

NEUTRAL GAS TEMPERATURE MEASUREMENTS OF A RADIO FREQUENCY MICRO-THRUSTER

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Background

Smaller satellites require smaller propulsion systems

Thrust in the order of μNs to mNs

Electric Propulsion (EP) has high specific impulse (I_{sp})

Current EP examples:

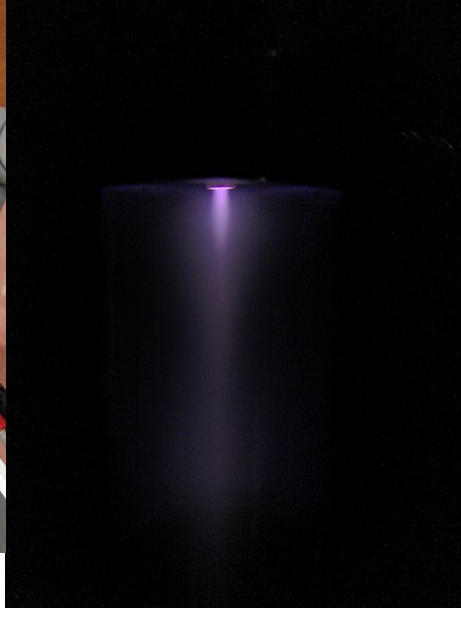
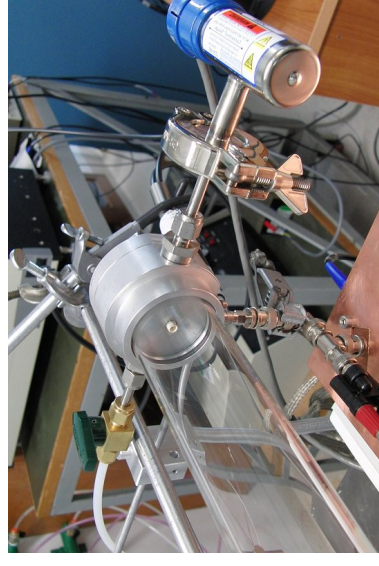
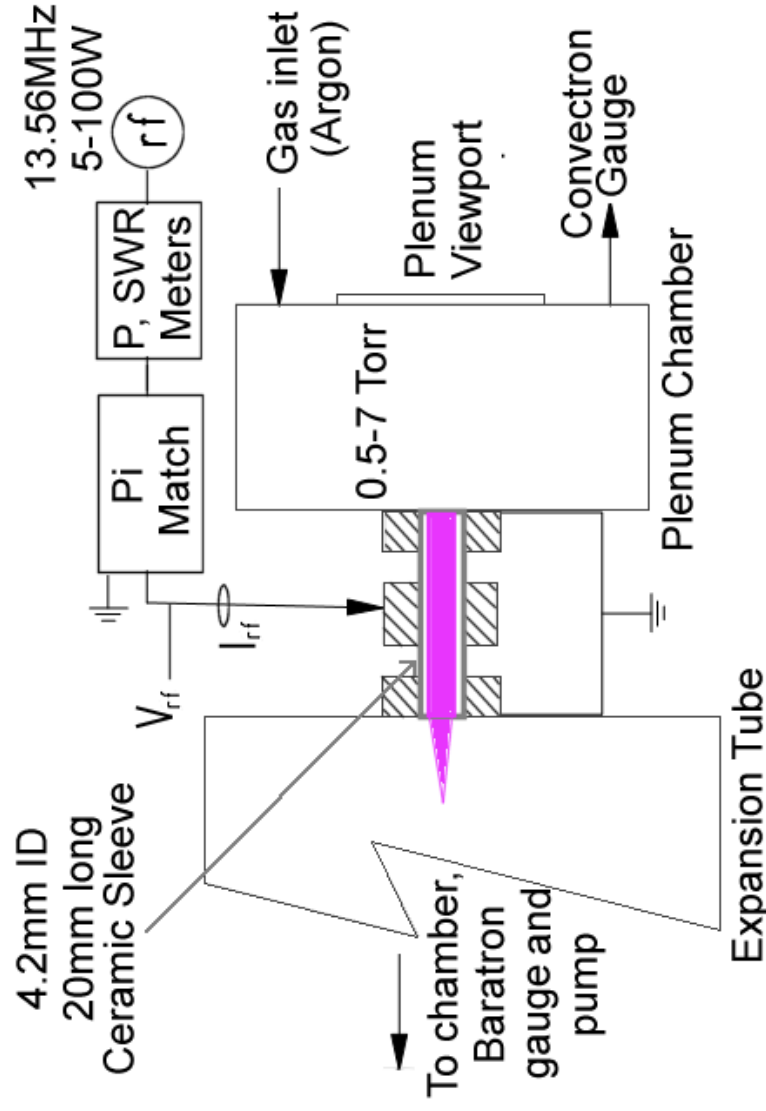
Hall/gridded ion thruster: Efficiency decreases when scaled down
Resistojet/Arcjet: Limited lifetimes due to erosion and thermal stress

Pulsed Plasma Thrusters: Electromagnetic broadband radiation

Pocket Rocket

Capacitively coupled radio-frequency (rf) argon discharge

Produces weakly ionised plasma ($\sim 1\%$)



Pocket Rocket Thrust Estimates

$$\text{Rocket Equation } T = v_{\text{ex}} \frac{dm_p}{dt} \quad \text{with } v_{\text{ex}} = \left(\frac{8kT_g}{\pi M} \right)^{\frac{1}{2}}$$

$$\text{Cold Gas Thruster Effect: } \frac{dm_p}{dt} = 3 \text{ mg s}^{-1} \rightarrow T \approx 1 \text{ mN}$$

Power to kinetic energy calculations [1]:

$$P_{\text{in}} = 10 \text{ W} = 10 \text{ J s}^{-1} \text{ of KE} \rightarrow v_{\text{ex}} = 2600 \text{ m s}^{-1}$$

$$v_{\text{ex}_z} = \frac{v_{\text{ex}}}{3} \approx 860 \text{ m s}^{-1} \rightarrow T_g = 1430 \text{ K and } T \approx 2.6 \text{ mN}$$

Langmuir Probe experiment (10W, 1.5Torr) [1]:

$$\text{Electron temperature } T_e = 3 \text{ eV}$$

$$\text{Estimates } T_g = 3200 \text{ K} \rightarrow v_{\text{ex}_z} = 1290 \text{ m s}^{-1} \rightarrow \text{and } T \approx 3.8 \text{ mN}$$

Pocket Rocket Thrust Estimates

Particle Balance:

$$T_e = 2\text{eV} \text{ gives } T_g \approx 300\text{K} \rightarrow T = 1\text{mN}$$

$$T_e = 2.5\text{eV} \text{ gives } T_g \approx 1430\text{K} \rightarrow T = 2.6\text{mN}$$

Neutral gas heating occurring?

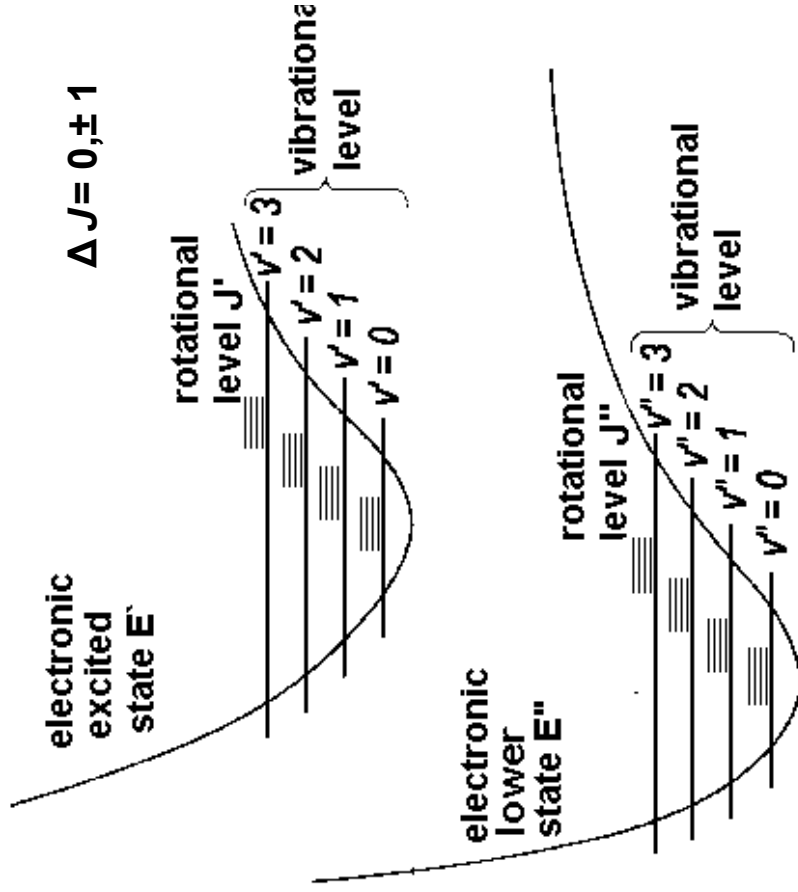
- Ion neutral collisions $\lambda_{mfp} = 45\mu\text{m}$ at 1.5 Torr
- ~92 collisions across 4.2mm discharge diameter
- ~46 ion-neutral charge exchange collisions

Direct thrust measurements ideal

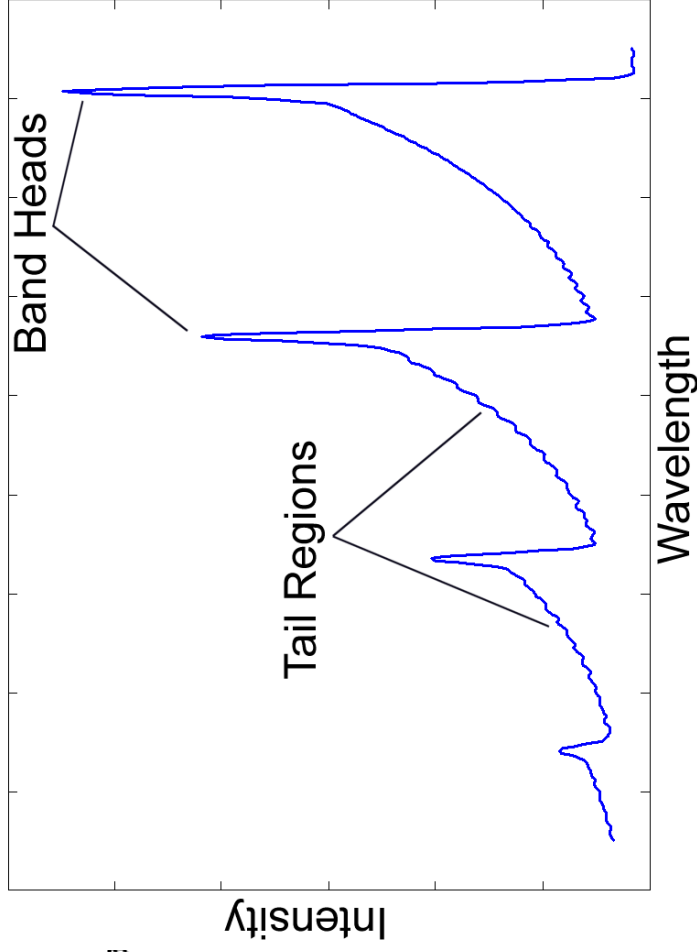
- engineering challenges prevent at this time

Rovibrational Spectroscopy

Electronic transition $(E', v', J') \rightarrow (E'', v'', J'')$

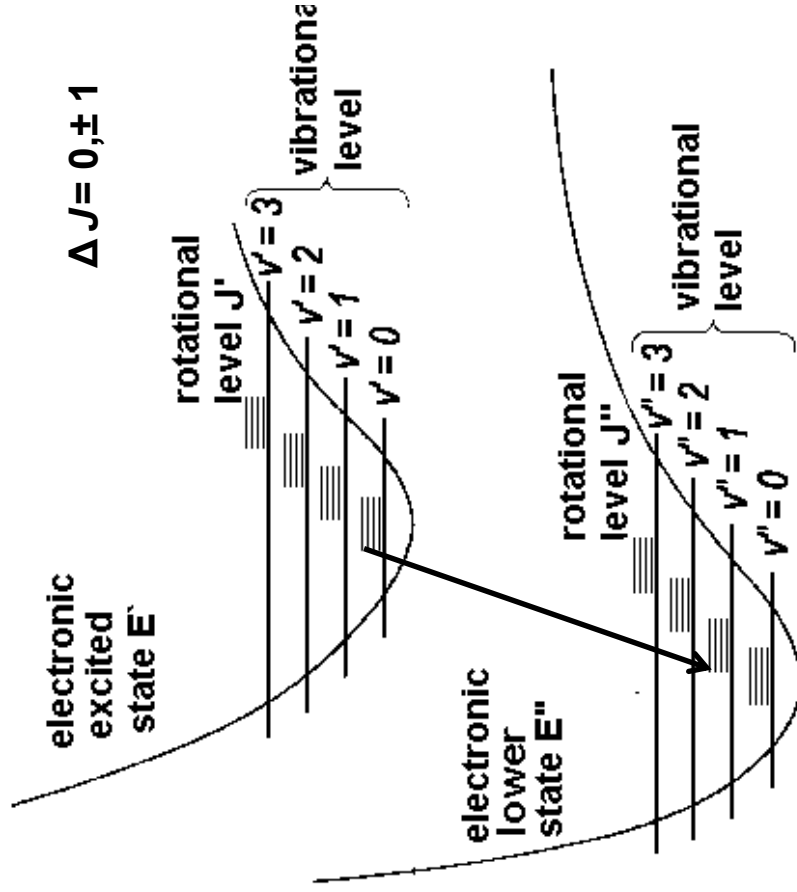


Find T_r and T_v from band spectrum shape then $T_r \approx T_g$

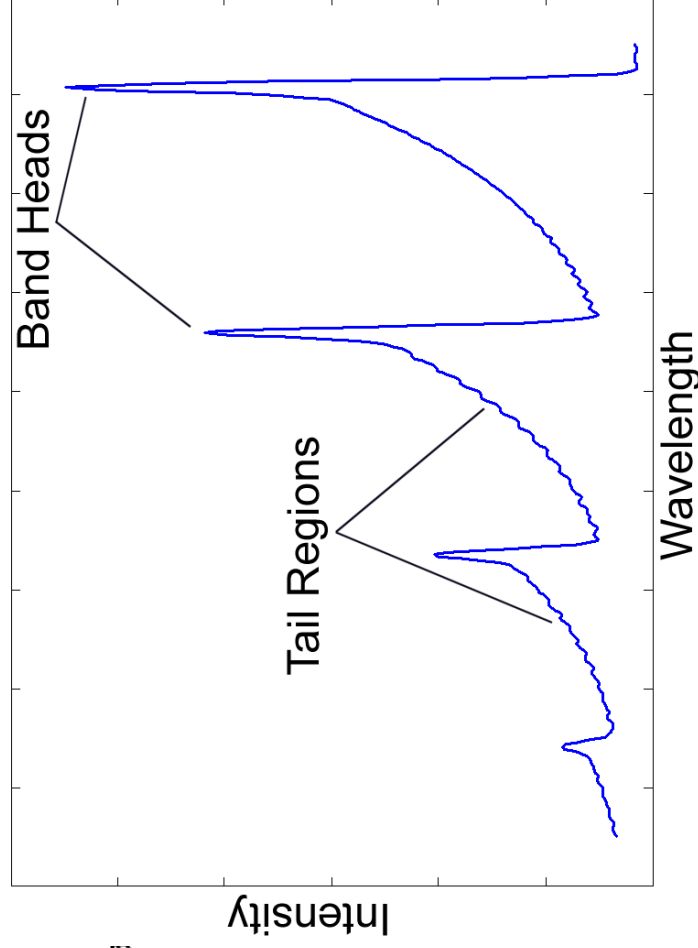


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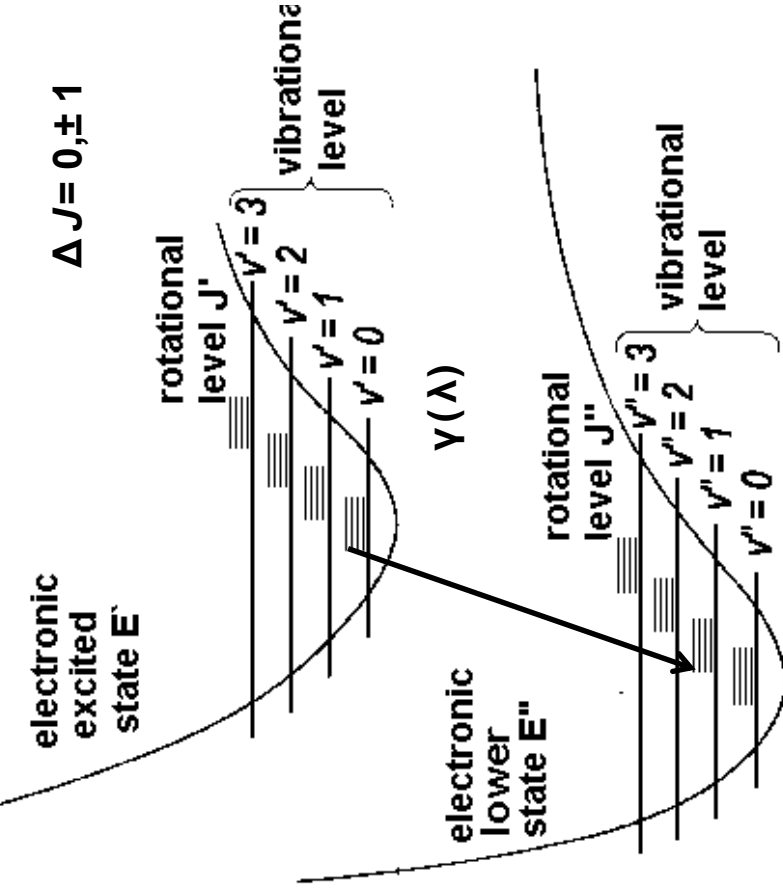


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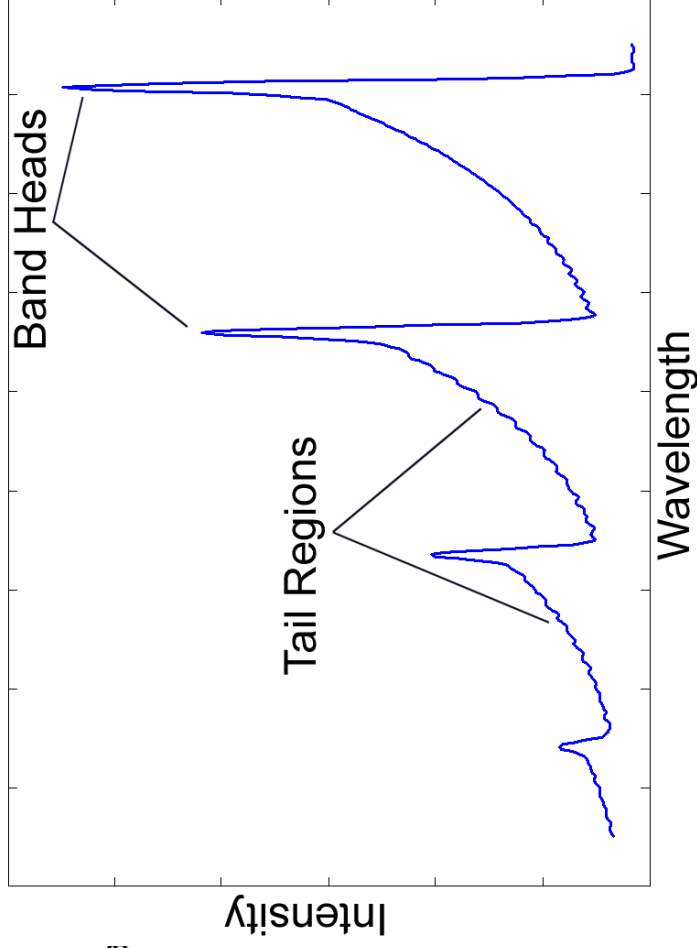


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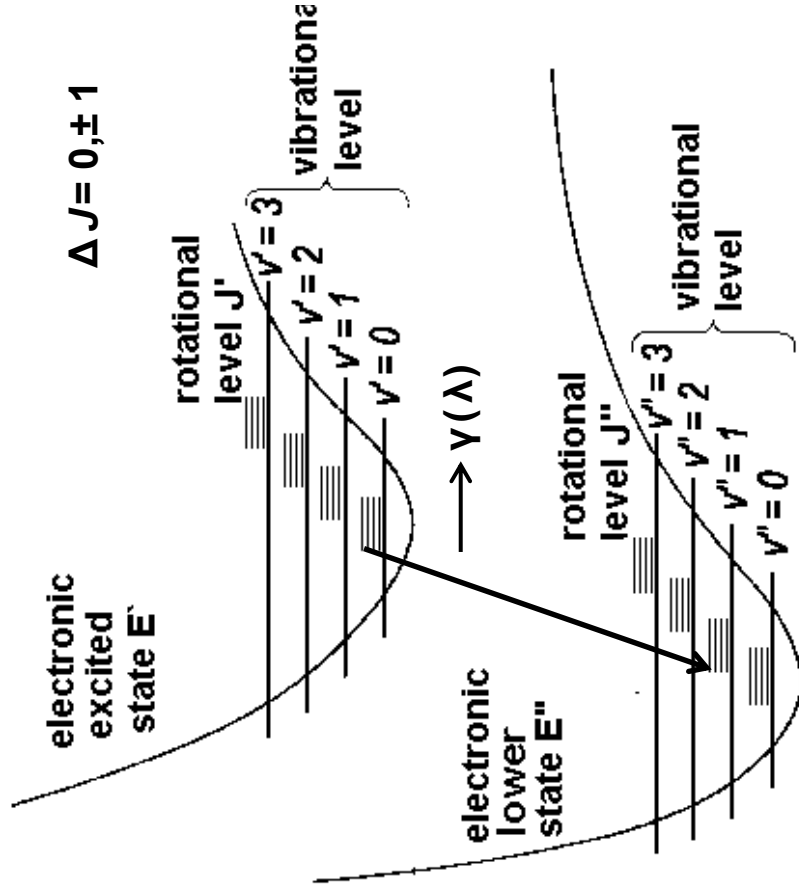


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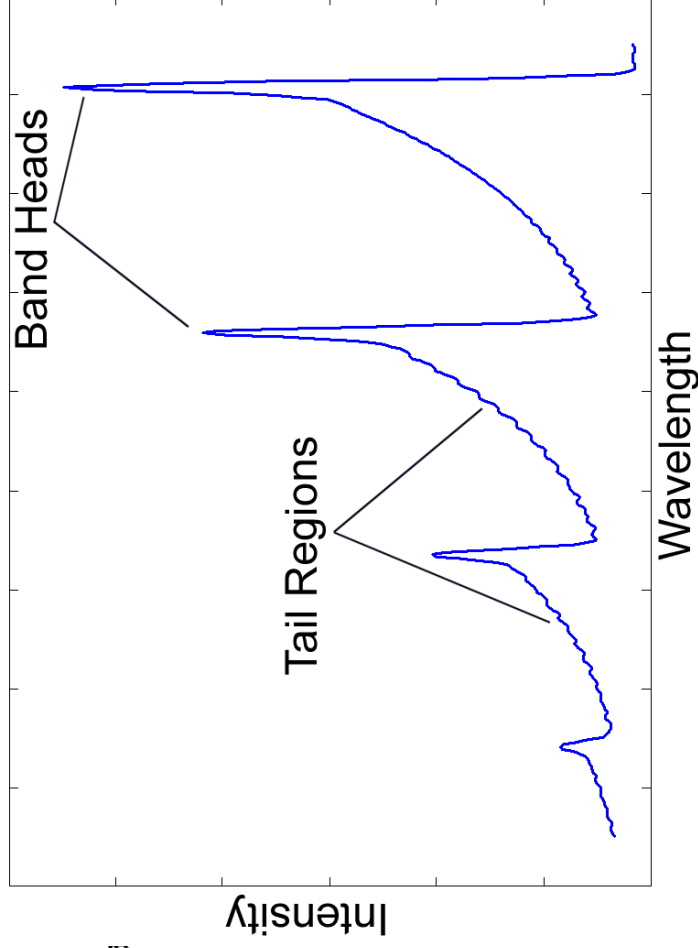


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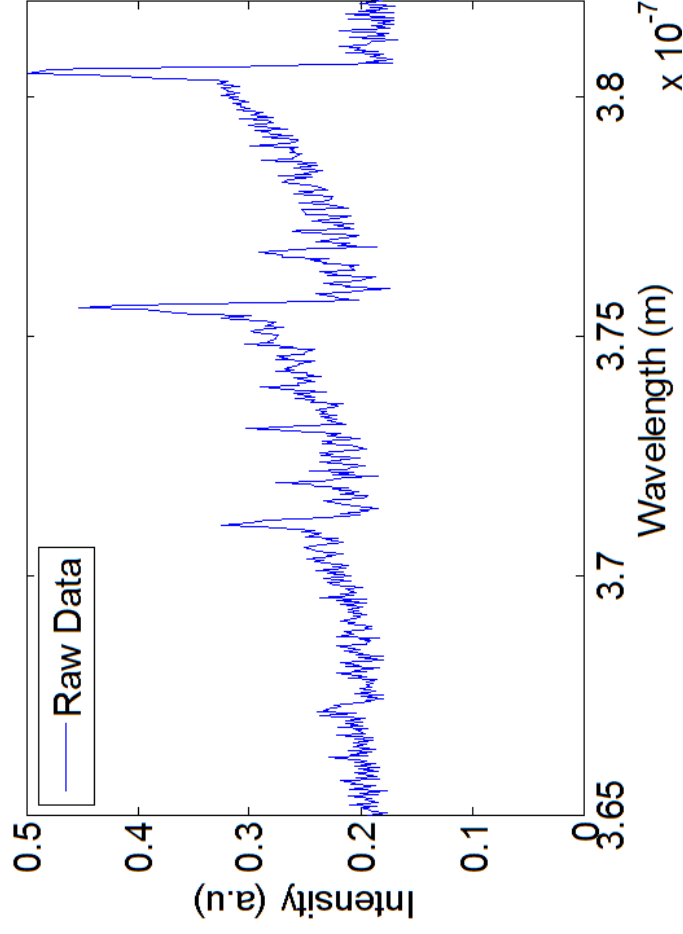
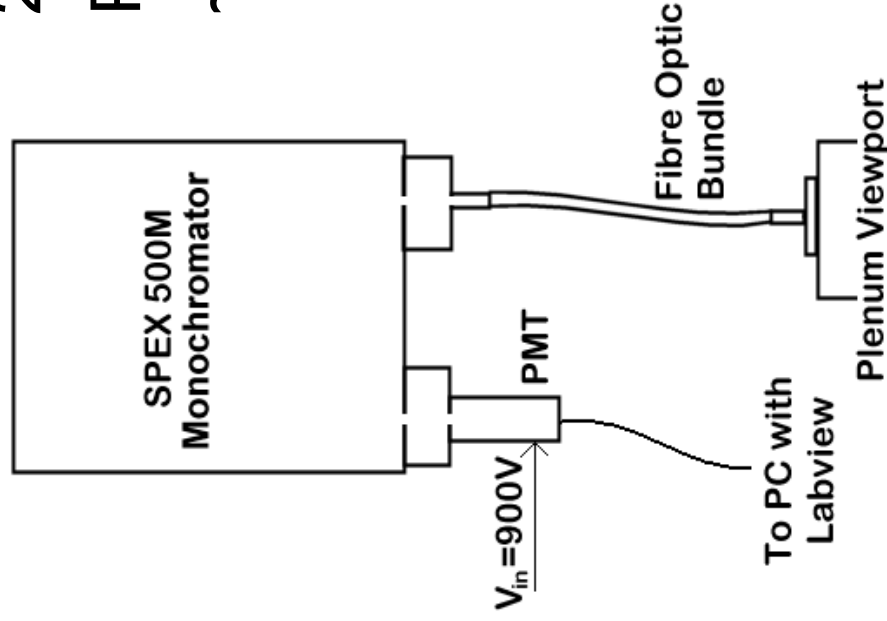
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Experimental Setup

2nd positive N₂ system

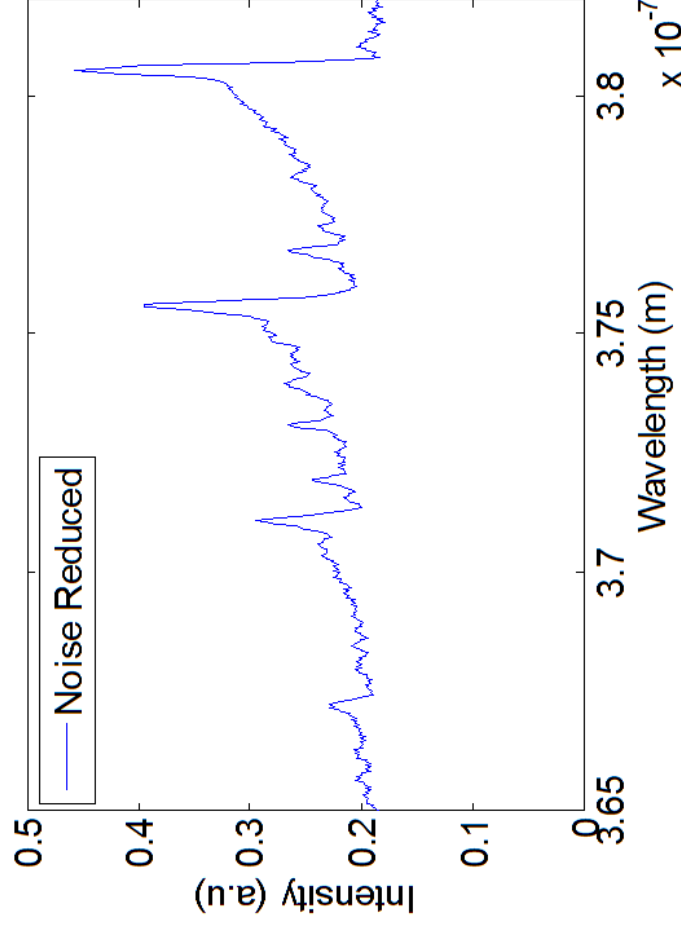
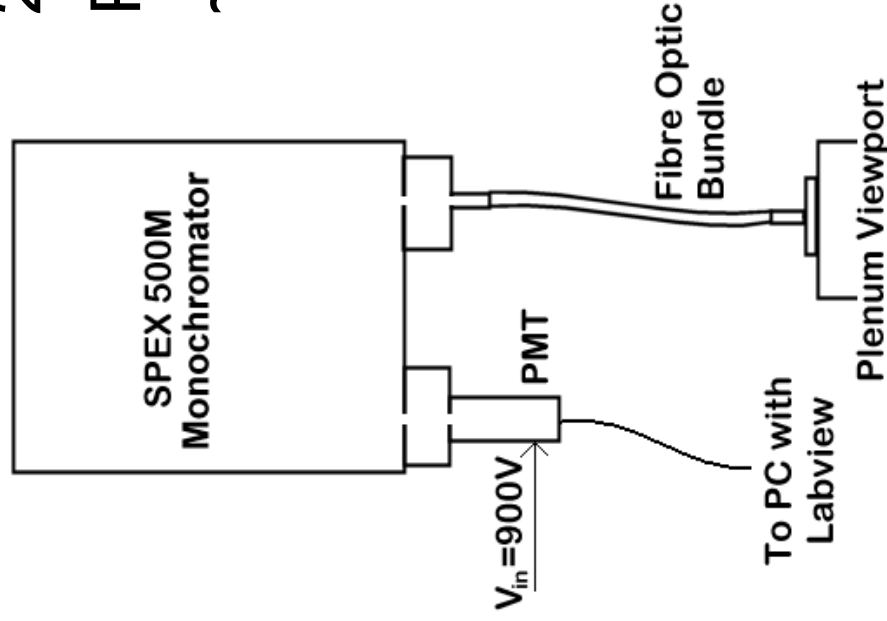
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~10% N₂ (too high, ideal <5%)



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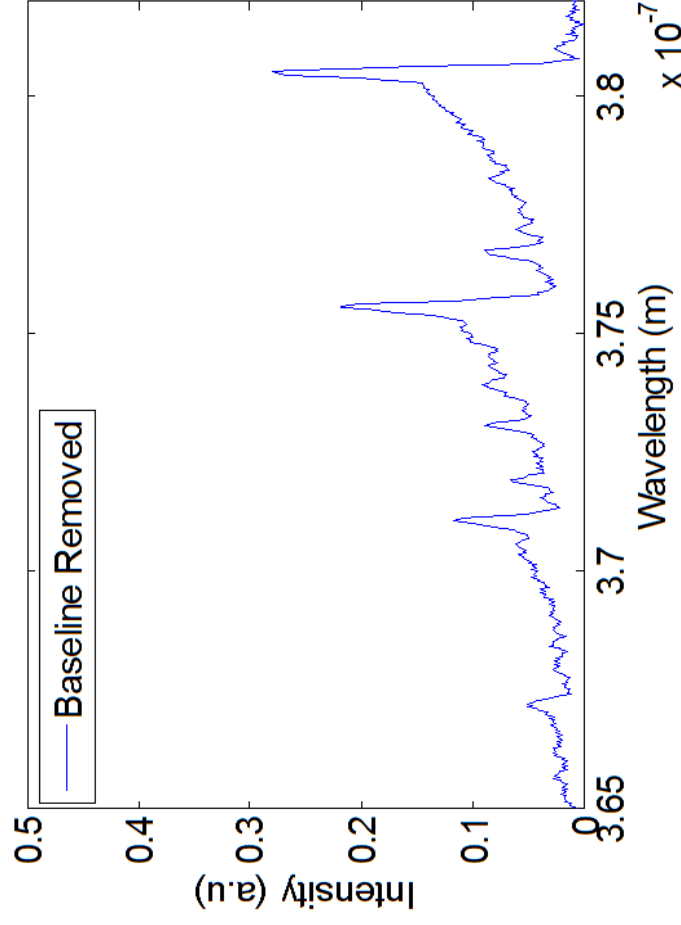
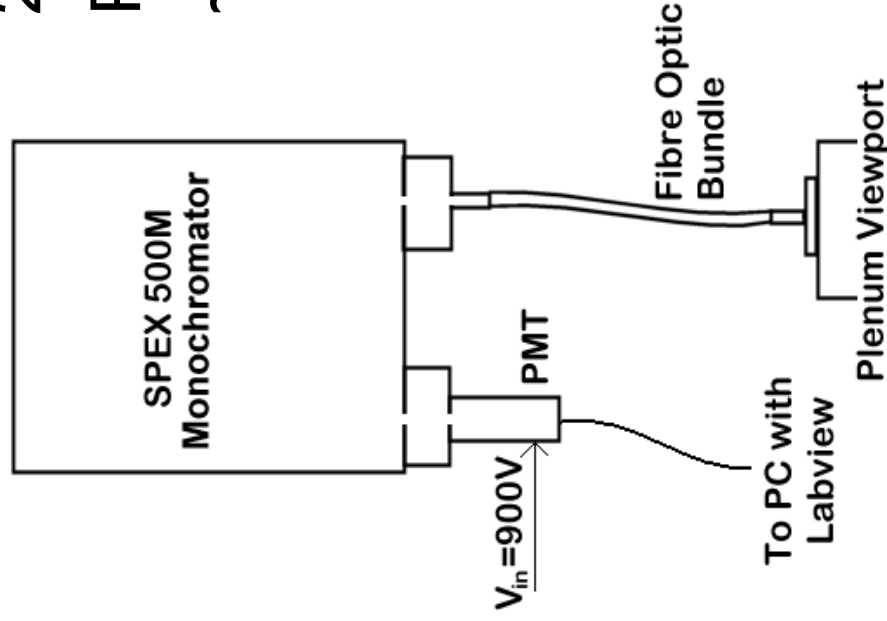
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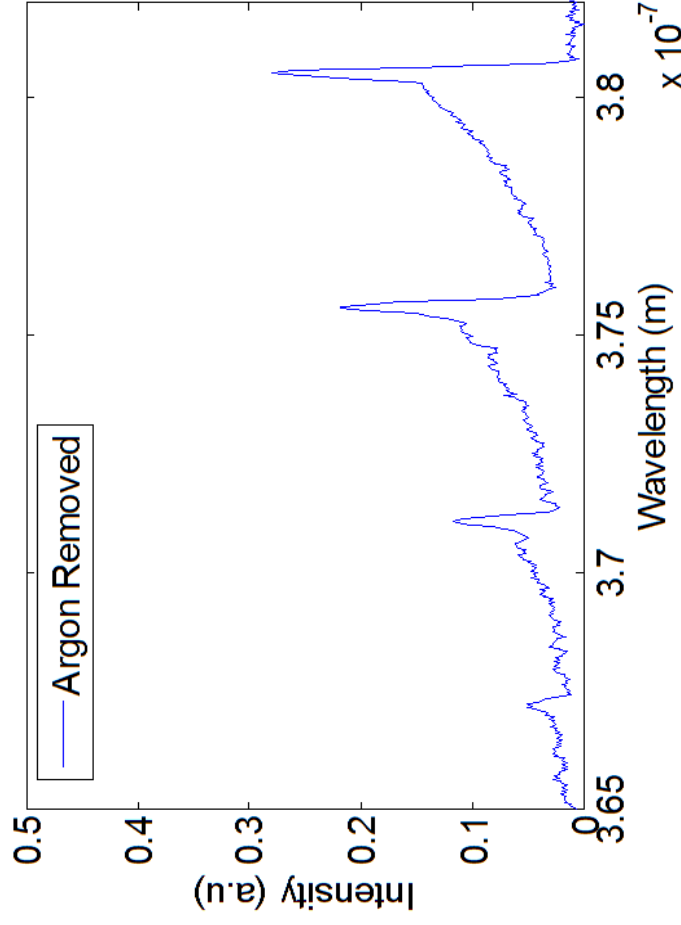
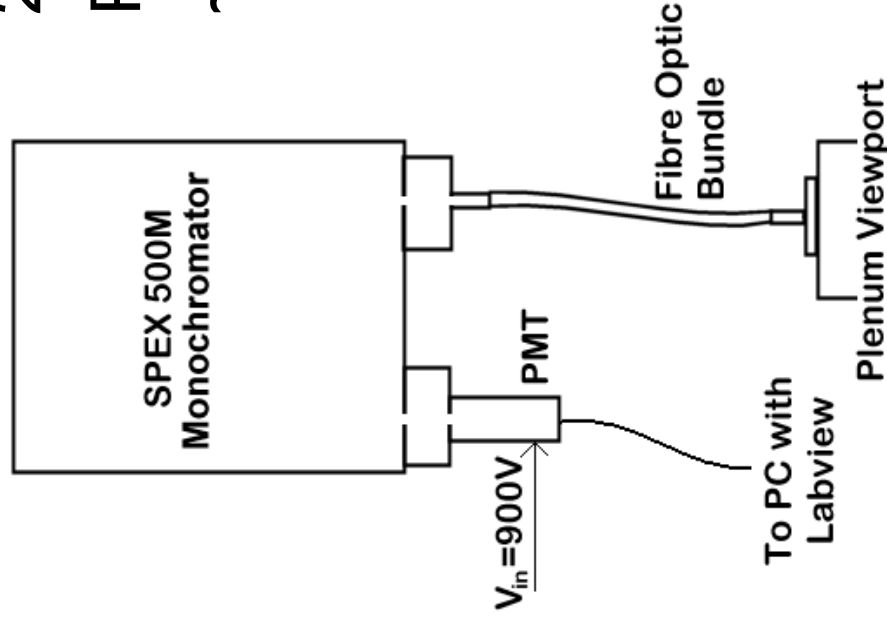
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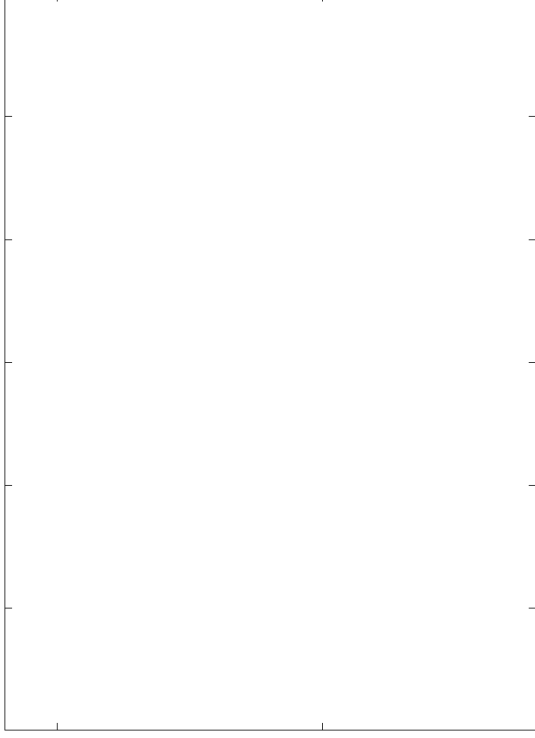
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Simulated Spectrum

- 1) Wavelengths $\lambda = \left\{ n_a \sum_{pq} Y_{pq}^c (v' + \frac{1}{2}) [J'(J' + 1)]^q - Y_{pq}^B (v'' + \frac{1}{2}) [J''(J'' + 1)]^q \right\}^{-1}$
- 2) Intensity $I = \frac{D}{\lambda^4} q_{v', v''} \exp\left[-\frac{E_{v'}}{kT_v}\right] S_{J', J''} \exp\left[-\frac{E_{J'}}{kT_r}\right]$
- 3) Line broadening function $g(\Delta\lambda) = \frac{a - (2\Delta\lambda/W)^2}{a + (a - 2)(2\Delta\lambda/W)^2}$

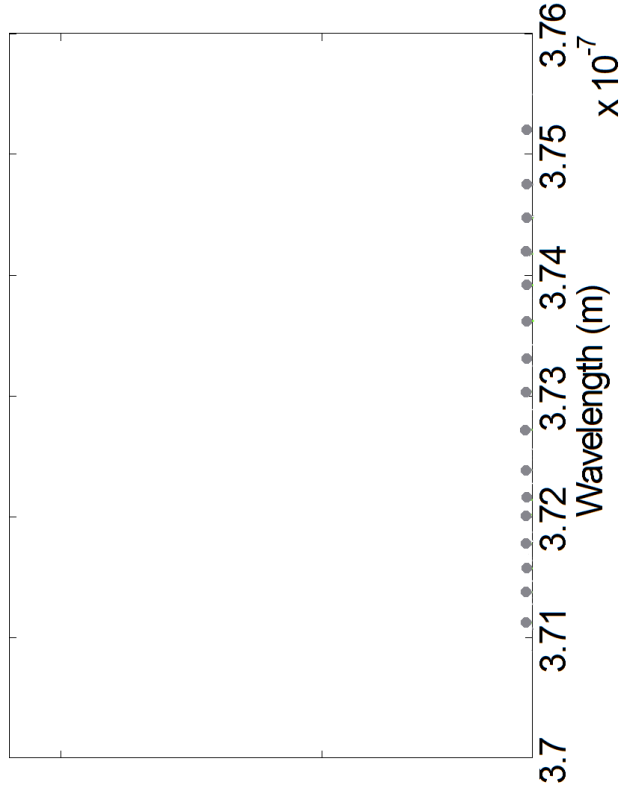


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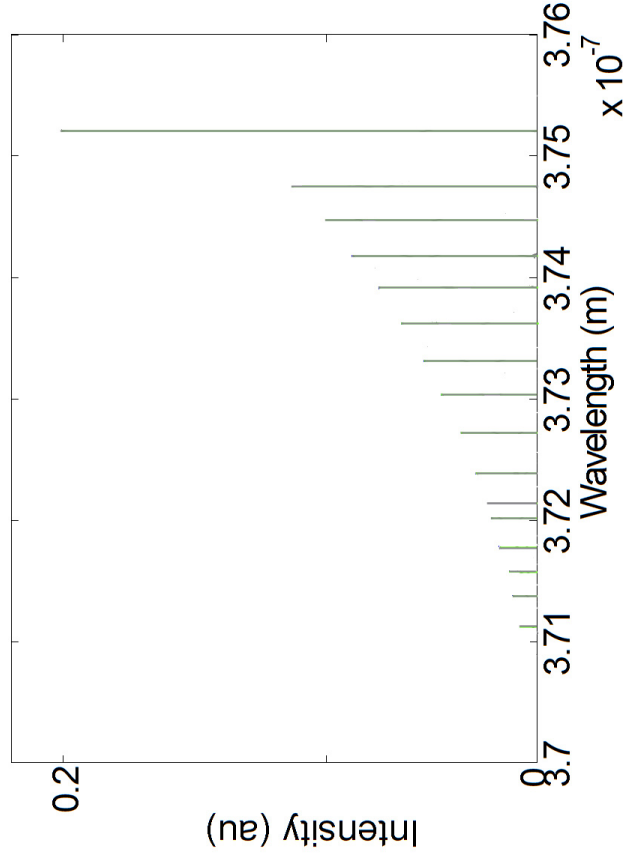
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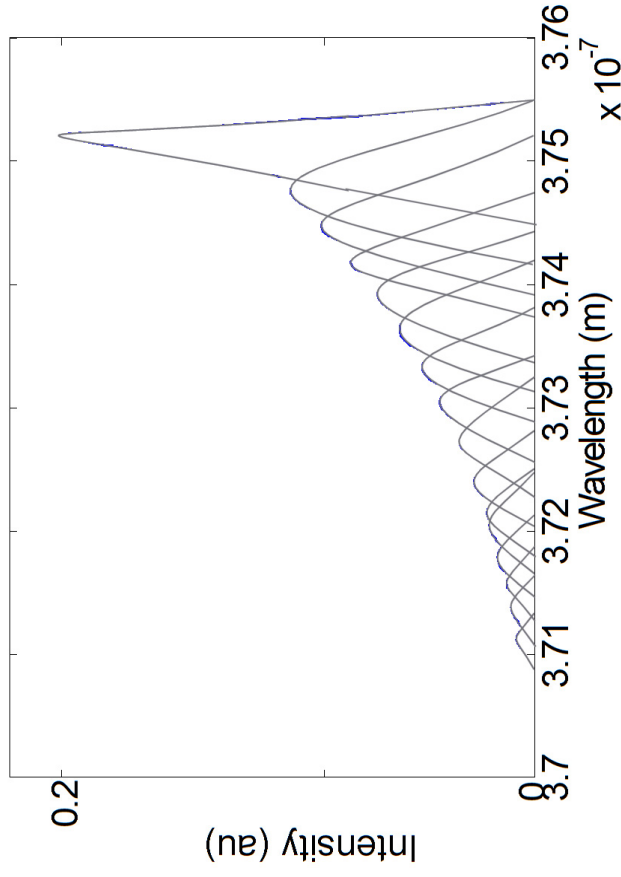
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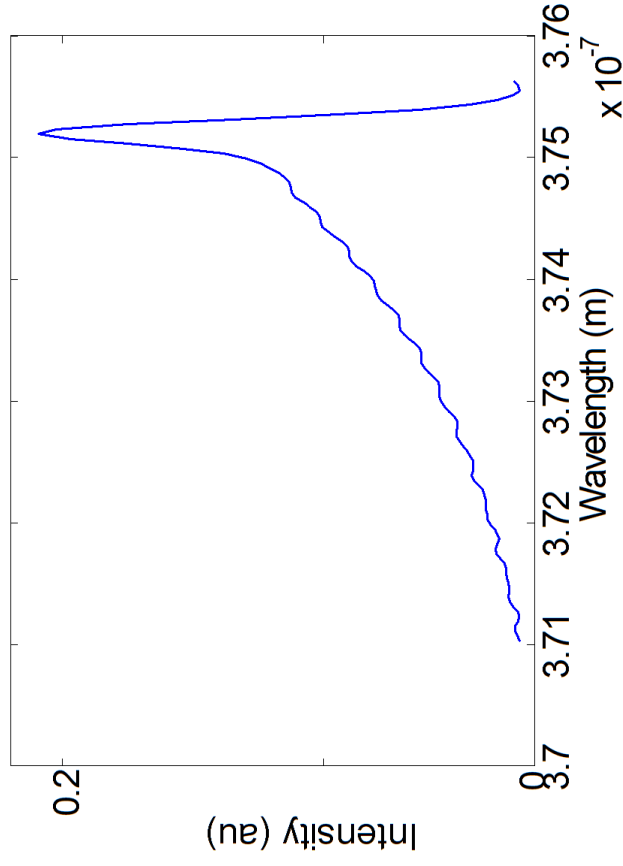
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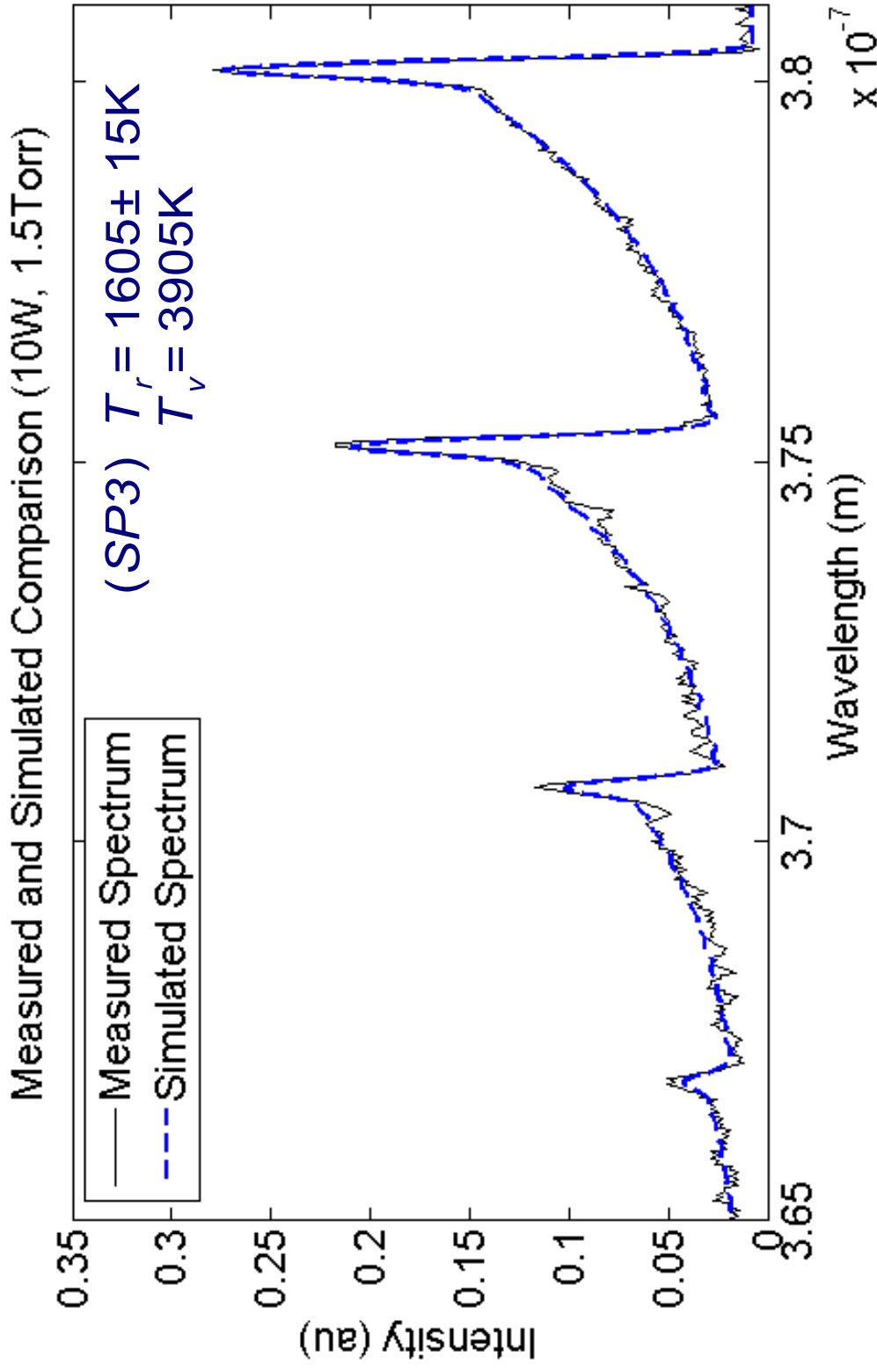


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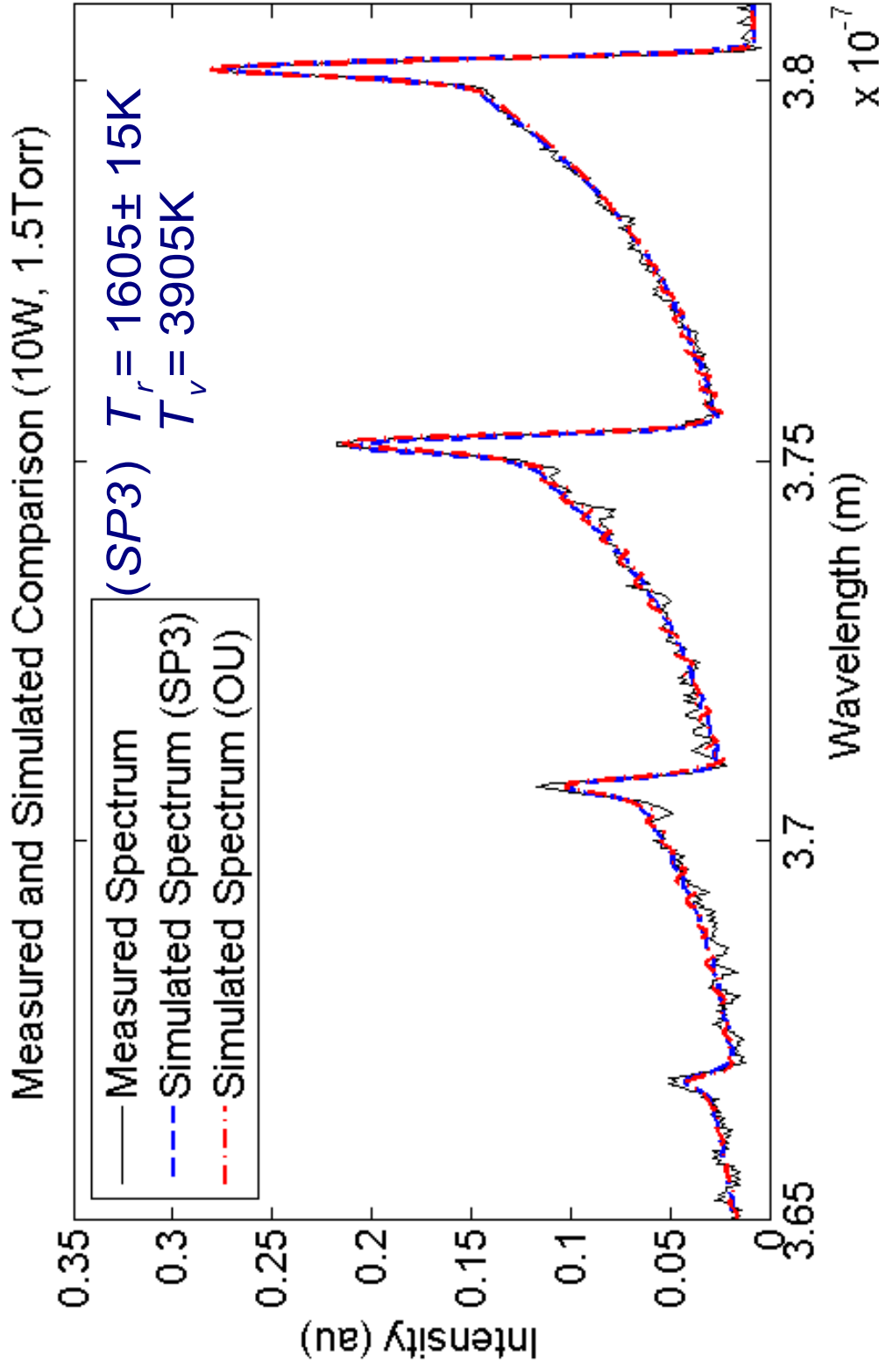
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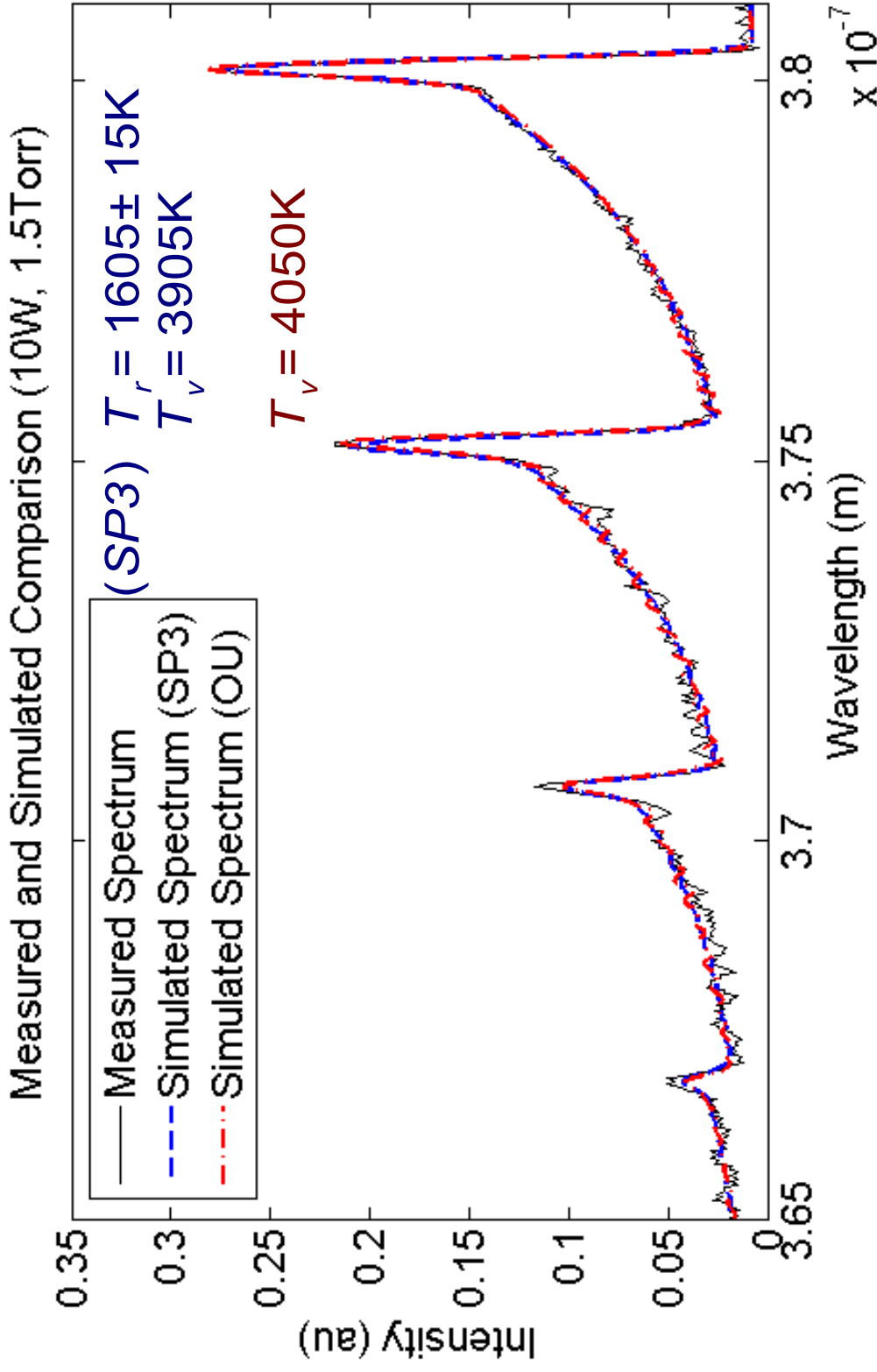
Matching



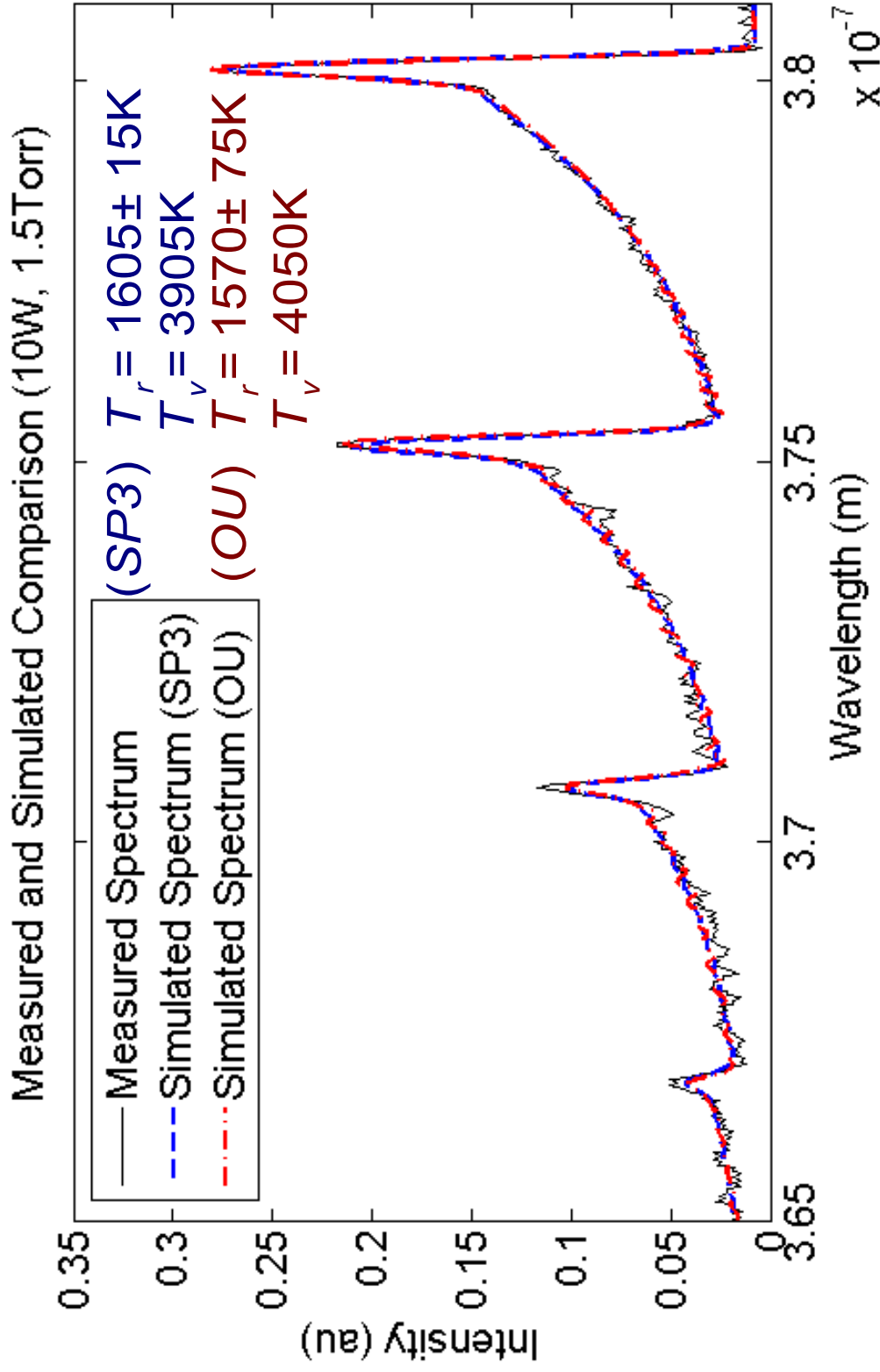
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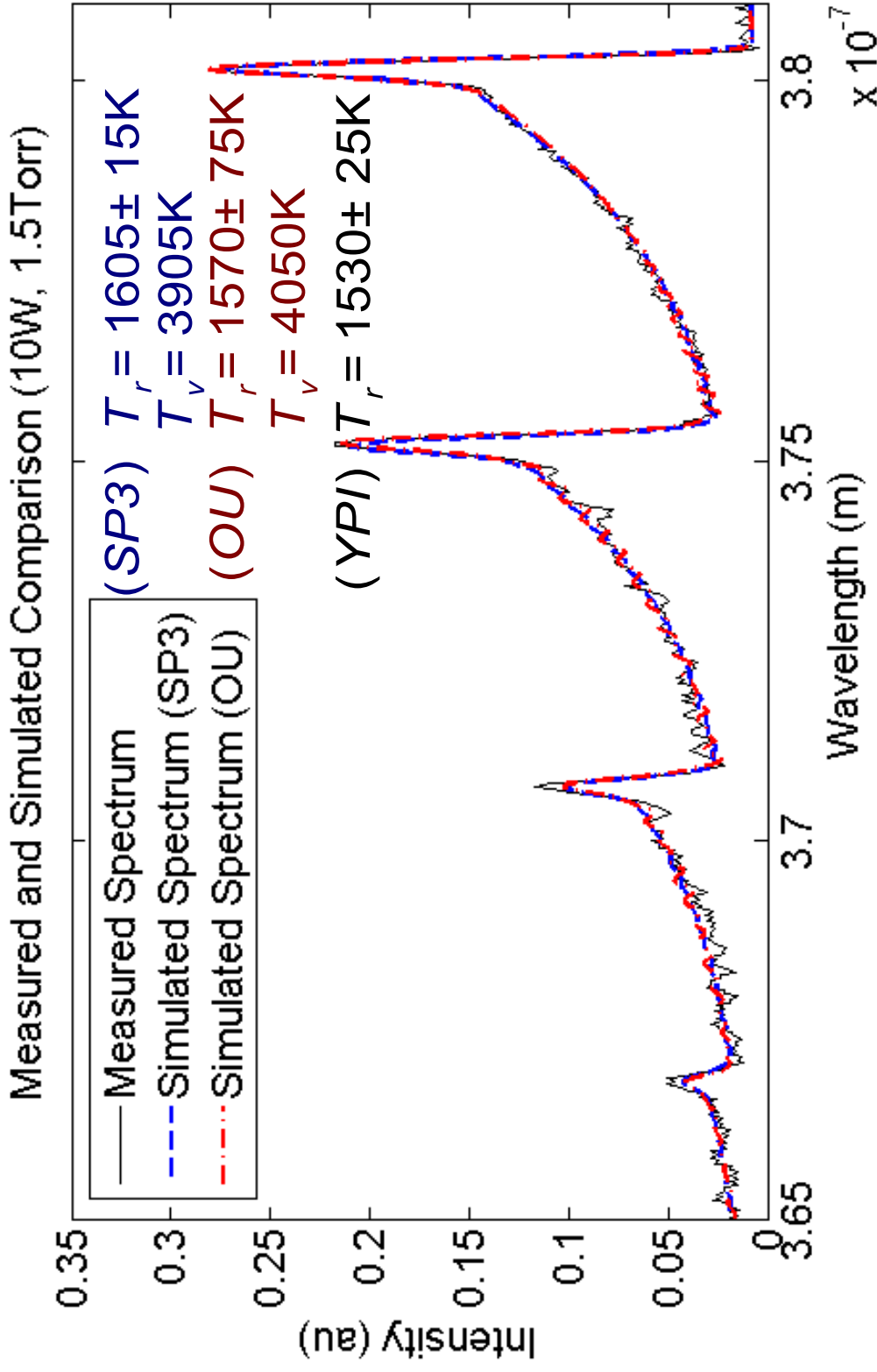
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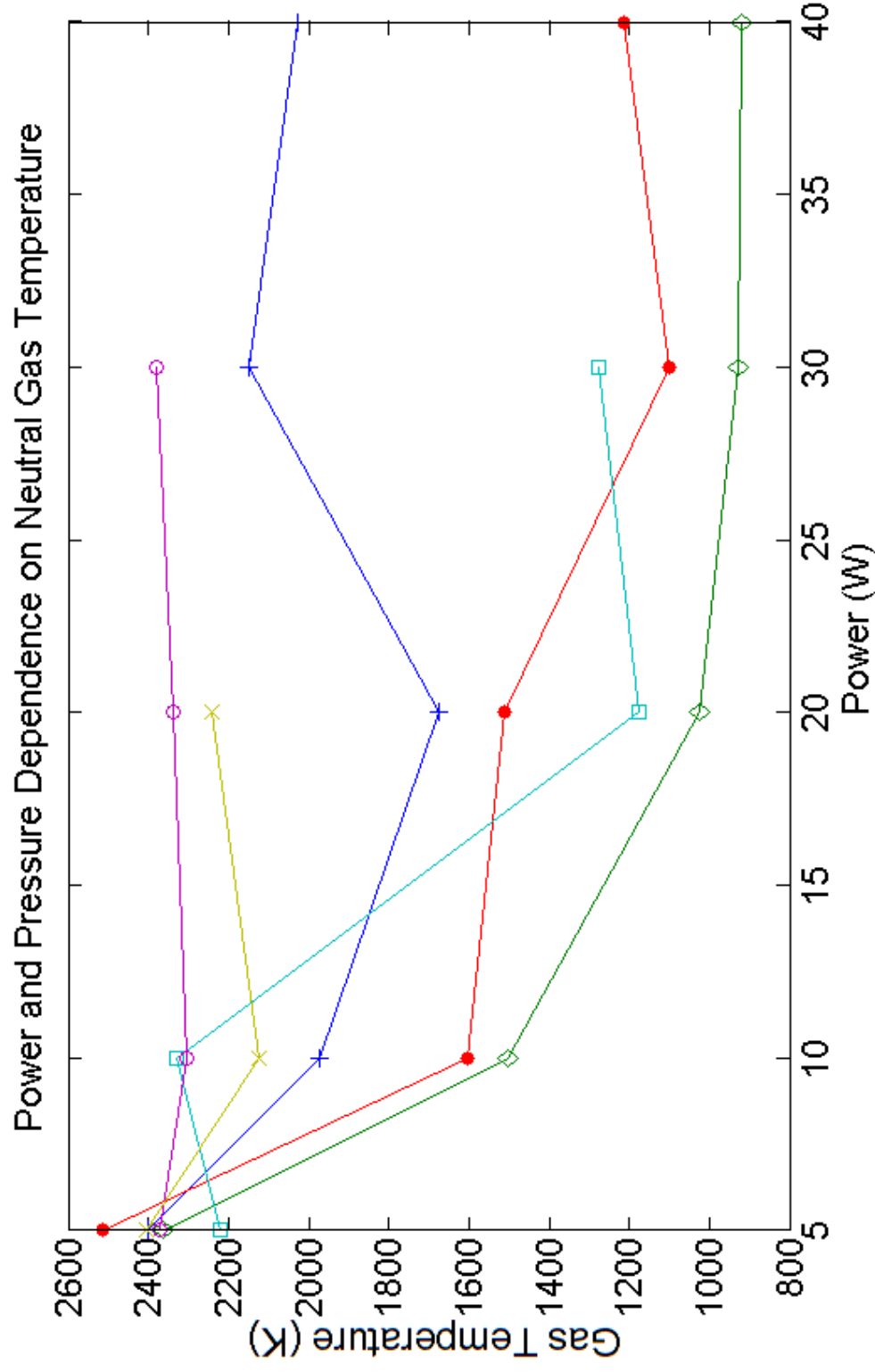
Matching



Matching



Preliminary Results



Pressure and Power

Bohm velocity $v_B = \left(\frac{e T_e}{M_i} \right)^{\frac{1}{2}} \approx 2700 \text{ms}^{-1}$

Mean free path $\lambda_{CE} = \frac{1}{n_g \sigma_{CE}}$

Power

T_e relatively constant $\rightarrow v_B$ and T_g constant

Mode change (rotational to vibrational) $\rightarrow T_g$ decreases

Pressure

T_e decreases with increasing pressure $\rightarrow v_B$ and T_g lower

BUT n_g increases $\rightarrow \lambda_{CE}$ decreases $\rightarrow T_g$ increases

Ceramic heating may also occur

Conclusions

Model for finding T_g has been developed

Good T_g estimates

Matches independent code results

Preliminary Results

Neutral gas heating occurs in PR discharge

Power and pressure dependence

Future works:

Refine method to reduce noise issues – CCD array

If neutral gas heating found work on direct thrust measurements

Investigate other gases such as CO_2 using same method

Acknowledgements

Aspects of this research made use of software developed by the Inversion Laboratory (ilab). Ilab is part of the Auscope AGOS project - an initiative of the Australian Government funded through the Education Investment Fund.

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