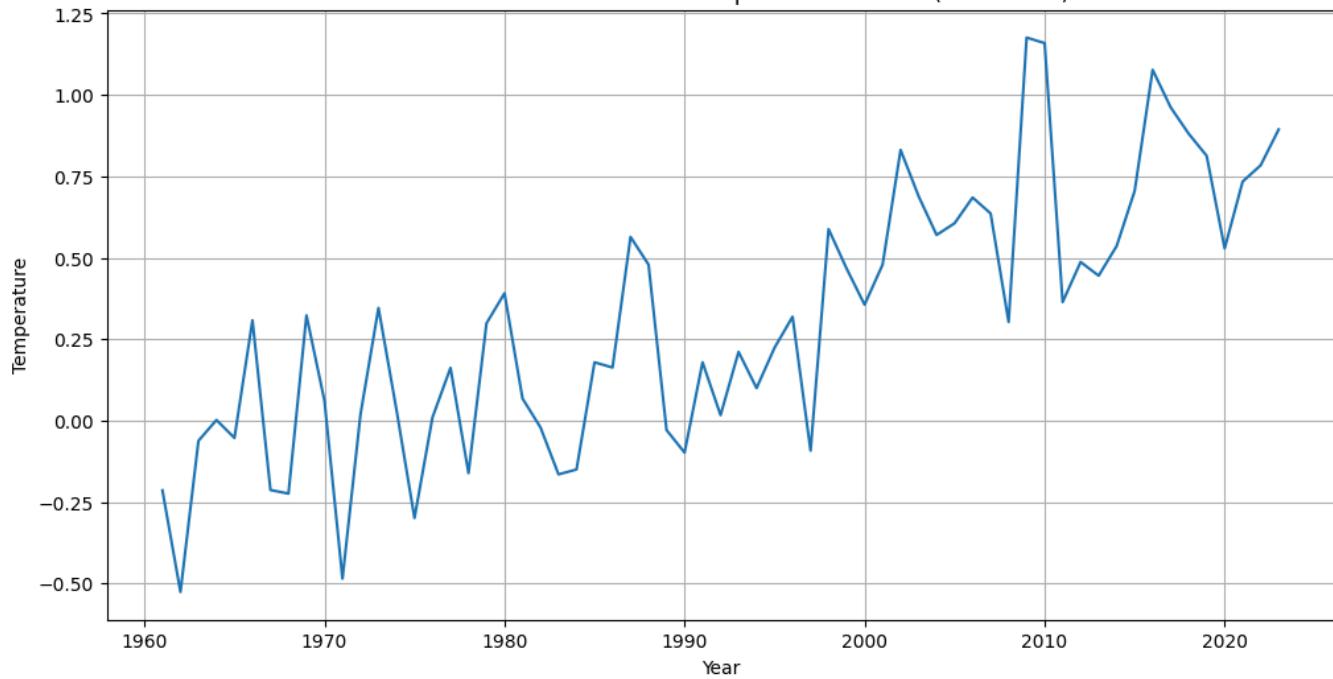
# Filter data for India
india_data = df[df['Country'] == 'India']
years = list(range(1961, 2024))
year_columns = [str(year) for year in years]

# Select temperatures for India for the specified years
temperatures = india_data.loc[india_data['Country'] == 'India', year_columns].values.flatten()
print(temperatures)

# Create the plot
plt.figure(figsize=(12, 6))
plt.plot(years, temperatures)
plt.xlabel('Year')
plt.ylabel('Temperature')
plt.title('Annual Mean Global Surface Temperature for India (1961-2023)')
plt.grid(True)
plt.show()
```

```
[[-0.214 -0.526 -0.062  0.002 -0.053  0.308 -0.213 -0.224  0.323  0.061
-0.485  0.019  0.346  0.033 -0.299  0.01  0.162 -0.161  0.299  0.391
0.068 -0.021 -0.165 -0.15   0.179  0.163  0.564  0.479 -0.029 -0.098
0.179  0.017  0.211  0.1    0.224  0.319 -0.092  0.588  0.467  0.356
0.479  0.831  0.689  0.57   0.606  0.685  0.636  0.303  1.176  1.159
0.364  0.487  0.445  0.536  0.705  1.077  0.962  0.881  0.813  0.529
0.734  0.784  0.894]]
```

Annual Mean Global Surface Temperature for India (1961-2023)



```
from sklearn.linear_model import LinearRegression

# Prepare the data for regression
X = [[year] for year in years]
y = temperatures

# Create and train the linear regression model
model = LinearRegression()
model.fit(X, y)

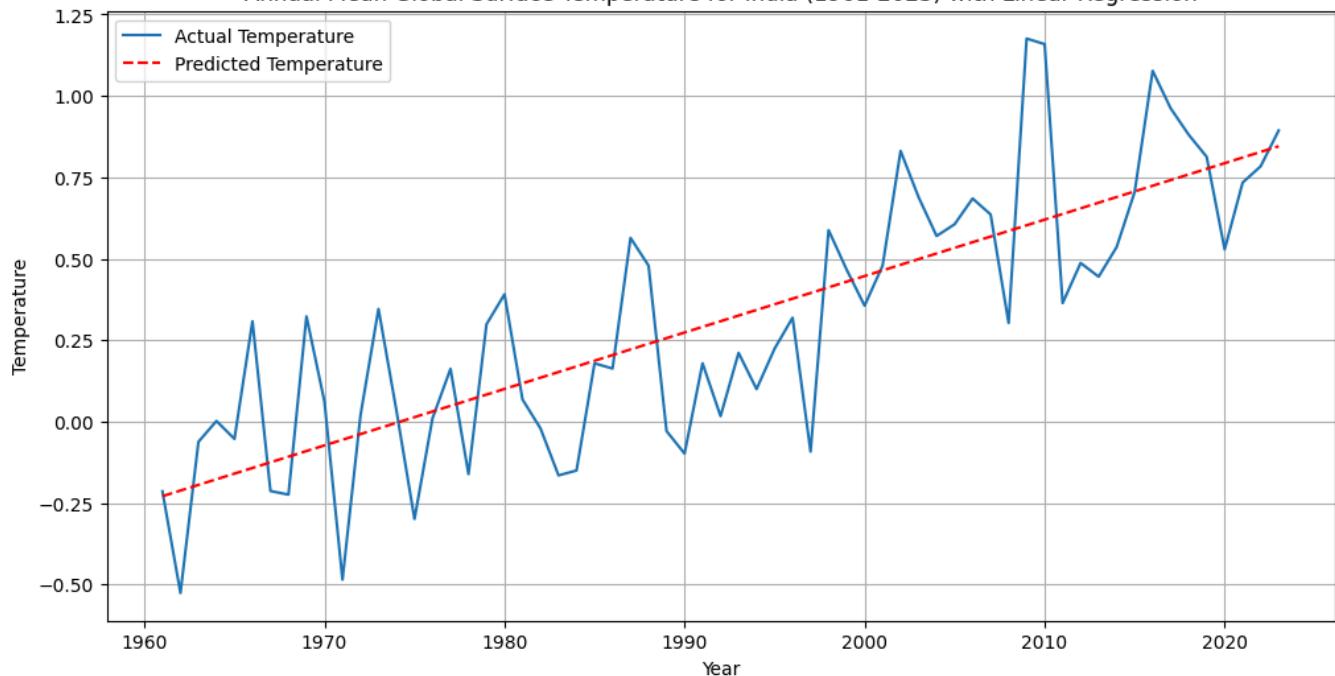
# Make predictions
y_pred = model.predict(X)

# Plot the actual and predicted temperatures
plt.figure(figsize=(12, 6))
plt.plot(years, temperatures, label='Actual Temperature')
plt.plot(years, y_pred, label='Predicted Temperature', linestyle='--', color='red')
plt.xlabel('Year')
plt.ylabel('Temperature')
plt.title('Annual Mean Global Surface Temperature for India (1961-2023) with Linear Regression')
plt.legend()
plt.grid(True)
plt.show()

# Print the model's coefficients
print(f"Intercept: {model.intercept_}")
print(f"Slope: {model.coef_[0]}")
```



Annual Mean Global Surface Temperature for India (1961-2023) with Linear Regression



Intercept: -34.21007232462878
Slope: 0.017328485023041476

```
# Predict temperatures for future years
future_years = [2024, 2025, 2030, 2040, 2050]
future_X = [[year] for year in future_years]
future_y_pred = model.predict(future_X)

# Plot the actual and predicted temperatures along with future predictions
plt.figure(figsize=(12, 6))
plt.plot(years, temperatures, label='Actual Temperature')
plt.plot(years, y_pred, label='Predicted Temperature (1961-2023)', linestyle='--', color='red')
plt.scatter(future_years, future_y_pred, color='red', label='Predicted Temperature (Future)', marker='x')
plt.xlabel('Year')
plt.ylabel('Temperature')
plt.title('Annual Mean Global Surface Temperature for India (1961-2050) with Linear Regression')
plt.legend()
plt.grid(True)

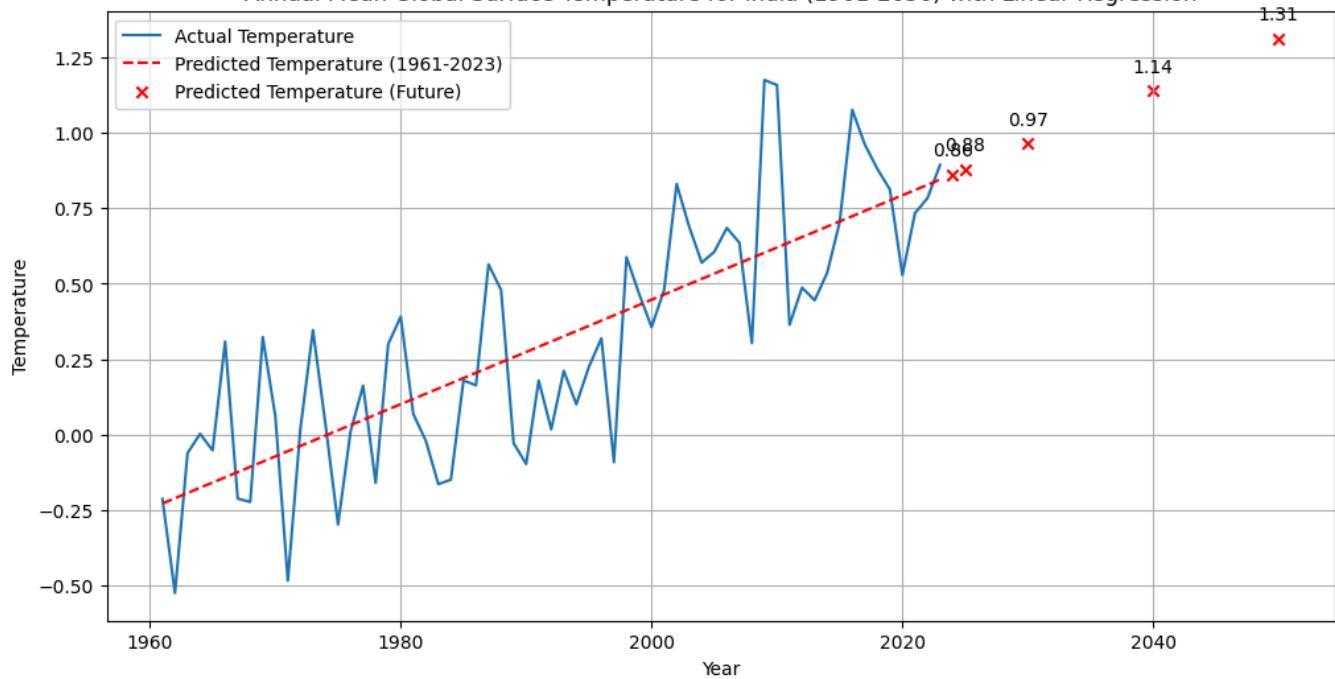
# Annotate the predicted future temperatures on the plot
for i, txt in enumerate(future_y_pred):
    plt.annotate(f'{txt:.2f}', (future_years[i], future_y_pred[i]), textcoords="offset points", xytext=(0,10), ha='center')

plt.show()

# Print the predicted future temperatures
for year, temp in zip(future_years, future_y_pred):
    print(f"Predicted temperature for {year}: {temp:.2f}")
```



Annual Mean Global Surface Temperature for India (1961-2050) with Linear Regression



Predicted temperature for 2024: 0.86
Predicted temperature for 2025: 0.88
Predicted temperature for 2030: 0.97
Predicted temperature for 2040: 1.14
Predicted temperature for 2050: 1.31

```
import numpy as np
from sklearn.metrics import mean_squared_error, mean_absolute_error
from scipy import stats

# Calculate Mean Squared Error (MSE)
mse = mean_squared_error(y, y_pred)
print(f"Mean Squared Error (MSE): {mse}")

# Calculate Root Mean Squared Error (RMSE)
rmse = np.sqrt(mse)
print(f"Root Mean Squared Error (RMSE): {rmse}")

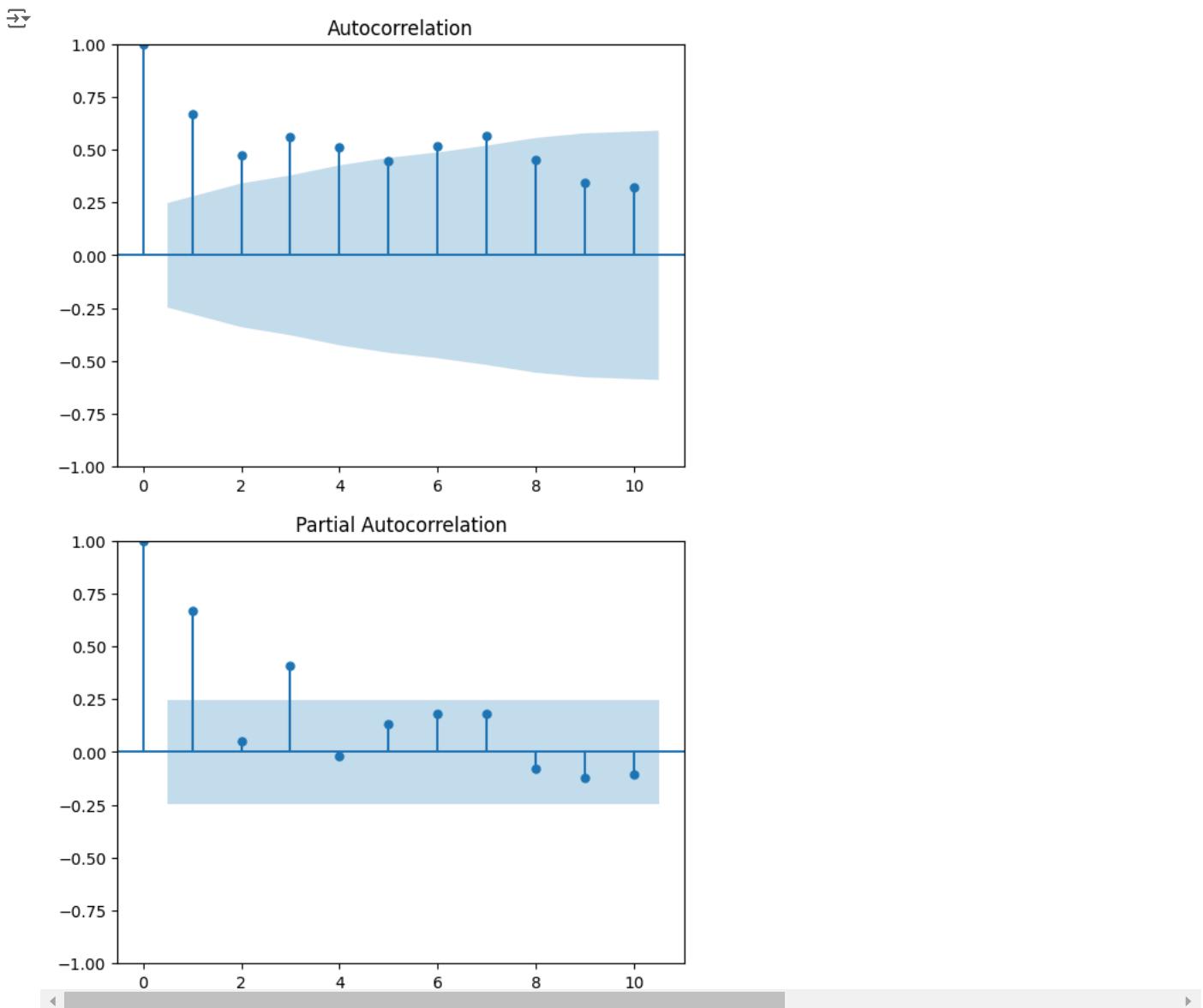
# Calculate Mean Absolute Error (MAE)
mae = mean_absolute_error(y, y_pred)
print(f"Mean Absolute Error (MAE): {mae}")
```

→ Mean Squared Error (MSE): 0.05746845380453541
Root Mean Squared Error (RMSE): 0.23972578877654238
Mean Absolute Error (MAE): 0.19309536559546114

```
from statsmodels.graphics.tsaplots import plot_acf, plot_pacf

# Plot ACF
plot_acf(temperatures, lags=10) # Adjust lags as needed
plt.show()

# Plot PACF
plot_pacf(temperatures, lags=10) # Adjust lags as needed
plt.show()
```



```

from statsmodels.tsa.stattools import adfuller

# Perform the ADF test
result = adfuller(temperatures, autolag='AIC')

print('ADF Statistic: %f' % result[0])
print('p-value: %f' % result[1])
print('Critical Values:')
for key, value in result[4].items():
    print('\t%s: %.3f' % (key, value))

# Interpret the results
if result[1] <= 0.05:
    print("Strong evidence against the null hypothesis")
    print("Reject the null hypothesis")
    print("Data is stationary")
else:
    print("Weak evidence against the null hypothesis")
    print("Fail to reject the null hypothesis")
    print("Data is non-stationary")

```

→ ADF Statistic: -0.333389
 p-value: 0.920641
 Critical Values:
 1%: -3.553
 5%: -2.915
 10%: -2.595
 Weak evidence against the null hypothesis
 Fail to reject the null hypothesis
 Data is non-stationary

```

best_d = None
best_p_value = 1 # Initialize with a high p-value

```

```

for d in range(4): # Try differencing up to 3 times (0 to 3)
    differenced_data = temperatures
    for _ in range(d):
        differenced_data = np.diff(differenced_data)
    if len(differenced_data) < 2:
        break # Stop if differencing results in too few data points

result = adfuller(differenced_data, autolag='AIC')
p_value = result[1]

if p_value < best_p_value:
    best_p_value = p_value
    best_d = d

print(f"\nBest d value found: {best_d} (p-value = {best_p_value:.4f})")

```

→ Best d value found: 1 (p-value = 0.0000)

```

!pip install pmdarima
from pmdarima import auto_arima

# Fit Auto-ARIMA
stepwise_fit = auto_arima(temperatures, trace=True, suppress_warnings=True)

# Print the best parameters and AIC
print(stepwise_fit.summary())

```

→ Collecting pmdarima
 Downloading pmdarima-2.0.4-cp310-cp310-manylinux_2_17_x86_64.manylinux2014_x86_64.manylinux_2_28_x86_64.whl.metadata (7.8 kB)
 Requirement already satisfied: joblib>=0.11 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.4.2)
 Requirement already satisfied: Cython!=0.29.18,!0.29.31,>=0.29 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (3.0.1)
 Requirement already satisfied: numpy>=1.21.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.26.4)
 Requirement already satisfied: pandas>=0.19 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2.2.2)
 Requirement already satisfied: scikit-learn>=0.22 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.5.2)
 Requirement already satisfied: scipy>=1.3.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.13.1)
 Requirement already satisfied: statsmodels>=0.13.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (0.14.4)
 Requirement already satisfied: urllib3 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2.2.3)
 Requirement already satisfied: setuptools!=50.0.0,>=38.6.0 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (75.1.0)
 Requirement already satisfied: packaging>=17.1 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (24.2)
 Requirement already satisfied: python-dateutil>=2.8.2 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2
 Requirement already satisfied: pytz>=2020.1 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2024.2)
 Requirement already satisfied: tzdata>=2022.7 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2024.2)
 Requirement already satisfied: threadpoolctl>=3.1.0 in /usr/local/lib/python3.10/dist-packages (from scikit-learn>=0.22->pmdarima)
 Requirement already satisfied: patsy>=0.5.6 in /usr/local/lib/python3.10/dist-packages (from statsmodels>=0.13.2->pmdarima) (1.0.
 Requirement already satisfied: six>=1.5 in /usr/local/lib/python3.10/dist-packages (from python-dateutil>=2.8.2->pandas>=0.19->p
 Downloading pmdarima-2.0.4-cp310-cp310-manylinux_2_17_x86_64.manylinux2014_x86_64.manylinux_2_28_x86_64.whl (2.1 MB)
 2.1/2.1 MB 36.9 MB/s eta 0:00:00

Installing collected packages: pmdarima

Successfully installed pmdarima-2.0.4

Performing stepwise search to minimize aic

ARIMA(2,1,2)(0,0,0)[0]	intercept : AIC=inf, Time=0.37 sec
ARIMA(0,1,0)(0,0,0)[0]	intercept : AIC=34.433, Time=0.03 sec
ARIMA(1,1,0)(0,0,0)[0]	intercept : AIC=32.350, Time=0.03 sec
ARIMA(0,1,1)(0,0,0)[0]	intercept : AIC=inf, Time=0.17 sec
ARIMA(0,1,0)(0,0,0)[0]	: AIC=32.640, Time=0.01 sec
ARIMA(2,1,0)(0,0,0)[0]	intercept : AIC=15.014, Time=0.07 sec
ARIMA(3,1,0)(0,0,0)[0]	intercept : AIC=16.852, Time=0.06 sec
ARIMA(2,1,1)(0,0,0)[0]	intercept : AIC=inf, Time=0.27 sec
ARIMA(1,1,1)(0,0,0)[0]	intercept : AIC=inf, Time=0.24 sec
ARIMA(3,1,1)(0,0,0)[0]	intercept : AIC=inf, Time=0.38 sec
ARIMA(2,1,0)(0,0,0)[0]	: AIC=14.030, Time=0.11 sec
ARIMA(1,1,0)(0,0,0)[0]	: AIC=30.723, Time=0.02 sec
ARIMA(3,1,0)(0,0,0)[0]	: AIC=15.942, Time=0.08 sec
ARIMA(2,1,1)(0,0,0)[0]	: AIC=12.772, Time=0.32 sec
ARIMA(1,1,1)(0,0,0)[0]	: AIC=16.582, Time=0.12 sec
ARIMA(3,1,1)(0,0,0)[0]	: AIC=13.417, Time=0.76 sec
ARIMA(2,1,2)(0,0,0)[0]	: AIC=inf, Time=2.16 sec
ARIMA(1,1,2)(0,0,0)[0]	: AIC=inf, Time=0.72 sec
ARIMA(3,1,2)(0,0,0)[0]	: AIC=inf, Time=1.45 sec

Best model: ARIMA(2,1,1)(0,0,0)[0]

Total fit time: 7.416 seconds

SARIMAX Results

```

=====
Dep. Variable:                      y      No. Observations:                  63
Model:                SARIMAX(2, 1, 1)   Log Likelihood:                    -2.386
Date:                Sat, 14 Dec 2024   AIC:                             12.772
Time:                            02:12:19     BIC:                            21.281
Sample:                           0 - 63   HQIC:                           16.113
Covariance Type:                 opg
=====
```

coef	std err	z	P> z	[0.025	0.975]
------	---------	---	------	--------	--------

```

!pip install pmdarima

import pmdarima as pm
from pmdarima import model_selection
import numpy as np
import matplotlib.pyplot as plt

# Split the data into training and testing sets
train_data, test_data = model_selection.train_test_split(temperatures, train_size=0.8)

# Fit an ARIMA model
arima_model = pm.ARIMA(order=(2,1,1))
arima_model.fit(train_data)

# Make predictions
n_periods = len(test_data)
predictions = arima_model.predict(n_periods=n_periods)

# Plot the results
plt.figure(figsize=(12, 6))
plt.plot(years[:len(train_data)], train_data, label='Training Data')
plt.plot(years[len(train_data):], test_data, label='Actual Temperature (Test)')
plt.plot(years[len(train_data):], predictions, label='Predicted Temperature (ARIMA)', linestyle='--', color='red')

plt.xlabel('Year')
plt.ylabel('Temperature')
plt.title('Annual Mean Global Surface Temperature for India (ARIMA)')
plt.legend()
plt.grid(True)
plt.show()

# Evaluate the model (example metrics)
from sklearn.metrics import mean_squared_error, mean_absolute_error

rmse = np.sqrt(mean_squared_error(test_data, predictions))
mae = mean_absolute_error(test_data, predictions)

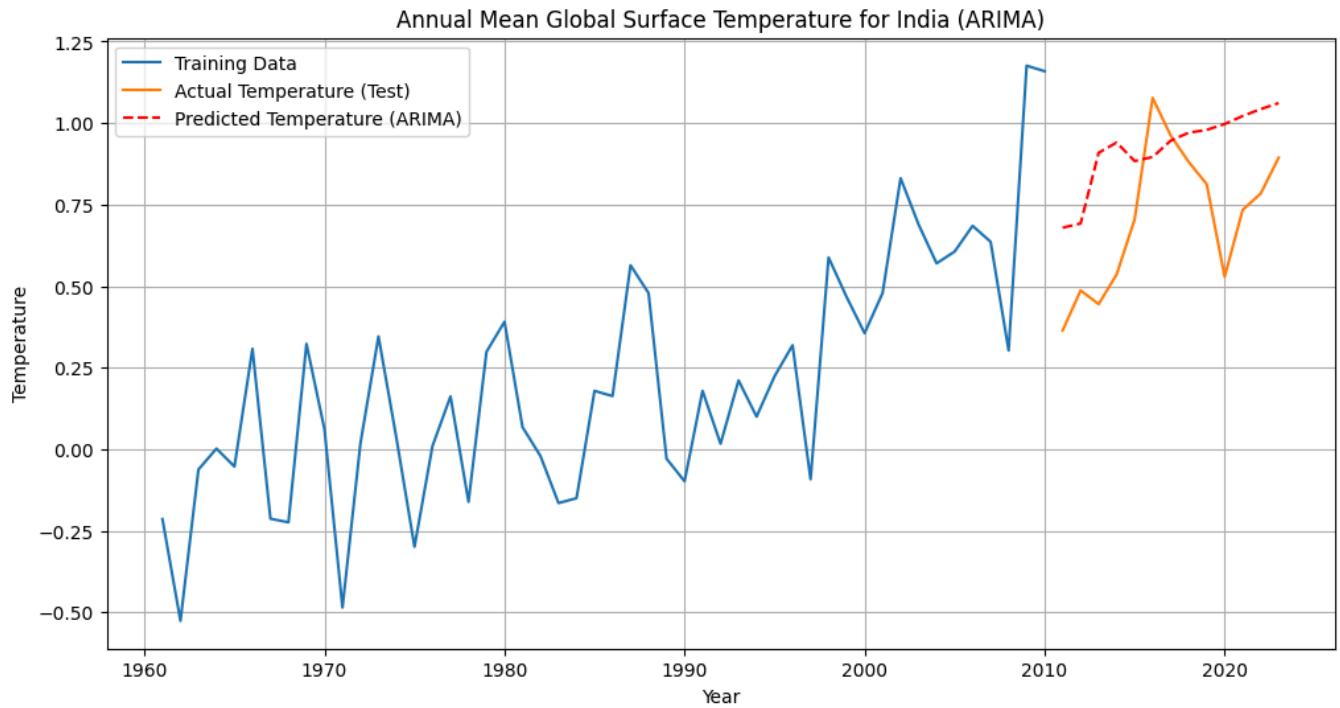
print(f"Root Mean Squared Error (RMSE): {rmse}")
print(f"Mean Absolute Error (MAE): {mae}")

```

```

Requirement already satisfied: pmdarima in /usr/local/lib/python3.10/dist-packages (2.0.4)
Requirement already satisfied: joblib>=0.11 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.4.2)
Requirement already satisfied: Cython!=0.29.18,!>=0.29 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (3.0.11)
Requirement already satisfied: numpy>=1.21.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.26.4)
Requirement already satisfied: pandas>=0.19 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2.2.2)
Requirement already satisfied: scikit-learn>=0.22 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.5.2)
Requirement already satisfied: scipy>=1.3.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.13.1)
Requirement already satisfied: statsmodels>=0.13.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (0.14.4)
Requirement already satisfied: urllib3 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2.2.3)
Requirement already satisfied: setuptools!=50.0.0,>=38.6.0 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (75.1.0)
Requirement already satisfied: packaging>=17.1 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (24.2)
Requirement already satisfied: python-dateutil>=2.8.2 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2.8)
Requirement already satisfied: pytz>=2020.1 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2024.2)
Requirement already satisfied: tzdata>=2022.7 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2024.2)
Requirement already satisfied: threadpoolctl>=3.1.0 in /usr/local/lib/python3.10/dist-packages (from scikit-learn>=0.22->pmdarima)
Requirement already satisfied: patsy>=0.5.6 in /usr/local/lib/python3.10/dist-packages (from statsmodels>=0.13.2->pmdarima) (1.0.1)
Requirement already satisfied: six>=1.5 in /usr/local/lib/python3.10/dist-packages (from python-dateutil>=2.8.2->pandas>=0.19->pmdarima)

```



Root Mean Squared Error (RMSE): 0.27978891549344265
Mean Absolute Error (MAE): 0.24630695281713907

```

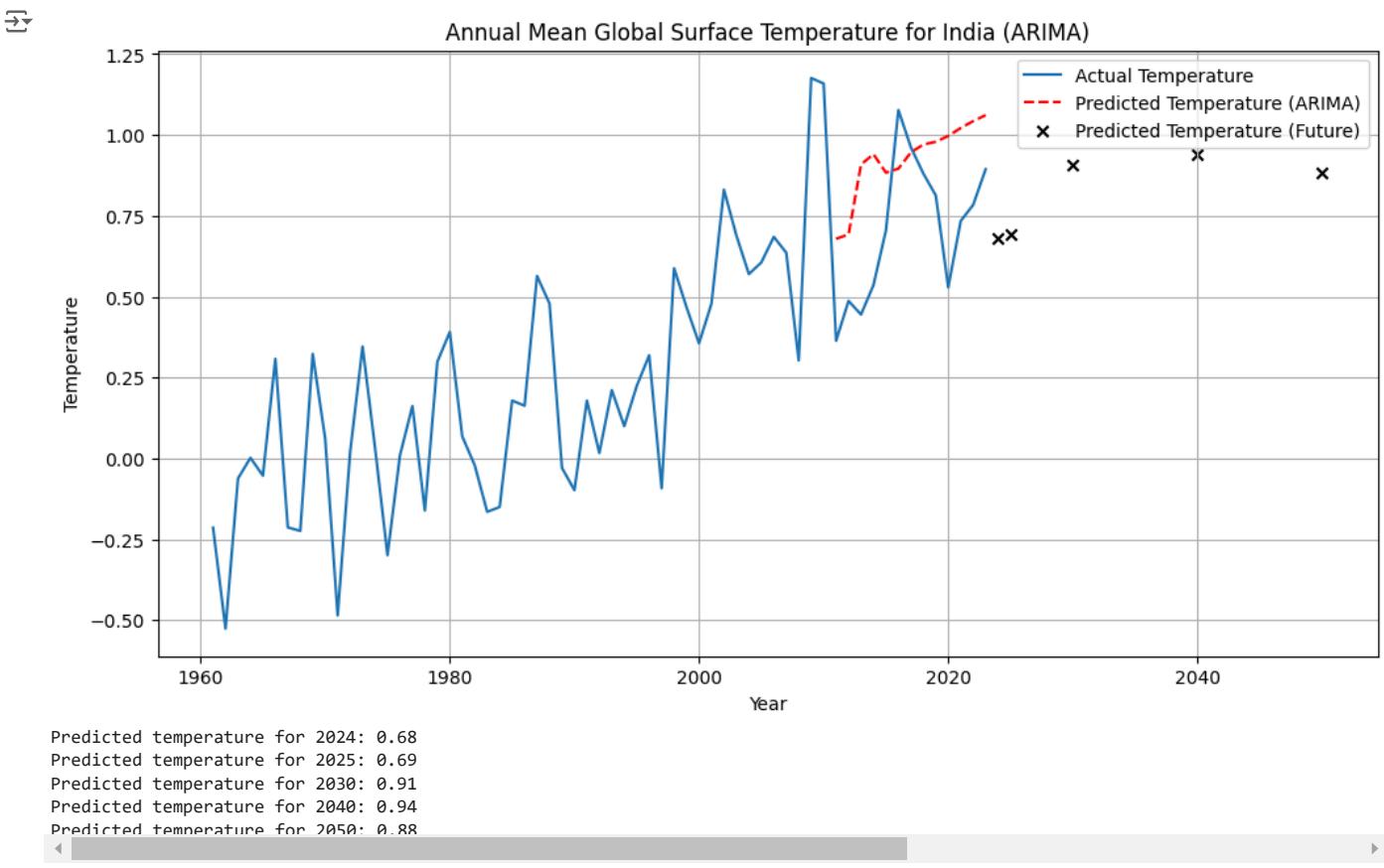
# Forecasting future values
future_years = [2024, 2025, 2030, 2040, 2050]
future_predictions = arima_model.predict(n_periods=len(future_years))

plt.figure(figsize=(12, 6))
plt.plot(years, temperatures, label='Actual Temperature')
plt.plot(years[len(train_data):], predictions, label='Predicted Temperature (ARIMA)', linestyle='--', color='red')
plt.scatter(future_years, future_predictions, color='black', label='Predicted Temperature (Future)', marker='x')

plt.xlabel('Year')
plt.ylabel('Temperature')
plt.title('Annual Mean Global Surface Temperature for India (ARIMA)')
plt.legend()
plt.grid(True)
plt.show()

for year, temp in zip(future_years, future_predictions):
    print(f"Predicted temperature for {year}: {temp:.2f}")

```



Pros:

Good for short-term forecasting

Only needs historical data

Models non-stationary data

Cons:

Not built for long-term forecasting

Poor at predicting turning points

Computationally expensive

Parameters are subjective

```
import tensorflow as tf
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import LSTM, Dense
import numpy as np
import matplotlib.pyplot as plt
timesteps = 7
X, y = [], []
for i in range(len(temperatures) - timesteps):
    X.append(temperatures[i:(i + timesteps)])
    y.append(temperatures[i + timesteps])
X = np.array(X).reshape(-1, timesteps, 1)
y = np.array(y)

# Split the data into training and testing sets
split_ratio = 0.8
split_index = int(len(X) * split_ratio)
X_train, X_test = X[:split_index], X[split_index:]
y_train, y_test = y[:split_index], y[split_index:]

# Build the LSTM model
model = Sequential()
model.add(LSTM(50, activation='relu', input_shape=(timesteps, 1)))
model.add(Dense(1))
model.compile(optimizer='adam', loss='mse')

# Train the model
model.fit(X_train, y_train, epochs=100, verbose=1)

# Make predictions
```

```

train_predict = model.predict(X_train)
test_predict = model.predict(X_test)

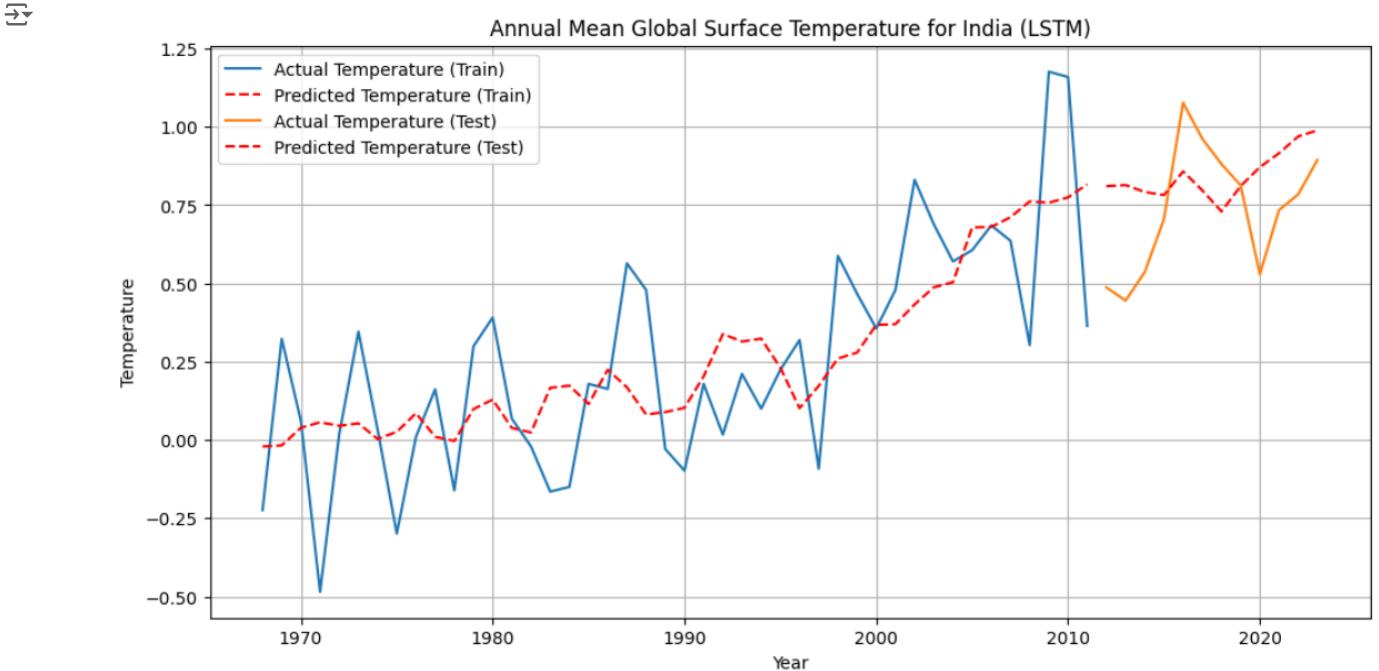
2/2 0s 10ms/step - loss: 0.0624
Epoch 74/100
2/2 0s 9ms/step - loss: 0.0648
Epoch 75/100
2/2 0s 9ms/step - loss: 0.0645
Epoch 76/100
2/2 0s 9ms/step - loss: 0.0644
Epoch 77/100
2/2 0s 8ms/step - loss: 0.0641
Epoch 78/100
2/2 0s 12ms/step - loss: 0.0699
Epoch 79/100
2/2 0s 11ms/step - loss: 0.0693
Epoch 80/100
2/2 0s 10ms/step - loss: 0.0681
Epoch 81/100
2/2 0s 11ms/step - loss: 0.0652
Epoch 82/100
2/2 0s 8ms/step - loss: 0.0688
Epoch 83/100
2/2 0s 9ms/step - loss: 0.0669
Epoch 84/100
2/2 0s 9ms/step - loss: 0.0644
Epoch 85/100
2/2 0s 9ms/step - loss: 0.0652
Epoch 86/100
2/2 0s 8ms/step - loss: 0.0623
Epoch 87/100
2/2 0s 10ms/step - loss: 0.0680
Epoch 88/100
2/2 0s 9ms/step - loss: 0.0653
Epoch 89/100
2/2 0s 9ms/step - loss: 0.0671
Epoch 90/100
2/2 0s 9ms/step - loss: 0.0645
Epoch 91/100
2/2 0s 9ms/step - loss: 0.0638
Epoch 92/100
2/2 0s 9ms/step - loss: 0.0671
Epoch 93/100
2/2 0s 9ms/step - loss: 0.0653
Epoch 94/100
2/2 0s 9ms/step - loss: 0.0642
Epoch 95/100
2/2 0s 9ms/step - loss: 0.0626
Epoch 96/100
2/2 0s 9ms/step - loss: 0.0639
Epoch 97/100
2/2 0s 9ms/step - loss: 0.0646
Epoch 98/100
2/2 0s 11ms/step - loss: 0.0644
Epoch 99/100
2/2 0s 11ms/step - loss: 0.0649
Epoch 100/100
2/2 0s 10ms/step - loss: 0.0633
2/2 0s 144ms/step
1/1 0s 19ms/step

```

```

# Plot the results
plt.figure(figsize=(12, 6))
plt.plot(years[timesteps:split_index+timesteps], y_train, label='Actual Temperature (Train)')
plt.plot(years[timesteps:split_index+timesteps], train_predict, label='Predicted Temperature (Train)', linestyle='--', color='red')
plt.plot(years[split_index:timesteps:], y_test, label='Actual Temperature (Test)')
plt.plot(years[split_index:timesteps:], test_predict, label='Predicted Temperature (Test)', linestyle='--', color='red')
plt.xlabel('Year')
plt.ylabel('Temperature')
plt.title('Annual Mean Global Surface Temperature for India (LSTM)')
plt.legend()
plt.grid(True)
plt.show()

```

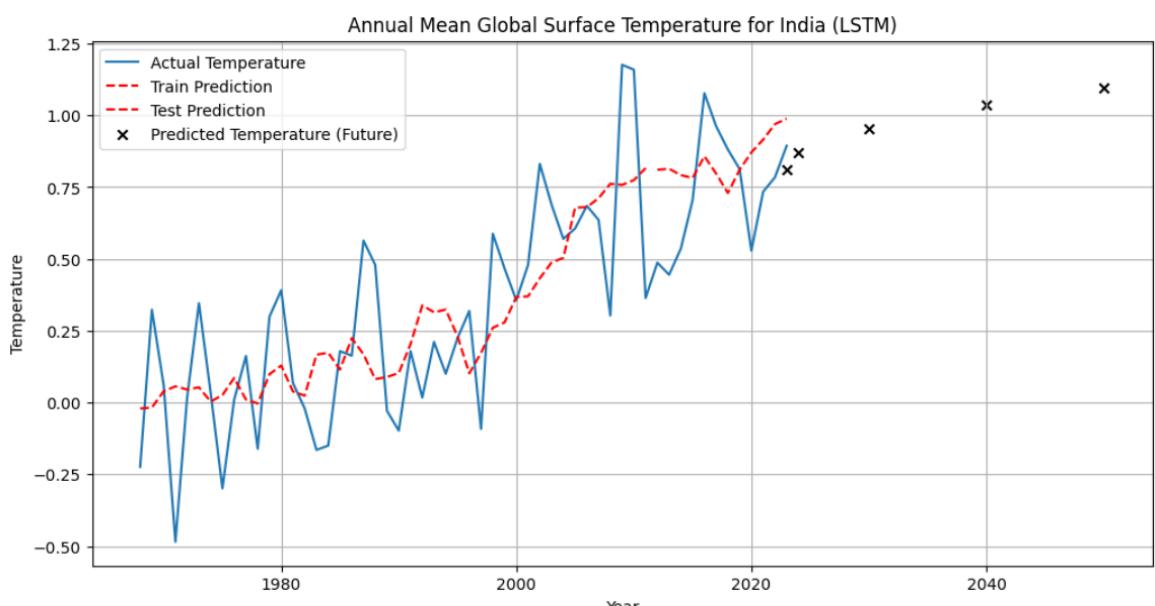


```
# Prepare future data for prediction
future_years = [2023, 2024, 2030, 2040, 2050]
future_X = []
last_sequence = X[-5] # Use the last sequence from the training data
for year in future_years:
    # Predict the next temperature in the sequence
    next_temp_pred = model.predict(np.array([last_sequence]))[0][0]

    # Append the prediction to the sequence (and remove the oldest value)
    new_sequence = np.append(last_sequence[1:], next_temp_pred)
    future_X.append(next_temp_pred)
    last_sequence = new_sequence.reshape(timesteps, 1)

# Plot the results
plt.figure(figsize=(12, 6))
plt.plot(years[timesteps:], y, label='Actual Temperature')
plt.plot(years[timesteps:len(train_predict)+timesteps], train_predict, label='Train Prediction', linestyle='--', color='red')
plt.plot(years[len(train_predict)+timesteps:], test_predict, label='Test Prediction', linestyle='--', color='red')
plt.scatter(future_years, future_X, color='black', label='Predicted Temperature (Future)', marker='x')
plt.xlabel('Year')
plt.ylabel('Temperature')
plt.title('Annual Mean Global Surface Temperature for India (LSTM)')
plt.legend()
plt.grid(True)
plt.show()

for year, temp in zip(future_years, future_X):
    print(f"Predicted temperature for {year}: {temp:.2f}")
```



Predicted temperature for 2023: 0.81
 Predicted temperature for 2024: 0.87
 Predicted temperature for 2030: 0.95
 Predicted temperature for 2040: 1.04
 Predicted temperature for 2050: 1.10

```
[24] # Evaluate the LSTM model
train_rmse = np.sqrt(mean_squared_error(y_train, train_predict))
test_rmse = np.sqrt(mean_squared_error(y_test, test_predict))

print(f'Train RMSE: {train_rmse}')
print(f'Test RMSE: {test_rmse}')

# Summarize the LSTM model
print(model.summary())
```

→ Train RMSE: 0.2517992425910778
 Test RMSE: 0.22429270695072184
 Model: "sequential"

Layer (type)	Output Shape	Param #
lstm (LSTM)	(None, 50)	10,400
dense (Dense)	(None, 1)	51

Total params: 31,355 (122.48 KB)
 Trainable params: 10,451 (40.82 KB)
 Non-trainable params: 0 (0.00 B)
 Optimizer params: 20,904 (81.66 KB)
 None

Atmospheric Co2 concentration Dataset

```
from google.colab import drive
drive.mount('/content/drive')

Drive already mounted at /content/drive; to attempt to forcibly remount, call drive.mount("/content/drive", force_remount=True).

import pandas as pd

# Assuming your dataset is in a CSV file named 'your_dataset.csv'
# Replace 'your_dataset.csv' with the actual filename and path
df = pd.read_csv('/content/drive/My Drive/Project sem1/Datasets/CO2.csv')

# Now you can work with the dataframe 'df'
print(df.head())
```

```
ObjectID Country ISO3 \n
0 1 World NaN WLD
1 2 World NaN WLD
2 3 World NaN WLD
3 4 World NaN WLD
4 5 World NaN WLD

Indicator Unit \
0 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
2 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
3 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
4 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million

Source CTS_Code \
0 Dr. Pieter Tans, National Oceanic and Atmosphe... ECCA
1 Dr. Pieter Tans, National Oceanic and Atmosphe... ECCA
2 Dr. Pieter Tans, National Oceanic and Atmosphe... ECCA
3 Dr. Pieter Tans, National Oceanic and Atmosphe... ECCA
4 Dr. Pieter Tans, National Oceanic and Atmosphe... ECCA

CTS_Name \
0 Atmospheric Carbon Dioxide Concentrations
1 Atmospheric Carbon Dioxide Concentrations
2 Atmospheric Carbon Dioxide Concentrations
3 Atmospheric Carbon Dioxide Concentrations
4 Atmospheric Carbon Dioxide Concentrations

CTS_Full_Descriptor Date Value
0 Environment, Climate Change, Climate and Weath... 1958M03 315.70
1 Environment, Climate Change, Climate and Weath... 1958M04 317.45
2 Environment, Climate Change, Climate and Weath... 1958M05 317.51
3 Environment, Climate Change, Climate and Weath... 1958M06 317.24
4 Environment, Climate Change, Climate and Weath... 1958M07 315.86
```

```
df = df.drop('ISO2', axis=1)
```

```
print(df.head())
```

```
ObjectID Country ISO3 Indicator \
0 1 World WLD Monthly Atmospheric Carbon Dioxide Concentrations
1 2 World WLD Monthly Atmospheric Carbon Dioxide Concentrations
2 3 World WLD Monthly Atmospheric Carbon Dioxide Concentrations
3 4 World WLD Monthly Atmospheric Carbon Dioxide Concentrations
4 5 World WLD Monthly Atmospheric Carbon Dioxide Concentrations

Unit Source \
0 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...
1 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...
2 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...
3 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...
4 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...

CTS_Code CTS_Name \
0 ECCA Atmospheric Carbon Dioxide Concentrations
1 ECCA Atmospheric Carbon Dioxide Concentrations
2 ECCA Atmospheric Carbon Dioxide Concentrations
3 ECCA Atmospheric Carbon Dioxide Concentrations
4 ECCA Atmospheric Carbon Dioxide Concentrations

CTS_Full_Descriptor Date Value
0 Environment, Climate Change, Climate and Weath... 1958M03 315.70
1 Environment, Climate Change, Climate and Weath... 1958M04 317.45
2 Environment, Climate Change, Climate and Weath... 1958M05 317.51
3 Environment, Climate Change, Climate and Weath... 1958M06 317.24
4 Environment, Climate Change, Climate and Weath... 1958M07 315.86
```

```
df.dtypes
```

```

    ↴          0
  ↓
  ObjectID      int64
  Country       object
  ISO3          object
  Indicator     object
  Unit          object
  Source         object
  CTS_Code      object
  CTS_Name      object
  CTS_Full_Descriptor  object
  Date          object
  Value         float64

  dtype: object

# Replace 'M' with '-' in the 'Date' column
df['Date'] = df['Date'].str.replace('M', '-')

# Convert to datetime objects
df['Date'] = pd.to_datetime(df['Date'], format='%Y-%m')

print(df.dtypes)
print(df.head())

```

→ ObjectID int64
 Country object
 ISO3 object
 Indicator object
 Unit object
 Source object
 CTS_Code object
 CTS_Name object
 CTS_Full_Descriptor object
 Date datetime64[ns]
 Value float64

dtype: object

	ObjectId	Country	ISO3	Indicator	Unit	Source	CTS_Code	CTS_Name	CTS_Full_Descriptor	Date	Value
0	1	World	WLD	Monthly Atmospheric Carbon Dioxide Concentrations			ECCA	Atmospheric Carbon Dioxide Concentrations	Environment, Climate Change, Climate and Weath...	1958-03-01	315.70
1	2	World	WLD	Monthly Atmospheric Carbon Dioxide Concentrations			ECCA	Atmospheric Carbon Dioxide Concentrations	Environment, Climate Change, Climate and Weath...	1958-04-01	317.45
2	3	World	WLD	Monthly Atmospheric Carbon Dioxide Concentrations			ECCA	Atmospheric Carbon Dioxide Concentrations	Environment, Climate Change, Climate and Weath...	1958-05-01	317.51
3	4	World	WLD	Monthly Atmospheric Carbon Dioxide Concentrations			ECCA	Atmospheric Carbon Dioxide Concentrations	Environment, Climate Change, Climate and Weath...	1958-06-01	317.24
4	5	World	WLD	Monthly Atmospheric Carbon Dioxide Concentrations			ECCA	Atmospheric Carbon Dioxide Concentrations	Environment, Climate Change, Climate and Weath...	1958-07-01	315.86

	Unit	Source
0	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmosphe...
1	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmosphe...
2	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmosphe...
3	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmosphe...
4	Parts Per Million	Dr. Pieter Tans, National Oceanic and Atmosphe...

	CTS_Code	CTS_Name
0	ECCA	Atmospheric Carbon Dioxide Concentrations
1	ECCA	Atmospheric Carbon Dioxide Concentrations
2	ECCA	Atmospheric Carbon Dioxide Concentrations
3	ECCA	Atmospheric Carbon Dioxide Concentrations
4	ECCA	Atmospheric Carbon Dioxide Concentrations

	CTS_Full_Descriptor	Date	Value
0	Environment, Climate Change, Climate and Weath...	1958-03-01	315.70
1	Environment, Climate Change, Climate and Weath...	1958-04-01	317.45
2	Environment, Climate Change, Climate and Weath...	1958-05-01	317.51
3	Environment, Climate Change, Climate and Weath...	1958-06-01	317.24
4	Environment, Climate Change, Climate and Weath...	1958-07-01	315.86

```

# Check for missing values
print(df.isnull().sum())

```

→ ObjectID 0
 Country 0
 ISO3 0
 Indicator 0
 Unit 0
 Source 0
 CTS_Code 0
 CTS_Name 0
 CTS_Full_Descriptor 0
 Date 0

```

Value          0
dtype: int64

# Remove rows where the 'Unit' column contains 'Percent'
df = df[~df['Unit'].str.contains('Percent')]
print(df.head(5))
print(df.tail(5))

→  ObjectID Country ISO3           Indicator \ 
  0      1   World  WLD Monthly Atmospheric Carbon Dioxide Concentrations
  1      2   World  WLD Monthly Atmospheric Carbon Dioxide Concentrations
  2      3   World  WLD Monthly Atmospheric Carbon Dioxide Concentrations
  3      4   World  WLD Monthly Atmospheric Carbon Dioxide Concentrations
  4      5   World  WLD Monthly Atmospheric Carbon Dioxide Concentrations

          Unit           Source \ 
  0 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...
  1 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...
  2 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...
  3 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...
  4 Parts Per Million Dr. Pieter Tans, National Oceanic and Atmosphe...

    CTS_Code           CTS_Name \ 
  0    ECCA  Atmospheric Carbon Dioxide Concentrations
  1    ECCA  Atmospheric Carbon Dioxide Concentrations
  2    ECCA  Atmospheric Carbon Dioxide Concentrations
  3    ECCA  Atmospheric Carbon Dioxide Concentrations
  4    ECCA  Atmospheric Carbon Dioxide Concentrations

          CTS_Full_Descriptor     Date  Value
  0 Environment, Climate Change, Climate and Weath... 1958-03-01  315.70
  1 Environment, Climate Change, Climate and Weath... 1958-04-01  317.45
  2 Environment, Climate Change, Climate and Weath... 1958-05-01  317.51
  3 Environment, Climate Change, Climate and Weath... 1958-06-01  317.24
  4 Environment, Climate Change, Climate and Weath... 1958-07-01  315.86

  ObjectID Country ISO3 \
1560      1561   World  WLD
1562      1563   World  WLD
1564      1565   World  WLD
1566      1567   World  WLD
1568      1569   World  WLD

          Indicator           Unit \
1560 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1562 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1564 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1566 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1568 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million

          Source CTS_Code \
1560 Dr. Pieter Tans, National Oceanic and Atmosphe...    ECCA
1562 Dr. Pieter Tans, National Oceanic and Atmosphe...    ECCA
1564 Dr. Pieter Tans, National Oceanic and Atmosphe...    ECCA
1566 Dr. Pieter Tans, National Oceanic and Atmosphe...    ECCA
1568 Dr. Pieter Tans, National Oceanic and Atmosphe...

          CTS_Name \
1560 Atmospheric Carbon Dioxide Concentrations
1562 Atmospheric Carbon Dioxide Concentrations
1564 Atmospheric Carbon Dioxide Concentrations
1566 Atmospheric Carbon Dioxide Concentrations
1568 Atmospheric Carbon Dioxide Concentrations

          CTS_Full_Descriptor     Date  Value
1560 Environment, Climate Change, Climate and Weath... 2023-09-01  418.51
1562 Environment, Climate Change, Climate and Weath... 2023-10-01  418.82

df = df[:-1] # removing last 0.68 1568th row

print(df.tail(5))

→  ObjectID Country ISO3 \
  1558      1559   World  WLD
  1560      1561   World  WLD
  1562      1563   World  WLD
  1564      1565   World  WLD
  1566      1567   World  WLD

          Indicator           Unit \
1558 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1560 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1562 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1564 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million
1566 Monthly Atmospheric Carbon Dioxide Concentrations Parts Per Million

          Source CTS_Code \
1558 Dr. Pieter Tans, National Oceanic and Atmosphe...    ECCA
1560 Dr. Pieter Tans, National Oceanic and Atmosphe...    ECCA

```

```

1562 Dr. Pieter Tans, National Oceanic and Atmospher... ECCA
1564 Dr. Pieter Tans, National Oceanic and Atmospher... ECCA
1566 Dr. Pieter Tans, National Oceanic and Atmospher... ECCA

```

```

          CTS_Name \
1558 Atmospheric Carbon Dioxide Concentrations
1560 Atmospheric Carbon Dioxide Concentrations
1562 Atmospheric Carbon Dioxide Concentrations
1564 Atmospheric Carbon Dioxide Concentrations
1566 Atmospheric Carbon Dioxide Concentrations

          CTS_Full_Descriptor      Date   Value
1558 Environment, Climate Change, Climate and Weath... 2023-08-01 419.68
1560 Environment, Climate Change, Climate and Weath... 2023-09-01 418.51
1562 Environment, Climate Change, Climate and Weath... 2023-10-01 418.82
1564 Environment, Climate Change, Climate and Weath... 2023-11-01 420.46
1566 Environment, Climate Change, Climate and Weath... 2023-12-01 421.86

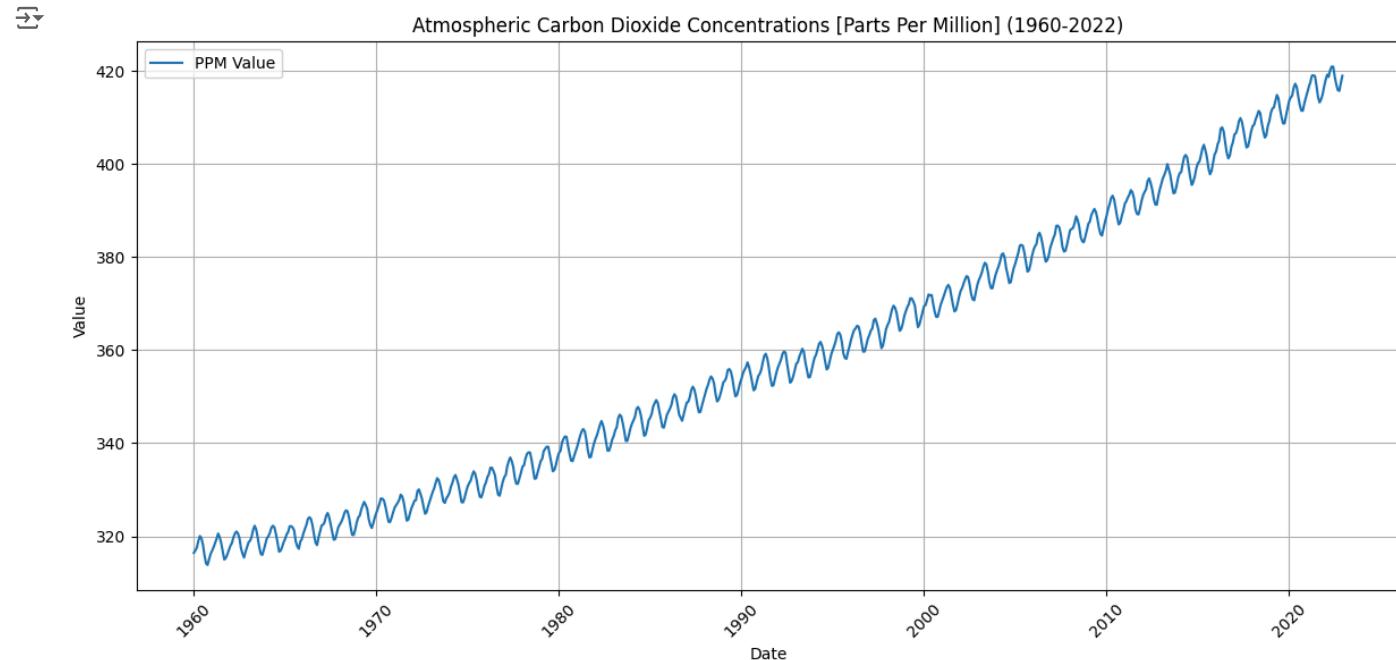
```

```

# Filter data for the specified period
df_filtered = df[(df['Date'] >= '1960-01-01') & (df['Date'] <= '2022-12-31')]
import matplotlib.pyplot as plt
import seaborn as sns
# Plot using seaborn
plt.figure(figsize=(12, 6))
sns.lineplot(x='Date', y='Value', data=df_filtered, label='PPM Value')

plt.xlabel('Date')
plt.ylabel('Value')
plt.title('Atmospheric Carbon Dioxide Concentrations [Parts Per Million] (1960-2022)')
plt.grid(True)
plt.xticks(rotation=45)
plt.legend()
plt.tight_layout()
plt.show()

```



```

import matplotlib.pyplot as plt
import seaborn as sns
from sklearn.linear_model import LinearRegression
from sklearn.model_selection import train_test_split

# Prepare the data for regression
df_filtered['Time'] = (df_filtered['Date'] - df_filtered['Date'].min()).dt.days
X = df_filtered[['Time']]
y = df_filtered['Value']

# Split the data into training and testing sets
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)

# Create and train the linear regression model

```

```

model = LinearRegression()
model.fit(X_train, y_train)

# Make predictions on the test set
y_pred = model.predict(X_test)

# Plot the regression line along with the original data
plt.figure(figsize=(12, 6))
sns.lineplot(x='Date', y='Value', data=df_filtered, label='Actual Values', alpha=0.7)
plt.plot(df_filtered['Date'], model.predict(X), color='red', label='Regression Line')

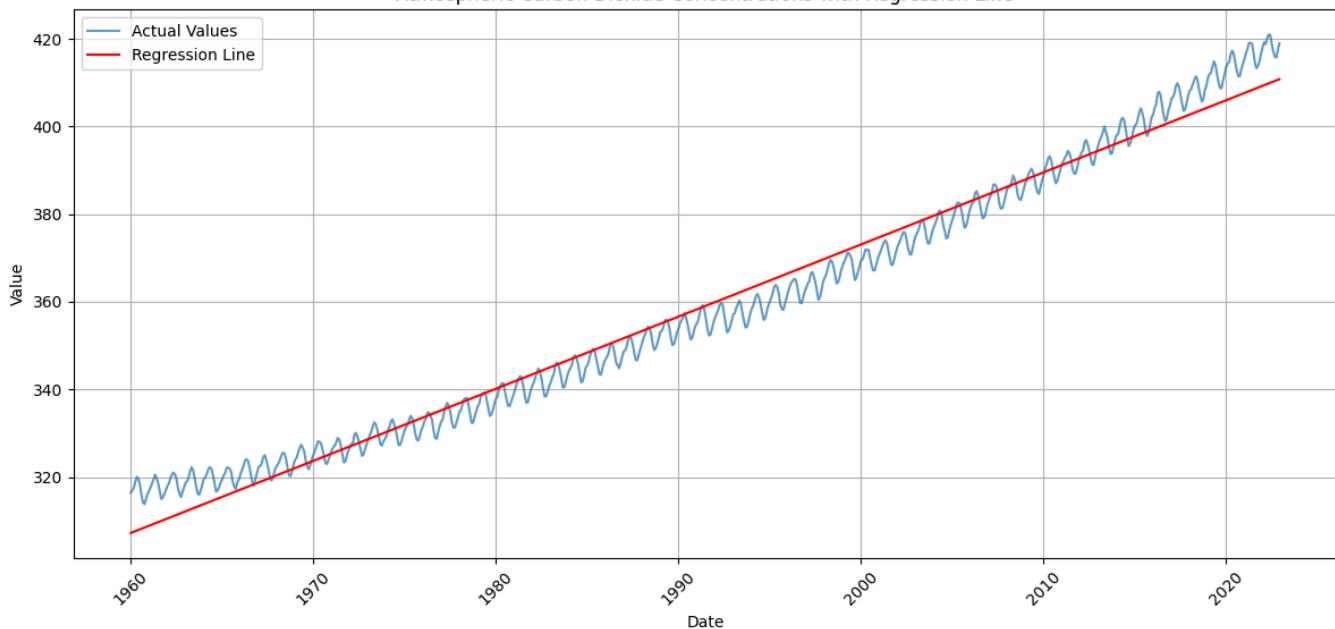
plt.xlabel('Date')
plt.ylabel('Value')
plt.title('Atmospheric Carbon Dioxide Concentrations with Regression Line')
plt.grid(True)
plt.xticks(rotation=45)
plt.legend()
plt.tight_layout()
plt.show()

```

→ <ipython-input-10-45ef6675554>:7: SettingWithCopyWarning:
A value is trying to be set on a copy of a slice from a DataFrame.
Try using .loc[row_indexer,col_indexer] = value instead

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user_guide/indexing.html#returning-a-view-versus
df_filtered['Time'] = (df_filtered['Date'] - df_filtered['Date'].min()).dt.days

Atmospheric Carbon Dioxide Concentrations with Regression Line



```

# Print the model's coefficients and intercept
print("Coefficients:", model.coef_)
print("Intercept:", model.intercept_)

# Evaluate the model (example using R-squared)
from sklearn.metrics import r2_score
r2 = r2_score(y_test, y_pred)*100
print(f"R-squared: {r2} %")

# You can add other evaluation metrics as needed, such as Mean Squared Error (MSE) or Mean Absolute Error (MAE)
from sklearn.metrics import mean_squared_error, mean_absolute_error
mse = mean_squared_error(y_test, y_pred)
mae = mean_absolute_error(y_test, y_pred)

print(f"Mean Squared Error: {mse}")
print(f"Mean Absolute Error: {mae}")

```

→ Coefficients: [0.00450561]
Intercept: 307.2485750703215
R-squared: 97.74697051786634 %
Mean Squared Error: 19.107936506686393
Mean Absolute Error: 3.6588814342312617

```

# Predict values for future years
future_dates = pd.to_datetime(['2023-12-31', '2024-12-31', '2030-12-31', '2040-12-31', '2050-12-31'])
# Changed the following line to get days attribute from the TimedeltaIndex
future_time = (future_dates - df_filtered['Date'].min()).days
future_predictions = model.predict(future_time.values.reshape(-1, 1))

# Create a DataFrame for future predictions
future_df = pd.DataFrame({'Date': future_dates, 'Value': future_predictions})

# Concatenate the original data and future predictions
combined_df = pd.concat([df_filtered, future_df], ignore_index=True)

# Plot the combined data
plt.figure(figsize=(12, 6))
sns.lineplot(x='Date', y='Value', data=combined_df, label='Actual Values', alpha=0.7)

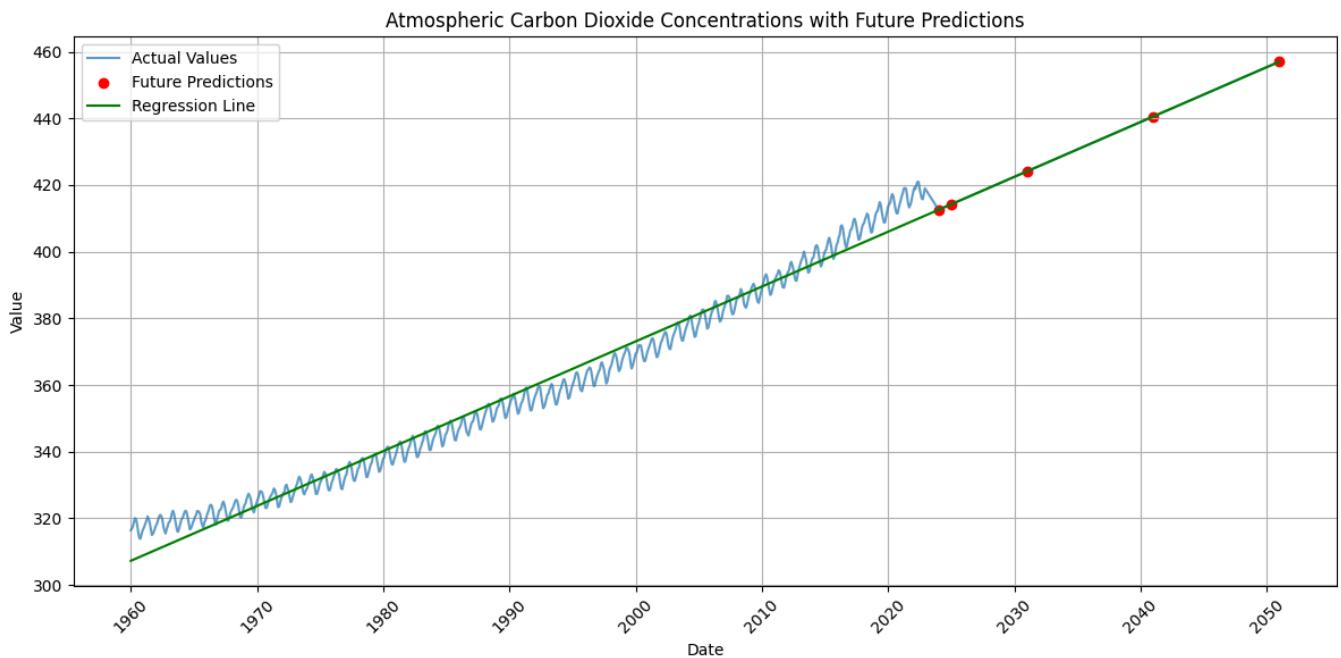
# Highlight the future predictions
plt.scatter(future_df['Date'], future_df['Value'], color='red', label='Future Predictions')

# Note: Ensure 'Time' column is available in combined_df, or adjust accordingly
plt.plot(combined_df['Date'], model.predict((combined_df['Date'] - combined_df['Date'].min()).dt.days.values.reshape(-1,1)), color='green')

plt.xlabel('Date')
plt.ylabel('Value')
plt.title('Atmospheric Carbon Dioxide Concentrations with Future Predictions')
plt.grid(True)
plt.xticks(rotation=45)
plt.legend()
plt.tight_layout()
plt.show()

```

→ /usr/local/lib/python3.10/dist-packages/sklearn/base.py:493: UserWarning: X does not have valid feature names, but LinearRegression
warnings.warn(
/usr/local/lib/python3.10/dist-packages/sklearn/base.py:493: UserWarning: X does not have valid feature names, but LinearRegression
warnings.warn(



```

# Predict values for future years
future_dates = pd.to_datetime(['2023-12-31', '2024-12-31', '2030-12-31', '2040-12-31', '2050-12-31'])
future_time = (future_dates - df_filtered['Date'].min()).days
future_predictions = model.predict(future_time.values.reshape(-1, 1))

print("Future Predictions:")
for date, prediction in zip(future_dates, future_predictions):
    print(f"Date: {date}, Predicted Value: {prediction}")

# Create a DataFrame for future predictions
future_df = pd.DataFrame({'Date': future_dates, 'Value': future_predictions})

```

→ Future Predictions:
Date: 2023-12-31 00:00:00, Predicted Value: 412.5672139719967

```

Date: 2024-12-31 00:00:00, Predicted Value: 414.2162673126603
Date: 2030-12-31 00:00:00, Predicted Value: 424.08805930554036
Date: 2040-12-31 00:00:00, Predicted Value: 440.5470534406342
Date: 2050-12-31 00:00:00, Predicted Value: 457.0015419655077
/usr/local/lib/python3.10/dist-packages/sklearn/base.py:493: UserWarning: X does not have valid feature names, but LinearRegression
warnings.warn(

```

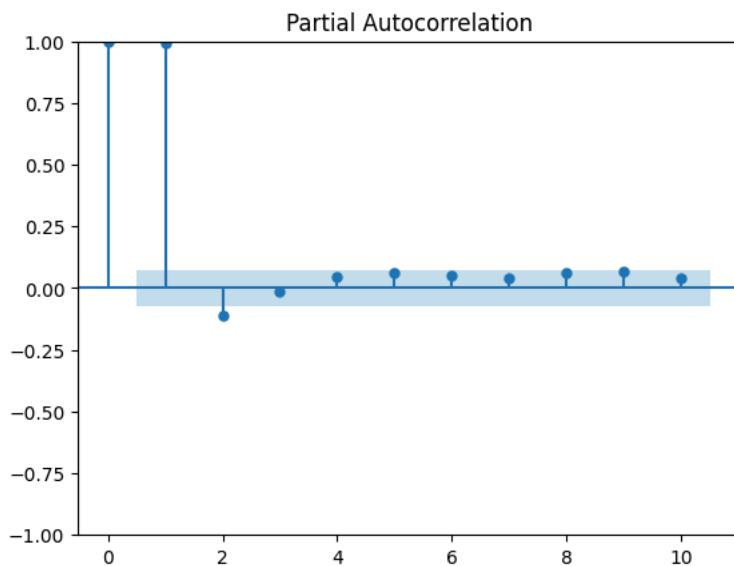
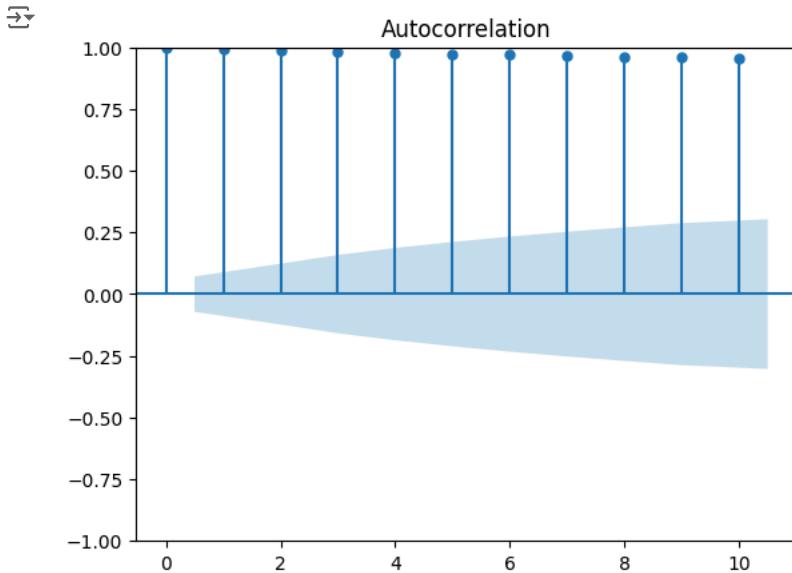
```

from statsmodels.graphics.tsaplots import plot_acf, plot_pacf

# Calculate ACF and PACF
plot_acf(df_filtered['Value'], lags=10) # Adjust lags as needed
plt.show()

plot_pacf(df_filtered['Value'], lags=10) # Adjust lags as needed
plt.show()

```



```

from statsmodels.tsa.stattools import adfuller

# Perform the Augmented Dickey-Fuller test
result = adfuller(df_filtered['Value'])

# Print the test results
print('ADF Statistic: %f' % result[0])
print('p-value: %f' % result[1])
print('Critical Values:')
for key, value in result[4].items():
    print('\t%s: %.3f' % (key, value))

# Interpret the results
p_value = result[1]
if p_value <= 0.05:
    print("The series is stationary (reject the null hypothesis)")
else:

```

```

print("The series is non-stationary (fail to reject the null hypothesis)")

p = p_value
q = result[0] #ADF Statistic

print(f"p-value: {p}")
print(f"ADF Statistic: {q}")

→ ADF Statistic: 5.075071
p-value: 1.000000
Critical Values:
 1%: -3.439
 5%: -2.865
 10%: -2.569
The series is non-stationary (fail to reject the null hypothesis)
p-value: 1.0
ADF Statistic: 5.075071484750594

```

```

import numpy as np
# Perform the Augmented Dickey-Fuller test
result = adfuller(df_filtered['Value'])
p_value = result[1]
adf_statistic = result[0]

print(f"Initial p-value: {p_value}")
print(f"Initial ADF Statistic: {adf_statistic}")

def adjust_data(data, d):
    #Example: differencing the data 'd' times
    adjusted_data = data.copy()
    for _ in range(d):
        adjusted_data = adjusted_data.diff().dropna()
    return adjusted_data

#Testing various differencing values
for d in range(1, 4): # Test d values from 1 to 3 (inclusive)
    adjusted_series = adjust_data(df_filtered['Value'],d)

    if len(adjusted_series)>0: #Check if the adjusted series is not empty after differencing.
        result_adjusted = adfuller(adjusted_series)
        p_value_adjusted = result_adjusted[1]
        adf_statistic_adjusted = result_adjusted[0]

        print(f"\nDifferencing order (d): {d}")
        print(f"Adjusted p-value: {p_value_adjusted}")
        print(f"Adjusted ADF Statistic: {adf_statistic_adjusted}")

        if p_value_adjusted <= 0.05:
            print(f"For d = {d}, the series is likely stationary.")
            break # Stop if stationary is found.
    else:
        print(f"\nDifferencing order (d): {d} leads to an empty series.")

→ Initial p-value: 1.0
Initial ADF Statistic: 5.075071484750594

Differencing order (d): 1
Adjusted p-value: 1.0477685570090106e-05
Adjusted ADF Statistic: -5.1625842162862385
For d = 1, the series is likely stationary.

```

```

!pip install pmdarima
from pmdarima import auto_arima

# Assuming 'df_filtered' and 'y' are defined as in the previous code
# Fit Auto-ARIMA
stepwise_fit = auto_arima(y, trace=True, suppress_warnings=True)

# Print the best model's parameters and AIC
print(stepwise_fit.summary())

```

```

→ Collecting pmdarima
  Downloading pmdarima-2.0.4-cp310-cp310-manylinux_2_17_x86_64.manylinux2014_x86_64.manylinux_2_28_x86_64.whl.metadata (7.8 kB)
Requirement already satisfied: joblib>=0.11 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.4.2)
Requirement already satisfied: Cython!=0.29.18,!=0.29.31,>=0.29 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (3.0.1)
Requirement already satisfied: numpy>=1.21.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.26.4)
Requirement already satisfied: pandas>=0.19 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2.2.2)
Requirement already satisfied: scikit-learn>=0.22 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.5.2)
Requirement already satisfied: scipy>=1.3.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.13.1)
Requirement already satisfied: statsmodels>=0.13.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (0.14.4)
Requirement already satisfied: urllib3 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2.2.3)
Requirement already satisfied: setuptools!=50.0.0,>=38.6.0 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (75.1.0)
Requirement already satisfied: packaging>=17.1 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (24.2)

```

```

Requirement already satisfied: python-dateutil>=2.8.2 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2.8.2)
Requirement already satisfied: pytz>=2020.1 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2024.2)
Requirement already satisfied: tzdata>=2022.7 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2024.2)
Requirement already satisfied: threadpoolctl>=3.1.0 in /usr/local/lib/python3.10/dist-packages (from scikit-learn>=0.22->pmdarima)
Requirement already satisfied: patsy>=0.5.6 in /usr/local/lib/python3.10/dist-packages (from statsmodels>=0.13.2->pmdarima) (1.0.2)
Requirement already satisfied: six>=1.5 in /usr/local/lib/python3.10/dist-packages (from python-dateutil>=2.8.2->pandas>=0.19->pmdarima)
Downloading pmdarima-2.0.4-cp310-cp310-manylinux_2_17_x86_64.manylinux2014_x86_64.manylinux_2_28_x86_64.whl (2.1 MB)
    2.1/2.1 MB 13.2 MB/s eta 0:00:00

Installing collected packages: pmdarima
Successfully installed pmdarima-2.0.4
Performing stepwise search to minimize aic
ARIMA(2,1,2)(0,0,0)[0] intercept : AIC=1510.855, Time=1.66 sec
ARIMA(0,1,0)(0,0,0)[0] intercept : AIC=2469.183, Time=0.04 sec
ARIMA(1,1,0)(0,0,0)[0] intercept : AIC=1961.209, Time=0.11 sec
ARIMA(0,1,1)(0,0,0)[0] intercept : AIC=2019.580, Time=0.23 sec
ARIMA(0,1,0)(0,0,0)[0] intercept : AIC=2476.216, Time=0.04 sec
ARIMA(1,1,2)(0,0,0)[0] intercept : AIC=1791.916, Time=0.31 sec
ARIMA(2,1,1)(0,0,0)[0] intercept : AIC=1509.595, Time=0.59 sec
ARIMA(1,1,0)(0,0,0)[0] intercept : AIC=1860.172, Time=0.24 sec
ARIMA(2,1,0)(0,0,0)[0] intercept : AIC=1755.361, Time=0.16 sec
ARIMA(3,1,1)(0,0,0)[0] intercept : AIC=1510.991, Time=0.93 sec
ARIMA(3,1,0)(0,0,0)[0] intercept : AIC=1681.833, Time=0.25 sec
ARIMA(3,1,2)(0,0,0)[0] intercept : AIC=1511.946, Time=1.73 sec
ARIMA(2,1,1)(0,0,0)[0] intercept : AIC=1606.290, Time=0.14 sec

Best model: ARIMA(2,1,1)(0,0,0)[0] intercept
Total fit time: 6.424 seconds
SARIMAX Results
=====
Dep. Variable: y No. Observations: 756
Model: SARIMAX(2, 1, 1) Log Likelihood: -749.798
Date: Thu, 12 Dec 2024 AIC: 1509.595
Time: 07:05:40 BIC: 1532.729
Sample: 0 HQIC: 1518.506
- 756
Covariance Type: opg
=====
            coef  std err      z  P>|z|   [0.025   0.975]
-----
intercept  0.0412  0.003  11.886  0.000   0.034   0.048
ar.L1      1.5441  0.022  70.329  0.000   1.501   1.587
ar.L2     -0.8465  0.023 -37.316  0.000  -0.891  -0.802
ma.L1     -0.8989  0.018 -49.566  0.000  -0.934  -0.863
sigma2     0.4251  0.022  19.561  0.000   0.382   0.468

```

```

from statsmodels.tsa.arima.model import ARIMA
import numpy as np

p = 2
d = 1
q = 1

# Fit the ARIMA model
model = ARIMA(df_filtered['Value'], order=(p, d, q))
model_fit = model.fit()

# Make predictions for future dates
future_predictions_arima = model_fit.predict(start=len(df_filtered), end=len(df_filtered) + len(future_dates) - 1)

# Create a DataFrame for future ARIMA predictions
future_df_arima = pd.DataFrame({'Date': future_dates, 'Value': future_predictions_arima})

print("Future Predictions using ARIMA:")
for date, prediction in zip(future_dates, future_predictions_arima):
    print(f"Date: {date}, Predicted Value: {prediction}")

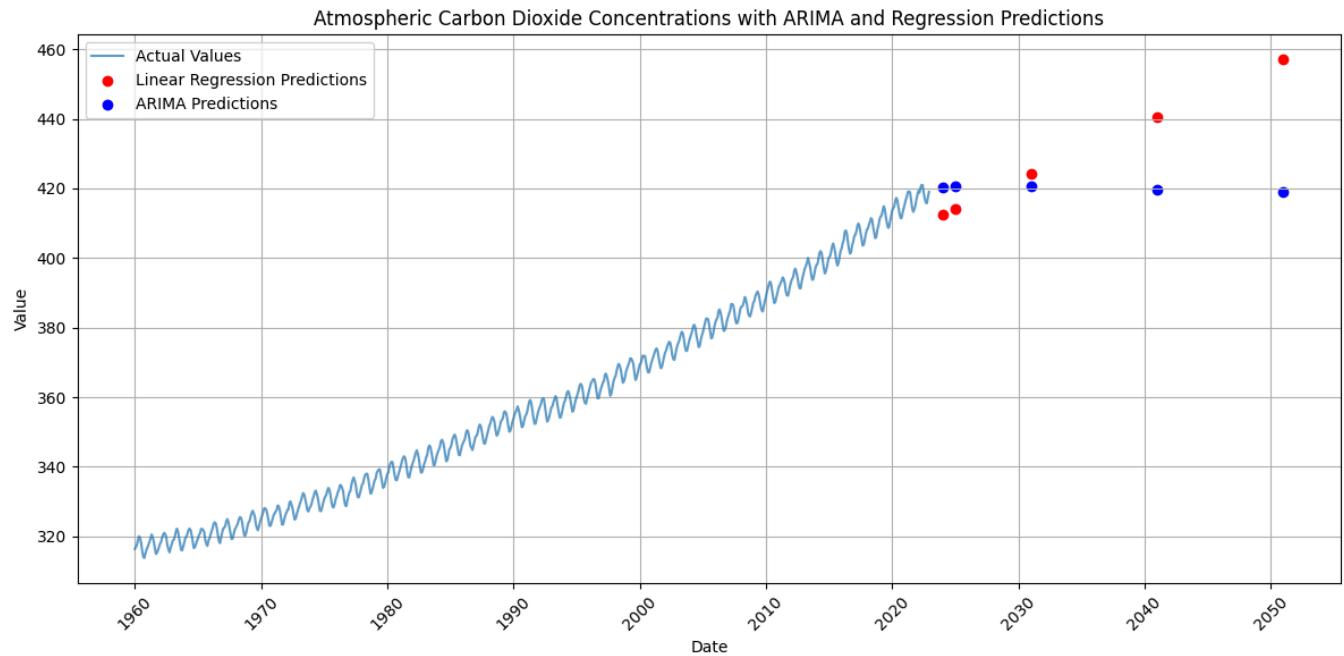
# Plot the combined data with ARIMA predictions
plt.figure(figsize=(12, 6))
sns.lineplot(x='Date', y='Value', data=df_filtered, label='Actual Values', alpha=0.7)
plt.scatter(future_df['Date'], future_df['Value'], color='red', label='Linear Regression Predictions')
plt.scatter(future_df_arima['Date'], future_df_arima['Value'], color='blue', label='ARIMA Predictions')
plt.xlabel('Date')
plt.ylabel('Value')
plt.title('Atmospheric Carbon Dioxide Concentrations with ARIMA and Regression Predictions')
plt.grid(True)
plt.xticks(rotation=45)
plt.legend()
plt.tight_layout()
plt.show()

```

```

/usr/local/lib/python3.10/dist-packages/statsmodels/tsa/base/tsa_model.py:473: ValueWarning: An unsupported index was provided. As a
  self._init_dates(dates, freq)
/usr/local/lib/python3.10/dist-packages/statsmodels/tsa/base/tsa_model.py:473: ValueWarning: An unsupported index was provided. As a
  self._init_dates(dates, freq)
/usr/local/lib/python3.10/dist-packages/statsmodels/tsa/base/tsa_model.py:473: ValueWarning: An unsupported index was provided. As a
  self._init_dates(dates, freq)
/usr/local/lib/python3.10/dist-packages/statsmodels/tsa/base/tsa_model.py:473: ValueWarning: No supported index is available. Predict
  return get_prediction_index()
/usr/local/lib/python3.10/dist-packages/statsmodels/tsa/base/tsa_model.py:837: FutureWarning: No supported index is available. In th
  return get_prediction_index()
Future Predictions using ARIMA:
Date: 2023-12-31 00:00:00, Predicted Value: 420.1446884419008
Date: 2024-12-31 00:00:00, Predicted Value: 420.6556712411023
Date: 2030-12-31 00:00:00, Predicted Value: 420.48374825519846
Date: 2040-12-31 00:00:00, Predicted Value: 419.7988454326123
Date: 2050-12-31 00:00:00, Predicted Value: 418.8932374688619

```



```

from sklearn.preprocessing import MinMaxScaler
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import LSTM, Dense

# Normalize the 'Value' column
scaler = MinMaxScaler()
df_filtered['Value_scaled'] = scaler.fit_transform(df_filtered['Value'].values.reshape(-1, 1))

# Prepare the data for LSTM
def create_dataset(dataset, look_back=1):
    X, Y = [], []
    for i in range(len(dataset)-look_back-1):
        a = dataset[i:(i+look_back), 0]
        X.append(a)
        Y.append(dataset[i + look_back, 0])
    return np.array(X), np.array(Y)

look_back = 10 # Adjust this value as needed
X, y = create_dataset(df_filtered['Value_scaled'].values.reshape(-1, 1), look_back)

# Reshape X for LSTM input
X = np.reshape(X, (X.shape[0], X.shape[1], 1))

# Split data into train and test sets
train_size = int(len(X) * 0.8)
test_size = len(X) - train_size
X_train, X_test = X[0:train_size,:], X[train_size:len(X),:]
y_train, y_test = y[0:train_size], y[train_size:len(y)]

# Create and train the LSTM model
model = Sequential()
model.add(LSTM(units=50, return_sequences=True, input_shape=(X_train.shape[1], 1)))
model.add(LSTM(units=50))

```

```

model.add(Dense(1))
model.compile(loss='mean_squared_error', optimizer='adam')
model.fit(X_train, y_train, epochs=50, batch_size=32, verbose=1) # Adjust epochs and batch_size

# Make predictions
train_predict = model.predict(X_train)
test_predict = model.predict(X_test)

# Inverse transform the predictions
train_predict = scaler.inverse_transform(train_predict)
y_train = scaler.inverse_transform([y_train])
test_predict = scaler.inverse_transform(test_predict)
y_test = scaler.inverse_transform([y_test])

# Plot the predictions
plt.figure(figsize=(12, 6))
plt.plot(scaler.inverse_transform(df_filtered['Value_scaled'].values.reshape(-1,1)), label='Actual')
plt.plot(np.concatenate((train_predict, test_predict)), label='Predicted')
plt.xlabel('Time')
plt.ylabel('CO2 Value')
plt.title('LSTM Predictions for CO2')
plt.legend()
plt.show()

→ <ipython-input-22-cae99dfa131d>:7: SettingWithCopyWarning:
  A value is trying to be set on a copy of a slice from a DataFrame.
  Try using .loc[row_indexer,col_indexer] = value instead

See the caveats in the documentation: https://pandas.pydata.org/pandas-docs/stable/user\_guide/indexing.html#returning-a-view-versus-copy
df_filtered['Value_scaled'] = scaler.fit_transform(df_filtered['Value'].values.reshape(-1, 1))
/usr/local/lib/python3.10/dist-packages/keras/src/layers/rnn/rnn.py:204: UserWarning: Do not pass an `input_shape`/`input_dim` argument to `RNN` if you are using a recurrent layer above it. Instead, use the recurrent layer's `state_size` argument to specify the input shape or dimension for the recurrent layer. If you are using a stateless layer above it, then pass `input_shape`/`input_dim` to that layer instead.
super().__init__(**kwargs)
Epoch 1/50
19/19 ━━━━━━━━ 6s 16ms/step - loss: 0.0578
Epoch 2/50
19/19 ━━━━━━ 0s 18ms/step - loss: 0.0045
Epoch 3/50
19/19 ━━━━ 1s 17ms/step - loss: 0.0011
Epoch 4/50
19/19 ━━━━ 1s 20ms/step - loss: 6.7726e-04
Epoch 5/50
19/19 ━━━━ 1s 21ms/step - loss: 7.0704e-04
Epoch 6/50
19/19 ━━━━ 0s 17ms/step - loss: 6.5038e-04
Epoch 7/50
19/19 ━━━━ 0s 9ms/step - loss: 6.7625e-04
Epoch 8/50
19/19 ━━━━ 0s 8ms/step - loss: 6.6186e-04
Epoch 9/50
19/19 ━━━━ 0s 8ms/step - loss: 7.3815e-04
Epoch 10/50
19/19 ━━━━ 0s 8ms/step - loss: 6.8707e-04
Epoch 11/50
19/19 ━━━━ 0s 14ms/step - loss: 6.4444e-04
Epoch 12/50
19/19 ━━━━ 0s 16ms/step - loss: 7.3039e-04
Epoch 13/50
19/19 ━━━━ 1s 15ms/step - loss: 7.4004e-04
Epoch 14/50
19/19 ━━━━ 0s 16ms/step - loss: 6.5039e-04
Epoch 15/50
19/19 ━━━━ 1s 13ms/step - loss: 6.5172e-04
Epoch 16/50
19/19 ━━━━ 0s 14ms/step - loss: 6.3937e-04
Epoch 17/50
19/19 ━━━━ 0s 14ms/step - loss: 6.6003e-04
Epoch 18/50
19/19 ━━━━ 0s 15ms/step - loss: 6.4712e-04
Epoch 19/50
19/19 ━━━━ 1s 13ms/step - loss: 6.5149e-04
Epoch 20/50
19/19 ━━━━ 0s 15ms/step - loss: 6.1914e-04
Epoch 21/50
19/19 ━━━━ 1s 10ms/step - loss: 6.7000e-04
Epoch 22/50
19/19 ━━━━ 0s 9ms/step - loss: 6.4874e-04
Epoch 23/50
19/19 ━━━━ 0s 9ms/step - loss: 6.8052e-04
Epoch 24/50
19/19 ━━━━ 0s 9ms/step - loss: 7.3382e-04
Epoch 25/50

future_dates = pd.to_datetime(['2023-12-31', '2024-12-31', '2030-12-31', '2040-12-31', '2050-12-31'])

future_time = (future_dates - df_filtered['Date'].min()).days
future_time_scaled = scaler.transform(future_time.values.reshape(-1, 1))

```

```

# Create sequences for future predictions
future_X = []
last_sequence = X[-1]

for i in range(len(future_dates)):
    last_sequence = np.append(last_sequence[1:], future_time_scaled[i])
    future_X.append(last_sequence)

future_X = np.array(future_X).reshape(len(future_dates), look_back, 1)

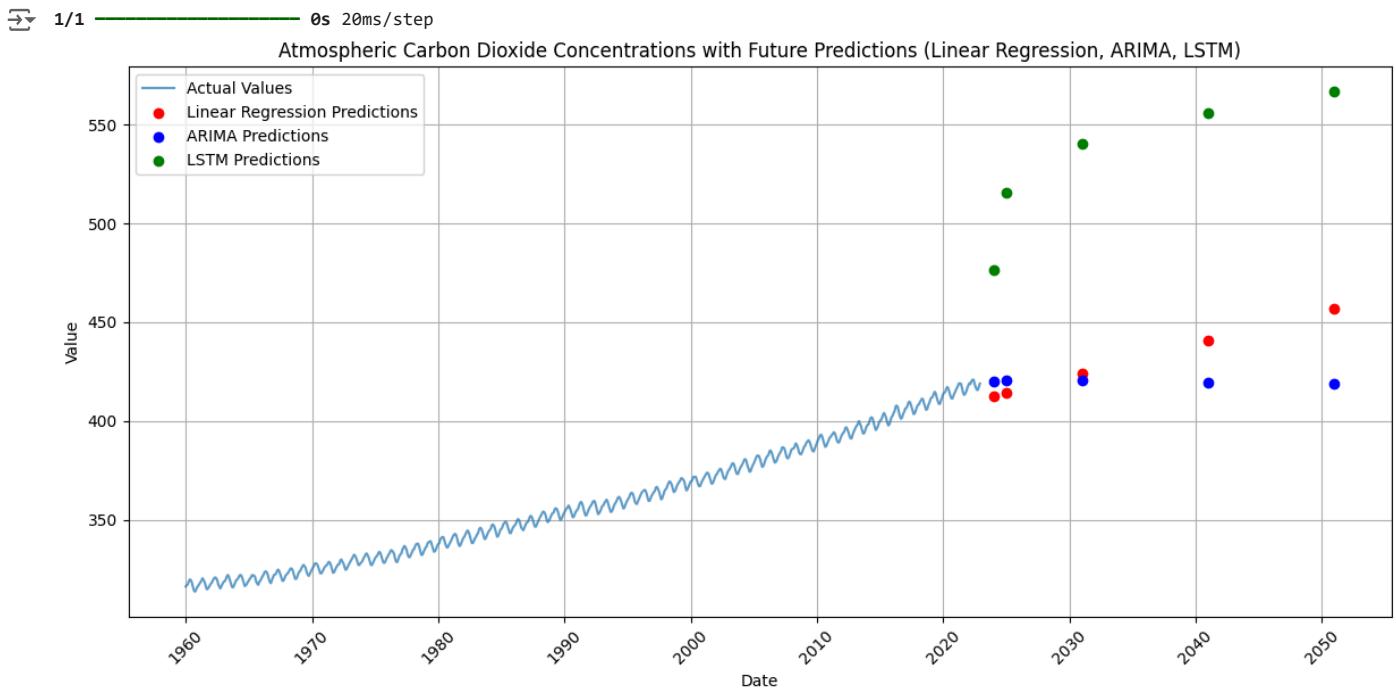
# Predict future values using LSTM
future_predictions_lstm = model.predict(future_X)

# Inverse transform to get actual values
future_predictions_lstm = scaler.inverse_transform(future_predictions_lstm)

# Create DataFrame for LSTM future predictions
future_df_lstm = pd.DataFrame({'Date': future_dates, 'Value': future_predictions_lstm.flatten()})

# Plot all predictions together
plt.figure(figsize=(12, 6))
sns.lineplot(x='Date', y='Value', data=df_filtered, label='Actual Values', alpha=0.7)
plt.scatter(future_df['Date'], future_df['Value'], color='red', label='Linear Regression Predictions')
plt.scatter(future_df_arima['Date'], future_df_arima['Value'], color='blue', label='ARIMA Predictions')
plt.scatter(future_df_lstm['Date'], future_df_lstm['Value'], color='green', label='LSTM Predictions')
plt.xlabel('Date')
plt.ylabel('Value')
plt.title('Atmospheric Carbon Dioxide Concentrations with Future Predictions (Linear Regression, ARIMA, LSTM)')
plt.grid(True)
plt.xticks(rotation=45)
plt.legend()
plt.tight_layout()
plt.show()

```



```
# Print the model summary LSTM
model.summary()
```

Model: "sequential"

Layer (type)	Output Shape	Param #
lstm (LSTM)	(None, 10, 50)	10,400
lstm_1 (LSTM)	(None, 50)	20,200
dense (Dense)	(None, 1)	51

Total params: 91,955 (359.20 KB)

Trainable params: 30,651 (119.73 KB)

Non-trainable params: 0 (0.00 B)

Optimizer params: 61,304 (239.47 KB)

Change in Mean Sea Level Dataset

```
from google.colab import drive
drive.mount('/content/drive')

Mounted at /content/drive

import pandas as pd

df = pd.read_csv('/content/drive/My Drive/Project sem1/Datasets/Change_in_Mean_Sea_Levels.csv')

# Now you can work with the dataframe 'df'
print(df.head())

ObjectID Country ISO2 ISO3 \
0 1 World NaN WLD
1 2 World NaN WLD
2 3 World NaN WLD
3 4 World NaN WLD
4 5 World NaN WLD

Indicator Unit \
0 Change in mean sea level: Sea level: TOPEX.Pos... Millimeters
1 Change in mean sea level: Sea level: TOPEX.Pos... Millimeters
2 Change in mean sea level: Sea level: TOPEX.Pos... Millimeters
3 Change in mean sea level: Sea level: TOPEX.Pos... Millimeters
4 Change in mean sea level: Sea level: TOPEX.Pos... Millimeters

Source CTS_Code \
0 National Oceanic and Atmospheric Administratio... ECCL
1 National Oceanic and Atmospheric Administratio... ECCL
2 National Oceanic and Atmospheric Administratio... ECCL
3 National Oceanic and Atmospheric Administratio... ECCL
4 National Oceanic and Atmospheric Administratio... ECCL

CTS_Name \
0 Change in Mean Sea Level
1 Change in Mean Sea Level
2 Change in Mean Sea Level
3 Change in Mean Sea Level
4 Change in Mean Sea Level

CTS_Full_Descriptor Measure \
0 Environment, Climate Change, Climate Indicator... Andaman Sea
1 Environment, Climate Change, Climate Indicator... Arabian Sea
2 Environment, Climate Change, Climate Indicator... Atlantic Ocean
3 Environment, Climate Change, Climate Indicator... Baltic Sea
4 Environment, Climate Change, Climate Indicator... Bay Bengal

Date Value
0 D12/17/1992 -10.34
1 D12/17/1992 -18.46
2 D12/17/1992 -15.41
3 D12/17/1992 196.85
4 D12/17/1992 3.27

df = df.drop('ISO2', axis=1)

print(df.head())

ObjectID Country ISO3 \
0 1 World WLD Change in mean sea level: Sea level: TOPEX.Pos...
1 2 World WLD Change in mean sea level: Sea level: TOPEX.Pos...
2 3 World WLD Change in mean sea level: Sea level: TOPEX.Pos...
3 4 World WLD Change in mean sea level: Sea level: TOPEX.Pos...
4 5 World WLD Change in mean sea level: Sea level: TOPEX.Pos...

Unit \
0 Millimeters National Oceanic and Atmospheric Administratio... ECCL
1 Millimeters National Oceanic and Atmospheric Administratio... ECCL
2 Millimeters National Oceanic and Atmospheric Administratio... ECCL
3 Millimeters National Oceanic and Atmospheric Administratio... ECCL
4 Millimeters National Oceanic and Atmospheric Administratio... ECCL

CTS_Name \
0 Change in Mean Sea Level
1 Change in Mean Sea Level
2 Change in Mean Sea Level
3 Change in Mean Sea Level
4 Change in Mean Sea Level

CTS_Full_Descriptor Measure \
0 Environment, Climate Change, Climate Indicator... Andaman Sea
1 Environment, Climate Change, Climate Indicator... Arabian Sea
2 Environment, Climate Change, Climate Indicator... Atlantic Ocean
3 Environment, Climate Change, Climate Indicator... Baltic Sea
4 Environment, Climate Change, Climate Indicator... Bay Bengal
```

```

      Date  Value
0  D12/17/1992 -10.34
1  D12/17/1992 -18.46
2  D12/17/1992 -15.41
3  D12/17/1992 196.85
4  D12/17/1992    3.27

```

```
df.dtypes
```

	0
ObjectId	int64
Country	object
ISO3	object
Indicator	object
Unit	object
Source	object
CTS_Code	object
CTS_Name	object
CTS_Full_Descriptor	object
Measure	object
Date	object
Value	float64

```
dtype: object
```

```

df['Date'] = pd.to_datetime(df['Date'].str.lstrip('D'), format='%m/%d/%Y', errors='coerce')

# Verify the updated data type
print(df.dtypes)

```

	0
ObjectId	int64
Country	object
ISO3	object
Indicator	object
Unit	object
Source	object
CTS_Code	object
CTS_Name	object
CTS_Full_Descriptor	object
Measure	object
Date	datetime64[ns]
Value	float64

```
print(df['Date'])
```

	0
0	1992-12-17
1	1992-12-17
2	1992-12-17
3	1992-12-17
4	1992-12-17
	...
35599	2022-11-08
35600	2022-11-08
35601	2022-11-08
35602	2022-11-08
35603	2022-11-08

```
Name: Date, Length: 35604, dtype: datetime64[ns]
```

```

unique_measures = df['Measure'].unique()
unique_measures

```

	0
array(['Andaman Sea', 'Arabian Sea', 'Atlantic Ocean', 'Baltic Sea', 'Bay Bengal', 'Caribbean Sea', 'Gulf Mexico', 'Indian Ocean', 'Indonesian', 'Mediterranean', 'Nino', 'North Pacific', 'North Sea', 'Pacific Ocean', 'Persian Gulf', 'Sea Japan', 'Sea Okhotsk', 'South China', 'Southern Ocean', 'Tropics', 'World', 'Yellow Sea', 'Adriatic Sea', 'Bering Sea', 'North Atlantic'],	dtype=object)

```

import matplotlib.pyplot as plt

plt.style.use('default')

```

```

# Create an empty dictionary to store the yearly changes
yearly_changes = {}

# Iterate over unique measures
for measure in unique_measures:
    yearly_changes[measure] = {}
    # Filter data for the current measure
    measure_df = df[df['Measure'] == measure]

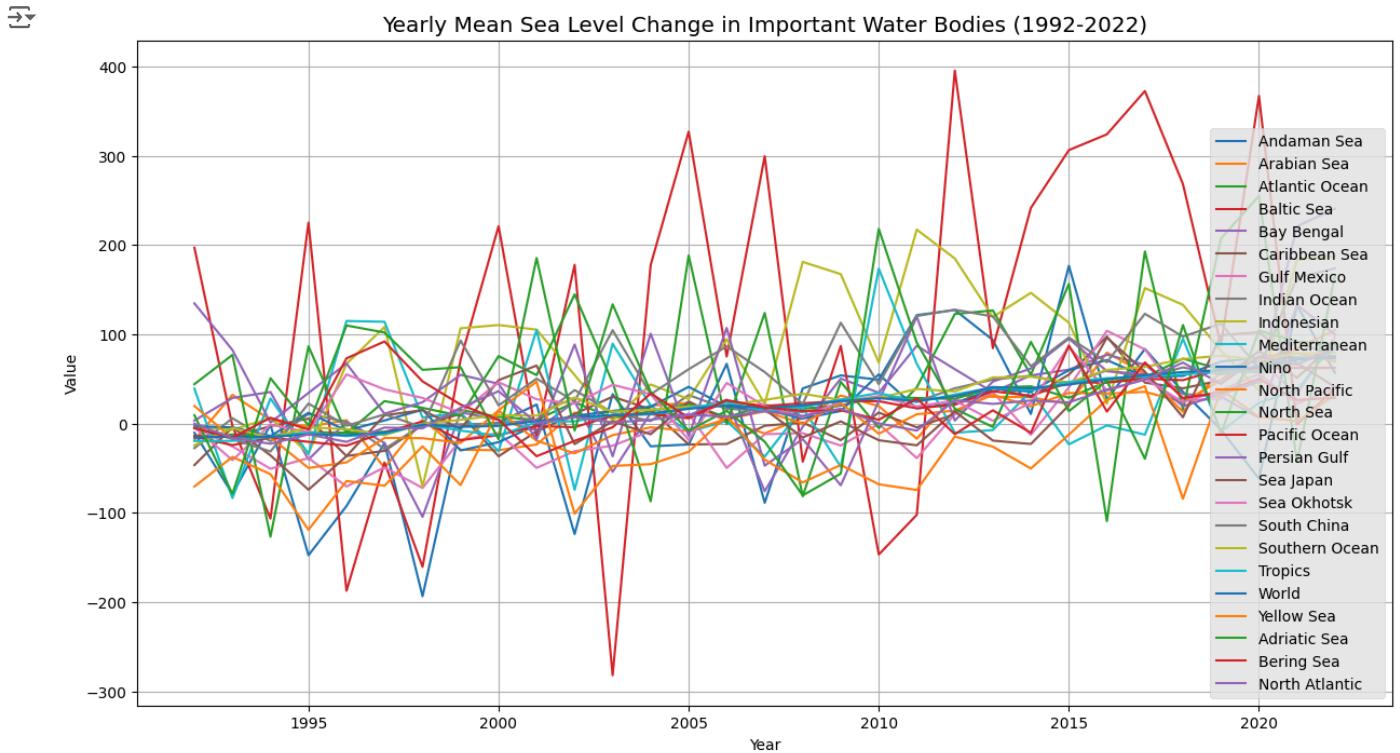
    # Iterate through years from 1992 to 2022
    for year in range(1992, 2023):
        # Filter data for the current year
        year_df = measure_df[measure_df['Date'].dt.year == year]

        # Check if data exists for the year. If not, add NaN.
        if not year_df.empty:
            yearly_changes[measure][year] = year_df['Value'].iloc[0]
        else:
            yearly_changes[measure][year] = float('nan')

# Plotting the yearly changes for each unique measure
plt.figure(figsize=(15, 8)) # Adjust the figure size as needed

for measure, values in yearly_changes.items():
    years = list(values.keys())
    changes = list(values.values())
    plt.plot(years, changes, label=measure)
with plt.style.context('ggplot'):
    plt.xlabel('Year')
    plt.ylabel('Value')
    plt.title('Yearly Mean Sea Level Change in Important Water Bodies (1992-2022)')
    plt.legend()
    plt.grid(True)
    plt.show()

```



```

import matplotlib.pyplot as plt

bay_of_bengal_data = yearly_changes.get('Bay Bengal', {})
arabian_sea_data = yearly_changes.get('Arabian Sea', {})
indian_ocean_data = yearly_changes.get('Indian Ocean', {})

plt.figure(figsize=(12, 6))

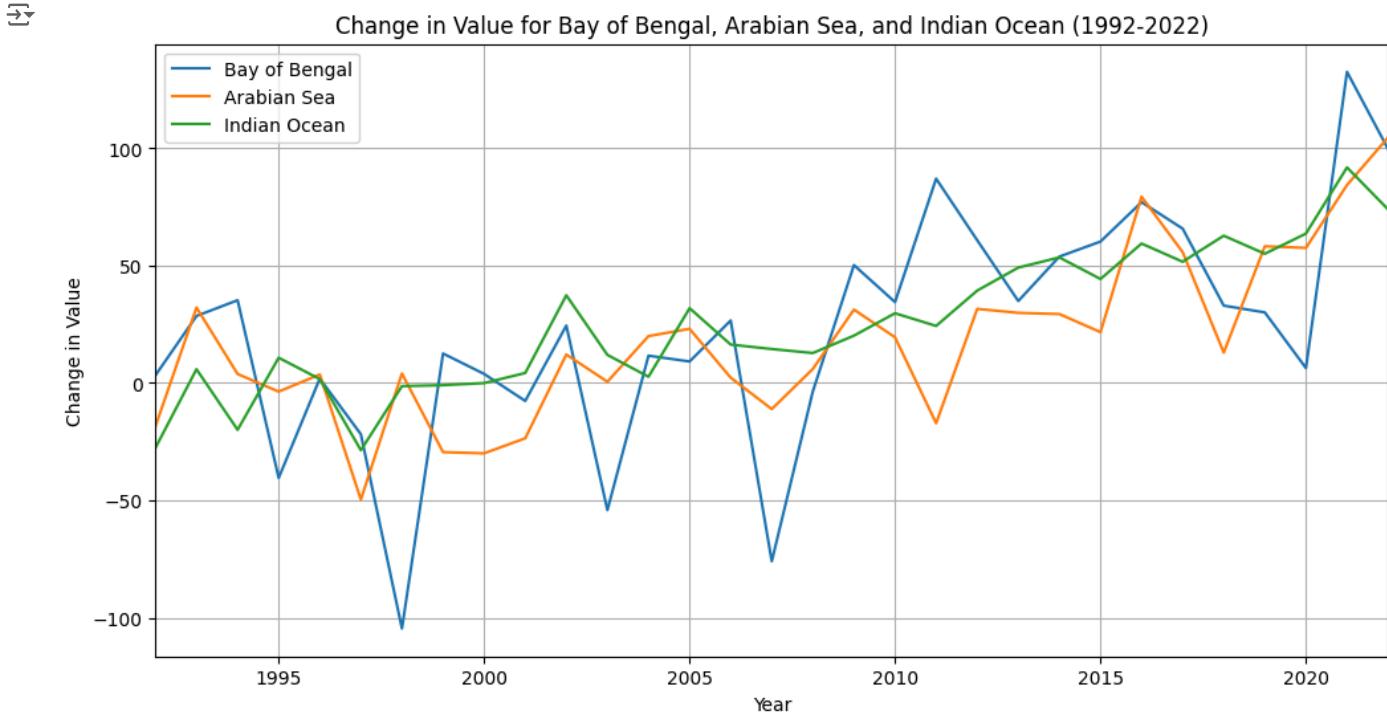
```

```

plt.plot(list(bay_of_bengal_data.keys()), list(bay_of_bengal_data.values()), label='Bay of Bengal')
plt.plot(list(arabian_sea_data.keys()), list(arabian_sea_data.values()), label='Arabian Sea')
plt.plot(list(indian_ocean_data.keys()), list(indian_ocean_data.values()), label='Indian Ocean')

plt.xlabel('Year')
plt.ylabel('Change in Value')
plt.title('Change in Value for Bay of Bengal, Arabian Sea, and Indian Ocean (1992-2022)')
plt.legend()
plt.grid(True)
plt.xlim(1992, 2022)
plt.show()

```



```

print(arabian_sea_data)

{1992: -18.46, 1993: 32.14, 1994: 3.84, 1995: -3.66, 1996: 3.64, 1997: -49.66, 1998: 4.04, 1999: -29.46, 2000: -29.96, 2001: -23.56, 2002: -10.1, 2003: -10.1, 2004: -10.1, 2005: -10.1, 2006: -10.1, 2007: -10.1, 2008: -10.1, 2009: -10.1, 2010: -10.1, 2011: -10.1, 2012: -10.1, 2013: -10.1, 2014: -10.1, 2015: -10.1, 2016: -10.1, 2017: -10.1, 2018: -10.1, 2019: -10.1, 2020: -10.1, 2021: -10.1, 2022: -10.1}

print(indian_ocean_data)

{1992: -27.63, 1993: 5.87, 1994: -19.93, 1995: 10.77, 1996: 1.67, 1997: -28.63, 1998: -1.33, 1999: -0.93, 2000: -0.03, 2001: 4.27, 2002: -1.33, 2003: -1.33, 2004: -1.33, 2005: -1.33, 2006: -1.33, 2007: -1.33, 2008: -1.33, 2009: -1.33, 2010: -1.33, 2011: -1.33, 2012: -1.33, 2013: -1.33, 2014: -1.33, 2015: -1.33, 2016: -1.33, 2017: -1.33, 2018: -1.33, 2019: -1.33, 2020: -1.33, 2021: -1.33, 2022: -1.33}

print(bay_of_bengal_data)

{1992: 3.27, 1993: 28.57, 1994: 35.27, 1995: -40.43, 1996: 1.87, 1997: -21.83, 1998: -104.63, 1999: 12.57, 2000: 3.87, 2001: -7.63, 2002: -10.1, 2003: -10.1, 2004: -10.1, 2005: -10.1, 2006: -10.1, 2007: -10.1, 2008: -10.1, 2009: -10.1, 2010: -10.1, 2011: -10.1, 2012: -10.1, 2013: -10.1, 2014: -10.1, 2015: -10.1, 2016: -10.1, 2017: -10.1, 2018: -10.1, 2019: -10.1, 2020: -10.1, 2021: -10.1, 2022: -10.1}

import statsmodels.api as sm

bay_of_bengal_data = yearly_changes.get('Bay Bengal', {})
arabian_sea_data = yearly_changes.get('Arabian Sea', {})
indian_ocean_data = yearly_changes.get('Indian Ocean', {})

# Function to perform linear regression and return the regression line
def get_regression_line(data):
    years = list(data.keys())
    values = list(data.values())

    # Remove NaN values
    valid_indices = [i for i, val in enumerate(values) if not pd.isna(val)]
    years_valid = [years[i] for i in valid_indices]
    values_valid = [values[i] for i in valid_indices]

    X = sm.add_constant(years_valid) # Add a constant for the intercept
    model = sm.OLS(values_valid, X).fit()
    return model.params[0], model.params[1]

# Get regression lines for each dataset

```

```

intercept_bay, slope_bay = get_regression_line(bay_of_bengal_data)
intercept_arabian, slope_arabian = get_regression_line(arabian_sea_data)
intercept_indian, slope_indian = get_regression_line(indian_ocean_data)

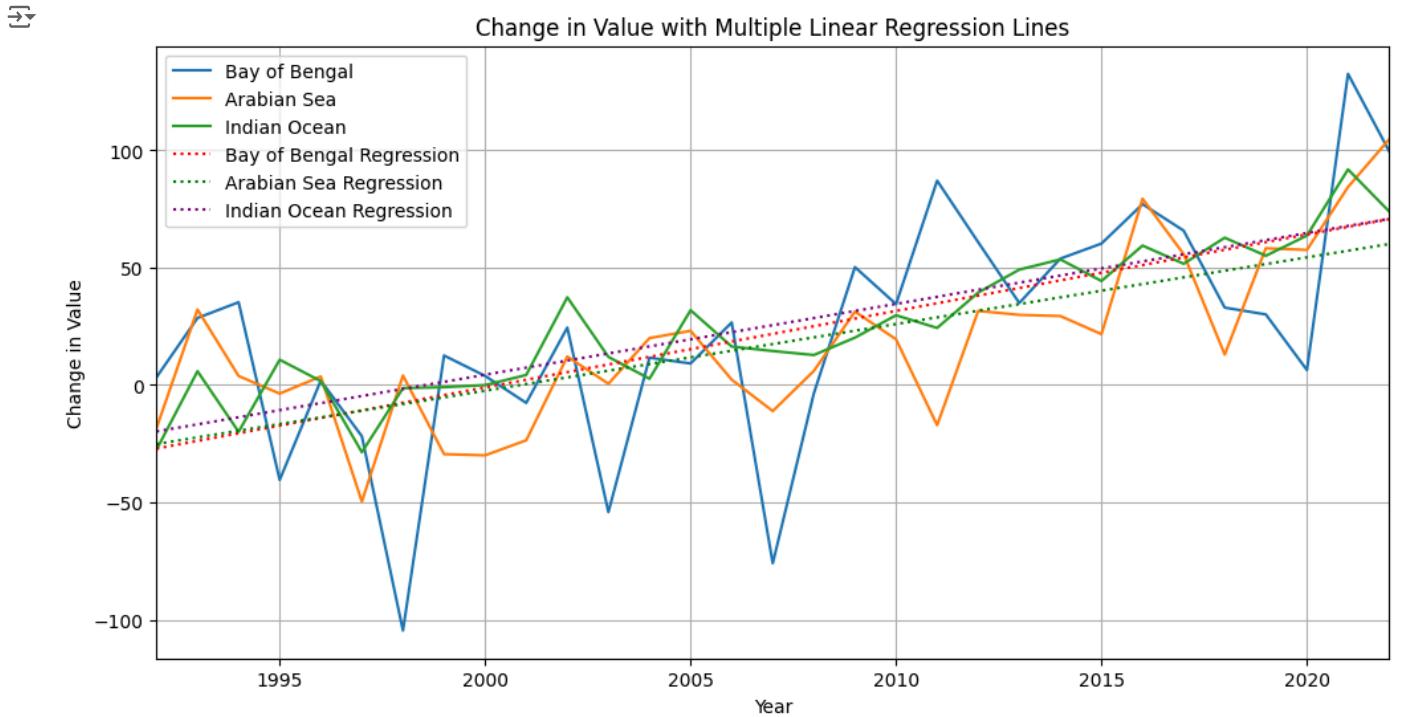
# Create the plot
plt.figure(figsize=(12, 6))

# Plot each dataset
plt.plot(list(bay_of_bengal_data.keys()), list(bay_of_bengal_data.values()), label='Bay of Bengal')
plt.plot(list(arabian_sea_data.keys()), list(arabian_sea_data.values()), label='Arabian Sea')
plt.plot(list(indian_ocean_data.keys()), list(indian_ocean_data.values()), label='Indian Ocean')

# Plot regression lines
years = range(1992, 2023)
plt.plot(years, [intercept_bay + slope_bay * year for year in years], color='red', label='Bay of Bengal Regression', linestyle='dotted')
plt.plot(years, [intercept_arabian + slope_arabian * year for year in years], color='green', label='Arabian Sea Regression', linestyle='dotted')
plt.plot(years, [intercept_indian + slope_indian * year for year in years], color='purple', label='Indian Ocean Regression', linestyle='dotted')

# Customize the plot
plt.xlabel('Year')
plt.ylabel('Change in Value')
plt.title('Change in Value with Multiple Linear Regression Lines')
plt.legend()
plt.grid(True)
plt.xlim(1992, 2022) # Set x-axis limits
plt.show()

```



```

import numpy as np

def regression_summary(data, name):
    years = list(data.keys())
    values = list(data.values())

    # Remove NaN values
    valid_indices = [i for i, val in enumerate(values) if not pd.isna(val)]
    years_valid = np.array([years[i] for i in valid_indices])
    values_valid = np.array([values[i] for i in valid_indices])

    X = sm.add_constant(years_valid)
    model = sm.OLS(values_valid, X).fit()
    print(f"Summary for {name}:")
    print(model.summary())

    predictions = model.predict(X)
    mse = np.mean((values_valid - predictions)**2)
    rmse = np.sqrt(mse)
    mae = np.mean(np.abs(values_valid - predictions))
    print(f"Mean Squared Error (MSE): {mse}")
    print(f"Root Mean Squared Error (RMSE): {rmse}")
    print(f"Mean Absolute Error (MAE): {mae}")
    print("-" * 20)

```

```

regression_summary(bay_of_bengal_data, "Bay of Bengal")
regression_summary(arabian_sea_data, "Arabian Sea")
regression_summary(indian_ocean_data, "Indian Ocean")

Date: Sat, 14 Dec 2024 Prob (F-statistic): 2.75e-06
Time: 03:34:08 Log-Likelihood: -141.97
No. Observations: 31 AIC: 287.9
Df Residuals: 29 BIC: 290.8
Df Model: 1
Covariance Type: nonrobust
=====
            coef    std err      t     P>|t|    [0.025    0.975]
-----
const    -5684.0382  982.836   -5.783   0.000  -7694.163  -3673.913
x1        2.8408    0.490     5.801   0.000    1.839     3.842
=====
Omnibus:          0.162 Durbin-Watson:       1.511
Prob(Omnibus):    0.922 Jarque-Bera (JB):  0.228
Skew:             0.150 Prob(JB):         0.892
Kurtosis:         2.706 Cond. No.        4.50e+05
=====

Notes:
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
[2] The condition number is large, 4.5e+05. This might indicate that there are
strong multicollinearity or other numerical problems.
Mean Squared Error (MSE): 556.3479337135805
Root Mean Squared Error (RMSE): 23.587028929341237
Mean Absolute Error (MAE): 18.99426404786677
-----
Summary for Indian Ocean:
            OLS Regression Results
=====
Dep. Variable:           y   R-squared:      0.837
Model:                 OLS   Adj. R-squared:  0.831
Method:                Least Squares F-statistic:     149.0
Date:      Sat, 14 Dec 2024 Prob (F-statistic): 5.97e-13
Time:      03:34:08 Log-Likelihood:    -120.80
No. Observations:      31   AIC:            245.6
Df Residuals:          29   BIC:            248.5
Df Model:              1
Covariance Type:       nonrobust
=====
            coef    std err      t     P>|t|    [0.025    0.975]
-----
const    -6034.4112  496.438   -12.155   0.000  -7049.741  -5019.081
x1        3.0194    0.247     12.207   0.000    2.514     3.525
=====
Omnibus:          2.611 Durbin-Watson:       2.123
Prob(Omnibus):    0.271 Jarque-Bera (JB):  1.884
Skew:             0.604 Prob(JB):         0.390
Kurtosis:         3.006 Cond. No.        4.50e+05
=====

Notes:
[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
[2] The condition number is large, 4.5e+05. This might indicate that there are
strong multicollinearity or other numerical problems.
Mean Squared Error (MSE): 141.9432567104577
Root Mean Squared Error (RMSE): 11.913994154373993
Mean Absolute Error (MAE): 9.27123803329857
-----

# Predict values for future years
future_years = [2023, 2024, 2030, 2040, 2050]

predicted_bay_of_bengal = [intercept_bay + slope_bay * year for year in future_years]
predicted_arabian_sea = [intercept_arabian + slope_arabian * year for year in future_years]
predicted_indian_ocean = [intercept_indian + slope_indian * year for year in future_years]

# Print the predictions
print("Predictions for future years:")
for i in range(len(future_years)):
    print(f"Year: {future_years[i]}")
    print(f" Bay of Bengal: {predicted_bay_of_bengal[i]}")
    print(f" Arabian Sea: {predicted_arabian_sea[i]}")
    print(f" Indian Ocean: {predicted_indian_ocean[i]}")

# Plot the predictions along with the existing data and regression lines
plt.figure(figsize=(12, 6))

# Plot each dataset
plt.plot(list(bay_of_bengal_data.keys()), list(bay_of_bengal_data.values()), label='Bay of Bengal')
plt.plot(list(arabian_sea_data.keys()), list(arabian_sea_data.values()), label='Arabian Sea')
plt.plot(list(indian_ocean_data.keys()), list(indian_ocean_data.values()), label='Indian Ocean')

# Plot regression lines

```

```

# +100+ Reg. Coefficients
years = range(1992, 2051) # Extended to include future years
plt.plot(years, [intercept_bay + slope_bay * year for year in years], color='red', label='Bay of Bengal Regression', linestyle='dotted')
plt.plot(years, [intercept_arabian + slope_arabian * year for year in years], color='green', label='Arabian Sea Regression', linestyle='dashed')
plt.plot(years, [intercept_indian + slope_indian * year for year in years], color='purple', label='Indian Ocean Regression', linestyle='dash-dot')

# Plot future predictions
plt.plot(future_years, predicted_bay_of_bengal, 'ro', label='Bay of Bengal Prediction')
plt.plot(future_years, predicted_arabian_sea, 'go', label='Arabian Sea Prediction')
plt.plot(future_years, predicted_indian_ocean, 'mo', label='Indian Ocean Prediction')

# Customize the plot
plt.xlabel('Year')
plt.ylabel('Change in Value')
plt.title('Change in Value with Predictions')
plt.legend()
plt.grid(True)
plt.xlim(1992, 2050) # Set x-axis limits
plt.show()

```

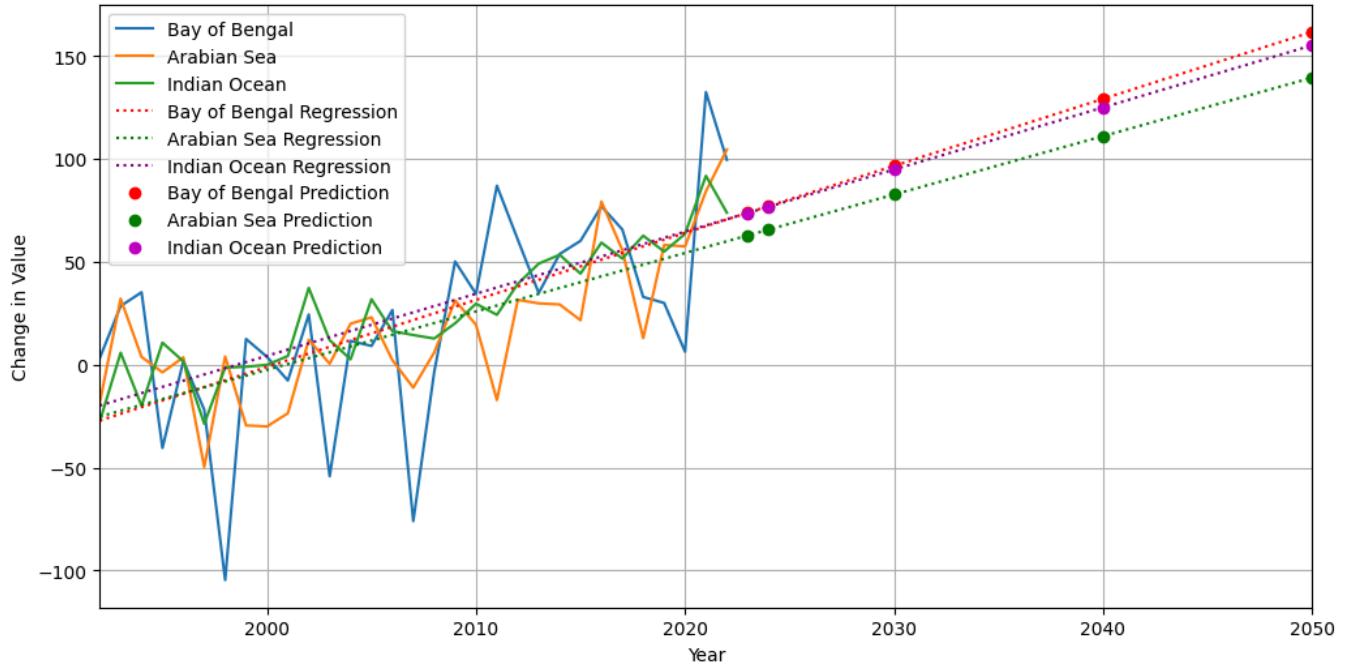
▼ Predictions for future years:

```

Year: 2023
    Bay of Bengal: 73.92012903225714
    Arabian Sea: 62.905096774193225
    Indian Ocean: 73.81703225806359
Year: 2024
    Bay of Bengal: 77.17846370967618
    Arabian Sea: 65.74589919354821
    Indian Ocean: 76.83642338709615
Year: 2030
    Bay of Bengal: 96.72847177419226
    Arabian Sea: 82.79071370967722
    Indian Ocean: 94.95277016128966
Year: 2040
    Bay of Bengal: 129.31181854838542
    Arabian Sea: 111.19873790322526
    Indian Ocean: 125.14668145161158
Year: 2050
    Bay of Bengal: 161.89516532257858
    Arabian Sea: 139.6067620967733
    Indian Ocean: 155.3405927419335

```

Change in Value with Predictions



```

import pandas as pd
import matplotlib.pyplot as plt
from statsmodels.graphics.tsaplots import plot_acf, plot_pacf

indian_ocean_data = yearly_changes.get('Indian Ocean', {})
values = list(indian_ocean_data.values())

# Remove NaN values
values = [x for x in values if not pd.isna(x)]

# Plot ACF
plt.figure(figsize=(10, 5))
plot_acf(values, lags=10, alpha=0.05) # Adjust lags as needed

```

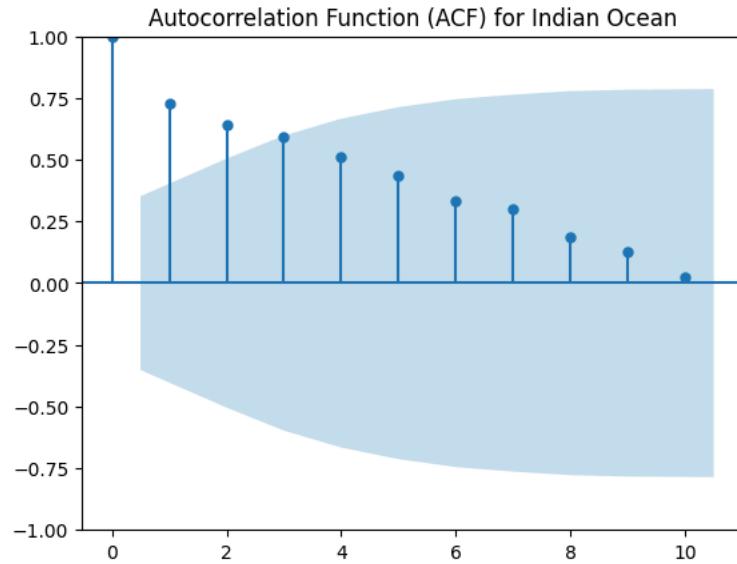
```

plt.title('Autocorrelation Function (ACF) for Indian Ocean')
plt.show()

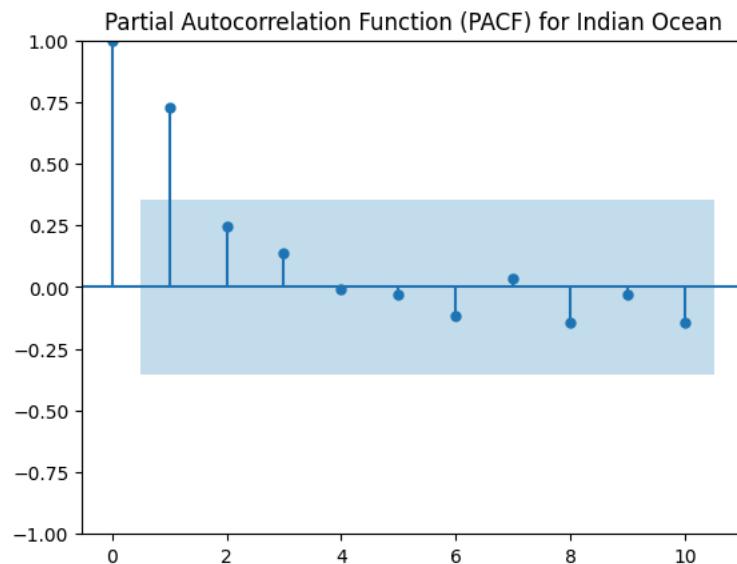
# Plot PACF
plt.figure(figsize=(10, 5))
plot_pacf(values, lags=10, alpha=0.05, method='ywm') # Adjust lags as needed
plt.title('Partial Autocorrelation Function (PACF) for Indian Ocean')
plt.show()

```

<Figure size 1000x500 with 0 Axes>



<Figure size 1000x500 with 0 Axes>



```

bay_of_bengal_data = yearly_changes.get('Bay Bengal', {})
values = list(bay_of_bengal_data.values())

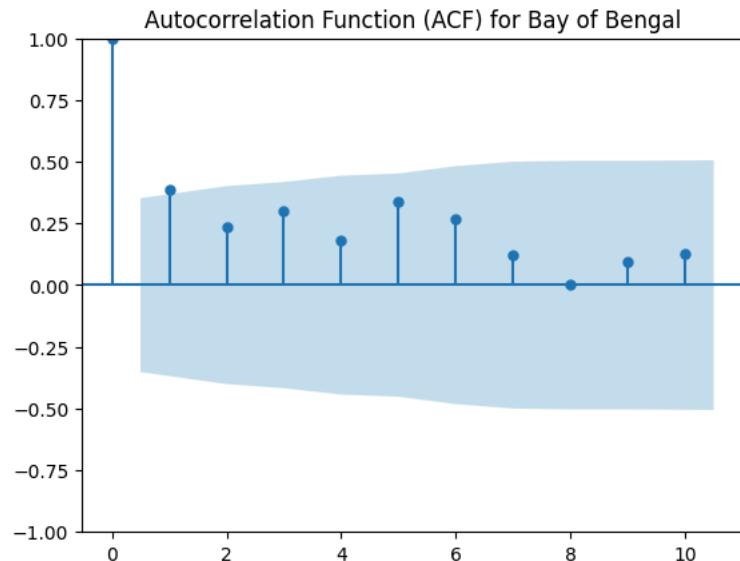
# Remove NaN values
values = [x for x in values if not pd.isna(x)]

# Plot ACF
plt.figure(figsize=(10, 5))
plot_acf(values, lags=10, alpha=0.05) # Adjust lags as needed
plt.title('Autocorrelation Function (ACF) for Bay of Bengal')
plt.show()

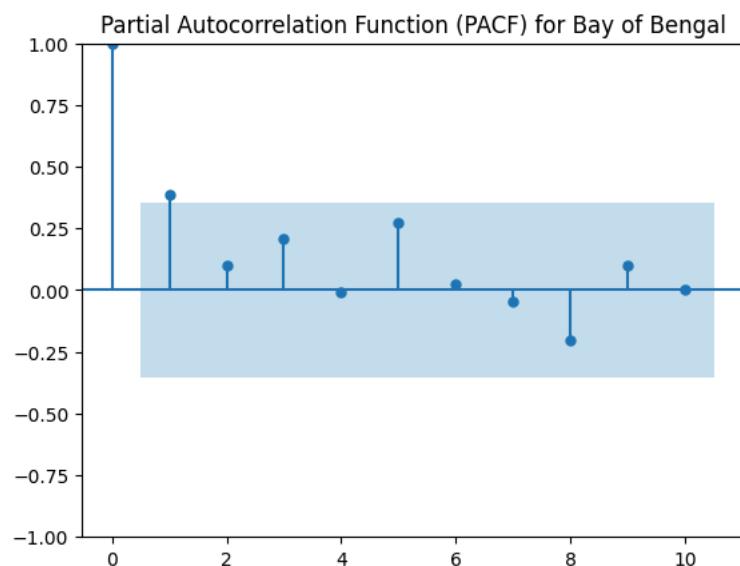
# Plot PACF
plt.figure(figsize=(10, 5))
plot_pacf(values, lags=10, alpha=0.05, method='ywm') # Adjust lags as needed
plt.title('Partial Autocorrelation Function (PACF) for Bay of Bengal')
plt.show()

```

<Figure size 1000x500 with 0 Axes>



<Figure size 1000x500 with 0 Axes>



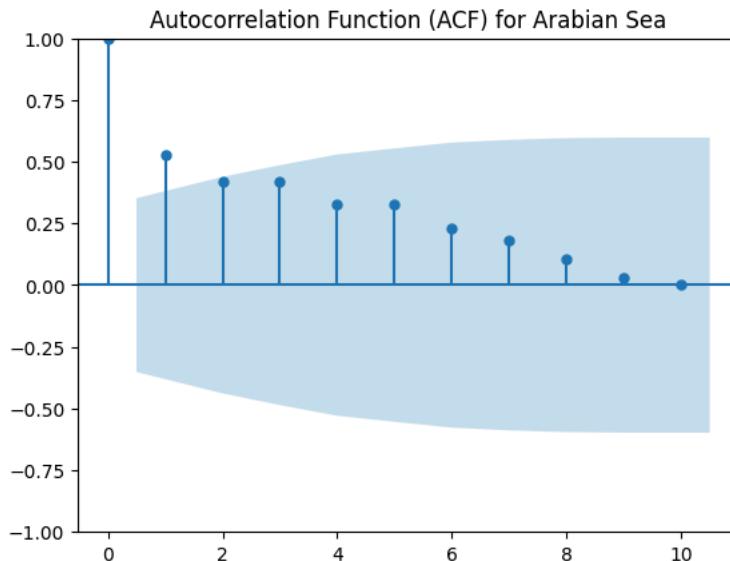
```
arabian_sea_data = yearly_changes.get('Arabian Sea', {})
values = list(arabian_sea_data.values())

# Remove NaN values
values = [x for x in values if not pd.isna(x)]

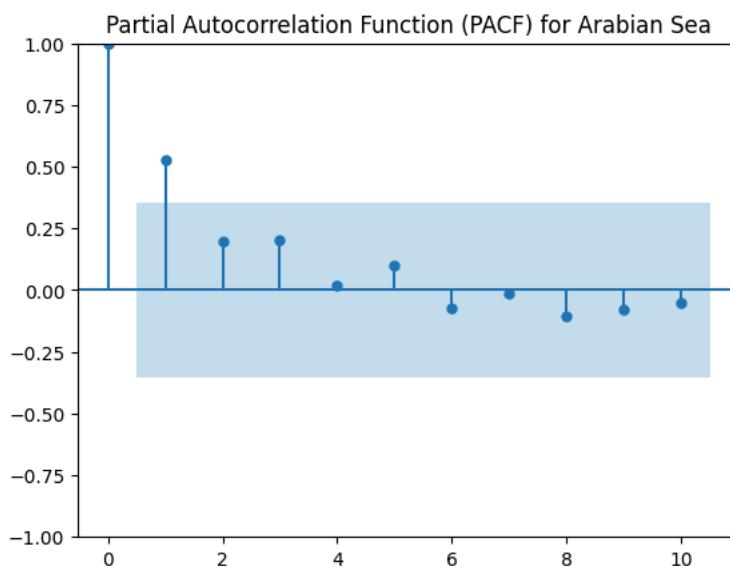
# Plot ACF
plt.figure(figsize=(10, 5))
plot_acf(values, lags=10, alpha=0.05) # Adjust lags as needed
plt.title('Autocorrelation Function (ACF) for Arabian Sea')
plt.show()

# Plot PACF
plt.figure(figsize=(10, 5))
plot_pacf(values, lags=10, alpha=0.05, method='ywm') # Adjust lags as needed
plt.title('Partial Autocorrelation Function (PACF) for Arabian Sea')
plt.show()
```

<Figure size 1000x500 with 0 Axes>



<Figure size 1000x500 with 0 Axes>



```
from statsmodels.tsa.stattools import adfuller

result = adfuller(values)

# The p-value is in the result[1] position.
print('ADF Statistic: %f' % result[0])
print('p-value: %f' % result[1])

# Determine the optimal d value based on the p-value
# We don't need to look for p and q values from the plots here because we are calculating the p-value for the Augmented Dickey Fuller test

if result[1] <= 0.05:
    print("The time series is likely stationary (d=0).")
    d = 0
else:
    print("The time series is likely non-stationary.")
    print("Difference the series once and repeat ADF test. You might need to difference it multiple times")
    # Difference the series once.
    values_diff = np.diff(values)

    # Perform ADF test on differenced data
    result_diff = adfuller(values_diff)
    print('ADF Statistic (Differenced): %f' % result_diff[0])
    print('p-value (Differenced): %f' % result_diff[1])

    if result_diff[1] <= 0.05:
        print("The differenced time series is likely stationary (d=1).")
        d = 1
    else:
        print("The differenced time series is likely non-stationary.")
        print("Try differencing again (d=2)")
        d = 2 # Or try further differencing until the series becomes stationary
```

```

print(f"The appropriate value for d is: {d}")

ADF Statistic: 0.250121
p-value: 0.974937
The time series is likely non-stationary.
Difference the series once and repeat ADF test. You might need to difference it multiple times
ADF Statistic (Differenced): -5.978864
p-value (Differenced): 0.000000
The differenced time series is likely stationary (d=1).
The appropriate value for d is: 1

!pip install pmdarima
# Import the necessary library
from pmdarima import auto_arima

indian_ocean_data = yearly_changes.get('Indian Ocean', {})
values = list(indian_ocean_data.values())
values = [x for x in values if not pd.isna(x)]

# Use auto_arima to find the best (p, d, q) order
stepwise_model = auto_arima(values, start_p=0, start_q=0,
                             max_p=5, max_q=5, m=12,
                             start_P=0, seasonal=False,
                             d=None, D=1, trace=True,
                             error_action='ignore',
                             suppress_warnings=True,
                             stepwise=True)

print(stepwise_model.summary())

```

Requirement already satisfied: scikit-learn>=0.22 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.5.2)
Requirement already satisfied: scipy>=1.3.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (1.13.1)
Requirement already satisfied: statsmodels>=0.13.2 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (0.14.4)
Requirement already satisfied: urllib3 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (2.2.3)
Requirement already satisfied: setuptools>=50.0.0,>=38.6.0 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (75.1.0)
Requirement already satisfied: packaging>=17.1 in /usr/local/lib/python3.10/dist-packages (from pmdarima) (24.2)
Requirement already satisfied: python-dateutil>=2.8.2 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2
Requirement already satisfied: pytz>=2020.1 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2024.2)
Requirement already satisfied: tzdata>=2022.7 in /usr/local/lib/python3.10/dist-packages (from pandas>=0.19->pmdarima) (2024.2)
Requirement already satisfied: threadpoolctl>=3.1.0 in /usr/local/lib/python3.10/dist-packages (from scikit-learn>=0.22->pmdarima)
Requirement already satisfied: patsy>=0.5.6 in /usr/local/lib/python3.10/dist-packages (from statsmodels>=0.13.2->pmdarima) (1.0.
Requirement already satisfied: six>=1.5 in /usr/local/lib/python3.10/dist-packages (from python-dateutil>=2.8.2->pandas>=0.19->p
Downloading pmdarima-2.0.4-cp310-cp310-manylinux_2_17_x86_64.manylinux2014_x86_64.manylinux_2_28_x86_64.whl (2.1 MB)
 2.1/2.1 MB 24.8 MB/s eta 0:00:00

Installing collected packages: pmdarima
Successfully installed pmdarima-2.0.4
/usr/local/lib/python3.10/dist-packages/pmdarima/arima/_validation.py:62: UserWarning: m (12) set for non-seasonal fit. Setting t
 warnings.warn("m (%i) set for non-seasonal fit. Setting to 0" % m)
Performing stepwise search to minimize aic
ARIMA(0,1,0)(0,0,0)[0] intercept : AIC=261.361, Time=0.06 sec
ARIMA(1,1,0)(0,0,0)[0] intercept : AIC=253.678, Time=0.03 sec
ARIMA(0,1,1)(0,0,0)[0] intercept : AIC=inf, Time=0.12 sec
ARIMA(0,1,0)(0,0,0)[0] : AIC=260.446, Time=0.01 sec
ARIMA(2,1,0)(0,0,0)[0] intercept : AIC=247.449, Time=0.07 sec
ARIMA(3,1,0)(0,0,0)[0] intercept : AIC=249.310, Time=0.10 sec
ARIMA(2,1,1)(0,0,0)[0] intercept : AIC=249.224, Time=0.09 sec
ARIMA(1,1,1)(0,0,0)[0] intercept : AIC=inf, Time=0.15 sec
ARIMA(3,1,1)(0,0,0)[0] intercept : AIC=inf, Time=0.26 sec
ARIMA(2,1,0)(0,0,0)[0] : AIC=252.884, Time=0.03 sec

Best model: ARIMA(2,1,0)(0,0,0)[0] intercept
Total fit time: 0.962 seconds
SARIMAX Results
=====
Dep. Variable: y No. Observations: 31
Model: SARIMAX(2, 1, 0) Log Likelihood: -119.724
Date: Sat, 14 Dec 2024 AIC: 247.449
Time: 03:35:43 BIC: 253.053
Sample: 0 - 31 HQIC: 249.242
Covariance Type: opg
=====
 coef std err z P>|z| [0.025 0.975]

intercept 7.4877 3.107 2.410 0.016 1.397 13.578
ar.L1 -0.7799 0.246 -3.174 0.002 -1.262 -0.298
ar.L2 -0.5269 0.204 -2.589 0.010 -0.926 -0.128
sigma2 166.0032 48.897 3.395 0.001 70.167 261.840
=====
Ljung-Box (L1) (Q): 0.04 Jarque-Bera (JB): 0.29

```

import matplotlib.pyplot as plt
from statsmodels.tsa.arima.model import ARIMA

# Assuming indian_ocean_data is defined from the previous code
indian_ocean_data = yearly_changes.get('Indian Ocean', {})
values = list(indian_ocean_data.values())
values = [x for x in values if not pd.isna(x)]
years = list(indian_ocean_data.keys())

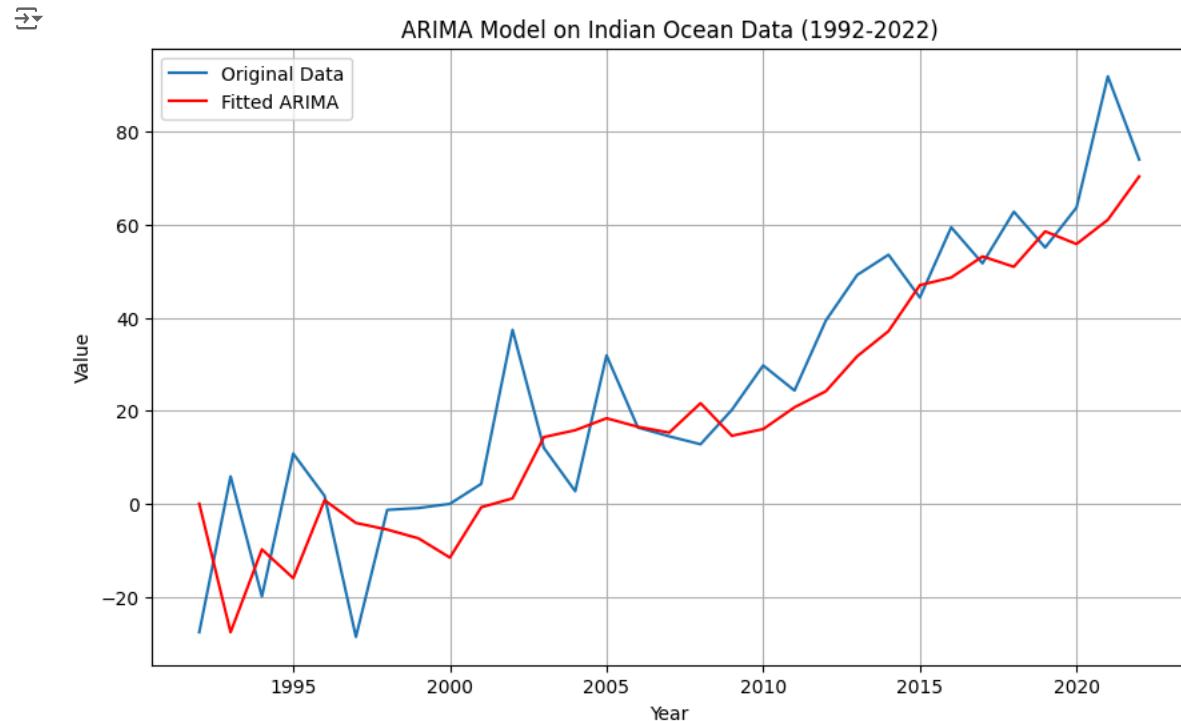
# Fit the ARIMA model (example order (2, 1, 0))
model = ARIMA(values, order=(2, 1, 0))
model_fit = model.fit()

# Plot the original data
plt.figure(figsize=(10, 6))
plt.plot(years, values, label='Original Data')

# Plot the fitted ARIMA model
plt.plot(years, model_fit.fittedvalues, label='Fitted ARIMA', color='red')

plt.xlabel('Year')
plt.ylabel('Value')
plt.title('ARIMA Model on Indian Ocean Data (1992-2022)')
plt.legend()
plt.grid(True)
plt.show()

```



```

model = ARIMA(values, order=(2, 1, 0))
model_fit = model.fit() # This line is crucial - it fits the model and assigns it to model_fit

predictions = model_fit.predict(start=len(values), end=len(values) + 4)

# Plotting the original data and predictions year-wise
plt.figure(figsize=(10, 6))
plt.plot(range(1992, 2023), values, label='Original Data') # Plot original data with years
future_years = range(2023, 2028)
plt.plot(future_years, predictions, label='ARIMA Predictions', color='red') # Plot predictions

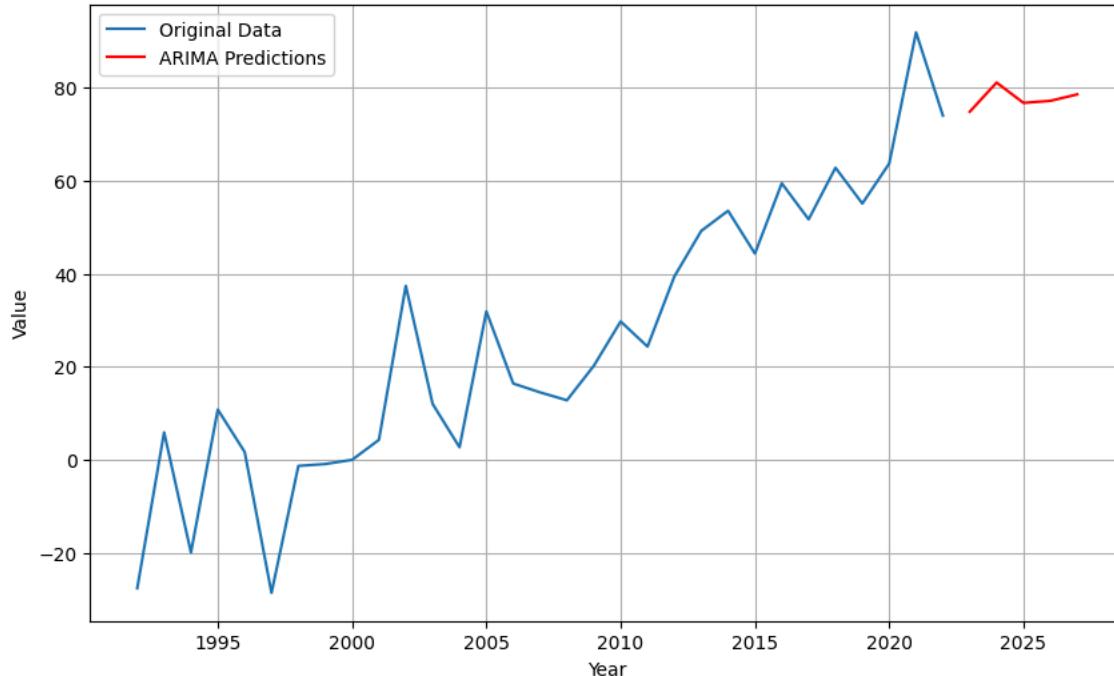
plt.xlabel('Year')
plt.ylabel('Value')
plt.title('ARIMA (2, 1, 0) Predictions for Indian Ocean (Year-wise)')
plt.legend()
plt.grid(True)
plt.show()

# Print the predictions year-wise (assuming the data starts from 1992)
for i, prediction in enumerate(predictions):
    year = 2023 + i # Since predictions start from 2023

```

```
print(f"Year: {year}, Predicted Value: {prediction}")
```

ARIMA (2, 1, 0) Predictions for Indian Ocean (Year-wise)



```
Year: 2023, Predicted Value: 74.80899936594646
Year: 2024, Predicted Value: 81.08379345353151
Year: 2025, Predicted Value: 76.70509012136324
Year: 2026, Predicted Value: 77.14779710312341
Year: 2027, Predicted Value: 78.52911964901244
```

```
bay_of_bengal_data = yearly_changes.get('Bay Bengal', {})
values = list(bay_of_bengal_data.values())
values = [x for x in values if not pd.isna(x)]
```

```
# Use auto_arima to find the best (p, d, q) order
stepwise_model = auto_arima(values, start_p=0, start_q=0,
                             max_p=5, max_q=5, m=12,
                             start_P=0, seasonal=True,
                             d=None, D=1, trace=True,
                             error_action='ignore',
                             suppress_warnings=True,
                             stepwise=True)
```

```
print(stepwise_model.summary())
```

```
→ Performing stepwise search to minimize aic
ARIMA(0,0,0)(0,1,1)[12] intercept : AIC=206.176, Time=0.41 sec
ARIMA(0,0,0)(0,1,0)[12] intercept : AIC=204.178, Time=0.05 sec
ARIMA(1,0,0)(1,1,0)[12] intercept : AIC=206.081, Time=1.37 sec
ARIMA(0,0,1)(0,1,1)[12] intercept : AIC=206.679, Time=4.49 sec
ARIMA(0,0,0)(0,1,0)[12] : AIC=214.676, Time=0.09 sec
ARIMA(0,0,0)(1,1,0)[12] intercept : AIC=206.176, Time=0.86 sec
ARIMA(0,0,0)(1,1,1)[12] intercept : AIC=208.176, Time=0.36 sec
ARIMA(1,0,0)(0,1,0)[12] intercept : AIC=204.081, Time=0.18 sec
ARIMA(1,0,0)(0,1,1)[12] intercept : AIC=206.081, Time=1.11 sec
ARIMA(1,0,0)(1,1,1)[12] intercept : AIC=208.081, Time=0.28 sec
ARIMA(2,0,0)(0,1,0)[12] intercept : AIC=205.828, Time=0.15 sec
ARIMA(1,0,1)(0,1,0)[12] intercept : AIC=205.984, Time=0.15 sec
ARIMA(0,0,1)(0,1,0)[12] intercept : AIC=204.681, Time=0.11 sec
ARIMA(2,0,1)(0,1,0)[12] intercept : AIC=206.865, Time=0.21 sec
ARIMA(1,0,0)(0,1,0)[12] : AIC=206.720, Time=0.04 sec
```

```
Best model: ARIMA(1,0,0)(0,1,0)[12] intercept
Total fit time: 9.886 seconds
```

SARIMAX Results

Dep. Variable:	y	No. Observations:	31			
Model:	SARIMAX(1, 0, 0)x(0, 1, 0, 12)	Log Likelihood	-99.040			
Date:	Sat, 14 Dec 2024	AIC	204.081			
Time:	03:36:12	BIC	206.914			
Sample:	0	HQIC	204.560			
	- 31					
Covariance Type:	opg					
	coef	std err	z	P> z	[0.025	0.975]
intercept	30.4637	13.975	2.180	0.029	3.073	57.854
ar.L1	0.3213	0.277	1.158	0.247	-0.223	0.865

```

sigma2      1962.3022   948.219    2.069     0.039   103.827   3820.777
=====
Ljung-Box (L1) (Q):           0.02   Jarque-Bera (JB):        1.33
Prob(Q):                   0.90   Prob(JB):            0.51
Heteroskedasticity (H):      1.10   Skew:                 0.50
Prob(H) (two-sided):         0.91   Kurtosis:             2.17
=====
```

Warnings:
[1] Covariance matrix calculated using the outer product of gradients (complex-step).

```

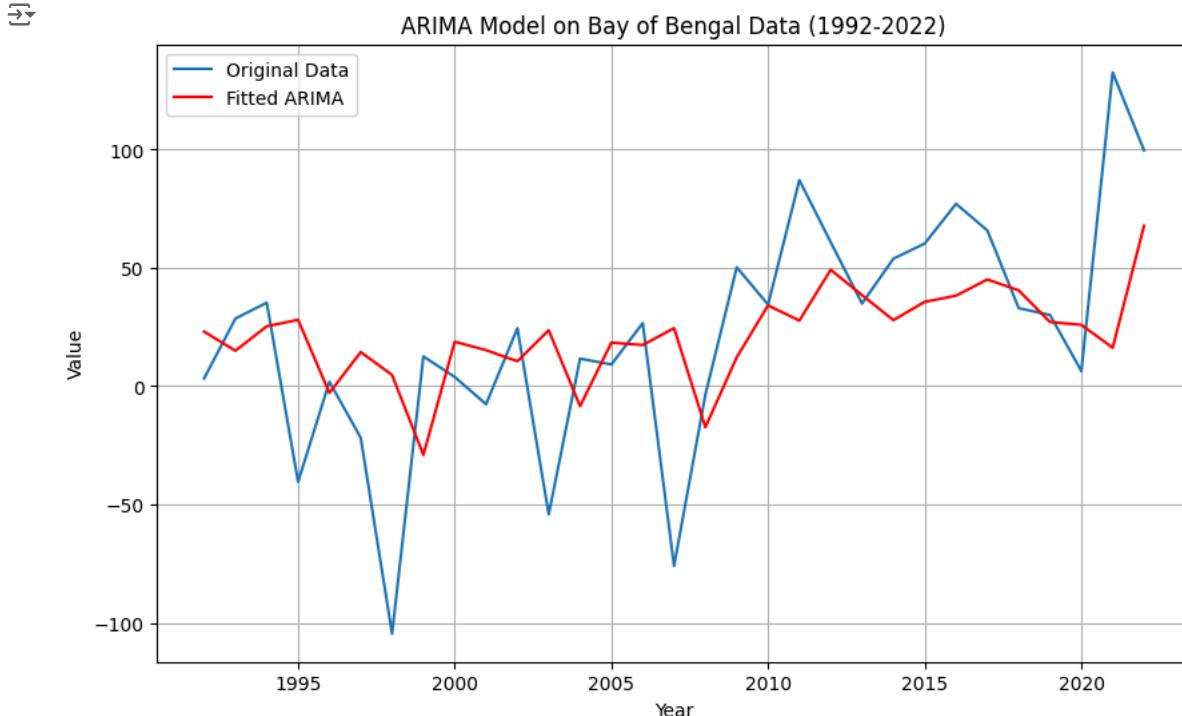
import matplotlib.pyplot as plt
from statsmodels.tsa.arima.model import ARIMA

# Assuming bay_of_bengal_data is defined as in your previous code
bay_of_bengal_data = yearly_changes.get('Bay Bengal', {})
values = list(bay_of_bengal_data.values())
values = [x for x in values if not pd.isna(x)]
years = list(bay_of_bengal_data.keys())
years = years[:len(values)]

# Fit the ARIMA model (example order (1, 0, 0))
model = ARIMA(values, order=(1, 0, 0))
model_fit = model.fit()

# Plot the original data and the fitted values
plt.figure(figsize=(10, 6))
plt.plot(years, values, label='Original Data')
plt.plot(years, model_fit.fittedvalues, label='Fitted ARIMA', color='red')

plt.xlabel('Year')
plt.ylabel('Value')
plt.title('ARIMA Model on Bay of Bengal Data (1992-2022)')
plt.legend()
plt.grid(True)
plt.show()
```



```

bay_of_bengal_data = yearly_changes.get('Bay Bengal', {})
values = list(bay_of_bengal_data.values())
values = [x for x in values if not pd.isna(x)]
years = list(bay_of_bengal_data.keys())
years = years[:len(values)]

# Fit the ARIMA(1, 0, 0) model
model = ARIMA(values, order=(1, 0, 0)) # (p, d, q) order
model_fit = model.fit()

# Make predictions for the next 5 years
predictions = model_fit.predict(start=len(values), end=len(values) + 4)

# Create a list of years for the predictions
future_years = list(range(years[-1] + 1, years[-1] + 6))
```

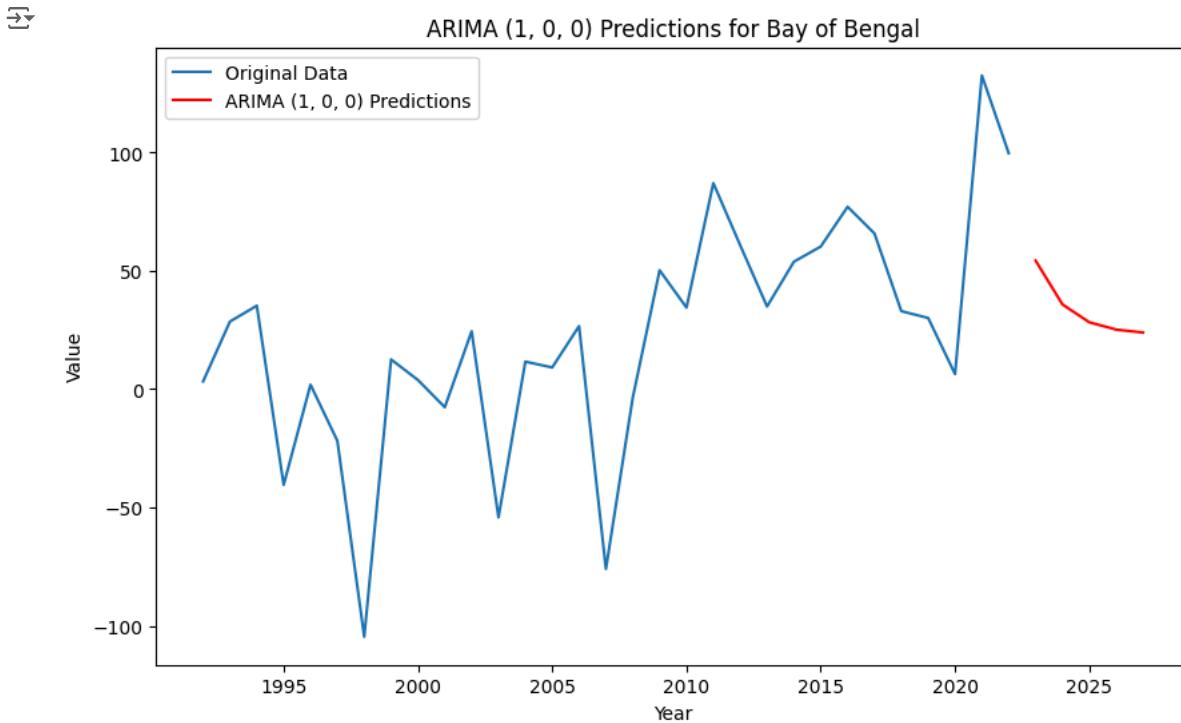
```

# Plotting
plt.figure(figsize=(10, 6))
plt.plot(years, values, label='Original Data')
plt.plot(future_years, predictions, label='ARIMA (1, 0, 0) Predictions', color='red')

plt.xlabel('Year')
plt.ylabel('Value')
plt.title('ARIMA (1, 0, 0) Predictions for Bay of Bengal')
plt.legend()
plt.show()

# Print the predictions with corresponding years
for year, prediction in zip(future_years, predictions):
    print(f"Predicted value for {year}: {prediction}")

```



```

Predicted value for 2023: 54.3249113938531
Predicted value for 2024: 35.814727471378234
Predicted value for 2025: 28.2604062392197
Predicted value for 2026: 25.177359116746214
Predicted value for 2027: 23.919115090939002

```

```

from statsmodels.tsa.arima.model import ARIMA

# Assuming 'arabian_sea_data' is defined as in your previous code
arabian_sea_data = yearly_changes.get('Arabian Sea', {})
values = list(arabian_sea_data.values())
values = [x for x in values if not pd.isna(x)]

# Use auto_arima to find the best (p, d, q) order
stepwise_model = auto_arima(values, start_p=0, start_q=0,
                             max_p=5, max_q=5, m=12,
                             start_P=0, seasonal=False,
                             d=None, D=1, trace=False,
                             error_action='ignore',
                             suppress_warnings=True,
                             stepwise=True)

print(stepwise_model.summary())

```

→ /usr/local/lib/python3.10/dist-packages/pmdarima/arima/_validation.py:62: UserWarning: m (12) set for non-seasonal fit. Setting to 6
warnings.warn("m (%i) set for non-seasonal fit. Setting to 0" % m)

SARIMAX Results					
Dep. Variable:	y	No. Observations:	31		
Model:	SARIMAX(0, 1, 1)	Log Likelihood:	-138.910		
Date:	Sat, 14 Dec 2024	AIC:	283.821		
Time:	03:36:29	BIC:	288.024		
Sample:	0	HQIC:	285.166		
Covariance Type:	opg				
	coef	std err	z	P> z	[0.025 0.975]

```

intercept      2.9022      1.479      1.962      0.050      0.003      5.801
ma.L1       -0.7161      0.181     -3.951      0.000     -1.071     -0.361
sigma2      601.1656    165.203      3.639      0.000    277.374   924.958
=====
Ljung-Box (L1) (Q):           0.05  Jarque-Bera (JB):          0.43
Prob(Q):                      0.82  Prob(JB):            0.81
Heteroskedasticity (H):       0.85  Skew:                -0.28
Prob(H) (two-sided):          0.80  Kurtosis:             2.84
=====
```

Warnings:
[1] Covariance matrix calculated using the outer product of gradients (complex-step).

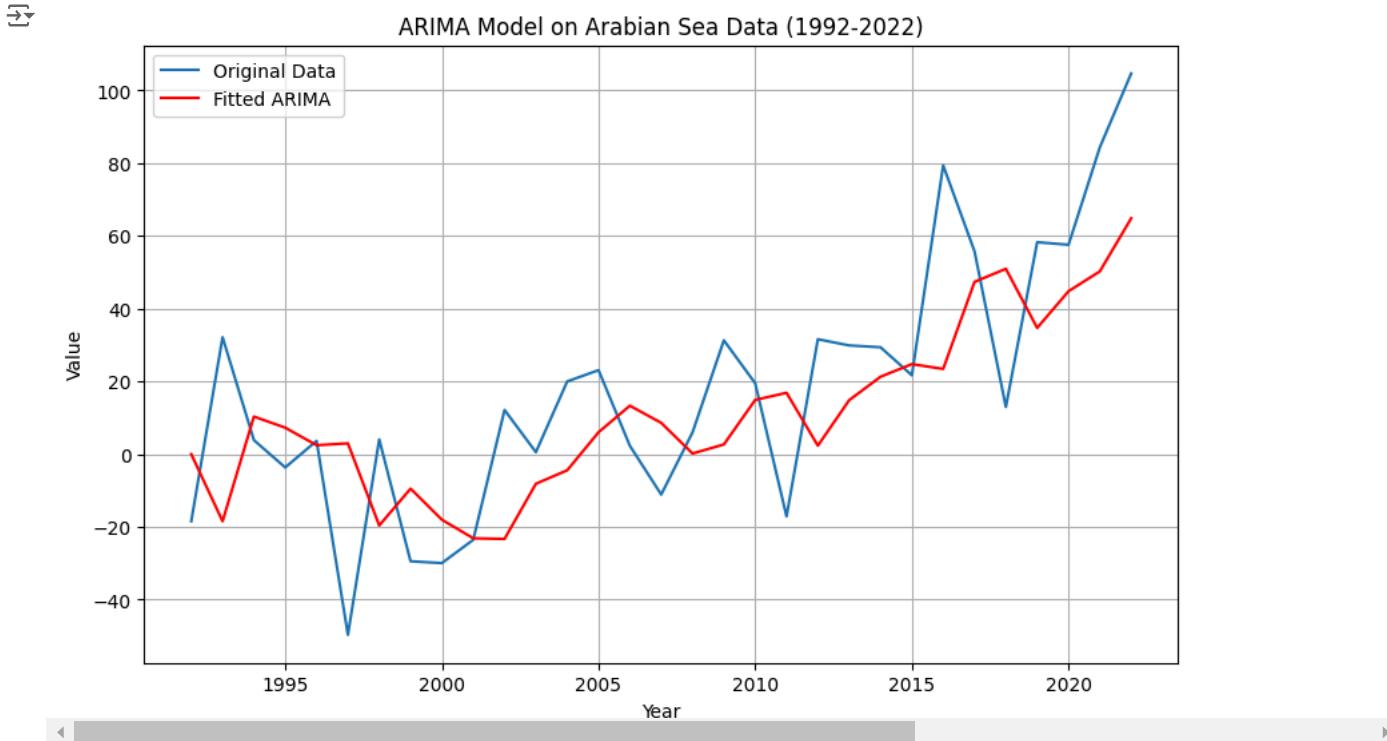
```

arabian_sea_data = yearly_changes.get('Arabian Sea', {})
values = list(arabian_sea_data.values())
values = [x for x in values if not pd.isna(x)]
years = list(arabian_sea_data.keys())
years = years[:len(values)]

# Fit the ARIMA model (example order (0, 1, 1))
model = ARIMA(values, order=(0, 1, 1))
model_fit = model.fit()

# Plot the original data and the fitted values
plt.figure(figsize=(10, 6))
plt.plot(years, values, label='Original Data')
plt.plot(years, model_fit.fittedvalues, label='Fitted ARIMA', color='red')

plt.xlabel('Year')
plt.ylabel('Value')
plt.title('ARIMA Model on Arabian Sea Data (1992-2022)')
plt.legend()
plt.grid(True)
plt.show()
```



```

arabian_sea_data = yearly_changes.get('Arabian Sea', {})
values = list(arabian_sea_data.values())
values = [x for x in values if not pd.isna(x)]
years = list(arabian_sea_data.keys())
years = years[:len(values)]

# Fit the ARIMA(0, 1, 1) model
model = ARIMA(values, order=(0, 1, 1))
model_fit = model.fit()

# Make predictions for the next 5 years
predictions = model_fit.predict(start=len(values), end=len(values) + 4)

# Create a list of years for the predictions
future_years = list(range(years[-1] + 1, years[-1] + 6))

# Plotting
```

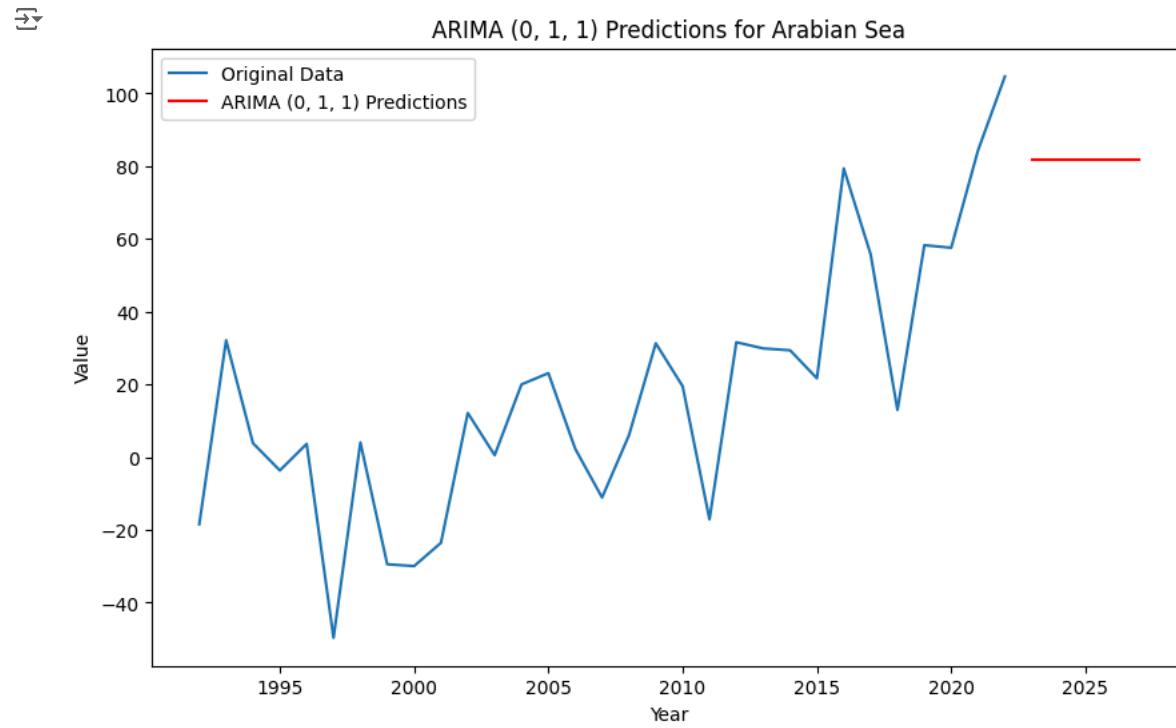
```

# PLOTTING
plt.figure(figsize=(10, 6))
plt.plot(years, values, label='Original Data')
plt.plot(future_years, predictions, label='ARIMA (0, 1, 1) Predictions', color='red')

plt.xlabel('Year')
plt.ylabel('Value')
plt.title('ARIMA (0, 1, 1) Predictions for Arabian Sea')
plt.legend()
plt.show()

# Print the predictions with corresponding years
print("Predictions for Arabian Sea:")
for year, prediction in zip(future_years, predictions):
    print(f"Predicted value for {year}: {prediction}")

```



```

Predictions for Arabian Sea:
Predicted value for 2023: 81.87949659111074
Predicted value for 2024: 81.87949659111074
Predicted value for 2025: 81.87949659111074
Predicted value for 2026: 81.87949659111074

```

```

from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import LSTM, Dense
import numpy as np

def prepare_data(data):
    values = list(data.values())
    values = [x for x in values if not np.isnan(x)] # Remove NaN values
    # Normalize the data (important for LSTM)
    values = np.array(values) / np.max(values)

    # Create sequences for LSTM input
    sequence_length = 5 # Adjust as needed
    X, y = [], []
    for i in range(len(values) - sequence_length):
        X.append(values[i:i + sequence_length])
        y.append(values[i + sequence_length])
    X = np.array(X)
    y = np.array(y)
    return X, y

# Prepare data for each region
X_indian, y_indian = prepare_data(indian_ocean_data)
X_bay, y_bay = prepare_data(bay_of_bengal_data)
X_arabian, y_arabian = prepare_data(arabian_sea_data)

# Example LSTM model
def create_lstm_model():
    model = Sequential()
    model.add(LSTM(50, activation='relu', input_shape=(X_indian.shape[1], 1))) # Input shape adjusted

```

```

model.add(Dense(1))
model.compile(optimizer='adam', loss='mse')
return model

# Train the model for each region (example)
model_indian = create_lstm_model()
model_indian.fit(X_indian, y_indian, epochs=50, verbose=0) # Adjust epochs as needed

model_bay = create_lstm_model()
model_bay.fit(X_bay, y_bay, epochs=50, verbose=0)

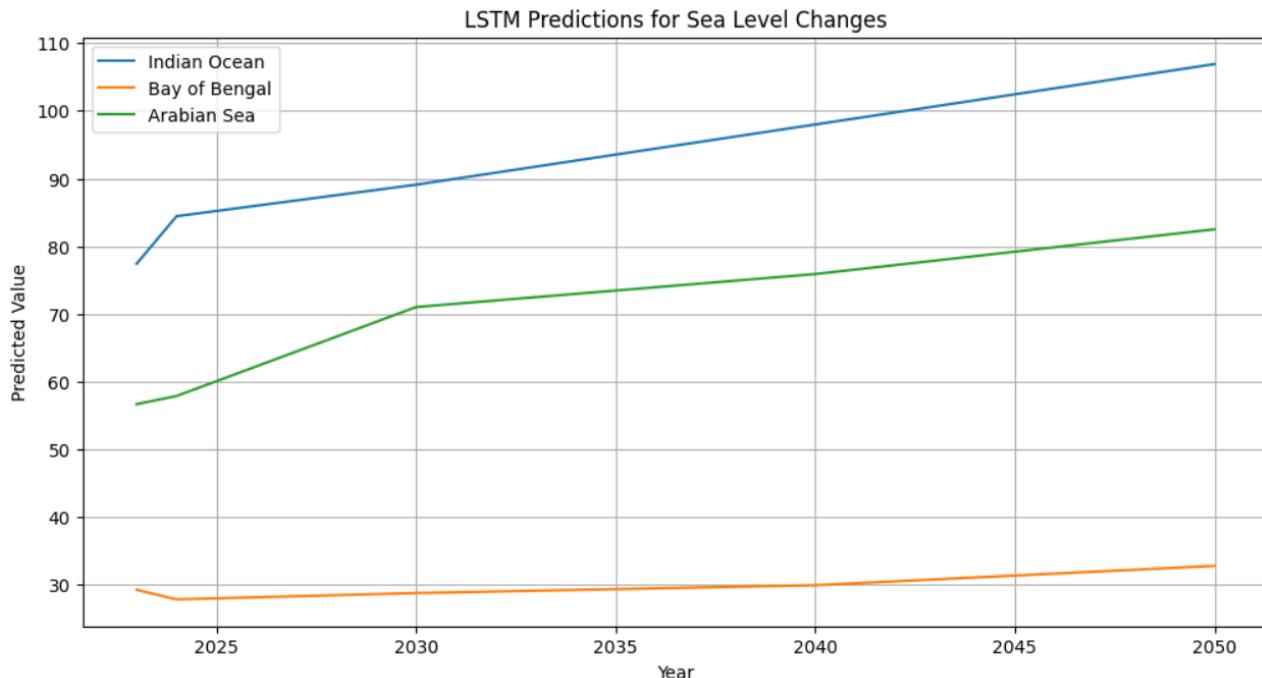
model_arabian = create_lstm_model()
model_arabian.fit(X_arabian, y_arabian, epochs=50, verbose=0)

# Function to predict values
def predict_future_values(model, X, years):
    predictions = []
    last_sequence = X[-1]
    for _ in range(len(years)):
        prediction = model.predict(np.array([last_sequence]))[0, 0]
        predictions.append(prediction * np.max(list(indian_ocean_data.values()))) # Denormalize
        last_sequence = np.append(last_sequence[1:], prediction) # Update the sequence
    return predictions

# Predict values for future years
future_years = [2023,2024,2030,2040,2050]
predicted_indian = predict_future_values(model_indian, X_indian, future_years)
print('Indian Ocean data :',predicted_indian)
predicted_bay = predict_future_values(model_bay, X_bay, future_years)
print('Bay of Bengal data :',predicted_bay)
predicted_arabian = predict_future_values(model_arabian, X_arabian, future_years)
print('Arabian Sea data :',predicted_arabian)
# Plot the predictions
plt.figure(figsize=(12, 6))
plt.plot(future_years, predicted_indian, label='Indian Ocean')
plt.plot(future_years, predicted_bay, label='Bay of Bengal')
plt.plot(future_years, predicted_arabian, label='Arabian Sea')

plt.xlabel('Year')
plt.ylabel('Predicted Value')
plt.title('LSTM Predictions for Sea Level Changes')
plt.legend()
plt.grid(True)
plt.show()

```



```

1/1 ━━━━━━ 0s 153ms/step
1/1 ━━━━━━ 0s 20ms/step
1/1 ━━━━━━ 0s 20ms/step
1/1 ━━━━━━ 0s 20ms/step
1/1 ━━━━━━ 0s 21ms/step
Indian Ocean data : [77.41930939435959, 84.43952280461788, 89.09332427620888, 97.9837309718132, 106.89898720502853]
1/1 ━━━━━━ 0s 164ms/step
1/1 ━━━━━━ 0s 21ms/step
1/1 ━━━━━━ 0s 20ms/step
1/1 ━━━━━━ 0s 21ms/step
1/1 ━━━━━━ 0s 27ms/step
Bay of Bengal data : [29.27138907402754, 27.855543135404588, 28.789355684518817, 29.95107430577278, 32.80738573372364]

```

```

print("LSTM Model Summary for Indian Ocean:")
model_indian.summary()

print("\nLSTM Model Summary for Bay of Bengal:")
model_bay.summary()

print("\nLSTM Model Summary for Arabian Sea:")
model_arabian.summary()

```

→ LSTM Model Summary for Indian Ocean:
Model: "sequential_3"

Layer (type)	Output Shape	Param #
lstm_3 (LSTM)	(None, 50)	10,400
dense_3 (Dense)	(None, 1)	51

Total params: 31,355 (122.48 KB)
Trainable params: 10,451 (40.82 KB)
Non-trainable params: 0 (0.00 B)
Optimizer params: 20,904 (81.66 KB)

LSTM Model Summary for Bay of Bengal:
Model: "sequential_4"

Layer (type)	Output Shape	Param #
lstm_4 (LSTM)	(None, 50)	10,400
dense_4 (Dense)	(None, 1)	51

Total params: 31,355 (122.48 KB)
Trainable params: 10,451 (40.82 KB)
Non-trainable params: 0 (0.00 B)
Optimizer params: 20,904 (81.66 KB)

LSTM Model Summary for Arabian Sea:
Model: "sequential_5"

Layer (type)	Output Shape	Param #
lstm_5 (LSTM)	(None, 50)	10,400
dense_5 (Dense)	(None, 1)	51

Total params: 31,355 (122.48 KB)
Trainable params: 10,451 (40.82 KB)
Non-trainable params: 0 (0.00 B)
Optimizer params: 20,904 (81.66 KB)

Forest Area Cover Dataset

```
from google.colab import drive
drive.mount('/content/drive')
```

Mounted at /content/drive

```
import pandas as pd
```

```
df = pd.read_csv('/content/drive/My Drive/Project sem1/Datasets/Forest_and_Carbon.csv')

# Now you can work with the dataframe 'df'
print(df.head())
```

```
→   ObjectId          Country ISO2 ISO3 \
0      1 Advanced Economies  NaN AETMP
1      2 Advanced Economies  NaN AETMP
2      3 Advanced Economies  NaN AETMP
3      4 Advanced Economies  NaN AETMP
4      5 Afghanistan, Islamic Rep. of    AF    AFG

                           Indicator          Unit \
0  Carbon stocks in forests  Million tonnes
1           Forest area        1000 HA
2  Index of carbon stocks in forests       Index
3      Index of forest extent       Index
4           Forest area        1000 HA

                           Source CTS_Code CTS_Name \
0  Food and Agriculture Organization of the Unite...    ECMFC     NaN
1  Food and Agriculture Organization of the Unite...    ECMFF     NaN
2  Food and Agriculture Organization of the Unite...    ECMFS     NaN
3  Food and Agriculture Organization of the Unite...    ECMFE     NaN
4  Food and Agriculture Organization of the Unite...    ECMFF     NaN

                           CTS_Full_Descriptor ... F2013 \
0  Environment, Climate Change, Mitigation, Fores... ... 56891.748000
1  Environment, Climate Change, Mitigation, Fores... ... 958658.324000
2  Environment, Climate Change, Mitigation, Fores... ... 108.120860
3  Environment, Climate Change, Mitigation, Fores... ... 101.355167
4  Environment, Climate Change, Mitigation, Fores... ... 1208.440000

          F2014      F2015      F2016      F2017      F2018 \
0  57114.846600  57337.946100  57568.174400  57777.849900  57959.762500
1  959818.234200  960978.144400  962013.845500  961845.120000  961963.710000
2   108.544852   108.968845   109.406386   109.804867   110.150586
3   101.477799   101.600432   101.709933   101.692094   101.704632
4  1208.440000  1208.440000  1208.440000  1208.440000  1208.440000

          F2019      F2020      F2021      F2022
0  58035.051300  58102.552100  NaN        NaN
1  962092.030000  962242.860000  962383.873400  962531.435600
2   110.293670   110.421953  NaN        NaN
3   101.718199   101.734145   101.749054  101.764655
4  1208.440000  1208.440000  1208.440000  1208.440000

[5 rows x 41 columns]
```

```
df = df.drop('ISO2', axis=1)
df = df.drop('CTS_Name', axis=1)
```

```
print(df.head())
```

```
→   ObjectId          Country ISO3 \
0      1 Advanced Economies AETMP
1      2 Advanced Economies AETMP
2      3 Advanced Economies AETMP
3      4 Advanced Economies AETMP
4      5 Afghanistan, Islamic Rep. of AFG

                           Indicator      Unit \
0    Carbon stocks in forests  Million tonnes
1                  Forest area           1000 HA
2  Index of carbon stocks in forests        Index
3      Index of forest extent        Index
4                  Forest area           1000 HA

                           Source CTS_Code \
0 Food and Agriculture Organization of the Unite... ECMFC
1 Food and Agriculture Organization of the Unite... ECMFF
2 Food and Agriculture Organization of the Unite... ECMFS
3 Food and Agriculture Organization of the Unite... ECMFE
4 Food and Agriculture Organization of the Unite... ECMFF

                           CTS_Full_Descriptor      F1992 \
0 Environment, Climate Change, Mitigation, Fores...  52618.6601
1 Environment, Climate Change, Mitigation, Fores...  945840.6089
2 Environment, Climate Change, Mitigation, Fores...   100.0000
3 Environment, Climate Change, Mitigation, Fores...   100.0000
4 Environment, Climate Change, Mitigation, Fores...  1208.4400

      F1993 ...      F2013      F2014      F2015 \
0  53177.699800 ...  56891.748000  57114.846600  57337.946100
1  950628.754500 ...  958658.324000  959818.234200  960978.144400
2   101.062436 ...   108.120860   108.544852   108.968845
3   100.506232 ...   101.355167   101.477799   101.600432
4  1208.440000 ...  1208.440000  1208.440000  1208.440000

      F2016      F2017      F2018      F2019      F2020 \
0  57568.174400  57777.849900  57959.762500  58035.051300  58102.552100
1  962013.845500 961845.120000  961963.710000  962092.030000  962242.860000
2   109.406386   109.804867   110.150586   110.293670   110.421953
3   101.709933   101.692094   101.704632   101.718199   101.734145
4  1208.440000  1208.440000  1208.440000  1208.440000  1208.440000

      F2021      F2022
0       NaN       NaN
1  962383.873400 962531.435600
2       NaN       NaN
3   101.749054   101.764655
4  1208.440000  1208.440000
```

```
[5 rows x 39 columns]
```

```
df.dtypes
```



0

ObjectId	int64
Country	object
ISO3	object
Indicator	object
Unit	object
Source	object
CTS_Code	object
CTS_Full_Descriptor	object
F1992	float64
F1993	float64
F1994	float64
F1995	float64
F1996	float64
F1997	float64
F1998	float64
F1999	float64
F2000	float64
F2001	float64
F2002	float64
F2003	float64
F2004	float64
F2005	float64
F2006	float64
F2007	float64
F2008	float64
F2009	float64
F2010	float64
F2011	float64
F2012	float64
F2013	float64
F2014	float64

```
# Rename columns  
new_columns = {}
```

```
for col in df.columns:  
    if col.startswith('F') and col[1:].isdigit():  
        new_columns[col] = col[1:]  
df = df.rename(columns=new_columns)  
  
print(df.head())  
df.dtypes
```

ObjectID	Country	ISO3	\
0	Advanced Economies	AETMP	
1	Advanced Economies	AETMP	
2	Advanced Economies	AETMP	
3	Advanced Economies	AETMP	
4	Afghanistan, Islamic Rep. of	AFG	

	Indicator	Unit	\
0	Carbon stocks in forests	Million tonnes	
1	Forest area	1000 HA	
2	Index of carbon stocks in forests	Index	
3	Index of forest extent	Index	
4	Forest area	1000 HA	

	Source	CTS_Code	\
0	Food and Agriculture Organization of the United Nations	ECMFC	
1	Food and Agriculture Organization of the United Nations	ECMFF	
2	Food and Agriculture Organization of the United Nations	ECMFS	
3	Food and Agriculture Organization of the United Nations	ECMFE	
4	Food and Agriculture Organization of the United Nations	ECMFF	

	CTS_Full_Descriptor	1992	\
0	Environment, Climate Change, Mitigation, Forests...	52618.6601	
1	Environment, Climate Change, Mitigation, Forests...	945840.6089	
2	Environment, Climate Change, Mitigation, Forests...	100.0000	
3	Environment, Climate Change, Mitigation, Forests...	100.0000	
4	Environment, Climate Change, Mitigation, Forests...	1208.4400	

	1993	... 2013	2014	2015	\
0	53177.699800	... 56891.748000	57114.846600	57337.946100	
1	950628.754500	... 958658.324000	959818.234200	960978.144400	
2	101.062436	... 108.120860	108.544852	108.968845	
3	100.506232	... 101.355167	101.477799	101.600432	
4	1208.440000	... 1208.440000	1208.440000	1208.440000	

	2016	2017	2018	2019	2020	\
0	57568.174400	57777.849900	57959.762500	58035.051300	58102.552100	
1	962013.845500	961845.120000	961963.710000	962092.030000	962242.860000	
2	109.406386	109.804867	110.150586	110.293670	110.421953	
3	101.709933	101.692094	101.704632	101.718199	101.734145	
4	1208.440000	1208.440000	1208.440000	1208.440000	1208.440000	

	2021	2022
0	NaN	NaN
1	962383.873400	962531.435600
2	NaN	NaN
3	101.749054	101.764655
4	1208.440000	1208.440000

[5 rows x 39 columns]

0

ObjectId	int64
Country	object
ISO3	object

```
# Find missing values where country is India and indicator is forest area
forest_area_india = df[(df['Country'] == 'India') & (df['Indicator'] == 'Forest area')].i
```

forest_area_india

	0
ObjectId	0
Country	0
ISO3	0
Indicator	0
Unit	0
Source	0
CTS_Code	0
CTS_Full_Descriptor	0
1992	0
1993	0
1994	0
1995	0
1996	0
1997	0
1998	0
1999	0
2000	0
2001	0
2002	0
2003	0
2004	0
2005	0
2006	0
2007	0
2008	0
2009	0
2010	0
2011	0
2012	0
2013	0
2014	0

at64

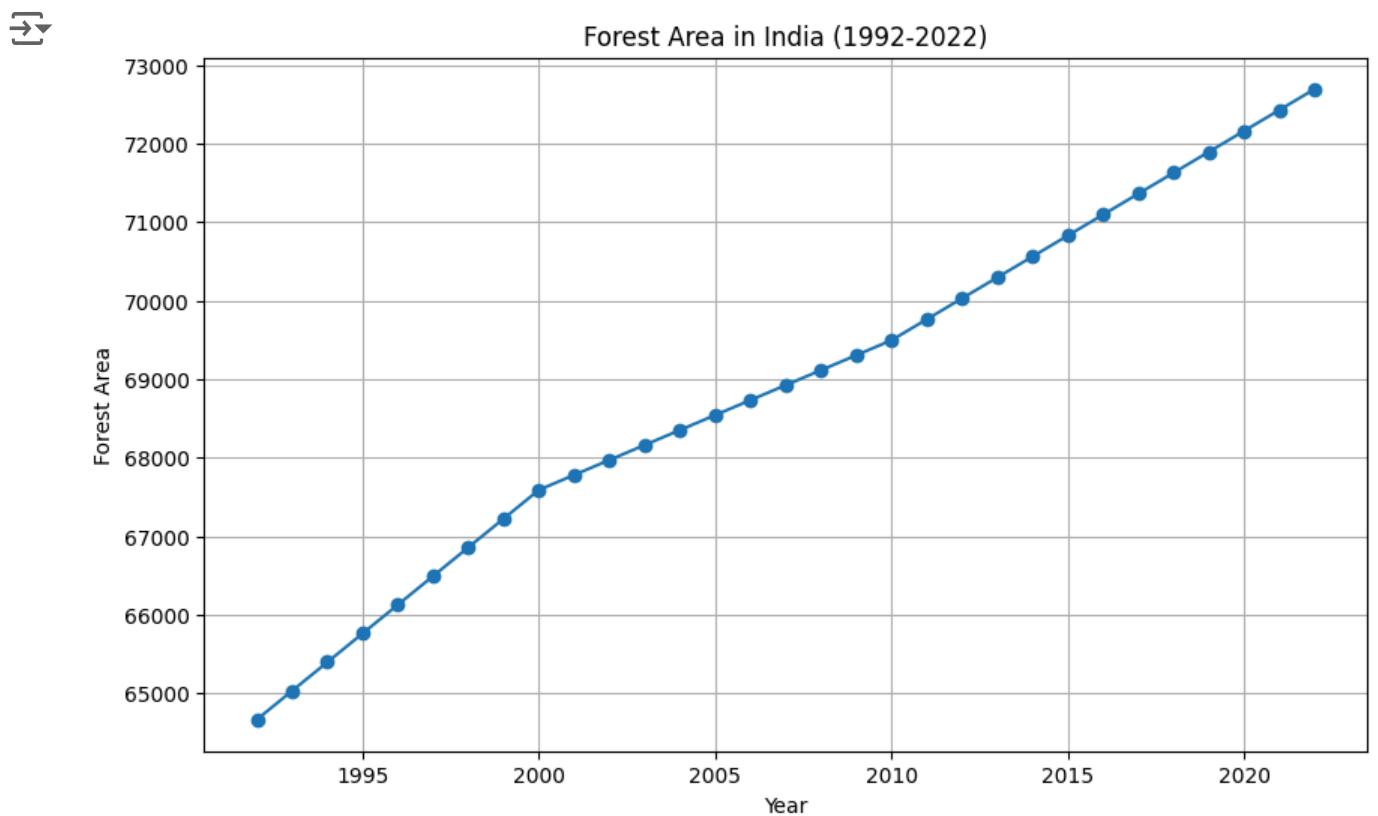
```

import matplotlib.pyplot as plt
# Filter data for India and Forest Area
india_forest_data = df[(df['Country'] == 'India') & (df['Indicator'] == 'Forest area')]

# Extract years and forest area values
years = [int(col) for col in india_forest_data.columns if col.isdigit() and 1992 <= int(col)]
forest_area = [india_forest_data[str(year)].iloc[0] for year in years]

# Create the plot
plt.figure(figsize=(10, 6))
plt.plot(years, forest_area, marker='o')
plt.xlabel('Year')
plt.ylabel('Forest Area')
plt.title('Forest Area in India (1992-2022)')
plt.grid(True)
plt.show()

```



```
print(india_forest_data)
```

	ObjectId	Country	ISO3	Indicator	Unit	Source	CTS_Code
547	548	India	IND	Forest area	1000 HA	Food and Agriculture Organization of the United Nations	ECMFF

```

      CTS_Full_Descriptor    1992    1993 ... \
547 Environment, Climate Change, Mitigation, Fores... 64668.6 65033.9 ...
                                                 2013    2014    2015    2016    2017    2018    2019    2020 \
547 70295.2 70561.6 70828.0 71094.4 71360.8 71627.2 71893.6 72160.0
                                                 2021    2022
547 72426.4 72692.8

[1 rows x 39 columns]

```

```

import numpy as np
from scipy.stats import linregress

# Calculate linear regression
slope, intercept, r_value, p_value, std_err = linregress(years, forest_area)

# Create the plot
plt.figure(figsize=(10, 6))
plt.plot(years, forest_area, marker='o', label='Forest Area')

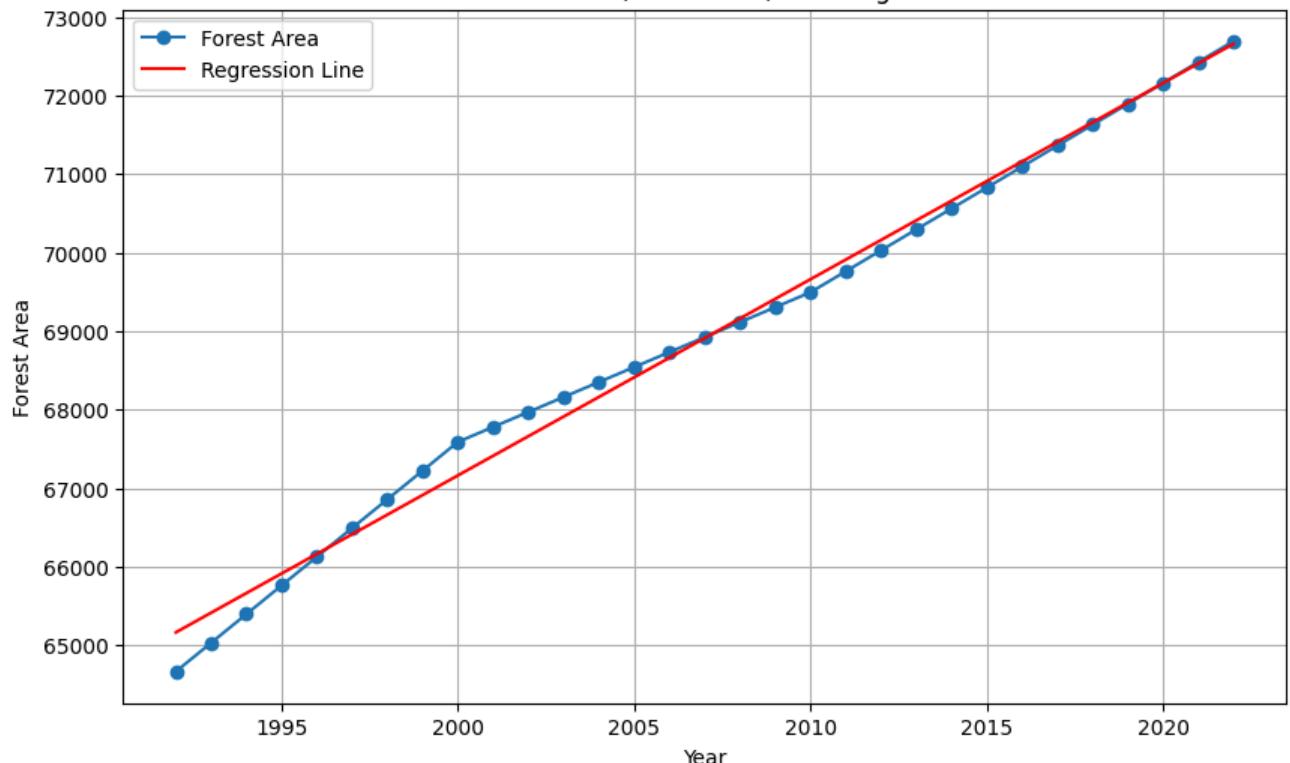
# Add regression line
plt.plot(years, intercept + slope * np.array(years), 'r', label='Regression Line')

plt.xlabel('Year')
plt.ylabel('Forest Area')
plt.title('Forest Area in India (1992-2022) with Regression Line')
plt.grid(True)
plt.legend()
plt.show()

```



Forest Area in India (1992-2022) with Regression Line



```
# Print the regression results
print(f"Slope: {slope}")
print(f"Intercept: {intercept}")
print(f"R-value: {r_value*100}%")
print(f"P-value: {p_value}")
print(f"Standard Error: {std_err}")

# R-squared value
r_squared = r_value**2
print(f"R-squared: {r_squared}")

# Summary of the linear regression
print("\nSummary of Linear Regression:")
print(f"The linear regression model shows a relationship between the year and forest area")
print(f"The slope ({slope:.2f}) indicates the average annual change in forest area.")
print(f"A positive slope suggests an increasing trend, while a negative slope suggests a")
print(f"The intercept ({intercept:.2f}) represents the estimated forest area at year 0 (n")
print(f"The R-squared value ({r_squared:.2f}) indicates the proportion of variance in for")
print(f"A higher R-squared value indicates a better fit of the model.")
print(f"The p-value ({p_value:.3f}) indicates the statistical significance of the relati
```

```
→ Slope: 249.69532258064515
    Intercept: -432226.0317741935
    R-value: 99.58763709339708%
    P-value: 8.753224918248456e-32
    Standard Error: 4.223889949234077
    R-squared: 0.9917697461846157
```

Summary of Linear Regression:

The linear regression model shows a relationship between the year and forest area in India. The slope (249.70) indicates the average annual change in forest area. A positive slope suggests an increasing trend, while a negative slope suggests a decreasing trend. The intercept (-432226.03) represents the estimated forest area at year 0 (not meaningful). The R-squared value (0.99) indicates the proportion of variance in forest area explained by the model. A higher R-squared value indicates a better fit of the model. The p-value (0.000) indicates the statistical significance of the relationship. A small p-value (less than 0.05) typically indicates a statistically significant relationship.

```
# Predict forest area for future years
future_years = [2023, 2024, 2030, 2040, 2050]
predicted_forest_area = intercept + slope * np.array(future_years)

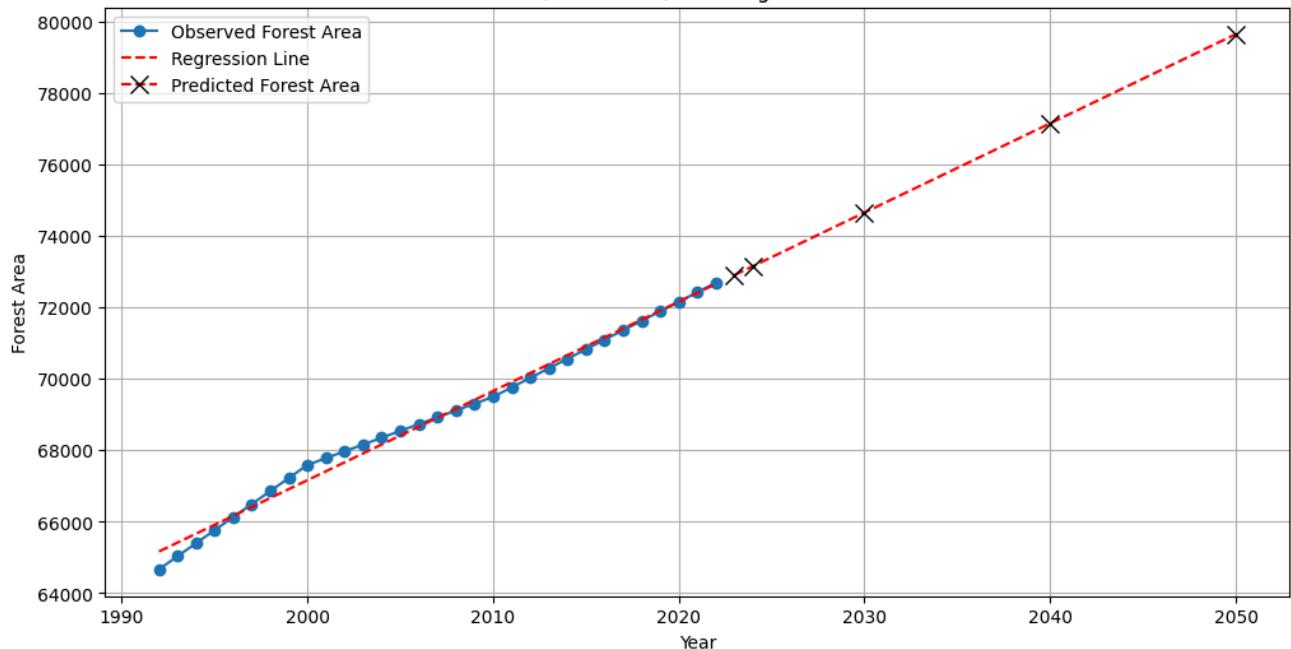
# Extend the plot with predicted values
plt.figure(figsize=(12, 6))
plt.plot(years, forest_area, marker='o', label='Observed Forest Area')
plt.plot(years, intercept + slope * np.array(years), 'r', label='Regression Line', linestyle='solid')
plt.plot(future_years, predicted_forest_area, marker='x', linestyle='dashed', color='red', label='Predicted Forest Area')

plt.xlabel('Year')
plt.ylabel('Forest Area')
plt.title('Forest Area in India (1992-2050) with Regression Line and Predictions')
plt.grid(True)
plt.legend()
plt.show()

# Print the predicted values
for year, area in zip(future_years, predicted_forest_area):
    print(f"Predicted Forest Area for {year}: {area:.2f}")
```



Forest Area in India (1992-2050) with Regression Line and Predictions



Predicted Forest Area for 2023: 72907.61
Predicted Forest Area for 2024: 73157.30
Predicted Forest Area for 2030: 74655.47
Predicted Forest Area for 2040: 77152.43
Predicted Forest Area for 2050: 79649.38

```
import pandas as pd
import matplotlib.pyplot as plt
import numpy as np
from statsmodels.graphics.tsaplots import plot_acf, plot_pacf

# Calculate autocorrelation and partial autocorrelation
acf_vals = np.correlate(forest_area, forest_area, mode='full')

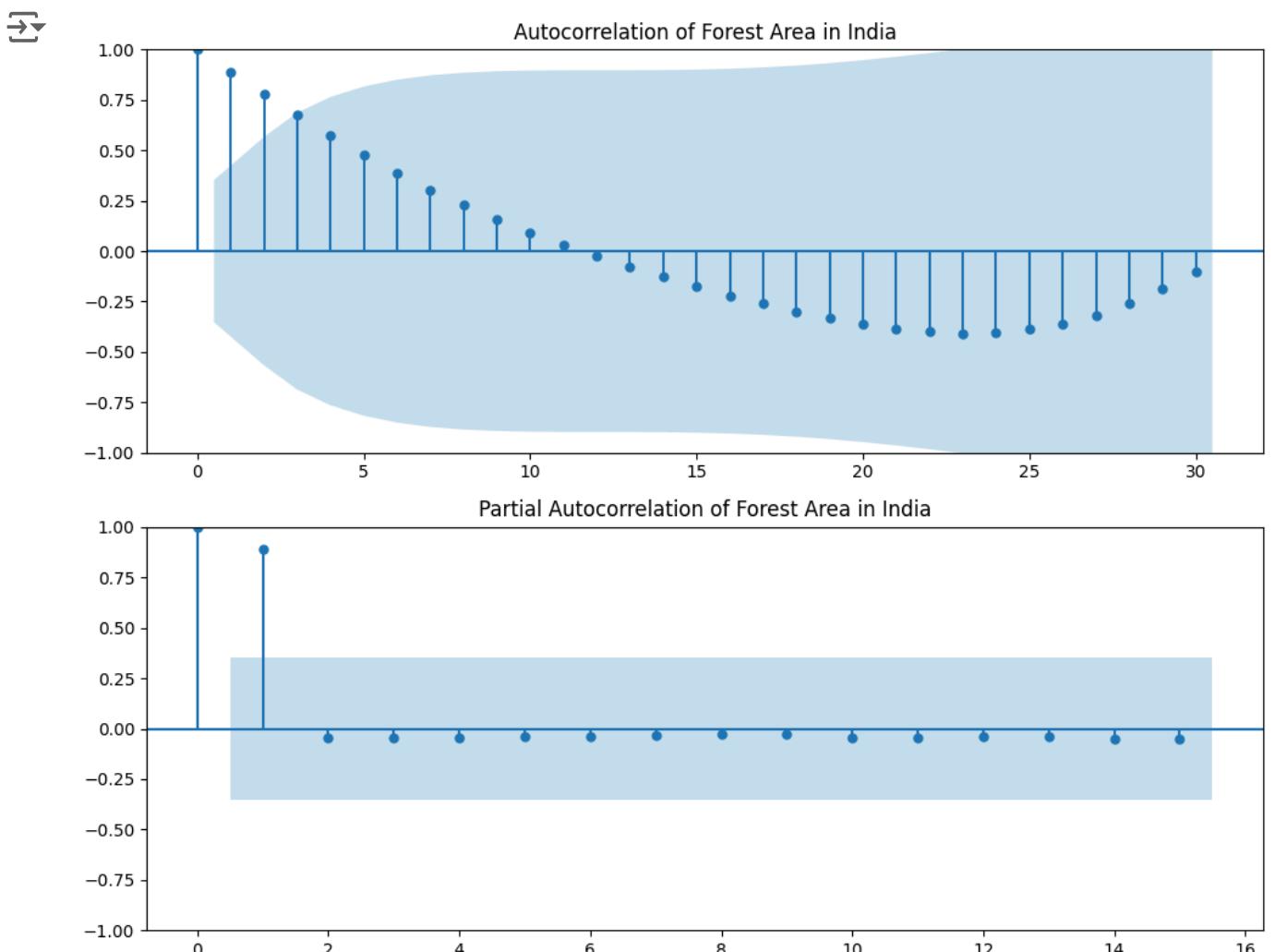
# Plotting
fig, axes = plt.subplots(2, 1, figsize=(10, 8))

# Autocorrelation plot using statsmodels
plot_acf(forest_area, lags=len(years)-1, ax=axes[0])
axes[0].set_title('Autocorrelation of Forest Area in India')

# Partial autocorrelation plot using statsmodels
# Limit lags to 50% of the sample size
max_lags = len(years) // 2 # Calculate maximum allowed lags
plot_pacf(forest_area, lags=max_lags, ax=axes[1]) # Changed to calculate maximum lags
```

```
axes[1].set_title('Partial Autocorrelation of Forest Area in India')
```

```
plt.tight_layout()  
plt.show()
```



```
from statsmodels.tsa.stattools import adfuller  
  
for d in range(3):  
    if d > 0:  
        differenced_series = np.diff(forest_area, n=d)
```

```

else:
    differenced_series = forest_area

result = adfuller(differenced_series)
print(f"Results for d = {d}")
print('ADF Statistic: %f' % result[0])
print('p-value: %f' % result[1])
print('Critical Values:')
for key, value in result[4].items():
    print('\t%s: %.3f' % (key, value))

if result[1] <= 0.05:
    print("Reject the null hypothesis. Time series is stationary.")
else:
    print("Fail to reject the null hypothesis. Time series is not stationary.")
print("-" * 50)

```

→ Results for d = 0
 ADF Statistic: -0.102038
 p-value: 0.949235
 Critical Values:
 1%: -3.679
 5%: -2.968
 10%: -2.623
 Fail to reject the null hypothesis. Time series is not stationary.

Results for d = 1
 ADF Statistic: -5.346733
 p-value: 0.000004
 Critical Values:
 1%: -3.809
 5%: -3.022
 10%: -2.651
 Reject the null hypothesis. Time series is stationary.

Results for d = 2
 ADF Statistic: -5.749507
 p-value: 0.000001
 Critical Values:
 1%: -3.833
 5%: -3.031
 10%: -2.656
 Reject the null hypothesis. Time series is stationary.

```

!pip install pmdarima
from statsmodels.tsa.arima.model import ARIMA
import pmdarima as pm
# Automatic ARIMA model selection using pmdarima
auto_arima_model = pm.auto_arima(forest_area,
                                 start_p=0, start_q=0,
                                 test='adf',
                                 max_p=5, max_q=5, m=1, # Set appropriate max values
                                 d=None,                 # Let auto_arima determine 'd'
                                 seasonal=False,          # No seasonality assumed in this example
                                 start_P=0,

```

```

        D=0,
        trace=True,
        error_action='ignore',
        suppress_warnings=True,
        stepwise=True)

print(auto_arima_model.summary())

# Access the p, d, and q values:
p, d, q = auto_arima_model.order
print(f"Optimal p, d, q values: p={p}, d={d}, q={q}")

```

→ Collecting pmdarima

Downloading pmdarima-2.0.4-cp310-cp310-manylinux_2_17_x86_64.manylinux2014_x86_64.rw
Requirement already satisfied: joblib>=0.11 in /usr/local/lib/python3.10/dist-package
Requirement already satisfied: Cython!=0.29.18,!=0.29.31,>=0.29 in /usr/local/lib/pyt
Requirement already satisfied: numpy>=1.21.2 in /usr/local/lib/python3.10/dist-packag
Requirement already satisfied: pandas>=0.19 in /usr/local/lib/python3.10/dist-package
Requirement already satisfied: scikit-learn>=0.22 in /usr/local/lib/python3.10/dist-p
Requirement already satisfied: scipy>=1.3.2 in /usr/local/lib/python3.10/dist-package
Requirement already satisfied: statsmodels>=0.13.2 in /usr/local/lib/python3.10/dist-
Requirement already satisfied: urllib3 in /usr/local/lib/python3.10/dist-packages (fr
Requirement already satisfied: setuptools!=50.0.0,>=38.6.0 in /usr/local/lib/python3.
Requirement already satisfied: packaging>=17.1 in /usr/local/lib/python3.10/dist-pack
Requirement already satisfied: python-dateutil>=2.8.2 in /usr/local/lib/python3.10/di
Requirement already satisfied: pytz>=2020.1 in /usr/local/lib/python3.10/dist-package
Requirement already satisfied: tzdata>=2022.7 in /usr/local/lib/python3.10/dist-packa
Requirement already satisfied: threadpoolctl>=3.1.0 in /usr/local/lib/python3.10/dist
Requirement already satisfied: patsy>=0.5.6 in /usr/local/lib/python3.10/dist-package
Requirement already satisfied: six>=1.5 in /usr/local/lib/python3.10/dist-packages (f
Downloading pmdarima-2.0.4-cp310-cp310-manylinux_2_17_x86_64.manylinux2014_x86_64.man

2.1/2.1 MB 21.7 MB/s eta 0:00:00

Installing collected packages: pmdarima

Successfully installed pmdarima-2.0.4

Performing stepwise search to minimize aic

ARIMA(0,2,0)(0,0,0)[0]	intercept	: AIC=292.877, Time=0.07 sec
ARIMA(1,2,0)(0,0,0)[0]	intercept	: AIC=294.869, Time=0.05 sec
ARIMA(0,2,1)(0,0,0)[0]	intercept	: AIC=294.869, Time=0.56 sec
ARIMA(0,2,0)(0,0,0)[0]		: AIC=291.147, Time=0.02 sec
ARIMA(1,2,1)(0,0,0)[0]	intercept	: AIC=296.856, Time=0.99 sec

Best model: ARIMA(0,2,0)(0,0,0)[0]

Total fit time: 1.720 seconds

SARIMAX Results

Dep. Variable:	y	No. Observations:	31
Model:	SARIMAX(0, 2, 0)	Log Likelihood	-144.574
Date:	Sat, 14 Dec 2024	AIC	291.147
Time:	03:59:23	BIC	292.514
Sample:	0	HQIC	291.575
	- 31		
Covariance Type:	opg		

	coef	std err	z	P> z	[0.025	0.975]
sigma2	1252.2601	103.327	12.119	0.000	1049.743	1454.777
Ljung-Box (L1) (Q):			0.00	Jarque-Bera (JB):		420.07
Prob(Q):			0.96	Prob(JB):		0.00

```

Heteroskedasticity (H):          0.00   Skew:           -3.58
Prob(H) (two-sided):            0.00   Kurtosis:        20.22
=====
Warnings:
[1] Covariance matrix calculated using the outer product of gradients (complex-step).
Optimal p, d, q values: p=0, d=2, q=0

```

```

model = ARIMA(forest_area, order=(0, 2, 0))
model_fit = model.fit()

# Forecast future values
future_years = [2023, 2024, 2025, 2026, 2027, 2030, 2040, 2050]
forecast = model_fit.predict(start=len(forest_area), end=len(forest_area) + len(future_ye

# Plotting the forecast
plt.figure(figsize=(12, 6))
plt.plot(years, forest_area, label='Observed Forest Area')
plt.plot(future_years, forecast, label='ARIMA Forecast', marker='x', linestyle='--', colo

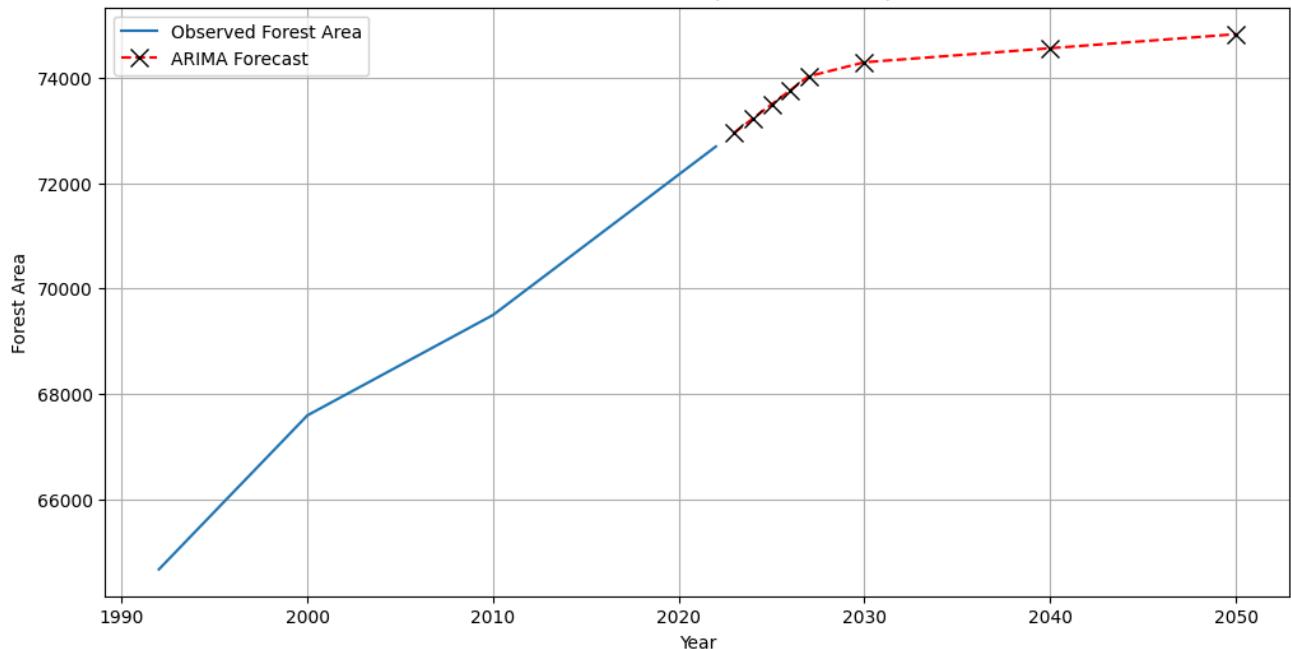
plt.xlabel('Year')
plt.ylabel('Forest Area')
plt.title('Forest Area in India (ARIMA Forecast)')
plt.legend()
plt.grid(True)
plt.show()

# Print the forecasted values
for year, area in zip(future_years, forecast):
    print(f"Forecasted Forest Area for {year}: {area:.2f}")

```



Forest Area in India (ARIMA Forecast)



Forecasted Forest Area for 2023: 72959.20
Forecasted Forest Area for 2024: 73225.60
Forecasted Forest Area for 2025: 73492.00
Forecasted Forest Area for 2026: 73758.40
Forecasted Forest Area for 2027: 74024.80
Forecasted Forest Area for 2030: 74291.20
Forecasted Forest Area for 2040: 74557.60
Forecasted Forest Area for 2050: 74824.00

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.preprocessing import MinMaxScaler
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import LSTM, Dense

# Data scaling
scaler = MinMaxScaler()
forest_area_scaled = scaler.fit_transform(np.array(forest_area).reshape(-1, 1))

# Prepare data for LSTM
def create_dataset(dataset, look_back=1):
    X, Y = [], []
    for i in range(len(dataset)-look_back-1):
        a = dataset[i:(i+look_back), 0]
```

```

        X.append(a)
        Y.append(dataset[i + look_back, 0])
    return np.array(X), np.array(Y)

look_back = 5
X, Y = create_dataset(forest_area_scaled, look_back)
X = np.reshape(X, (X.shape[0], X.shape[1], 1))

# LSTM model
model = Sequential()
model.add(LSTM(units=50, return_sequences=True, input_shape=(X.shape[1], 1)))
model.add(LSTM(units=50))
model.add(Dense(1))
model.compile(loss='mean_squared_error', optimizer='adam')
model.fit(X, Y, epochs=100, batch_size=1, verbose=2)

# Predictions
future_years = [2023, 2024, 2025, 2026, 2027, 2030, 2040, 2050]
inputs = forest_area_scaled[-look_back:]
predictions = []

for i in range(len(future_years)):
    input_reshaped = np.reshape(inputs, (1, look_back, 1))
    prediction = model.predict(input_reshaped, verbose=0)
    predictions.append(prediction[0,0])
    inputs = np.append(inputs[1:], prediction)

# Inverse transform to get actual values
predictions = scaler.inverse_transform(np.array(predictions).reshape(-1, 1))

```

→ /usr/local/lib/python3.10/dist-packages/keras/src/layers/rnn/rnn.py:204: UserWarning:

```

super().__init__(**kwargs)
Epoch 1/100
25/25 - 10s - 397ms/step - loss: 0.1434
Epoch 2/100
25/25 - 0s - 13ms/step - loss: 0.0129
Epoch 3/100
25/25 - 1s - 24ms/step - loss: 0.0026
Epoch 4/100
25/25 - 0s - 9ms/step - loss: 0.0010
Epoch 5/100
25/25 - 0s - 15ms/step - loss: 8.2774e-04
Epoch 6/100
25/25 - 0s - 14ms/step - loss: 8.0157e-04
Epoch 7/100
25/25 - 0s - 10ms/step - loss: 4.6154e-04
Epoch 8/100
25/25 - 0s - 11ms/step - loss: 3.4955e-04
Epoch 9/100
25/25 - 0s - 16ms/step - loss: 3.4022e-04
Epoch 10/100
25/25 - 1s - 22ms/step - loss: 4.0881e-04
Epoch 11/100
25/25 - 0s - 13ms/step - loss: 3.7897e-04
Epoch 12/100

```

```

25/25 - 0s - 10ms/step - loss: 4.5805e-04
Epoch 13/100
25/25 - 0s - 8ms/step - loss: 6.0975e-04
Epoch 14/100
25/25 - 0s - 6ms/step - loss: 0.0013
- 100%

```

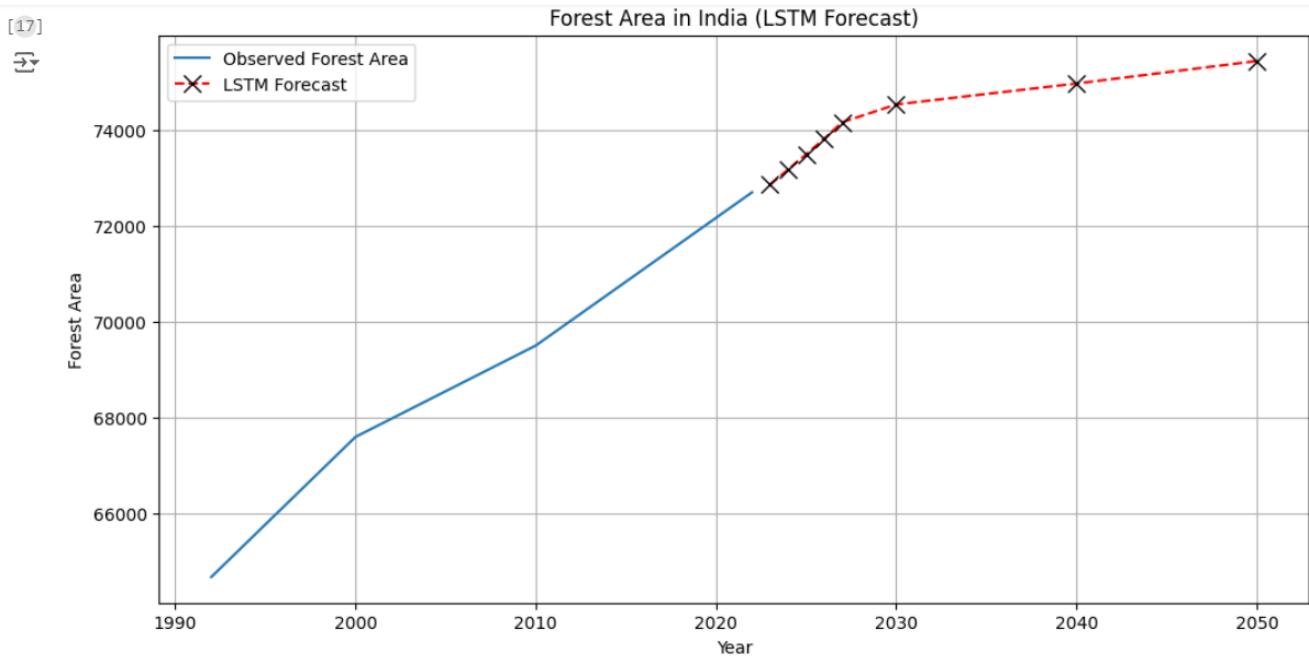
```

# Plotting
plt.figure(figsize=(12, 6))
plt.plot(years, forest_area, label='Observed Forest Area')
plt.plot(future_years, predictions, label='LSTM Forecast', marker='x', linestyle='--', color='red', markeredgecolor='black', ms=10)

plt.xlabel('Year')
plt.ylabel('Forest Area')
plt.title('Forest Area in India (LSTM Forecast)')
plt.legend()
plt.grid(True)
plt.show()

# Print predictions
for year, area in zip(future_years, predictions):
    print(f"Forecasted Forest Area for {year}: {area[0]:.2f}")

```



```

Forecasted Forest Area for 2023: 72853.39
Forecasted Forest Area for 2024: 73167.20
Forecasted Forest Area for 2025: 73483.06
Forecasted Forest Area for 2026: 73809.36
Forecasted Forest Area for 2027: 74154.13
Forecasted Forest Area for 2030: 74525.78
Forecasted Forest Area for 2040: 74962.31
Forecasted Forest Area for 2050: 75431.69

```

[18] model.summary()

Model: "sequential"

Layer (type)	Output Shape	Param #
lstm (LSTM)	(None, 5, 50)	10,400
lstm_1 (LSTM)	(None, 50)	20,200
dense (Dense)	(None, 1)	51

```

Total params: 91,955 (359.20 KB)
Trainable params: 30,651 (119.73 KB)
Non-trainable params: 0 (0.00 B)
Optimizer params: 61,304 (239.47 KB)

```

10.1 PLAGIARISM REPORT

11. REFERENCES

Journal References:

[1] Rolnick, D., Donti, P., Kaack, L., Kochanski, K., Lacoste, A., Sankaran, K., Ross, A., Milojevic-Dupont, N., Jaques, N., Waldman-Brown, A., Luccioni, A., Maharaj, T., Sherwin, E., Mukkavilli, S., Körding, K., Gomes, C., Ng, A., Hassabis, D., Platt, J., & Creutzig, F. (n.d.). **Tackling Climate Change with Machine Learning.**

<https://arxiv.org/pdf/1906.05433>

[2] Kumar, Sachin. “**A Novel Hybrid Machine Learning Model for Prediction of CO2 Using Socio-Economic and Energy Attributes for Climate Change Monitoring and Mitigation Policies.**” *Ecological Informatics*, vol. 77, 1 Nov. 2023, pp. 102253–102253

[https://doi.org/10.1016/j.ecoinf.2023.102253.](https://doi.org/10.1016/j.ecoinf.2023.102253)

[3] Irvin, Jeremy, et al. “**ForestNet: Classifying Drivers of Deforestation in Indonesia Using Deep Learning on Satellite Imagery.**” ArXiv (Cornell University), 10 Nov. 2020

[https://doi.org/10.48550/arxiv.2011.05479.](https://doi.org/10.48550/arxiv.2011.05479)

[4] Tur, Rifat, et al. “**Sea Level Prediction Using Machine Learning.**” *Water*, vol. 13, no. 24, 13 Dec. 2021, p. 3566

[https://doi.org/10.3390/w13243566.](https://doi.org/10.3390/w13243566)

[5] Grant Buster, Jordan Cox, Brandon N. Benton, and Ryan N. King “**Tackling extreme urban heat: a machine learning approach** to assess the impacts of climate change and the efficacy of climate adaptation strategies in urban microclimates “

<https://arxiv.org/pdf/2411.05952>

Web References:

Global Conference Summit Paper (NOV 2024) : **COP 29**

- *Summary of Global Climate Action at COP 29.* (n.d.).
https://unfccc.int/sites/default/files/resource/Summary_Global_Climate_Action_at_COP_29.pdf



International Centre for Education and Research (ICER), VIT-Bangalore

PROJECT STUDENT'S WORKLOG SHEET

Student Name: SHIVAM

Register Number: 24MSP3080

Project Title: Prediction of Climate Change and its Impact on the World.

Domain: ENVIRONMENT

Tools Learned / used:

Day	Date	Task	Student's Remarks	Signature of Student with Date	Signature of the Project Mentor
Day	25.11.2024	Domain Selection Base Paper Selection, Finalising the Title and Problem statement.	TITLE, DATASET FINALISING BASE PAPER + 4	<i>Shivam</i> 25-11-24	<i>S.K.</i> 25-11-24

Day	27-11-24	Final Abstract (Objective, Dataset, methodology, Tools, Expected Outcome) and Review of Related Literature	ABSTRACT METHODOLOGY REVIEW OF LITERATURE DONE	<i>Arivam.</i> 27-11-24	<i>✓</i> 27-11-24
Day	26-11-24	ZEROTH REVIEW	PRESENTED PPT	<i>Arivam.</i> 26-11-24	<i>✓</i> 26-11-24
Day	2-12-24	Approach to the Problem write up 2 pages (Aim, Research Objective, Research questions, Algorithm, Tools, Dataset, proposed architecture, expected outcome, References). Perform EDA	REVIEW 1 DATA CLEANING ARCHITECTURE EDA	<i>Arivam</i> 2-12-24	<i>✓</i> 2-12-24
Day	3-12-24	Implementation	APPLIED LIN. REG AREMA TO ANNUAL MEAN GLOBAL TEMP DATASET	<i>Arivam.</i> 3-12-24	<i>✓</i> 3-12-24
Day	4-12-24	Implementation	APPLIED LIN. REG PREDICTION ON CO ₂ CONCENTRATION	<i>Arivam</i> 4-12-24	<i>✓</i> 4-12-24

Day	5-12-24	Implementation	ONLINE CLASS Implementation of Code for Mean Sea Level	✓ Shivam. 5-12-24	✓ 5/12/24
Day	9-12-24	Implementation	Implementation of Code for Forest Area DataSet	✓ Shivam. 9-12-24	✓ 9/12/24
Day	12-12-24	Second Review	Presented 2 nd REVIEW	✓ Shivam. 12-12-24	✓ 12/12/24
Day	12-12-24	Results and Discussion	Results and Interpretation Shown	✓ Shivam. 12-12-24	✓ 12/12/24
Day	12-12-24	Conclusion and future scope	Future Scope Discussed with guide	✓ Shivam. 12-12-24	✓ 12/12/24

Day	13-12-24	Rough Draft of Report submission	Prepared Rough Draft.	<i>Sivam</i> 13-12-24	<i>A Murphy</i> 13/12/24
Day	13-12-24	PPT for Final Review Submission	Showen final ppt to Guide	<i>Sivam</i> 13-12-24	<i>A</i> 13/12/24
Day	13-12-24	PPT for Final Review Submission and Project Report Submission on approval by Project Mentor	Final Ppt and Project Report Approval.	<i>Sivam</i> 13-12-24	<i>A</i> 13/12/24
Day	13-12-24	Final Review	Presented Final Review Ppt to External Examiner	<i>Sivam</i> 13-12-24	<i>Tanya</i> 13/12/24