Statistic Tests

```
File <- read.csv("BostonHousing.csv")
View(File)
shapiro.test(File$MEDV)</pre>
```

```
##
## Shapiro-Wilk normality test
##
## data: File$MEDV
## W = 0.91718, p-value = 4.941e-16
```

```
#T-Test
# 1.)
t.test(File$MEDV, mu=25, alternative="two.sided")
```

```
##
## One Sample t-test
##
## data: File$MEDV
## t = -6.0343, df = 505, p-value = 3.091e-09
## alternative hypothesis: true mean is not equal to 25
## 95 percent confidence interval:
## 21.72953 23.33608
## sample estimates:
## mean of x
## 22.53281
```

```
# 2.)
classA <-c(100,96,98,85,88,93,82,87,91,86,89)
classB <-c(100,100,99,99,98,97,75,61,59,48,77)
t.test(classA,classB)
```

```
##
## Welch Two Sample t-test
##
## data: classA and classB
## t = 1.2032, df = 11.666, p-value = 0.2528
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -6.088083 20.997174
## sample estimates:
## mean of x mean of y
## 90.45455 83.00000
```

```
t.test(classA,classB,var.equal=T)
```

```
##
## Two Sample t-test
##
## data: classA and classB
## t = 1.2032, df = 20, p-value = 0.243
## alternative hypothesis: true difference in means is not equal to 0
## 95 percent confidence interval:
## -5.46975 20.37884
## sample estimates:
## mean of x mean of y
## 90.45455 83.00000
```

```
# 3.)
#F-Test
var.test(classA,classB)
```

```
##
## F test to compare two variances
##
## data: classA and classB
## F = 0.083862, num df = 10, denom df = 10, p-value = 0.0005357
## alternative hypothesis: true ratio of variances is not equal to 1
## 95 percent confidence interval:
## 0.02256307 0.31169848
## sample estimates:
## ratio of variances
## 0.08386224
```

var.test(classA,classB,paired=TRUE)

```
##
## F test to compare two variances
##
## data: classA and classB
## F = 0.083862, num df = 10, denom df = 10, p-value = 0.0005357
## alternative hypothesis: true ratio of variances is not equal to 1
## 95 percent confidence interval:
## 0.02256307 0.31169848
## sample estimates:
## ratio of variances
## 0.08386224
```

```
# 4.)
#chisq.Test
#install.packages("MASS")
library(MASS)
tbl <- table(File$MEDV,File$CRIM)</pre>
chisq.test((tbl))
## Warning in chisq.test((tbl)): Chi-squared approximation may be incorrect
##
## Pearson's Chi-squared test
##
## data: (tbl)
## X-squared = 115133, df = 114684, p-value = 0.1742
# 4.)
DiceA <- c(4,6,17,16,8,9)
DiceB \leftarrow c(5,8,6,10,20,19)
tbl <- table(DiceA,DiceB)</pre>
tbl
        DiceB
## DiceA 5 6 8 10 19 20
      4 1 0 0 0 0 0
##
      6 0 0 1 0 0 0
##
##
      8 0 0 0 0 0 1
      9 0 0 0 0 1 0
##
      16 0 0 0 1 0 0
##
##
      17 0 1 0 0 0 0
chisq.test(tbl)
## Warning in chisq.test(tbl): Chi-squared approximation may be incorrect
   Pearson's Chi-squared test
##
## data: tbl
## X-squared = 30, df = 25, p-value = 0.2243
# 5.)
#ANOVA
#install.packages("ggplot2")
library(ggplot2)
analysis <- aov(File$MEDV ~CRIM, data=File)</pre>
summary(analysis)
```

```
#6.)
#prop.test
CriminalA <-c(266,75)
CriminalB <-c(592,154)
prop.test(CriminalA,CriminalB)</pre>
```

```
##
## 2-sample test for equality of proportions with continuity correction
##
## data: CriminalA out of CriminalB
## X-squared = 0.55588, df = 1, p-value = 0.4559
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.13030967 0.05493235
## sample estimates:
## prop 1 prop 2
## 0.4493243 0.4870130
```

```
#6.)
DoctorA <-c(40,73)
DoctorB <-c(80,87)
prop.test(DoctorA,DoctorB)
```

```
##
## 2-sample test for equality of proportions with continuity correction
##
## data: DoctorA out of DoctorB
## X-squared = 20.378, df = 1, p-value = 6.354e-06
## alternative hypothesis: two.sided
## 95 percent confidence interval:
## -0.4851168 -0.1930441
## sample estimates:
## prop 1 prop 2
## 0.5000000 0.8390805
```