

DEPREM ODAK MEKANİZMASI

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(9. Ders)

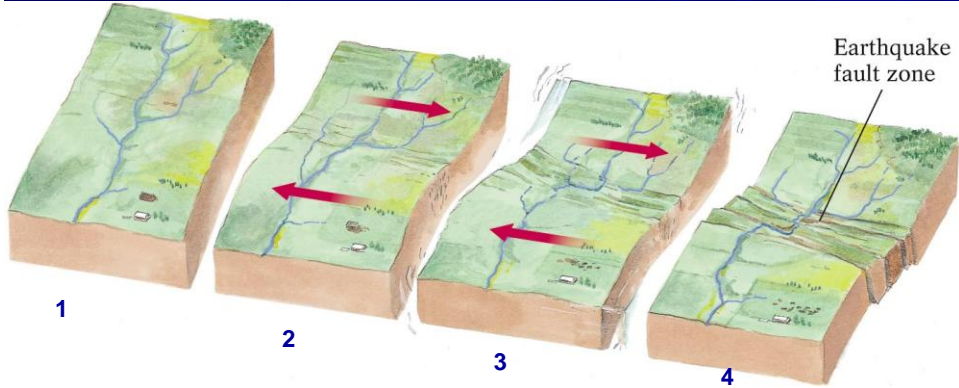
Elastik rebound (yenilenme) teorisi :

Elastik Rebound Teorisi'ne göre;

- Komşu blokların birbirine göre hareketi ve elastik deformasyon enerjisinin depolanması
- Fay yoksa çevredeki kayaçların dayanma gücü aşıldığında, fay varsa sürtünme kuvveti aşıldığında kaymanın başlaması

1. Gerilme birikimi

2. Fay boyunca elastik deformasyon

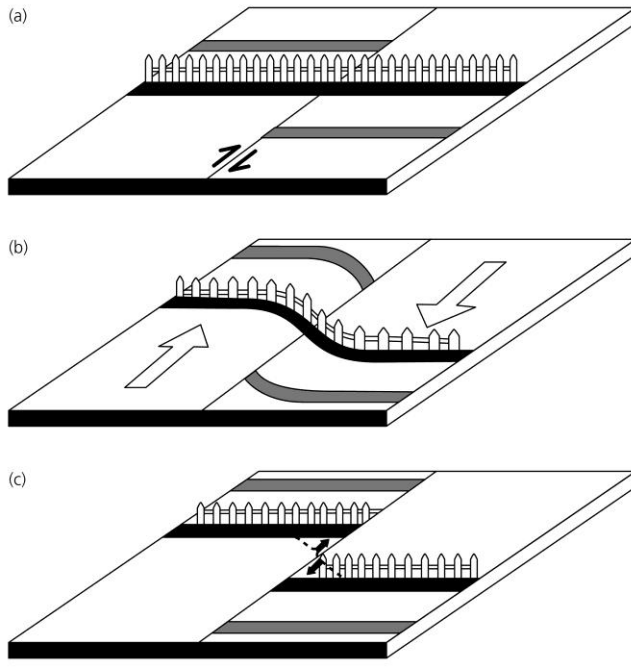


3. Kayaç dayanımının aşıldığı noktada kırılmanın başlaması

4. Fay alanı boyunca depolanan enerjinin serbestlenmesi

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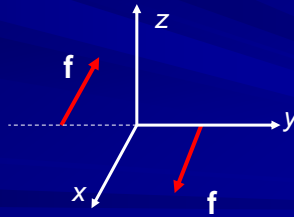
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Kaynak modelleri :

■ Tek kuvvet çifti

Birbirine eşit, fakat ters yönlü iki kuvvet ve moment sıfırdan farklı.

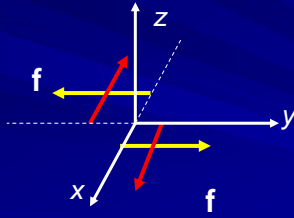


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■ İki kuvvet çifti

Birbirinin aynı iki kuvvet çifti, fakat birbirlerine karşı koyacak yönde etkiğinden moment sıfır.

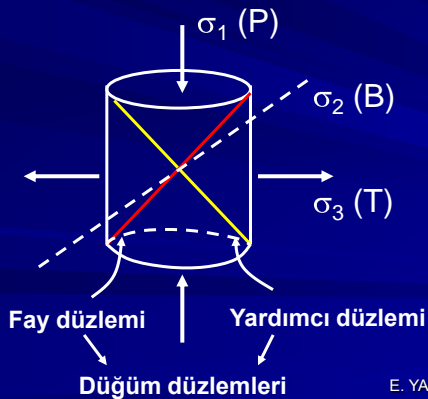


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Asal Gerilmeler ve Ana Faylanma Türleri

Deprem odak bölgesinde gerilme bileşenleri üç eksende incelenebilir.

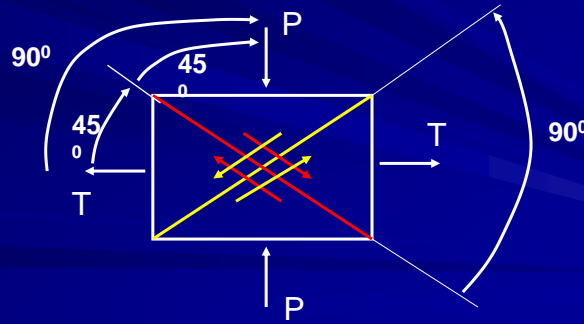


- P ; “maksimum basınç” eksenini veya maksimum asal gerilme
- T ; “maksimum tansiyon” eksenini veya minimum asal gerilme
- B ; orta gerilme eksenini veya sıfır vektörü

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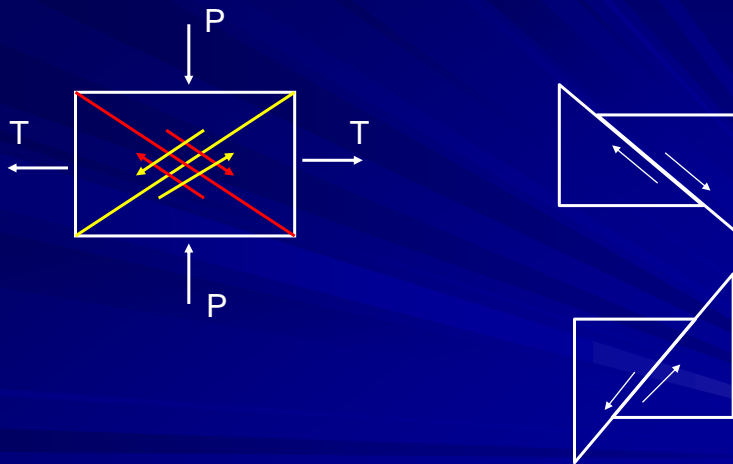
- Gerilme bileşenleri (P, T ve B eksenleri) arasında daima 90 derece açı farkı vardır.
- Düğüm düzlemleri ile P ve T eksenleri arasında daima 45 derece açı farkı vardır.
- Fay düzlemi ile yardımcı düzlem arasında daima 90 derece açı farkı vardır.



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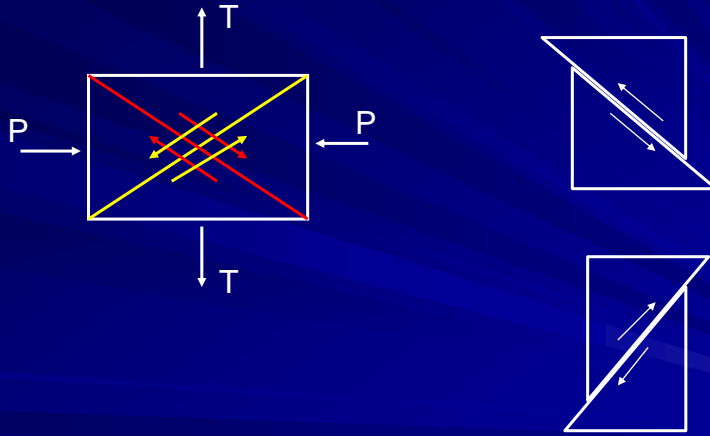
■ Normal faylanma



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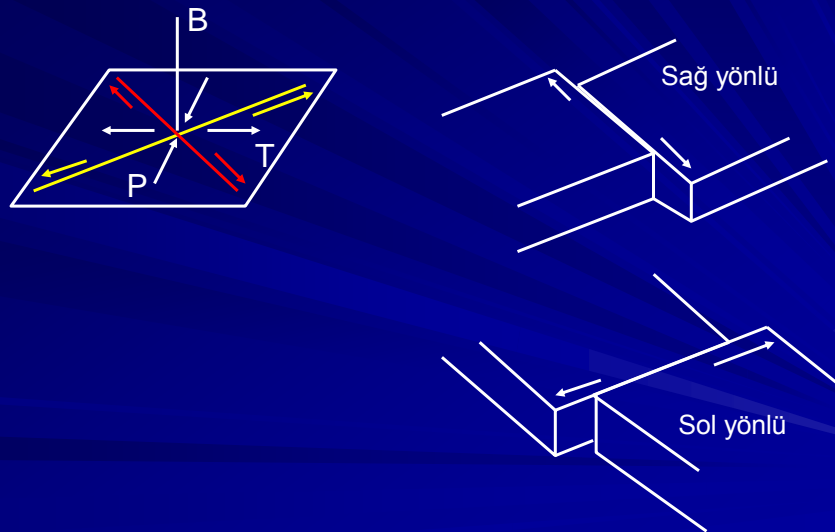
■ Ters faylanma



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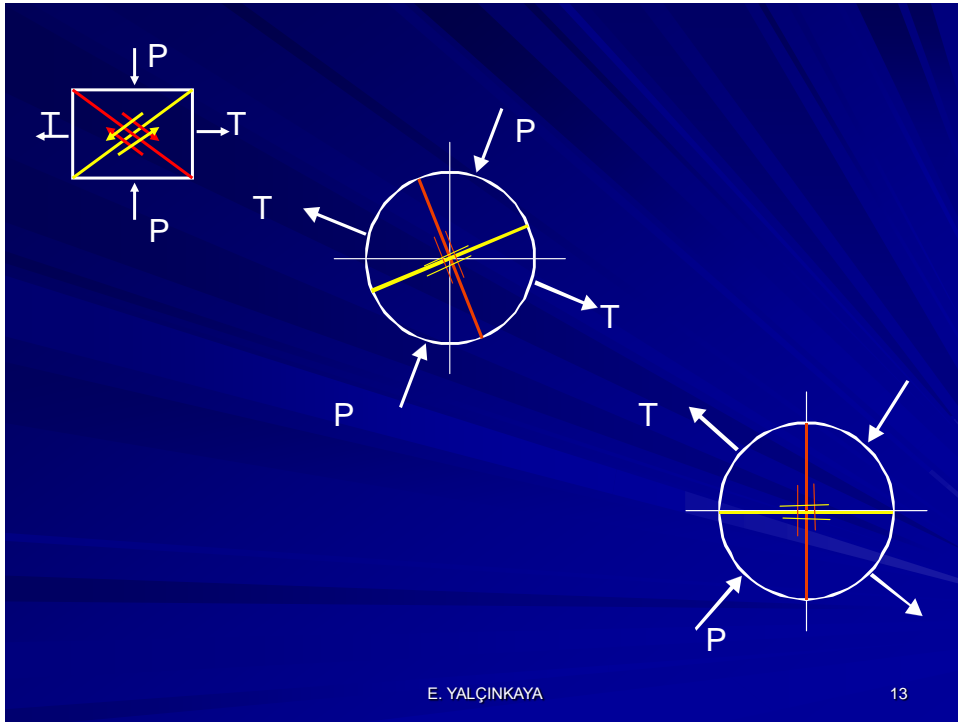
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■ Doğrultu atımlı faylanma

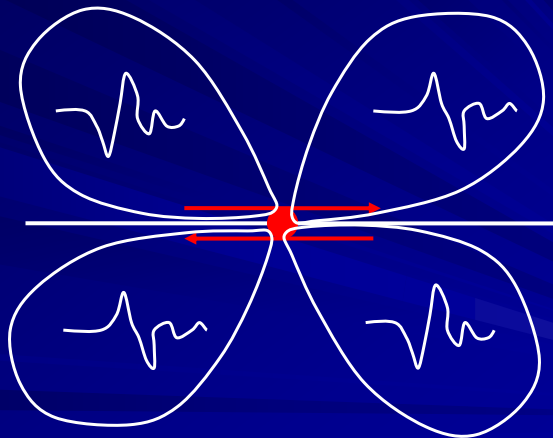


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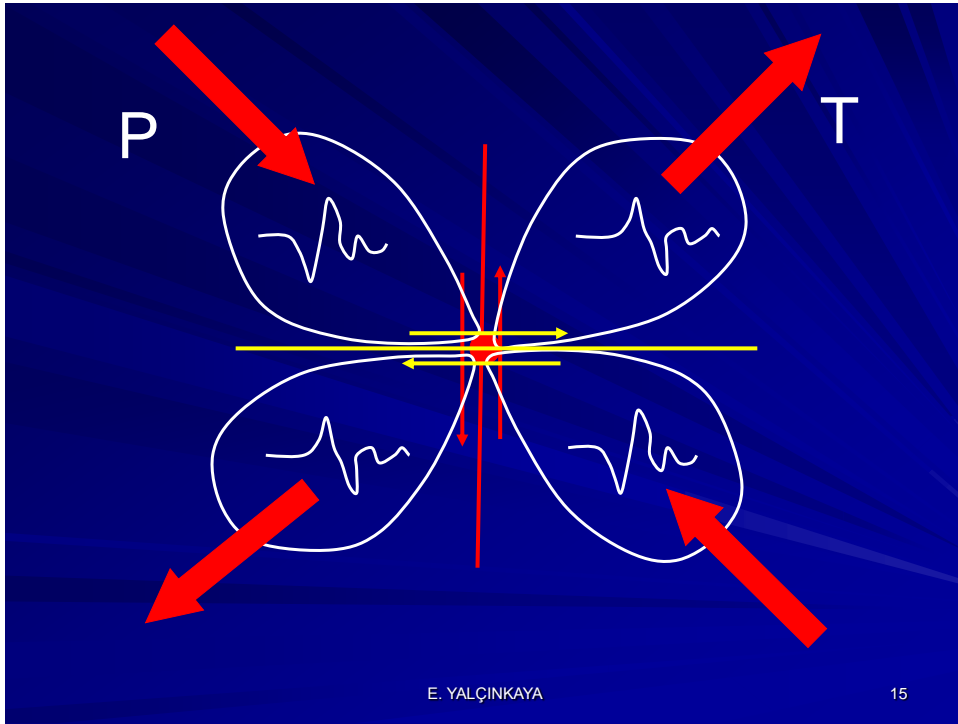


P-dalgası yayılım örüntüsü

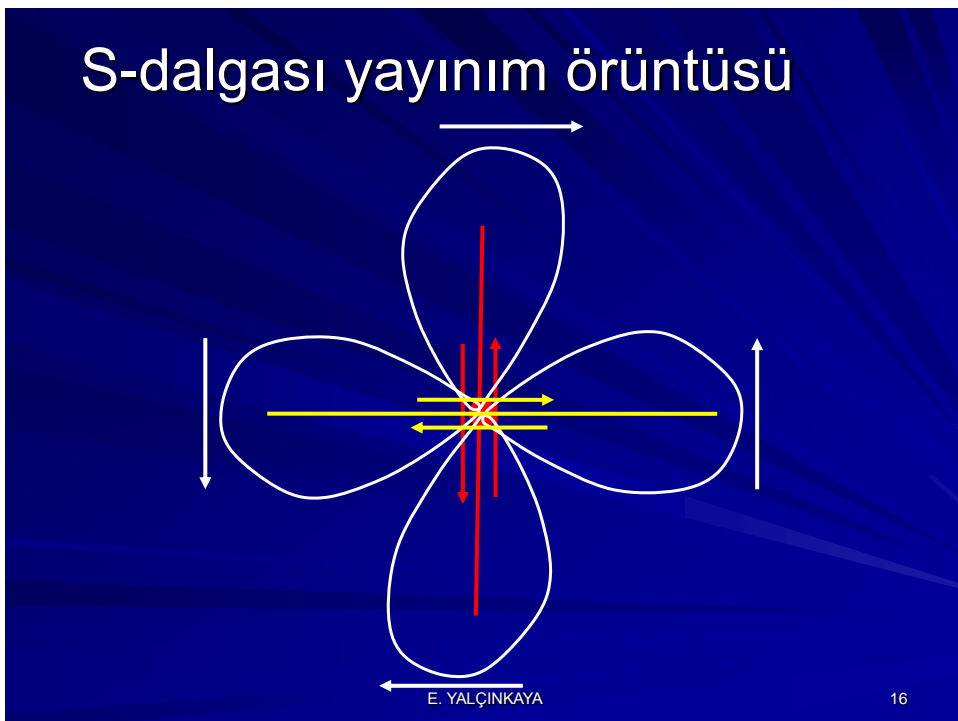


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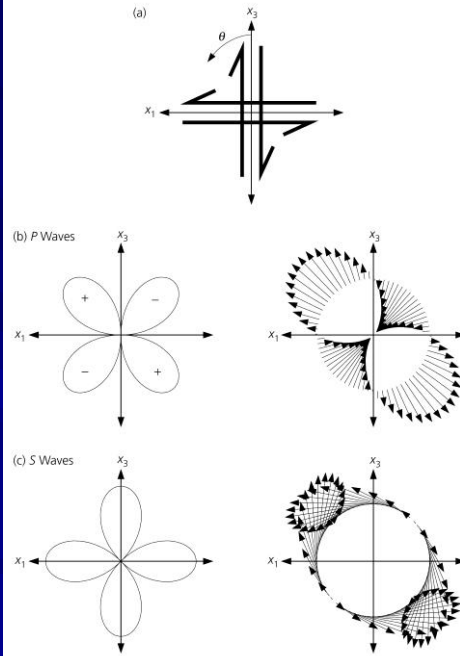
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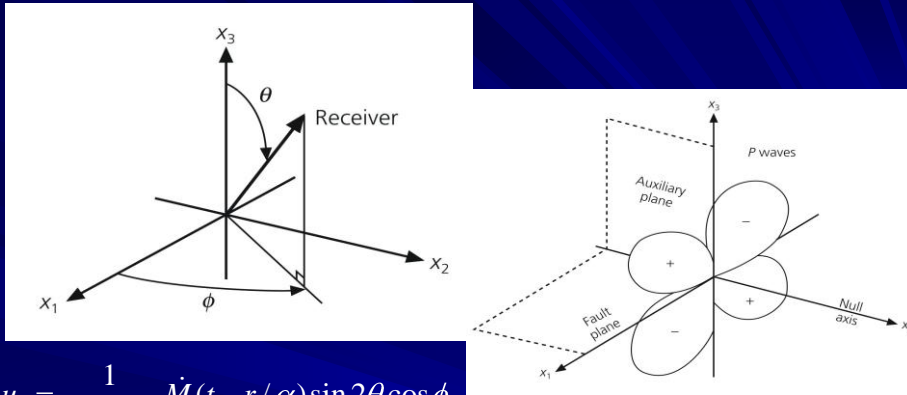
S-dalgası yayılım örüntüsü



İki kuvvet çifti
modelinde P ve S
dalgaları genlik ve
ilk hareket
dağılımları



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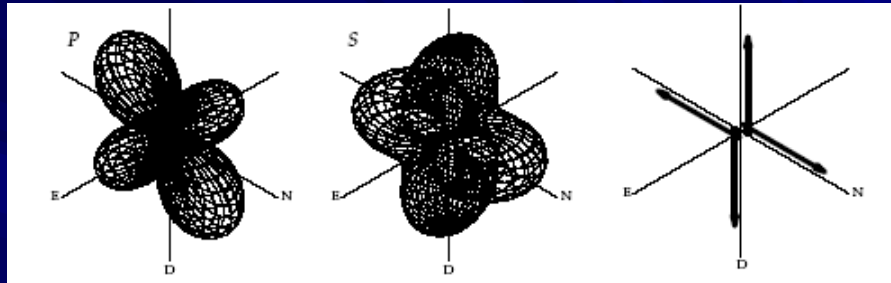
$$u_r = \frac{1}{4\pi\rho\alpha^3 r} \dot{M}(t-r/\alpha) \sin 2\theta \cos \phi$$

$$u_\theta = \frac{1}{4\pi\rho\beta^3 r} \dot{M}(t-r/\beta) \cos 2\theta \cos \phi$$

$$u_\phi = \frac{1}{4\pi\rho\beta^3 r} \dot{M}(t-r/\beta) - \cos \theta \sin \phi$$

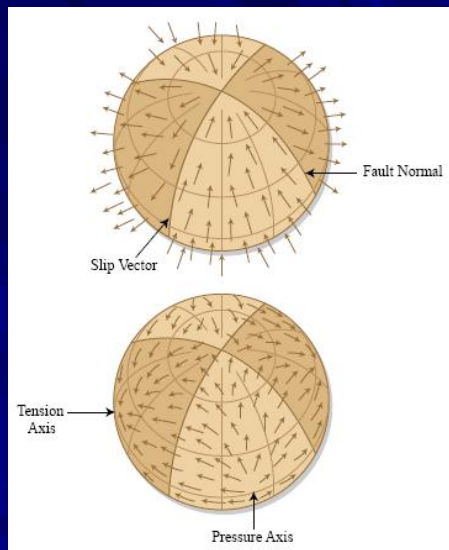
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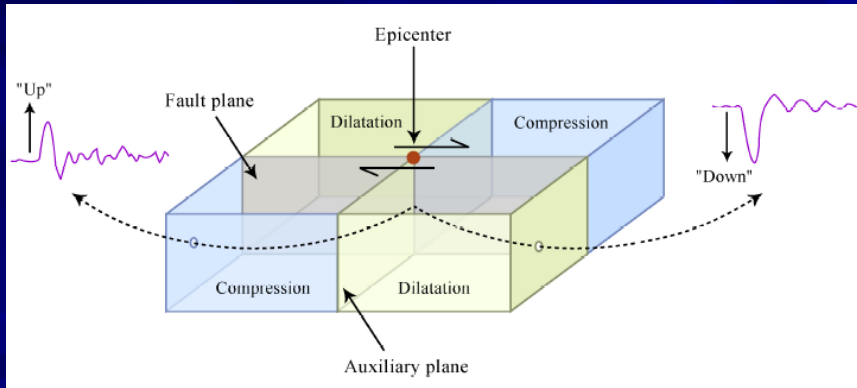
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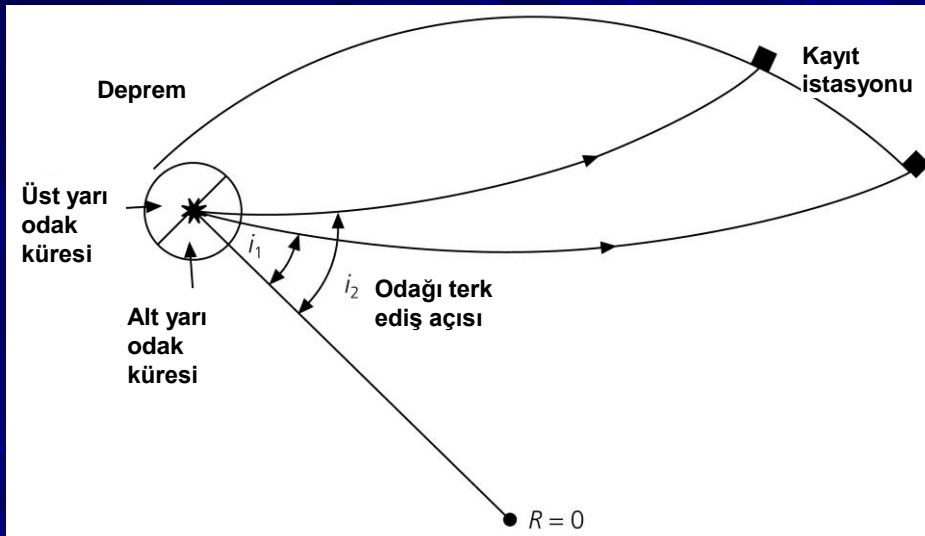
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P-dalgası ilk hareketlerinden odak mekanizması çözümü



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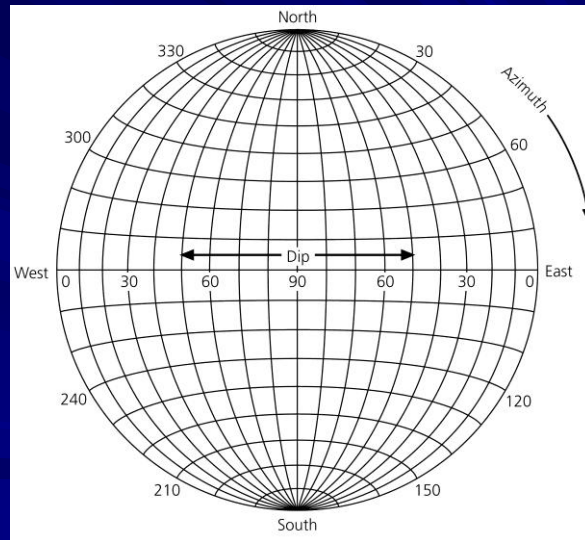
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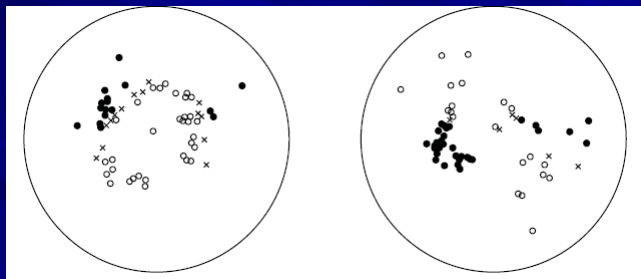
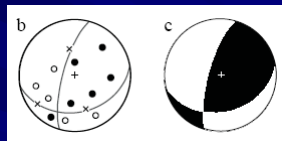
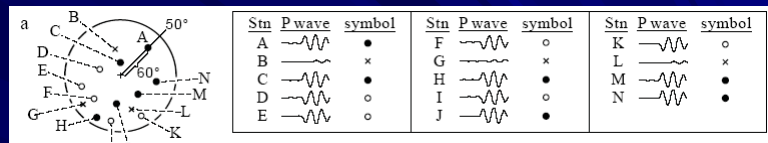
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Sterografik Projeksiyon



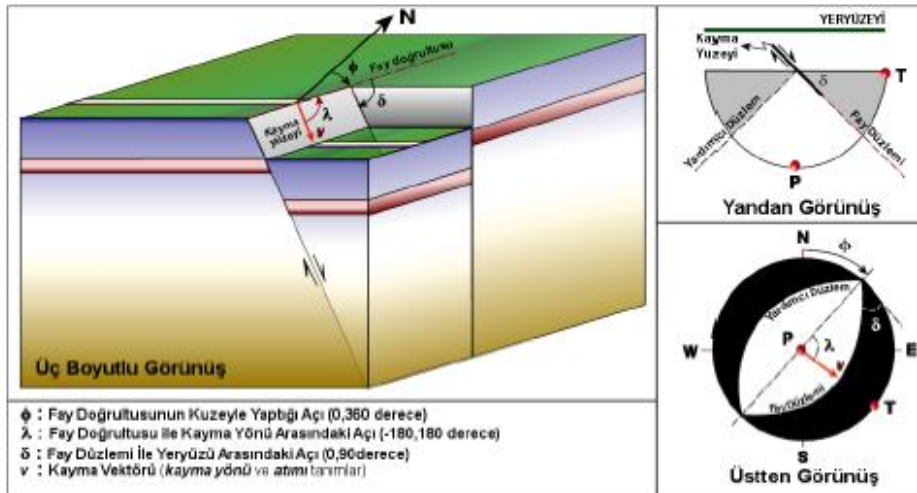
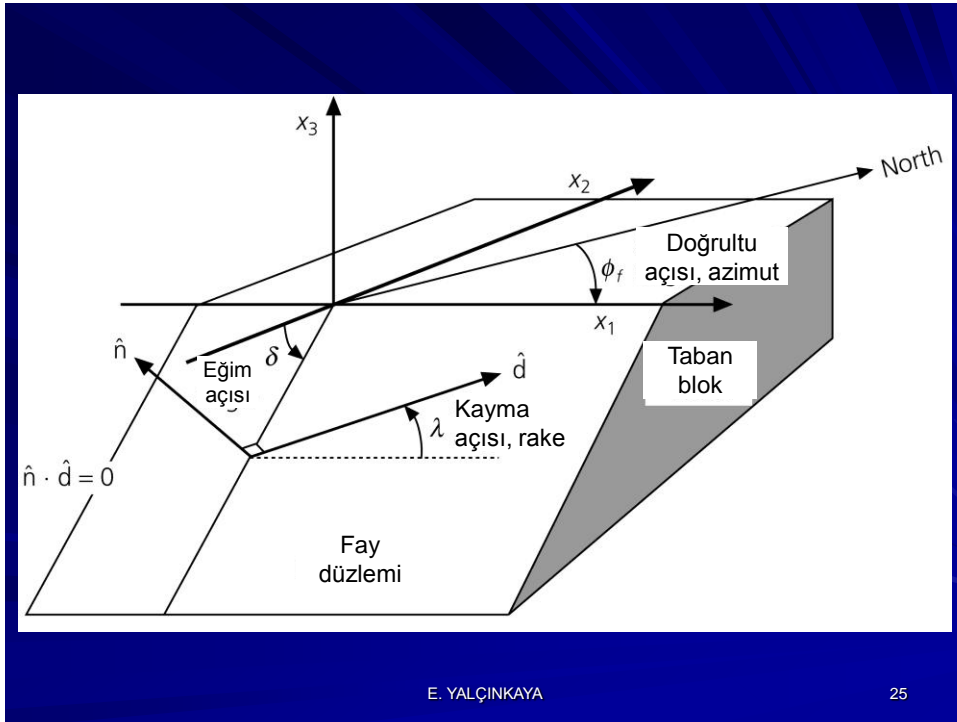
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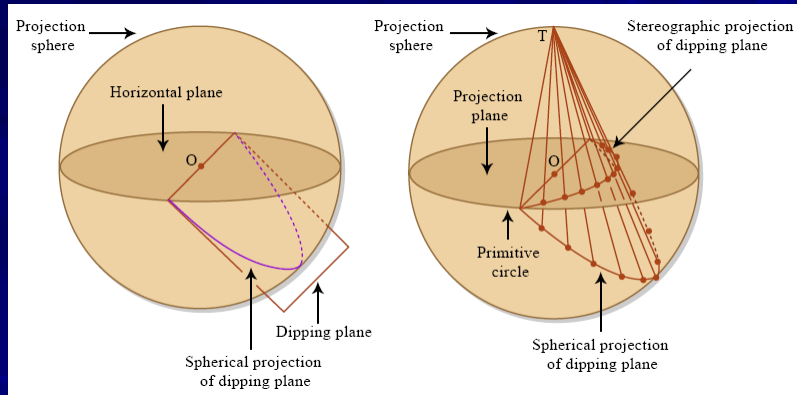
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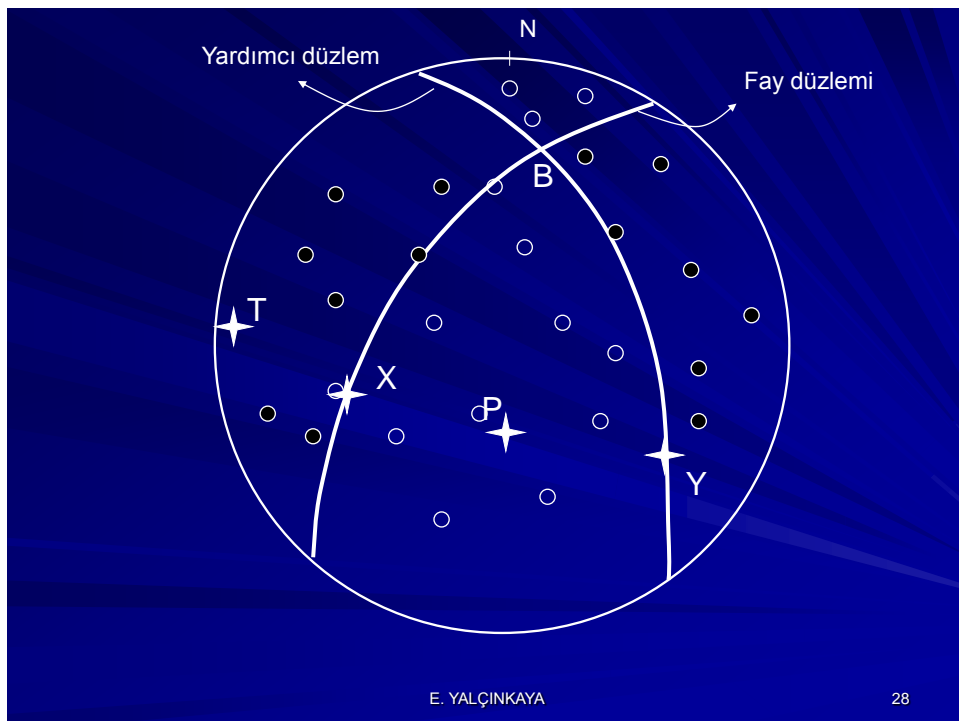
Şekil 2.1 : Faylanma mekanizması bileşenleri.

M. Yılmaz



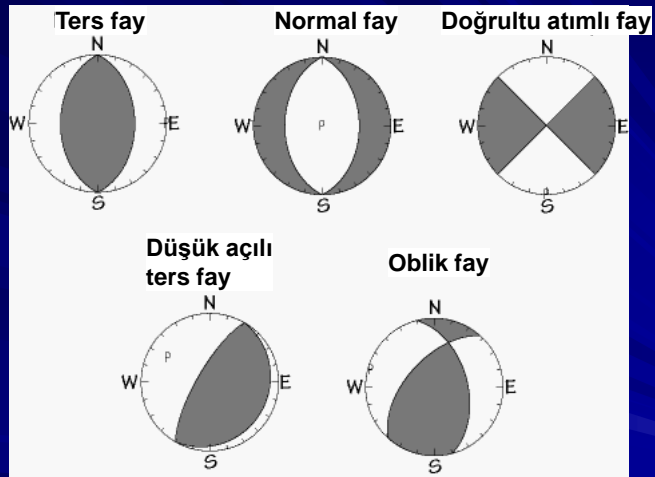
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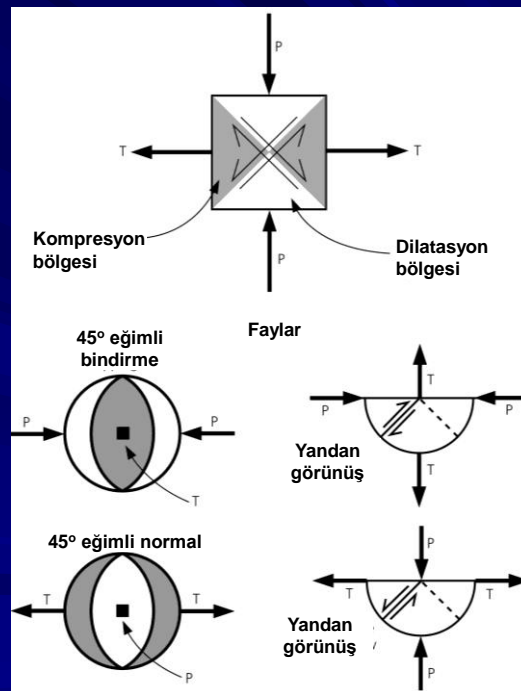
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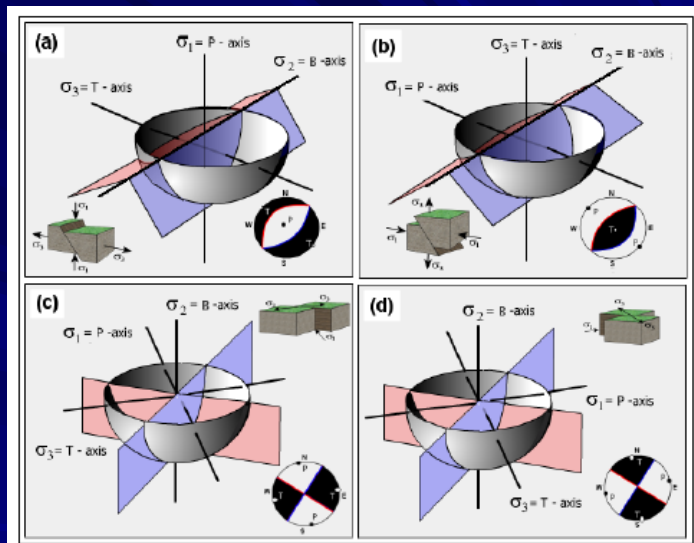


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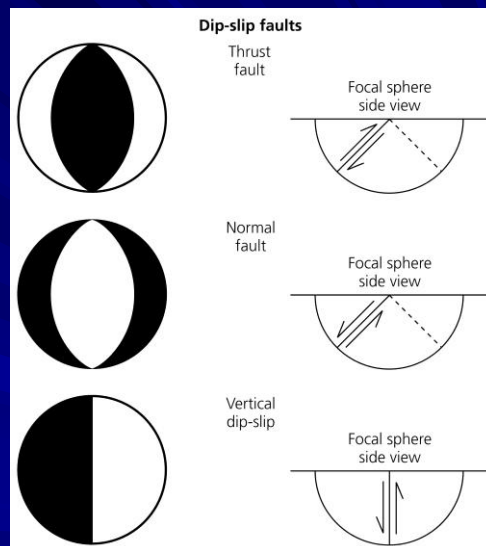
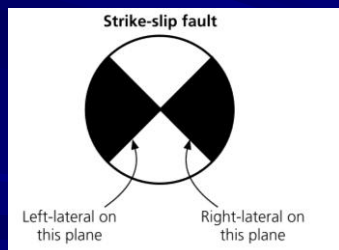


Şekil 2.3 : Gerilme bileşenleri ve P-T eksenleri ilişkisi. (a) normal fay, (b) ters fay, (c) sağ yönlü doğrultu atımlı fay, (d) sol yönlü doğrultu atımlı fay (Andresen ve Habesland, 2009, değiştirilerek).

M. Yilmazer

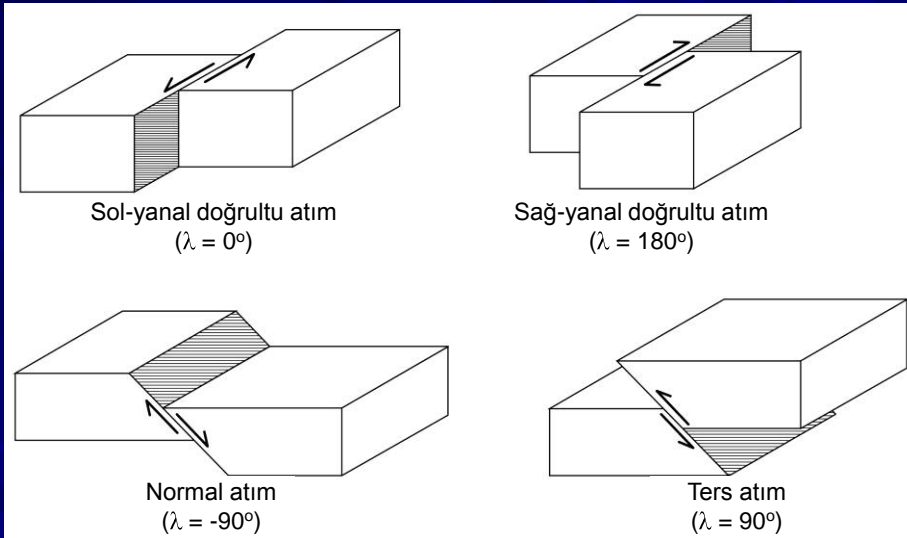
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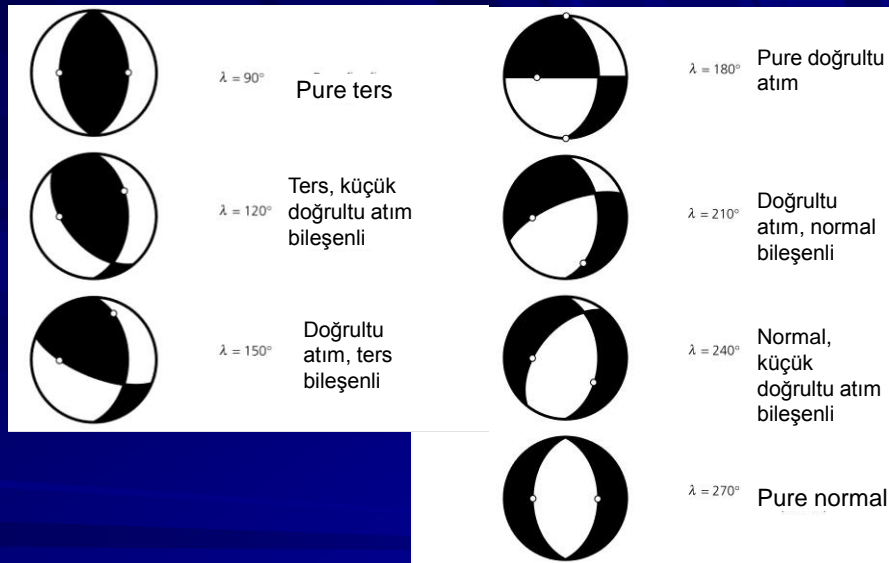
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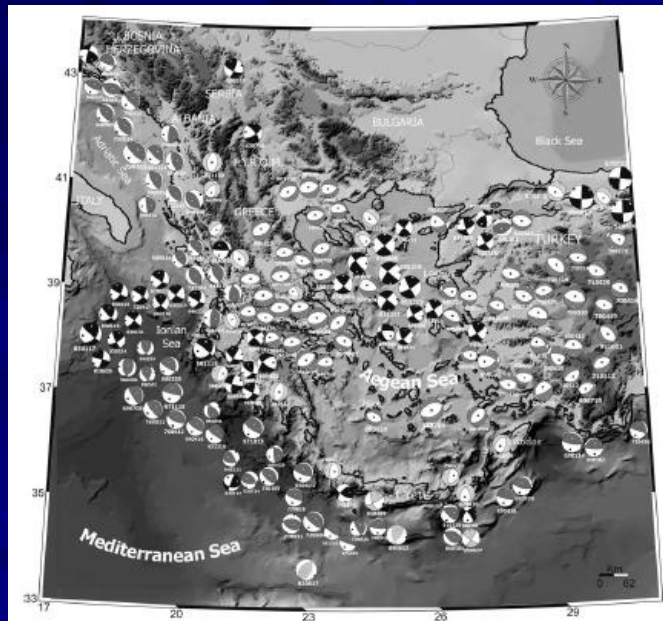
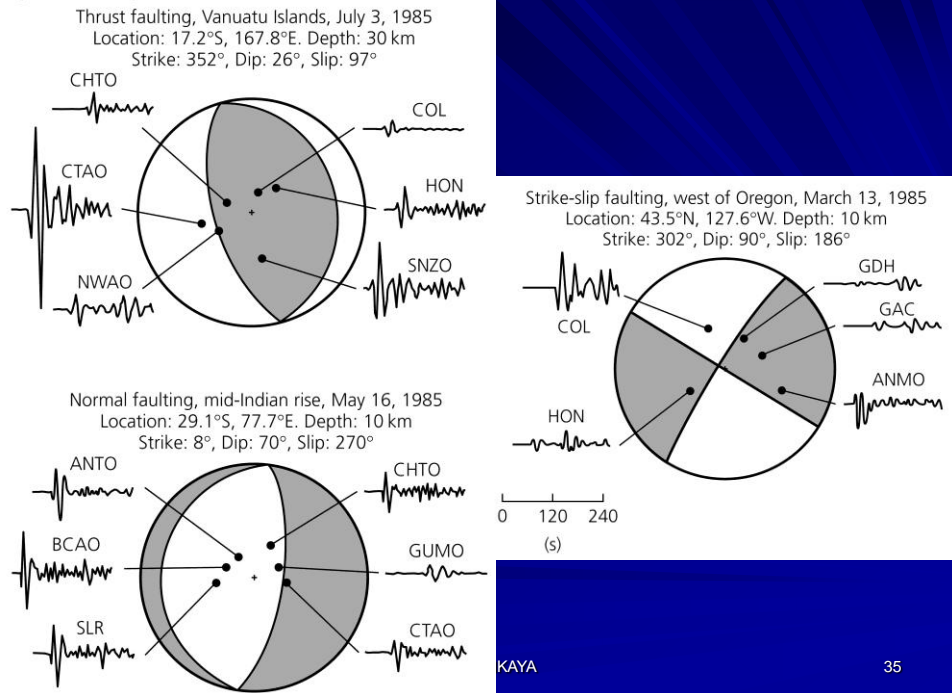
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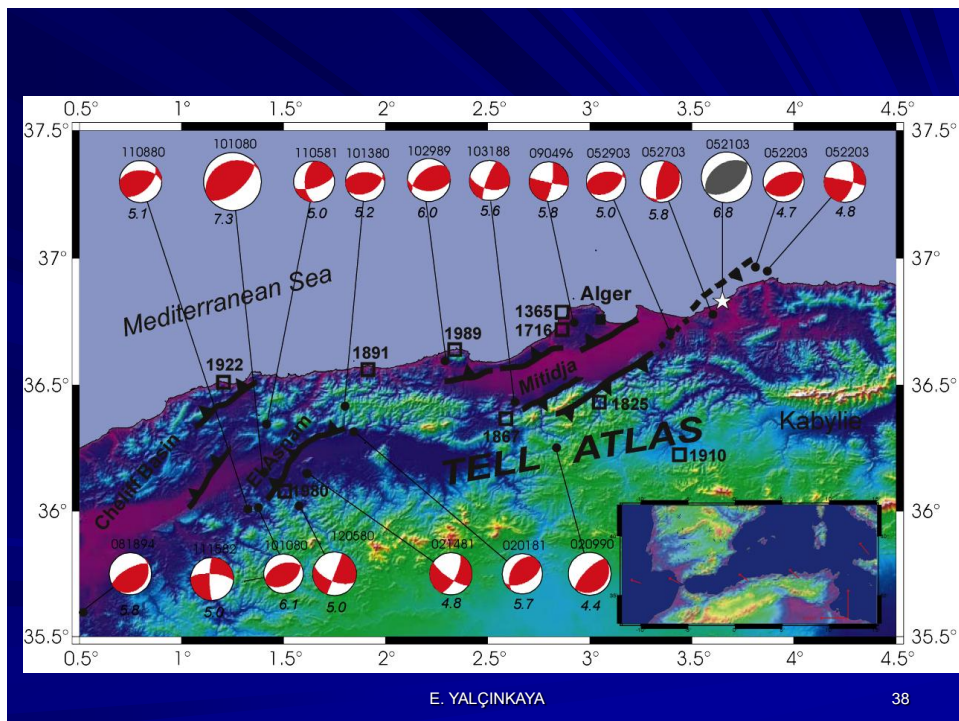
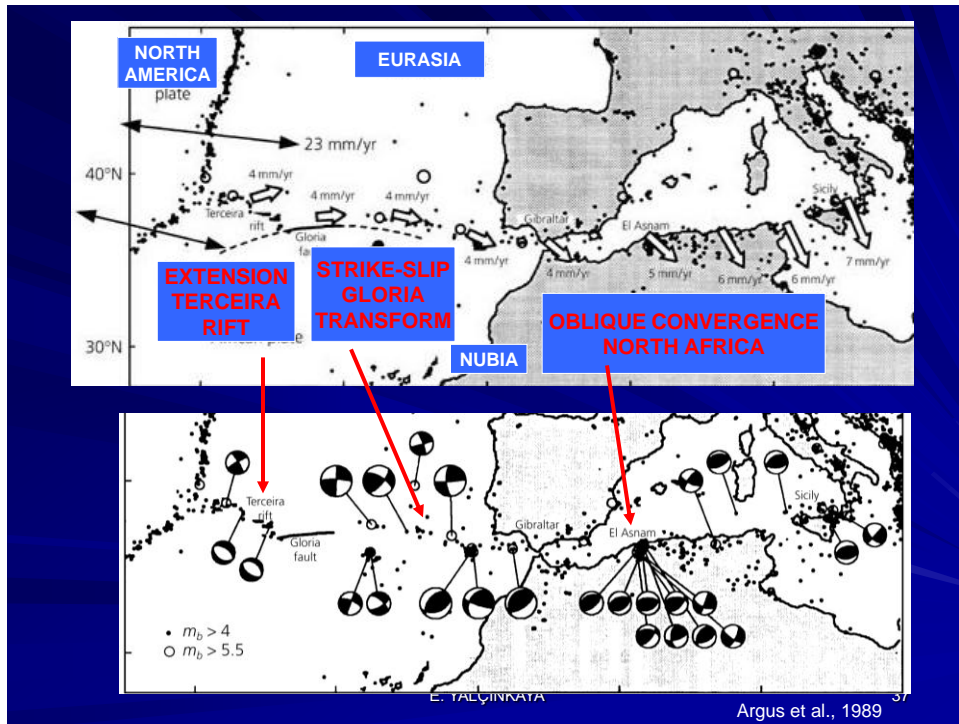
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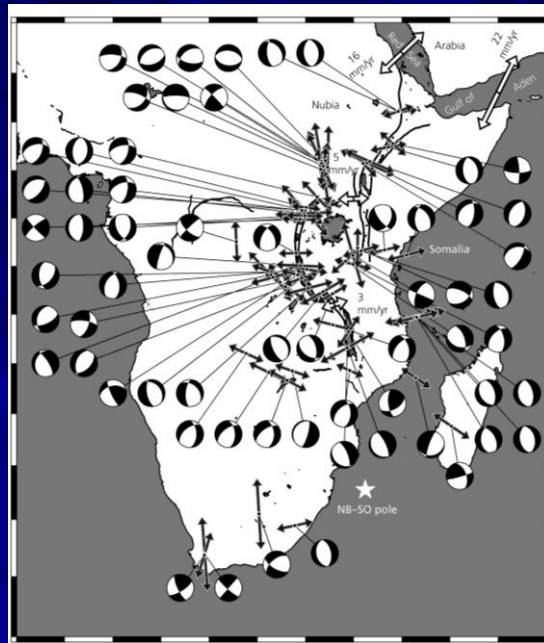
Figure 4.2-17: Examples of focal mechanisms and first motions.



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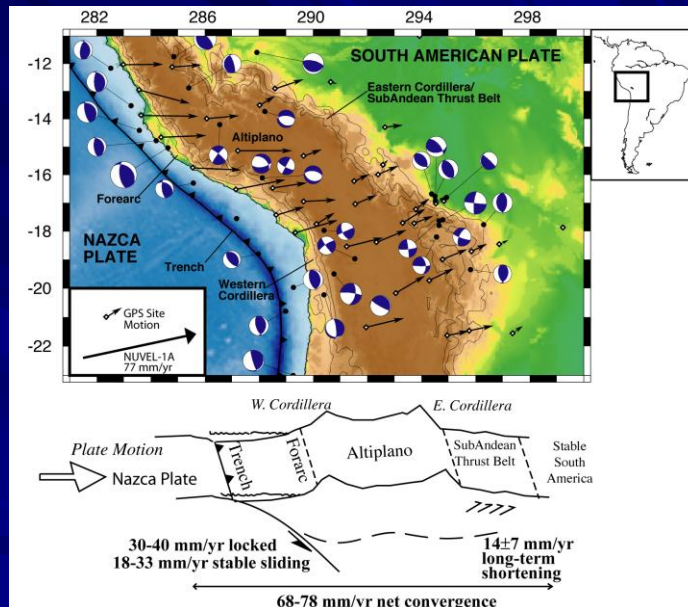
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BİTTİ !



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