point estimate  $= \sqrt{x}$  or  $\frac{x}{r}$ , critical value  $= \frac{x}{r}$ -score, standard error  $= \frac{9}{2}$ ,  $\frac{9}{2} = \frac{1-\frac{9}{2}}{2}$ , Sample size  $= n = (\frac{x}{r}, \frac{9}{r})^2$ , margin of error  $= (\frac{x}{r$ Cinterval: x-m < u < x+m 户-M< P< 分+M Construct Confidence interval Known 8 C-interval for proportion = (1 prop 2 Int) WHANOWN D z-method: (Zinterval) T-method: (Tinterval) Zoz = invNorm (c-level, 0,1, center) Zaz = invNorm (C-level, O, 1, center) toz = INT ( 1-9/2, N-1) m = toz. Jn m = Zd/2 ( ) (1-2) m= 2%·前  $\Omega = \hat{P} \left( 1 - \hat{P} \right) \left( \frac{Z_{d_2}}{m} \right)^2 \text{ or } 0.25 \left( \frac{Z_{d_2}}{m} \right)^2$ critical values using chi-square: C-interval for population 8 is Ving = (1-号, H)  $\frac{(n-1) S^{z}}{\chi^{z}_{\mathcal{O}_{1/2}}} < \emptyset < \sqrt{\frac{(n-1) S^{z}}{\chi^{z}_{1-\mathcal{O}_{1/2}}}}$ 2=(号,df) null hypothesis: Ho: M= M. IF p < d, reject Ho . Not enough evidence alternate hypothesis: Hi: M< No, M>Mo, M ≠ No. IFP > A , do not reject Ho. Enough evidence level of significance: d = 0.05 ( if not mentioned) smaller p is , stronger against H. Type I error: reject Ho when Ho is true (p > d) Type I error: do not reject the when the is false (p < 1) Hupothesis test Known 0 unknown o Hypothesis test for proportion z-test: Ho: p = po PSt Statisfic:  $t = \frac{\bar{x} - u_0}{(\frac{2}{\bar{n}_0})}$ Test statistic:  $z = \frac{\sqrt{x} - 1/0}{(\frac{9}{100})}$ H1> P < po, p> po, p≠ po I Prop ZTest Test stortistic ; Z =  $p = normalcof(Z, \omega, 0, 1)$  right—tailed  $0 = tcdf(t, \infty, n-1)$  right-tailed P = 2 · normalcof (Z, 10,0,1) +wo-tailed z·tcdf(t, no, n-1) two-tailed p-value = normal cdf (z, M, O, 1) tight-tailed z. normaled (Z, M, O, 1) two-tailed Ho: M1 = M2 Two means: Independent samples  $H_1$ :  $M_1 < M_2$ ,  $M_1 > M_2$ ,  $M_1 \neq M_2$ standard error of  $\bar{\chi}_1 - \bar{\chi}_2 = \int \frac{S_1^2}{\Pi_1} + \frac{S_2^2}{\Pi_2}$ 2 - SampTTest? Test statistic =  $t = \frac{(\bar{\chi}_1 - \bar{\chi}_2) - (\mathcal{U}_1 - \mathcal{U}_2)}{\sqrt{\frac{z_1^z}{N_1} + \frac{z_1^z}{N_2}}}$ degree of freedom: smaller of ni-1 and nz-1 -M Z left-tailed P-value = p = tcdf (Z, M, df> right-tailed z. todf (z, M, df) two-tailed Two proportions Ho : P1 = P2 z-propztest = HI! PI < P2, P3 P2, P1 # P2 Test statistic:  $z = \frac{(\hat{p}_1 - \hat{p}_2)}{|\hat{p}_1 - \hat{p}_2|}$ mean =  $p_1 - p_2$ , standard deviation =  $\frac{p_1((-p_1) + p_2(1-p_2)}{n_1}$ p-value = p = normal p-value = p = normal p-value = p = normal p-value = p = p-value = p-valu Two means : paired samples matched pairs: dependent samples T Test ?  $d = \bar{\chi}_1 - \bar{\chi}_2$ Test statistic:  $t = \frac{\overline{d} - u_0^{\text{callook 0}}}{(\frac{\overline{S}_0}{\overline{M}_a})}$ d = mean of d

Assumptions: SRS and n > 30 or normally distributed Assumption for proportion: SRS , population  $\geq$  20 · n., categories = 2 and each categories > 10

p-value: p = +cdf(z, m, nd-1)

Ho: Ud = 0

H1: M3 <0, M3 >0, M3 =0