

文献阅读

谭子萌

CT Reconstruction

- □ 由X光重建CT
- 1. 单张X光重建CT
- 2. 两张正交的X光重建CT
- □ 由低剂量的CT重建正常剂量的CT
- Low-Dose CT with a Residual Encoder-Decoder Convolutional Neural Network (RED-CNN)
- A Sparse-View CT Reconstruction Method Based on Combination of DenseNet and Deconvolution

由X光重建CT

□ Motivation:

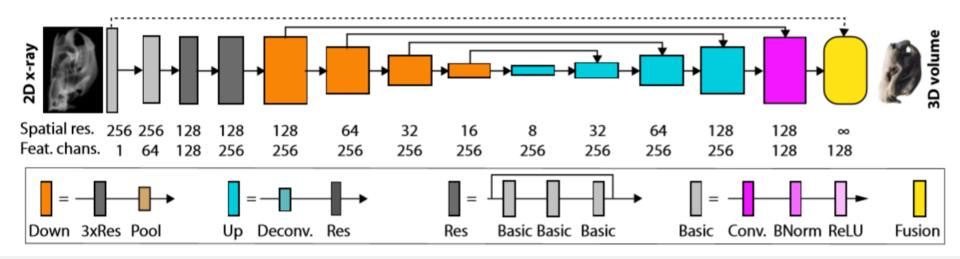
- 1. 传统的CT成像需要上百张X光片经过滤波迭代得到, 存在很高的辐射剂量, 会对人体进行损伤。
- 2. X光片存在软组织相互覆盖的问题,在临床中诊断价值低。

☐ Challenge:

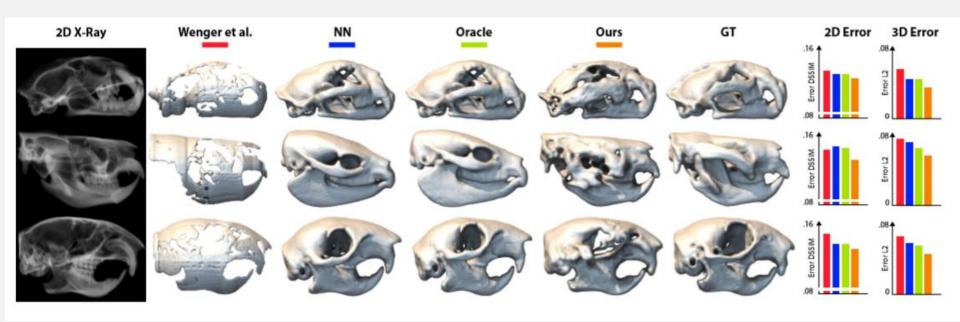
从X光片重建CT是增加维度的过程。由于X光片是2D的,对人体内部信息存在模糊性。

Single-image Tomography: 3D Volumes from 2D Cranial X-Rays

- 1. encoder-decoder residual 跳接结构
- 2. 把特征通道直接当作第三个维度



Single-image Tomography: 3D Volumes from 2D Cranial X-Rays

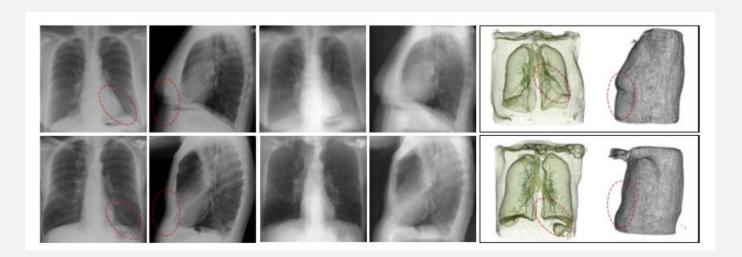


X2CT-GAN: Reconstructing CT from Biplanar X-Rays with Generative Adversarial Networks

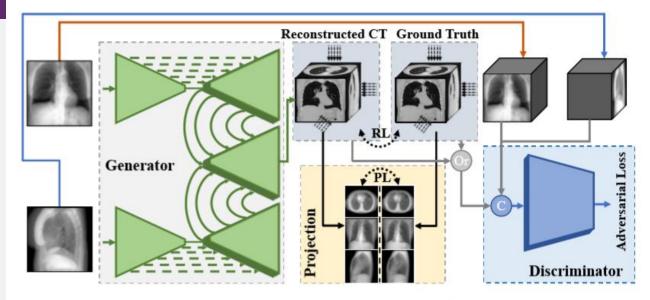
Xingde Ying*,†,♭, Heng Guo*,§,♭, Kai Ma♭, Jian Wu†, Zhengxin Weng§, and Yefeng Zheng♭

Data

- 1. 公开的肺部CT数据库LIDC-IDRI
 CT对应的X光片由DRR技术生成,并使用CycleGAN使其更逼真。
- 2. 使用两张正交的X光图像: 正视图和侧视图, 应用双视角信息。



Loss Functions



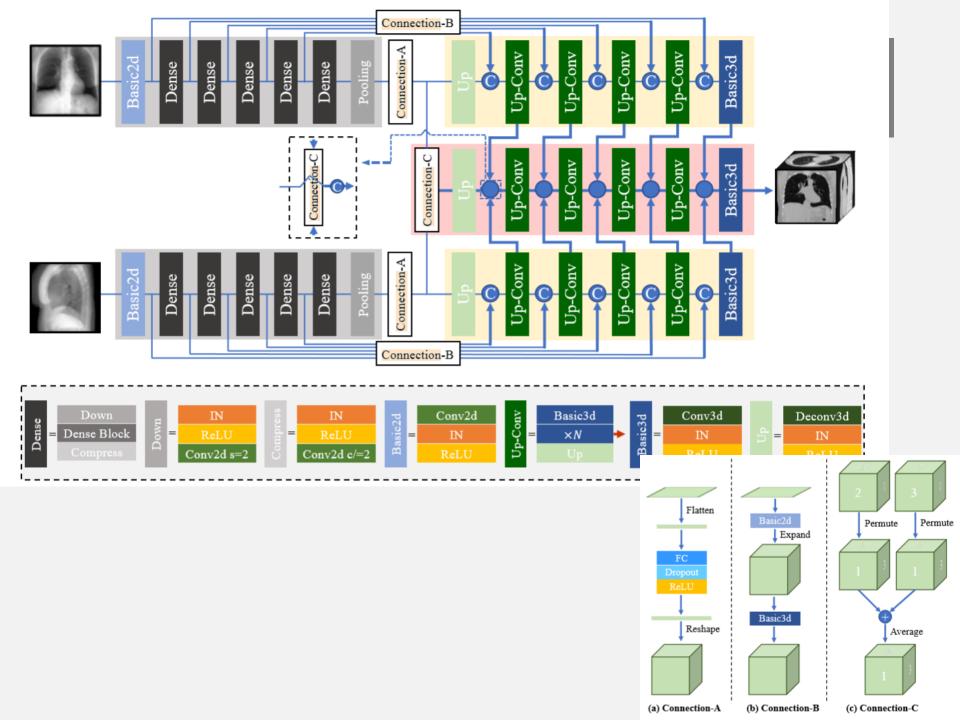
$$\begin{aligned} \text{Adversarial Loss (LSGAN)} &: \quad \mathcal{L}_{LSGAN}(D) = \frac{1}{2} [\mathbb{E}_{y \sim p(CT)}(D(y|x)-1)^2 + \\ &\quad \mathbb{E}_{x \sim p(Xray)}(D(G(x)|x)-0)^2], \\ \mathcal{L}_{LSGAN}(G) &= \frac{1}{2} [\mathbb{E}_{x \sim p(Xray)}(D(G(x)|x)-1)^2], \end{aligned}$$

Reconstruction Loss: $\mathcal{L}_{re} = \mathbb{E}_{x,y} ||y - G(x)||_2^2$.

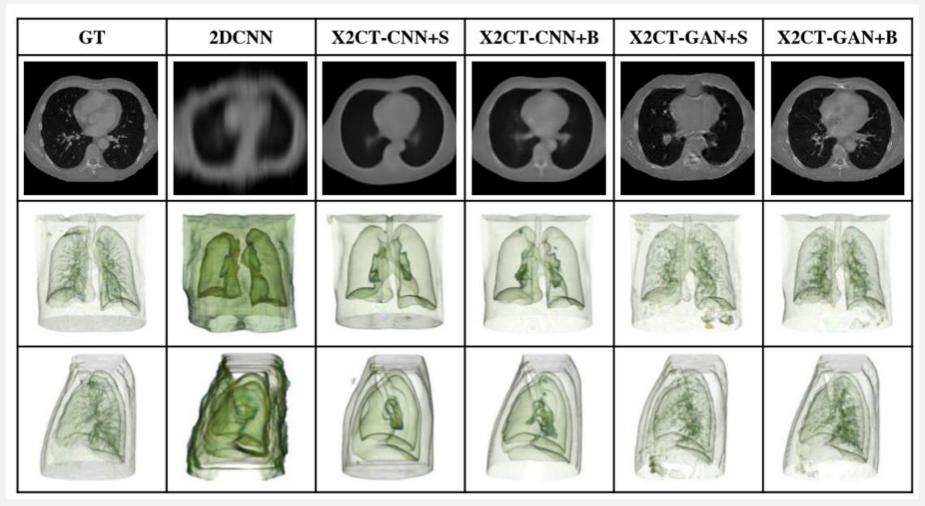
$$\mathcal{L}_{re} = \mathbb{E}_{x,y} \|y - G(x)\|_2^2.$$

Projection Loss:

$$\mathcal{L}_{pl} = \frac{1}{3} [\mathbb{E}_{x,y} || P_{ax}(y) - P_{ax}(G(x)) ||_1 + \\ \mathbb{E}_{x,y} || P_{co}(y) - P_{co}(G(x)) ||_1 + \\ \mathbb{E}_{x,y} || p_{sa}(y) - P_{sa}(G(x)) ||_1],$$



Result



low-dose CT->normal-dose CT

- 1. 降低辐射剂量最常用的方法是减小工作电流和缩短X射线管曝光时间。X通量越弱,CT图像中会出现噪声和伪影,影像诊断性能。
- 2. LDCT->NDCR重建问题可表述为 $\mathbf{X} = \sigma(\mathbf{Y})$ $\sigma: \mathbf{R}^{m \times n} \to \mathbf{R}^{m \times n}$ $\operatorname{arg\,min} \parallel f(\mathbf{X}) \mathbf{Y} \parallel_2^2$

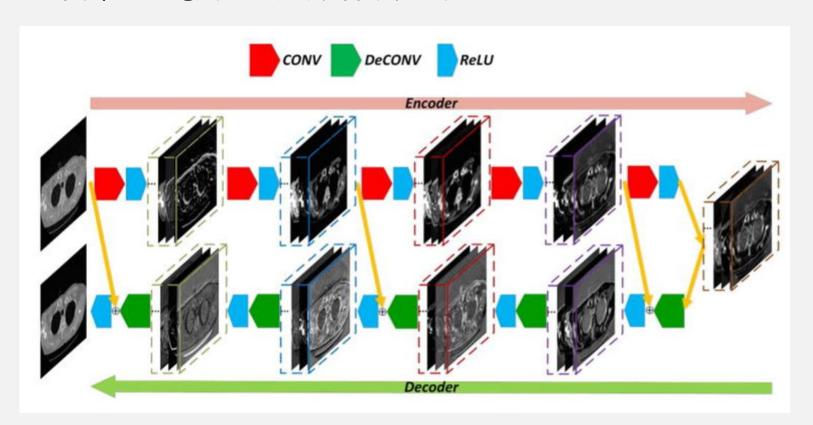
所求得的f实际上是 δ^{-1} 的最优解。

3. 理论依据:尽管CT影像是高维数据,但它实际上保持在一个非常低维的流形上,因此能够在这样的流形上用少量的数据点进行有意义的重建工作。

Low-Dose CT with a Residual Encoder-Decoder Convolutional Neural Network (RED-CNN)

<u>Hu Chen, Yi Zhang, Member, IEEE, Mannudeep K. Kalra, Feng Lin, Yang Chen, Peixo Liao, Jiliu Zhou, Senior Member, IEEE, and Ge Wang, Fellow, IEEE</u>

- 1. encoder(去掉噪声和伪影)-decoder (恢复结构细节)。Patch-based
- 2. 去掉了pooling层:避免漏掉图像细节。

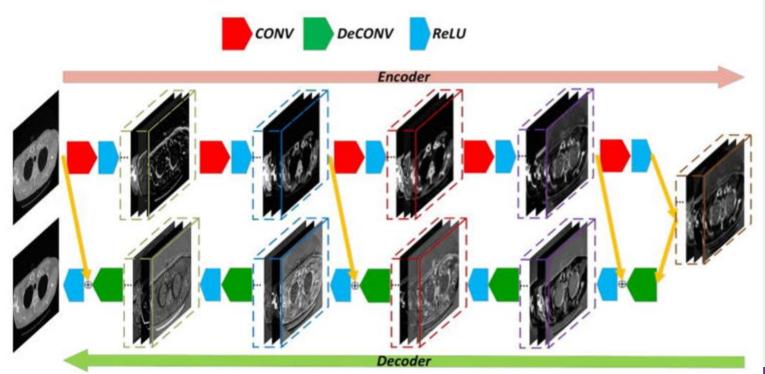


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3. Residual结构。去除了残差求和前的RELU层,以去掉学习到残差为正的约束。跳接结构补偿了卷积层漏掉的图像细节。

4.
$$F(D;\Theta) = rac{1}{N} \sum_{i=1}^{N} \|\mathbf{X}_i - M(\mathbf{Y}_i)\|^2.$$

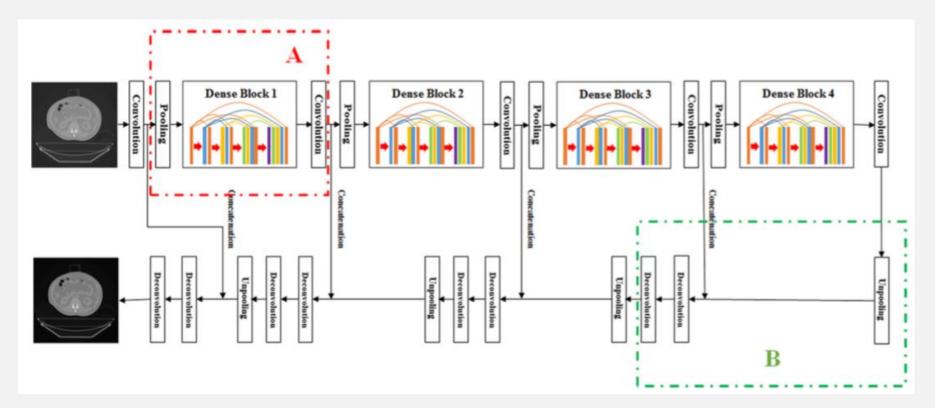


A Sparse-View CT Reconstruction Method Based on Combination of DenseNet and Deconvolution

Article in IEEE Transactions on Medical Imaging · April 2018
DOI: 10.1109/TMI.2018.2823338

Dense Net + Deconvolution

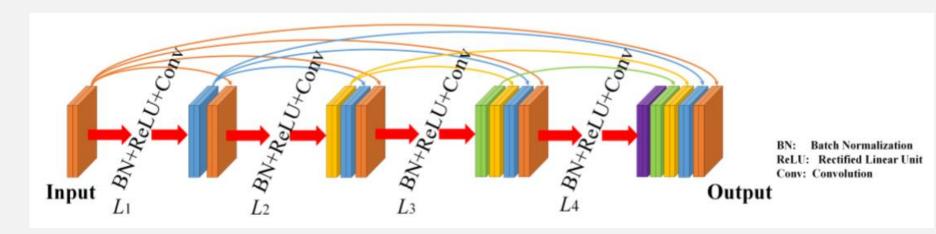
2种连接: 1. dense block中的连接 2. 跳接结构



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Denseblock



L2 loss会导致边缘模糊、损失细节
$$\mathcal{L} = ||Y - f(X)||_2^2 + \alpha \mathcal{L}_{MS-SSIM}(Y, f(X))$$

给定两个图像x和y,两张图像的结构相似性可按照以下方式求出 [1]:

SSIM
$$(x, y) = \frac{(2\mu_x \mu_y + c_1)(2\sigma_{xy} + c_2)}{(\mu_x^2 + \mu_y^2 + c_1)(\sigma_x^2 + \sigma_y^2 + c_2)}$$

其中 μ_x 是 $_X$ 的平均值, μ_y 是 $_y$ 的平均值, σ_x^2 是 $_X$ 的方差, σ_y^2 是 $_y$ 的方差, σ_{xy} 是 $_X$ 和 $_y$ 的协方差。 $c_1=(k_1L)^2$, $c_2 = (k_2 L)^2$ 是用来维持稳定的常数。 L 是像素值的动态范围。 $k_1 = 0.01, k_2 = 0.03$ 。

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数据预处理: FBP滤波

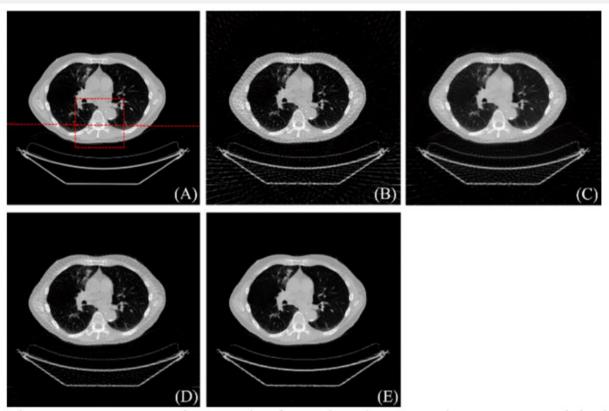


Figure 5. Reconstruction results from the chest CT dataset. (A) Original (B) FBP, (C) PWLS-TGV, (D) R-NLTV, (E) DD-Net. Display window was at $[0, 0.029] \, mm^{-1}$.



谢谢大家!