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Name \Rightarrow Shubham
 Notes \Rightarrow Datastructure

Chapter - 1 Data structure: An overview

Data :- Data is a collection of unorganized facts, concepts or instructions in a formalized manner suitable for interpretation, processing by the computer system.

Information :- Information is defined as the processed data that will help to make the further decisions. Information will be generated after arranging the data into a suitable and arranging the data into a suitable and meaningful form.

E.g. A list of names and addresses
The contents of a letter

$$\boxed{\text{Data}} \rightarrow \boxed{\text{Process}} \rightarrow \boxed{\text{Information}}$$

Knowledge :- Knowledge is defined by the Oxford English Dictionary as (i) expertise, and skills acquired by a person through experience or education; the theoretical or practical understanding of a subject, (ii) what is known in a particular field or in total, facts and information or (iii) awareness or familiarity gained by experience of a fact or situation.

Data Structure :- A data structure is a particular way of storing and organising data in a computer so that it can be used efficiently.

Features :-

- Data structure should be simple so that various operations can be performed on data effectively.

- Data structures represents the relationship of data in real world.

- # No. of Fields and Applications of Data structure:
- Graphics
 - Compiler design
 - Artificial Intelligence
 - Simulation
 - Numerical Analysis
 - operating System
 - Database Management system

Categories or classification of Data structures:

1) Linear = Sequence

Non-Linear = Non-Sequence

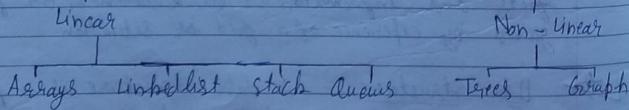
2) Static = fix

Dynamic = changeable

3) Homogeneous = Same Type

Heterogeneous = Different Type

Data Structure



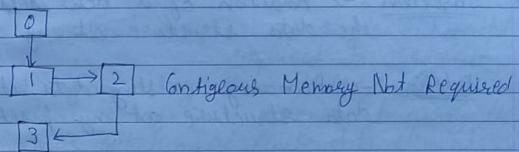
- # Linear Data Structures :- A data structure is said to be linear if its elements are arranged in a sequence so that processing of elements is possible in a linear sequence

Its types are:-

1) Arrays

$a[5] = [0 | 1 | 2 | 3 | 4]$ Continuous Memory Required

2) Linked List



3) Stacks

⌚ LIFO \Rightarrow Last in, first out

4) Queues

⌚ FIFO = First in, First out

Chapter - 1 Data Structure

- # Common operations on Data structures:
 - 1) Traversing :→ Accessing each data element in the data structure exactly one from first element to last element
 - 2) Insertion :→ Addition of a new data item in the data structure at any position
 - 3) Deletion :→ Removing existing data item in the data structure at any position.
 - 4) Merging :→ Combining the elements of two similar structures into a single structure
 - 5) Searching :→ Finding the location of an element from a given set of elements.
 - 6) Sorting :→ Arranging the elements in some specified order. The specified order may be ascending or descending in case of numeric values and alphabetically in case of characters.

Chapter - 3 Arrays

- # Arrays:- Arrays are the simplest data structure. An array is a sequential list of elements which is fixed in number or we can say an array is a fixed-sized, homogeneous and widely-used data structure.
- # One Dimensional Array:- If single subscript is required to reference an element of an array then it is known as one dimensional array. One dimensional array is a homogeneous collection of finite data elements which are referenced by an index number. One dimensional arrays are also known as linear array.
- # Declaring one dimensional array :-
data-type array-name [array-size];
- # To find locations of array elements :-
$$\text{Loc}(A[J]) = \text{base of } A + W(J - \text{lower bound})$$

E.g. 1

Given: Base Address = 18400, J = 3, lower bound = 0
$$\text{Loc } A[3] = 18400 + 3(3-0)$$
$$= 18400 + 6$$
$$= 18406$$

Eg. 2

Given: Base Address = 2000, J = 5

$$\text{Loc}[5] = 2000 + 2(5-0)$$

$$= 2000 + 10$$

$$= 2010$$

Eg. 3

Given: Base Address = 3400, J = 2

$$\text{Loc}[2] = 3400 + 2(2-0)$$

$$= 3400 + 4$$

$$= 3404$$

Inserting Element in one Dimensional Array.
 Inserting element in one dimensional array is the operation of adding an element to existing set of elements. After insertion the size of one dimensional array is increased by a factor of one. Insertion in one dimensional array is possible only if the allotted memory space is large enough to accommodate the additional element. We have two cases:

- Inserting element in Unsorted array.
- Inserting element in Sorted array.

1 Inserting element in Unsorted array!

Case 1 Inserting element at the end

Case 2 Inserting element in the beginning or in the middle

Algorithm: INSERT(A, N, J, GTEM)

// Let A is an array with N elements
 J is the location where GTEM has been inserted
 GTEM is the new value to be inserted.

Step 1: Set I = N [Initialize Counter]

Step 2: Repeat steps 3 and 4 while $g >= J$

Step 3: [Move the gth element to right]
 $\text{Set } A[g+1] = A[g]$

Step 4: [Decrement the Counter by 1]

Set $I = I - 1$

[End of STEP 2 loop]

Step 5: [Insert Element]
 $\text{Set } A[J] = \text{GTEM}$

Step 6: [Reset N]
 $\text{Set } N = N + 1$

Step 7: Exit

Program

```
// Program to insert an element in Unsorted array.
#include <stdio.h>
#include <conio.h>
int main()
{
    int i, j, n, item;
    int a[20];
    printf("Enter the size of array:");
    scanf("%d", &n);
    printf("\n Enter all the elements of array:-\n");
    for (i = 1; i <= n; i++)
    {
        scanf("%d", &a[i]);
    }
}
```

```

print f ("Enter the location of new element");
scanf ("%d", &j);
print f ("Enter the element to insert");
scanf ("%d", &item);

l = n;
while (i >= j)
{
    a[i] = a[i];
    i--;
}
a[j] = item;
n = n + 1;
print f ("\n After inserting new element, all elements are:");
for (i = 1; i <= n; i++)
{
    print f ("\n%d", a[i]);
}
getch();

```

2) Inserting element in Sorted Array
ALGORITHM: INSERT(A, N, gTEM)
// Given 'A' is an array whose elements are sorted in ascending order.
N is the number of elements in array 'A'
gTEM is the new element to be inserted in 'A'

Step 1 I = N
Step 2 Repeat step 3 and 4 while (gTEM < A[g]) and g <= l

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Step 3 $A[g+1] = A[g]$

Step 4 $I = I - 1$
[End of while loop]

Step 5 $A[g+1] = gTEM$

Step 6 $N = N + 1$

Step 7 Exit

Deleting Element from One Dimensional Array
ALGORITHM: DELETE(A, N, J)
// Given 'A' is an array
N is the number of elements in array A
J is the position from where gTEM to be deleted

Step 1 [Initialize Counter]
Set I = J

Step 2 Repeat while g <= N

Step 3 [Move the elements to left upwards]
 $A[g] = A[g+1]$

Step 4 [Increase the Counter]
Set I = I + 1
[End of Step 2 loop]

Step 5 [Reset N]
Set N = N - 1

Step 6 Exit

Program

```

// Program to insert and delete multiple elements in
// an array.
#include <stdio.h>
#include <iostream.h>
#include <stdlib.h>
Void jis();
Void iuc();
Void del();
int main()
{
    print:
        System("cls");
        char ch;
        for (int i=0; i<60; i++)
            printf("--");
        printf("\n\n\t\t\t\t\t\tT. E. S. T.\n");
        for (int i=0; i<60; i++)
            printf("--");
        printf("\n\nEnter 'i' to insert in sorted array
              'u' to insert in unsorted array
              'd' to delete\n");
        scanf("%c", &ch);
        switch(ch)
        {
            Case 'i': iuc();
            break;
            Case 'u': iuc();
            break;
            Case 'd': del();
            break;
            default:
                printf("Choose correct option for operation");
        }
}

```

Multidimensional Array → Two Dimensional Array

- Row Major Representation

$$LOC[R[J][K]] = \text{Base address of } R + w[N(J-1)+(K-1)]$$

- Column Major Representation

$$LOC[A[J][K]] = \text{Base address of } A + w[M(K-1)+(J-1)]$$

ALGORITHM: TRAVERSE [A[R][C])

// Here A is 2-Dimensional Array

Step1 Repeat for I = 1 to R

Step2 Repeat for J = 1 to C

Step3 Apply PROCESS to A[I][J]

[End of Step2 loop]

[End of Step1 loop]

Step4 Exit

Addition of two Matrices

ALGORITHM [A[M][N], B[X][Y])

// Here A is a 2D Array with M Rows and N Columns

// Here B is a 2D Array with X Rows and Y Columns

Step1 If (M ≠ X) and (N ≠ Y) then

Print Addition is not possible and EXIT

Step2 Repeat for I = 1 to M

Step3 Repeat for J = 1 to N

Step4 $C[I][J] = A[I][J] + B[I][J]$

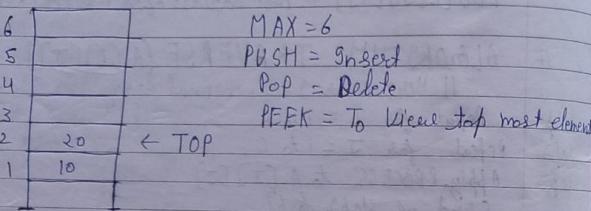
[End of Step3 loop]

[End of Step2 loop]

Step5 EXIT

Chapter 5 stacks

Stack :- A stack can be defined as a structure in which elements are added and removed from only one end or we can say it is a "last in first out" (LIFO) structure.



PUSH

ALGORITHM : PUSH (STACK, TOP, MAX, STEM)
// STACK is an array with MAX location. TOP is the pointer variable which shows the topmost element. STEM is a variable which contains the element to be inserted

Step 1 [check for stack overflow]
[if (TOP == MAX)]

Print stack is full and exit
[End of If structure]

Step 2 TOP = TOP + 1

[Increment TOP by 1]

Step 3 STACK [TOP] = STEM

Step 4 EXIT

POP

ALGORITHM : POP (STACK, TOP, MAX, STEM)

Step 1 [check for stack underflow]
[if (TOP == 0)]
Print stack is empty and EXIT
[End of If structure]

Step 2 STEM = STACK [TOP]

Step 3 TOP = TOP - 1
[Decrement TOP by 1]

Step 4 EXIT

POP

PEEK

ALGORITHM: PEEK(STACK, TOP)
 // At Top contains the location of topmost element of the stack

Step 1 [check for Underflow of stack]

If (TOP = -1) then

Print Underflow and return [stack is already empty]
 Exit

[End of If structure]

Step 2 STACK [TOP] = GITEM

Step 3 Return (GITEM)

Step 4 Exit

Applications of stacks

- Evaluation of Arithmetic expressions
- Recursion
- Reversing a string
- Converting one number system to another
- Delimiter matching
- Quick Sort for sorting data
- Adding very large numbers
- Backtracking

ALGORITHM: POSTFIX(P)

// Here P is a Postfix expression
 e.g. A B C + D * E F + G * H I + J *

Step 1 Add ")" to the end of expression P.

Scan expression P from left to right until ")" is encountered

Step 2 If operand is encountered, PUSH it into stack

Step 3 If operator (C) is encountered.

Step 4 Pop top two elements such that B is the topmost element, and A is second topmost element.

Step 6 Evaluate A \oplus B

Step 7 PUSH the result back to stack

[End of if step 4]

[End of step 2 loop]

Step 8 POP the topmost element from stack and set to any variable

Step 9 Exit

• Converting Infix Expressions into Postfix Expression

ALGORITHM: CONVERT(A, P)

Here A is an arithmetic expression written using infix notation. P is the equivalent postfix expression

Step 1 Push left "(" onto stack and

Step 2 Add ")" to the end of expression A

Step 3 Scan expression A from left to right and repeat

Step 4 for each element of A until the stack is empty
 Do following for the scanned element:

I If scanned element is an operand then add it to P

II If scanned element is a left "(" then push it onto stack,

III If scanned element is an operator then do following

(a) Repeat while topmost element of the stack is an operator with same precedence as scanned operator or higher precedence then scanned operator;

(i) Pop topmost element from the stack and add to P [End of step III(a) loop]

(b) Add newly scanned operator to stack

IV If scanned element is a right ")" then do the following:

(a) Repeat while left "(" appears on the top of stack

(i) Pop top element from stack and add to P

[End of step IV(i) loop]

(ii) Remove the left "("

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Step 5 [End of step 3 loop]
Exit

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QUEUES

ALGORITHM 1: INSERT.QUEUE (QUEUE, FRONT, REAR, ITEM MAX)

// Let QUEUE is one dimensional array representing queue containing MAX number of elements.
FRONT and REAR are the pointer variables that points to front and rear of queue respectively.
ITEM is the new element to be inserted.
MAX is the size of array.

Step 1: [Check for queue overflow]
 If (REAR = MAX) Then
 Print QUEUE is full
 and Return
 [End of if structure]

0 1 2 3
Front = 0 Rear = max

Step 2: If (FRONT = 0 and REAR = 0) then
 a) Set FRONT = 1
 b) Set REAR = 1
 Else

Step 3: [Increment REAR]
 REAR = REAR + 1
 [End of If structure]

Step 4: [Insert new element]
 QUEUE[REAR] = ITEM

Step 5: Exit.

ALGORITHM : DELETE_QUEUE(QUEUE, FRONT,
REAR, MAX)

// Let QUEUE is a one dimensional array representing
queue containing MAX number of elements.
FRONT and REAR are the pointer variables that
points to front and rear of queue respectively
MAX is the size of an array.

Step 1: [Check for queue Underflow]
If (REAR = 0) then
Print "Underflow"
Return
[End of If structure]

Step 2: ITEM = QUEUE[FRONT]

Step 3: [QUEUE contains single element]
FRONT = 0
REAR = 0
[Queue becomes empty]
Else if (FRONT = REAR) then
FRONT = FRONT + 1
[Increment FRONT by 1]
[End of If structure]

Step 4: Print the ITEM

Step 5: Exit

ALGORITHM :- INSERT_CQ(QUEUE, FRONT, REAR
ITEM, N)

// Let QUEUE is a circular queue with N locations
FRONT and REAR are the pointer variables that
store the address of first and rear elements of
QUEUE

ITEM is the value to be inserted

Step 1: [Check for overflow]
If (FRONT = 1 and REAR = N) or (FRONT = REAR + 1) then
Print "overflow"
Return
[End of If structure]

Step 2: If (REAR = 0) then
Set FRONT = 1 and
REAR = 1
Else if (REAR = N) then
Set REAR = 1
Else
Set REAR = REAR + 1
[End of If structure]

Step 3: [Insert New Element]
Set QUEUE[REAR] = ITEM

Step 4: Exit

ALGORITHM : DELETE_CQ (QUEUE, FRONT, REAR, N)

// let QUEUE is an circular queue with N locations.
FRONT and REAR are the pointer variable that
stores the address of first and rear elements of
QUEUE

Step 1: [check for Underflow]
if (REAR = 0) then
print "Underflow"
return
[End of if structure]

Step 2: Set ITEM = QUEUE [FRONT]

Step 3: If (FRONT = REAR) then
Set FRONT = 0 and
REAR = 0
Else If (FRONT = N)
Set FRONT = 1
Else
Set FRONT = FRONT + 1
[End of if structure]

Step 4: Exit

TREE

ALGORITHM : PREORDER (Root)

// let Root is a pointer which contains the address
of root node of the binary tree.

Step 1: if (Root == NULL) then
Return
[End of if structure]

Step 2: PTR = Root

(Root, L, R)

Step 3: Print PTR → INFO

Step 4: PREORDER (PTR → LCHILD)

Step 5: PREORDER (PTR → RCHILD)

Step 6: Exit

ALGORITHM : INORDER (Root)

// let Root is a pointer which contains the address
of the root node of the binary tree.

Step 1: if (Root == NULL) then
Return
[End of if structure]

Step 2: PTR = Root

(Left, Root, Right)

Step 3: INORDER (PTR → LCHILD)

Step 4: Print PTR → INFO

Step 5: INORDER (PTR → RCHILD)

Step 6: Exit.

3) ALGORITHM : POSTORDER (ROOT)

Let Root is a pointer which contains the address of the root node of the binary tree.

Step 1: If (Root == NULL) then
Return
[End of If structure]

$$\underline{\text{Step 2}} \quad \text{PTR} = \text{R00T}$$

\Rightarrow POSTORDER (PTR \rightarrow LCHILD)

Step 4 POSTORDER (PTR → RCHILD)

Step 5 Process PTR → INFO

Step 6) Exit

ALGORITHM: BST-INS (ROOT, ITEM)

// let Root is a pointer variable which contains the address of the root node and ITEM is the value, which we want to insert into binary search tree.

Step 1 If $(RooT == NDLI)$, then

Root = New node

Root \rightarrow LCHILD = NULL

Root \rightarrow INFO = ITEM

Root \rightarrow R CHILD = NULL

Roo 1 → Kombi - 002

Else

Step 2: Set PTR = ROOT

Step 3 If ($\text{ITEM} \neq \text{PTR} \rightarrow \text{INFO}$) then
 $\text{BST_INS}(\text{PTR} \rightarrow \text{LCHILD}, \text{ITEM})$
Else

Step 4: BST-INS (PTR → RCHILD, ITEM)
[End of gf structure]
[End of Step 1 Structure]

Steps: Exit

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4) ALGORITHM : INSERT INTO SORTED(START)
 let START is a pointer variable which contains the address of first node and ITEM is the value to be inserted.

Step 1:
 a) If (START == NULL) then
 Set START = New node
 START → INFO = ITEM
 START → LINK = NULL

Step 2:
 Else
 If (ITEM < START → INFO) then
 a) PTR = START
 b) START = New node
 c) START → INFO = ITEM
 d) START → LINK = PTR

Step 3:
 Else
 Set FLAG = 1, TEMP = START | PTR = START → LINK

Step 4:
 Repeat Step 6 to 8 while (PTR ≠ NULL and FLAG ≠ 0)
 If (ITEM < PTR → INFO) then
 a) TEMP → LINK = New Node
 TEMP = TEMP → LINK
 TEMP → INFO = ITEM
 TEMP → LINK = PTR
 FLAG = 0

Step 5:
 Else if (PTR → LINK == NULL) then
 PTR → LINK = New node

5) ALGORITHM : DELETE FIRST(START)
 // let START is a pointer variable which contains the address of first node

Step 1:
 If (START == NULL) then
 Print linked list does not exist

Step 2:
 Else
 a) Set PTR = START
 b) START = START → LINK
 c) Delete PTR [End of if]

Step 3: Exit

ALGORITHM: DELETE LAST (START)
 // Let START is a pointer variable which contain the address of first node

- Step 1: if ($START == \text{NULL}$) then
 Point linked list doesn't exist and return.
- Step 2: Set $TEMP = START$
- Step 3: if ($TEMP \rightarrow \text{LINK} == \text{NULL}$) then
 Set $START = \text{NULL}$
- Step 4: Else
 Repeat while ($TEMP \rightarrow \text{LINK} \neq \text{NULL}$)
 - Step 5: $\text{PREV} = TEMP$
 - Step 6: $TEMP = TEMP \rightarrow \text{LINK}$
 [End of If structure]
- Step 7: $\text{PREV} \rightarrow \text{LINK} = \text{NULL}$
 [End of If structure]
- Step 8: Delete $TEMP$
- Step 9: Point ITEM is deleted
- Step 10: Exit

ALGORITHM: D. INSERT FIRST (START, LAST, ITEM)

// Let START is a pointer variable which contain the address of the first node

- Step 1: if ($START == \text{NULL}$) then
 Set $START = \text{new node}$
 $LAST = START$
- Step 2: $START \rightarrow \text{INFO} = \text{ITEM}$
- Step 3: $START \rightarrow \text{BACK} = \text{NULL}$
- Step 4: $START \rightarrow \text{FORW} = \text{NULL}$
- Step 5: Else
 Set $PTR = START$
 $START = \text{new node}$
 $START \rightarrow \text{BACK} = \text{NULL}$
 $START \rightarrow \text{INFO} = \text{ITEM}$

Step 6: $START \rightarrow \text{FORW} = PTR$

Step 7: $PTR \rightarrow \text{BACK} = \text{START}$

Step 8: Exit.

2) ALGORITHM : D : INSERT (LAST(ITEM, START))

// let START is a pointer variable which contains the address of the first node and ITEM is the value to be inserted.

Step 1: If (START == NULL) then
 START = new node; I = $\text{ITEM} \leftarrow \text{TAAT2}$
 LAST = START; $\text{BACK} \leftarrow \text{TAAT2}$
 $\text{INFO} \leftarrow \text{ITEM} \leftarrow \text{TAAT2}$
 $\text{FORW} \leftarrow \text{NULL}$

Step 2: Else
 START \rightarrow INFO \leftarrow ITEM
 START \rightarrow BACK \leftarrow NULL
 START \rightarrow FORW \leftarrow NULL

Step 3: Set PTR = LAST
 PTR \rightarrow FORW \leftarrow new node \leftarrow TAAT2
 LAST = PTR \rightarrow FORW
 LAST \rightarrow FORW = NULL
 LAST \rightarrow INFO \leftarrow ITEM
 LAST \rightarrow FORW = NULL
 [End of if structure]

Step 4: Exit

3) ALGORITHM : D : DELETE LAST (START, LAST)

// let START is a pointer variable which contains the address of the first node and LAST is the pointer which contain the address of last node.

Step 1: If (START == NULL) then
 Print node doesn't exist

Step 2: Else if (START == LAST) then
 TEMP = START
 START = LAST = NULL

Step 3: Else
 TEMP = LAST
 LAST = LAST \rightarrow BACK
 LAST \rightarrow FORW = NULL
 [End of if]

Step 4: Delete TEMP

Step 5: Exit

ALGORITHM: D. DELETE FIRST (START)

// let START is a pointer variable which contains the address of first node and LAST is a pointer which contains the address of last node

Step 1: If (START == NULL) then
Print Underflow and exit

Step 2: Else If (START == LAST) then
TEMP = START
START = LAST = NULL

Step 3: Else
TEMP = START
START = START → LINK
START → BACK = NULL
[End of if]

Step 4: Delete TEMP

Step 5: Exit

Linear search in array

ALGORITHM :- LSERCH (A, N, item)

Step 1 LOC = -1

Step 2 i = 1

Step 3 Repeat while $i \leq N$ and $A[i] \neq \text{item}$
 $i = i + 1$

Step 4: If $A[i] = \text{item}$ then
LOC = i

Step 5: Return LOC

Algorithm for Selection Sort

Step 1 For $i = 1$ to $n-1$

Step 2: Set min = arr[i]

Step 3: Set position = i

Step 4: For $j = i+1$ to $n-1$ repeat:
If ($\text{min} > \text{arr}[j]$)
Set min = arr[j]
Set position = j
[End of if]

Step 5: Swap arr[i] with arr[position]
[End of loop]

Step 6: END

MCQ's
{ Arrays }

- 1) The largest element of an array index is called its
 a) upper bound b) lower bound
 c) range d) All of these
- 2) The smallest array element of an array index is called its
 a) lower bound b) upper bound
 c) range d) extraction
- 3) The smallest element of an
 a) table arrays b) matrix arrays
 c) both d) none of above
- 4) Which operation can be performed on an array?
 a) Traversing b) Merging
 c) Sorting d) All
- 5) Merging of two arrays means arranging an array in some logical order:
 a) true b) False
- 6) Bubble sort method in an array is used for
 a) Merging two arrays b) Sorting arrays
 c) Inserting element in array d) none of above
- 7) Which is not a searching method in array?
 a) Linear Search b) Average Search
 c) Binary Search d) none of above
- 8) Another name of bubble sort algorithm is
 a) Quick Sort b) Exchange Sort
 c) Selection Sort d) Insertion Sort
- 9) Memory used by array can be increased or decreased at runtime
 a) Compile time b) No

- 10) The element of an array need not to be in sorted order in.
 a) Linear search b) binary search
 c) Both d) Tape
- 11) Which sort is applicable to both sorted and unsorted data
 a) Linear search b) binary search
 c) Both a and b d) none
- 12) _____ is very slow at the beginning of array.
 a) Deletion b) Insertion
 c) Both a and b d) none
- 13) _____ is an example of linear data structure.
 a) Linked list b) Array
 c) Both a and b d) Tree
- 14) Which is the correct way of declaring arrays
 a) int arr[10]; b) int arr;
 c) arr[20]; d) arr int[10];
- 15) How can you initialize array Inc.
 a) int arr[2] = {0, 2}; b) int arr[2] = {1, 2};
 c) int arr[2] = {1, 2, 3}; d) int arr[2] = {16, 20};
- 16) Which one of the following is the size of int arr[3] assuming that int is of 4 bytes
 a) 9 b) 36
 c) 35 d) none
- 17) Which of the following highly use the concept of an array?
 a) Binary Search tree b) Caching
 c) Space locality d) Scheduling of processes
- 18) Which of the following is the process of inserting an element in the stack?
 a) Leaf b) Add
 c) Insert Push d) none

- 18 Array consists the element of
 (a) Same datatype
 (b) Both
 (c) None
- 20 when does the array Index out of Bounds Exception occurs.
 (a) Compile time
 (b) Runtime
 (c) Not an error

STACK

- 1 The postfix form of the expression $(A+B)*(C+D-E)*F/G$ is
 (a) $AB+CD*E-FG//**$
 (b) $AB+CD*E-F*G//$
 (c) $AB+CD*E-F*G//$
- 2 which of the following is linear data structure
 (a) STACK
 (b) Tree
 (c) Both a, b
 (d) None
- 3 which of the following D.S. serves principle of last on first out.
 (a) STACK
 (b) Queue
 (c) None
 (d) Both
- 4 which one of the following is the process of inserting an element in the stack?
 (a) Insert
 (b) Push
 (c) Add
 (d) None

- 5 when the user tries to delete the element from the empty stack, then the condition is said to be
 (a) Underflow
 (b) overflow
 (c) Garbage collection
 (d) None
- 6 when the user tries to insert the element from the full stack then the condition is said to be.
 (a) Underflow
 (b) overflow
 (c) Garbage collection
 (d) None

- 7 Which of the following is not the application of the stack data structure.
 (a) Storing reversal
 (b) Backtracking
 (c) Recursion
 (d) Asynchronous data transfer.
- 8 Which data structure is mainly used for implementing the recursive algorithm?
 (a) Queue
 (b) Stack
 (c) Binary tree
 (d) Linked List

- 9 Which data structure is required to convert the infix to postfix.
 (a) Stack
 (b) Queue
 (c) Binary tree
 (d) None

- 10 Which of the following is infix expression
 (a) $A+B AC$
 (b) $AB+*$
 (c) $+A * BC$
 (d) None
- 11 Which of the following is the postfix form of $A+B+C$?
 (a) $A+(BC)$
 (b) $AB+*$

<p>Q1 $+ABC$ A $+A * BC$</p> <p>Q2 If the elements '1', '2', '3' are added in a stack, so what would be the order of removal? (a) 1234 (b) 2134 (c) 4321 (d) none</p> <p>Q3 What is the outcome of prefix expression $+ * 3 2 / 8 4 1$? (a) 12 (b) 11 (c) 15 (d) 4</p> <p>Q4 The minimum number of stack required to implement a stack is (a) 1 (b) 3 (c) 2 (d) 5</p> <p>Q5 Which one of the following is linear data structure. (a) Tree (b) STACK (c) both a and b (d) none</p> <p>Q6 On which principle, stack based upon (a) LIFO (b) Linear (c) FIFO (d) Tree</p> <p>Q7 Process of inserting an element in stack is called (a) Pop (b) Push (c) Peek (d) None</p>	<p>Q8 Process of deleting an element in stack is called (a) Pop (b) Push (c) Peek (d) None</p> <p>Q9 Process of viewing element in stack is called (a) Pop (b) PUSH (c) PEEK (d) None</p> <p>Q10 What is the value of the postfix expression $6 3 2 4 + - * ?$ (a) 1 (b) 40 (c) 74 (d) -18</p>
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Q&A

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- 1) Which of the following data structure works on the principle of "First In First Out"?
- (a) Linked List
 - (b) Stack
 - (c) Queue
 - (d) Heap
- 2) What is another name for the circular queue among the following options?
- (a) Square buffer
 - (b) Rectangular buffer
 - (c) Ring buffer
 - (d) None
- 3) If the element '1', '2', '3', '4' is added in queue, what would be order of removal?
- (a) 1 2 3 4
 - (b) 4 3 2 1
 - (c) 3 2 4 1
 - (d) None
- 4) A list of elements in which enqueue operation takes place from one end, and dequeue takes from one end is:
- (a) Binary Tree
 - (b) Queue
 - (c) Stack
 - (d) Linked list
- 5) Which of the following principle does queue use?
- (a) LIFO
 - (b) Linear list
 - (c) FIFO
 - (d) Circular array
- 6) Which are the type of Queue?
- (a) Linear Queue
 - (b) Circular Queue
 - (c) Both a, b
 - (d) None

- 7) Which one of the following is the overflow condition if linear queue is implemented using an array with a size MAX_SIZE?
- (a) rear = front - 1
 - (b) rear = front + 1
 - (c) rear = MAX_SIZE - 1
 - (d) rear = MAX_SIZE
- 8) Which one of following that determines the need of circular queue?
- (a) wastage of memory
 - (b) Access the Queue using pointer
 - (c) Follow FIFO
 - (d) None
- 9) Which one of the following is the correct way to increment the rear and end in a circular queue?
- (a) rear = rear + 1
 - (b) (rear + 1) % max
 - (c) (rear * max) + 1
 - (d) None
- 10) How many queue are required to implement a stack?
- (a) 3
 - (b) 2
 - (c) 1
 - (d) 4
- 11) Which one of the following is not the application of Queue Data Structure?
- (a) Load balancing
 - (b) Data is transferred
 - (c) a Synchroously
 - (d) Balancing of Symbols
- 12) Researcher's shared blue
- Variables Systems

12) The necessary condition to be checked before deletion from the queue is

- (a) Overflow
- (b) Underflow
- (c) Rear Value
- (d) Front Value.

13) The necessary condition to be checked before insertion in queue is

- (a) Overflow
- (b) Underflow
- (c) Rear Value
- (d) Front Value

14) Which statement is not true regarding the priority queue?

- (a) Process with diff. Priority
- (b) Easy to implement
- (c) Deletion is easier
- (d) None

15) Which is the linear data structure

- (a) Queue
- (b) Tree
- (c) Both a and b
- (d) None

16) Insertion of element in linear queue is possible with which end.

- (a) Front
- (b) Rear
- (c) Both
- (d) None

17) Deletion of element in linear queue is possible with which end.

- (a) Front
- (b) Rear
- (c) Both
- (d) None

18) Process of inserting an element at the end of queue is known as

- (a) Dequeue
- (b) Enqueue
- (c) Push
- (d) Pop

19) Which function is used to return the value of get element without changing its

- (a) Peek
- (b) Length
- (c) Id
- (d) None of above

20) Enqueue, Dequeue function are found in

- (a) STACK
- (b) Queue
- (c) Tape
- (d) Array

TREE

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- (1) What is the maximum number of children that a node can have in a binary tree?
- a) 3
 - b) 1
 - c) 4
 - d) 2

- (2) Which one of the following techniques is not used in binary tree?
- a) Randomized traversal
 - b) In-order traversal
 - c) Pre-order traversal
 - d) Post-order traversal
- (3) Which of the following is a Non-linear DS.
- a) Tree
 - b) Queue
 - c) Stack
 - d) Array

- (4) The no. of edges from the root to the node is called _____ of the tree.
- a) Height
 - b) Depth
 - c) length
 - d) width

- (5) The number of edges from the node to the deepest leaf is called _____ of the tree.
- a) Height
 - b) Depth
 - c) length
 - d) width

- (6) What is full binary tree?
- a) Each node has exactly zero or two children.
 - b) Each node has exactly two children.
 - c) All the leaves are at the same level.
 - d) Each node has exactly one or two children.

- (7) Which of the following is not an advantage of tree?

- (8) a) Hierarchical search
b) Faster search
c) Pointer algorithms
d) Undelete

- (9) Which type of traversal in binary search tree output the value in sorted order?

- a) Pre-order b) Post-order
c) In-order d) None

- (10) If a node having two children is to be deleted from binary tree, it is replaced by its In-order predecessor. b) In-order successor
a) Pre-order predecessor c) None.

- (11) Which of the following statement is true?
- a) Every tree is a bipartite graph.
 - b) A tree contains a cycle.
 - c) A tree with n nodes contain n-1 edges.
 - d) A tree is connected graph.

- (12) A complete binary tree with the property that the value at each node is at least as large as the values at its children is called.
- a) Binary Search tree
 - b) Binary tree
 - c) Completely balanced tree
 - d) Heap

- (13) A full binary tree with n nodes contains _____ leaves.
- a) n nodes
 - b) log₂n
 - c) n-1 nodes
 - d) 2n+1 nodes

- (14) A full binary tree with n leaves contains _____ nodes.
- a) n nodes
 - b) log₂n
 - c) n-1 nodes
 - d) 2n+1 nodes

<p>M A full binary tree with n non-leaf nodes contains:</p> <ul style="list-style-type: none"> (a) 2^n nodes (b) $n+1$ nodes (c) $n-1$ nodes (d) $n+1$ node <p>15 A complete binary of level 3 has how many nodes.</p> <ul style="list-style-type: none"> (a) 15 (b) 25 (c) 63 (d) 30 <p>16 Traversing a binary tree first last and then left and right subtrees called _____ traversal</p> <ul style="list-style-type: none"> (a) Postorder (b) Preorder (c) Inorder (d) None <p>X 17 The no. of nodes in a complete binary tree of level 3 is</p> <ul style="list-style-type: none"> (a) 15 (b) 20 (c) 63 (d) -79 <p>18 Traversing a binary tree first left then last and right is called</p> <ul style="list-style-type: none"> (a) Preorder (b) Postorder (c) Inorder (d) None <p>19 Traversing a binary tree first left then right then right is called</p> <ul style="list-style-type: none"> (a) Preorder (b) Postorder (c) Inorder (d) None <p>20 Number of possible binary trees with 3 nodes is</p> <ul style="list-style-type: none"> (a) 12 (b) 9 (c) 14 (d) 5 	<table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td style="width: 50%; text-align: center;">M T W T F S S</td> <td style="width: 50%; text-align: center;">Page No.: YOUVA</td> </tr> <tr> <td>Date:</td> <td></td> </tr> </table> <p>LINKED LIST</p> <p>Q A data structure in which linear sequence is maintained by pointers is known as</p> <ul style="list-style-type: none"> (a) Array (b) Stack (c) Linked list (d) Pointer based. <p>21 Which is an example of linear data structure.</p> <ul style="list-style-type: none"> (a) Array (b) Graph (c) Linked list (d) both a and b <p>22 A linear collection of data elements where the linear node is given by means of pointer is called</p> <ul style="list-style-type: none"> (a) Linked list (b) Node list (c) Primitive list (d) None <p>23 A variant of the linked list in which each node of the node contains NULL pointer is,</p> <ul style="list-style-type: none"> (a) Singly linked list (b) Doubly linked list (c) Circular linked list (d) None <p>X 24 In Circular linked list, insertion of Node requires modification of:</p> <ul style="list-style-type: none"> (a) one pointer (b) two pointer (c) 3 pointer (d) None <p>25 Unlinked list are not suitable for the implementation of</p> <ul style="list-style-type: none"> (a) Insertion Sort (b) Radix Sort (c) Polynomial manipulation (d) Binary Search 	M T W T F S S	Page No.: YOUVA	Date:	
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Q. 1 A linear collection of data elements where the linear node is given by means of pointer is
 (a) linked list (b) no list
 (c) primitive list (d) None

Q. 2 Linked list are not suitable for the operation
 (a) Deletion (b) Search
 (c) Insertion (d) All

Q. 3 Which of these are the application of linked list?
 (a) To implement file system
 (b) for separate chaining in hash tables
 (c) To implement non-binary tree
 (d) All

Q. 4 Which of the following sorting algorithm can be used to sort a random L.L. with minimum complexity
 (a) Insertion Sort (b) Quick Sort
 (c) Heap Sort (d) Merge Sort

Q. 5 What type of L.L. is best to answer question like "what is the item at position n"
 (a) Singly L.L. (b) Doubly L.L.
 (c) Circular L.L. (d) Array implementation of L.L.

Q. 6 Which type of link list stores the address of the header node in the next field of the last node?
 (a) Single L.L. (b) Circular L.L.
 (c) Double L.L. (d) Hashed List

Q. 7 In a double linked list the number of pointer affected for an insertion operation is
 (a) 4 (b) 0 will be
 (c) 1 (d) Depends

Q. 8 Which P.S. in polynomial addition is implemented using
 (a) Queue (b) linked list
 (c) Trees (d) Stack

Q. 9 Which of the following operation is performed more efficiently by double L.L. than by single L.L.
 (a) Deleting a node whose location is given

Q. 10 In linked list each node contain minimum of two field its data field to store the data related field is
 (a) Pointer to character (b) Pointer to integer
 (c) Pointer to node (d) None

Q. 11 A variant of L.L. in which last node of the list points to the first node the list is
 (a) Singly L.L. (b) Doubly L.L.
 (c) Circular L.L. (d) multiple L.L.

Q. 12 In doubley L.L. traversal can be performed
 (a) forward direction (b) reverse direction
 (c) Both direction (d) None

(M)
Sel In L.L. implementation of L.L. shown with both pointers.

- (20) which of the following is not non-linear D.S.
(a) Tree
(b) Graph
(c) Both

b> Graph
1> Linked list

Data Structures.

- (1) which of the following is not a Data structure
(a) tree
(b) Graph
(c) pointer
(d) Array
- (2) which of the following is not a linear data structure.
(a) Tree
(b) Stack
(c) Array
(d) Queue
- (3) A data structure in which linear sequence is maintained by pointer is known as
(a) Linked list
(b) Array
(c) Tree
(d) Graph
- (4) on what principle on a STACK depends.
(a) LIFO
(b) LIFO
(c) FI FO
(d) None
- (5) Queue follows.
(a) LIFO
(b) FI LO
(c) FI FO
(d) None
- (6) which of the following is not a linear data structure.
(a) Linked list
(b) Array
(c) Tree
(d) Stack
- (7) which operation we can apply to add an element in queue
(a) Enqueue
(b) Dequeue
(c) Insert
(d) Add

<p>Q1 Which operation we can apply to delete an element in queue</p> <p>(a) Enqueue (b) Add (c) Dequeue (d) Insert</p> <p>Q2 is very slow at the beginning of stack</p> <p>(a) Insertion (b) Deletion (c) Both (d) None</p> <p>Q3 which of the following is not a linear data structure.</p> <p>(a) Array (b) Graph (c) Tree (d) none</p> <p>Q4 Array consists of the elements of</p> <p>(a) Some datatype (b) Diff datatype (c) Both (d) None</p> <p>Q5 Process of viewing element in STACK is called</p> <p>(a) Pop (b) PUSH (c) PEEK (d) None</p> <p>Q6 Process of insertion of element in STACK is called</p> <p>(a) Pop (b) PUSH (c) PEEK (d) None</p> <p>Q7 Process of deleting an element from STACK is called</p> <p>(a) Pop (b) PUSH (c) PEEK (d) None</p>	<p>Q8 which of the following is a non-linear data structure</p> <p>(a) STACK (b) Graph (c) Tree (d) Both b and c</p> <p>Q9 the necessary condition to be checked before the deletion in queue</p> <p>(a) overflow (b) Underflow (c) Both (d) none</p> <p>Q10 The necessary condition to be checked before the insertion in queue</p> <p>(a) overflow (b) Underflow (c) Both (d) none</p> <p>Q11 which of the following is not the operation of STACK</p> <p>(a) PREORDER (b) POSTORDER (c) INORDER (d) PEEK</p> <p>Q12 which of the following is an infix expression</p> <p>(a) A + B * C (b) AB + * (c) + AB * C (d) none</p> <p>Q13 which of the following is an prefix expression</p> <p>(a) A + B * C (b) AB + * (c) + AB * C (d) + A * B C</p>
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