Predicting 3D Shapes from 2D Images

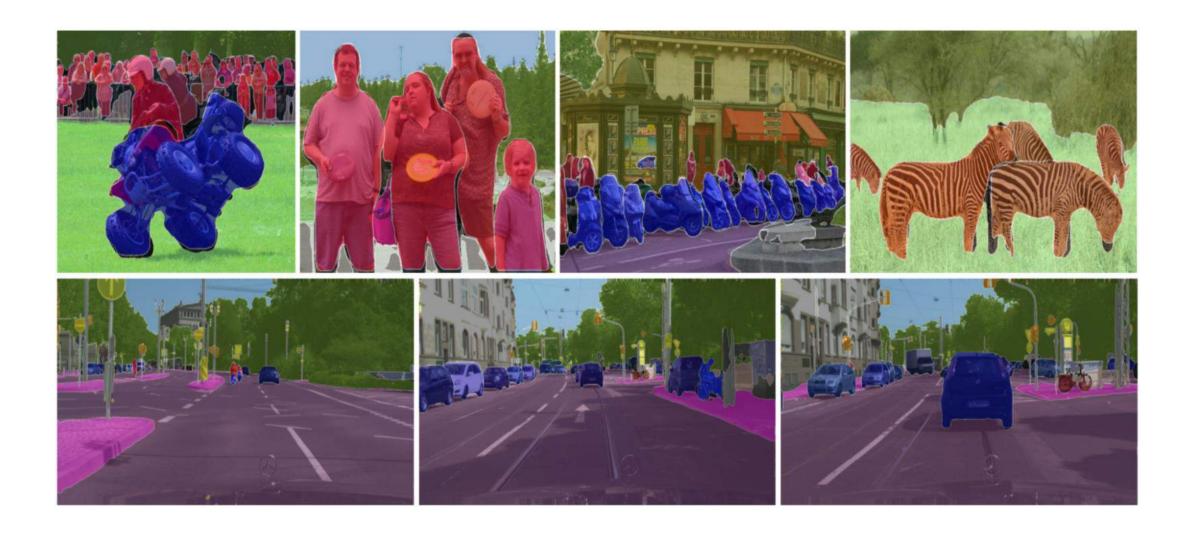
Justin Johnson
Facebook AI Research (FAIR)
6/16/2019

Justin Johnson

- Complete PhD at Stanford University, advised by Fei-Fei Li
- Currently a research scientist at Facebook AI Research
- Will join University of Michigan as AP from Fall 2019

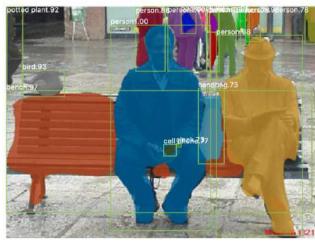
Perceptual losses for real-time style transfer and super-resolution, ECCV 2016

Is computer vision solved?



Mask R-CNN: 2D Image -> 2D shapes

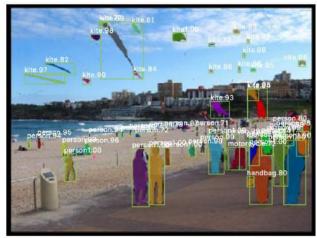


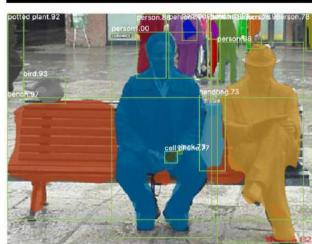


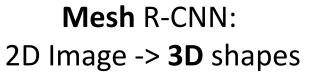
He, Gkioxari, Dollár, and Girshick, "Mask R-CNN", ICCV 2017

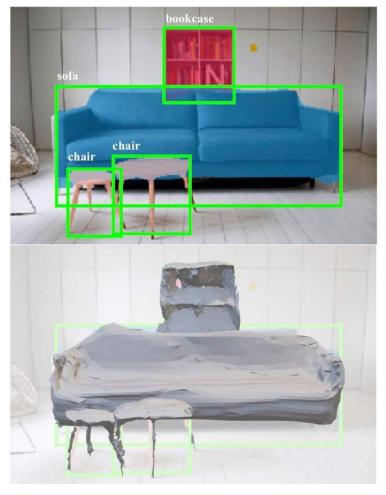
A new dimension for recognition

Mask R-CNN: 2D Image -> 2D shapes











Gkioxari, Malik, and Johnson, "Mesh R-CNN", arXiv 2019

Why care about 3D perception?

Autonomous Vehicles



Why care about 3D perception?

Autonomous Vehicles

VR / AR

Output



Why care about 3D perception?

Autonomous Vehicles

VR / AR

The world is 3D!

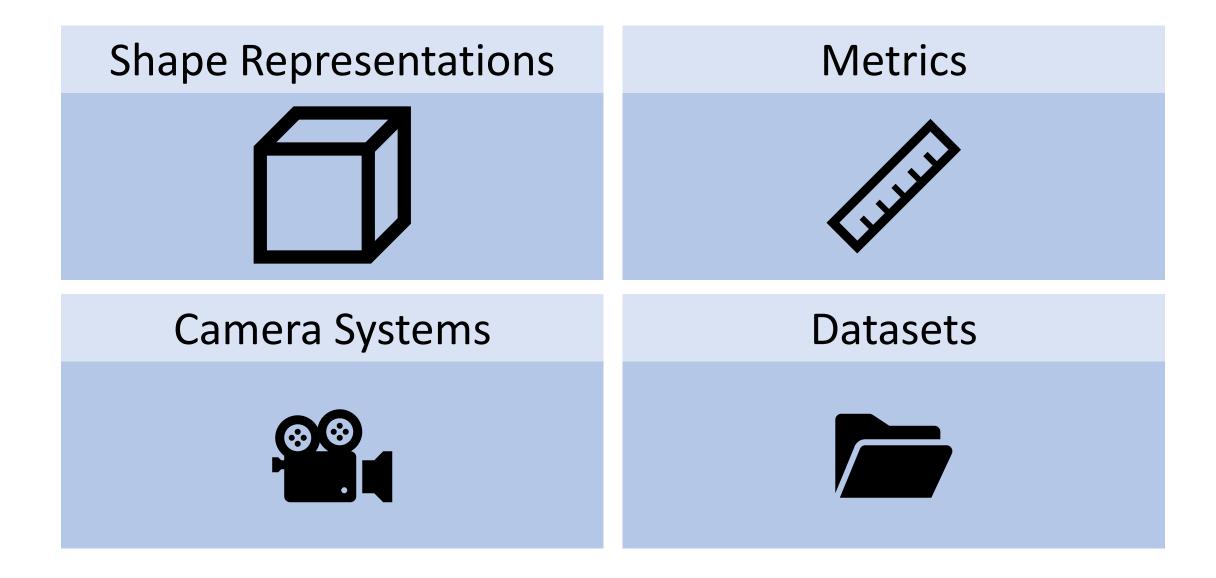




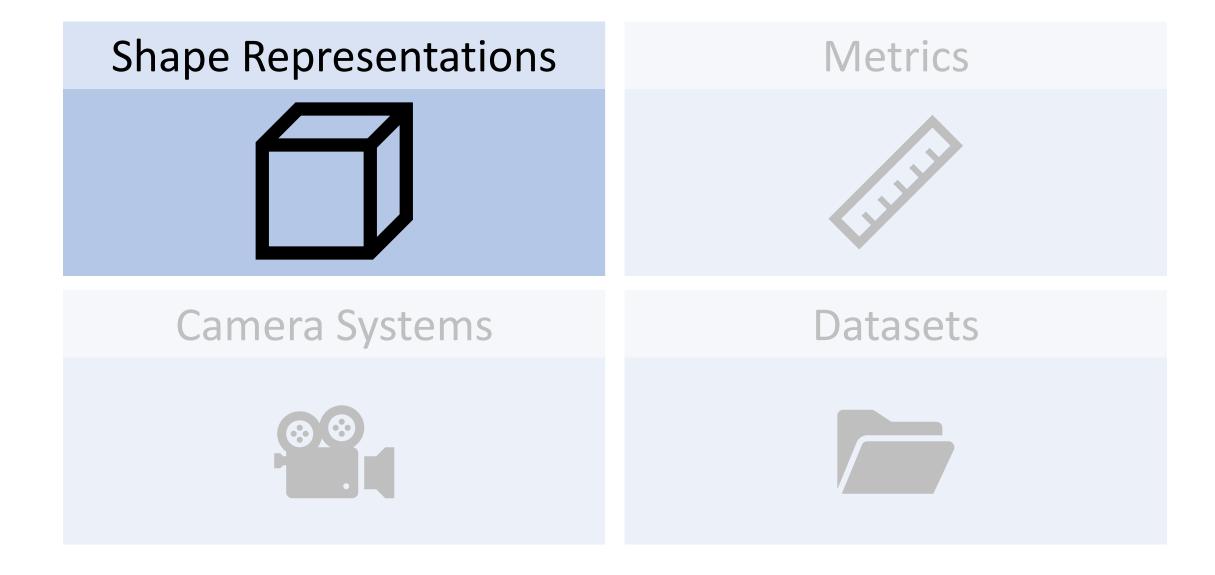




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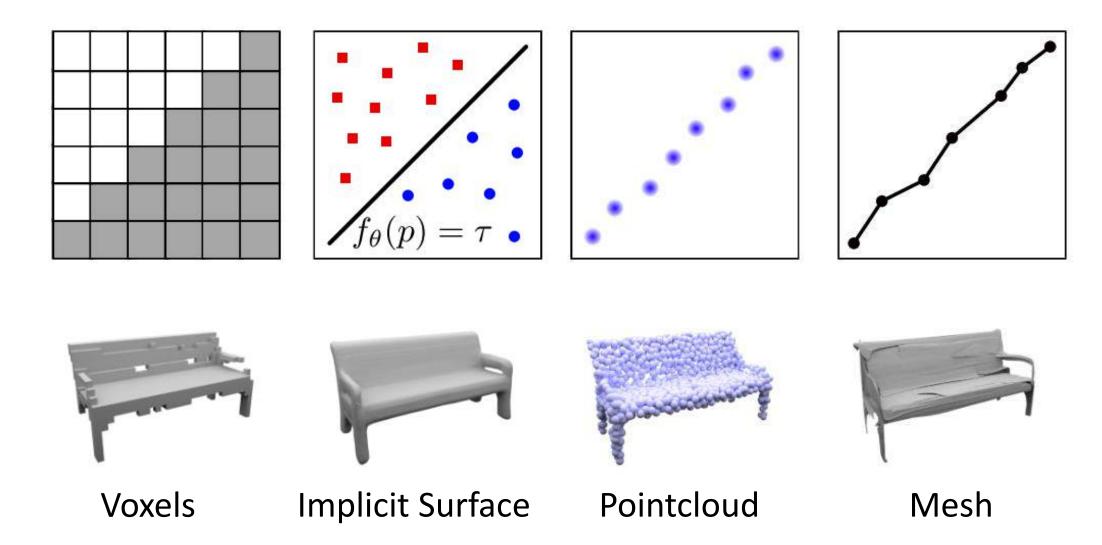


Figure credit: Mescheder et al, "Occupancy Networks: Learning 3D Reconstruction in Function Space", CVPR 2019

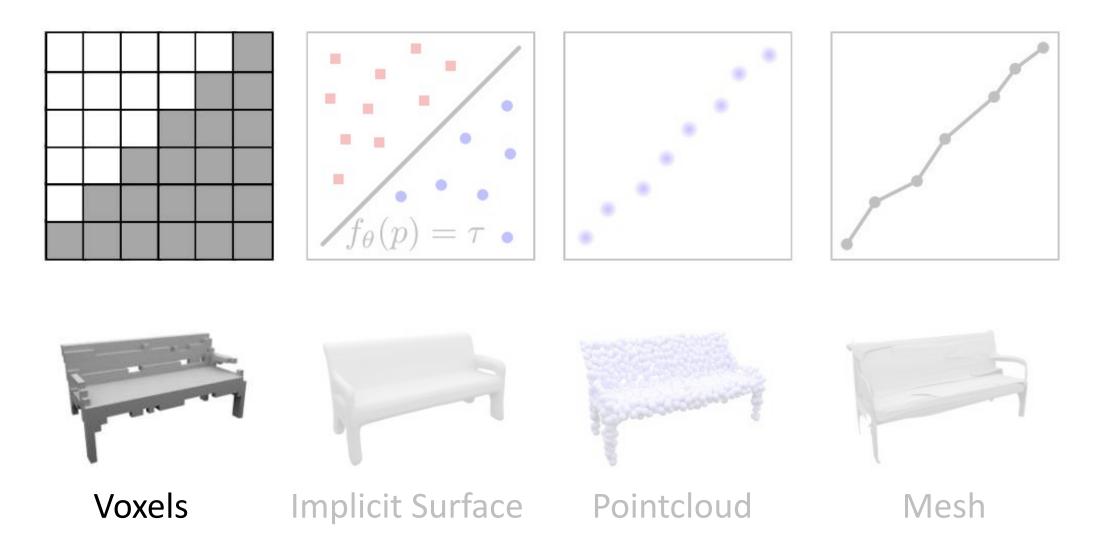
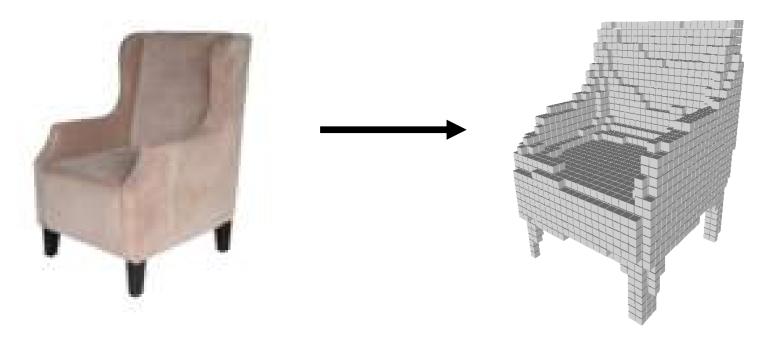


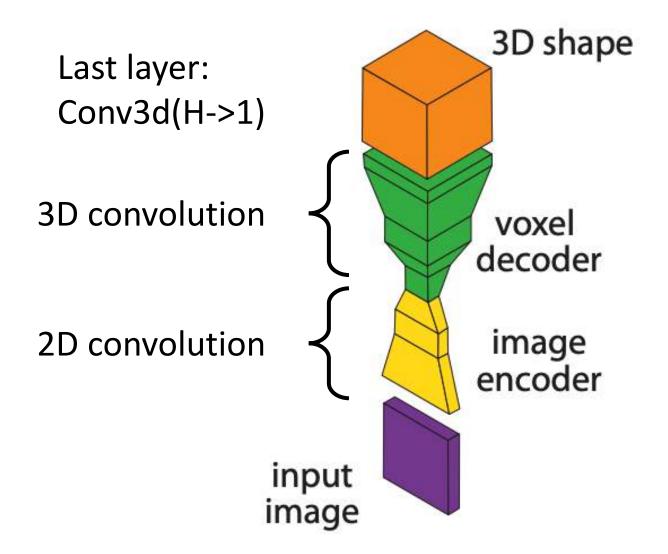
Figure credit: Mescheder et al, "Occupancy Networks: Learning 3D Reconstruction in Function Space", CVPR 2019

3D Shape Representations: Voxels

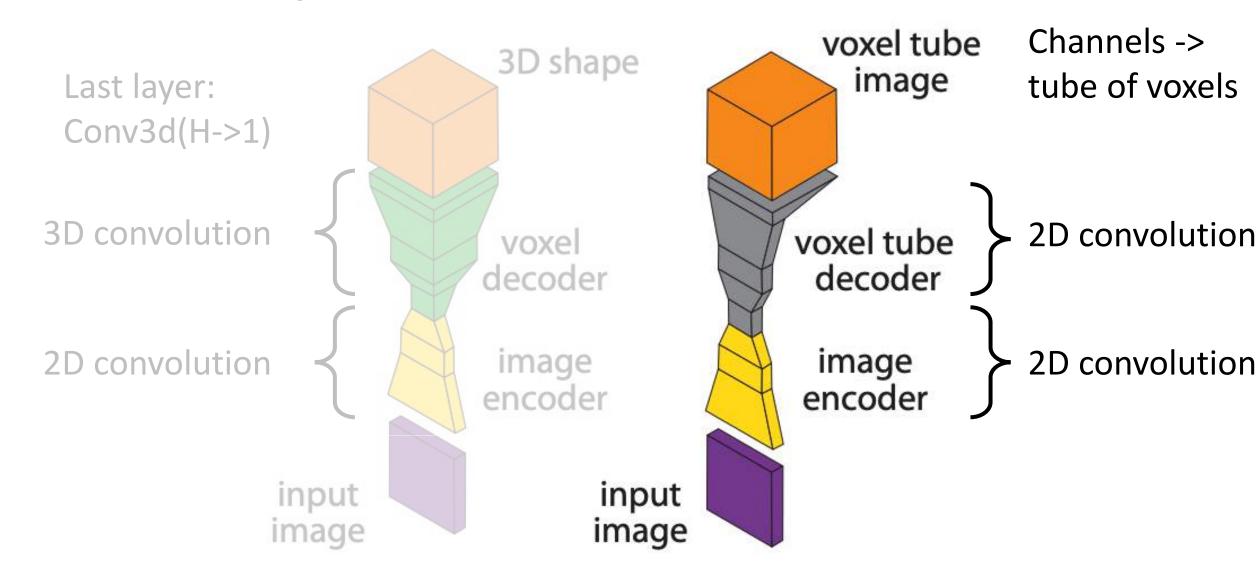
- Represent a shape with a V x V x V grid of occupancies
- Just like segmentation masks in Mask R-CNN, but in 3D!
- (+) Conceptually simple: just a 3D grid!
- (-) Need high spatial resolution to capture fine structures
- (-) Scaling to high resolutions is nontrivial!



Predicting Voxels: 3D Convolution



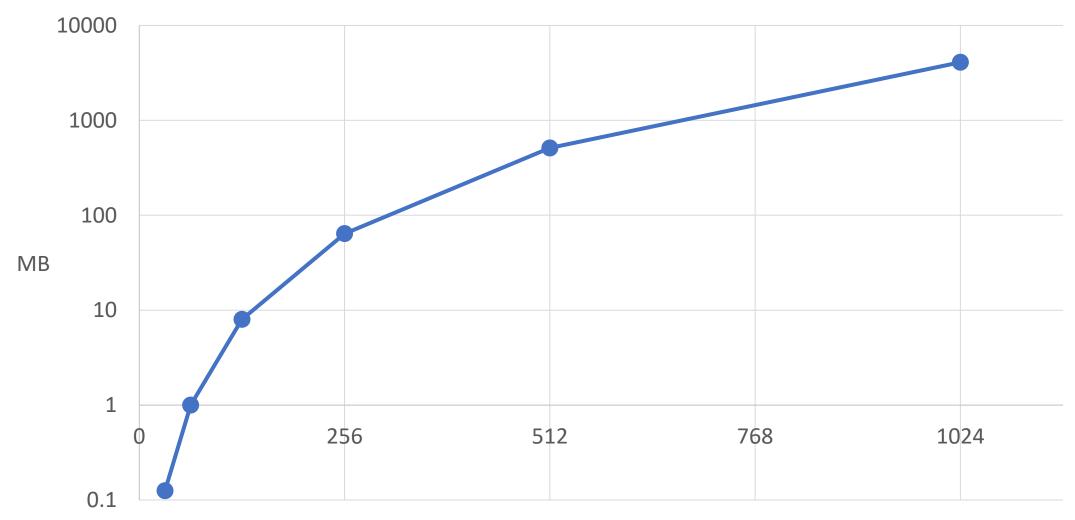
Predicting Voxels: Voxel Tubes



Voxel Problems: Memory Usage

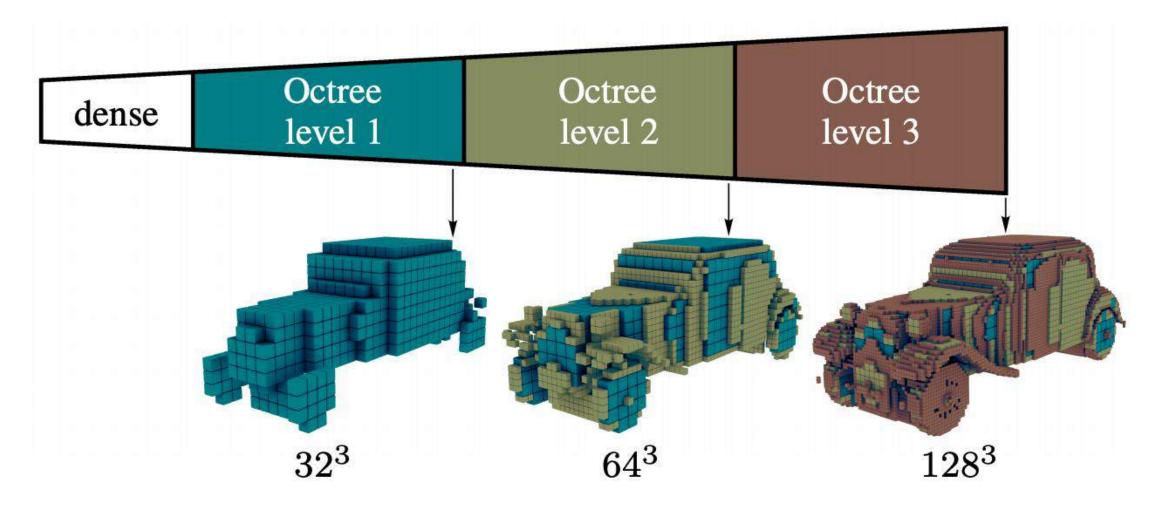
Storing 1024³ voxel grid takes 4GB of memory!

Voxel memory usage (V x V x V float32 numbers)



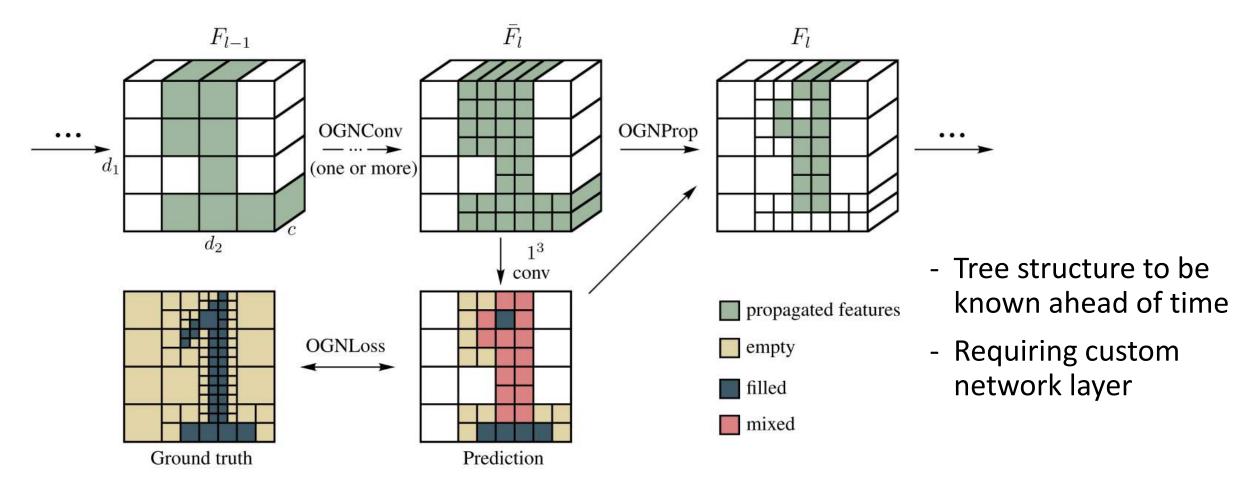
Scaling Voxels: Oct-Trees

Use voxel grids with heterogenous resolution!



Scaling Voxels: Oct-Trees

Use voxel grids with heterogenous resolution!



Scaling Voxels: Nested Shape Layers

Predict shape as a composition of positive and negative spaces













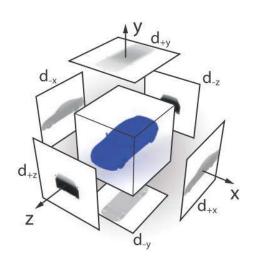


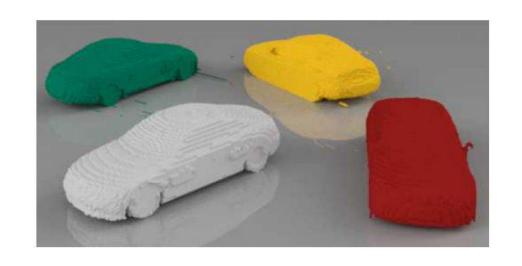


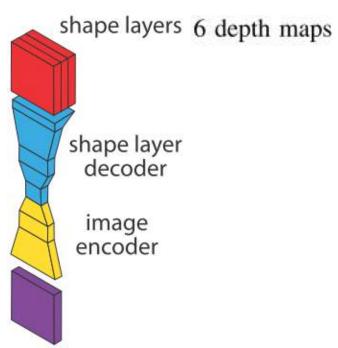
Scaling Voxels: Nested Shape Layers

Predict shape as a composition of positive and negative spaces









$$S_x \equiv \{(i, j, k) \mid d_{-x}(j, k) \le i \le n_o - d_{+x}(j, k)\}$$

$$S_y \equiv \{(i, j, k) \mid d_{-y}(i, k) \le j \le n_o - d_{+y}(i, k)\}$$

$$S_z \equiv \{(i, j, k) \mid d_{-z}(i, j) \le k \le n_o - d_{+z}(i, j)\}$$

$$S = \phi(\mathbf{d}) \equiv S_x \cap S_y \cap S_z \quad \text{with} \quad \phi : \mathcal{D} \to \mathcal{S}.$$

Scaling Voxels: Nested Shape Layers

Predict shape as a composition of positive and negative spaces

















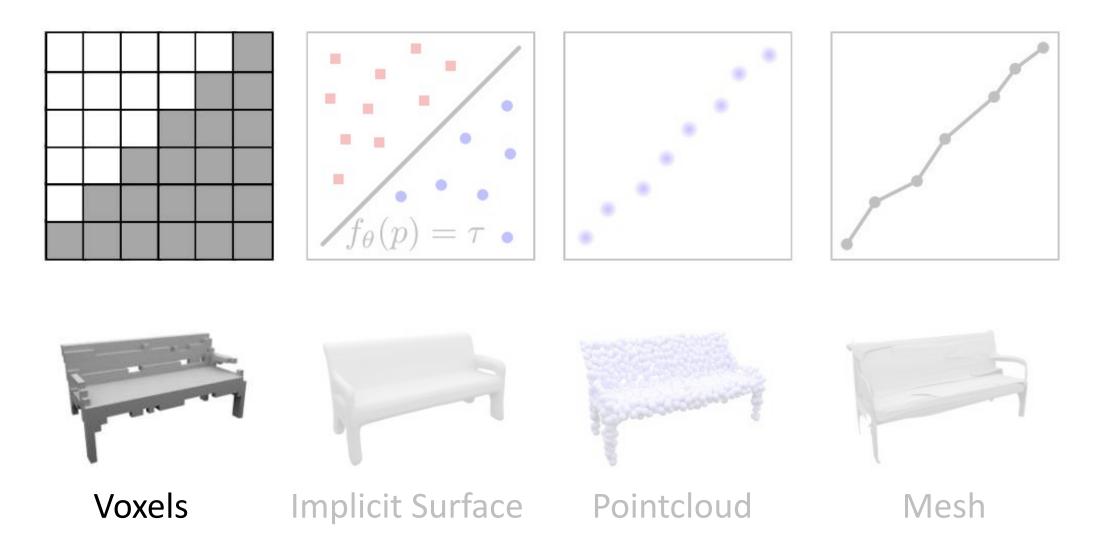


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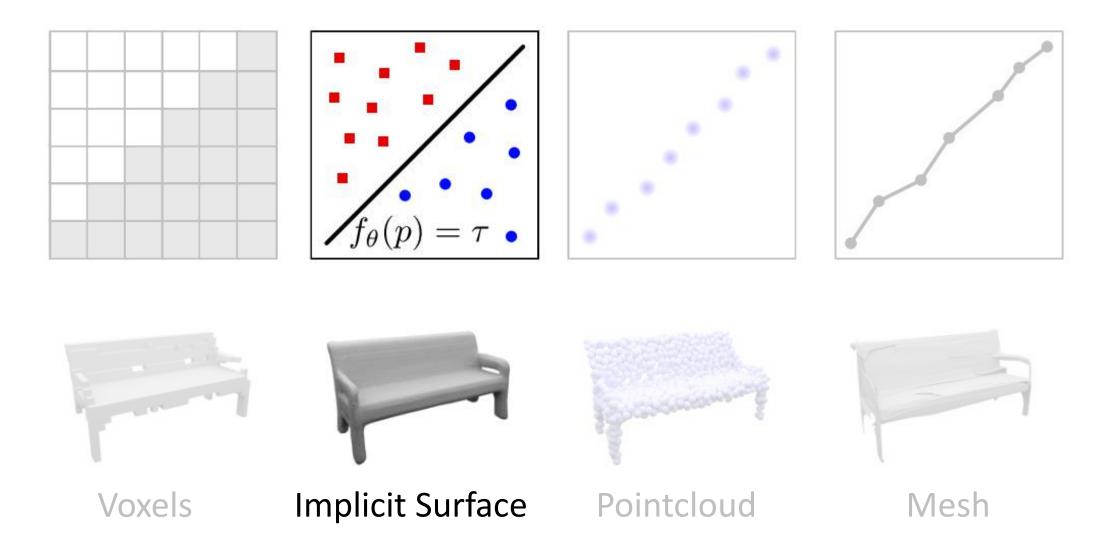


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3D Shape Representations: Implicit Function

Learn a function to classify arbitrary 3D points as inside / outside the shape

$$o: \mathbb{R}^3 \to \{0,1\}$$

The surface of the 3D object is the level set $\{x : O(x) = \frac{1}{2}\}$

an observation
$$x \in \mathcal{X}$$
 \longrightarrow $(p,x) \in \mathbb{R}^3 \times \mathcal{X}$ as input $p \in \mathbb{R}^3$ to \mathbb{R}

$$f_{\theta}: \mathbb{R}^3 \times \mathcal{X} \to [0,1]$$

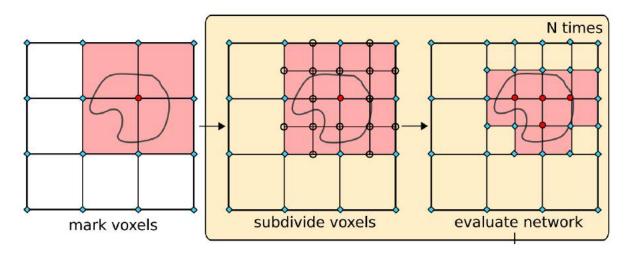
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Allows for multiscale outputs like Oct-Trees

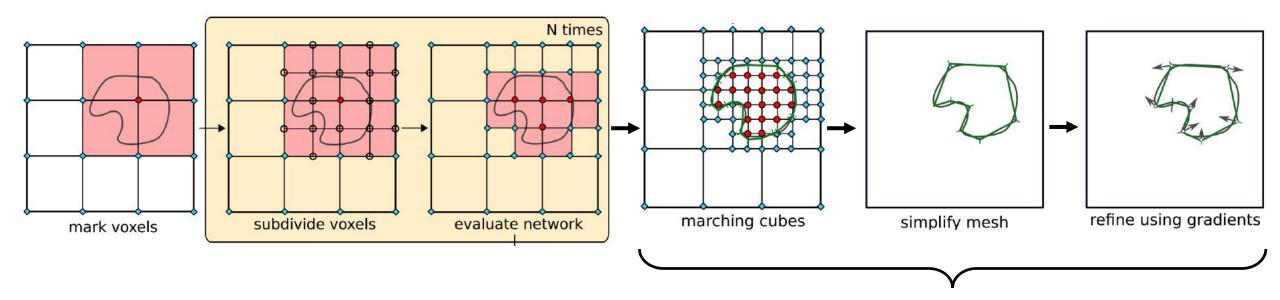
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Extracting mesh outputs requires complex post-processing

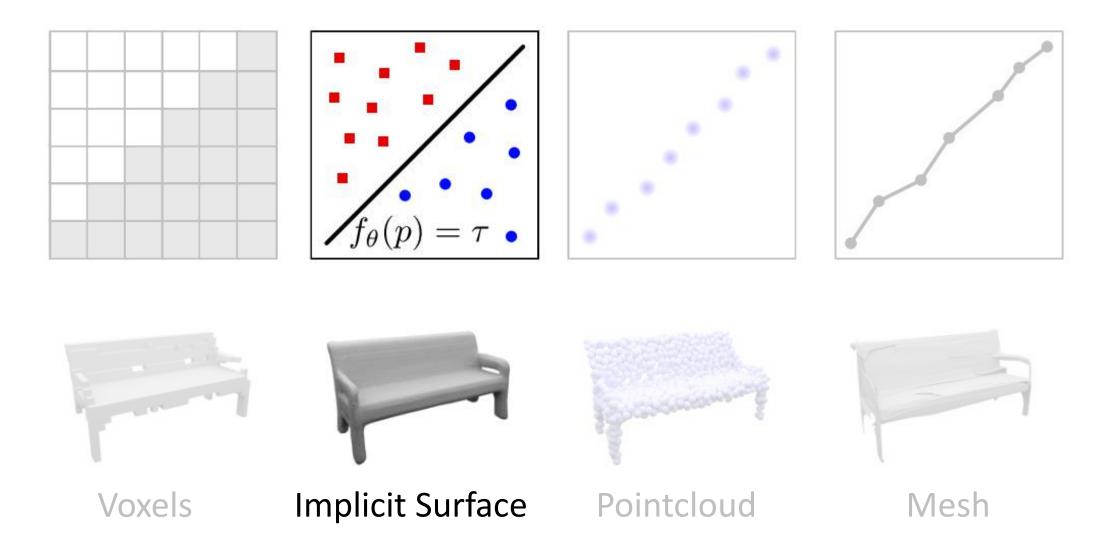


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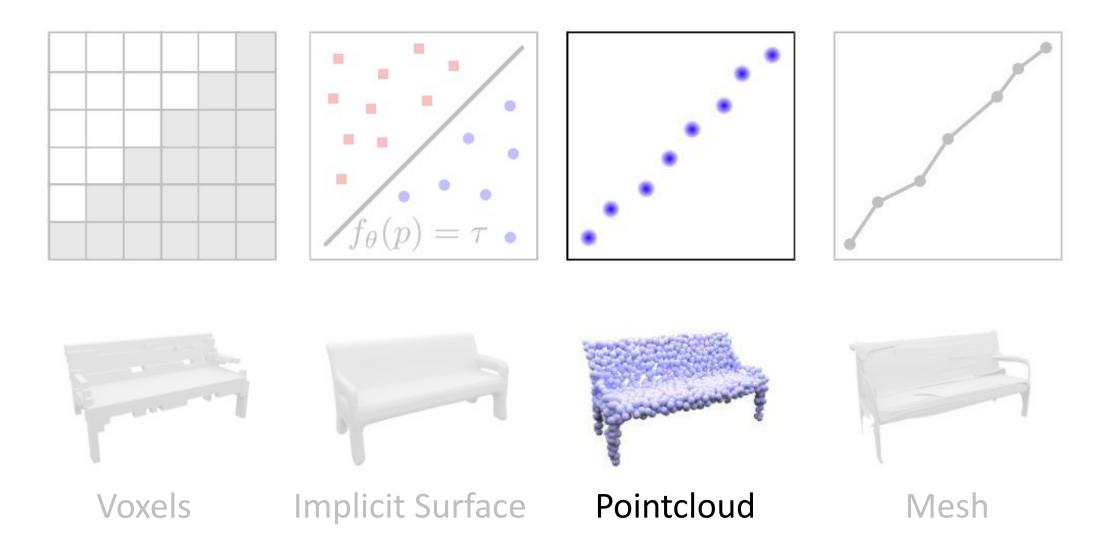


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3D Shape Representations: Point Cloud

- Represent shape as a set of P points in 3D space
- (+) Can represent fine structures without huge numbers of points
- () Requires new architecture, losses, etc
- (-) Doesn't explicitly represent the surface of the shape: extracting a mesh for rendering or other applications requires post-processing



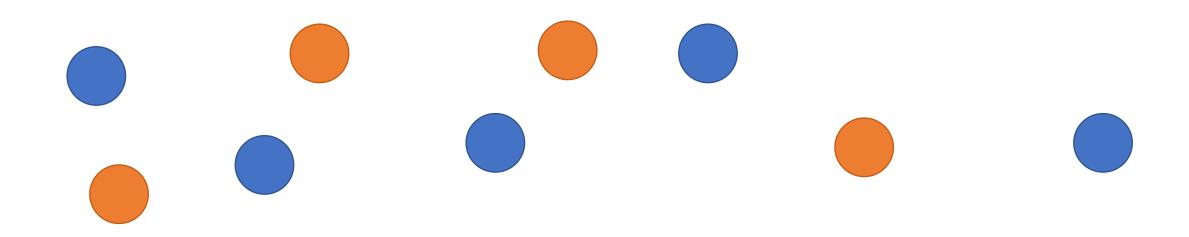




We need a (differentiable) way to compare pointclouds as sets!

Chamfer distance is the sum of L2 neighbor in the other set

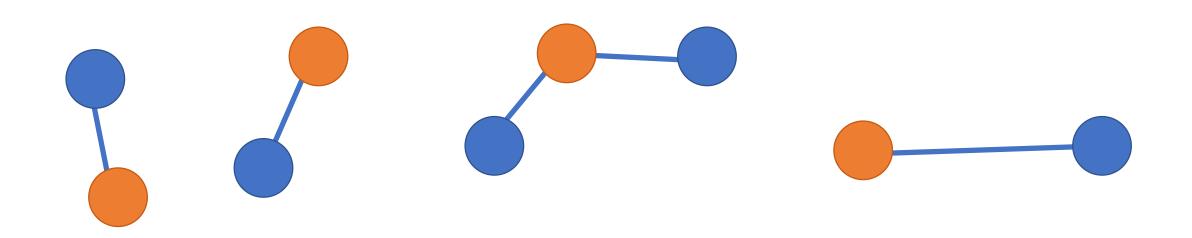
Chamfer distance is the sum of L2 distance to each point's nearest neighbor in the other set
$$d_{CD}[S_1][S_2] = \sum_{x \in S_1} \min_{y \in S_2} \|x - y\|_2^2 + \sum_{x \in S_1} \min_{x \in S_1} \|x - y\|_2^2$$



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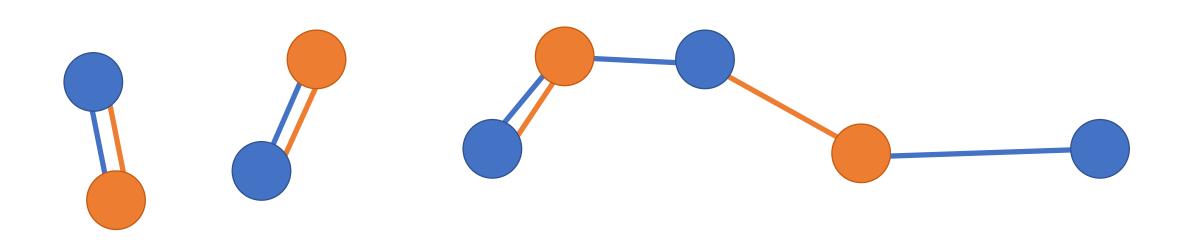
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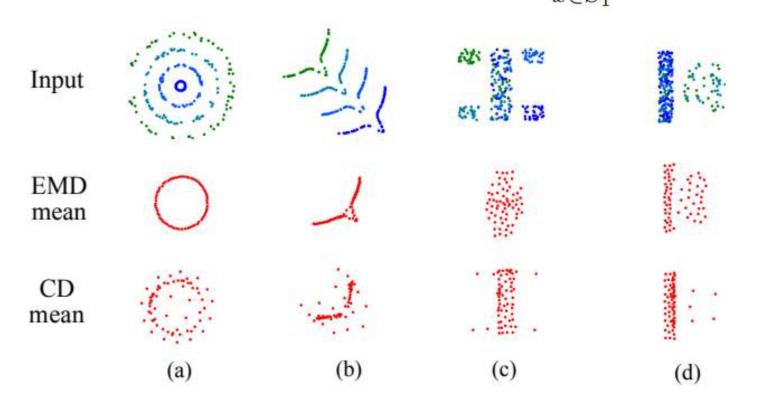
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We need a (differentiable) way to compare pointclouds as sets!

• Earth Mover's distance $d_{EMD}(S_1,S_2) = \min_{\phi:S_1 o S_2} \sum_{x \in S_1} \|x - \phi(x)\|_2$



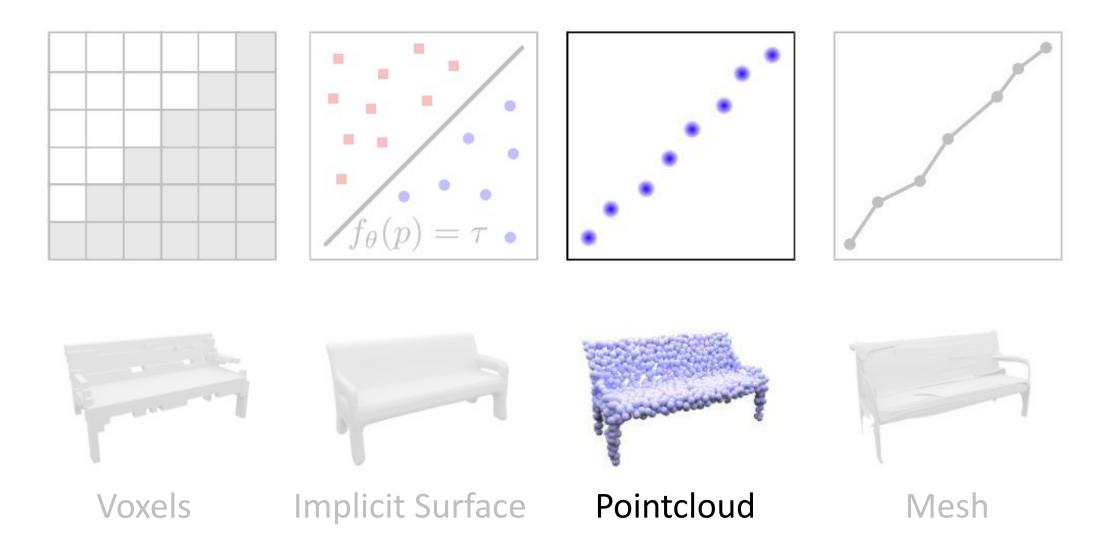


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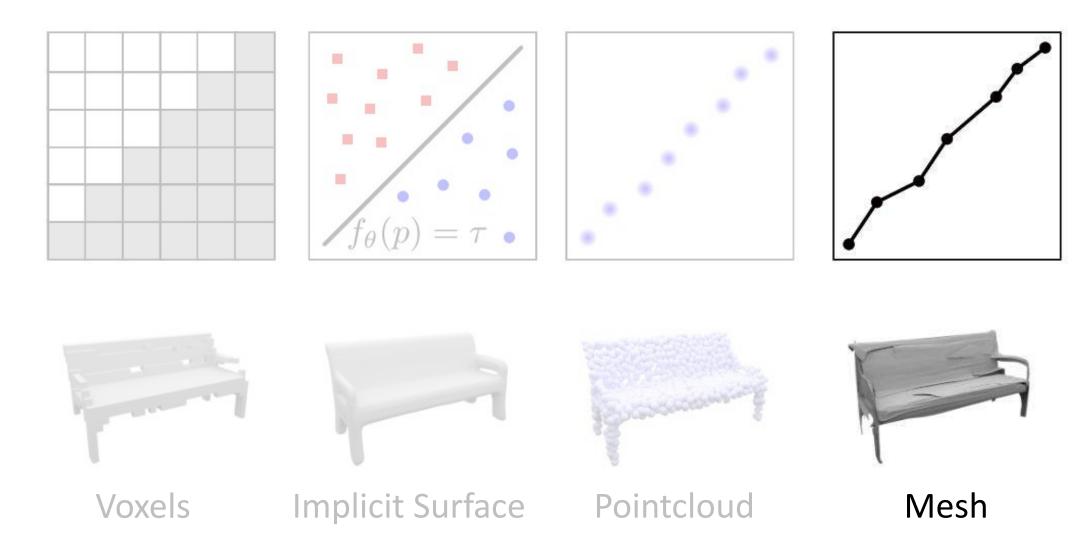


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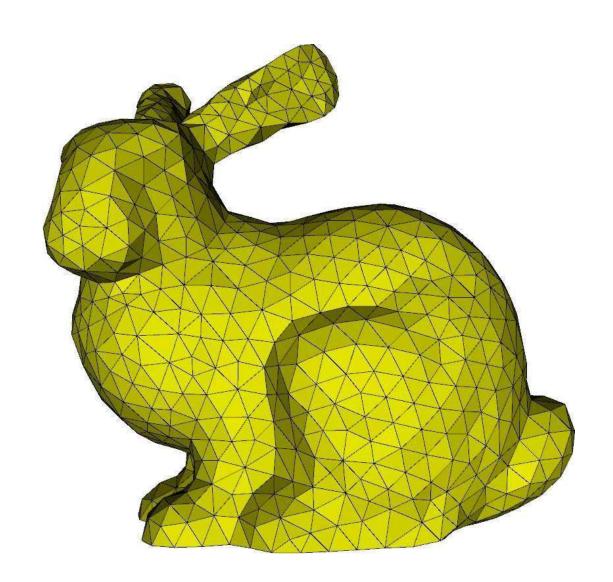
3D Shape Representations: Triangle Mesh

Represent a 3D shape as a set of triangles

Vertices: V x 3 matrix giving real-valued positions in 3D space

Faces: F x 3 matrix giving F triangles, each point specified as an index into the vertices

- (+) Standard representation for graphics
- (+) Explicitly represents 3D shapes



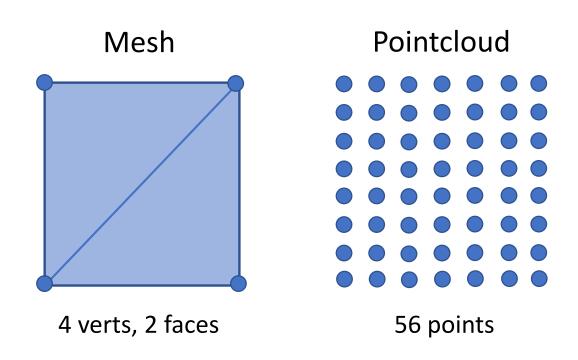
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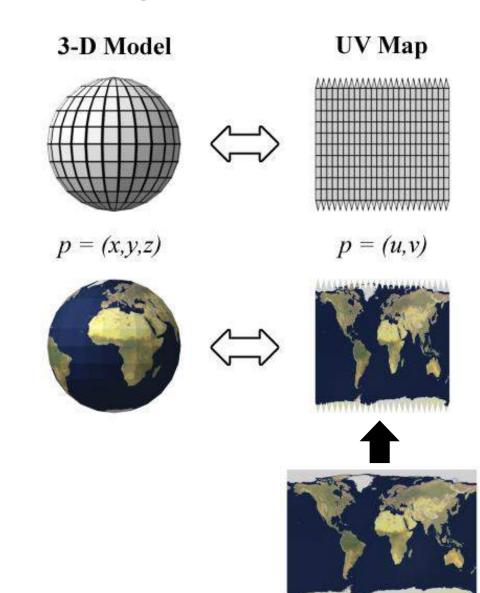
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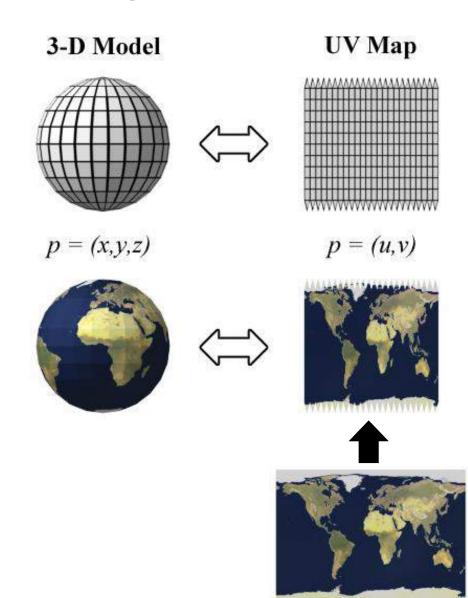
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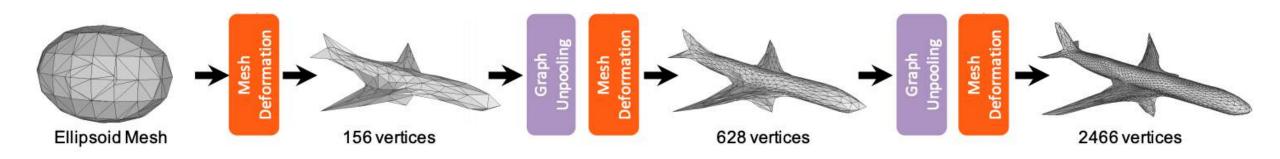
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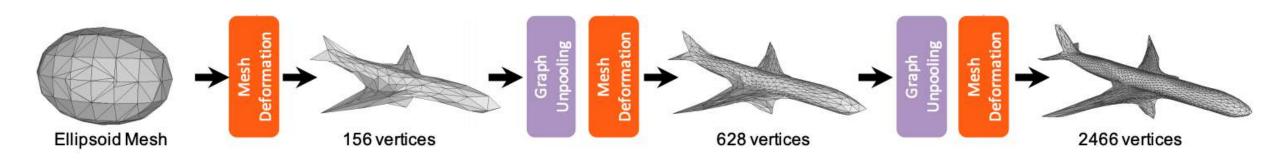
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- (+) Adaptive: Can represent flat surfaces very efficiently, can allocate more faces to areas with fine detail
- (+) Can attach data on verts and interpolate over the whole surface: RGB colors, texture coordinates, normal vectors, etc.
- (-) Nontrivial to process with neural nets!



Idea #1: Iterative mesh refinement
Start from initial ellipsoid mesh
Network predicts offsets for each vertex
Repeat.



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Start from initial ellipsoid mesh
Network predicts offsets for each vertex
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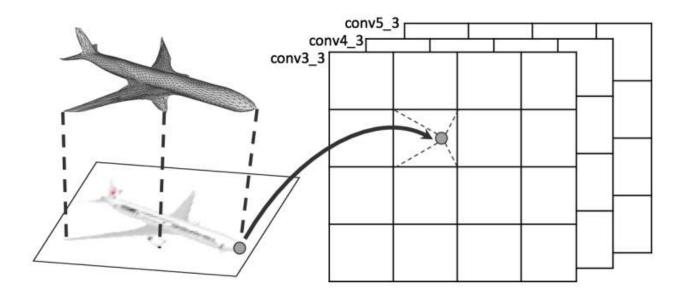


Problem: Can't model objects with holes!

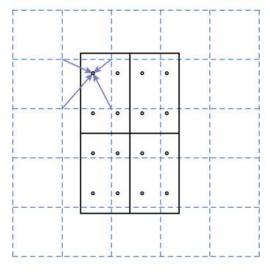
Idea #2: Aligned vertex features For each vertex of the mesh:

- Use camera intrinsics to project onto image plane
- Interpolate a feature from a backbone CNN

Similar to Rol-Align from Mask R-CNN: maintain alignment between image features and predictions



Rol-Align



Idea #3: Graph Convolution Maintain a feature vector f_i for each vertex v_i

Graph convolution computes new vectors for each vertex, propagating information along edges of the mesh

By sharing weights over all local neighborhoods, a graph conv layer can process meshes of arbitrary topology

$$W_0 f_i + \sum_{j \in \mathcal{N}(i)} W_1 f_j$$

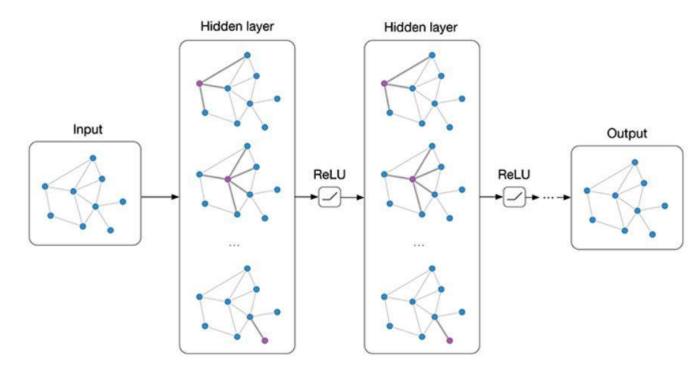
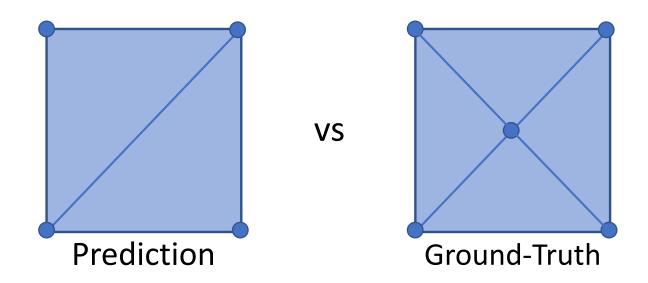


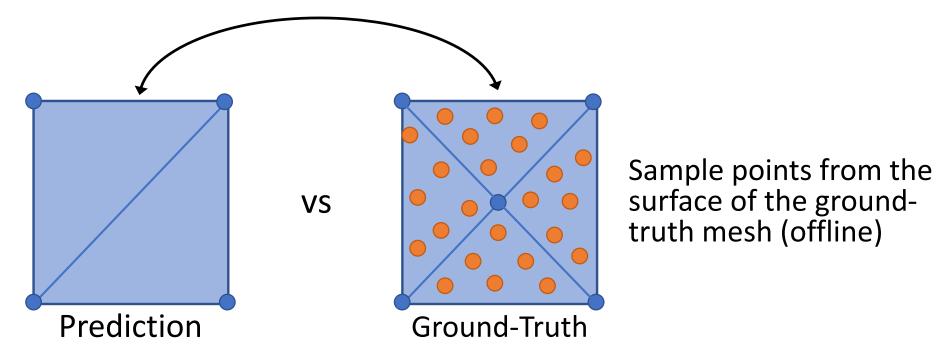
Figure credit: Thomas Kipf, https://tkipf.github.io/graph-convolutional-networks/

The same shape can be represented with different meshes – how can we define a loss between predicted and ground-truth mesh?



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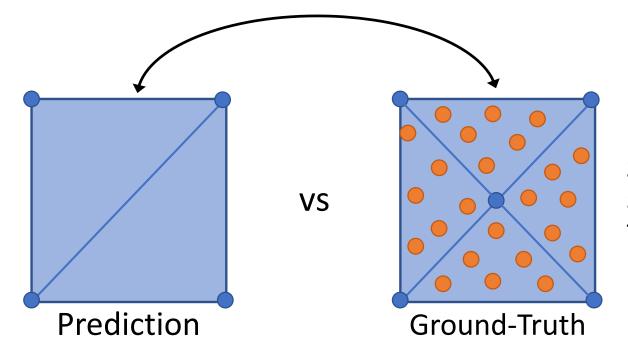
Loss = Chamfer distance between predicted verts and ground-truth samples



The same shape can be represented with different meshes – how can we define a loss between predicted and ground-truth mesh?

Loss = Chamfer distance between predicted verts and ground-truth samples

Problem: Doesn't take the interior of predicted faces into account!

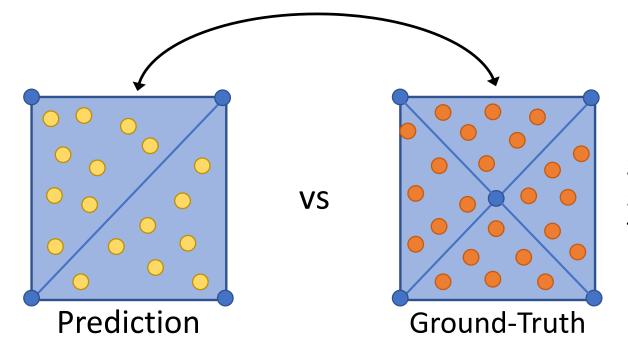


Sample points from the surface of the ground-truth mesh (offline)

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Sample points from the surface of the predicted mesh (online!)



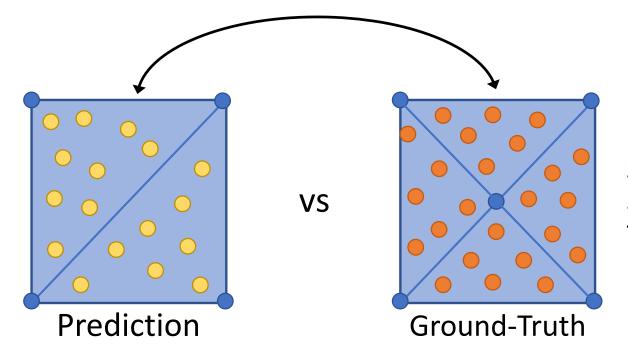
Sample points from the surface of the ground-truth mesh (offline)

Problem: Need to sample online! Must be efficient!

Problem: Need to backprop through sampling!

Loss = Chamfer distance between predicted samples and ground-truth samples

Sample points from the surface of the predicted mesh (online!)



Sample points from the surface of the ground-truth mesh (offline)

3D Shape Representations

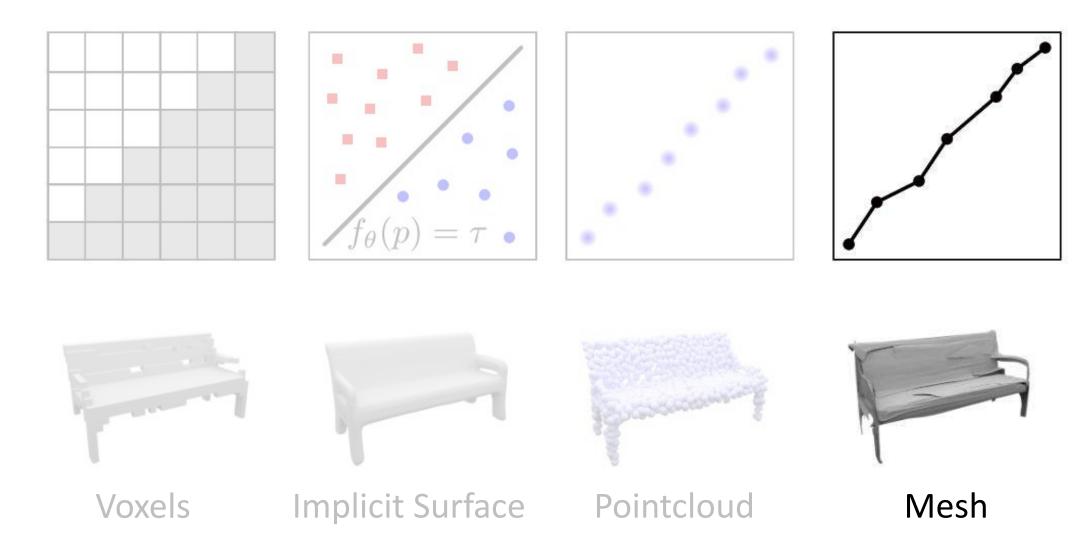
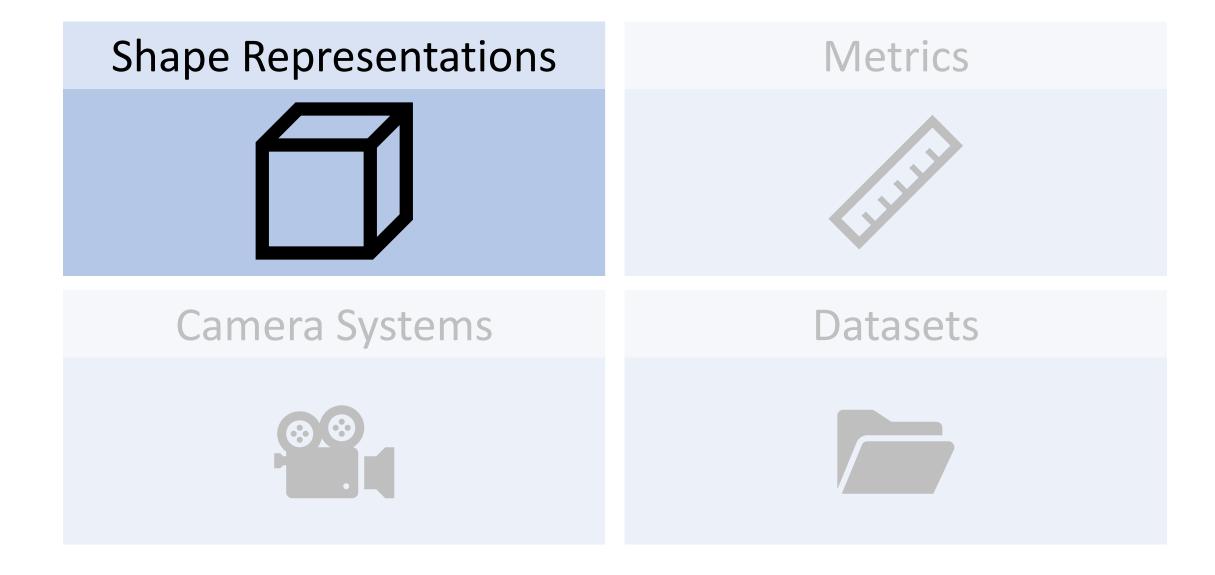
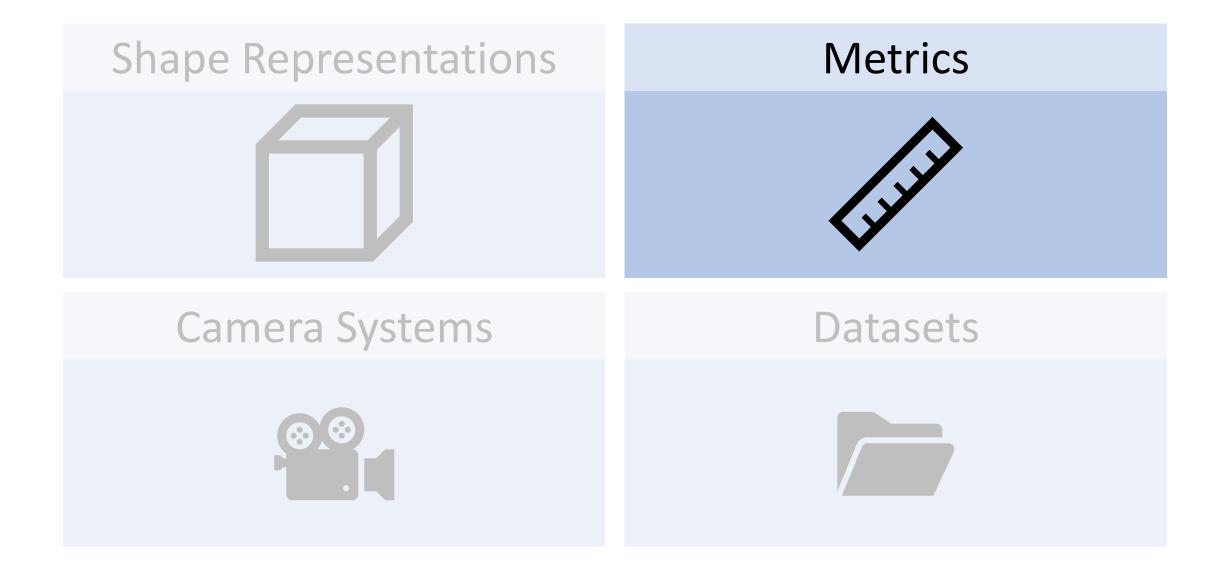


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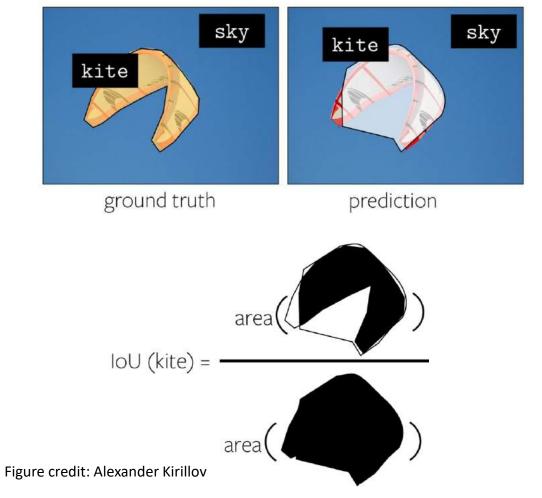
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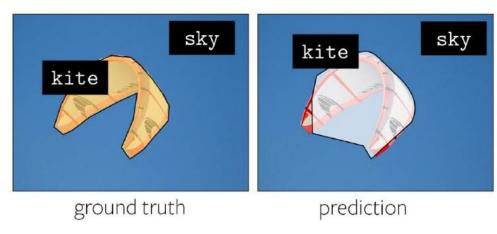
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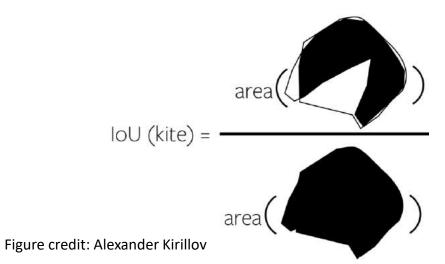


In 2D, we evaluate segmentation masks with intersection over union (IoU): number of shared pixels over number of total pixels



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In 3D: Voxel IoU

Problem: Cannot capture thin structures

Problem: Cannot be applied to pointclouds

Problem: For meshes, need to voxelize or sample

Problem: Not very meaningful at low values!

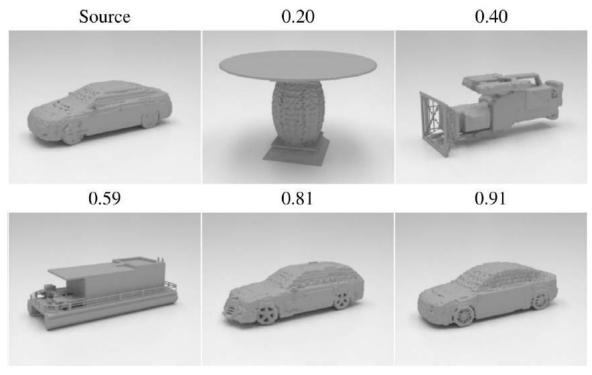
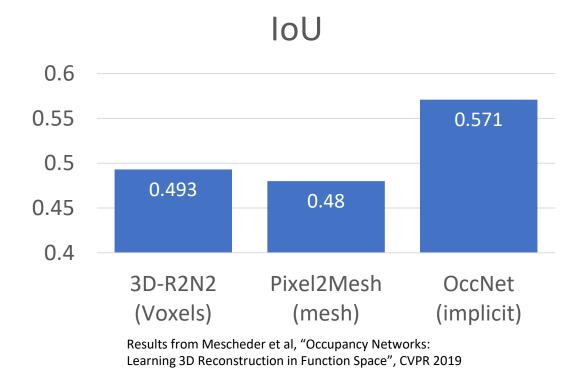


Figure credit: Tatarchenko et al, "What Do Single-view 3D Reconstruction Networks Learn?", CVPR 2019

State-of-the-art methods achieve low IoU



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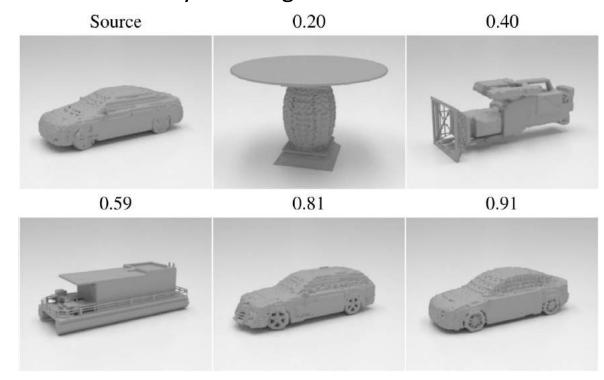
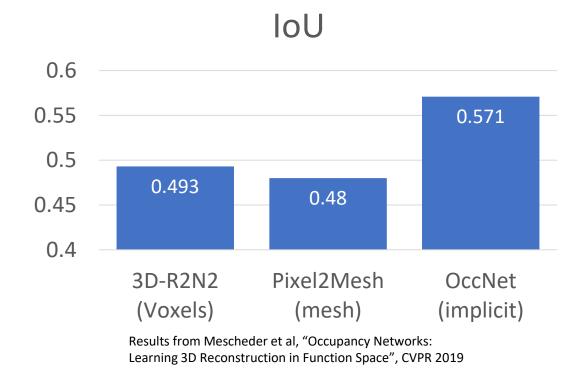


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State-of-the-art methods achieve low IoU



Conclusion: Voxel IoU not a good metric

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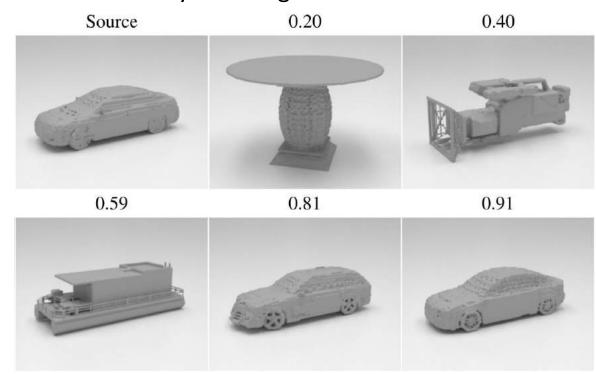


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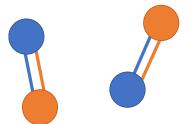
Shape Comparison Metrics: Chamfer Distance

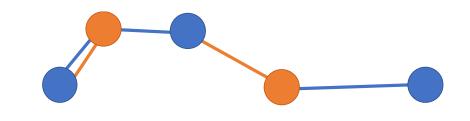
We've already seen another shape comparison metric:

Chamfer distance

- Convert your prediction and ground-truth into pointclouds via sampling
- 2. Compare with Chamfer distance

$$d_{CD}(S_1, S_2) = \sum_{x \in S_1} \min_{y \in S_2} \|x - y\|_2^2 + \sum_{y \in S_2} \min_{x \in S_1} \|x - y\|_2^2$$





Shape Comparison Metrics: Chamfer Distance

We've already seen another shape comparison metric:

Chamfer distance

- 1. Convert your prediction and ground-truth into pointclouds via sampling
- 2. Compare with Chamfer distance

Problem: Chamfer is very sensitive to outliers

Compared to the source, both target shapes exhibit non-atching parts that are equally wrong!

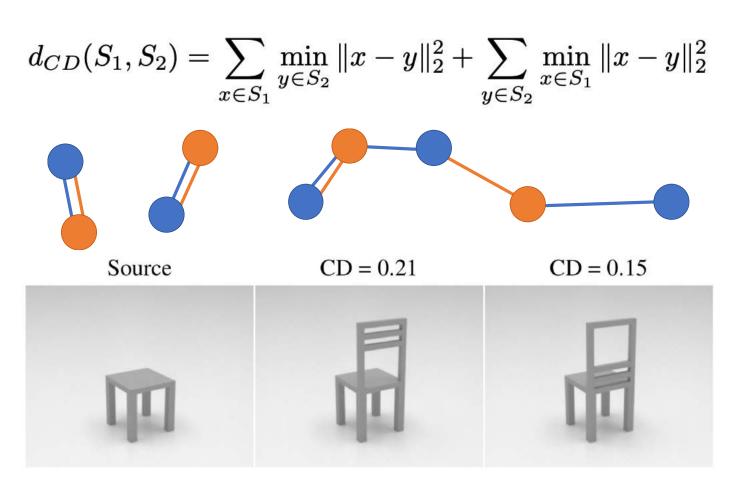
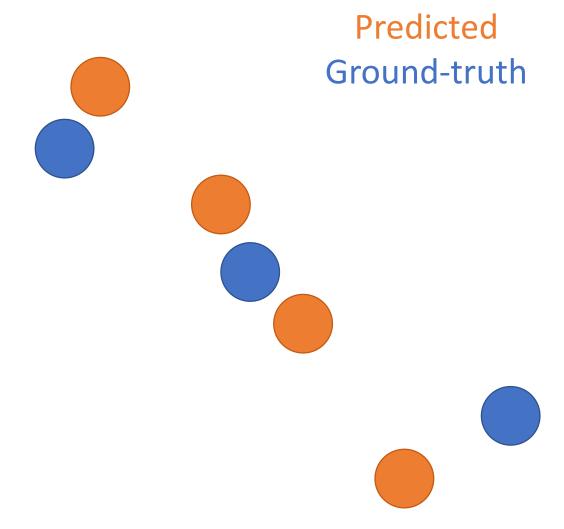


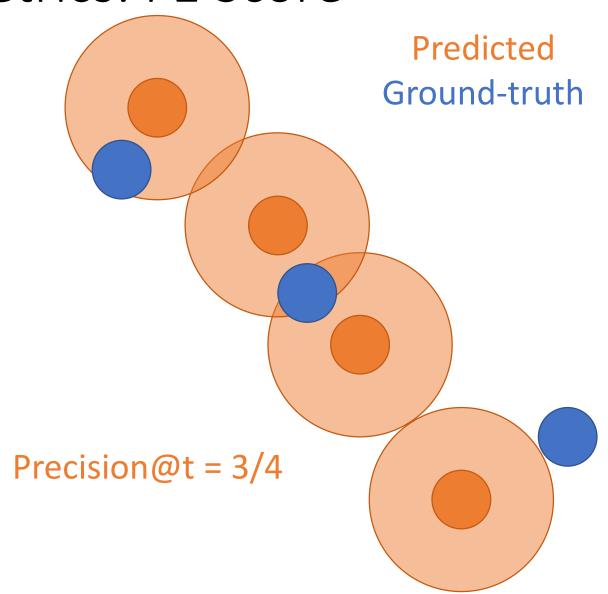
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Similar to Chamfer, sample points from the surface of the prediction and the ground-truth



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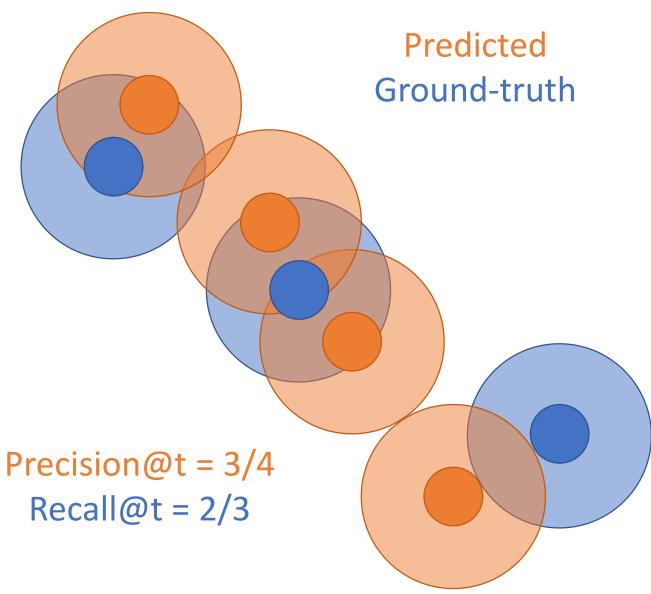
Precision@t = fraction of predicted points within t of some ground-truth point



Similar to Chamfer, sample points from the surface of the prediction and the ground-truth

Precision@t = fraction of predicted points within t of some ground-truth point

Recall@t = fraction of ground-truth points within t of some predicted point

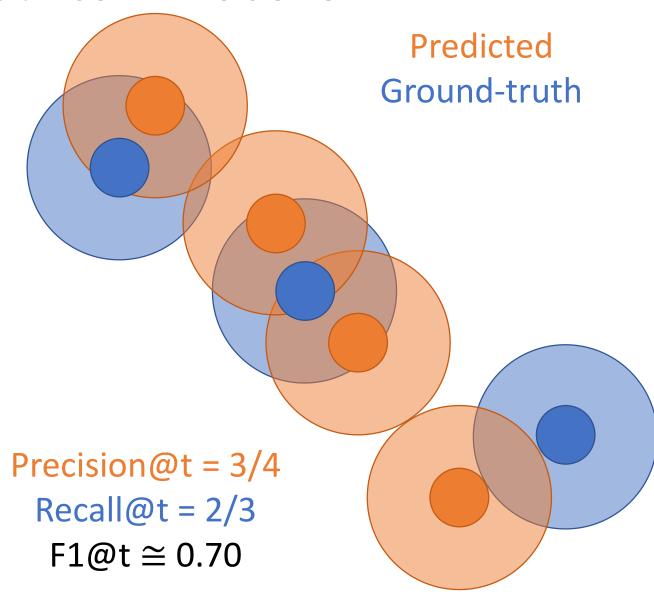


Similar to Chamfer, sample points from the surface of the prediction and the ground-truth

Precision@t = fraction of predicted points within t of some ground-truth point

Recall@t = fraction of ground-truth points within t of some predicted point

$$F1@t = 2 * \frac{Precision@t * Recall@t}{Precision@t + Recall@t}$$



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F1 score is robust to outliers!

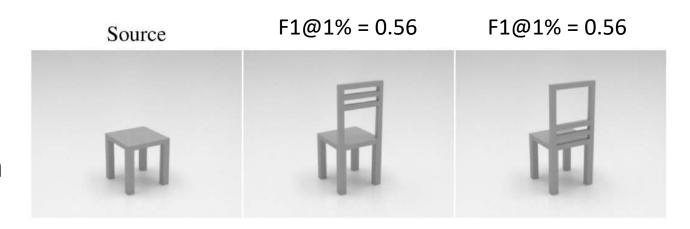


Figure credit: Tatarchenko et al, "What Do Single-view 3D Reconstruction Networks Learn?", CVPR 2019

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Conclusion: F1 score is probably the best shape prediction metric in common use

Figure credit: Tatarchenko et al, "What Do Single-view 3D Reconstruction Networks Learn?", CVPR 2019

Shape Comparison Metrics Summary

Intersection over Union:

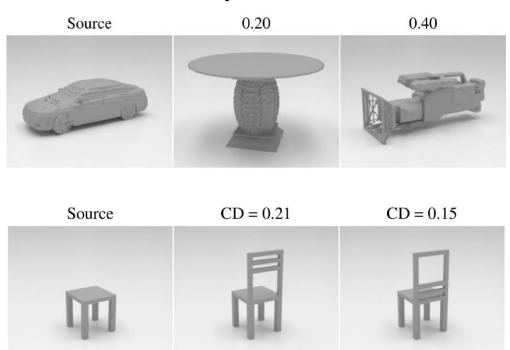
Doesn't capture fine structure, not meaningful at low values

Chamfer Distance:

Very sensitive to outliers
Can be directly optimized

F1 score:

Robust to outliers, but need to look at different threshold values to capture details at different scales





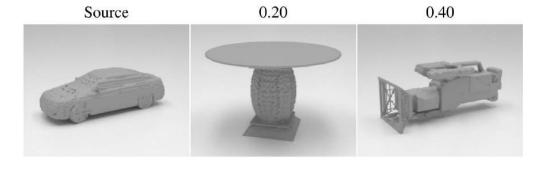
Shape Comparison Metrics Summary

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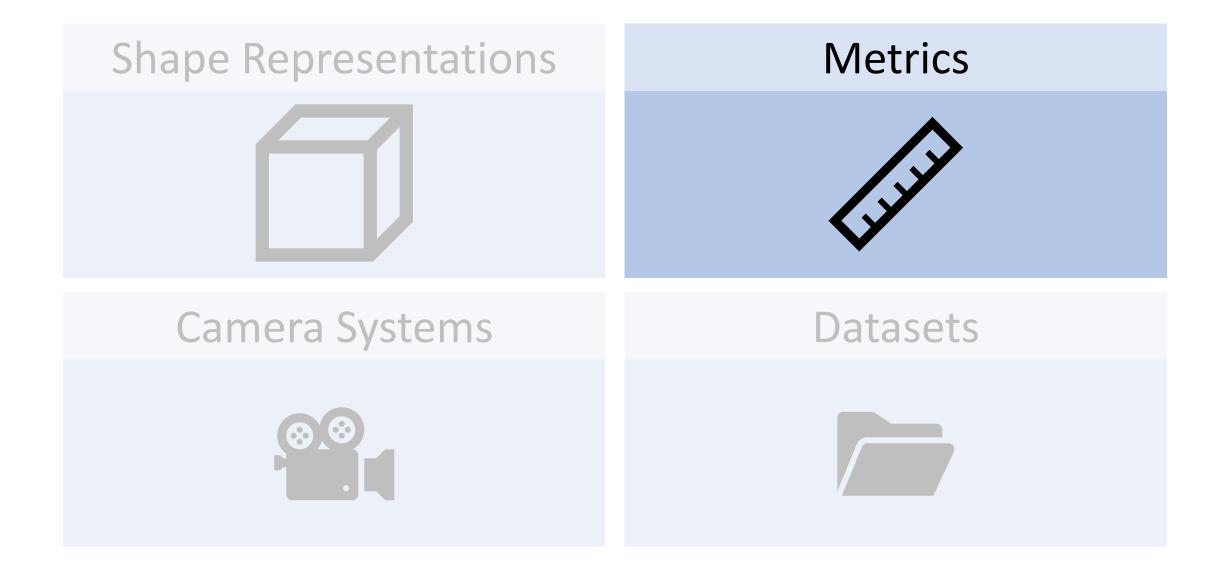


F1 score:

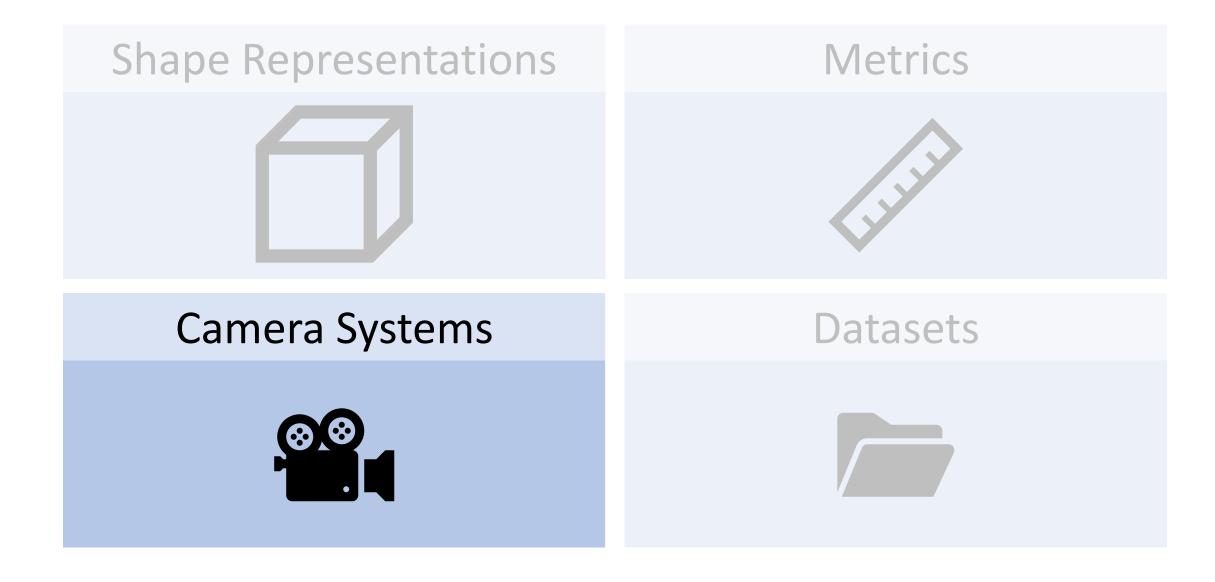
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Predicting 3D Shapes from 2D Images



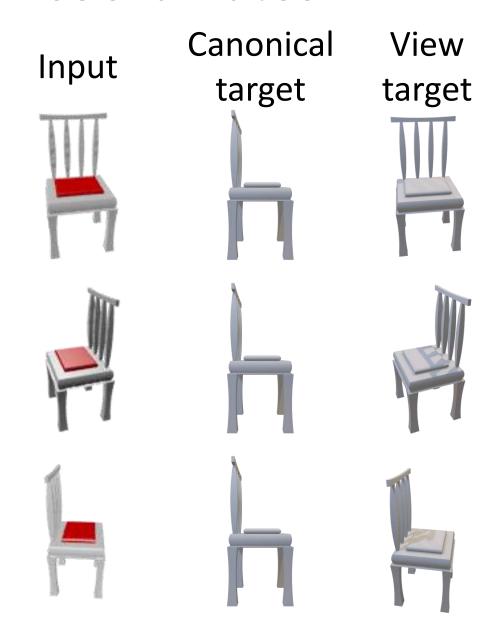
Predicting 3D Shapes from 2D Images



Canonical Coordinates: Predict 3D shape in a canonical coordinate system (e.g. front of chair is +z) regardless of the viewpoint of the input image

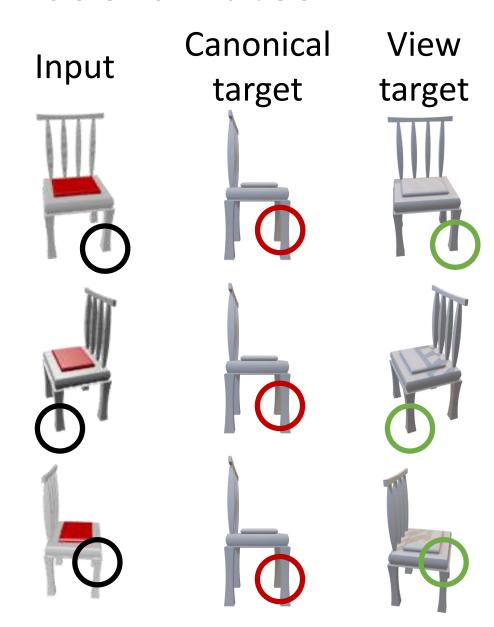
View Coordinates: Predict 3D shape aligned to the viewpoint of the camera

Many papers predict in canonical coordinates – easier to load data

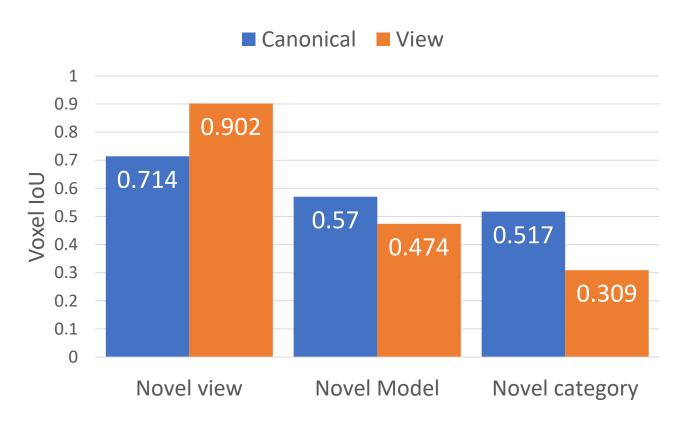


Problem: Canonical view breaks the "principle of feature alignment": Predictions should be aligned to inputs

View coordinates maintain alignment between inputs and predictions!



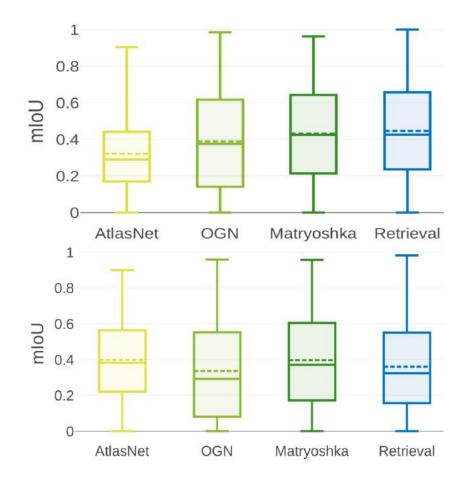
Problem: Canonical view overfits to training shapes: Better generalization to new views of known shapes Worse generalization to new shapes or new categories

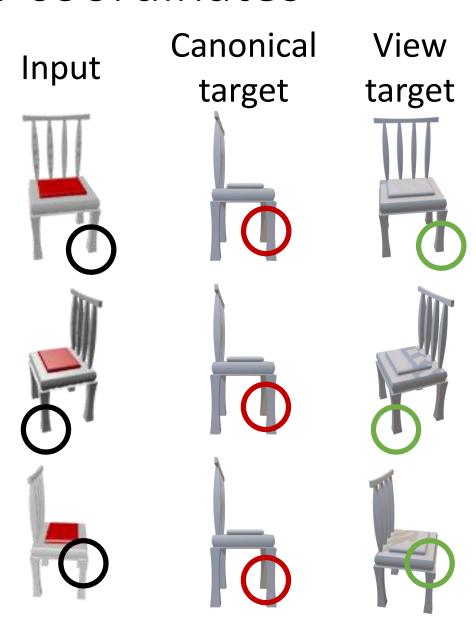


Canonical View Input target target

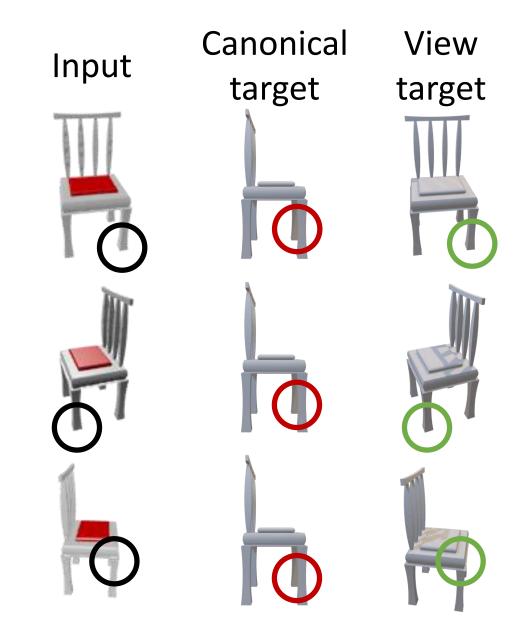
Shin et al, "Pixels, voxels, and views: A study of shape representations for single view 3D object shape prediction", CVPR 2018

Problem: In canonical view, many methods perform on par with retrieval baseline! Not true in view coordinates

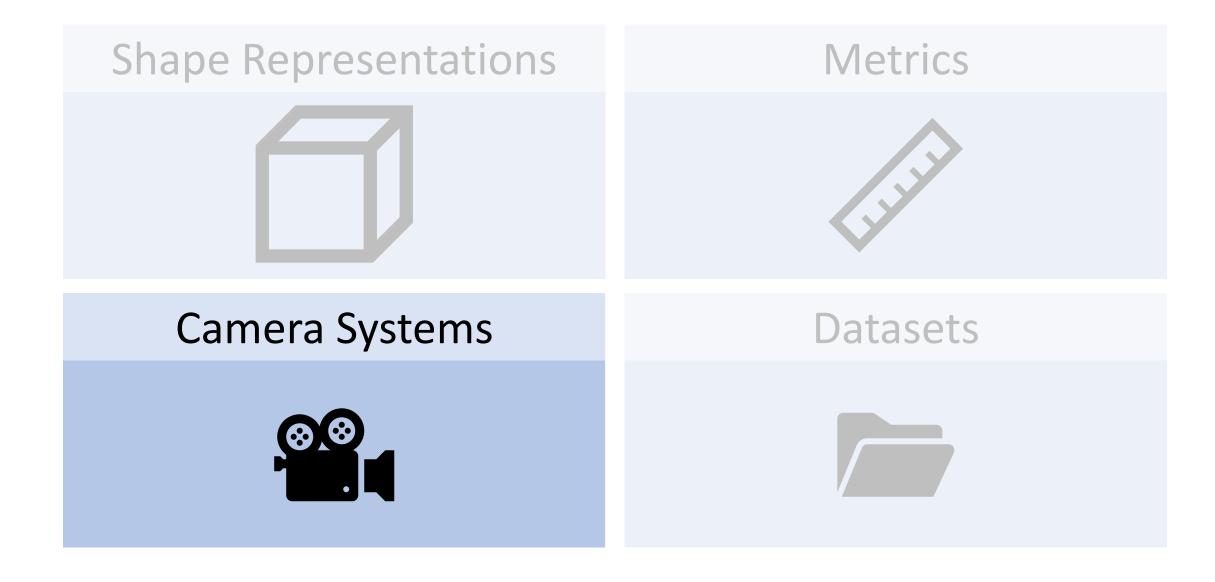




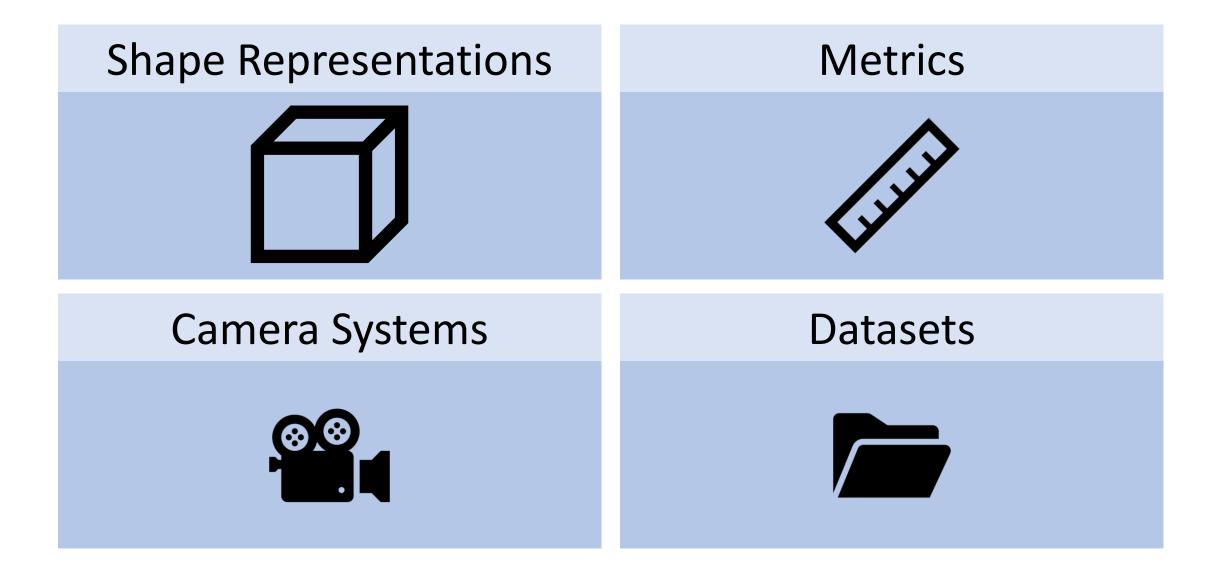
Conclusion: We should prefer to predict in view coordinates!



Predicting 3D Shapes from 2D Images



Predicting 3D Shapes from 2D Images



3D Shape Datasets: Object-Centric ShapeNet



~50 categories, ~50k 3D CAD models

Standard split has 13 categories, ~44k models, 25 rendered images per model

Many papers show results here

- (-) Synthetic, isolated objects; no context
- (-) Lots of chairs, cars, airplanes

3D Shape Datasets: Object-Centric

ShapeNet



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Pix3D







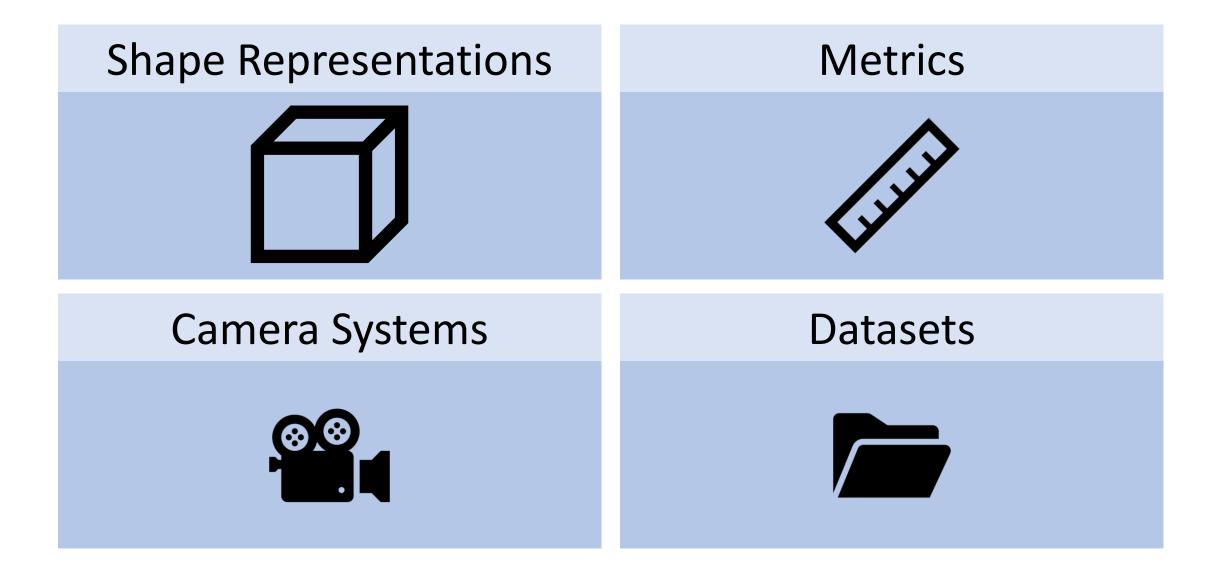


9 categories, 219 3D models of IKEA furniture aligned to ~17k real images

Some papers train on ShapeNet and show qualitative results here, but use ground-truth segmentation masks

- (+) Real images! Context!
- (-) Small, partial annotations only 1 obj/image

Predicting 3D Shapes from 2D Images



Mesh R-CNN

Georgia Gkioxari



Jitendra Malik



Justin Johnson



Facebook AI Research

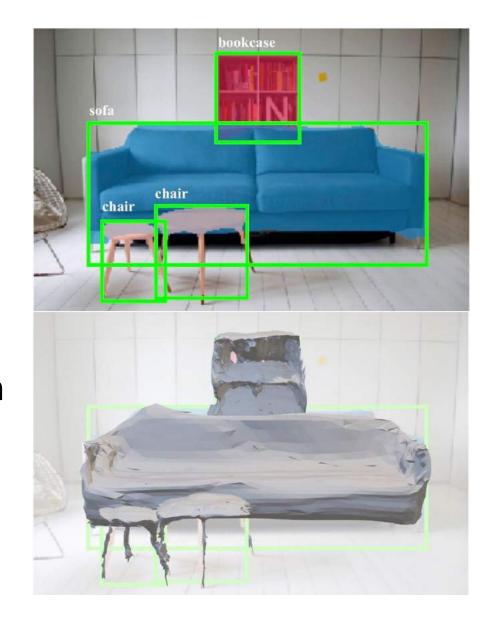
Mesh R-CNN: Task

Input: Single RGB image

Output:

A set of detected objects For each object:

- Bounding box
- Category label
- Instance segmentation
- 3D triangle mesh



Mesh R-CNN: Task

Input: Single RGB image

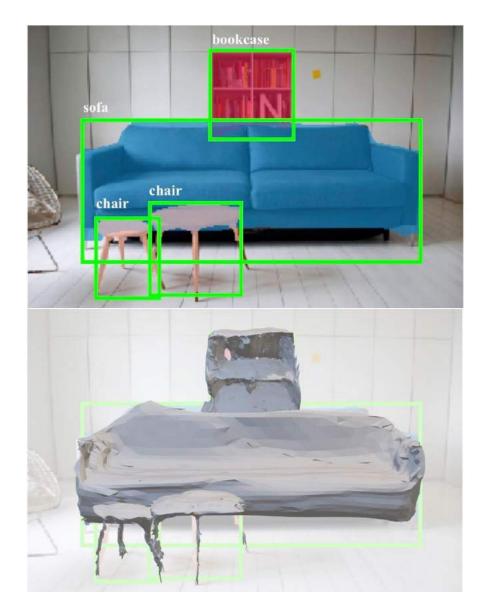
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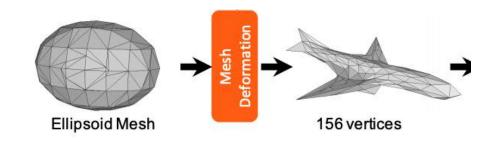
Mask R-CNN

Mesh head

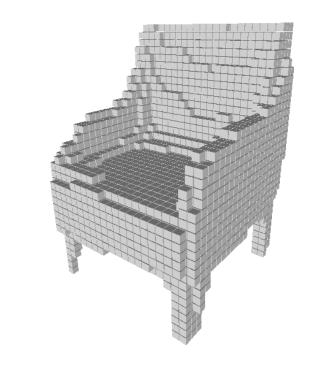


Mesh R-CNN: Hybrid 3D shape representation

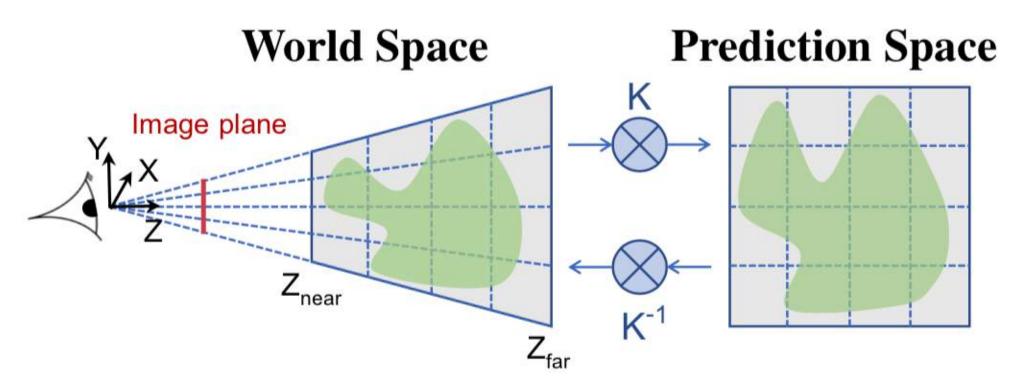
Mesh deformation gives good results, but the topology (verts, faces, genus, connected components) fixed by the initial mesh



Our approach: Use coarse voxel predictions to create initial mesh prediction!



Mesh R-CNN: Camera system



View-centric predictions! Voxels take perspective camera into account, so our "voxels" are actually frustums

Input image



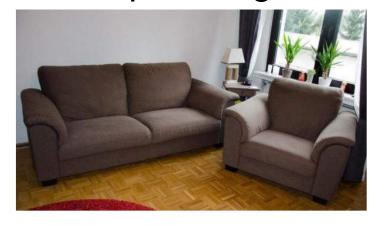
Input image



2D object recognition



Input image



2D object recognition





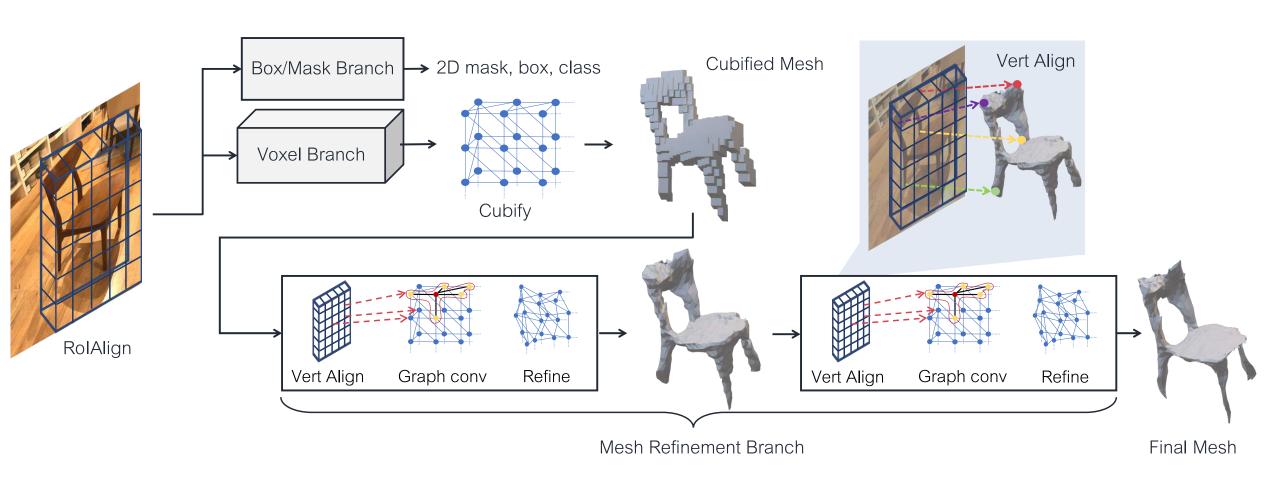
3D object voxels

2D object recognition Input image

3D object meshes

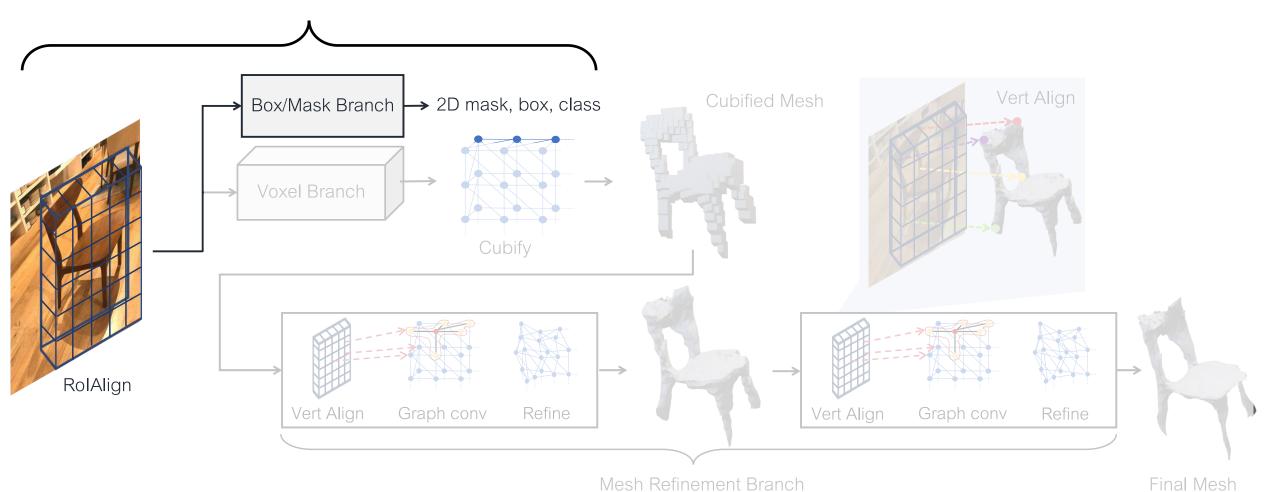
3D object voxels

Mesh R-CNN: Archtecture



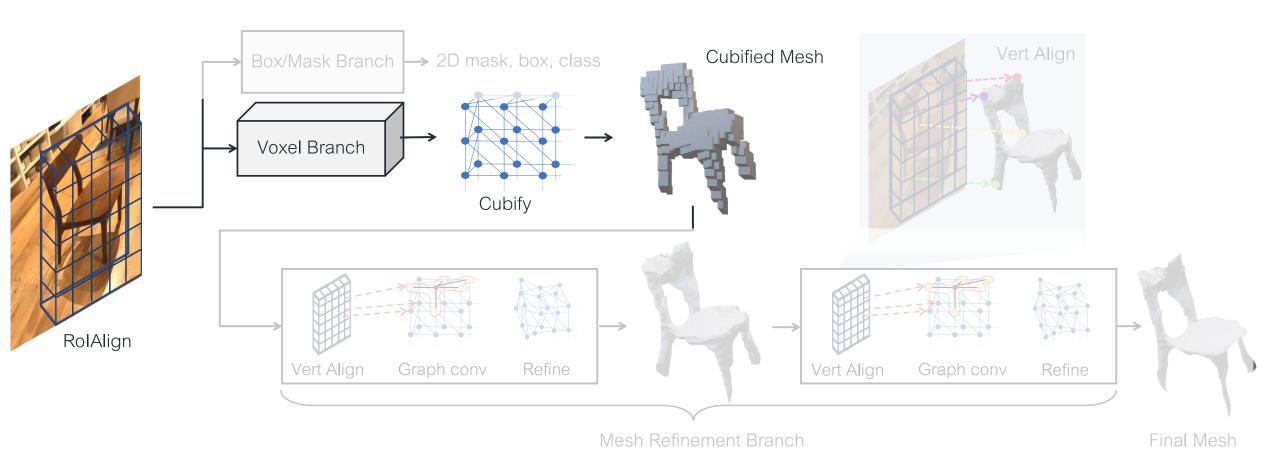
Mesh R-CNN: Architecture

Same as Mask R-CNN



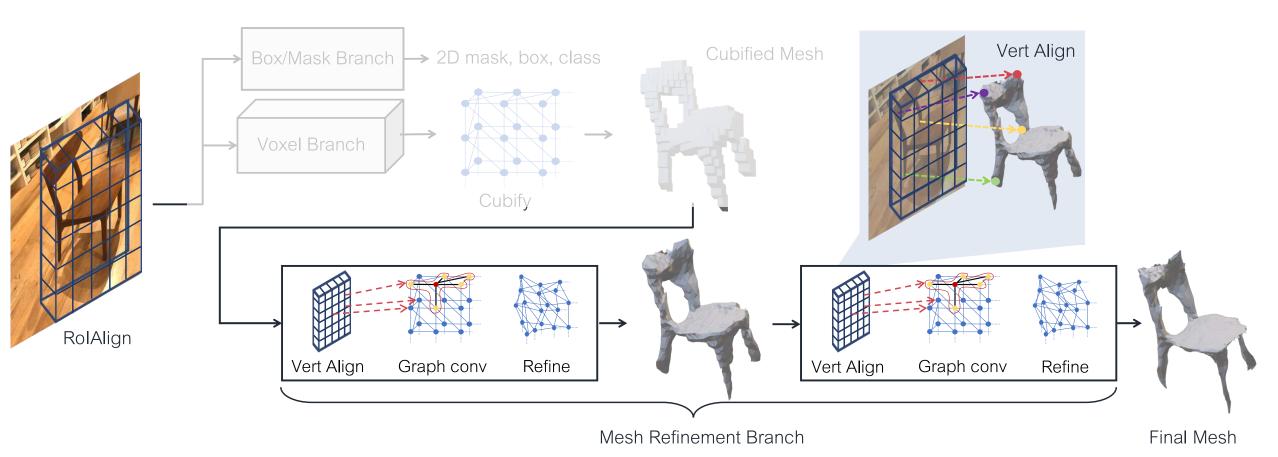
Mesh R-CNN: Architecture

Voxel branch: predict voxels, then threshold and convert to mesh



Mesh R-CNN: Architecture

Mesh refinement branch: Iteratively refine mesh through stages of vertex feature alignment, graph convolution, and vertex offset



Mesh R-CNN: Training Losses

- Instance segmentation losses: Same as Mask R-CNN
 - RPN classification
 - RPN bounding box regression
 - Per-region classification
 - Per-region bounding box regression
 - Per-region instance segmentation mask
- Voxel loss: Binary cross-entropy loss on voxel occupancy
- Mesh loss: Chamfer distance on sampled points at each stage
- Mesh regularizer: Minimize length of edges in mesh

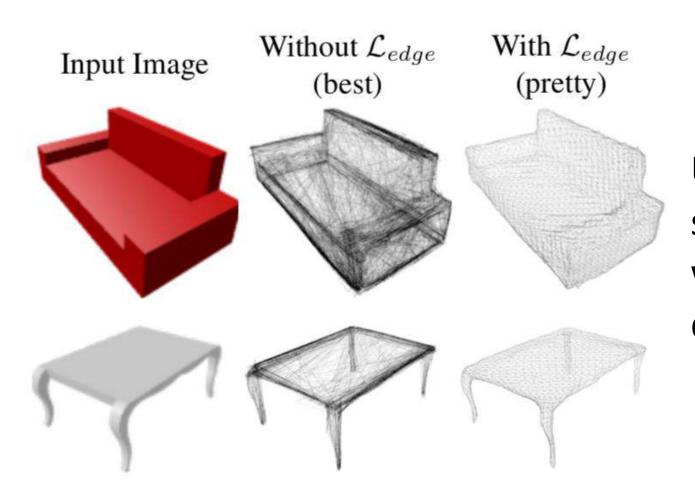
Mesh R-CNN: Batching

Each of our predicted meshes can have varying numbers of vertices and faces

Prior work that predicts meshes either shares mesh topology over the batch, or uses batch size=1

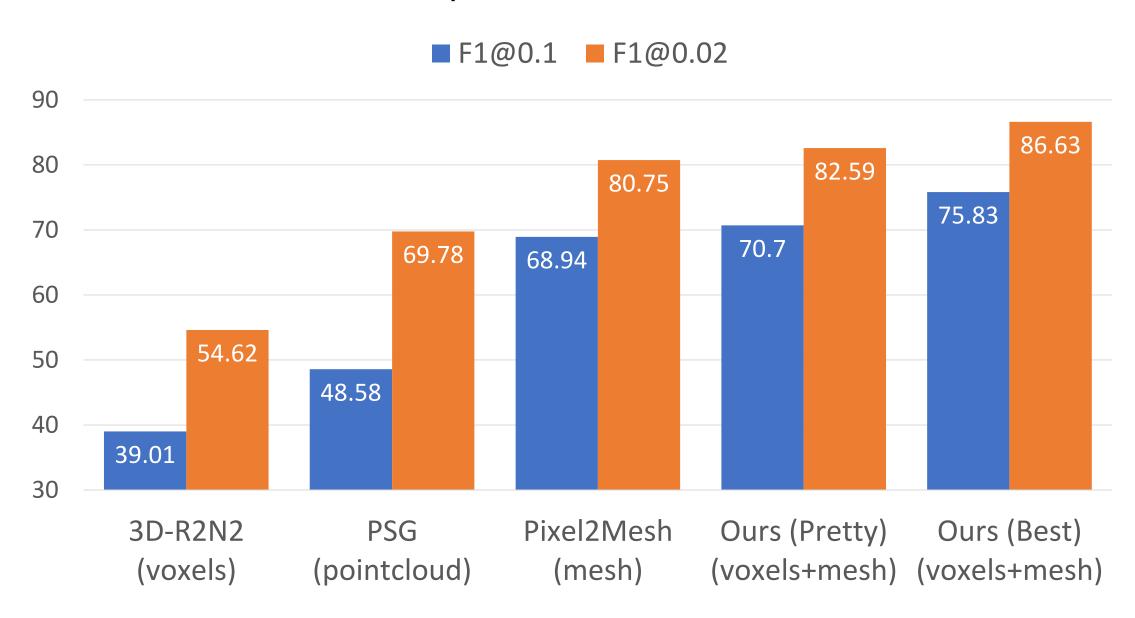
Our implementation handles batches of heterogenous meshes for all operations

Results on ShapeNet: Best vs Pretty



Using regularizers produces smooth shapes but metrics are worse. Note that the metrics do not capture "smoothness".

Mesh R-CNN: ShapeNet results



Mesh R-CNN: ShapeNet Results



Task & Metrics:

- Detect all objects in the image: AP^{box}
- Predict their instance mask: AP^{mask}
- Predict their 3D shape: AP^{mesh}







Definition of AP^{mesh}:

• A detection is true positive if the predicted class is correct, it is not a duplicate detection and its $F1^{0.3} > 0.5$

Random Split S₁:

Images are split randomly into ~7500 train and ~2500 test.

Pix3D S_1	APbox	AP ^{mask}	APmesh	chair	sofa	table	bed	desk	bkcs	wrdrb	tool	misc	V	F
Voxel-Only	92.1	86.6	2.1	0.0	0.3	0.7	0.1	0.5	14.3	3.1	0.0	0.0	$1548_{\pm 506}$	$2855_{\pm 917}$
Pixel2Mesh ⁺	90.4	86.5	42.6	32.5	61.8	46.6	43.1	36.3	57.5	43.9	29.5	32.4	$2562_{\pm0}$	$5120_{\pm 0}$
Sphere-Init	90.4	85.4	42.1	32.8	61.4	49.1	38.4	33.4	53.7	45.7	40.2	23.7	$2562_{\pm0}$	$5120{\scriptstyle \pm 0}$
Mesh R-CNN (ours)	92.3	87.4	48.4	42.6	66.9	56.6	48.2	38.6	70.0	54.2	36.6	21.8	$1548_{\pm 506}$	$2855 {\scriptstyle \pm 917}$
# test instances	2440	2440	2440	1129	398	398	205	148	79	53	11	19		

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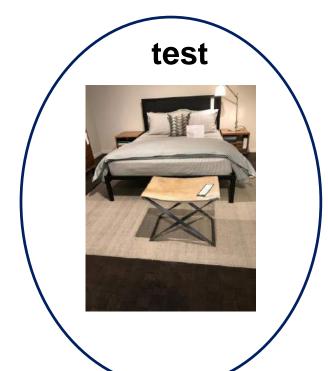
Shape Split S₂:

Images are split such that a shape seen on test is **not** seen on train For example, for chair



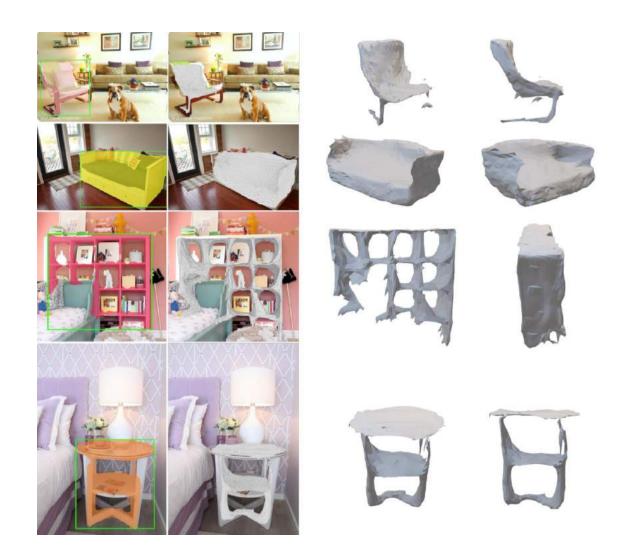






Pix3D S_1	APbox	AP ^{mask}	APmesh	chair	sofa	table	bed	desk	bkcs	wrdrb	tool	misc	V	F
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Mesh R-CNN (ours)	92.3	87.4	48.4	42.6	66.9	56.6	48.2	38.6	70.0	54.2	36.6	21.8	$1548_{\pm 506}$	$2855_{\pm 917}$
# test instances	2440	2440	2440	1129	398	398	205	148	79	53	11	19		=======================================
Pix3D S_2														
Voxel-Only	66.5	60.1	3.9	0.0	0.0	0.5	0.2	0.8	16.1	0.1	17.0	0.0	$1496_{\pm 437}$	$2758_{\pm 799}$
Pixel2Mesh ⁺	60.4	57.3	22.3	24.9	66.2	14.5	42.6	6.8	20.0	1.2	24.1	0.0	2562 ± 0	$5120_{\pm 0}$
Sphere-Init	63.0	58.4	22.0	23.9	68.8	17.5	38.2	5.5	17.9	0.8	25.2	0.0	$2562_{\pm0}$	$5120_{\pm 0}$
Mesh R-CNN (ours)	63.7	58.9	25.1	27.0	74.3	22.6	38.2	8.6	20.0	1.7	33.2	0.0	$1496_{\pm 437}$	$2758_{\pm 799}$
# test instances	2368	2368	2368	778	506	398	219	205	85	135	22	20		





Summary

- Predicting 3D shapes from 2D images requires rethinking shape representations, metrics, datasets
- Mesh R-CNN jointly detects objects and emits a triangle mesh for each predicted object
- We hope Mesh R-CNN can help take perception and recognition to the next dimension!
- Mesh R-CNN is built in PyTorch on top of Detectron2, we will release code and models!

FAIR Research Engineer

Menlo Park, CA Seattle, WA



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