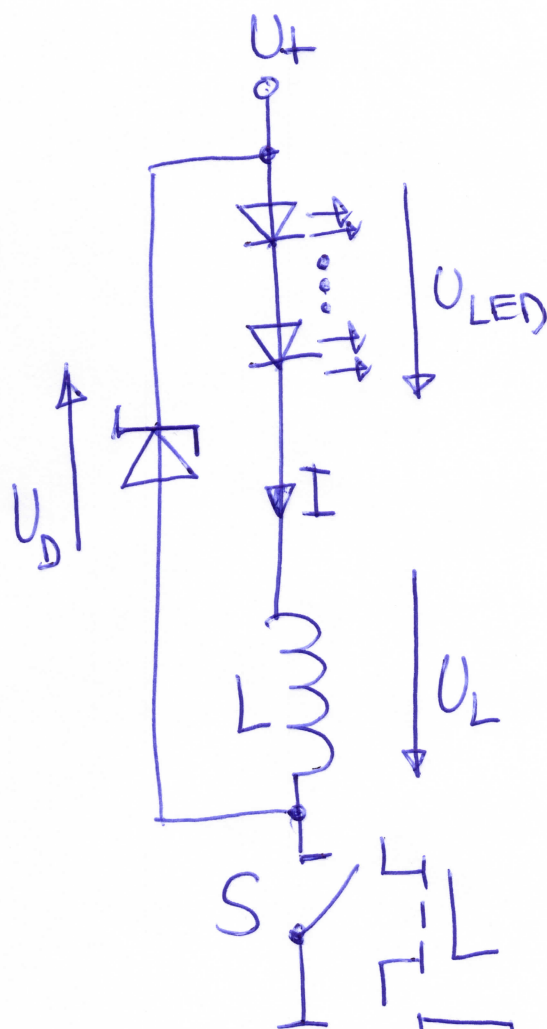


eand
26.9.2019



$$i_L(t) = \frac{1}{L} \int u_L(t) dt$$

when S is closed:

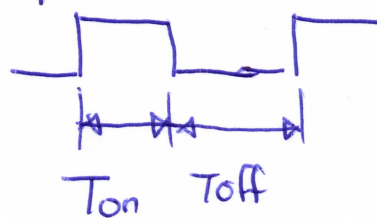
$$U_L = U_+ - U_{LED} \approx \text{const.}$$

$$\Delta I_{on} = \frac{1}{L} (U_+ - U_{LED}) \cdot T_{on}$$

when S is open:

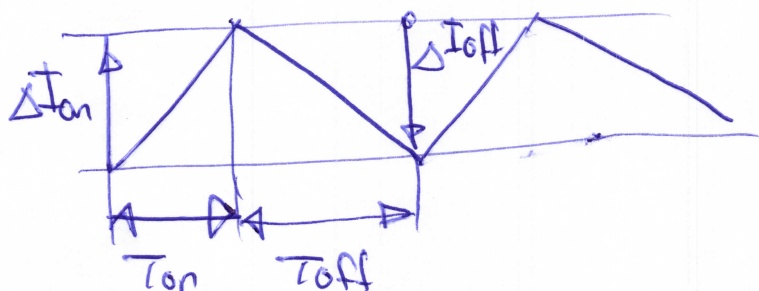
$$U_L = -U_{LED} - U_D$$

$$\Delta I_{off} = -\frac{1}{L} (U_{LED} + U_D) \cdot T_{off}$$



for stable operation:

$$\Delta I_{on} = -\Delta I_{off}$$



$$\frac{1}{L} (U_+ - U_{LED}) \cdot T_{on} = \frac{1}{L} (U_{LED} + U_D) \cdot T_{off}$$

$$U_+ \cdot T_{on} - U_D \cdot T_{off} = U_{LED} (T_{on} + T_{off})$$

$$U_{LED} = U_+ \cdot \frac{T_{on}}{T_{on} + T_{off}} - U_D \cdot \frac{T_{off}}{T_{on} + T_{off}}$$

with duty cycle d :

$$d = \frac{T_{on}}{T_{on} + T_{off}}, \quad 1-d = \frac{T_{off}}{T_{on} + T_{off}}$$

$$U_{LED} = U_+ \cdot d - U_D (1-d)$$

$$d = \frac{U_{LED} + U_D}{U_+ + U_D}$$

when $U_{LED} \gg U_D$ ($U_+ \gg U_D$ is also true):

$$d = \frac{U_{LED}}{U_+}, \quad U_{LED} = d \cdot U_+$$

→ U_{LED} is proportional to d !

It depends on U_{LED} and on the LEDs characteristics:

