



Applied Machine Learning

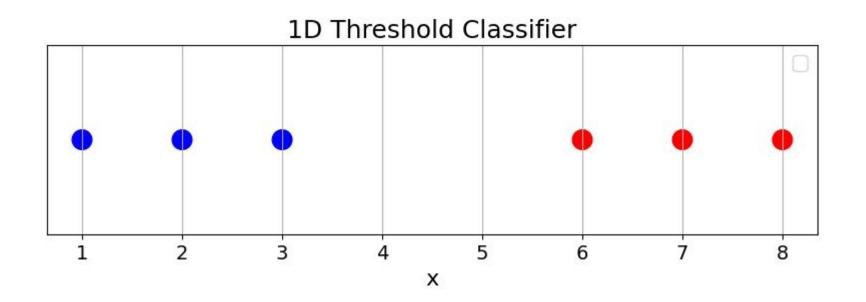
Dr. Harikrishnan N B Computer Science and Information Systems



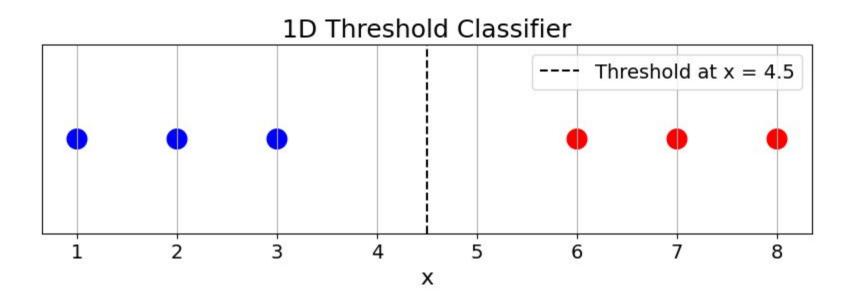
SE ZG568 / SS ZG568, Applied Machine Learning Lecture No. 12 [20 April 2025]

Perceptron and Support Vector Machine

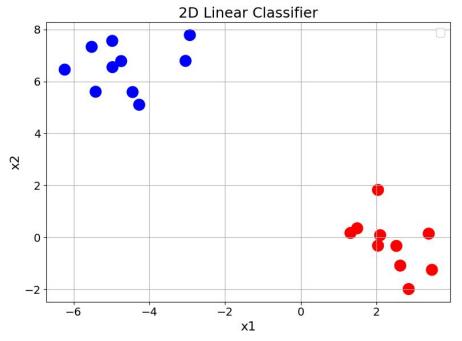
Points lying on x-axis: Come up with a classification rule!!!



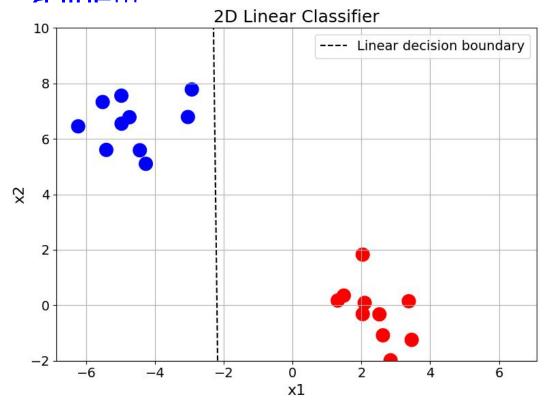
Points lying on x-axis: Come up with a classification rule!!!



Let's move to 2D: Come up with a classification rule using a line!!!

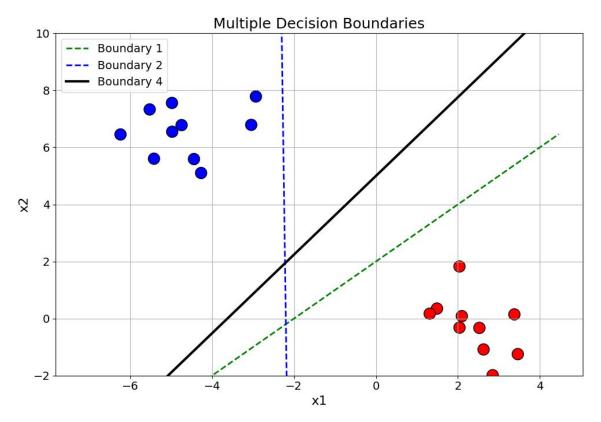


Let's move to 2D: Come up with a classification rule using a line!!!

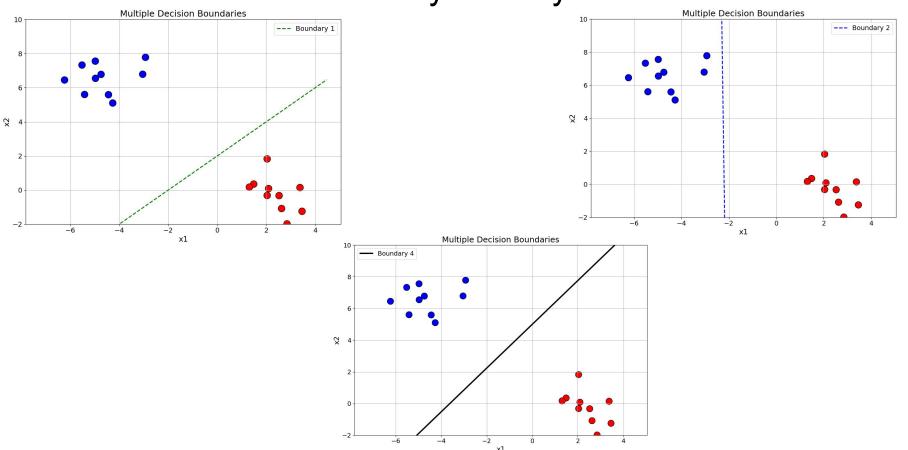


$$x_2 = -100x_1 -220$$

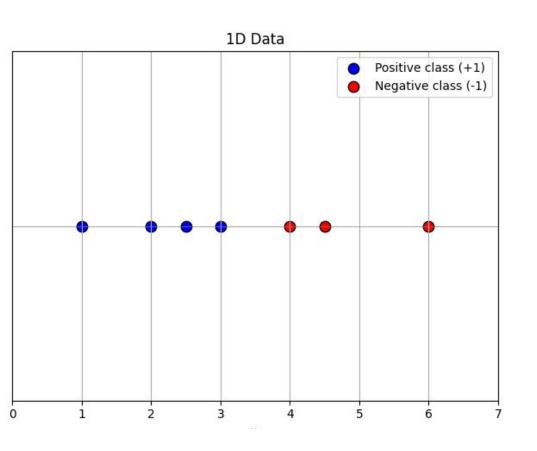
This is not the only classification rule!!!

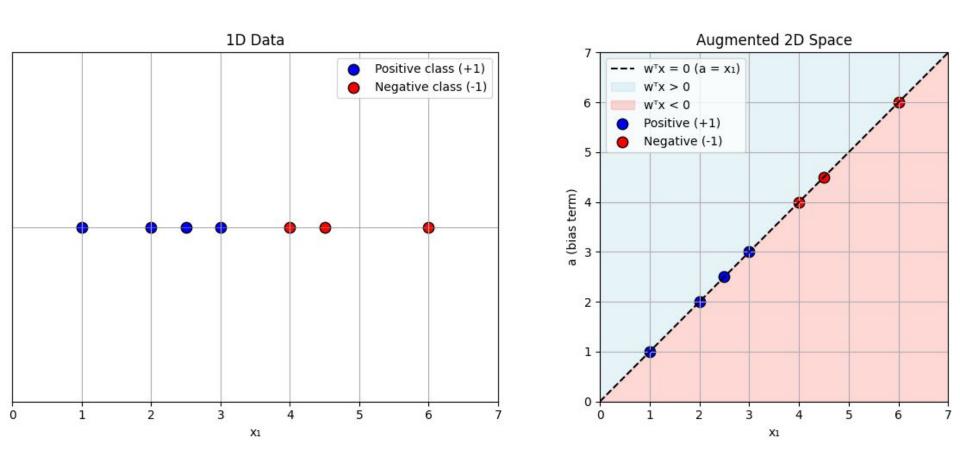


Which Decision Boundary will you choose? Which decision boundary would you choose?



Basics of Equation of Line





Perceptron

```
Initialize \vec{w} = \vec{0}
while TRUE do
    m=0
    for (x_i, y_i) \in D do
        if y_i(\vec{w}^T \cdot \vec{x_i}) \leq 0 then
             \vec{w} \leftarrow \vec{w} + y\vec{x}
             m \leftarrow m + 1
         end if
    end for
    if m=0 then
         break
    end if
end while
```

```
// Initialize \vec{w}. \vec{w} = \vec{0} misclassifies everything.
// Keep looping
// Count the number of misclassifications, m
// Loop over each (data, label) pair in the dataset, D
// If the pair (\vec{x_i}, y_i) is misclassified
// Update the weight vector \vec{w}
// Counter the number of misclassification
// If the most recent \vec{w} gave 0 misclassifications
  Break out of the while-loop
// Otherwise, keep looping!
```

Initialize $\vec{w} = \vec{0}$ while TRUE do m = 0for $(x_i, y_i) \in D$ do if $y_i(\vec{w}^T \cdot \vec{x_i}) \leq 0$ then $\vec{w} \leftarrow \vec{w} + y\vec{x}$ $m \leftarrow m + 1$ end if end for if m=0 then break end if

end while

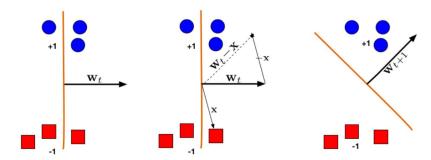


Illustration of a Perceptron update. (Left:) The hyperplane defined by \mathbf{w}_t misclassifies one red (-1) and one blue (+1) point. (Middle:) The red point \mathbf{x} is chosen and used for an update. Because its label is -1 we need to $\mathbf{subtract} \ \mathbf{x}$ from \mathbf{w}_t . (Right:) The udpated hyperplane $\mathbf{w}_{t+1} = \mathbf{w}_t - \mathbf{x}$ separates the two classes and the Perceptron algorithm has converged.

