

# Constructing triangles

October 20, 2013

## 1 x0a2c8d4a7e3a85b9

\*\*How many triangles can be drawn where the side length is known between two known angles?\*\*

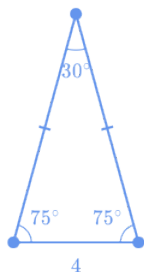
Ans None

☐ Only one

☐ More than one

**Hint 1** Let's draw an example of a triangle where the side length is known between 2 angles. Let's look at when a side of length ~~5~~ 4 is between a pair of  $75^\circ$  angles.

**Hint 2** The other two sides can be drawn at  $75^\circ$  angles and are equal in length. The sides meet at a  $30^\circ$  angle to complete the triangle.



This triangle is unique, meaning no other triangle exists ~~with exact same shape or size~~ that satisfies these conditions.

**Hint 3** ~~If~~ When the side length is known between two known angles, only one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~549fe212.. 2013-10-18~~ e08d4e9d.. 2013-10-20

## 2 x18341f6f8d24d96e

\*\*How many triangles can be drawn with side lengths 9, 12 and 15?\*\*

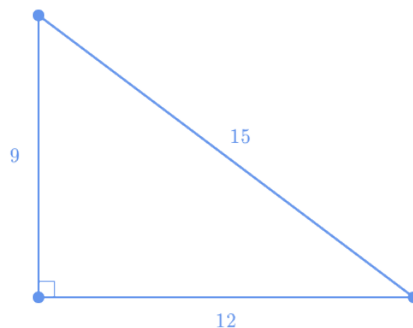
Ans None

☐ Only one

☐ More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. Can we satisfy the definition given the conditions? Let's try to draw a triangle given the conditions.

**Hint 2** In general, the longest side of a triangle must be shorter than the sum of the two other sides. Because  $9 + 12 = 21$ , the two sides 9 and 12 meet to form 2 angles with the side of length 15. ~~We can create 3 angles with the 3~~ Thus, we can create a triangle whose sides satisfy the definition of a triangle given conditions.



**Hint 3** Given the conditions, only one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~4e858421.. 2013-10-18~~ d17e39e1.. 2013-10-20

## 3 x1afa3df30210708e

\*\*Draw a triangle with side lengths  $5a$ ,  $12a$  and  $13a$  ~~where~~  $a > 0$ , where  $a$  is any positive number. \*\*

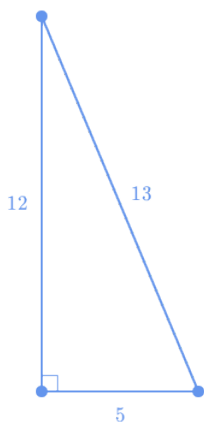
\*\*Given these criteria, is the triangle unique? \*\* [[? interactive-graph 1]]

Ans Yes

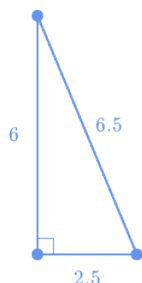
☐ No

**Hint 1** Lets start by choosing a value for  $a$  where  $a > 0$ , then we can draw a triangle with side lengths  $5a$ ,  $12a$  and  $13a$ .

**Hint 2** ~~If  $a = 1$ , then~~ Choosing  $a = 1$ , we can draw a triangle with side lengths 5, 12 and 13. This is a right triangle.

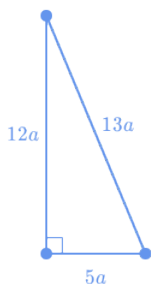


**Hint 3** ~~If  $a = 0.5$ , then~~ Choosing  $a = 0.5$ , we can draw a right triangle with side lengths 2.5, 6 and 6.5.



**Hint 4** The triangle is not unique. We can let  $a$  be any nonzero positive number and draw many triangles ~~of with~~ the same shape but different sizes.

~~**Hint 4** The triangle is not unique.~~



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~5e8d2d2a.. 2013-10-18~~ e7274d62.. 2013-10-20

## 4 x1c875467bbf94500

**\*\*Draw a triangle with side length 4 between two  $70^\circ$  angles.\*\***

**\*\*Given these criteria is the triangle unique?\*** [[? interactive-graph 1]]

**Ans** ☐ Yes  
☐ No

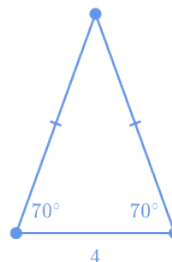
**Hint 1** Lets start by drawing the ~~length of 1 side, which we know is 4~~ side whose length is 4.

**Hint 2** From the side 4, lets draw 2  $70^\circ$  angles. Since we have 2 equal angles, we have an isosceles triangle. An isosceles triangle has at least 2 sides equal in length.

Since we have 2  $70^\circ$  angles, the third angle must be  $40^\circ$ . The sum of 3 angles in a triangle will always be  $180^\circ$ .

**Hint 3** We know the measure of 2 angles and the length of the side between the angles, so we can draw only 1 triangle.

**Hint 4** The triangle is unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~7ee6851f.. 2013-10-17~~ dd847b40.. 2013-10-20

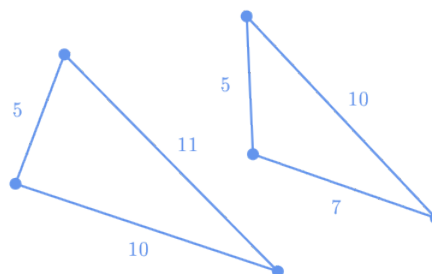
## 5 x1da87b180aca0e3d

**\*\*How many triangles can be drawn which have side lengths of 5 and 10?\***

**Ans** None  
☐ Only one  
☐ More than one

**Hint 1** We do not know the ~~measure of at least 1 angle or~~ length of the third side ~~.-~~ We so we are free to choose any length. Thus, we cannot create a unique triangle with only ~~one shape and size~~ two side lengths.

**Hint 2** We can draw many triangles with side lengths 5 and 10.



**Hint 3** If we only know 2 side lengths, more than one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~f333944e.. 2013-10-18~~ cd0bdb35.. 2013-10-20

## 6 x25470998d7b41ee4

**\*\*How many triangles can be drawn ~~where side length 2 is not between~~ which have two  $45^\circ$  angles and two sides of length 2?\*\***

**Ans** None

Only one

More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. The 3 angles always add up to  $180^\circ$ .

We have ~~2~~ two  $45^\circ$  angles. The third angle  $x$  is  $90^\circ$ :

$$180^\circ = 2 \cdot 45^\circ + x$$

$$180^\circ = 90^\circ + x$$

$$x = 180^\circ - 90^\circ$$

$$x = 90^\circ$$

$$180^\circ = 45^\circ + 45^\circ + x$$

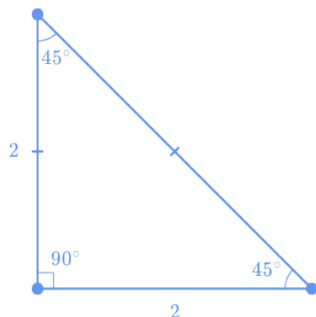
$$180^\circ = 90^\circ + x$$

$$x = 180^\circ - 90^\circ$$

$$x = 90^\circ$$

~~Let~~ The third angle  $x$  is  $90^\circ$  so let's draw a right triangle.

**Hint 2** We can draw a ~~triangle given the side length 2 is not between the 2  $45^\circ$  angles. The side length 2 is right triangle and make two of its sides of length 2. The sides with length 2 are in~~ between the  $45^\circ$  and  $90^\circ$  angles.



This triangle is unique, meaning no other triangle exists with ~~exact same shape or~~ exactly the same shape and size.

**Hint 3** Given the conditions, only one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~de27e435.. 2013-10-18~~ 5c0563e0.. 2013-10-20

## 7 x2bce84b97313fd2b

**\*\*Draw a triangle where the side length 3 is not between two angles  $31^\circ$  and  $90^\circ$ .\*\***

**\*\*Given these criteria is the triangle unique?\*\* [[? interactive-graph 1]]**

**Ans**

Yes

No

**Hint 1** Lets start by drawing a right angle which is  $90^\circ$ .

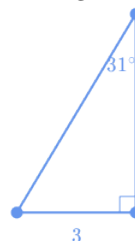
Then, let's draw the side of length 3 next to the right angle, so our base is length 3.

**Hint 2** The length of 3 is ~~not~~ between 2 angles  $31^\circ$  and  $90^\circ$ .

Since we drew the side of length 3 next to the right angle, the  $31^\circ$  angle must be \*opposite\* the side of length 3.

**Hint 3** We know the measure of 2 angles and the length of 1 side not between the angles, so we can draw only 1 triangle.

**Hint 4** The triangle is unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 1215aaf1.. 2013-10-17

## 8 x31c216ff88dad8e7

**\*\*How many triangles can ~~be drawn~~ we draw with side lengths 4, 4 and 7?\*\***

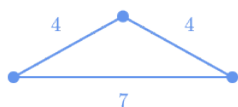
**Ans** None

Only one

More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. Can we satisfy the definition given the conditions? Let's try to draw a triangle given the conditions.

**Hint 2** In general, the longest side of a triangle must be shorter than the sum of the two other sides. Because  $4 + 4 = 8$ , the two sides 4 and 4 meet to form 2 angles with the side of length 7. We can create 3 angles with the 3 sides satisfy the definition of a triangle.



**Hint 3** Given the conditions, only one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~13a63a31.. 2013-10-18~~ 33683619.. 2013-10-20

## 9 x38cc51ab93842600

**\*\*How many triangles can be drawn with side lengths 1, 1 and 2?\***

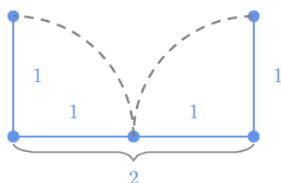
**Ans**

Only one

More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. Can we satisfy the definition given the conditions? Let's try to draw a triangle given the conditions.

**Hint 2** In general, the longest side of a triangle must be shorter than the sum of the two other sides. Because  $1 + 1 = 2$ , the two side lengths 1 and 1 cannot meet to form a third angle. We cannot create 3 angles to satisfy the definition of a triangle.



**Hint 3** Given the conditions, no triangles can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~aeb719e4.. 2013-10-18~~

## 10 x4c335bfbee0cba92

**\*\*Draw a right triangle with at least 2 ~~side-lengths-equal~~ sides of equal length.\*\***

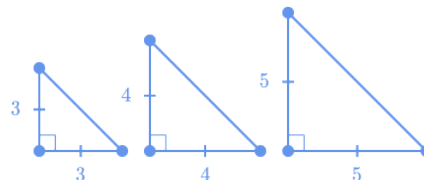
**\*\*Given these criteria is the triangle unique?\***

**Ans** Yes

**Hint 1** Lets start by drawing. A right triangle has one  $90^\circ$  angle.

A triangle with at least 2 ~~side-lengths-equal-is isoseeles~~ equal side lengths is called an isosceles triangle. We do not know the side lengths.

**Hint 2** ~~Since we are given the measures of 3 angles and do not know any side lengths, we~~ We can draw many triangles with at least right triangles with 2 side-lengths equal sides of equal length.



**Hint 3** The triangle is not unique.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~0abeb8e1.. 2013-10-18~~ 5f71c91d.. 2013-10-20

## 11 x531e157ba7c498eb

**\*\*How many triangles can be drawn where the measures of all 3 angles are ~~known~~ the same?\***

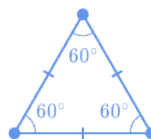
**Ans** None

Only one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. ~~Can we satisfy the definition given the conditions? What triangle or triangles would satisfy the conditions?~~

Let's try to draw a triangle where ~~we known~~ the measures of all 3 angles ~~For example, let's look at when~~ is the same.

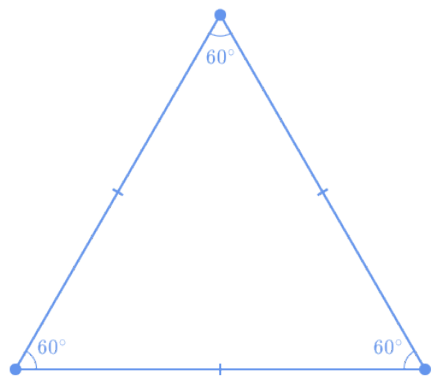
**Hint 2** The 3 angle measures in a triangle must sum to  $180^\circ$ . Because we know the measure of all 3 angles must be the same, we know all 3 angles ~~are~~ have measure  $\frac{180^\circ}{3} = 60^\circ$ .



This is an equilateral triangle.

**Hint 23** Is this triangle unique ~~, meaning do no other or do other equilateral~~ triangles exist with ~~exact same shape or a different~~ size?

**Hint 3** We can draw many equilateral triangles with the same shape but different sizes.



**Hint 4** ~~If the measures of all 3 angles are known, more~~ More than one triangle can be drawn with all 3 angles measures equal.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~30ee1d68.. 2013-10-18~~ 47228a28.. 2013-10-20

## 12 x572fecbc70b353aa

**\*\*Draw ~~an isosceles right triangle with two side lengths a~~ right triangle that is also an isosceles triangle and has two sides of length 3.\*\***

**\*\*Given these criteria is the triangle unique?\*** [[? interactive-graph 1]]

**Ans** ☐ Yes  
☒ No

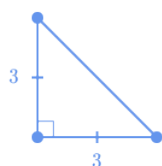
**Hint 1** Lets start by drawing. A right triangle has one 90°90° angle.

An isosceles triangle has at least 2 side lengths equal. We are given 2 side lengths both equal to 3.

**Hint 2** Let's draw 1 side length 3 as the height vertically (up and down) from the 90°90° angle. Let's draw the other side length 3 as the base horizontally (left and right) from the 90°90° angle.

**Hint 3** Since we are given the measures of 2 sides and the angle between them, we can draw only 1 triangle.

**Hint 4** The triangle is unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~2e87ab50.. 2013-10-17~~ b8c14c25.. 2013-10-20

## 13 x651844ecfaac48e9

**\*\*Draw a right triangle with two 45° angles.\*\***

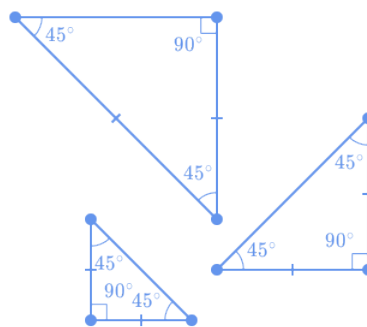
**\*\*Given these criteria is the triangle unique?\*** [[? interactive-graph 1]]

**Ans** ☒ Yes  
☐ No

**Hint 1** Lets start by drawing. A right triangle has one 90°90° angle.

~~We have~~ The triangle we want is an isosceles right triangle. An isosceles right triangle has ~~at least 2 side lengths equal and 2 45° two 45°~~ two 45° angles.

**Hint 2** We know the measure of all 3 angles but not the length of any side. ~~We Therefore, we~~ can draw many triangles of various sizes all with a pair of 45°45° angles.



**Hint 3** The triangle is not unique.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~85d97ee1.. 2013-10-17~~ 525a66e3.. 2013-10-20

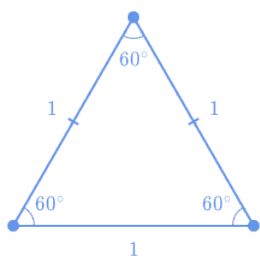
## 14 x6763ceb1ec0ceb41

**\*\*How many triangles can be drawn where the lengths of all 3 sides are ~~known~~ equal to 1?\*\***

**Ans** ☒ None  
☐ Only one  
☐ More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. ~~Can we satisfy the definition given the~~ Is there a triangle or triangles that satisfy the conditions? Let's try to draw a triangle ~~where we known the lengths of all 3 sides. with all side lengths equal to 1.~~

**Hint 2** ~~For example, let's look at when all side lengths are 1. We have~~ The result is an equilateral triangle with equal ~~sides~~ side lengths and equal angles measures.



This triangle is unique, meaning no other triangle exists ~~with exact same shape or size~~ that has all sides equal to 1.

**Hint 3** If in general, if the lengths of all 3 sides are known, only one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~def3450f.. 2013-10-18~~ ca634aaf.. 2013-10-20

## 15 x67ee6010588311f2

**\*\*How many triangles can be drawn with side lengths 4, 6 and 10?\***

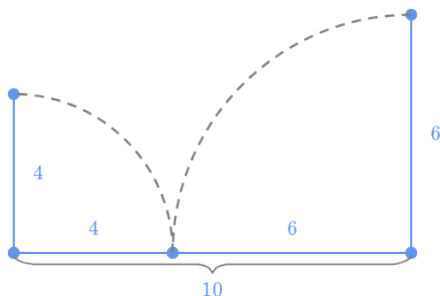
**Ans**

Only one

More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. Can we satisfy the definition given the conditions? Let's try to draw a triangle given the conditions.

**Hint 2** In general, the longest side of a triangle must be shorter than the sum of the two other sides. Because  $4 + 6 = 10$ , the two sides 4 and 6 cannot meet to form a third angle. We cannot create 3 angles to satisfy the definition of a triangle.



**Hint 3** Given the conditions, no triangles can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 9421cd19.. 2013-10-18

## 16 x67fd10caf4f54df2

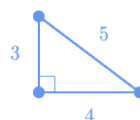
**\*\*Draw a triangle with side lengths  $3a$ ,  $4a$  and  $5a$  where  $a > 0$ , where  $a$  is any positive number.\*\*\***

**\*\*Given these criteria is the triangle unique?\*** [[? interactive-graph 1]]

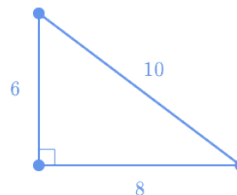
**Ans**

**Hint 1** Lets start by choosing a value for  $a$  where  $a > 0$ , then we can draw a triangle with side lengths  $3a$ ,  $4a$  and  $5a$ .

**Hint 2** If  $a = 1$ , then we can draw a triangle with side lengths 3, 4 and 5. This is a right triangle.

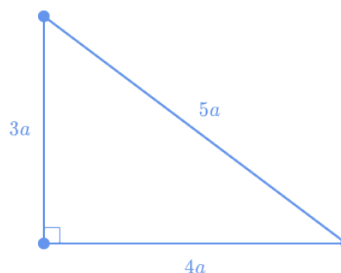


**Hint 3** If  $a = 2$ , then we can draw a right triangle with side lengths 6, 8 and 10.



We can let  $a$  be any ~~nonzero~~ positive number and draw many triangles of same shape but different sizes.

**Hint 4** The triangle is not unique. Multiple triangles satisfy the conditions.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~196bee1a.. 2013-10-18~~ 95e0a049.. 2013-10-20

## 17 x6d7be6276bcb5815

**\*\*Draw a right triangle with a height of 4 and base of 5.\*\*\***

**\*\*Given these criteria is the triangle unique?\*** [[? interactive-graph 1]]

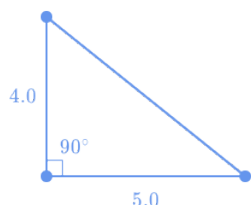
**Ans**

**Hint 1** Lets start by drawing. A right triangle has a  $90^\circ$  angle.

The height of length 4 is drawn vertically (up and down) from the  $90^\circ$  angle. The base of length 5 is drawn horizontally (left and right) from the  $90^\circ$  angle.

**Hint 2** Since we are given the measures of 2 sides and the angle between them, we can draw only 1 triangle.

**Hint 3** The triangle is unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~ef653e34.. 2013-10-17~~ [41522448.. 2013-10-20](#)

## 18 x72d893d1e3229dfd

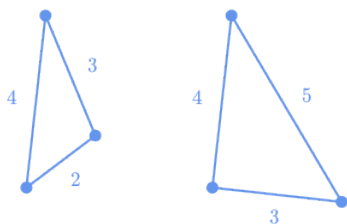
**\*\*How many triangles can be drawn side lengths of we draw with side lengths 3 and 4?\***

**Ans** None

Only one

More than one

**Hint 1** We can draw many triangles with side lengths 3 and 4.



**Hint 2** Without knowing at least 1 angle measure, we cannot create a unique triangle with ~~only one shape and size.~~

**Hint 2** ~~We can draw many triangles with side lengths 3 and 4~~ side lengths 3 and 4.

**Hint 3** If we only know ~~1 angle and 1 side length~~ 2 side lengths, more than one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~58e104be.. 2013-10-18~~ [af92749c.. 2013-10-20](#)

## 19 x892857b71e427c39

**\*\*How many triangles can be drawn with angles  $60^\circ$ ,  $60^\circ$  and  $70^\circ$ ?\***

**Ans**

Only one

More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. ~~The 3 angles always add up to~~ In a triangle, the sum of the three angle measures is  $180^\circ$ .

**Hint 2** Let's add together the angles ~~angles~~ measures  $60^\circ$ ,  $60^\circ$  and  $70^\circ$ :

$$\begin{aligned}\text{sum of angle measures} &= 60^\circ + 60^\circ + 70^\circ \\ &= 120^\circ + 70^\circ \\ &= 190^\circ \\ &> 180^\circ\end{aligned}$$

The ~~sum of the 3 angles sum up to a value~~ angle measures is greater than  $180^\circ$ .

**Hint 3** ~~Given the conditions, no triangles~~ No triangle can be drawn ~~that satisfies the given conditions.~~

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~be3efef4.. 2013-10-18~~ [88ce2f2f.. 2013-10-20](#)

## 20 xb9aa47b3de982d55

**\*\*Draw an isosceles triangle with two  $70^\circ$  angles.\*\***

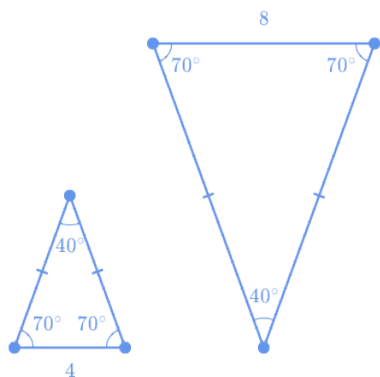
**\*\*Given these criteria is the triangle unique?\*** [[? interactive-graph 1]]

**Ans** Yes

**Hint 1** Lets start by drawing an isosceles triangle with 2  $70^\circ$  angles. An isosceles triangle has at least 2 side lengths equal and 2 angles equal.

**Hint 2** We do not know the side lengths, so we can draw many triangles.

**Hint 3** The triangle is not unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 3bc9edc0.. 2013-10-18

## 21 xbd061a8700fced6c

**\*\*How many right triangles can be drawn with angles  $40^\circ$  and  $60^\circ$ ?\*\***

**Ans**

Only one

More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. ~~The 3 angles always add up to~~ In a triangle, the sum of the three angle measures is  $180^\circ$ .

A right triangle has a  $90^\circ$  angle.

**Hint 2** Let's add together the ~~angles-angles-angle measures~~  $40^\circ$ ,  $60^\circ$  and  $90^\circ$ :

$$\therefore = 40^\circ + 60^\circ + 90^\circ$$

$$= 190^\circ$$

$$> 180^\circ$$

$$\text{sum of angle measures} = 40^\circ + 60^\circ + 90^\circ$$

$$= 190^\circ$$

$$> 180^\circ$$

The sum of the 3 angles ~~sum-up-to-a-value-is~~ greater than  $180^\circ$ .

**Hint 3** ~~Given the conditions, no triangles~~ No triangle can be drawn that satisfies the given conditions.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~aabe8e4a.. 2013-10-18~~ 69a54880.. 2013-10-20

## 22 xc001c788d01d9e5f

**\*\*Draw a triangle where side length 4 is not between two angles  $58^\circ$  and  $90^\circ$ .\*\***

**\*\*Given these criteria is the triangle unique?\***

**Ans**

No

**Hint 1** Lets start by drawing a right angle which is  $90^\circ$ .

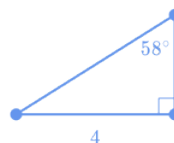
Then, let's draw the side of length 4 next to the right angle, so our base has a length of 4.

**Hint 2** The side of length 4 is **not** between 2 angles  $58^\circ$  and  $90^\circ$ .

Since we drew the side of length 4 next to the right angle, the  $58^\circ$  angle must be *opposite* the side of length 4.

**Hint 3** We know the measure of 2 angles and the length of 1 side not between the angles, so we can draw only 1 triangle.

**Hint 4** The triangle is unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 9534c031.. 2013-10-17

## 23 xc256611ab7d92e83

**\*\*Draw a triangle with side length 5 between two  $58^\circ$  angles.\*\***

**\*\*Given these criteria is the triangle unique?\***

**Ans**

No

**Hint 1** Lets start by drawing the length of 1 side, which we know is 5.

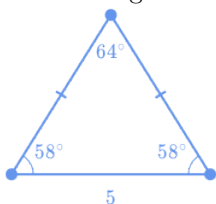
**Hint 2** From the side 5, lets draw 2  $58^\circ$  angles. Since we have 2 equal angles, we have an isosceles triangle. An isosceles triangle has at least 2 sides equal in length.

Since we have 2  $58^\circ$  angles, the third angle must be  $64^\circ$ . The sum of 3 angles in a triangle will always be  $180^\circ$ .

**Hint 3** We know the measure of 2 angles and the length of the side between the angles, so we can draw only 1 triangle.



**Hint 4** The triangle is unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 5ba2ed08.. 2013-10-17

## 24 xc40b1278855716df

**\*\*Draw a triangle with side lengths 3, 4 and 5.\*\***

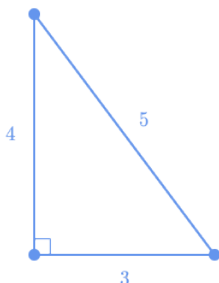
**\*\*Given these criteria is the triangle unique?\*** ☐ interactive-graph 1]]

**Ans** ☐ Yes  
☐ No

**Hint 1** Lets start by drawing. We know the lengths of all 3 sides. How many triangles can we draw?

**Hint 2** The triangle with side lengths 3, 4 and 5 is a right triangle. Since we are given the measures of 3 sides, we can draw only 1 triangle.

**Hint 3** The triangle is unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** b5262e6e.. 2013-10-17

## 25 xcfae18d2af4efa34

**\*\*Draw an obtuse triangle with angles 45°, 35° and 100°.\*\***

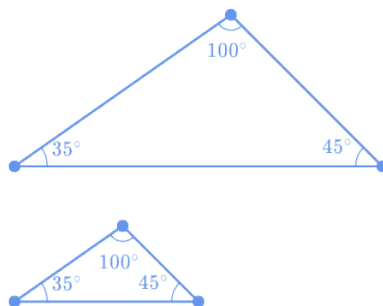
**\*\*Given these criteria is the triangle unique?\*** ☐ interactive-graph 1]]

**Ans** ☐ Yes  
☐ No

**Hint 1** Lets start by drawing. While keeping 1-angle-one angle constant, we can change the side lengths to create 1-one of the other 2-two angles.

For example, while keeping a 45° angle, we can change the side lengths to create the 35° angle. The final-angle will be-third angle will have measure 100°.

**Hint 2** We know the measure of 3 angles but not the length of any side. We can therefore draw many triangles of the same shape but with different sizes.



**Hint 3** The triangle is not unique.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 040283a2.. 2013-10-18-71b1e27f.. 2013-10-20

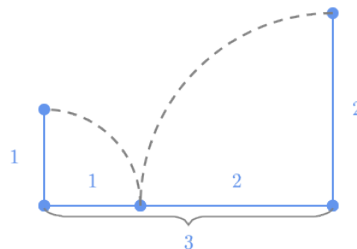
## 26 xdba9a2b900c8bbcd

**\*\*How many triangles can be drawn with side lengths 1, 2 and 3?\***

**Ans** ☐ None  
☐ Only one  
☐ More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. Can we satisfy the definition given the conditions? Let's try to draw a triangle given the conditions.

**Hint 2** In general, the longest side of a triangle must be shorter than the sum of the two other sides. Because  $1+2=3$ , the two sides 1 and 2 cannot meet to form a third angle. We cannot create 3 angles to satisfy the definition of a triangle.



**Hint 3** Given the conditions, no triangles can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 2feadc91.. 2013-10-18

## 27 xe06107bc78ca0b3c

**\*\*How many triangles can ~~be drawn~~ we draw with angles  $30^\circ$ ,  $50^\circ$  and  $100^\circ$ ?\*\***

**Ans** None

Only one

More than one

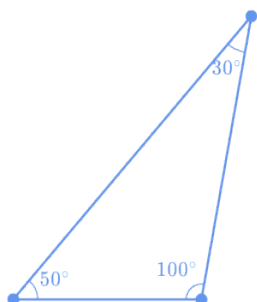
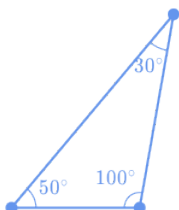
**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles. The 3 angles ~~always measures must~~ add up to  $180^\circ$ . Let's add together the angles  $30^\circ$ ,  $50^\circ$  and  $100^\circ$ :

$$\begin{aligned} &= 30^\circ + 50^\circ + 180^\circ \\ &= 180^\circ \end{aligned}$$

$$\begin{aligned} \text{total angle measure} &= 30^\circ + 50^\circ + 180^\circ \\ &= 180^\circ \end{aligned}$$

So, at least 1 triangle exists. Let's ~~start by drawing~~ draw it.

**Hint 2** We know the measure of 3 angles but not the length of any side. We can draw many triangles with the same shape but different sizes.



**Hint 3** ~~If~~ When only the measures of all 3 angles are known, more than one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 99af1276.. 2013-10-18 089fe1ab.. 2013-10-20

## 28 xe937d430ba8d75d8

**\*\*How many triangles can ~~be drawn with one~~ we draw that have one angle measure equal to  $45^\circ$  and a side length of one side of length 5?\***

**Ans** None

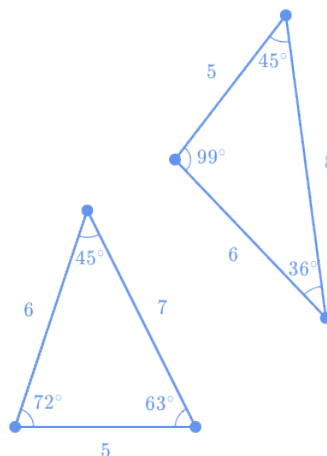
Only one

More than one

**Hint 1** A triangle is a plane figure with 3 straight sides and 3 angles.

The 3 angles measures always add up to  $180^\circ$ . We only know 1 angle is  $45^\circ$ . We can't find the measures of the other 2 angles.

**Hint 2** We know the length of only 1 side is 5. Depending if we place the side of length 5 next to or across from the  $45^\circ$  angle, we can draw many triangles with different shapes and different sizes.



**Hint 3** If we only know 1 angle and 1 side length, more than one triangle can be drawn.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** 82a35698.. 2013-10-18 ba0688a0.. 2013-10-20

## 29 xf51994a651ca1d7f

**\*\*Draw a triangle with angles  $30^\circ$ ,  $50^\circ$  and  $100^\circ$ .\*\***

**\*\*Given these criteria is the triangle unique?\*** [[? interactive-graph 1]]

**Ans** Yes

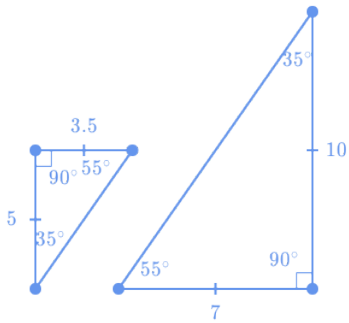
No

**Hint 1** Lets start by drawing. While keeping 1 angle, we can change the side lengths to create 1 of the other 2 angles.

While keeping a  $100^\circ$  angle, we can change the side lengths to create the  $50^\circ$  angle. The final angle will be  $30^\circ$ .

**Hint 2** We know the measure of 3 angles but not the length of any side. We can draw many triangles of same shape but different sizes.

**Hint 3** The triangle is not unique.



**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ac2e7f53.. 2013-10-18

### 30 xf9872931929ac56c

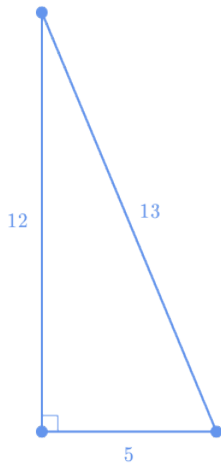
**\*\*Draw a triangle with side lengths 5, 12 and 13.\*\***

**\*\*Given these criteria is the triangle unique?\*** [[? interactive-graph 1]]

**Ans** ☒ Yes  
No

**Hint 1** Lets start by drawing. We know the lengths of all 3 sides. How many triangles can we draw?

**Hint 2** Since we are given the ~~measures of lengths of all~~ 3 sides, we can draw only ~~1 triangle. The~~ one triangle.



Note the triangle with side lengths 5, 12 and 13 is a right triangle.

**Hint 3** The triangle is unique.

**Tags:** Constructing triangles, CC.7.G.A.2

**Version:** ~~18374b72.. 2013-10-17~~ 81990b3f.. 2013-10-20