



Data Structures and Algorithms Design

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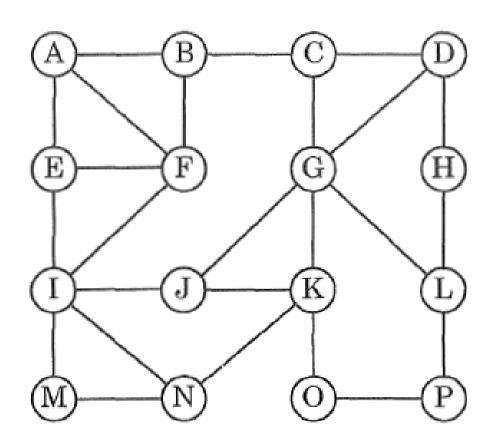
Depth-First Search

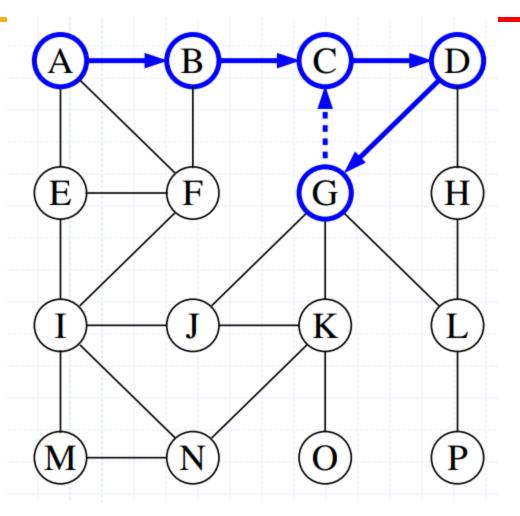
Algorithm *DFS*(*G*) **Input** graph G Output labeling of the edges of G as discovery edges and back edges for all $u \in G.vertices()$ setLabel(u, UNEXPLORED) for all $e \in G.edges()$ setLabel(e, UNEXPLORED) for all $v \in G$.vertices() if getLabel(v) = UNEXPLOREDDFS(G, v)

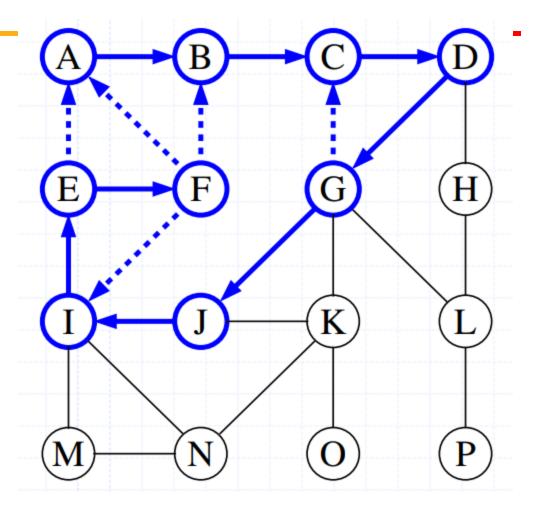
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Algorithm DFS(G, v)
Input graph G and a start vertex v of G
Output labeling of the edges of G
  in the connected component of v
  as discovery edges and back edges
setLabel(v, VISITED)
for all e \in G.incidentEdges(v)
  if getLabel(e) = UNEXPLORED
     w \leftarrow opposite(v,e)
    if getLabel(w) = UNEXPLORED
       setLabel(e, DISCOVERY)
       DFS(G, w)
    else
       setLabel(e, BACK)
```

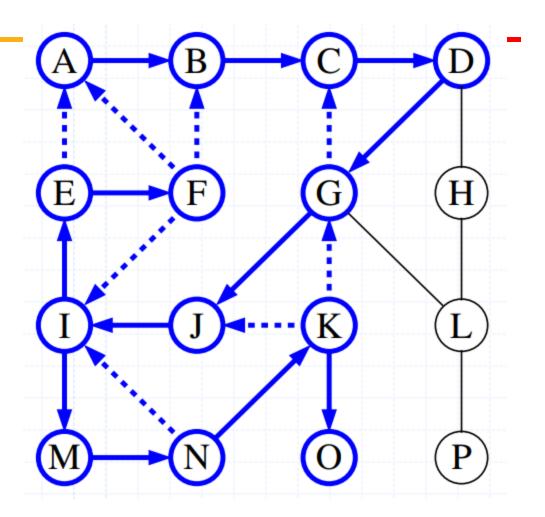
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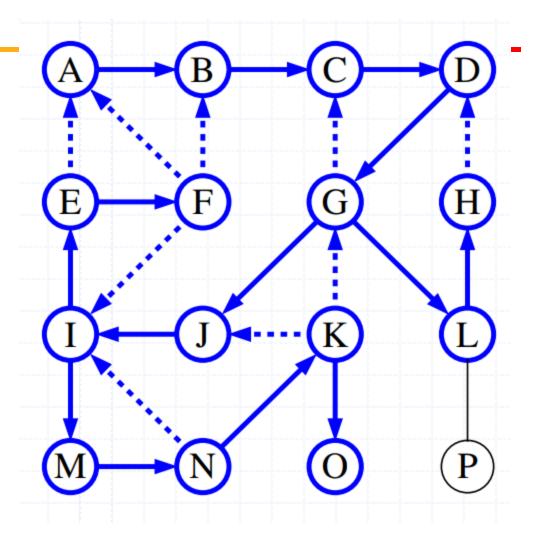
Example 1-Solved

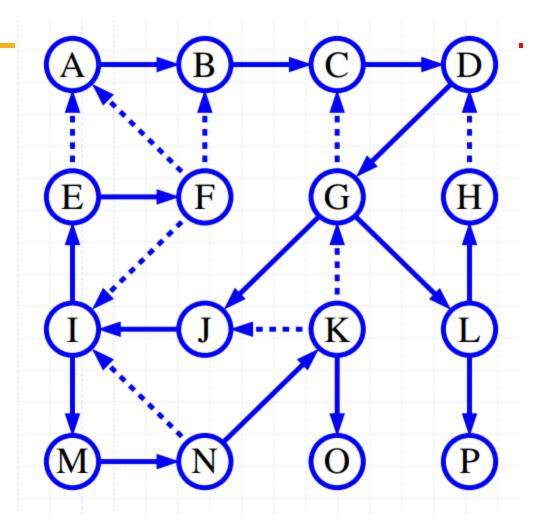






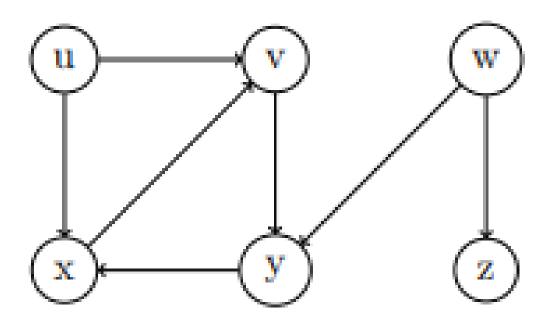






Example 2-Directed graph-Find the DFS tree-Discuss in Canvas



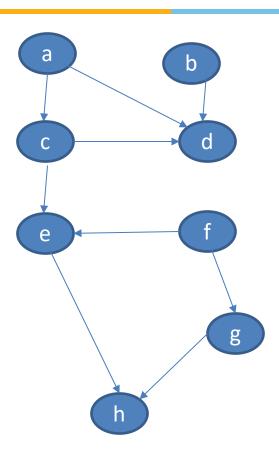


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Example 3-Directed graph-Find the connected Components-Discuss in Canvas







THANK YOU!

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