

Lecture

Data Science and Machine Learning

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NVIDIA Deep Learning Institute



CERTIFICATE OF COMPETENCY

This NVIDIA DLI Certificate has been awarded to

Anton Kanev

for the successful completion of
Fundamentals of Deep Learning

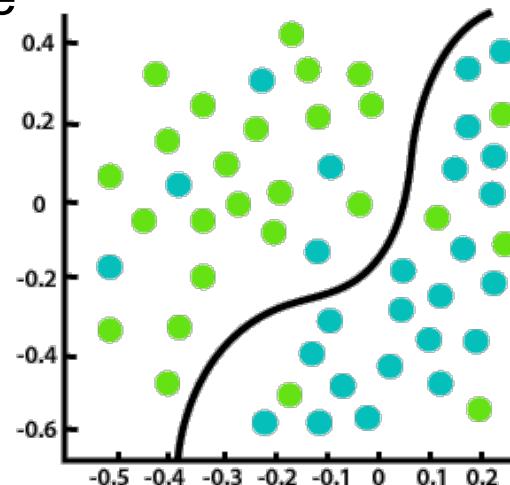
A handwritten signature in blue ink that reads "Will Ramey".



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Machine Learning

- Machine learning is the ability to train a computer without detailed programming.
- To train a computer, sets of examples are used to solve problems that are difficult to represent in program code

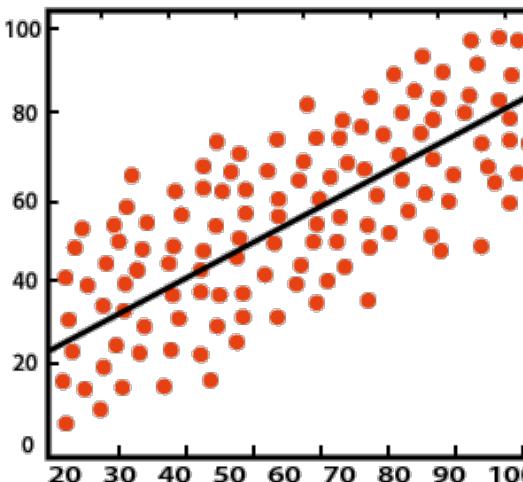


Classification

Classification

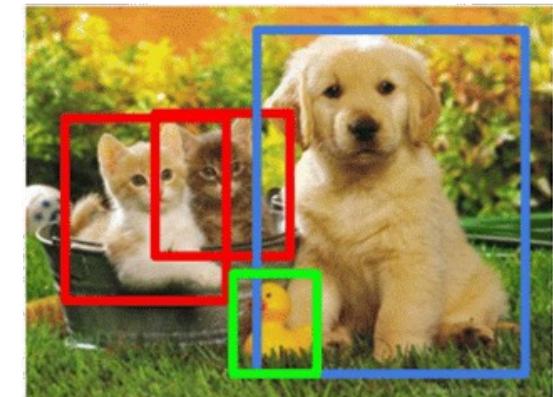


CAT



Regression

Object Detection



CAT, DOG, DUCK

Types of machine learning

Supervised training

- Training data is labeled
- The task is to correctly determine the class of the object

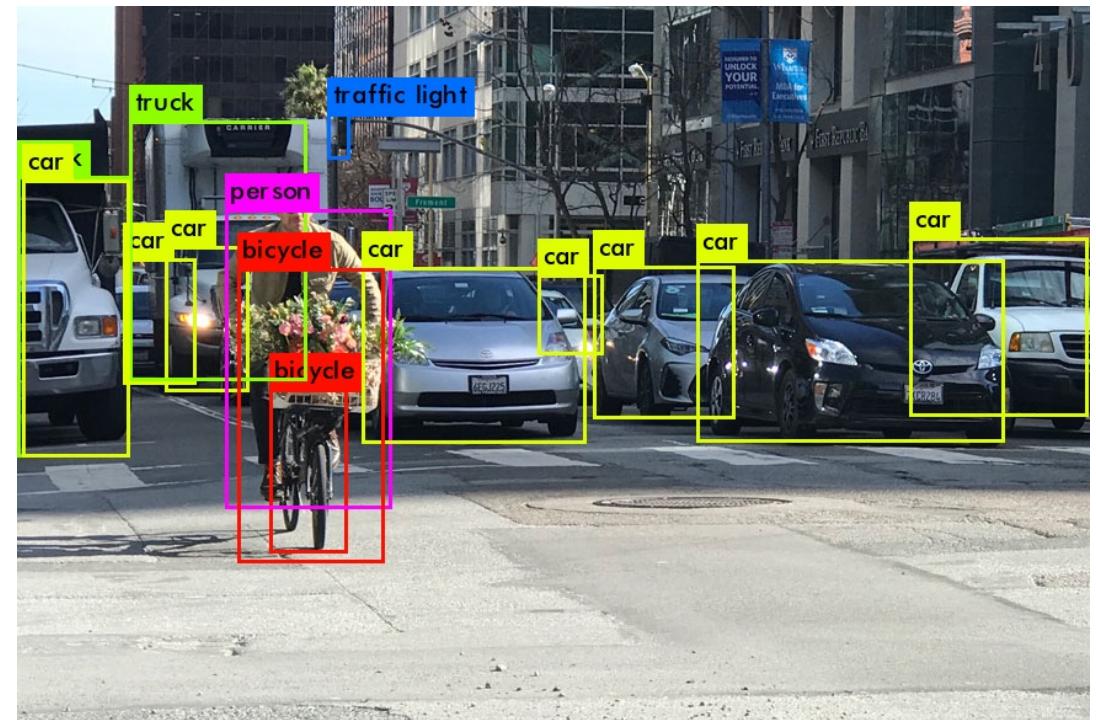
- Linear regression
- Decision tree
- K-nearest neighbors
- Neural networks

Reinforcement learning

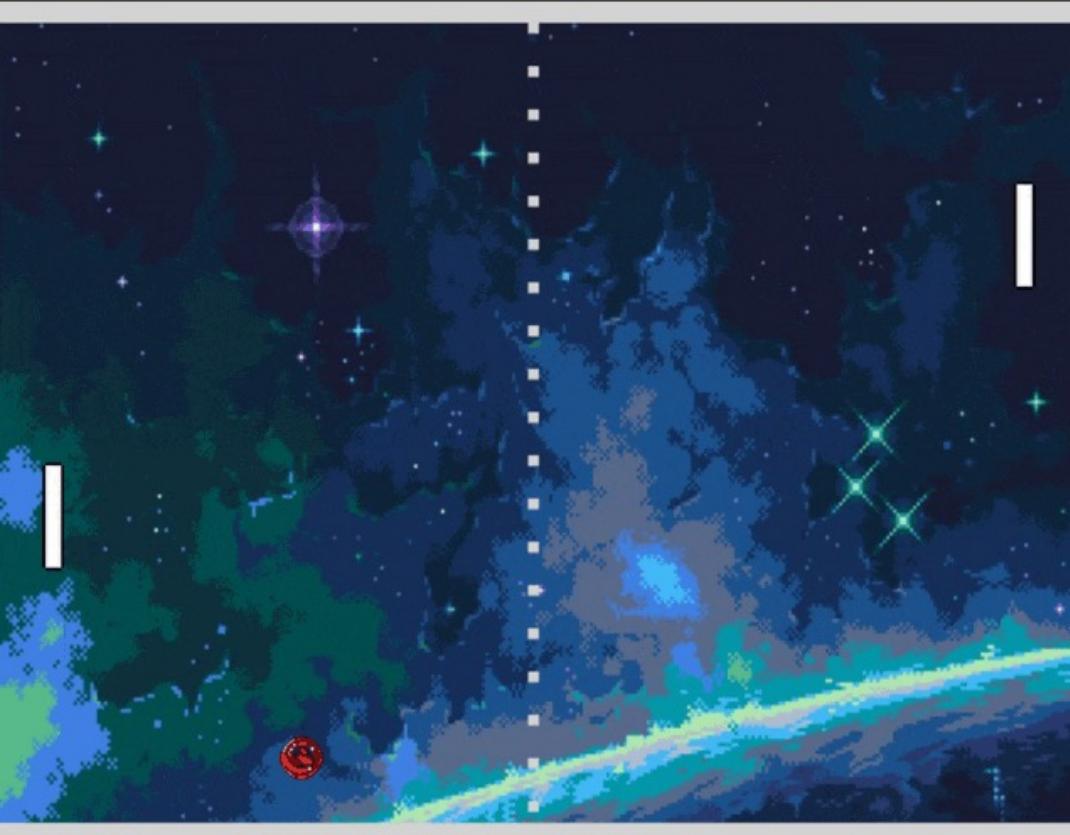
- Training data is not labeled
- The system receives feedback from its actions
- The challenge is choosing the right actions

Unsupervised learning

- Training data is not labeled
- The task is to correctly determine the category



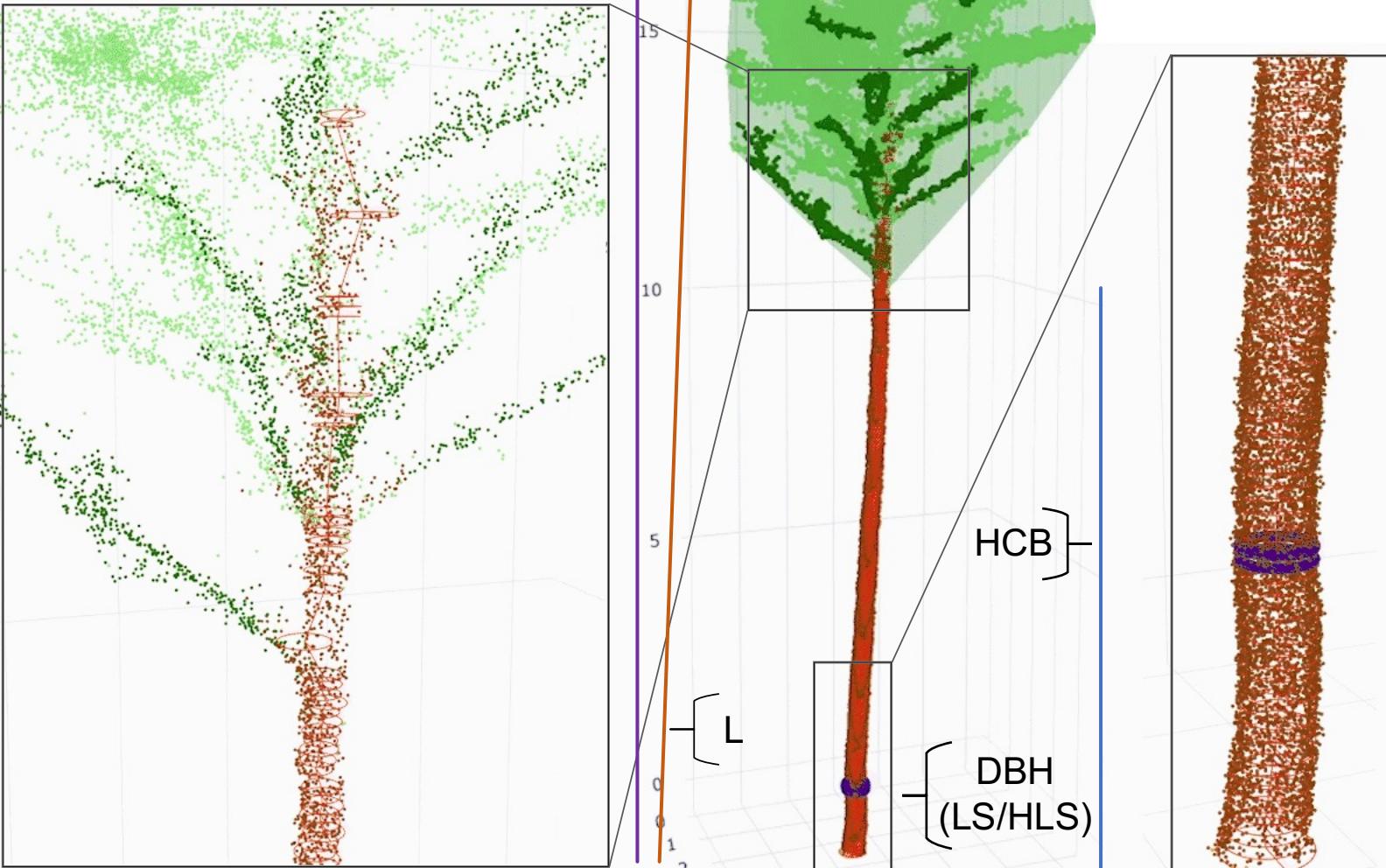
Our computer game for school students



<https://github.com/iu5git/ai-bot-games-in-js>

- An example of an intelligent ping-pong agent with neural network training
- Supervised learning with labeled data of gamer actions

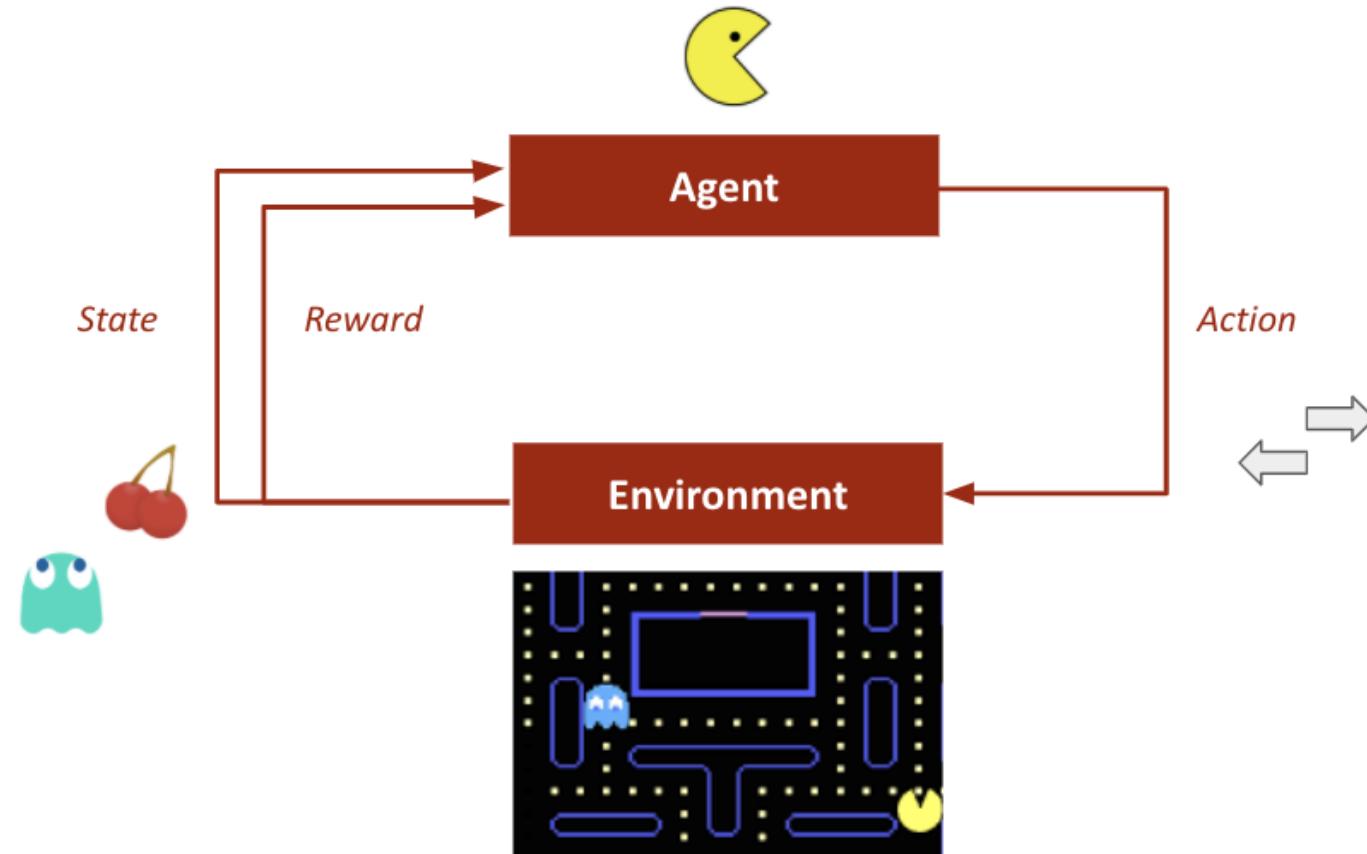
Lidar



- HCB** Height to crown base = 10.331 m
- VCCH** Crown volume = 149.632 cubic m
- ACCH** Crown area = 154.790 sq m
- DBH** Diameter = 28.76 sm / 28.85 sm
- H** Height = 21.734 m
- L** Length – 21.754 m

- LiDAR segmentation is an example of unsupervised learning

Reinforcement learning



Our ONNX practice



Step 3. Select class labels and get predictions

Выбрать файл cifar100_CNN.onnx

Select ONNX file

Выбрать файл c25c94fe96_1000.jpg

Class label 54 Add 10 Random Undo Reset

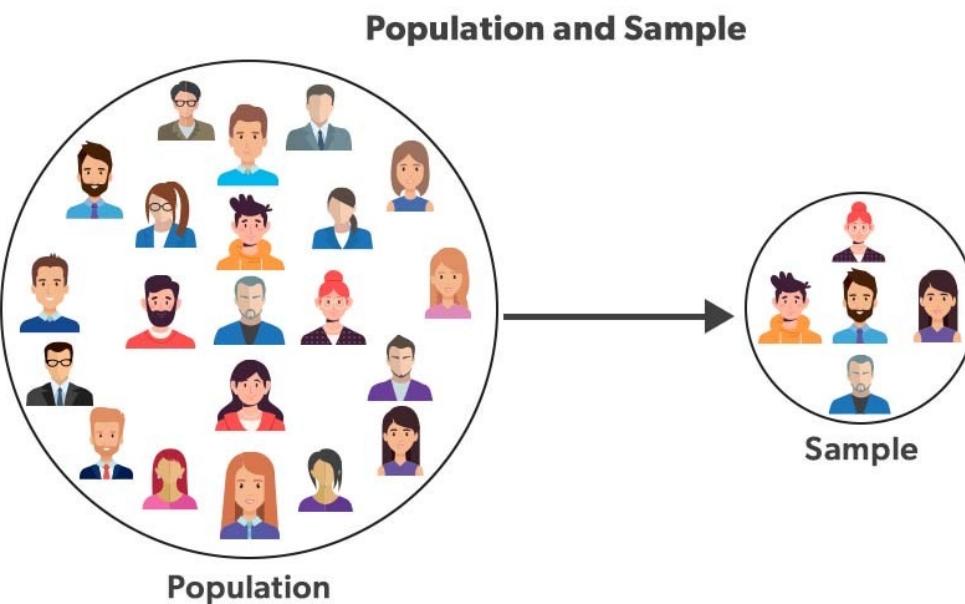
0,50,54

← ↑ → ↓



Dataset

- We have a subset of the real world - a sample from the general population
 - Examples in the sample are divided into test and training samples
 - Each example has a label for classification



Cifar100 Dataset

- A dataset consisting of color images labeled into 100 classes
- The size of each image is 32 by 32 pixels
- 3 colors - three numbers for each pixel
- A total of 3072 numbers for each image - features for our training
- 50 000 images in train set and 10 000 in test set

airplane



automobile



bird



cat



deer



dog



frog



horse



ship



truck



Confusion matrix

Prediction:



Image:



**True
Positive
(TP)**

**True
Negative
(TN)**

**False
Negative
(FN)**

**False
Positive
(FP)**

- **True Positive**, TP: Correctly identified as appropriate
- **True Negative**, TN: Correctly identified as not conforming
- **False Positive**, FP: Incorrectly identified as compliant
- **False Negative**, FN: Incorrectly identified as not conforming

Results from our practice

train

	precision	recall	f1-score	support
0	0.9940	1.0000	0.9970	500
55	1.0000	0.9900	0.9950	500
58	0.9960	1.0000	0.9980	500
accuracy			0.9967	1500
macro avg	0.9967	0.9967	0.9967	1500
weighted avg	0.9967	0.9967	0.9967	1500

test

	precision	recall	f1-score	support
0	0.8120	0.9500	0.8756	100
55	0.7396	0.7100	0.7245	100
58	0.7471	0.6500	0.6952	100
accuracy			0.7700	300
macro avg	0.7662	0.7700	0.7651	300
weighted avg	0.7662	0.7700	0.7651	300

Precision

- Percentage of positive tags that are correctly identified
- Precision = $(\# \text{ true positives}) / (\# \text{ true positives} + \# \text{ false positives})$

Recall

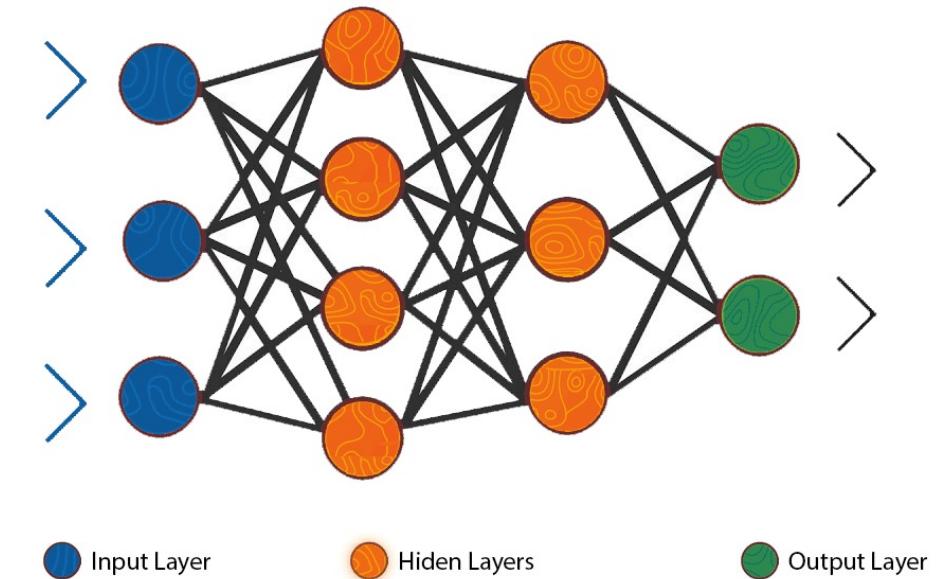
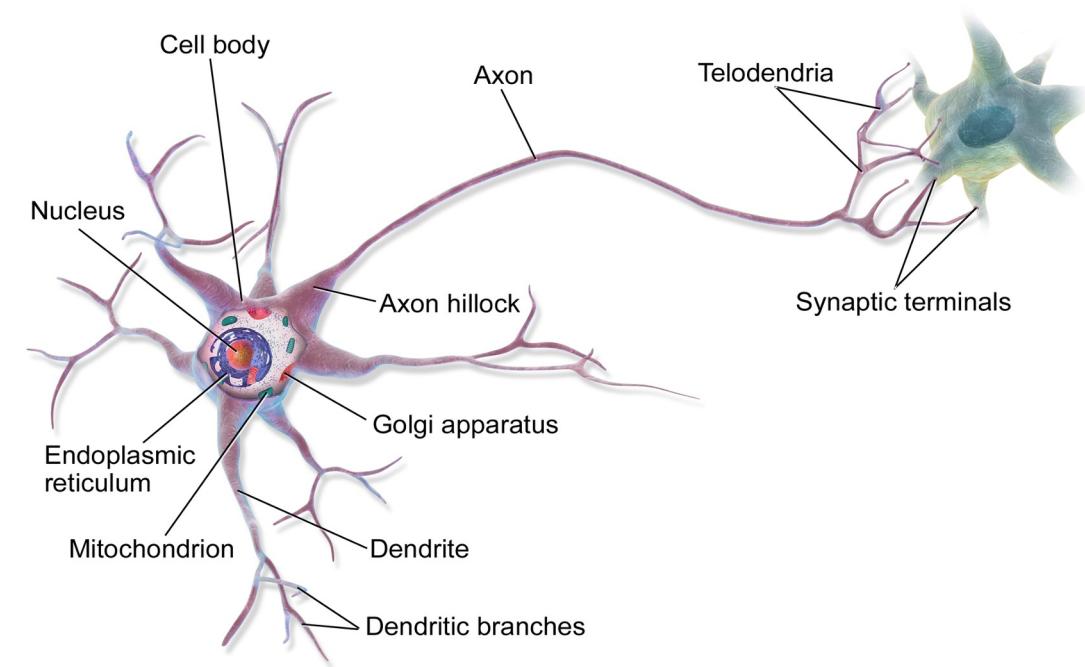
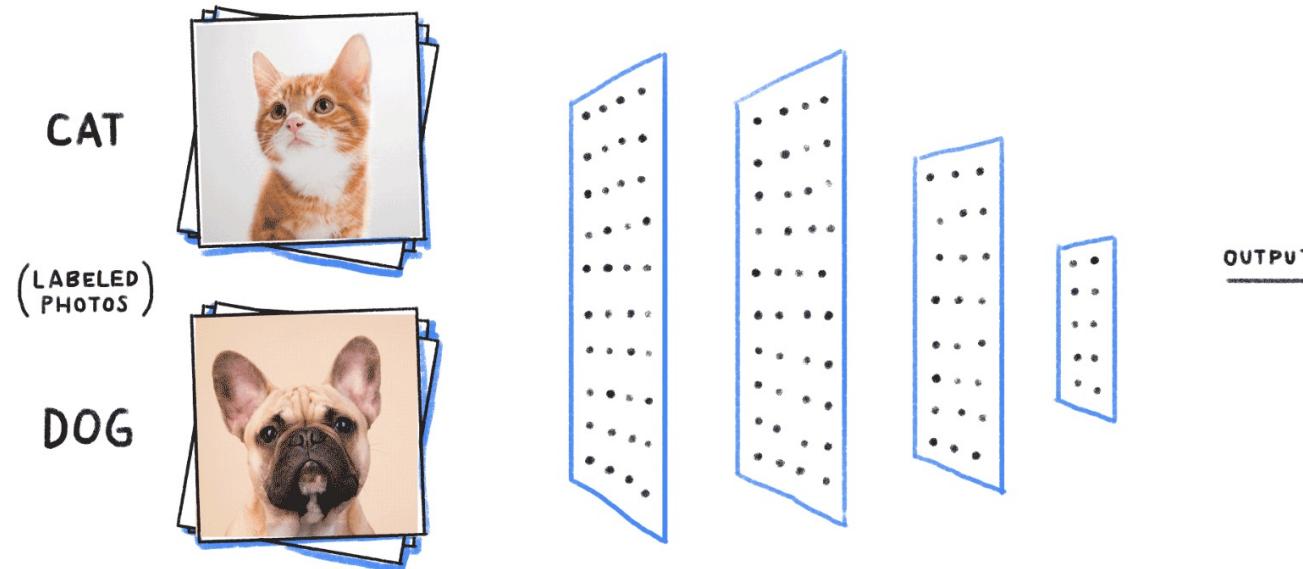
- Percentage of positive examples that were correctly identified
- Recall = $(\# \text{ true positives}) / (\# \text{ true positives} + \# \text{ false negatives})$

Accuracy

- Percentage of positive marks
- Accuracy = $(\# \text{ true positives} + \# \text{ true negatives}) / (\# \text{ of samples})$

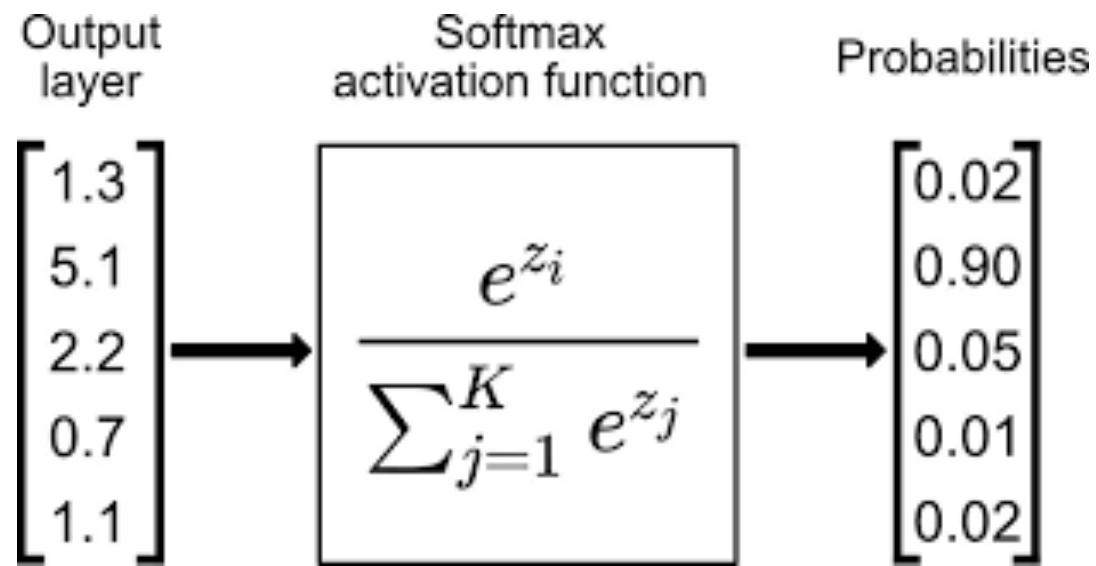
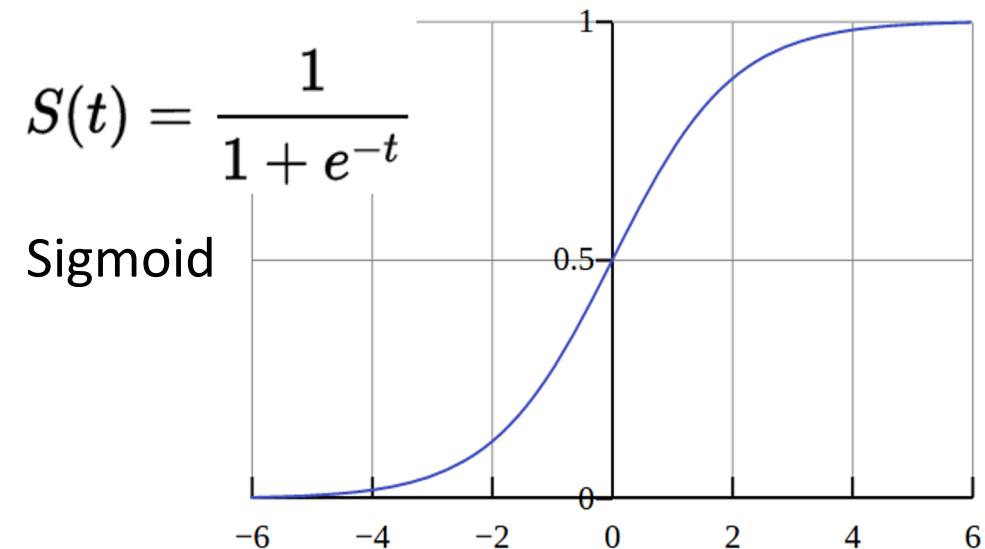
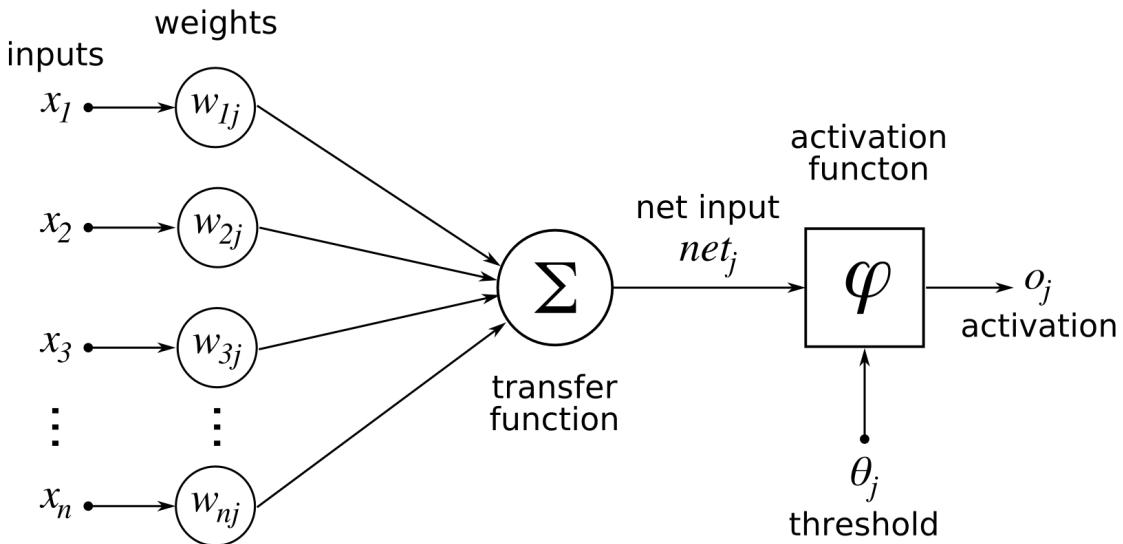
Neural Network

- Consists of layers, layers is a set of neurons
- Three types of layers: input data, hidden layers, output of model
- Fully Connected network is good at classification
- But it has many connections and weights

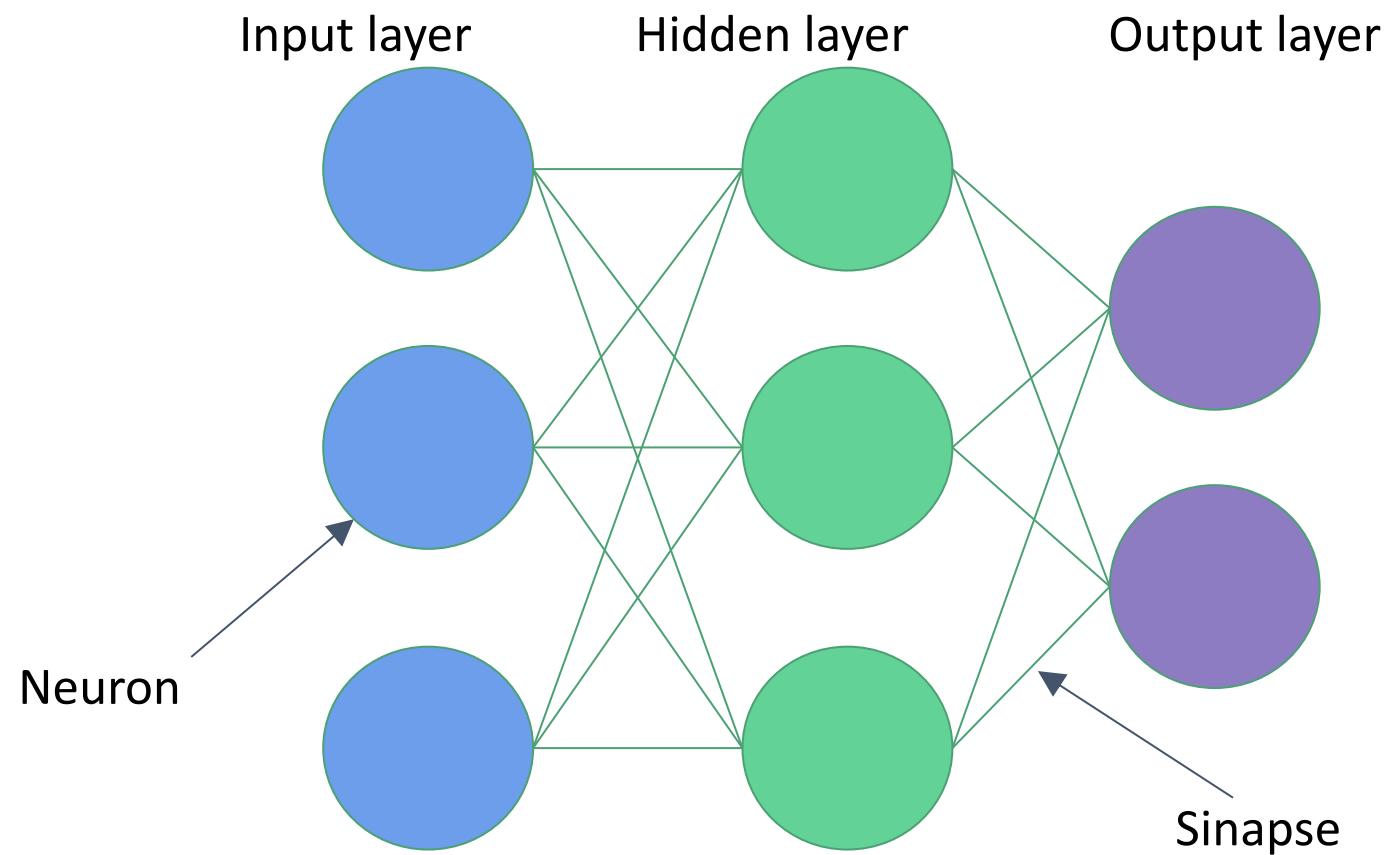


Neuron

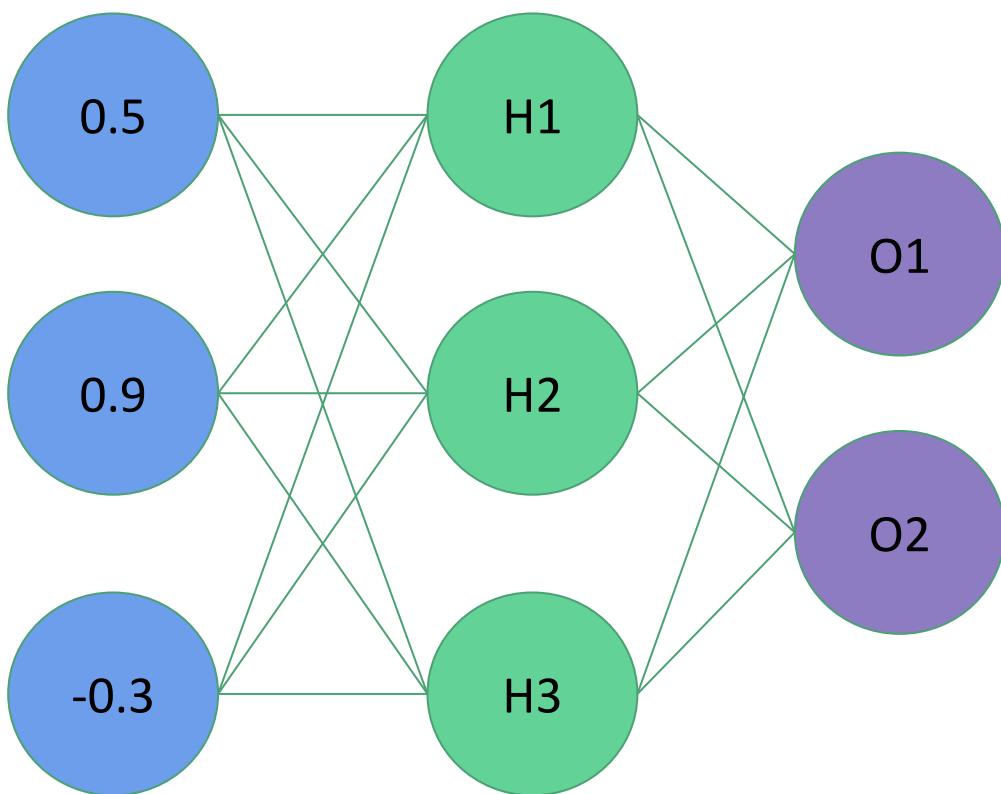
- Each neuron is a sum of weighted inputs
- We train weights and biases
- We need activation function after each neuron to have nonlinear function of several layers



Fully Connected Neural Network



Inference



Weights H1 = (1.0, -2.0, 2.0)

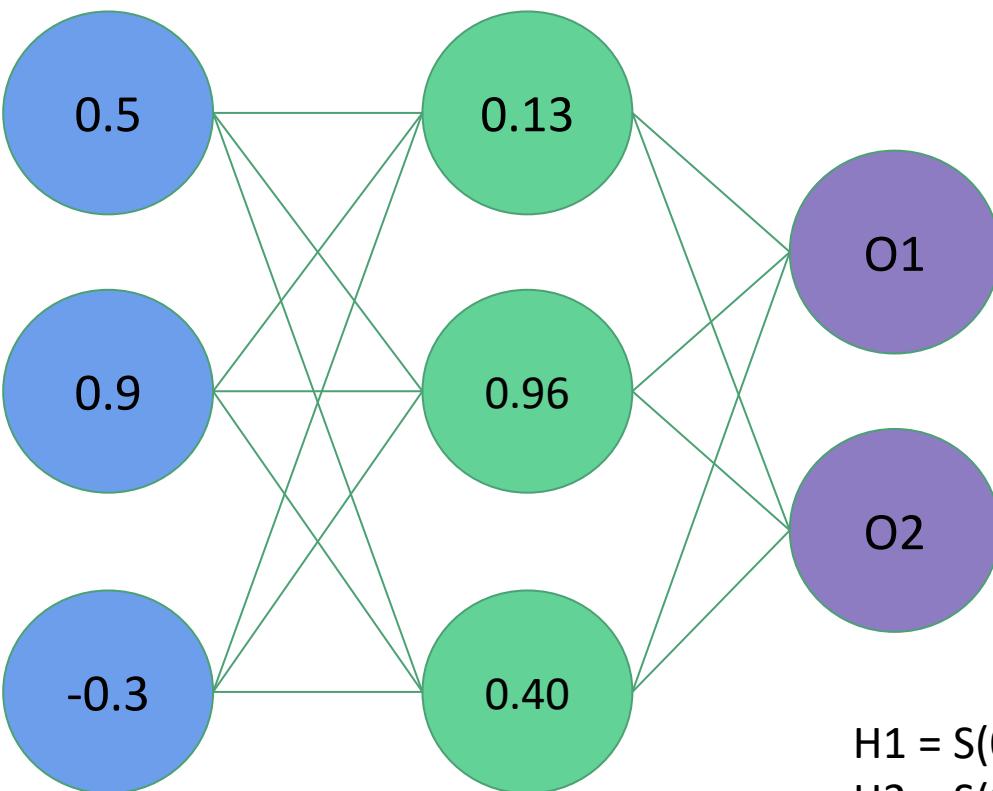
Weights H2 = (2.0, 1.0, -4.0)

Weights H3 = (1.0, -1.0, 0.0)

Weights O1 = (-3.0, 1.0, -3.0)

Weights O2 = (0.0, 1.0, 2.0)

Inference



Weights H1 = (1.0, -2.0, 2.0)

Weights H2 = (2.0, 1.0, -4.0)

Weights H3 = (1.0, -1.0, 0.0)

Weights O1 = (-3.0, 1.0, -3.0)

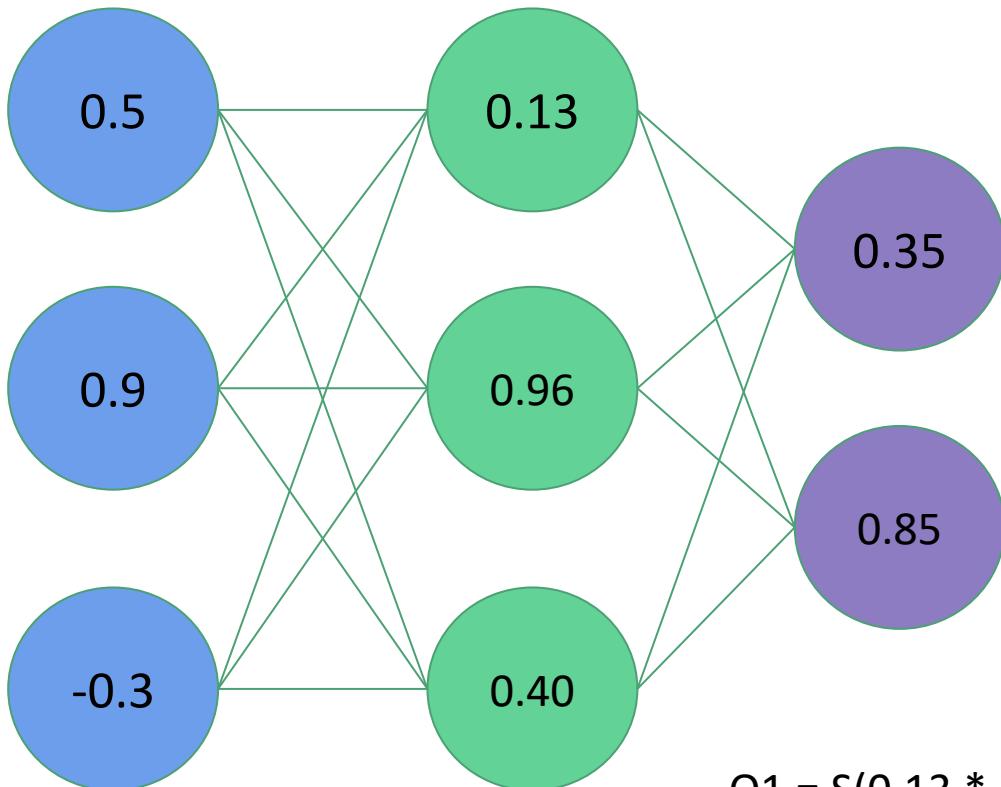
Weights O2 = (0.0, 1.0, 2.0)

$$H1 = S(0.5 * 1.0 + 0.9 * -2.0 + -0.3 * 2.0) = S(-1.9) = 0.13$$

$$H2 = S(0.5 * 2.0 + 0.9 * 1.0 + -0.3 * -4.0) = S(3.1) = 0.96$$

$$H3 = S(0.5 * 1.0 + 0.9 * -1.0 + -0.3 * 0.0) = S(-0.4) = 0.40$$

Inference



Weights H1 = (1.0, -2.0, 2.0)

Weights H2 = (2.0, 1.0, -4.0)

Weights H3 = (1.0, -1.0, 0.0)

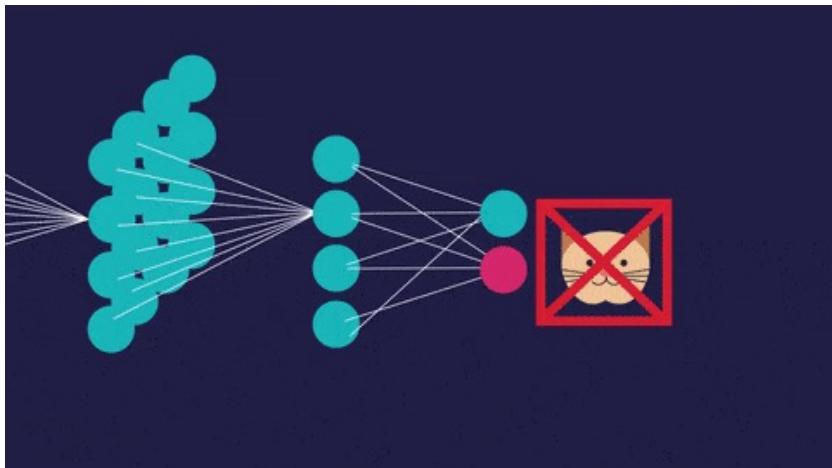
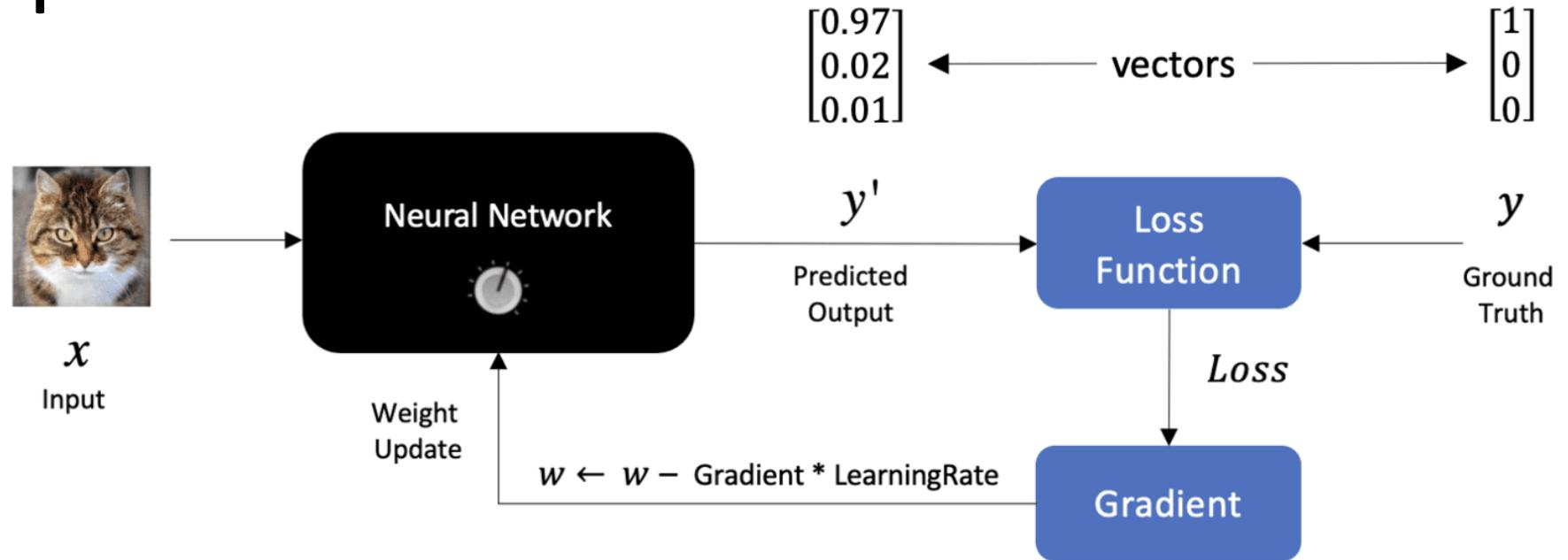
Weights O1 = (-3.0, 1.0, -3.0)

Weights O2 = (0.0, 1.0, 2.0)

$$O1 = S(0.13 * -3.0 + 0.96 * 1.0 + 0.40 * -3.0) = S(-0.63) = 0.35$$

$$O1 = S(0.13 * 0.0 + 0.96 * 1.0 + 0.40 * 2.0) = S(1.76) = 0.85$$

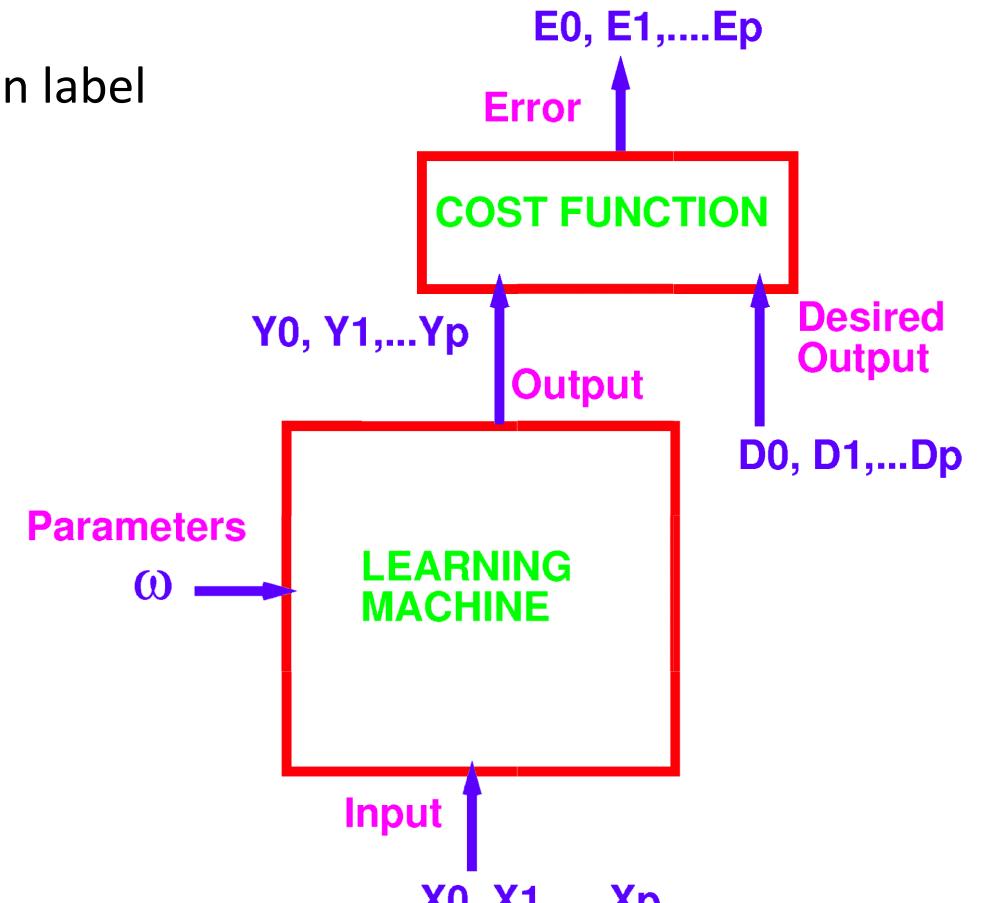
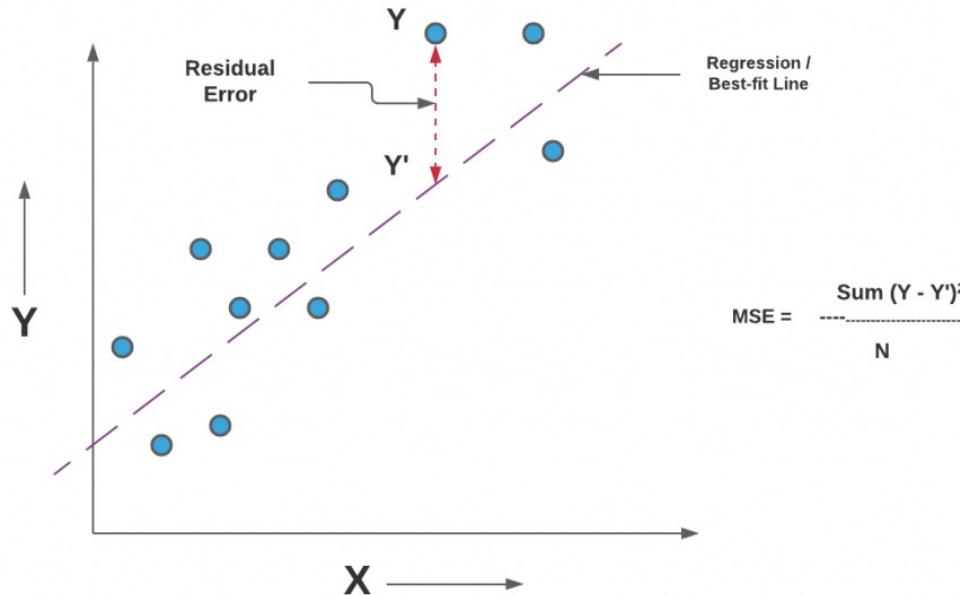
Training loop



- Training a neural network is supervised learning
- We need labels from an expert to compare them with the neural network's prediction
- If a neural network makes mistakes, it needs to be trained
- When training, we change the weights of the neural network

Loss function

- To compare prediction of our model and right answer in label we need to calculate loss function
- For classification we use Cross Entropy loss function
- For regression we use Mean Square Error

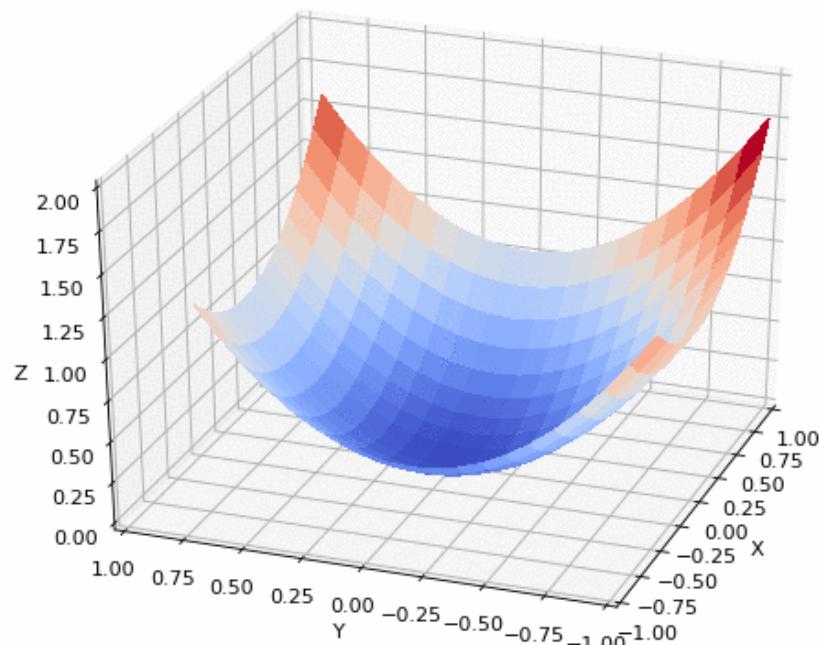


Average Error:

$$E = \frac{1}{p} \sum E_k$$

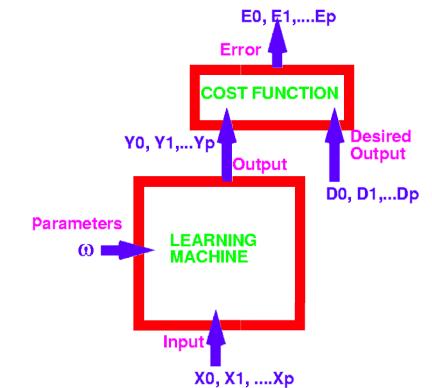
Gradient Descend

- We need minimum of loss function – minimum of error
- But we don't know this point – function is too complex
- Using Gradient Descend we change weights of neural network to get model with minimal error
- It's like going down a mountain in the fog. You only see the area around you



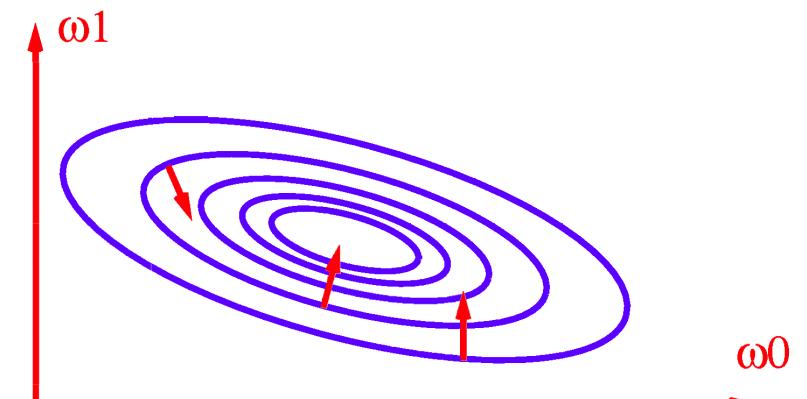
Average Error:

$$E(\omega) = \frac{1}{p} \sum E_k(\omega)$$



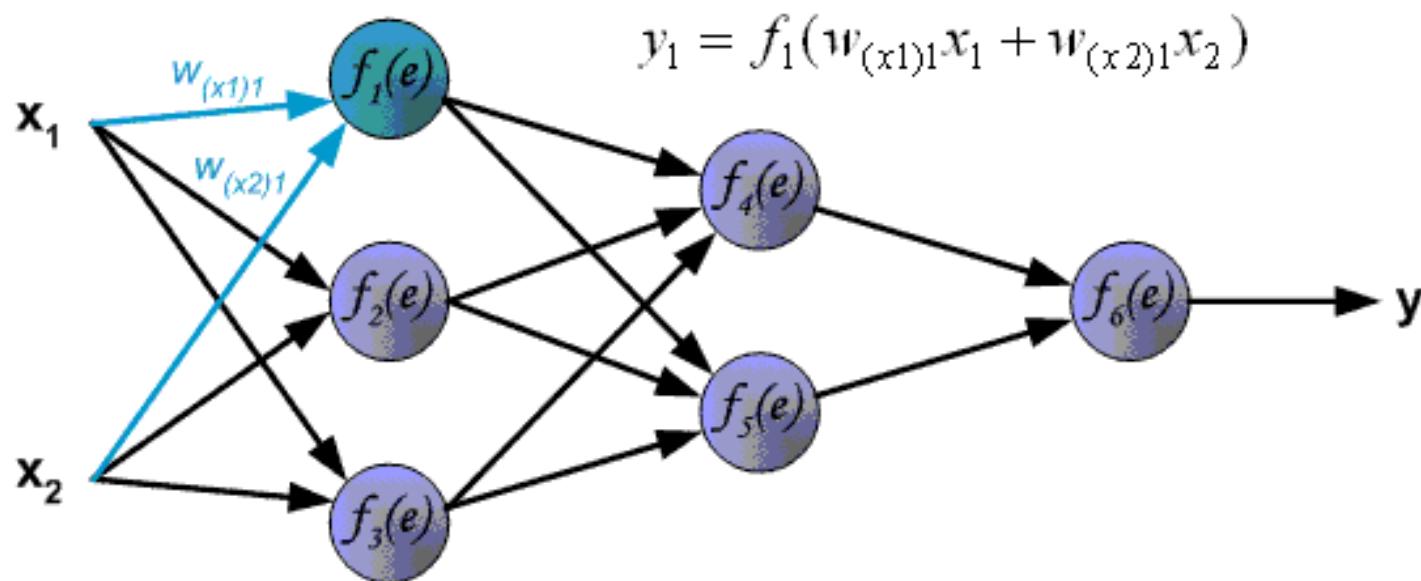
Gradient Descent:

$$\omega(\tau+1) = \omega(\tau) - \eta \frac{\partial E}{\partial \omega}$$



Error Backpropagation

FP



- Question: Which weights should be updated and by how much?
- We need to calculate the partial derivative for each parameter - weight and bias
- To calculate the derivative of such a complex function, we find it step by step, layer by layer

Iterations and epochs

- One iteration – one training step, we use samples from one mini-batch
- One epoch – iterations for whole training set

Batch

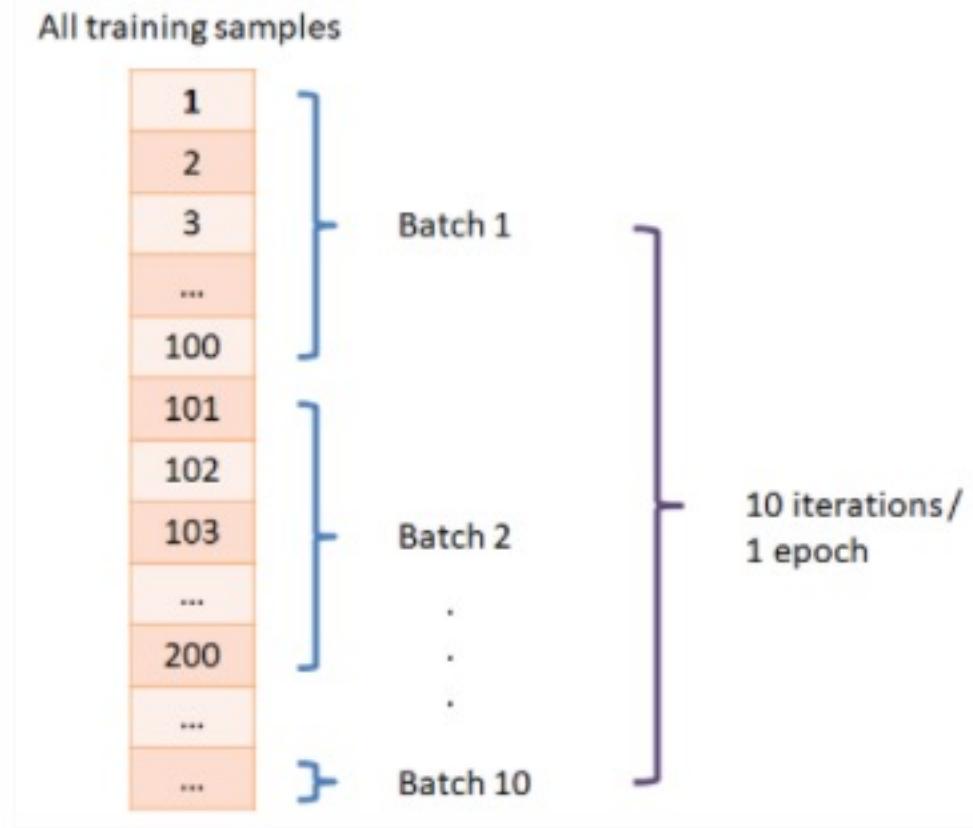
$$\omega(\rho+1) = \omega(\rho) - \eta \frac{\partial E}{\partial \omega}$$

```
Repeat {  
    for all examples in training set {  
        forward prop      // compute output  
        backward prop    // compute gradients  
        accumulate gradient }  
    update parameters }
```

Stochastic

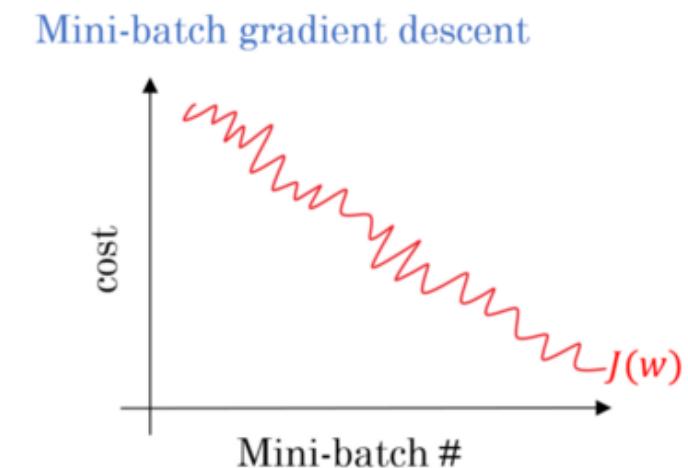
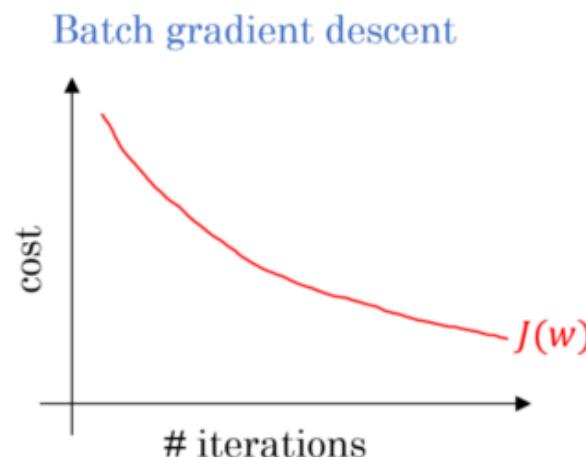
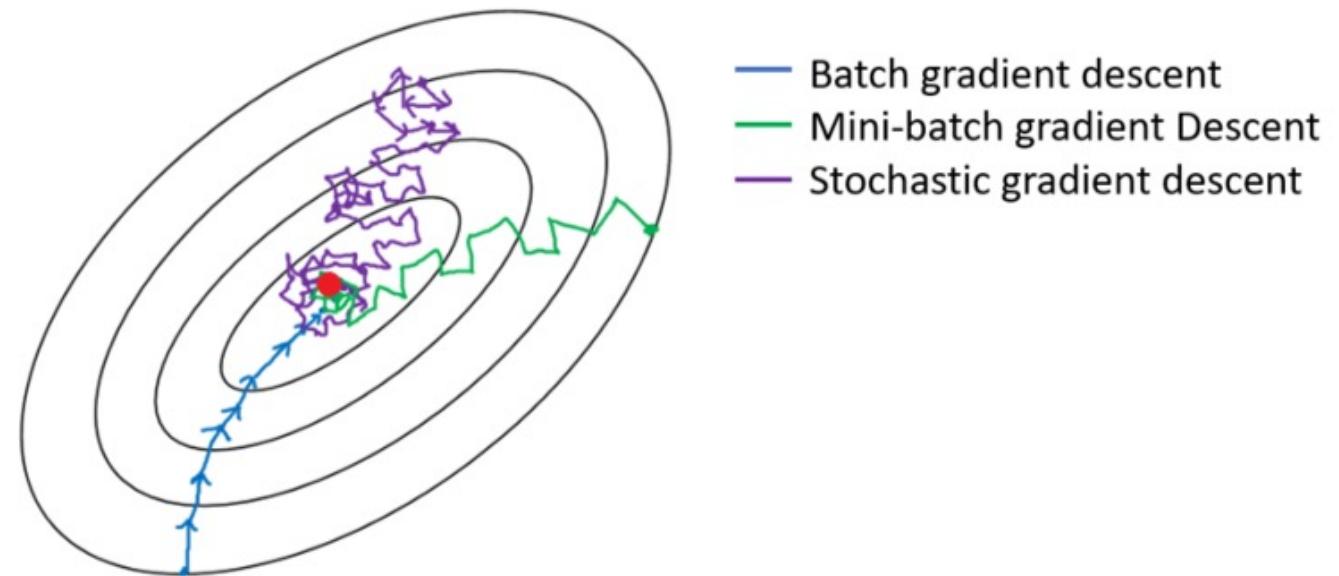
$$\omega(\tau+1) = \omega(\tau) - \eta \frac{\partial E_\tau}{\partial \omega}$$

```
Repeat {  
    for all examples in training set {  
        forward prop      // compute output  
        backward prop    // compute gradients  
        update parameters }}
```



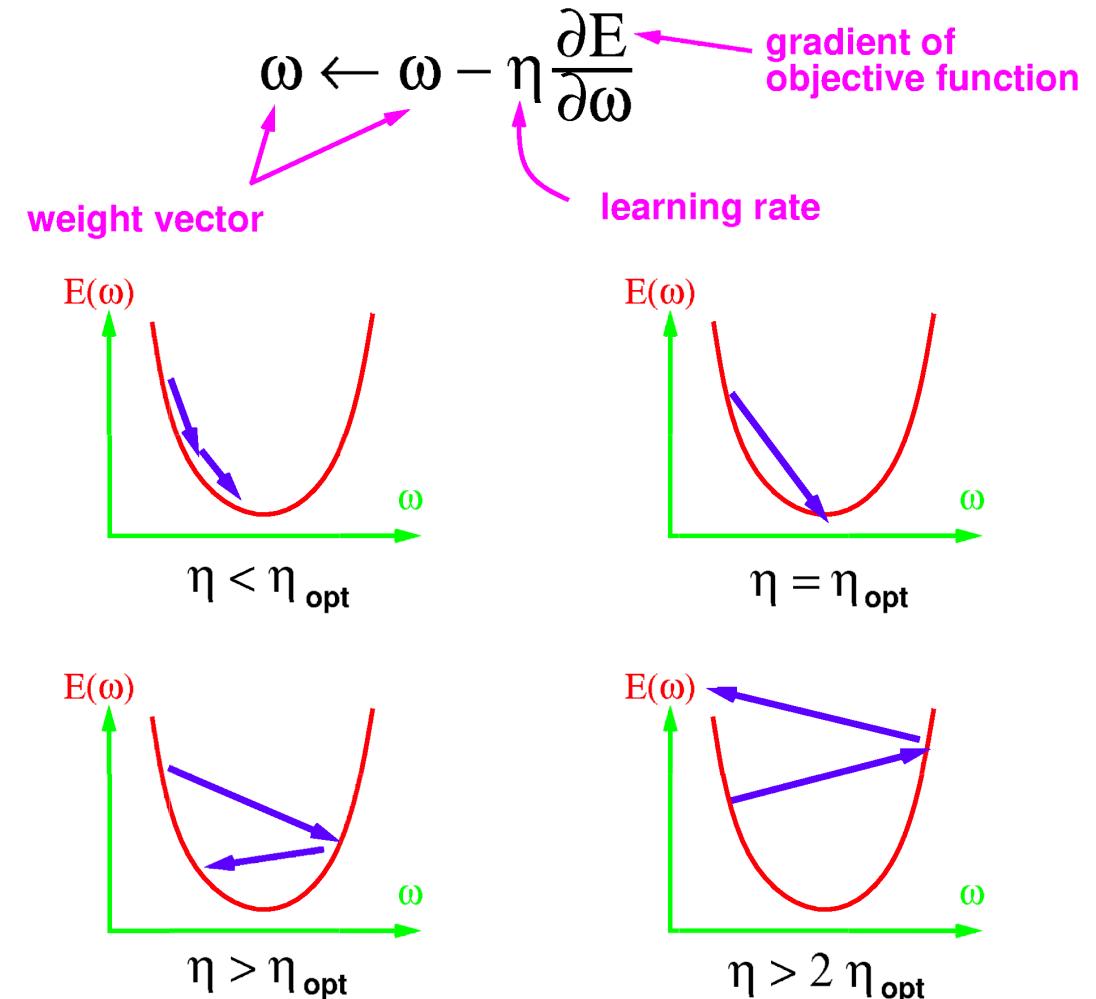
Batch vs Stochastic

- We calculate the loss function for each sample, but then we add them into one loss function to calculate the gradient and new weights
- Training on the entire dataset takes a long time. Therefore, each time we take a small portion of data - a minibatch
- Each step is calculated faster, but the learning becomes more chaotic

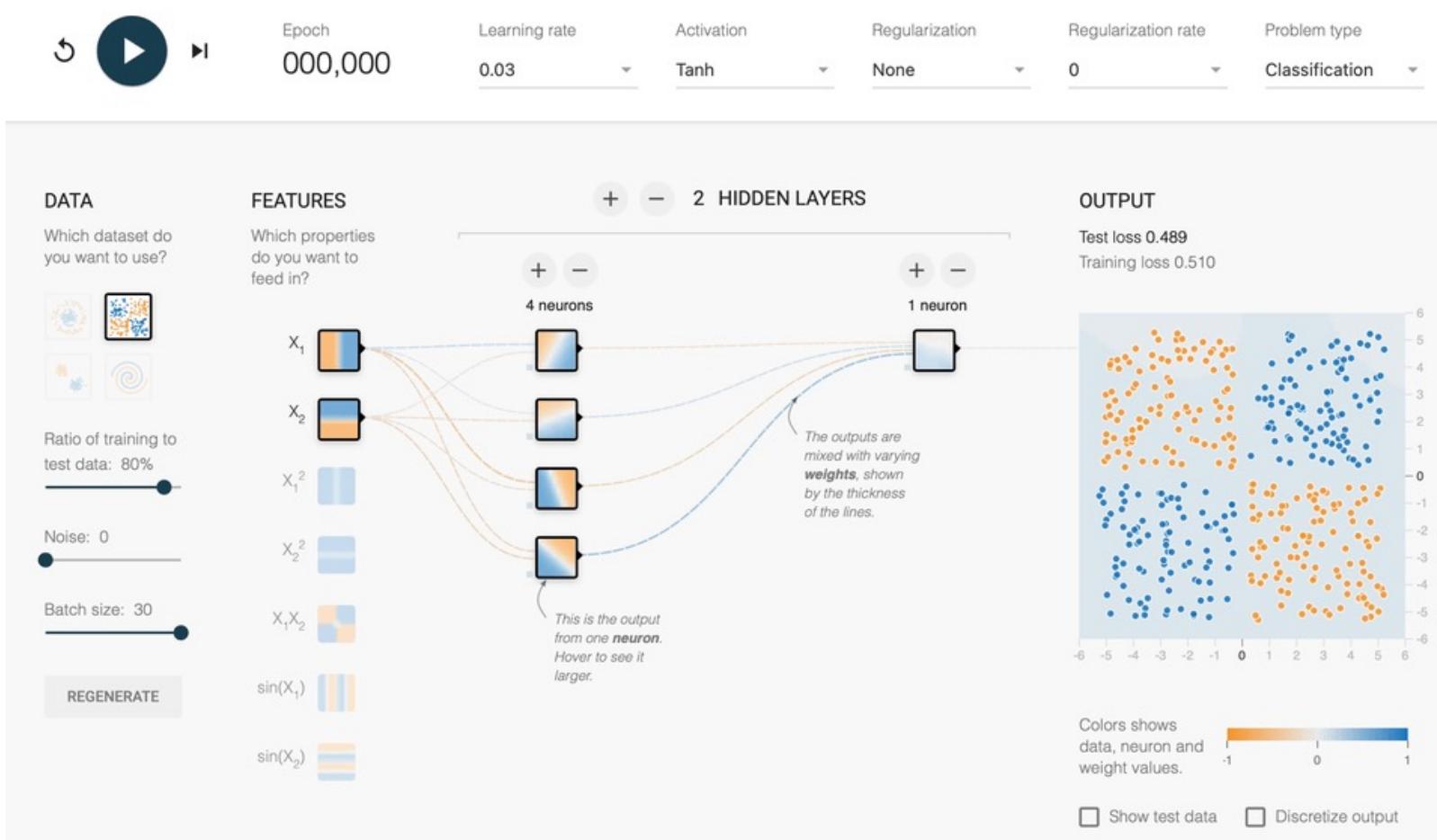


Learning rate

- Network parameters (weights) change during training
- Hyperparameters are constant, they control learning
- One of the hyperparameters is the learning rate. The learning speed is low - we teach accurately, but for a long time. If the speed is high, it's a big step right away, but we can jump over the right place
- Other hyperparameters - number of epochs, batch size, number of hidden neurons

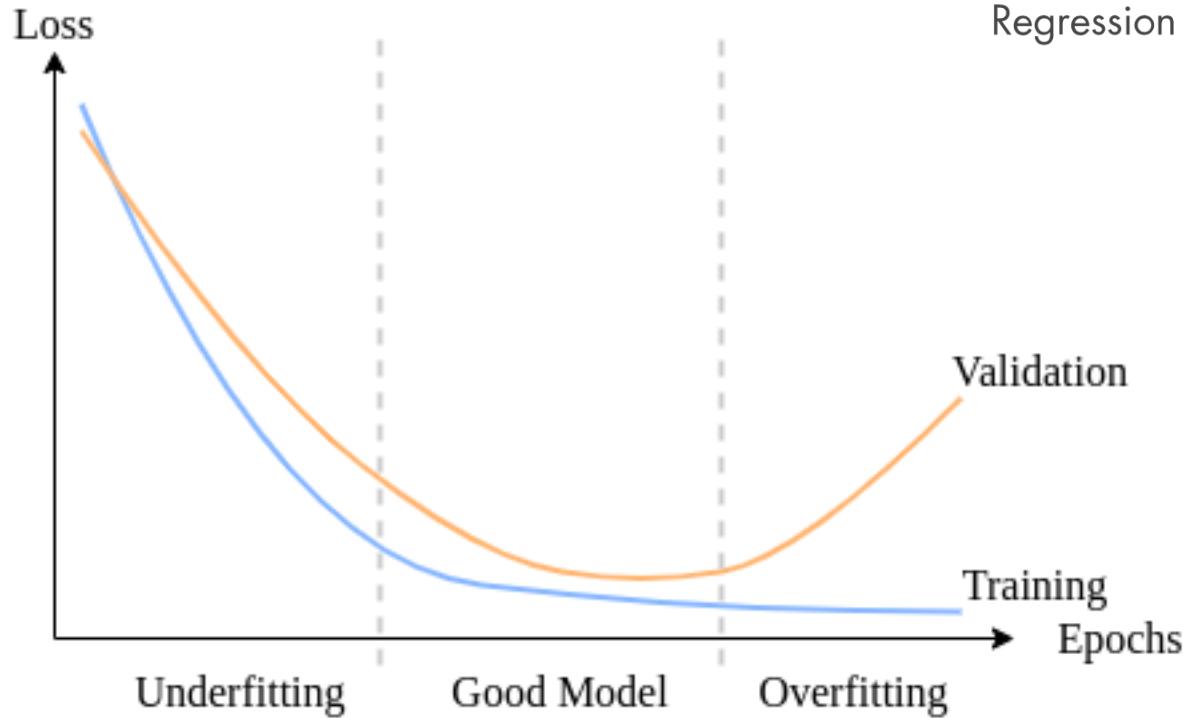


Playground



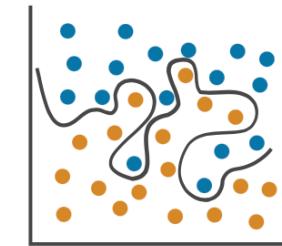
<https://playground.tensorflow.org>

Overfitting

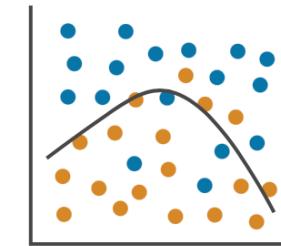


Classification

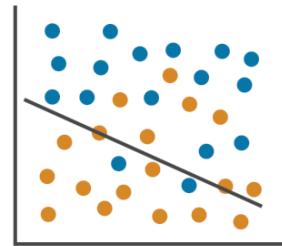
Overfitting



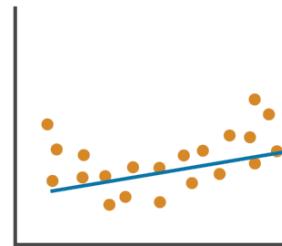
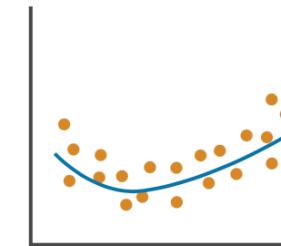
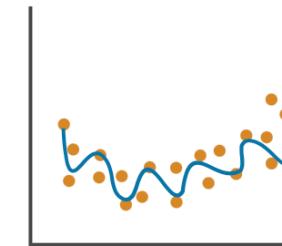
Right Fit



Underfitting



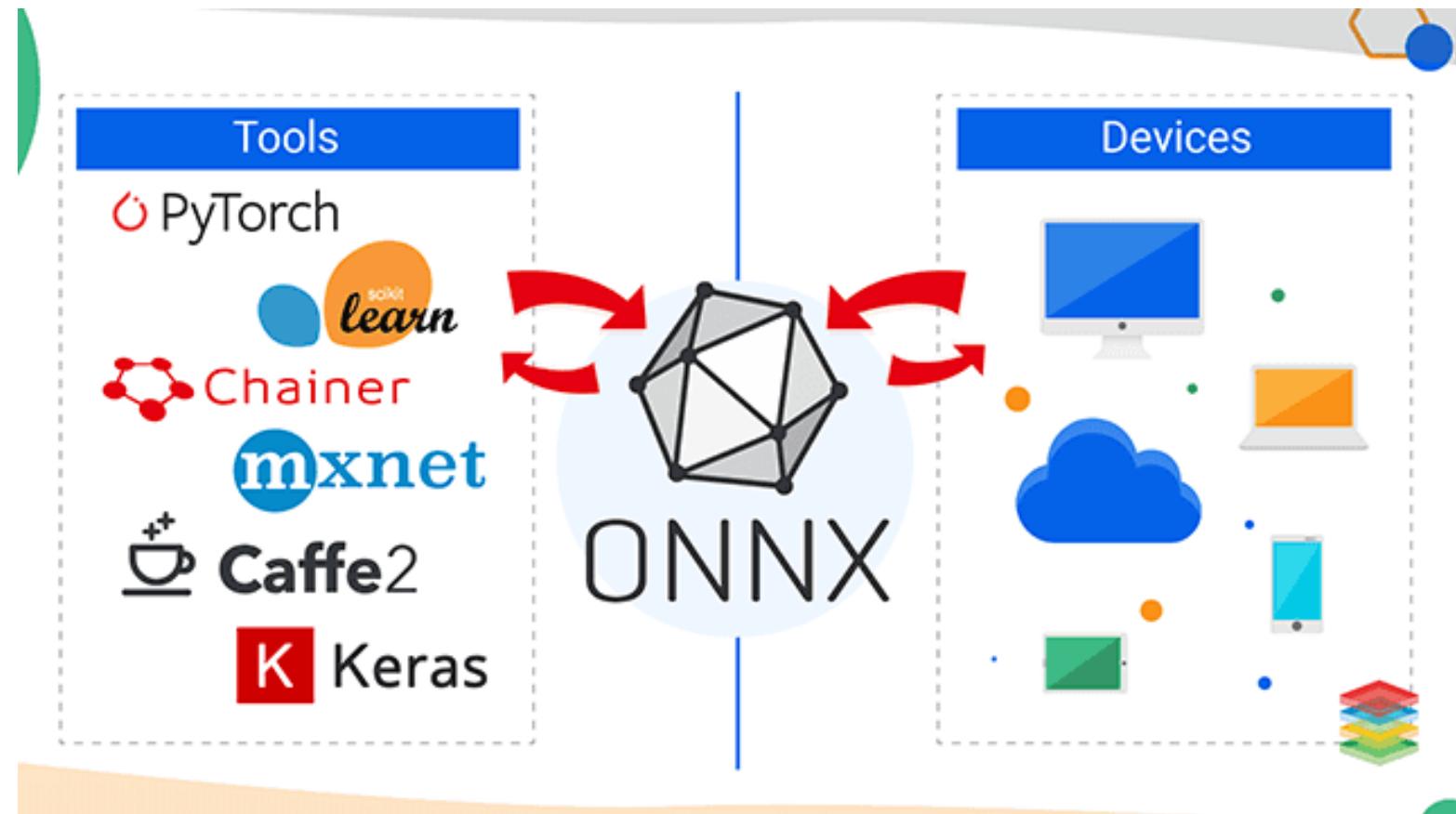
Regression



- When training a model that is too complex for a long time, overfitting occurs.
- It is very easy to find - the error on the training set continues to decrease, but on the test set it is constant or growing

ONNX

- ONNX - library for converting models between different technologies
- ONNX allows researchers and developers to choose the right combination of tools to solve a problem
- ONNX.js allows you to run models in the browser, that is, on the user side



Thank you!

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