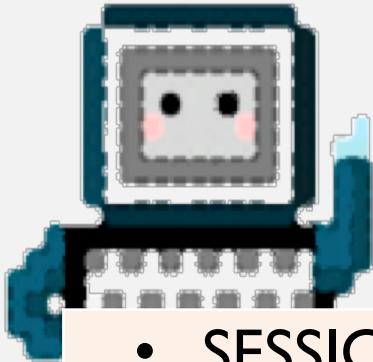




AOLME CURRICULUM

SESSION 4

MATERIALS DEVELOPED BY THE AOLME PROJECT AT THE UNIVERSITY OF NEW MEXICO, PLEASE DO NOT COPY OR DISTRIBUTE ANY OF THESE
COPYRIGHTED TASKS WITHOUT PROPER AUTHORIZATION



LEVEL I

- SESSION 1: **Basic of Raspberry PI and Linux**-(motivational overview of projects-images, ls, cd, to find previously made files)
- SESSION 2: **Introduction to Python** (print, for, if)
- SESSION 3: **Algorithms** (for loops-arithmetic progressions, if statements-ranges, inequalities)
- SESSION 4: **Binary and Hexadecimal number systems**
- SESSION 5: **The Coordinate Plane and Black & White Images in Python**
- SESSION 6: **Images and Their Components (histograms)**
- SESSION 7: **Creation of Images and Video**
- FINAL PROJECT: VIDEO



BINARY & HEXADECIMAL NUMBER SYSTEMS

OBJECTIVES:

1. Develop connections and number sense across decimal, binary, and hexadecimal systems.
2. Identify real-world applications of binary numbers.
3. Convert number values across systems.

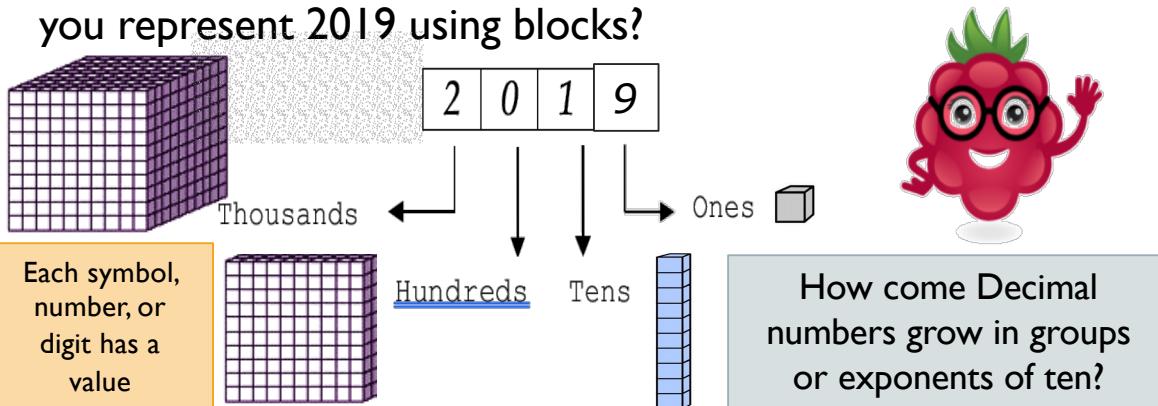
SELECTED ACTIVITIES

- 1. How do Decimal & Binary Numbers work?**
- 2. Comparing Binary and Decimal Numbers**
- 3. Hexadecimal Numbers**

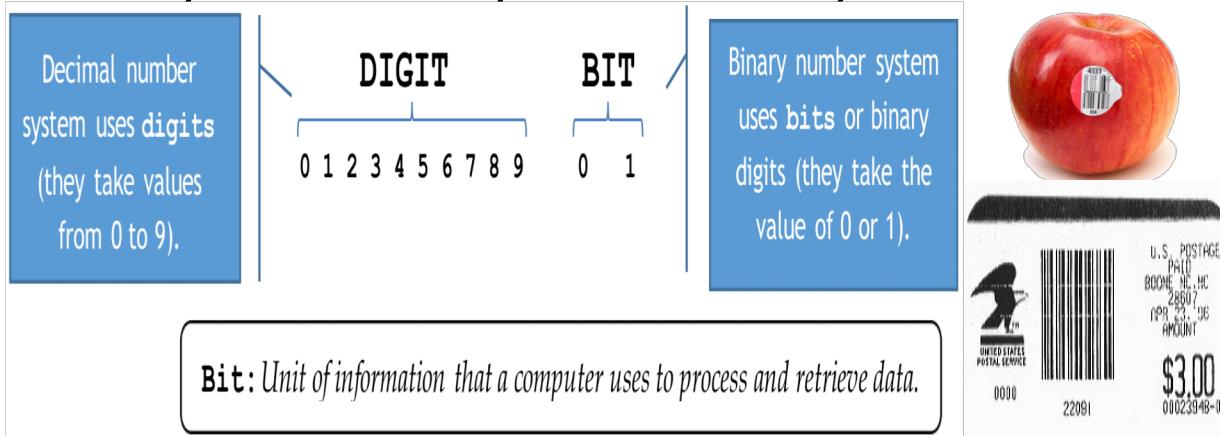


4.1. How do Decimal & Binary Numbers work?

1. Decimal Numbers: We use base-ten or decimal numbers all the time. For example, we are in the Year 2019. How would you represent 2019 using blocks?



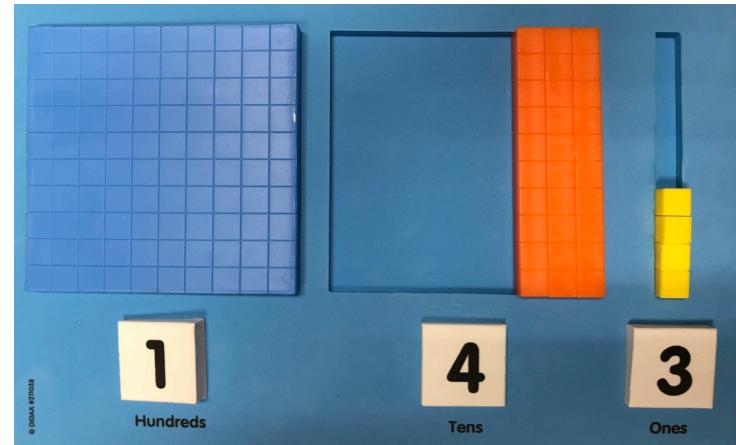
3. Think Binary Numbers: What do you know about binary numbers? Why are these binary numbers?



2. Investigate: What's wrong with the picture?

The place of a number affects its value!!

In your team, take turns coming up with a decimal number and representing it using the blocks as the picture on the right shows. Describe why you did it.



4. Explore: Binary numbers with only ones and zeros create any value. Explore patterns of how the blocks representing binary numbers grow. How are the patterns and exponents related?

2^5 ($2 \times 2 \times 2 \times 2 \times 2 = 32$)	2^4 ($2 \times 2 \times 2 \times 2 = 16$)	2^3 ($2 \times 2 \times 2 = 8$)	2^2 ($2 \times 2 = 4$)	2^1 ($2 \times 1 = 2$)	2^0 ($2 \times 1 = 1$)
pink bar	red bar	yellow bar	purple bar	orange bar	green bar

What's an exponent?

Complete Table 1 using blocks. Zeros turn off & Ones turn on the values of the column wherein they are placed. **Why do you think it is so?** For example, the binary number of 101_2 is equivalent to the value of the decimal number of 5_{10} . **Why?**

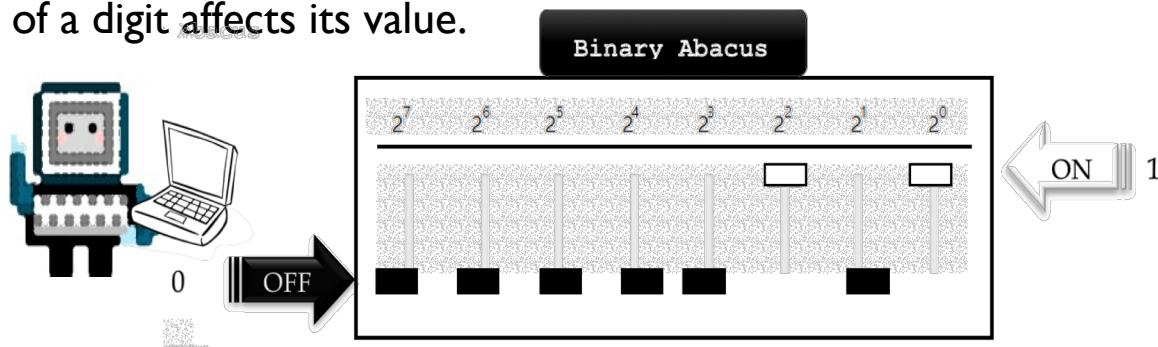
4.2. Comparing Binary and Decimal Numbers

1. **Practice:** in **Table 1** using blocks and binary digits (1 & 0) represent binary numbers taking turns. Then, represent the same value using decimal blocks/numbers.

2^5 ($2 \times 2 \times 2 \times 2 = 32$)	2^4 ($2 \times 2 \times 2 \times 2 = 16$)	2^3 ($2 \times 2 \times 2 = 8$)	2^2 ($2 \times 2 = 4$)	2^1 ($2 \times 1 = 2$)	2^0 ($2 \div 2 = 1$)

Play: Come up with a binary number and have your peers find out its value.

3. **Represent Binary Abacus** with the **Binary Abacus** on your laptop desktop. Take turns creating binary numbers by switching values **on** (1) or **off** (0). Write them down and justify how place of a digit affects its value.



2. **Compare:** These numbers look the same, but they don't have the same value. On the left are decimal numbers and on the right binary.

Which is worth more?

10^2	10^1	10^0	2^2	2^1	2^0
1	1	0	1	1	0



4. **Practice:** Using the handout: **Creating, Writing and Comparing Numbers**, work in pairs and compare results of conversions. Check answers in **Binary Abacus**.

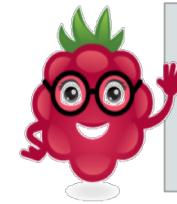
Your Data

Computer Data

01110101011010101
10100101011010101
01010101011010101
01000101011010101
01101010101001100
00101011101100111
10101001010101010

Why is it important to understand binary numbers when working with computers?

4.3. Hexadecimal Numbers



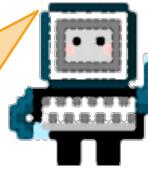
What base are these number notations in?

111_2 $A0_{16}$ 1010 $1A_{16}$

Create your own number system notation!

1. “**Hexadecimal**” means Hexa-(six) plus decimal (ten), or sixteen, or “**based 16**”. People also call them **Hex**. Hex numbers have 16 hexadecimal digits (or nibbles). To represent them we use the symbols below:

How would you write 16 in Hex?



HEXADECIMAL DIGIT															
0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
↓	↓	↓	↓	↓	↓	↓	↓	↓	↓	↓	↓	↓	↓	↓	↓

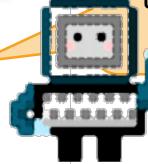
Decimal value: 0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15

These are some Hex numbers: 51_{16} $A3_{16}$ $F8_{16}$ BD_{16}

3. Conversions: Binary → Hexadecimals

Hex help write binary numbers easier by grouping binary numbers in bits or sets of 4 binary digits. Each bit can be represented with a hex. For example, 101110_2 :

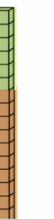
Using **Table 2.1** on the back of the Binary table, take turns converting binary into Hex numbers. Follow similar procedures to these ones:



Binary	0010	1110	
Decimal Value	2	14	

Why do you think these procedures work?

2. Hex grow in groups of 16. What's the value of $2A_{16}$ and $A2_{16}$?

16^1	16^0
	

In **Table 2** Take turns, using the hex blocks, digits to represent hex numbers. **Remember, place matters!**

Use decimals numbers to write on board the value of each number:

10 (decimal): ___, 10_2 (binary): ___, 10_{16} (hexadecimal): ___

11 (decimal): ___, 11_2 (binary): ___, 11_{16} (hexadecimal): ___

4. **Challenge:** Now that you have learned new numbers systems, complete handout, **Table 3**. This table might help remember in the future how these numbers work.



Write about what you learned in Session 4. For example, write sentences that start with:
-Digits of binary numbers are ...
-Exponents are numbers that ... They mean ...
-Hex and binary numbers are different in...