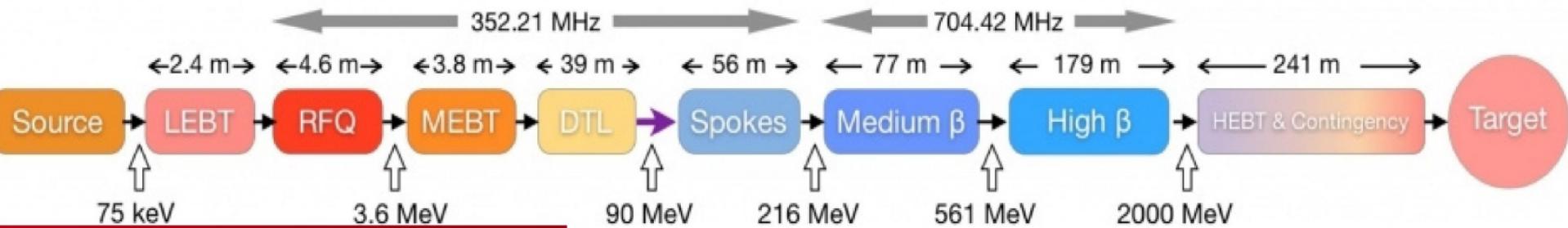


# SPACE CHARGE EFFECTS STUDIES FOR THE ESS COLD LINAC BEAM PROFILER

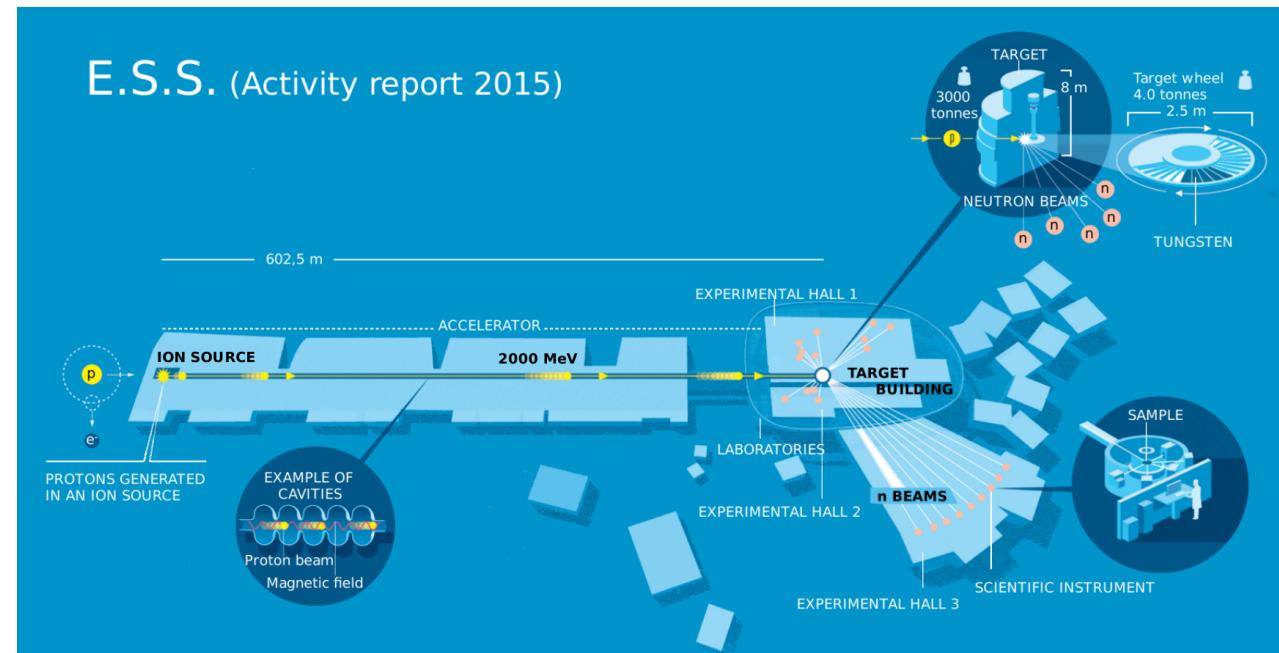
Optimus+



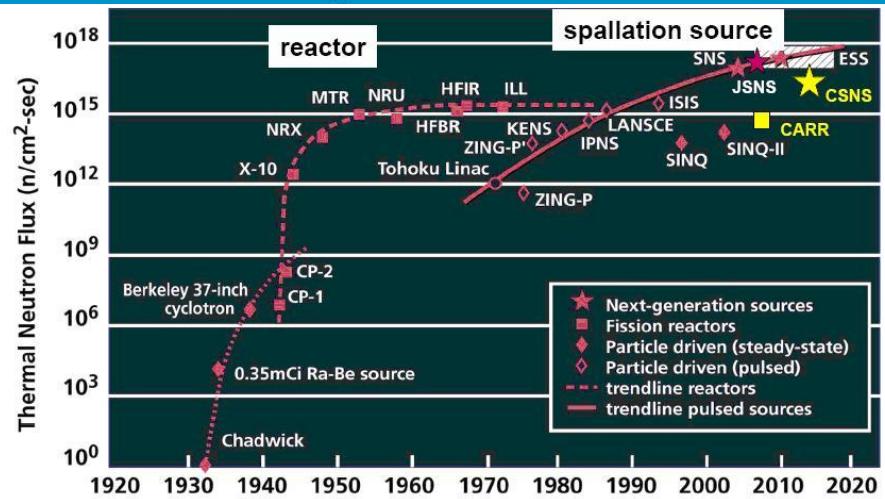
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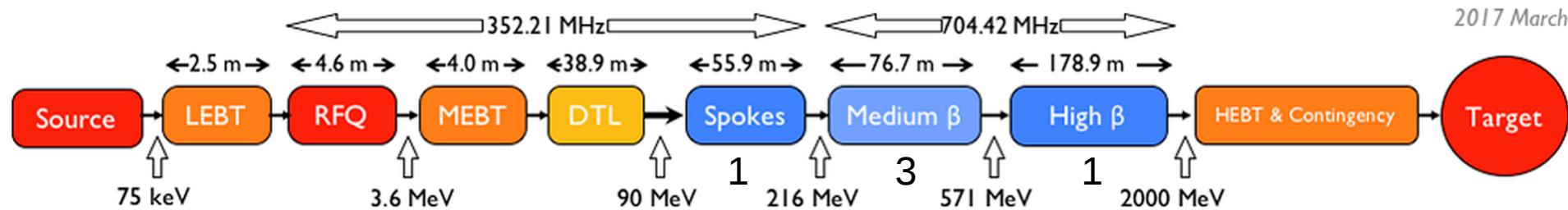
- Life Science
- Material Science
- Imaging
- Fundamental Particle Physics



# Why a non-interceptive beam profiler?

## TRANSVERSE PROFILE MEASUREMENTS FOR:

- supporting the tuning of the beam



## REQUIREMENTS for the BEAM TRANVERSE PROFILER:

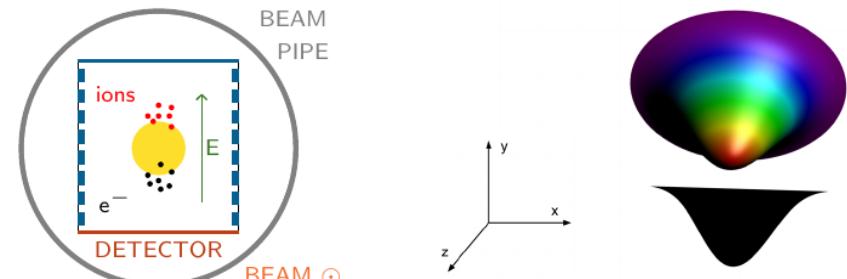
- Stand high proton beam intensity ( $I_{\text{peak}} = 62.5 \text{ mA}$ ,  $P_{\text{peak}} = 125 \text{ MW}$ )
- Have minimum impact on the proton beam (avoid  $\text{H}^+$  scattering/induced nucl. reactions)
- No cooling foreseen
- Provide enough statistics (capability of measuring 1 profile per pulse at nominal vacuum conditions)
- The total measurement error in the RMS extension of the beam must amount to less than  $\pm 10\%$ . (**ESS L4 requirement**)

NPM / IPM

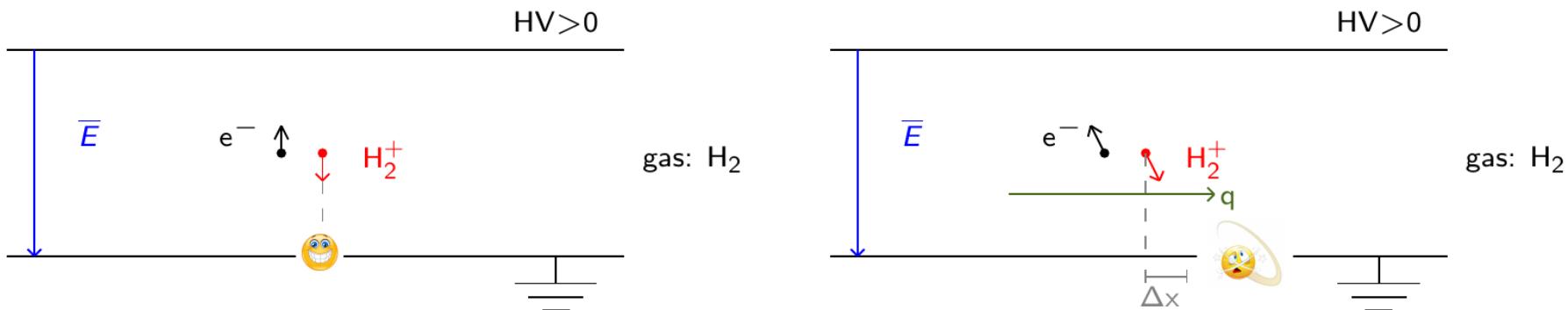
# Working principle and issues:

## IPM: Ionisation Profile Monitor

- The proton beam ionises the residual gas
- $E$  separates  $e^-$ /ionised molecules
- Charge collection on read-out



## SPACE CHARGE EFFECTS:

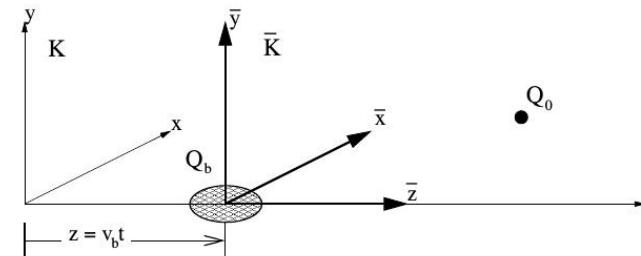


## POSSIBLE CORRECTION METHODS

- Add magnetic field X
- High electric field ✓ X
- Software correction ✓

# Space charge effect estimation:

General idea:



- A Gaussian bunch with charge  $Q_b$  is moving with velocity  $v_b$  along the z-axis in the lab. frame K.
- The bunch is at rest w.r.t. the co-moving frame  $K$ .
- The  $\Phi$  generated by  $Q_b$  is calculated in the co-moving frame  $\rightarrow \nabla^2 \Phi(\bar{x}, \bar{y}, \bar{z}) = -\frac{1}{\epsilon_0} \rho(\bar{x}, \bar{y}, \bar{z})$ .
- The E field generated by  $Q_b$  is calculated in the co-moving frame  $\rightarrow \bar{E} = -\nabla \Phi$
- Through Lorentz transformations, the E field in K is translated into an electromagnetic field in K.

$$\mathbf{E} = \begin{pmatrix} E_x \\ E_y \\ E_z \end{pmatrix} = \begin{pmatrix} \gamma_b \bar{E}_x \\ \gamma_b \bar{E}_y \\ \bar{E}_z \end{pmatrix}, \quad \mathbf{B} = \begin{pmatrix} -\gamma_b \beta_b \bar{E}_y/c \\ \gamma_b \beta_b \bar{E}_x/c \\ 0 \end{pmatrix} = \frac{\beta_b}{c} \begin{pmatrix} -E_y \\ E_x \\ 0 \end{pmatrix}.$$

- $\mathbf{F} = Q_0(\mathbf{E} + \mathbf{v} \times \mathbf{B}) \Rightarrow$  acceleration  $\Rightarrow$  speed  $\Rightarrow$  displacement ... therefore trajectory of  $Q_0$  in the elm field generated by  $Q_b$ .

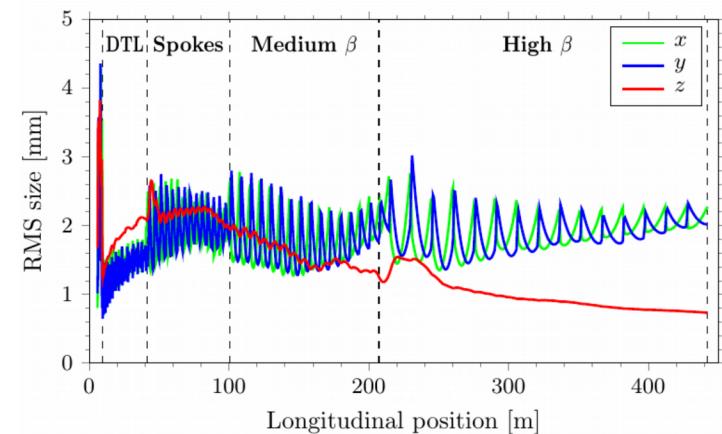
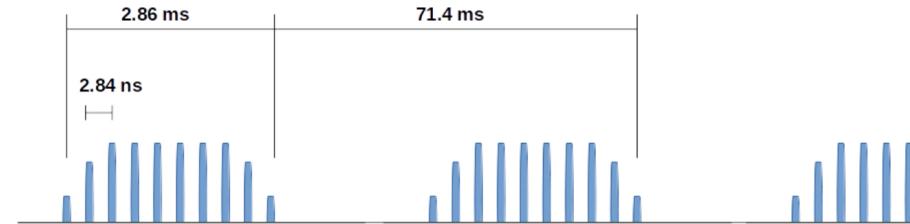
Implementation (ESS core + CEA development & optimisation):

- $10^4$  test particle  $Q_0$  are generated in the center of the IPM and tracked as described above.
- The SCE is given by the difference between the initial and final RMS of the  $Q_0$  distribution

# Parameters on which SCE depend:

## ■ Beam “structure” (intensity, spatial spread, energy)?

- Energy: [90, 2000] MeV
- Current peak: 62.5 mA
- Pulse length: 2.86 ms
- Pulse frequency: 14 Hz (duty cycle 4%)
- Bunch frequency: 352.31 MHz
  
- $\sigma_x$ : [1.4 , 3] mm
- $\sigma_y$ : [1.4 , 3] mm
- $\sigma_z$ : [0.8 , 2.8] mm



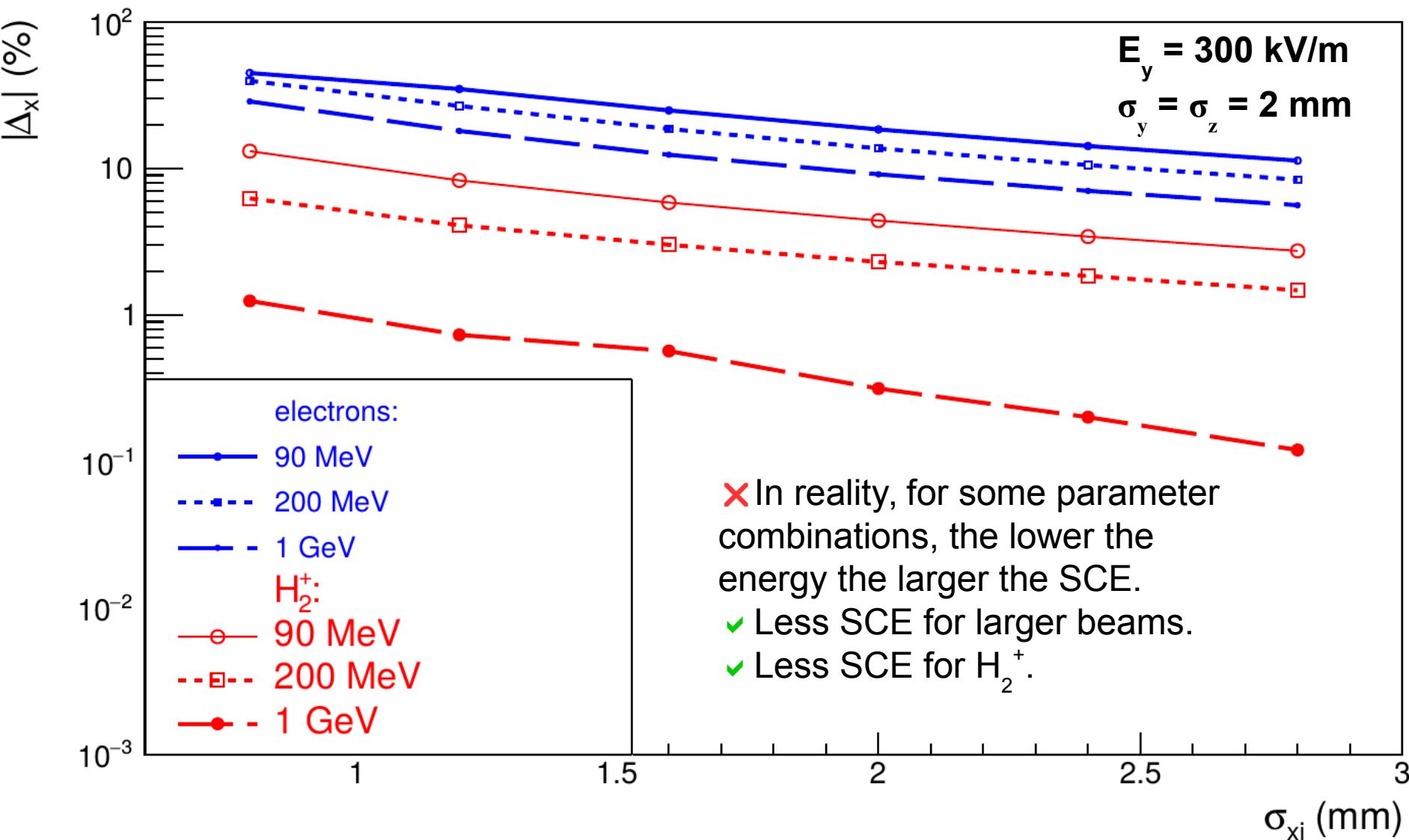
## ■ E field?

## ■ Nature of the tracked ion ⇒ residual gas composition?

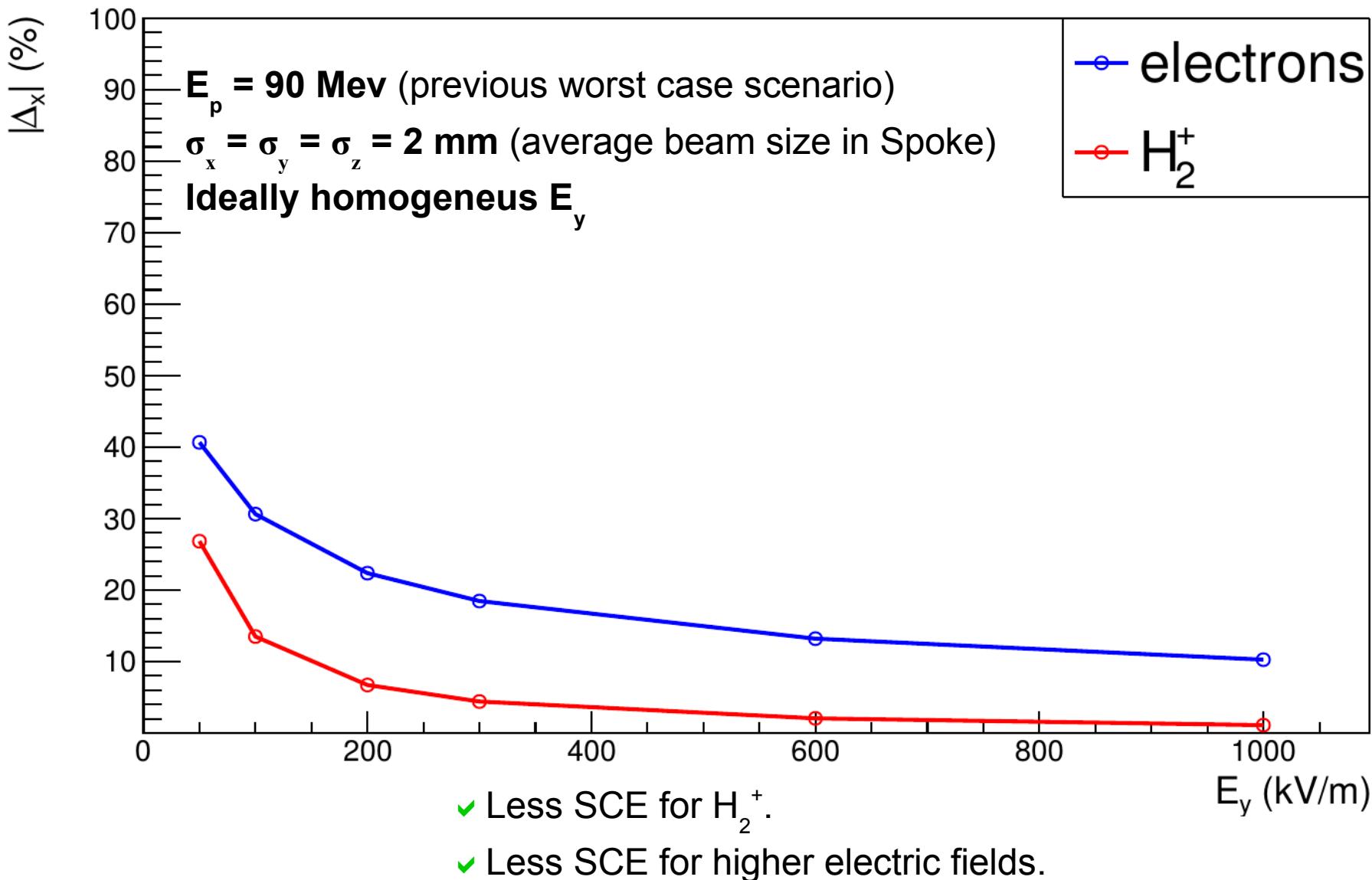
- Nominal gas composition: H<sub>2</sub> (79%), CO (10%), CO<sub>2</sub> (10%), N<sub>2</sub> (1%)

## ■ Initial momenta distribution of electrons/ionised molecules?

# Beam energy influence:

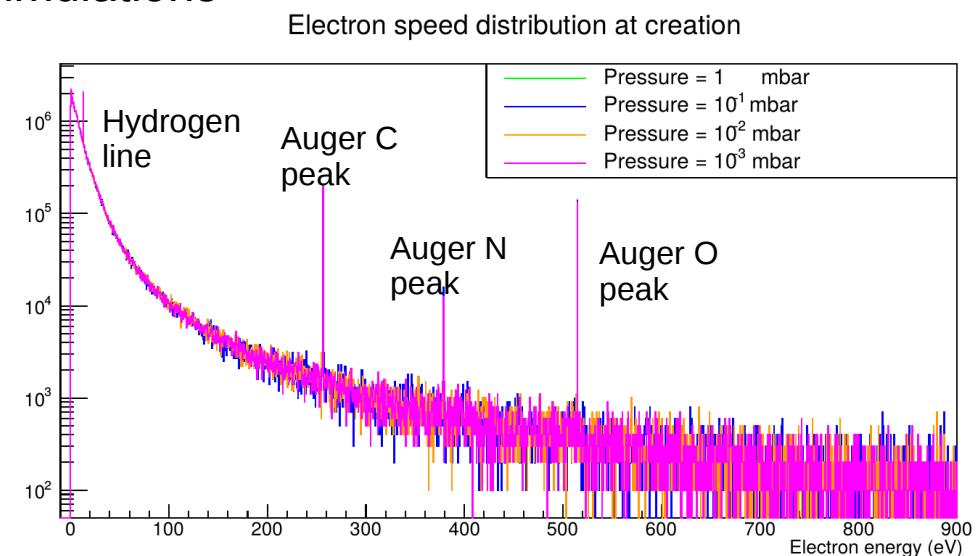
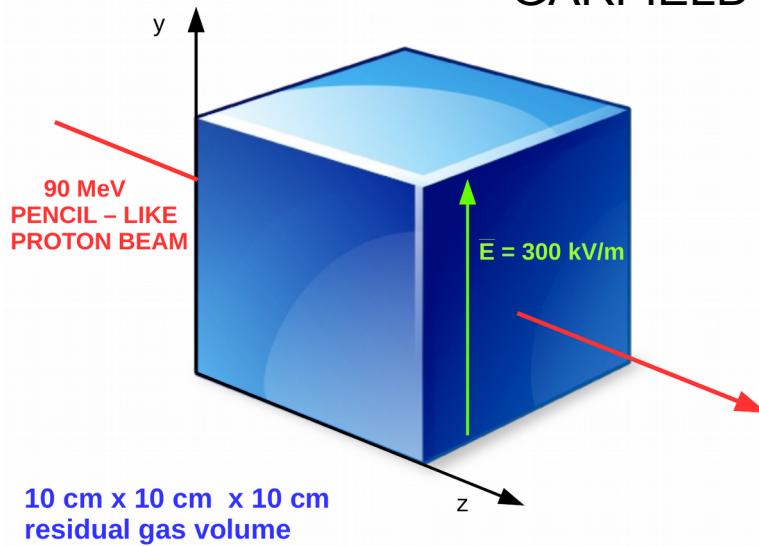


# Electric field influence:



# Initial momenta influence (1/2):

## GARFIELD++ simulations

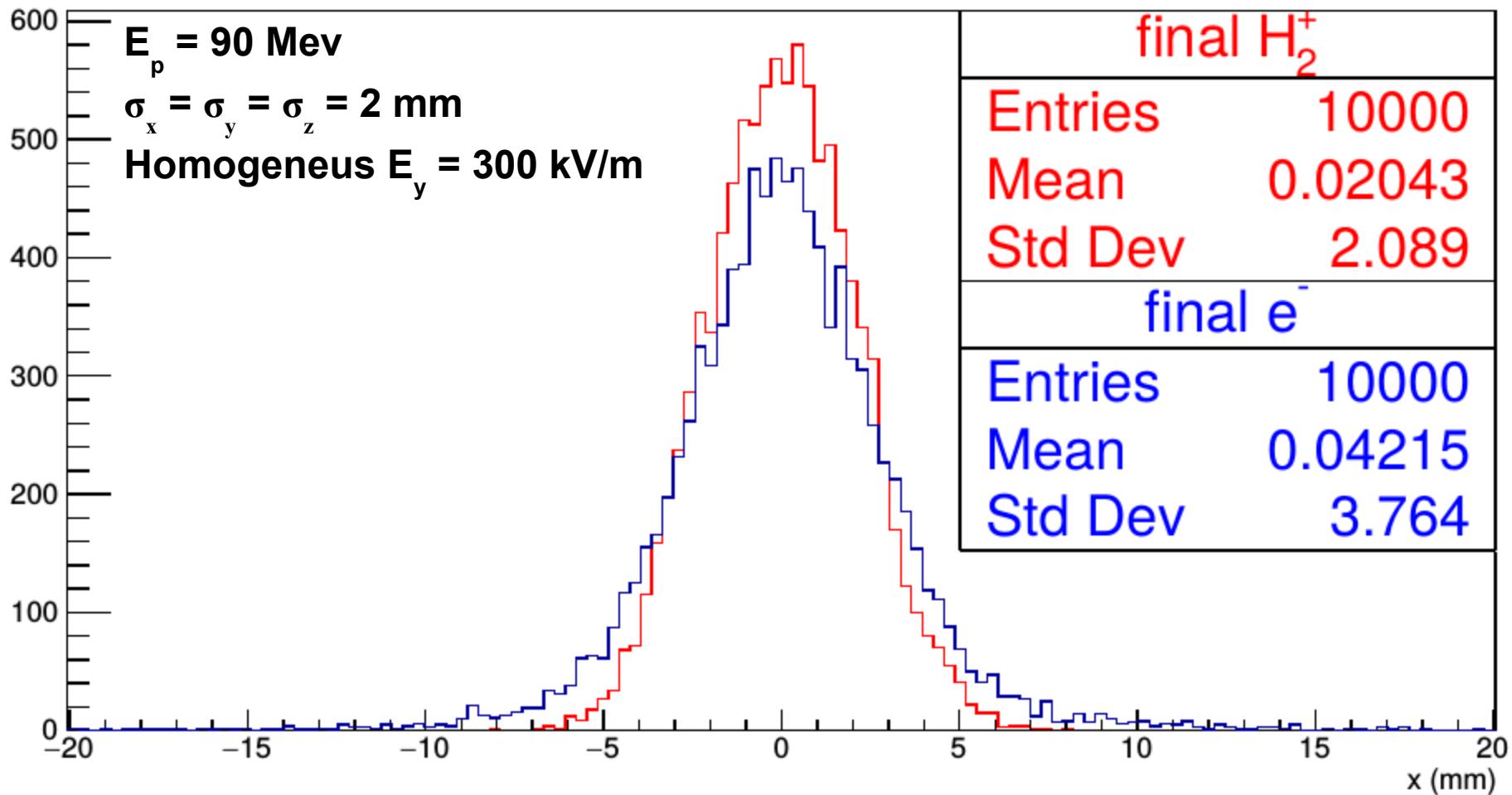


### Electrons:

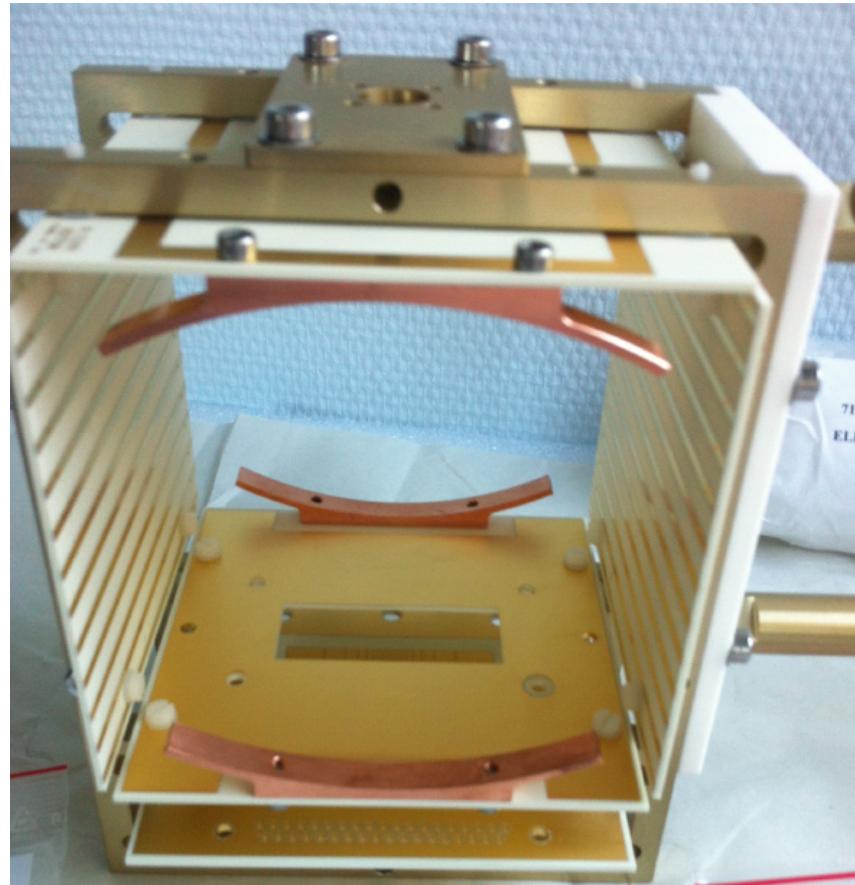
- Azimuthal angle  $\varphi$  uniformly sampled in  $[0, 2\pi)$
- Emitted preferentially orthogonally to the z axis
- Ionised molecules (assumption):

$$\mathbf{v}_e = \frac{m_{ion}}{m_e} \mathbf{v}_{ion}$$

# Initial momenta influence (2/2):



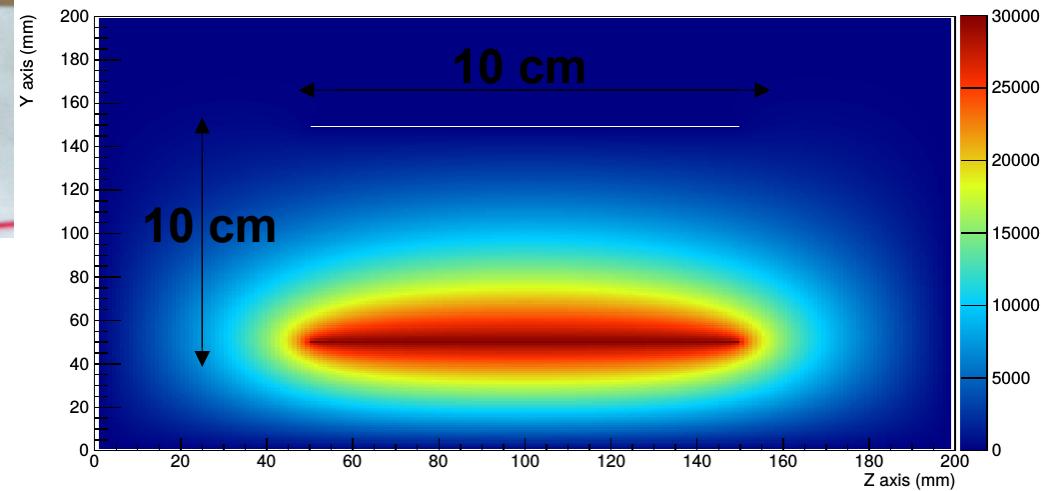
✓ Less SCE for  $H_2^+$ .



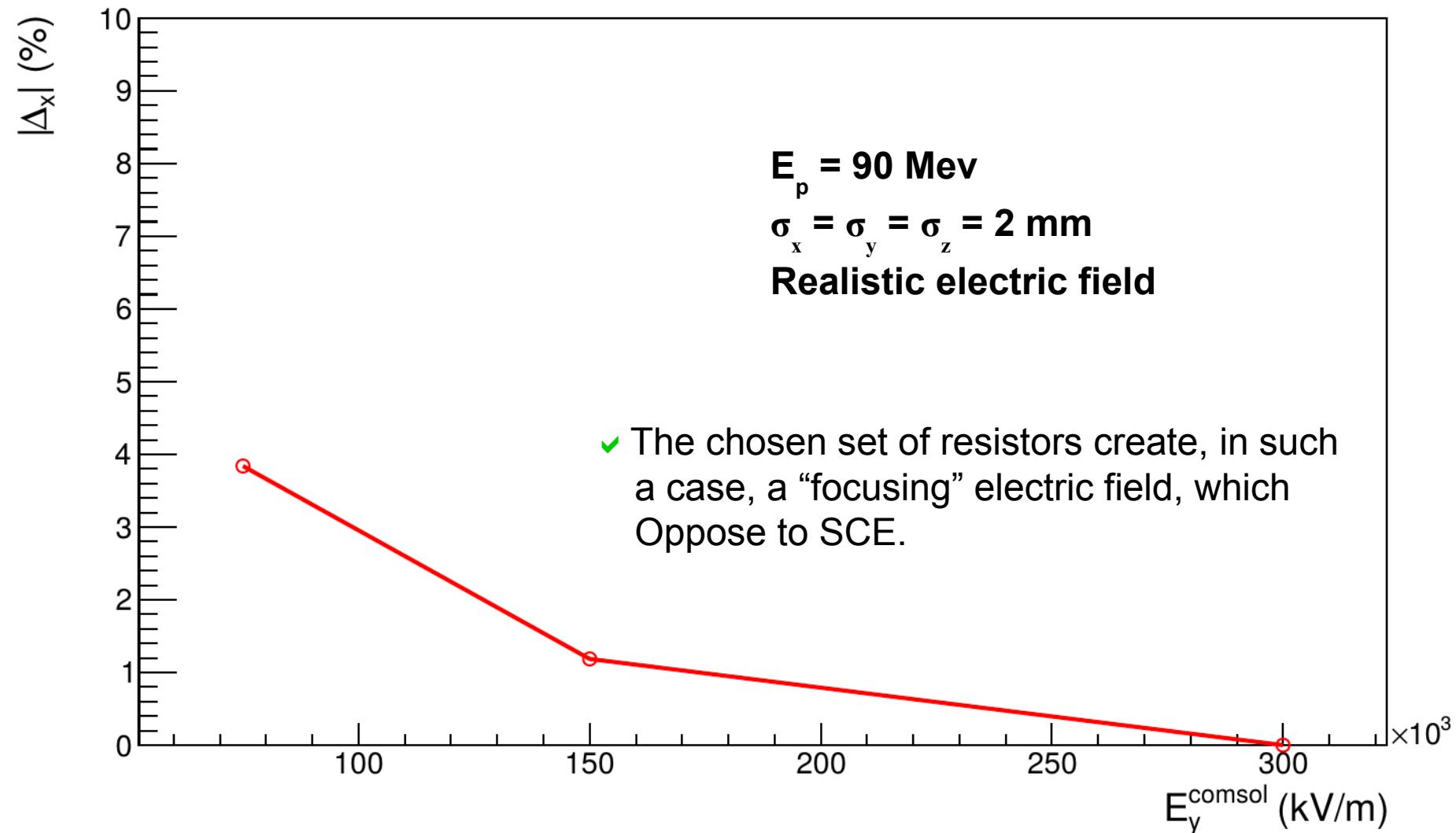
COMSOL simulations of the EI field in the IPM:

- The value of the resistors was optimized with COMSOL in order to get the best electric field uniformity
- Different sets of resistors were chosen for different potential difference configurations

Potential field map example:



# Electric field homeogeneity influence:



# Conclusions:

## TO MINIMIZE THE SCE

- IPM used in ion configuration
- Initial momenta distribution unimportant only for massive ionisation products
- High electric field
- Properly “chosen” real electric field.

**IF MEASURES TO MINIMIZE THE SCE ARE FOLLOWED,  
NO CORRECTION IS NEEDED TO MEET THE L4 ESS  
REQUIREMENTS**

## REMINDER:

the total measurement error in the RMS extension of the beam must amount to less than  $\pm 10\%$ . (L4 ESS requirement)

# Conclusions:

**THANK YOU FOR YOUR ATTENTION**