Reference Solution for PA 2

Alexander Rush

1 Introduction

This document describes the reference solution in Python for Programming Assignment 2. It is meant as a teaching aid for students taking the class who have completed the assignment. Please do not distribute this document to students taking the class in future sessions or post outside of the Coursera forums. Doing so will be considered a violation of the honor code.

We begin with the imports necessary for the program.

```
from __future__ import division
import sys, json
```

2 Managing the PCFG

In the first section we provide scaffolding for the PCFG. First we read in the counts from a file handle and group them into dictionaries. Next we define the maximum-likelihood estimates based on these counts. Finally we specify RARE words based on the counts.

```
class PCFG:
   "Store the counts from a corpus."

def __init__(self, nonterms, bin_rules, unary_rules, words):
   "Initialize the PCFG."
   self.nonterms = dict(nonterms)
   self.bin_rules = dict(bin_rules)
   self.unary_rules = dict(unary_rules)
   self.words = words

# Set up binary rule table.
   self.bin_rule_table = {}
   for (a, b, c), count in bin_rules:
        self.bin_rule_table.setdefault(a, [])
        self.bin_rule_table[a].append((b, c))

def has_unary_rule(self, nonterm, word):
   "Does the grammar have this unary rule?"
```

```
return (nonterm, word) in self.unary_rules
def nonterminals(self):
  "Returns the list of nonterminals."
  return self.nonterms.keys()
def rules(self, a):
  "Returns all the binary rules of the form a -> b c."
  return [(a, b, c) for b, c in self.bin_rule_table.get(a, [])]
def binary_rule_prob(self, rule):
  "Probability of a binary rule."
  return self.bin_rules[rule] / self.nonterms[rule[0]]
def unary_rule_prob(self, rule):
  "Probability of a unary rule."
  return self.unary_rules[rule] / self.nonterms[rule[0]]
def is_rare_word(self, word):
  "Is a word rare in this PCFG."
 return self.words.get(word, 0) < 5
Ostaticmethod
def from_handle(handle):
  "Read the rules from a file handle."
  nonterms = []
  bin_rules = []
  unary_rules = []
  words = {}
  for 1 in handle:
    t = 1.strip().split()
    count = float(t[0])
    if t[1] == "NONTERMINAL":
      nonterms.append((t[2], count))
    if t[1] == "BINARYRULE":
      bin_rules.append(((t[2], t[3], t[4]), count))
    if t[1] == "UNARYRULE":
      unary_rules.append(((t[2], t[3]), count))
      words.setdefault(t[3], 0)
      words[t[3]] += count
  return PCFG(nonterms, bin_rules, unary_rules, words)
```

3 Replacing RARE Words

The first question asks us to go through the trees and replace the rare words with _RARE_. The trick to this question is first converting into tree format and then traversing to the leaves of the tree before replacing words. We do this by writing a recursive function.

```
def replace_rare_words(pcfg, tree):
    "Mutate tree to replace rare words."
    if len(tree) == 3:
        replace_rare_words(pcfg, tree[1])
        replace_rare_words(pcfg, tree[2])
    elif len(tree) == 2:
        if pcfg.is_rare_word(tree[1]): tree[1] = "_RARE_"
```

4 The CKY Algorithm

Sections 2 and 3 focus on the CKY algorithm. Before giving the algorithm we first reintroduce the argmax helper from PA1.

```
def argmax(ls):
    "Compute the argmax of a list (item, score) pairs."
    if not ls: return None, 0.0
    return max(ls, key = lambda x: x[1])
```

The CKY algorithm should look very similar to the algorithm given in the class notes. We add two optimizations to speed things up.

- 1. We only consider rules $X \to Y Z$ that are seen in training.
- 2. We prune elements of π that have zero probability.

```
def CKY(pcfg, sentence):
 "Run the CKY algorithm."
 # Define variables to have the same names as notes.
 n = len(sentence)
 N = pcfg.nonterminals()
 x = [""] + sentence
 def q1(X, Y): return pcfg.unary_rule_prob((X, Y))
 def q2(X, Y, Z): return pcfg.binary_rule_prob((X, Y, Z))
 pi = \{\}
 bp = \{\}
  # Initialize the chart.
 for i in range(1, n + 1):
    for X in N:
      if pcfg.has_unary_rule(X, x[i]):
        pi[i, i, X] = q1(X, x[i])
        bp[i, i, X] = (X, x[i], i, i)
  # Dynamic program.
 for 1 in range(1, n):
    for i in range(1, n - 1 + 1):
      j = i + 1
      for X in N:
```

To reconstruct the tree, we write a recursive function over the chart of backpointers bp.

5 Putting It Together

The last step is to implement a controller to run the program. For this assignment we only need to have two commands.

- REPLACE Replace rare words with _RARE_.
- PARSE Run the parsing algorithm.

We also add a helper function to replace the rare words in the input sentence.

```
def replace_rare_sent(pcfg, sent):
    "Replace rare words in a flat sentence."
    return [word if not pcfg.is_rare_word(word) else "_RARE_" for word in sen
t]

def main(mode, count_file, sentence_file):
```

```
pcfg = PCFG.from_handle(open(count_file))
for i,l in enumerate(open(sentence_file)):
    if mode == "PARSE":
        sentence = replace_rare_sent(pcfg, l.strip().split())
        parse, score = CKY(pcfg, sentence)
        print json.dumps(parse)
    elif mode == "REPLACE":
        parse = json.loads(l.strip())
        replace_rare_words(pcfg, parse)
        print json.dumps(parse)

if __name__ == "__main__":
    main(sys.argv[1], sys.argv[2], sys.argv[3])
```

That basic implementation should parse reasonably well and efficiently. There are many possible extensions we might consider adding to this code: smoothing the parameters, lexicalizing the grammar or switching to a dependency representation, or improving the speed of this parser. We encourage you to continue extending your parser based on what you take from this note.