point estimate (京 or 台, critical value: Z-Score, standard error: 贵, 堂 = 1- Clevel Sample size =  $n = (\frac{z \cdot \theta}{m})^2$ , margin of error = (critical value) (standard error) Cinterval: &-m < u < x+m 分-M< p< 分+M

## construct confidence interval

Known 0

z-method: (Zinterval)

Zoz = invNorm (Clevel, O, 1, center)

m= zn·箭

UNKNOWN 8 T-method: (Tinterval) toz = invT ( 1- 1/2 , N-1) m = toz · Jn C-interval for proportion > (1 prop Z Int)  $\hat{P} = \frac{\hat{x}}{n}$   $z_{d_2} = \frac{\hat{x}}{n}$   $z_{d_2} = \frac{\hat{x}}{n}$  $m = Z_{d/2} \cdot \frac{\hat{p}(1-\hat{p})}{n}$  $\Lambda = \hat{P}(1-\hat{P})(\frac{z_{d_2}}{m})^2 \text{ or } 0.25(\frac{z_{d_2}}{m})^2$ 

critical values using chi-square?

X1-3=(1-3, 4)

2号=(号,df)

C-interval for population 8 is  $\frac{(n-1) S^{2}}{\sum_{n=1}^{\infty} S^{2}} < 0 < \sqrt{\frac{(n-1) S^{2}}{N^{2}}}$   $\frac{Q}{2} = \frac{1 - (c - |evel7}{2}$ 

null hypothesis: Ho: M = M.

alternate hypothesis: Hi: M< Mo, M>Mo, M ≠ Mo.

level of significance: d = 0.05 ( if not mentioned)

Type I error: reject Ho when Ho is true (p > d)

Type I error: do not reject the when the is false (p < a)

If p < d , reject Ho . Not enough evidence IFP > d , do not reject Ho . Enough evidence smaller p is , stronger against H.

## Hupothesis test

Known O

z-test:

Test statistic:  $z = \frac{x - y_0}{2}$ 

 $p-value = -\infty$  z tea-tailed p=normalcof(Z, M, 0, 1) right-tailed

P = 2 · normalcof (Z, 10,0,1) +wo-tailed

uthknown o

est statistic:  $t = \frac{\bar{x} - \lambda o}{(\frac{2}{n})}$ 

b-value:  $-\infty + left-tailed$   $b=tcdf(t,\infty,n-1)$  right-tailed

z·tcdf(t,00,n-1) two-tailed

Hypothesis test for proportion

Ho: p = po

H1: P < po, P > Po, P ≠ Po

Test startistic:  $Z = \frac{\hat{p} - p_0}{p_0(1-p_0)}$ 

p-value = normal cdf (z, M, 0, 1) right-tailed z. normaladf (Z, M, O, 1) two-tailed

Ho: M1 = M2

H1: 11 < 112, 11 > 112, 11 + 112

standard error of  $\bar{\chi}_1 - \bar{\chi}_2 = \underbrace{\left[\frac{S_1^2}{n} + \frac{S_2^2}{n}\right]}_{n}$ 

degree of freedom: smaller of ni-1 and nz-1

Two means: Independent samples

2 - SampTTest ?

Test statistic:  $t = \frac{(\bar{X}_1 - \bar{X}_2) - (\mathcal{U}_1 - \mathcal{U}_2)}{\sqrt{\frac{S_1^2}{n_1} + \frac{S_2^2}{n_2}}}$ 

p-value = p = tcdf (z, x, df) right-tailed z. todf (z, M, df) two-tailed

Ho : P1 = P2

H1: P1 < p2, P3 P2, P1 # P2

mean =  $p_1 - p_2$ , standard deviation =  $\frac{p_1(1-p_2)}{p_1} + \frac{p_2(1-p_2)}{p_2}$ 

, standard error =  $\frac{\hat{p}(1-\hat{p})}{n_1} + \frac{\hat{p}(1-\hat{p})}{n_2} = \sqrt{\hat{p}(1-\hat{p})\left(\frac{1}{n_1} + \frac{1}{n_2}\right)}$ 

TWO proportions z-propztest: Test statistic:  $z = \frac{(\hat{p}_1 - \hat{p}_2)}{\hat{p}_{(1-\hat{p}_1)}(\frac{1}{n_1} + \frac{1}{n_2})}$ P-value = P = normal adf (z, 10,0,1) right-tailed

matched pairs: dependent samples

 $d = \bar{\chi}_1 - \bar{\chi}_2$ 

d = mean of d

Ho: Md = 0

H1: M1 < 0, M1>0, M1 ≠0

Two means : paired samples

TTest:

Test statistic:  $t = \frac{\overline{d} - u \sqrt{clust 0}}{(\sqrt{ln_x})}$ 

p-value: p = +cdf(z, 10, nd-1)

Assumptions: SRS and n. > 30 or normally distributed

Assumptions for proportion: SRS, population > 20·n, cotegories = 2

and each categories > 10