

BVA

single fault assumption.

Understanding the Formula

The formula **$4n+1$** represents the **maximum number of test cases required** when applying Boundary Value Analysis (BVA) under the **single fault assumption**.

Breaking It Down

1. For a Single Variable ($n = 1$):

- When testing a single variable, we check at **four boundary points**:
 - **Lower boundary** (Min)
 - **Lower boundary +1** (Min + 1)
 - **Upper boundary** (Max)
 - **Upper boundary -1** (Max - 1)
- We also test **one nominal value** (some midpoint value).
- **Total test cases for one variable = $4 + 1 = 5$.**

2. For Multiple Variables ($n > 1$):

- **Single Fault Assumption:** We assume only **one variable** is faulty at a time, while all others remain at their extreme values.
- So, for **each variable**, we need **4 tests (boundary values)** while keeping other variables constant at their extreme values.
- Since there are **n variables**, we multiply by 4: **$4n$** .
- We also include **one additional nominal test case**, where all variables are set to their typical mid-range values.

Thus, for **n variables**:

Total Test Cases} = $4n + 1$

Example: Applying $4n + 1$ Formula

Case 1: Single Variable ($n = 1$)

Consider an input **X** with a valid range **[10, 100]**:

- **Boundary values to test:**
 - **Lower bound:** 10
 - **Lower bound +1:** 11
 - **Upper bound:** 100

- **Upper bound -1:** 99
 - **Nominal value (midpoint):** 55
 - **Total Test Cases = $4(1) + 1 = 5$**
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Case 2: Two Variables (n = 2)

Consider **X** in [10, 100] and **Y** in [20, 200]:

- **Variable X** boundary tests: Keep **Y** at **extreme values** (either 20 or 200).
 - X = 10, Y = 20
 - X = 11, Y = 20
 - X = 99, Y = 20
 - X = 100, Y = 20
- **Variable Y** boundary tests: Keep **X** at **extreme values** (either 10 or 100).
 - Y = 20, X = 10
 - Y = 21, X = 10
 - Y = 199, X = 10
 - Y = 200, X = 10
- **Nominal test case:** X = 55, Y = 110

Total Test Cases = $4(2) + 1 = 9$