

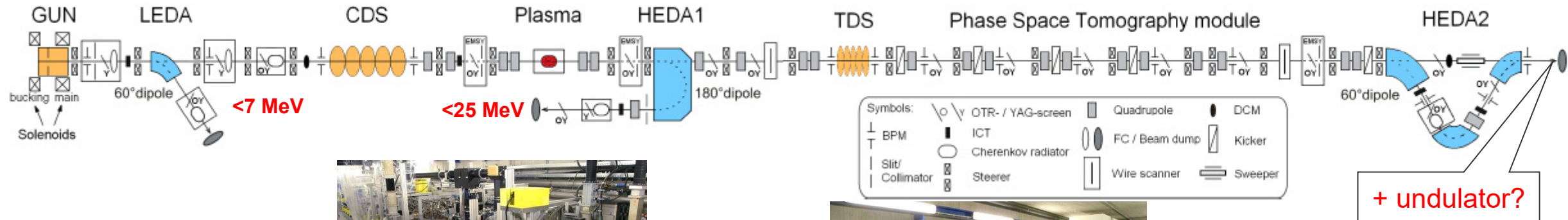
# Start-to-end simulations of THz SASE FEL proof-of-principle experiment at PITZ

M. Krasilnikov, P. Boonpornprasert, F. Stephan, DESY, Zeuthen, Germany

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H.-D. Nuhn, SLAC, Menlo Park, California, USA

## Photo Injector Test facility at DESY, Zeuthen site (PITZ)

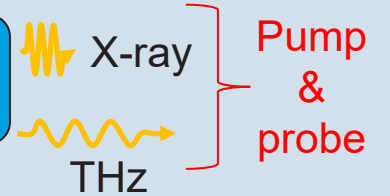


# IR/THz SASE source for pump-probe experiments @E-XFEL

PITZ-like accelerator can enable high power, tunable, synchronized IR/THz radiation

European XFEL (~3.4 km)

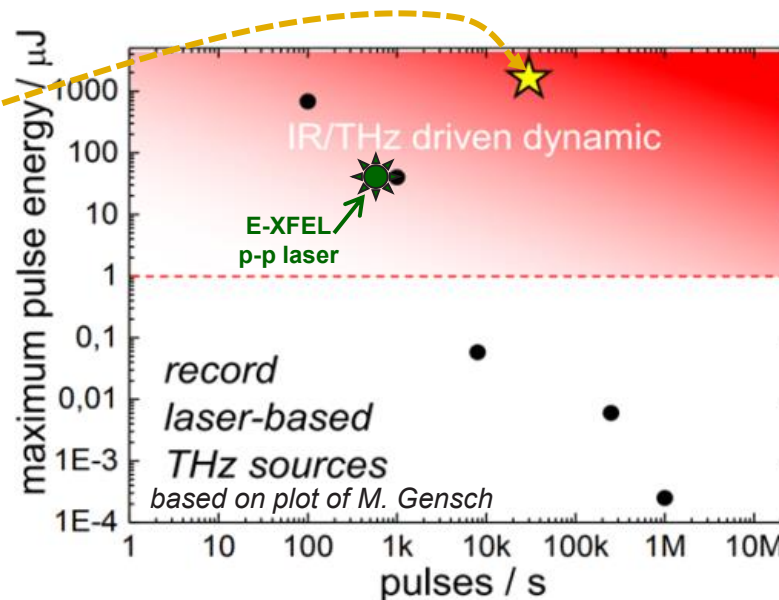
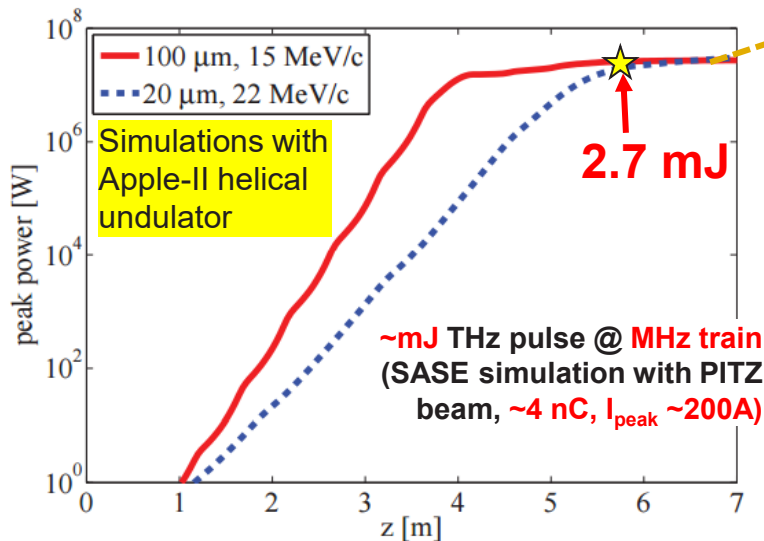
PITZ-like accelerator based  
THz source (~20 m)



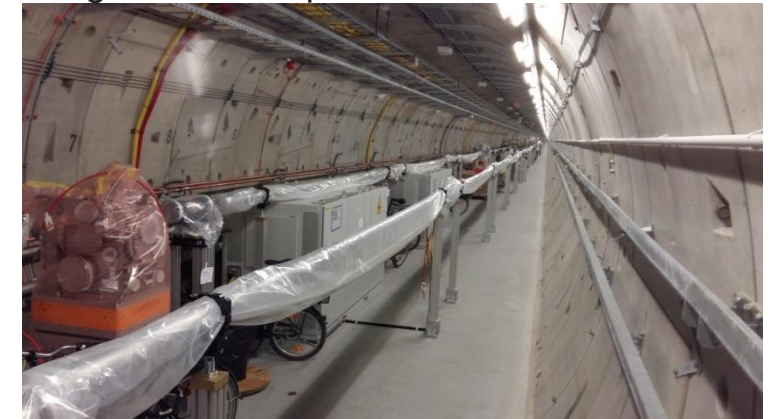
E.A. Schneidmiller, M.V. Yurkov, (DESY, Hamburg), M. Krasilnikov, F. Stephan, (DESY, Zeuthen),  
"Tunable IR/THz source for pump probe experiments at the European XFEL, Contribution to FEL 2012, Nara, Japan, August 2012"

- Accelerator based IR/THz source **meets requirements** for pump-probe experiments (e.g. **the same pulse train structure !**)
- Construction of **radiation shielded area** for installing reduced copy of PITZ is possible close to user experiments at E-XFEL
- **Prototype** of accelerator already exists → **PITZ** facility at DESY in Zeuthen

## Simulation of THz SASE FEL @PITZ



e.g. in E-XFEL photon beam line tunnel:



Required beam ( $\sim 4\text{ nC}$ ,  $I_{\text{peak}} \sim 200\text{ A}$ )  
already demonstrated at PITZ

→ **PITZ can be used for proof of principle and optimization!**

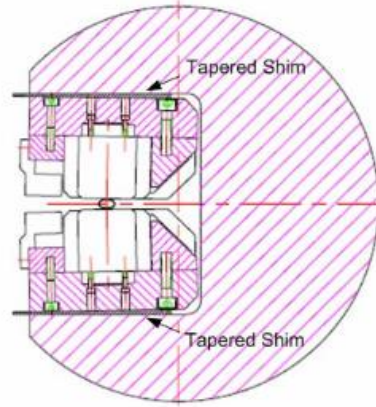
# SASE FEL based on PITZ accelerator and LCLS-I undulators

LCLS-I undulators (available on loan from SLAC) → under study and negotiations

## Some Properties of the LCLS-I undulator

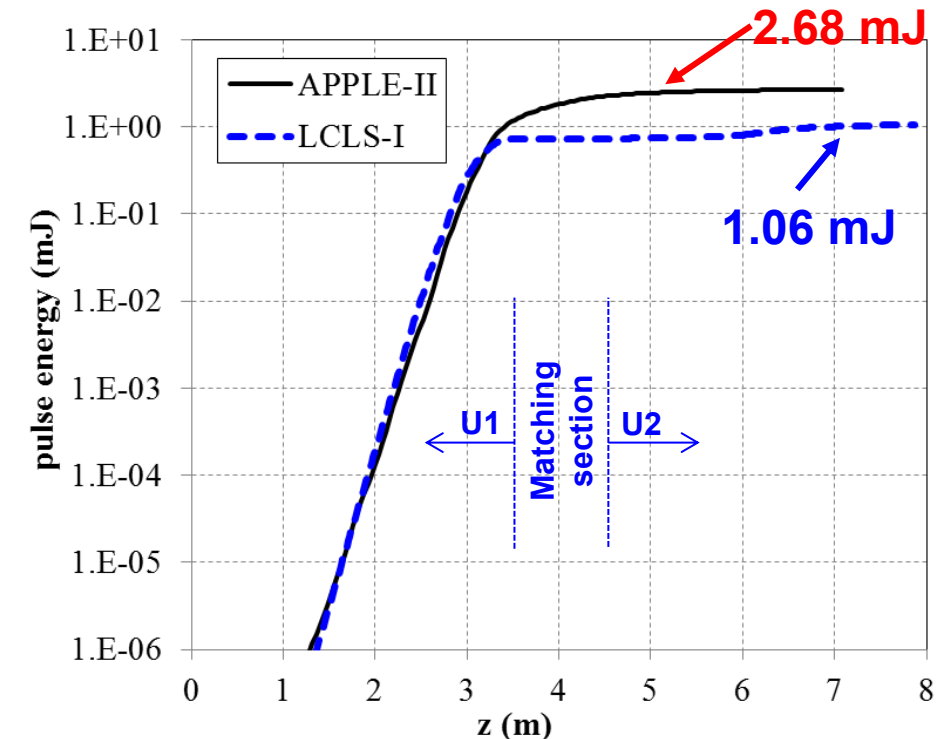
Properties	Details
Type	<b>planar hybrid</b> (NdFeB)
K-value	3.49 (3.585)
Support diameter / length	30 cm / 3.4 m
Vacuum chamber size	<b>11 mm x 5 mm</b>
Period length	30 mm
Periods / a module	113 periods

Reference: LCLS conceptual design report, SLAC-0593, 2002.



E-beam with PITZ parameters “ideally”  
matched into the undulator

## Preliminary GENESIS Simulations ( $\lambda_{\text{rad}}=100\mu\text{m}$ )



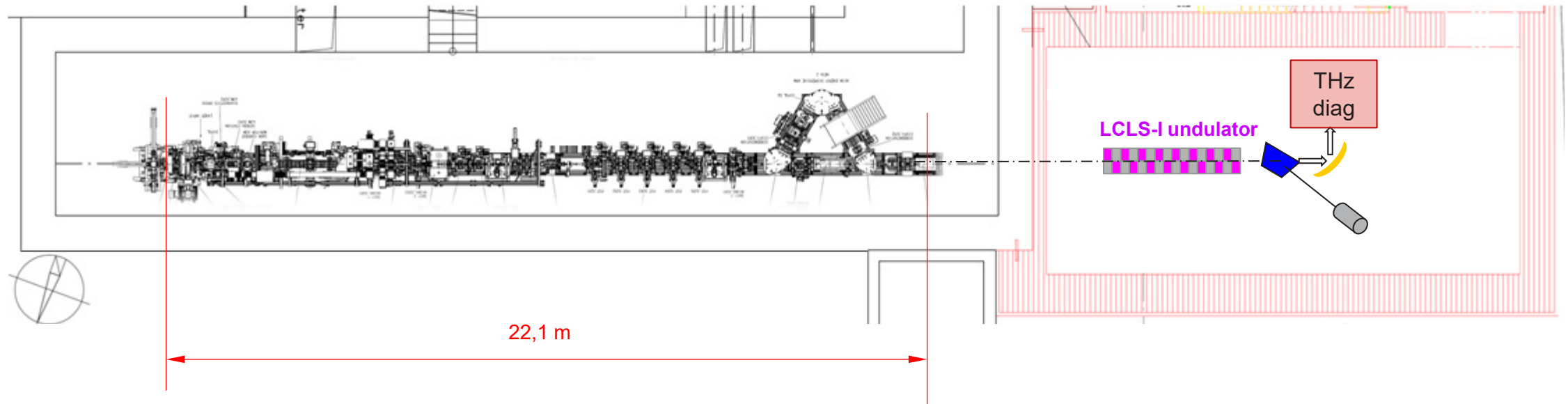
## Preliminary conclusions on LCLS-I undulators at PITZ:

- ▶ Not such extremely high performance as for the APPLE-II, but is clearly proper for **the proof-of-principle experiment!**
- ▶ 4 nC electron beam transport through the vacuum chamber needs efforts, but seems to be feasible.

$$\lambda_{\text{rad}} \sim 100\mu\text{m} \rightarrow \langle P_z \rangle = 16.7 \text{ MeV/c}$$

# Start-to-end simulations for proof-of-principle experiment at PITZ

## PITZ main tunnel and tunnel annex for the LCLS-I undulator installation



**S2E simulations: from photocathode → undulator → THz SASE FEL**

### Main challenges:

- 4 nC (200A) x 16.7 MeV/c → SC dominated beam
- ~30 m transport (incl. 1.5 m wall) → LCLS-I undulator in the tunnel annex
- 3D field of the undulator field
- Matching into the undulator (narrow vacuum chamber issue)

### Tools:

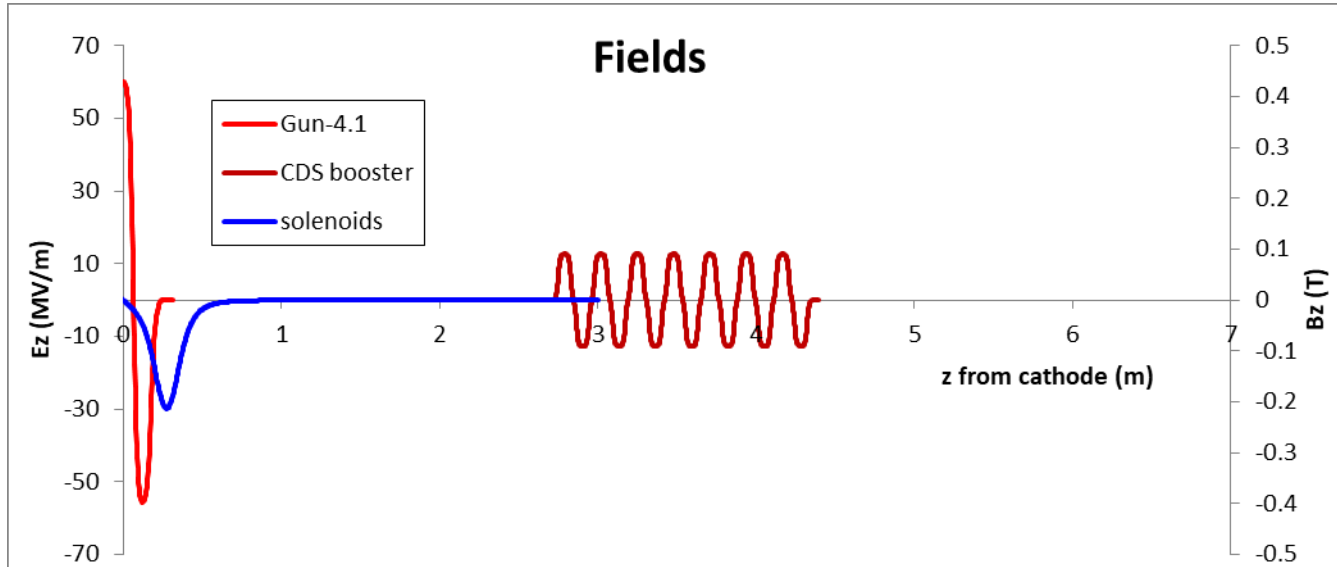
- ASTRA
- SC-Optimizer
- GENESIS 1.3



# Beam Dynamics Simulation Setup

ASTRA

## Gun +Solenoids + CDS-booster



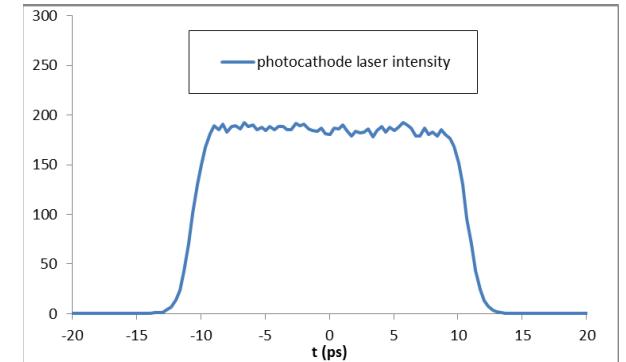
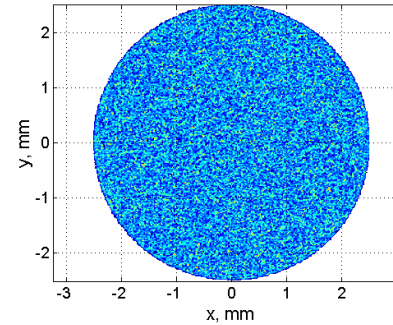
Gun:

- $E_{\text{cath}}=60\text{MV/m}$  (fixed)
- MMMG

Booster:

- $E_{\text{max}} < 20\text{MV/m}$
  - $\text{Phase} = \phi_2^*$
- }  $\rightarrow \langle P_z \rangle = 16.7\text{MeV/c} + \min \delta E @ \text{undulator?}$

## Photocathode laser



Photocathode laser:

- FT 21.5ps FWHM
- $\varnothing \leq 5\text{mm}$
- 4nC

NB:

- Core + Halo model for real laser!
- Imperfections (photoemission + asymmetry)

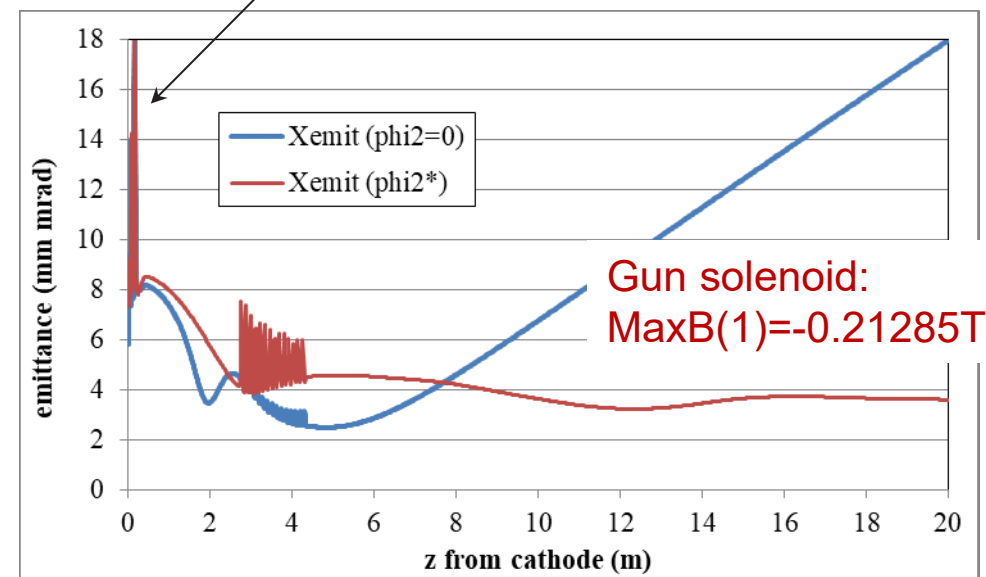
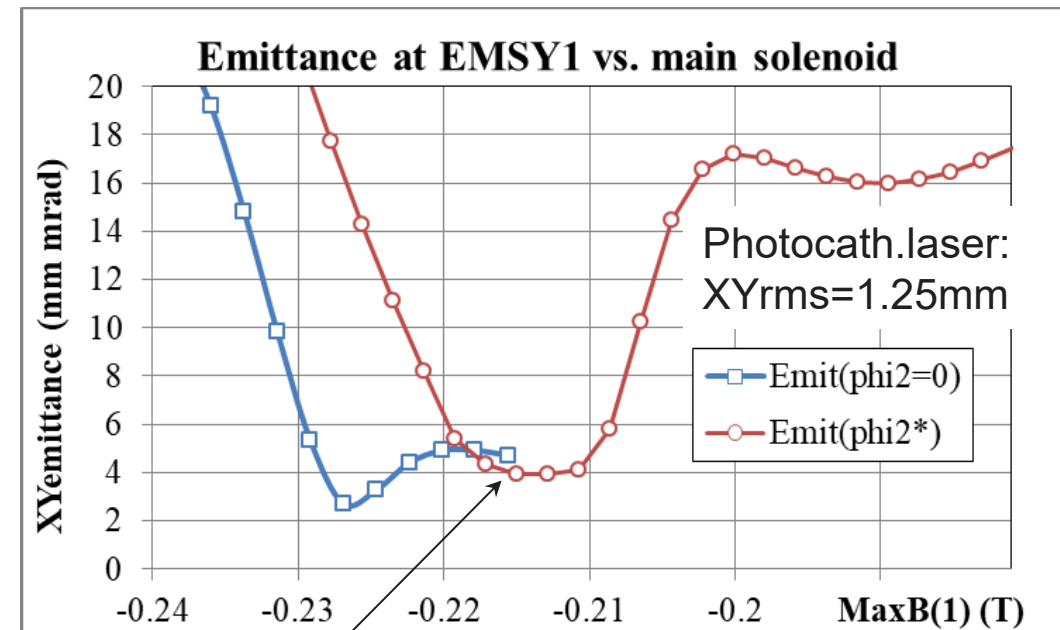
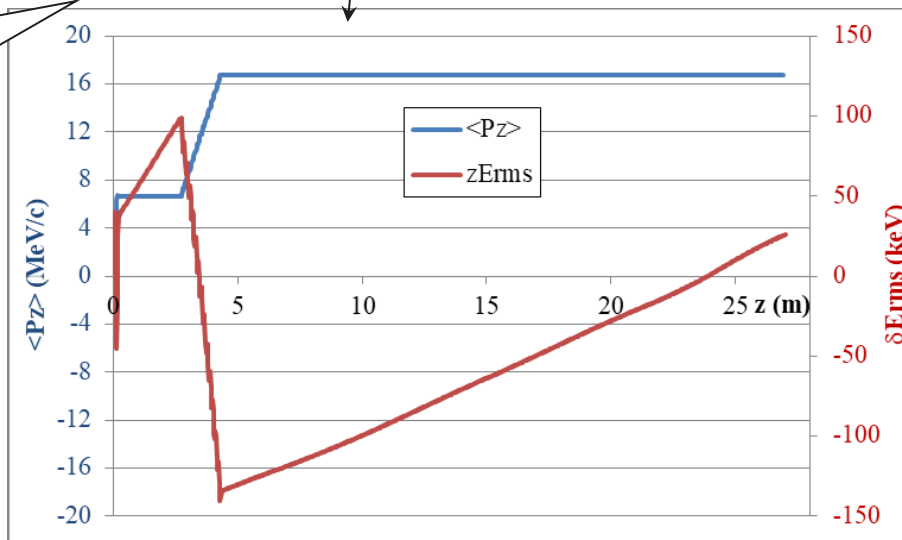
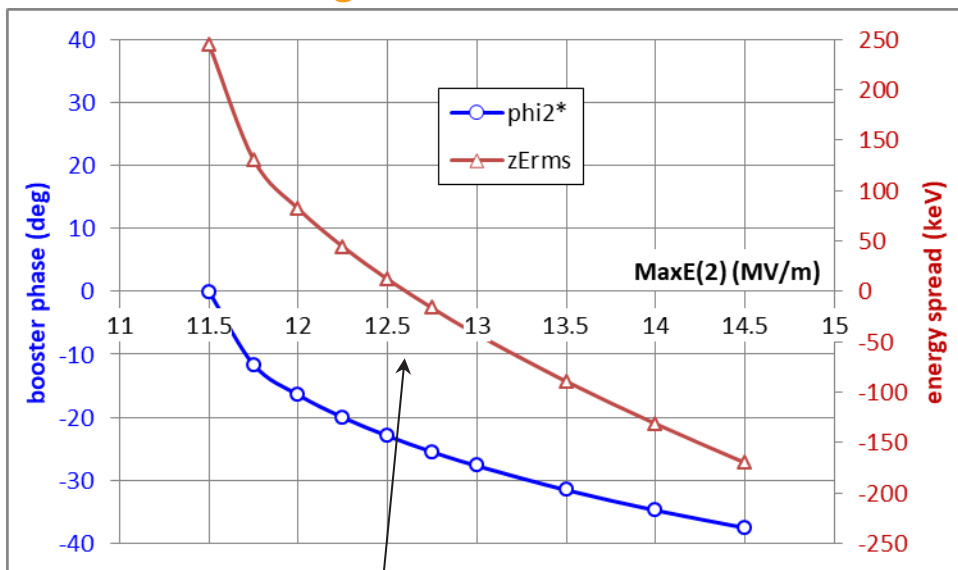
# Gun, solenoid, booster parameters

Extremely small emittance is not a goal

$\phi_2^*$  = booster  
phase for  
 $\langle P_z \rangle = 16.7 \text{ MeV/c}$

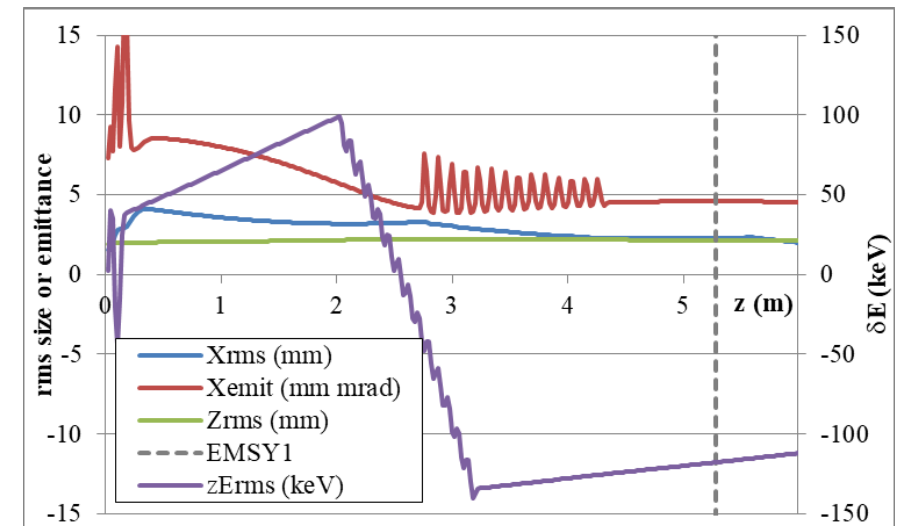
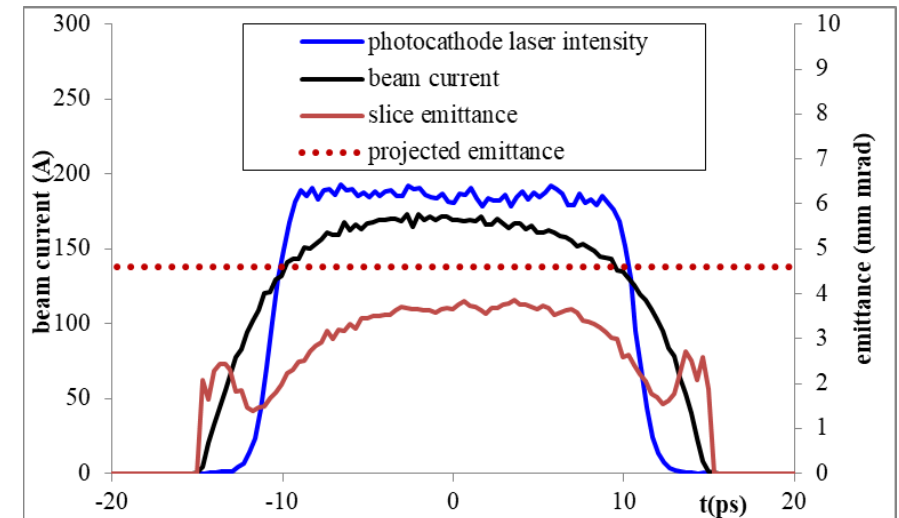
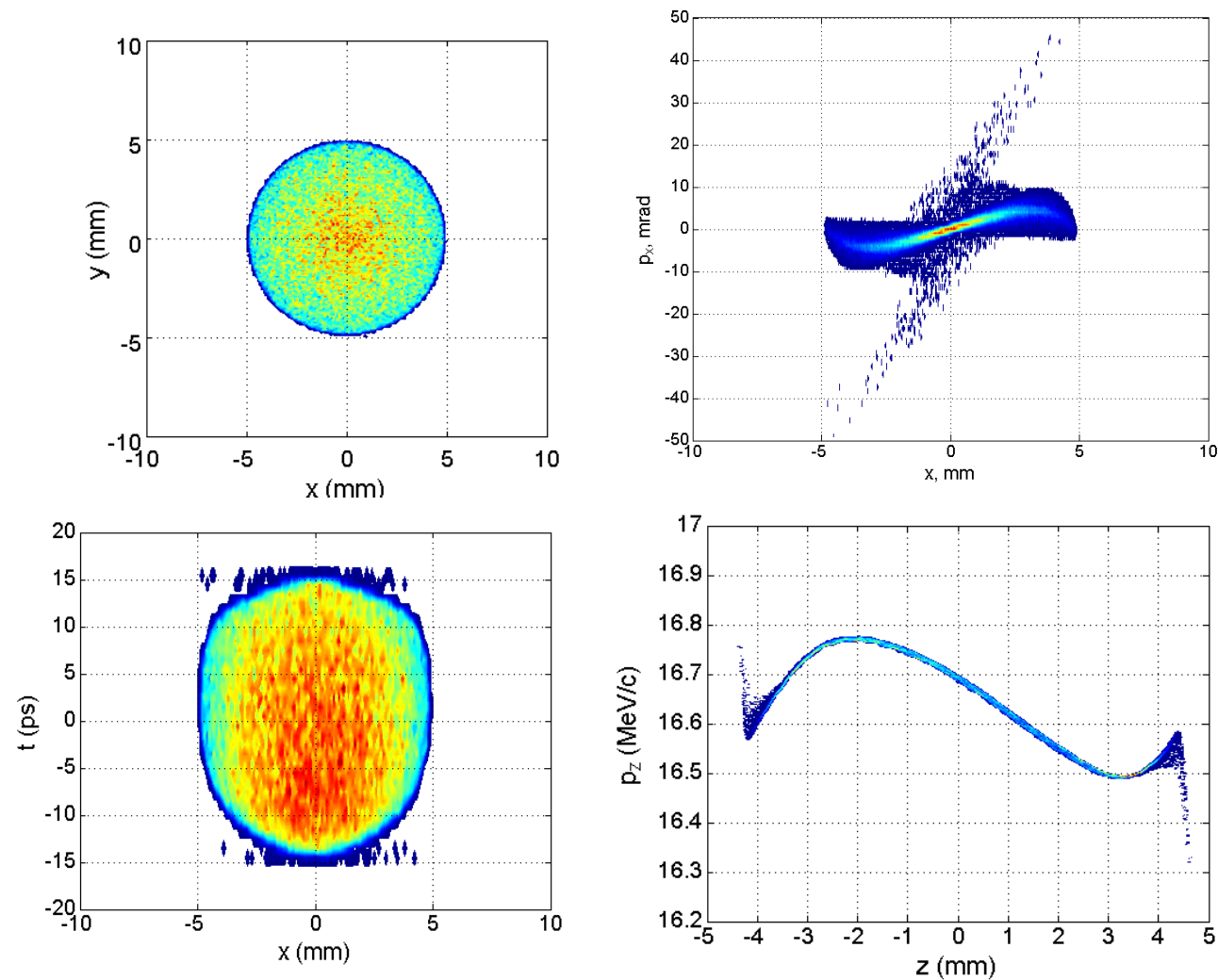
Minimizing  
correlated energy  
spread close to  
the undulator

Booster:  
 $\text{MaxE}(2) = 12.6 \text{ MV/m}$   
 $\Phi(2) = -24^\circ$



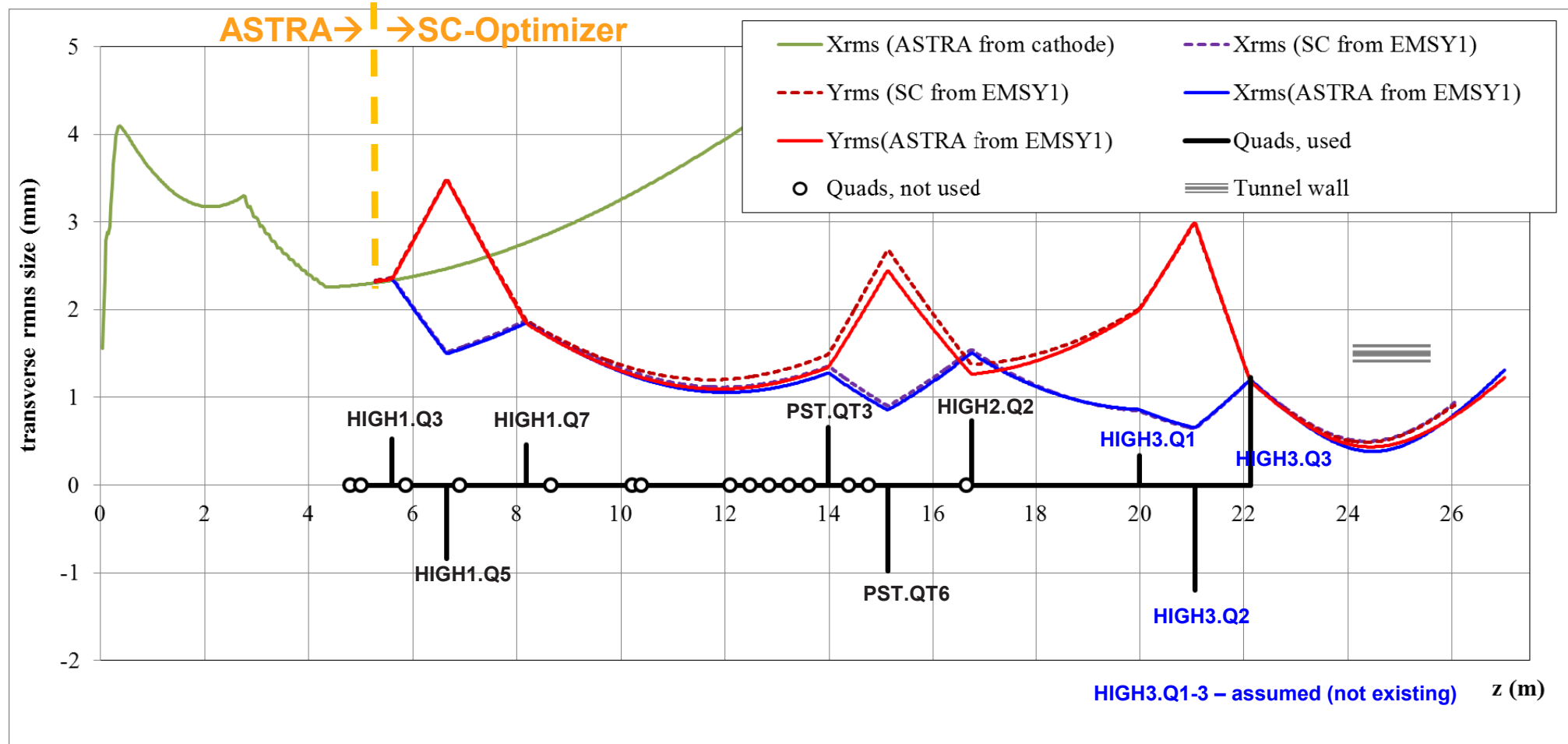
# Beam at EMSY1 – “ready” for transport

Z=5.277m from the cathode



# PITZ Beam from the cathode → tunnel wall

ASTRA input → SC-Optimizer → check with ASTRA

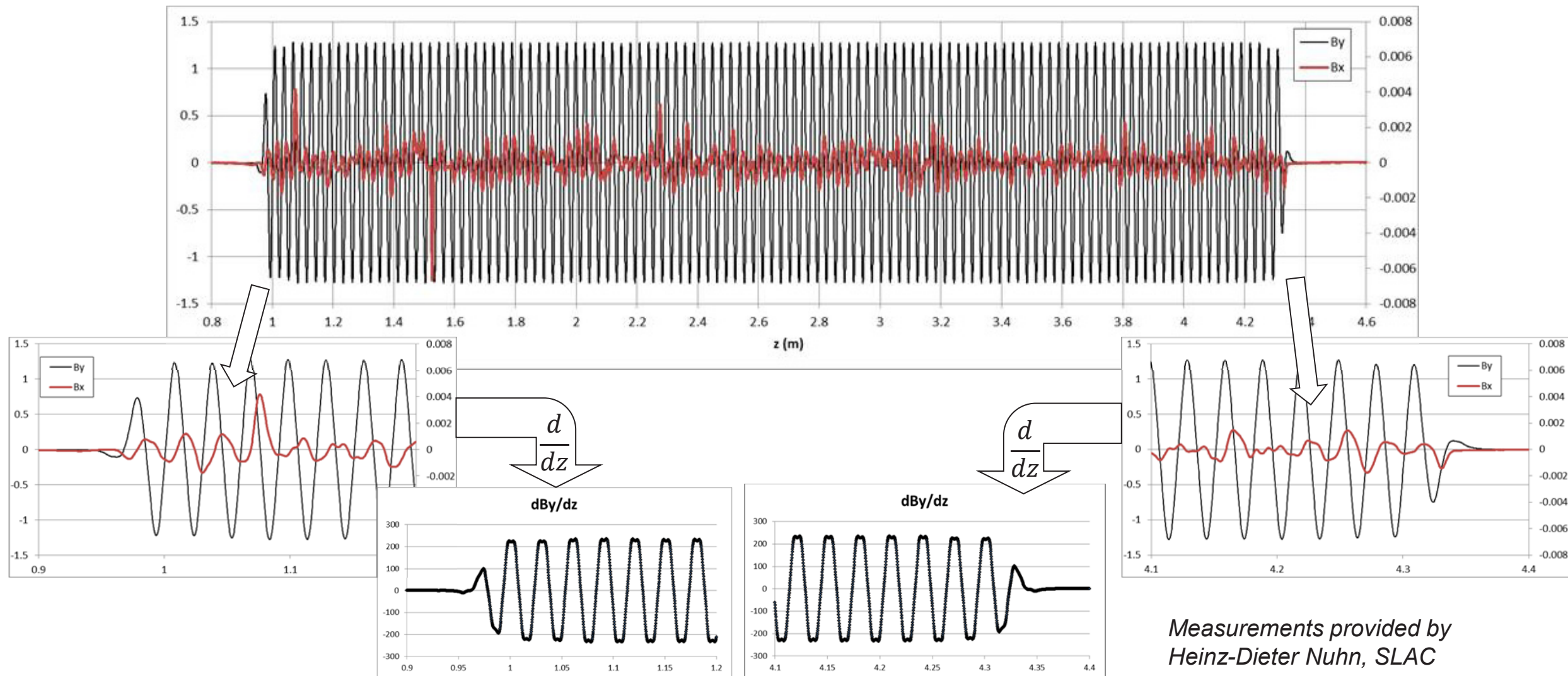


$$GF(Q_1, \dots, Q_9) \propto \sqrt{\frac{1}{L} \int_{z_{\text{wall}}}^{z_{\text{wall}}+d} X_{\text{rms}} \cdot Y_{\text{rms}} dz}$$



# LCLS-I Undulator field

$B_y(0,0,z)$  field profile measurements done on 02.10.2013 at SLAC for the undulator L143-112000-07 after the final tuning



# LCLS-I Undulator field

## Fourier Analysis

Performing Fourier transformation for  $-\frac{L}{2} \leq z \leq \frac{L}{2}$ , where  $L = N_U \lambda_U$  is the undulator length:

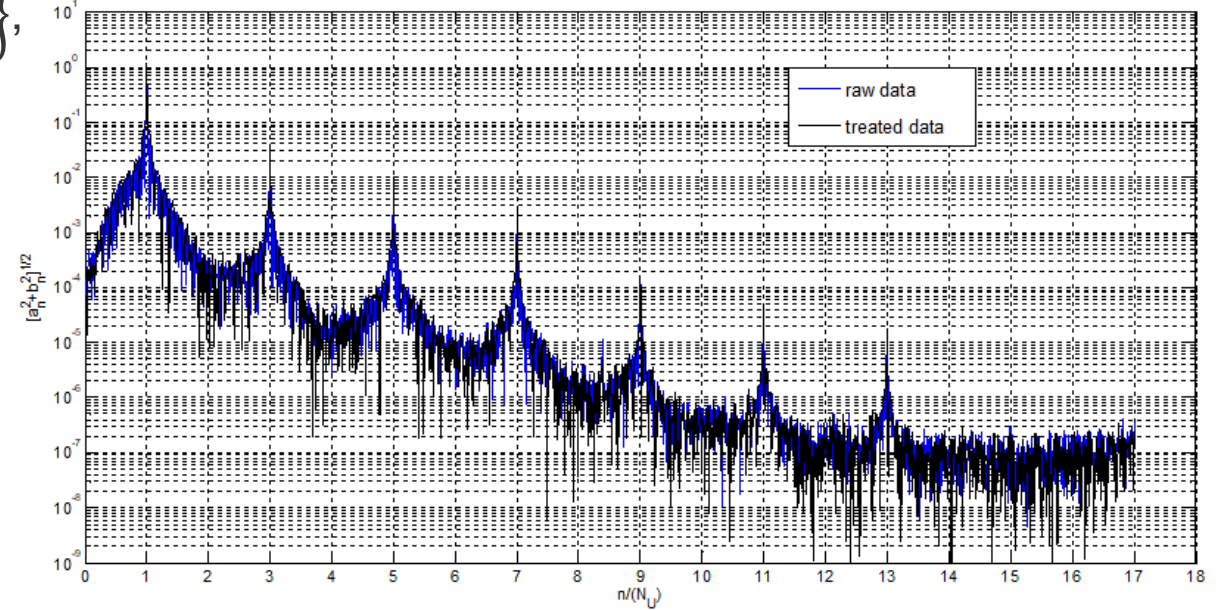
$$B_y(x=0, y=0, z) = \sum_{n=0}^{\infty} \left\{ a_n \cos\left(\frac{2\pi n z}{N_U \lambda_U}\right) + b_n \sin\left(\frac{2\pi n z}{N_U \lambda_U}\right) \right\},$$

where

$$a_n = \frac{2}{L} \int_{-\frac{L}{2}}^{\frac{L}{2}} B_y(x=0, y=0, z) \cos\left(\frac{2\pi n z}{N_U \lambda_U}\right) dz,$$

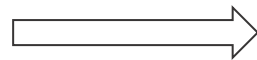
$$a_0 = \frac{1}{L} \int_{-\frac{L}{2}}^{\frac{L}{2}} B_y(x=0, y=0, z) dz,$$

$$b_n = \frac{2}{L} \int_{-\frac{L}{2}}^{\frac{L}{2}} B_y(x=0, y=0, z) \sin\left(\frac{2\pi n z}{N_U \lambda_U}\right) dz.$$

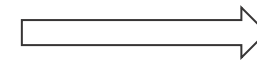


**Field integrals** of the undulator:

$$I_{1y} = \int_{-\frac{L}{2}}^{\frac{L}{2}} B_y(x=0, y=0, z) dz,$$

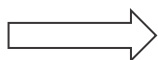


$$I_{1y} = a_0 L,$$

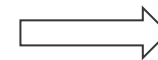


$$a_0 = 0$$

$$I_{2y} = \int_{-\frac{L}{2}}^{\frac{L}{2}} dz \int_{-\frac{L}{2}}^z B_y(x=0, y=0, z_1) dz_1.$$



$$I_{2y} = \frac{L^2}{2} \left\{ a_0 + \sum_{n=1}^{\infty} \frac{(-1)^n}{\pi n} b_n \right\}$$



$$\sum_{n=1}^{\infty} \frac{(-1)^n}{\pi n} b_n = 0$$

# LCLS-I Undulator field

## 3D field map generation

Vertical and longitudinal components of undulator magnetic field:

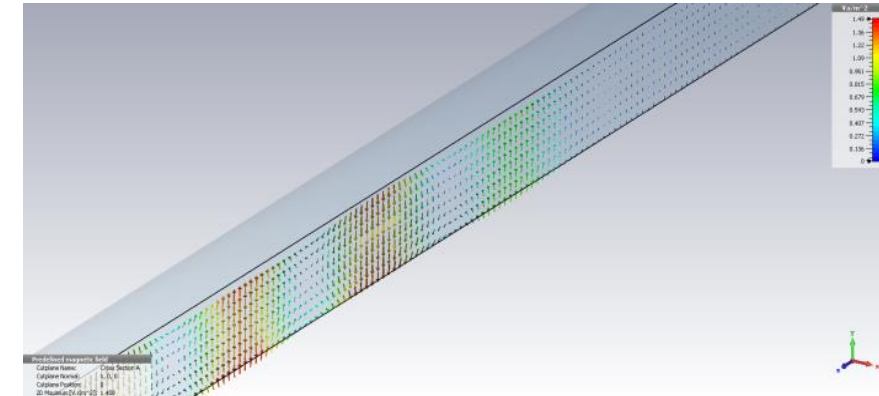
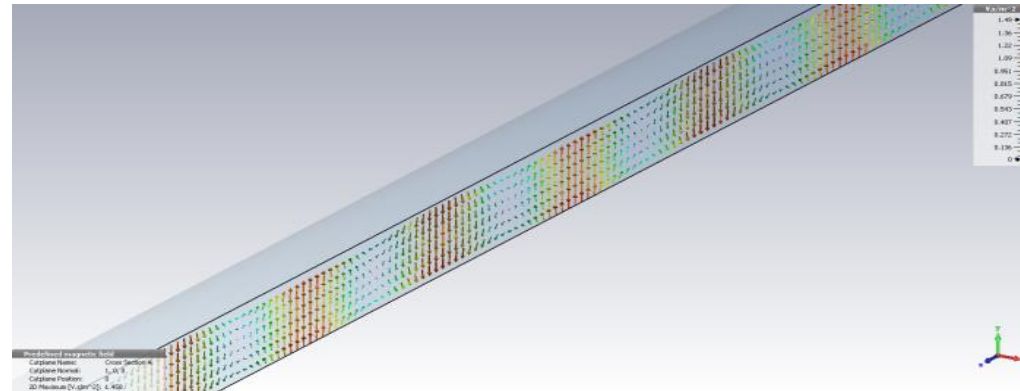
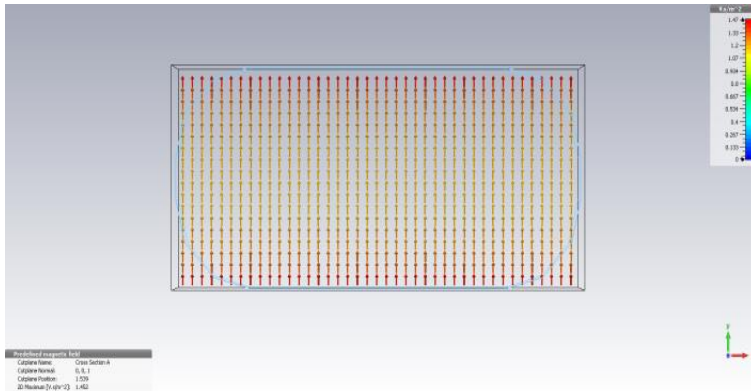
$$B_y(x, y, z) = \sum_{n=1}^{N_h \cdot N_U} [\{\tilde{a}_n \cos(k_n z) + \tilde{b}_n \sin(k_n z)\} \cdot \cosh(k_n y)],$$

$$B_z(x, y, z) = \sum_{n=1}^{N_h \cdot N_U} [\{-\tilde{a}_n \sin(k_n z) + \tilde{b}_n \cos(k_n z)\} \cdot \sinh(k_n y)],$$

where  $k_n = \frac{2\pi n}{N_U \lambda_U}$  is the wavenumber of the  $n$ -th Fourier harmonic.

$$\tilde{b}_n = \frac{2}{N_U \lambda_U} \int_{-\frac{N_U \lambda_U}{2}}^{\frac{N_U \lambda_U}{2}} B_{y,2}(x = 0, y = 0, z_1) \sin\left(\frac{2\pi n z_1}{N_U \lambda_U}\right) dz,$$

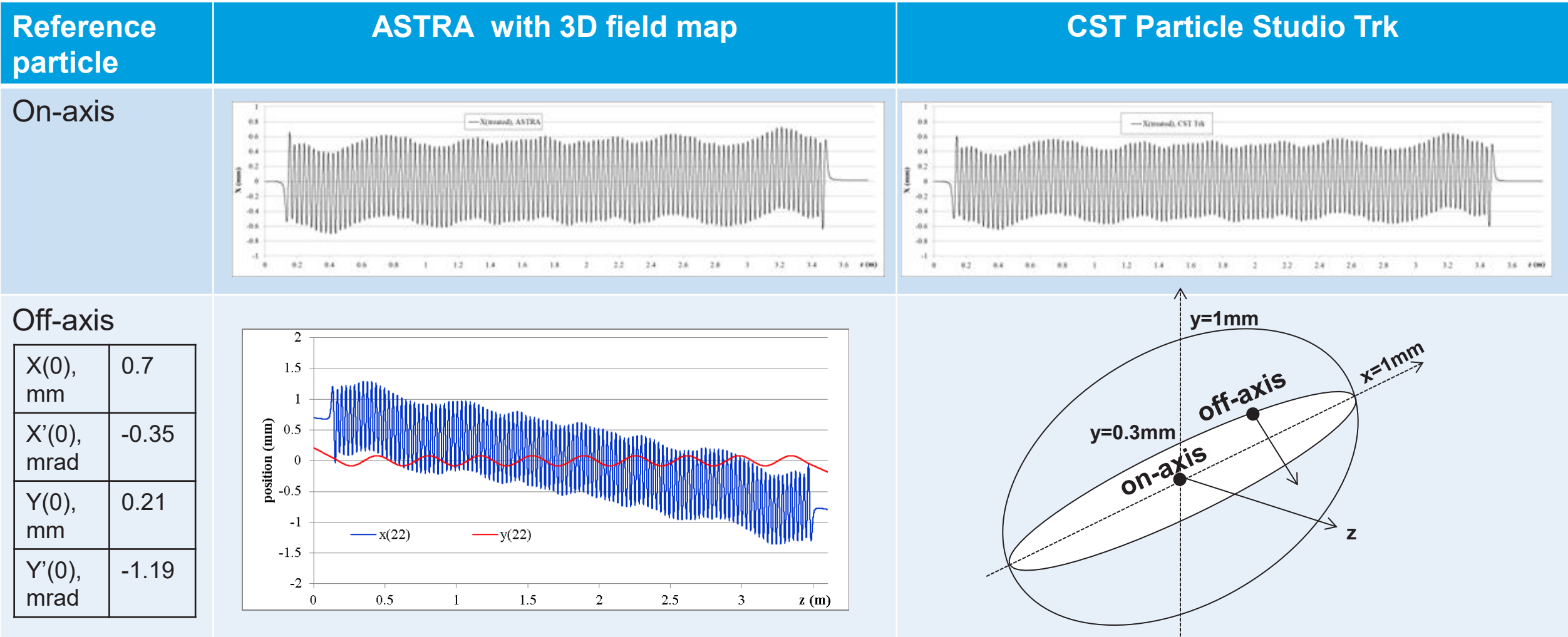
Used as external field map for  
ASTRA (static magnetic cavity)  
and for CST Trk/PIC solver



$$N_h = 17; N_U = 120$$

# On-axis particle trajectory in the undulator

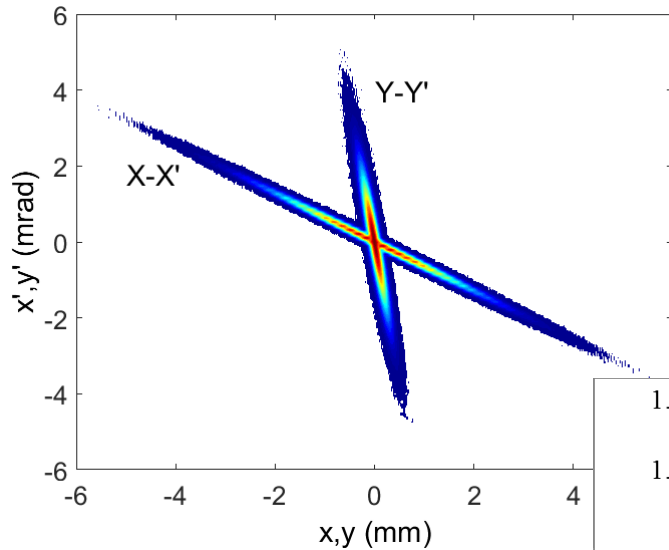
Reference particle: ASTRA and CST tracking



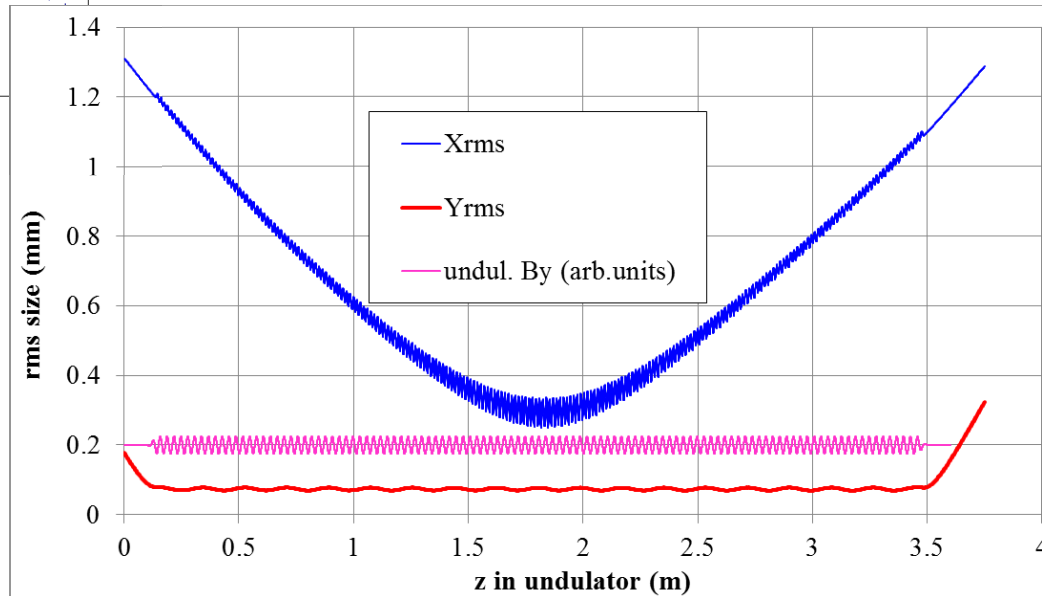
# Beam matching into the undulator

ASTRA simulations with space charge and 3D undulator field map

- “Ideal” (Gaussian-FT) beam



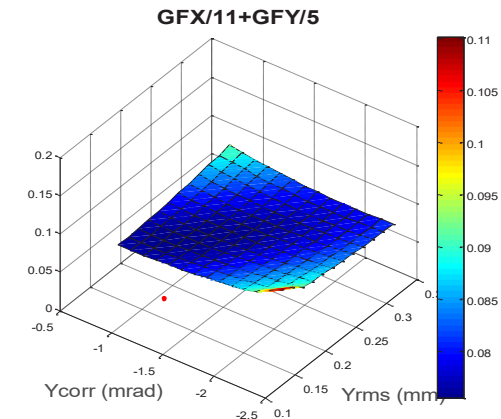
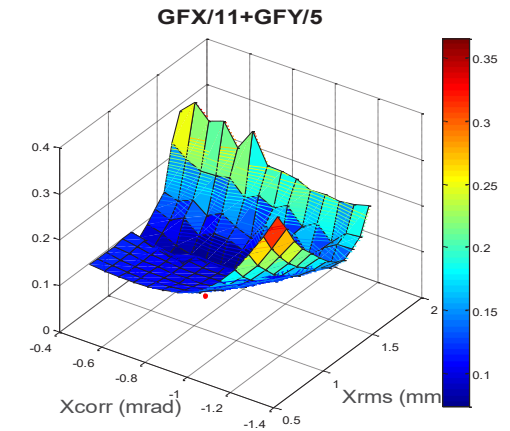
Asymmetric (X-Px-Y-Py) beam for proper matching into the unduator!



$$GF = w_x \cdot GFX + w_y \cdot GFY$$

$$GFX(X_{rms,0}, Y_{rms,0}, X'_{rms,0}, Y'_{rms,0}) \propto \frac{1}{L} \int_0^L X_{rms} dz$$

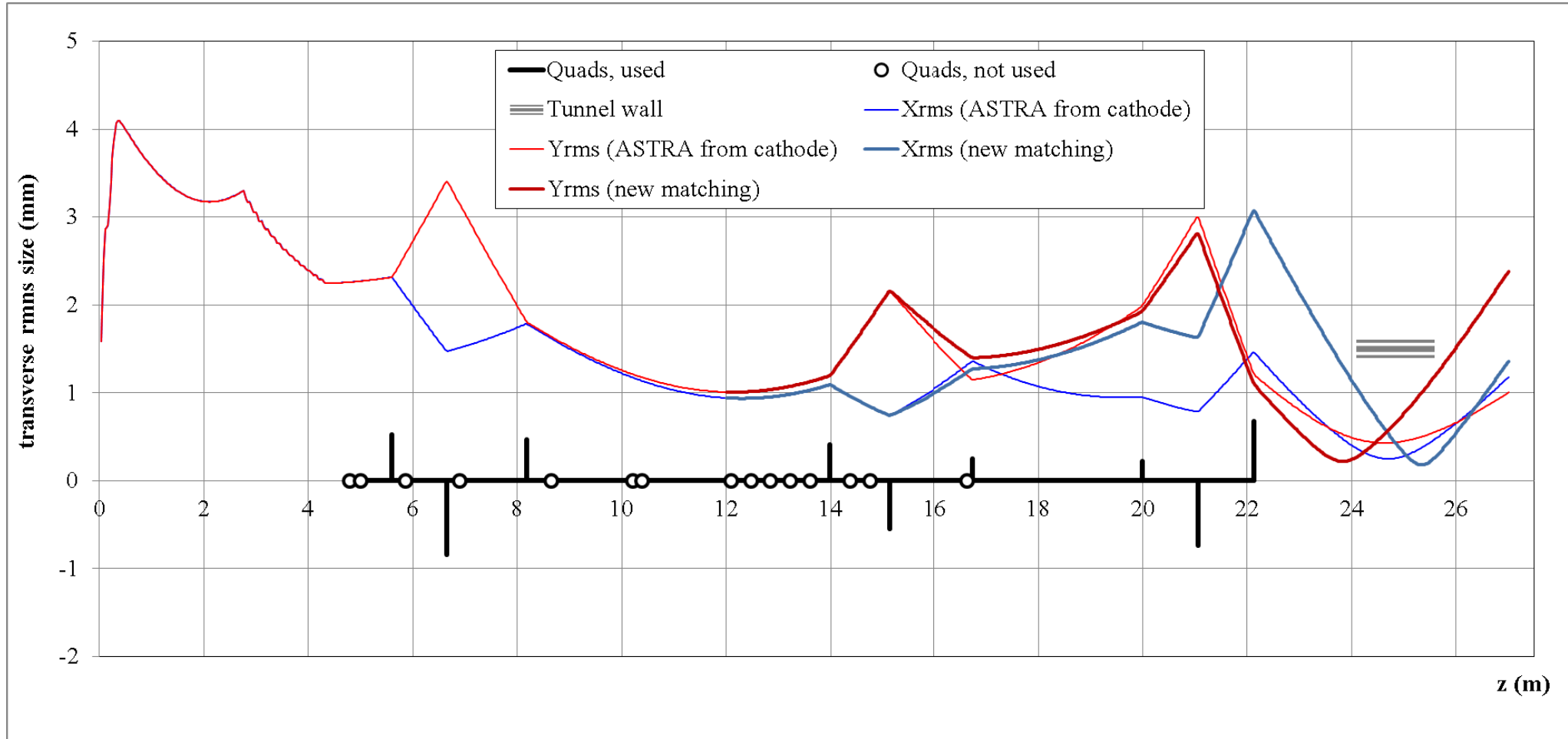
$$GFY(X_{rms,0}, Y_{rms,0}, X'_{rms,0}, Y'_{rms,0}) \propto \frac{1}{L} \int_0^L std(Y_{rms}) dz$$





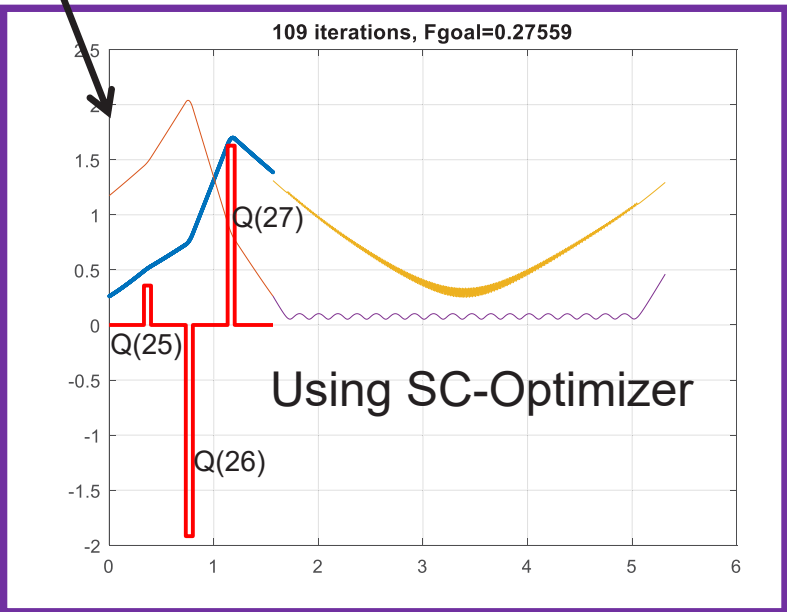
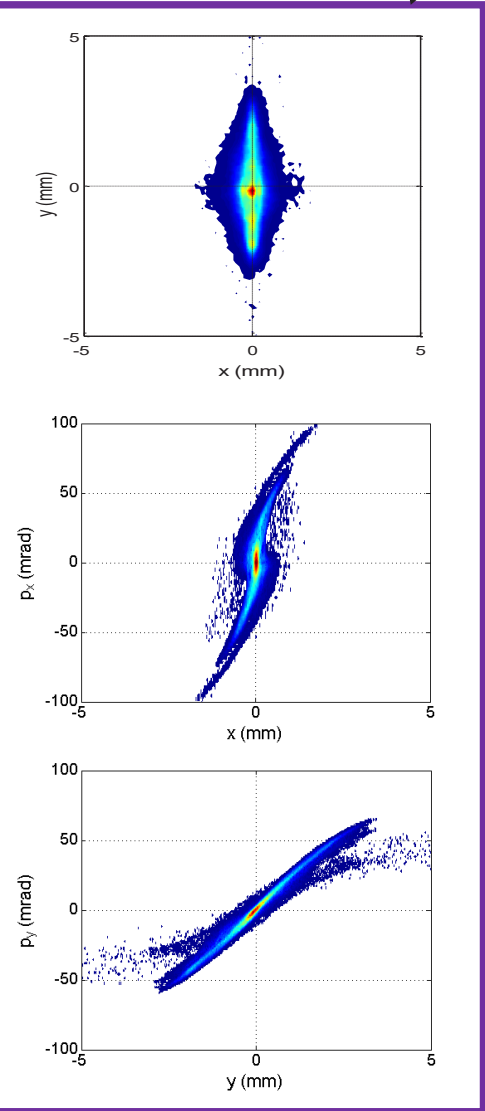
# New transport / matching

Further “through the wall” + prepare for **asymmetric** matching into the undulator

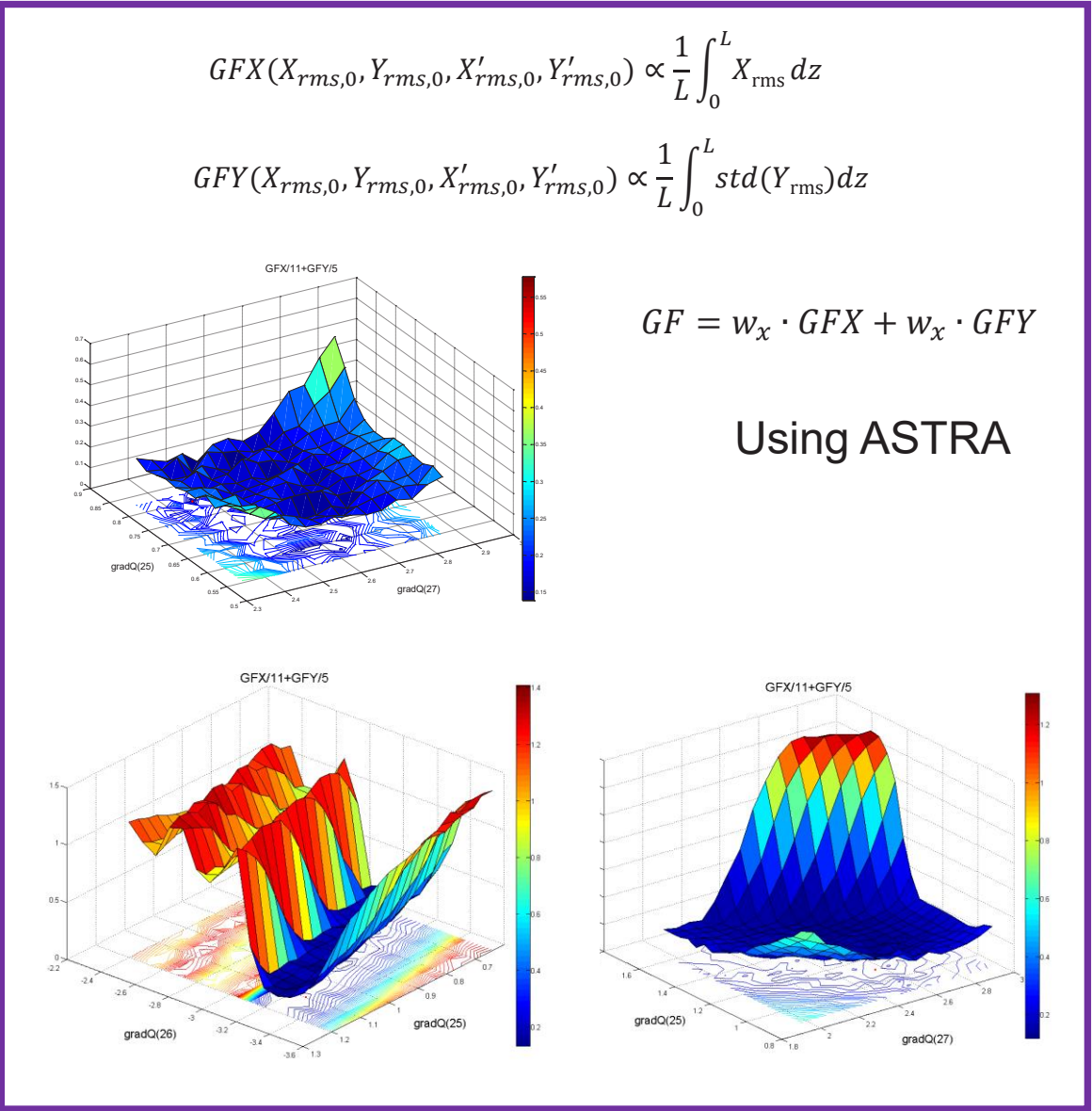


# Fine matching into the undulator

Starting with “beam at wall of the new tunnel” z=25.587m



Quad	Z from wall	Z from cathode	Matching M1		Matching M2	
			T/m	A	T/m	A
Q(25)	0.3663	25.9533	1.107	~1.6	1.425	~2.1
Q(26)	0.7663	26.3533	-3.277	~4.8	-3.277	~4.8
Q(27)	1.1663	26.7533	2.564	~3.8	2.564	~3.8



$$GFX(X_{rms,0}, Y_{rms,0}, X'_{rms,0}, Y'_{rms,0}) \propto \frac{1}{L} \int_0^L X_{rms} dz$$

$$GFY(X_{rms,0}, Y_{rms,0}, X'_{rms,0}, Y'_{rms,0}) \propto \frac{1}{L} \int_0^L std(Y_{rms}) dz$$

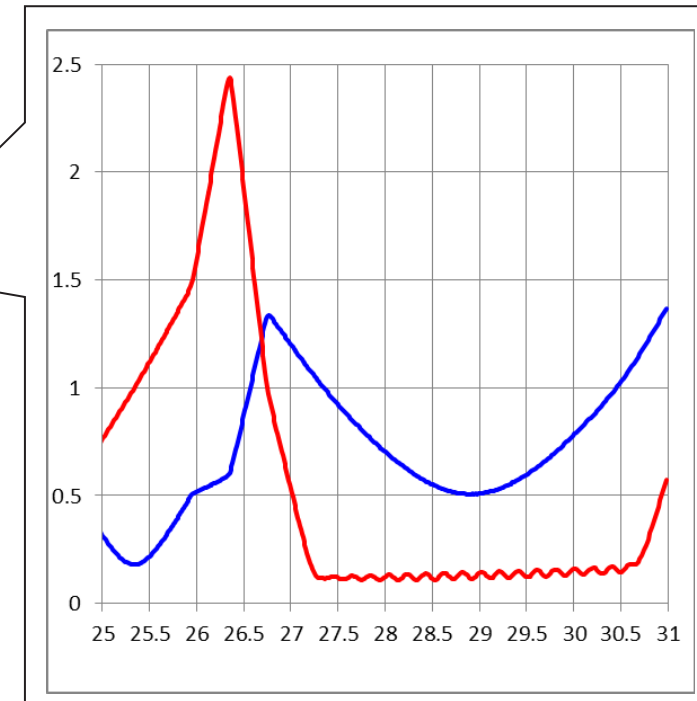
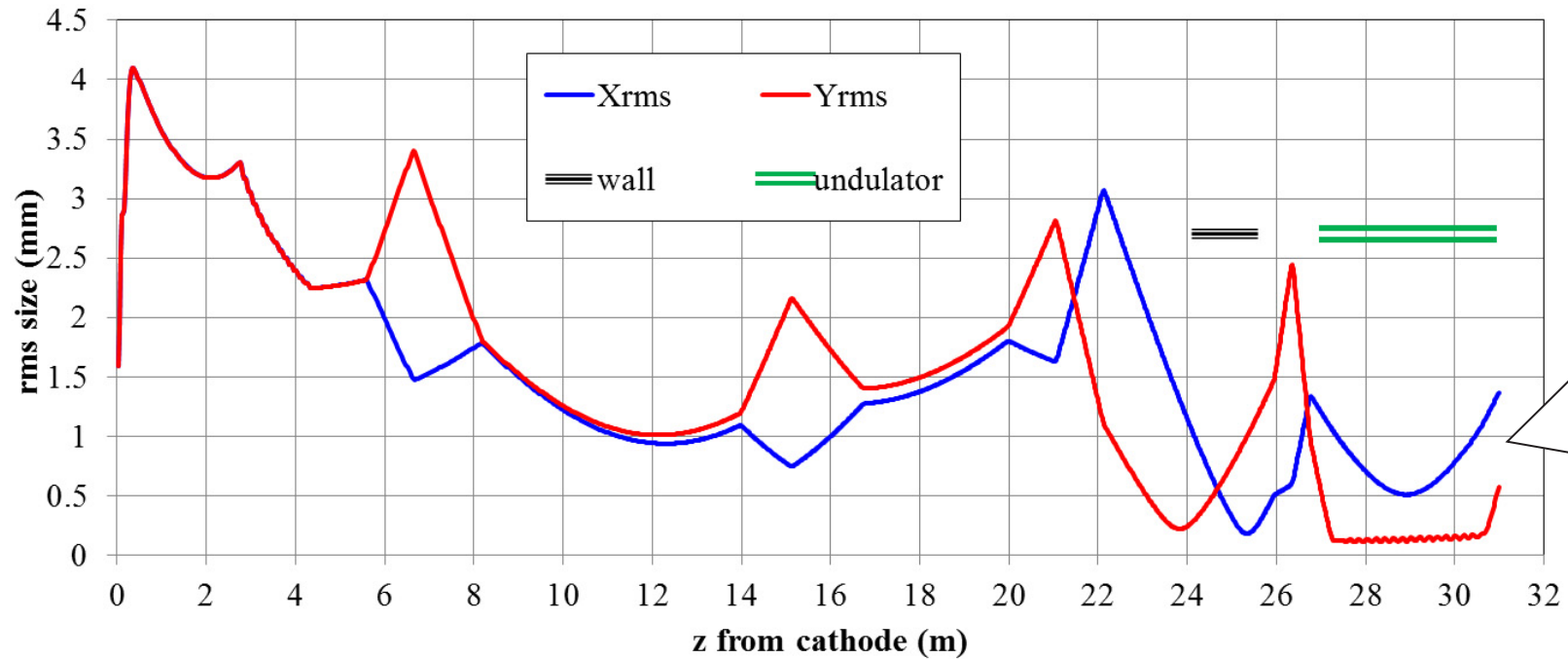
$$GF = w_x \cdot GFX + w_y \cdot GFY$$

Using ASTRA

# Electron beam transport for LCLS-I undulator option at PITZ

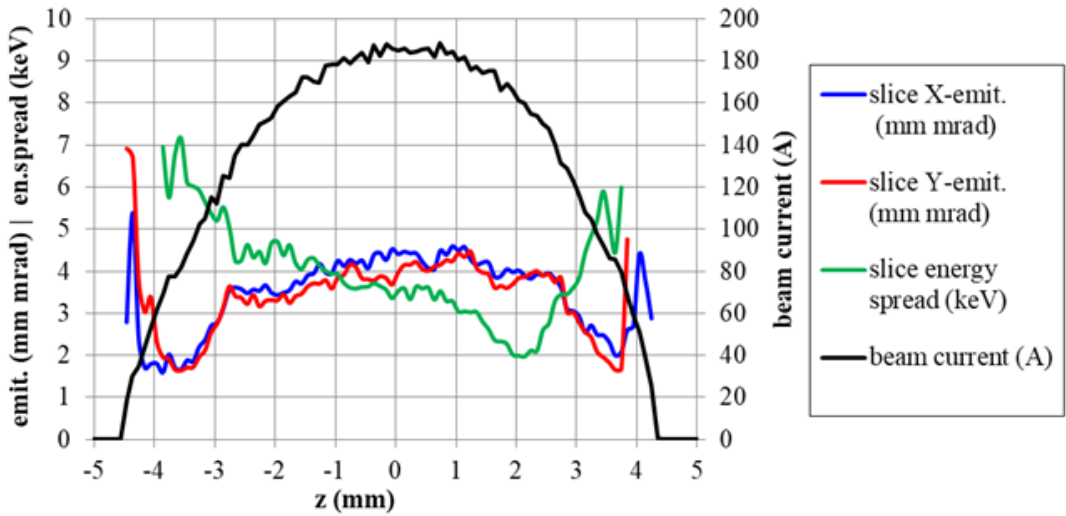
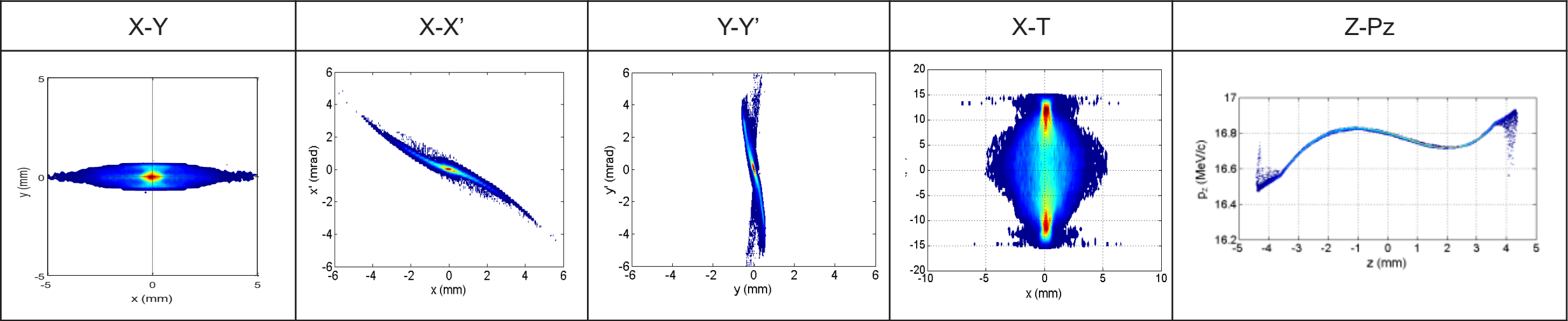
Matching into the undulator → beam size

NB1: Space charge model is not fully correct for the undulator (dipole field)



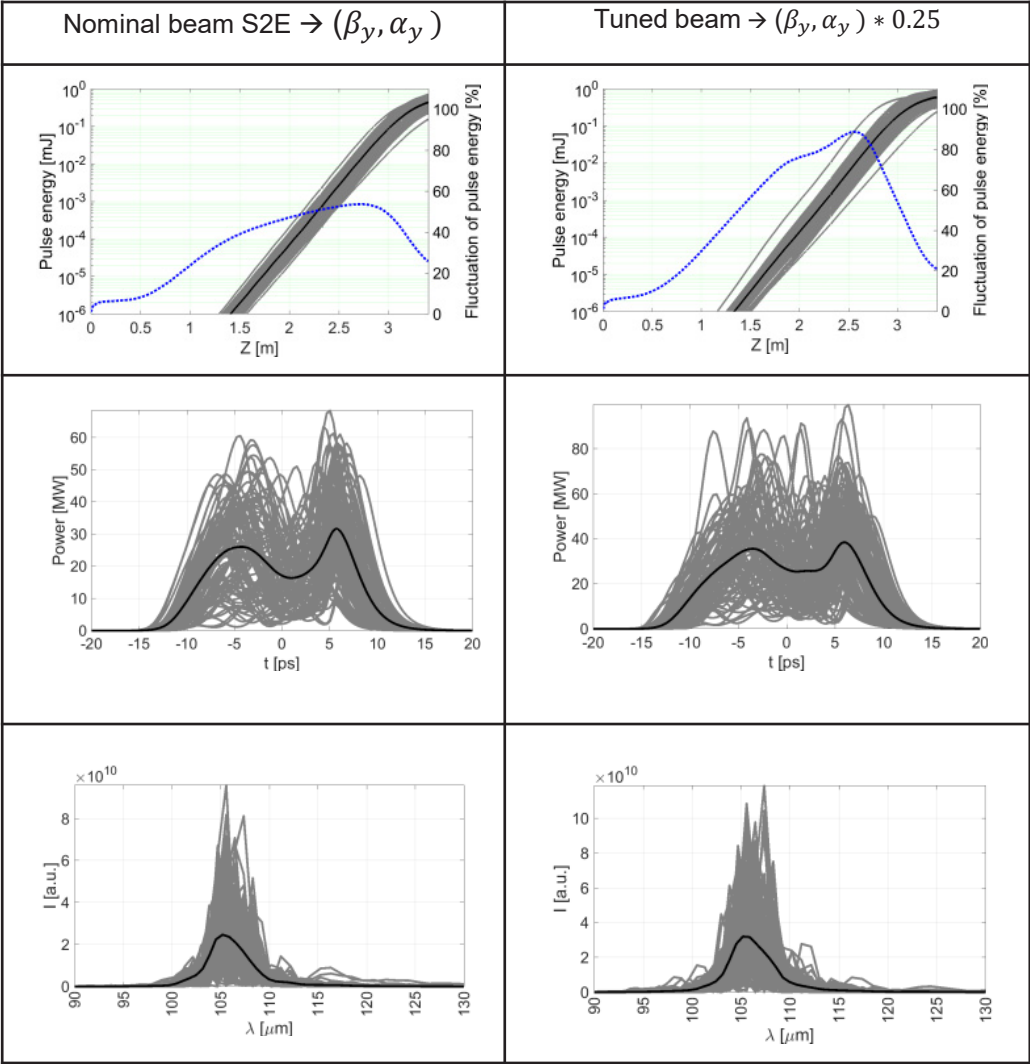
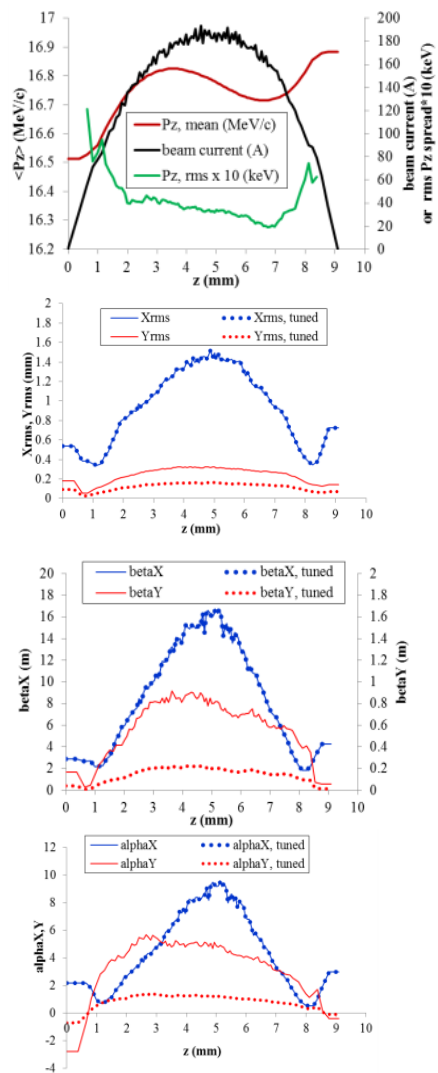
# Beam at undulator entrance

ASTRA monitors at  $z=27.15\text{m}$  → input for GENESIS 1.3 simulations



# GENESIS 1.3 Simulations

ASTRA at 27.15m + tuning (scaling) → GENESIS1.3 Simulations



Parameter	Nominal beam $(\beta_y, \alpha_y)$	Tuned beam $0.25(\beta_y, \alpha_y)$
Pulse energy (mJ)	$0.44 \pm 0.11$	$0.60 \pm 0.13$
Peak power (MW)	$43.0 \pm 10.2$	$58.5 \pm 14.3$
Pulse duration (ps)	$5.6 \pm 0.7$	$5.7 \pm 0.7$
Arrival rms time jitter (ps)	1.7	1.4
Centre wavelength ( $\mu\text{m}$ )	106.5	106.8
Spectrum FWHM width ( $\mu\text{m}$ )	4.5	4.8

- GENESIS model:
- Only fundamental mode( $\lambda_u=3\text{cm}$ ) of one undulator
  - No waveguide effect (vacuum chamber) included

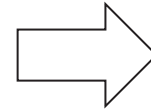


# Conclusions and outlook

## Star-to-End simulations for the proof-of-principle experiment for SASE THz FEL at PITZ using LCLS-I undulator

### ■ PITZ Setup for THz SASE FEL:

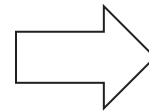
- Gun: 60MV/m, 0deg
- Photocathode laser: Ø5mm, 21.5ps FWHM, 4nC
- CDS booster setup: 12.6MV/m, -24deg → 16.7MeV/c + min dE@~undulator
- Main solenoid:  $\text{MaxB}(1) = -0.21285\text{T}$  (~365A) →  $\epsilon_{xy}(\text{EMSY1}) \sim 4 \text{ mm mrad}$
- Transport: 3 quad. triplets → transport through the tunnel wall (1.5m)
- Transport: +1 quad triplet to match into undulator



- Refine (improve) preliminary optimum solution:
  - Realistic PC laser parameters Ø3-4mm, other temporal profiles, core+halo (using experimental data)
  - Other imperfections (photoemission, asymmetry)
  - Flat beam option?
- Transport with less quads?
- Collimator?
- Scale / re-optimize setup for  $\lambda_{\text{rad}} = 50\text{-}60\mu\text{m}$

### ■ Undulator field:

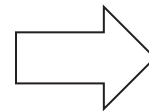
- Based on measured profile  $B_y(z, 0, 0)$
- Treated (improved) profile to minimize field integrals
- 3D field map reconstructed → CST and ASTRA



- Undulator error, tolerances
- Implement horizontal gradient
- ...

### ■ Tracking beam through the undulator:

- On-axis reference particle: CST Trk ↔ ASTRA with 3D field map
- Off-axis reference particle in ASTRA to find initial guess for matching
- 4nC beam by ASTRA (with space charge\*) → matching found

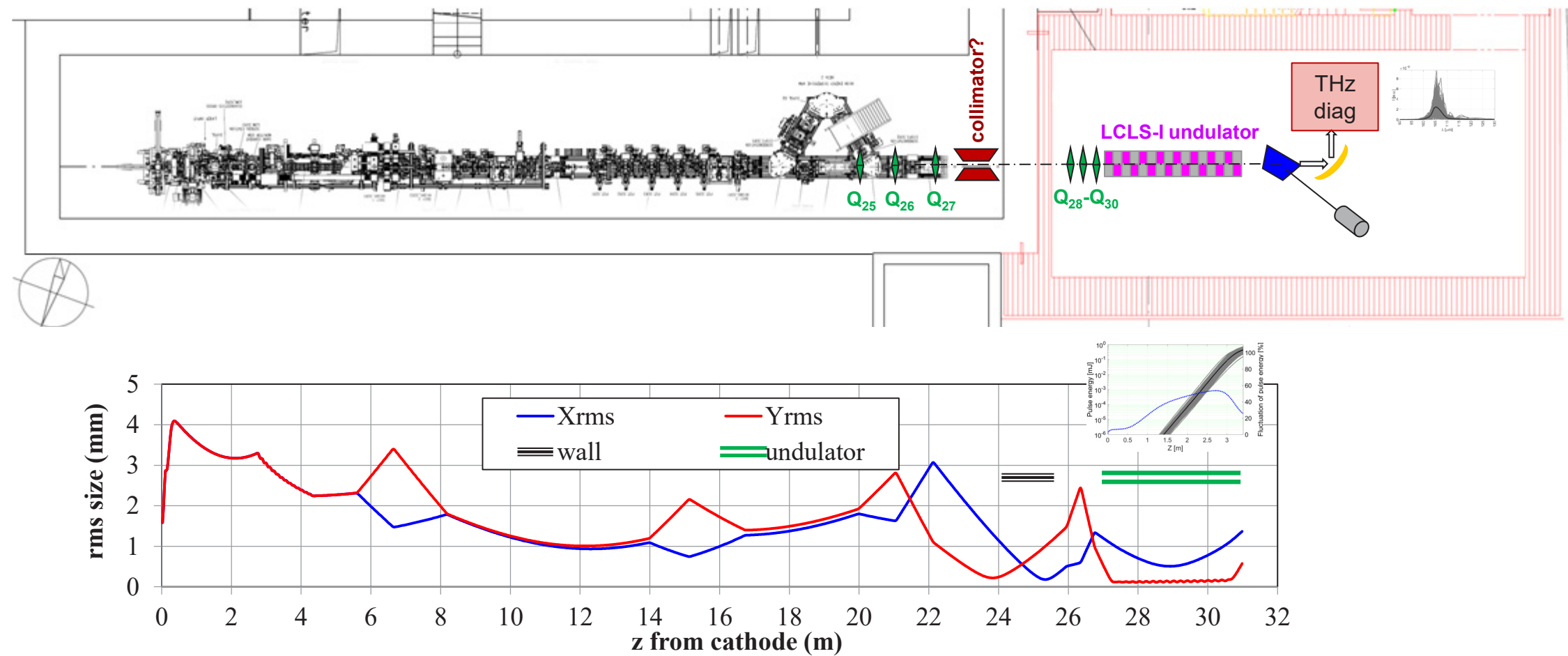


- “Full physics” FEL code?
- Waveguide effects
- Space charge effects
- Wakefields?
- Tolerances on the input beam (imperfections)
- ...

- GENESIS simulations with s2e electron beam  
→ ~440uJ (up to 600uJ by  $\beta_y$ - $\alpha_y$ -tuning) at  $\lambda_{\text{rad}} \sim 100\mu\text{m}$

# Planned installation of LCLS-I undulators in PITZ tunnel annex

To use for proof-of-principle experiments at PITZ



# Backup slides

# SASE FEL with LCLS-I Undulator at PITZ

Estimations of parameters (theory) for  $\lambda_{\text{rad}} \approx 100 \mu\text{m}$

e-beam

parameter	value
Energy, $E_0$	16.65 MeV
$\gamma$	32.6
$\sigma_E$	70 keV
$\langle \sigma_x \rangle$	1..0.5..1 mm
$\langle \sigma_y \rangle$	0.2 mm
charge	4 nC
$I_{\text{peak}}$	190 A
$\epsilon_{n,x,y}$	4 mm mrad
$\beta_x$	8 m
$\beta_y$	0.3 m

FEL radiation

parameter	value
$\lambda_{\text{rad}}$	105 $\mu\text{m}$
Q	0.43
$A_{JJ}$	0.74
$\theta_l$	0.11
$\gamma_l$	12.0
$\Gamma$	5.4 $\text{m}^{-1}$
$\Gamma^{-1}$	0.19 m

$$Q = \frac{K^2}{4 + 2K^2}$$
$$A_{JJ} = J_0(Q) - J_1(Q)$$
$$\theta_l = K/\gamma$$
$$\frac{1}{\gamma_l^2} = \frac{1}{\gamma^2} + \frac{\theta_l^2}{2}$$
$$\Gamma = \sqrt{\frac{I_{\text{peak}} A_{JJ}^2 \omega^2 \theta_l^2}{2 I_A c^2 \gamma_l^2 \gamma}}$$

FEL dimensionless

parameter	value
B	0.052
$\Omega$	5.7
$\rho$	0.013
$\hat{\Lambda}_p^2$	0.41
$\hat{\Lambda}_T^2$	0.11

$$B = \frac{2\Gamma\sigma_y^2\omega}{c}$$
$$\Omega = \Gamma R_{\text{eff}}^2 \omega / c$$
$$\rho = \frac{\gamma_l^2 \Gamma}{\omega / c}$$
$$\hat{\Lambda}_p^2 = \frac{4c^2}{[\theta_l \sigma_r \omega A_{JJ}]^2}$$
$$\hat{\Lambda}_T^2 = \frac{\sigma_E^2}{[E_0 \rho]^2}$$

Undulator

parameter	value
$\lambda_u$	30 mm
K	3.585
Vacuum chamber W / H / $R_{\text{eff}}$	11 / 5 / 4.2 mm

Reference: Saldin E.L., Schneidmiller E.A., Yurkov M.V.  
“The physics of free electron lasers” - Berlin et al.:  
Springer, 2000. pp. 41-48, 258, 280, 415-416