

Welcome to Automotive Vehicle Dynamics!



Lecture 01

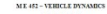
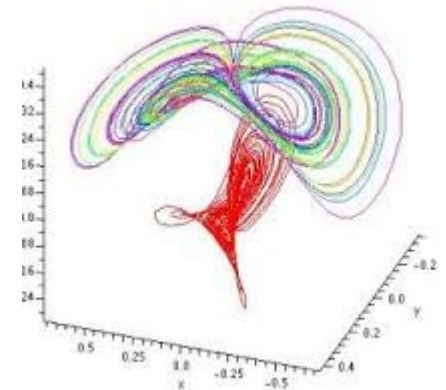
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Penn State University

That's Dr. B doing a demonstration for the Vehicle Dynamics course, Spring 2008!

1. Define the course goals and methods
2. Define what vehicles means (to us)
3. Define what dynamics means (to us)

SPRING 2014
MOBY 1:16 am - 2:16 a

124 Walker Building

1575 Hammond Drive

Instructor: Dr. Sean Brennan
Office: 117B Macomber Hall Box
Email: sbrennan@psu.edu
Phone: (814) 863-1128

Office hours: M-F 9:00-5:00, unless appointment. Office hours are usually held in 157.

Hammond, but be sure to inquire beforehand.

Course T.A: Name: TED Email:

Office hours:

Topic: This class includes investigations of one-dimensional, two-dimensional, and

Three-dimensional dynamics, kinematics and design integrated into the study vehicle dynamics. Topics include body kinematics, steady state body dynam-

The emphasis is on the analysis of a vehicle as a complex system, recognising

how to abstract observed behavior into appropriate mathematical models, to decompose behaviors into subsystems, how to construct and optimize new

simulations, useful to design and analyze experiments to test models and simulations

Textbook: (required) *MATLAB Student Edition*... You can find this software at all com

locations, at any of five campus computer labs, etc.

(optional) [Ken N. Ivar](#), *Vehicle Dynamics*, Springer. This is quite a bit of a (1000+ pages) for the price (\$75 the last I checked), and especially

comprehensive. Unlike the Racecar Vehicle Dynamics, the primary focus is passenger vehicles, as is this class.

Other Good References:

Callen • Thomas • *Fundamentals of Vehicle Dynamics*, Society of Automotive Engineers
Look for anyone new to vehicle dynamics, but for those really into it...

leave you asking for more depth. It was the class test from 2004-2005.

(Handling 2nd Edition) by John C. Dixon, SAE Press, ISBN 1-54091-000-0, comprehensive book covering every aspect of vehicle dynamics, but

ment handling response and suspension design, which seems to be a trend in the course. I've used it as the class text from 2007-2009.

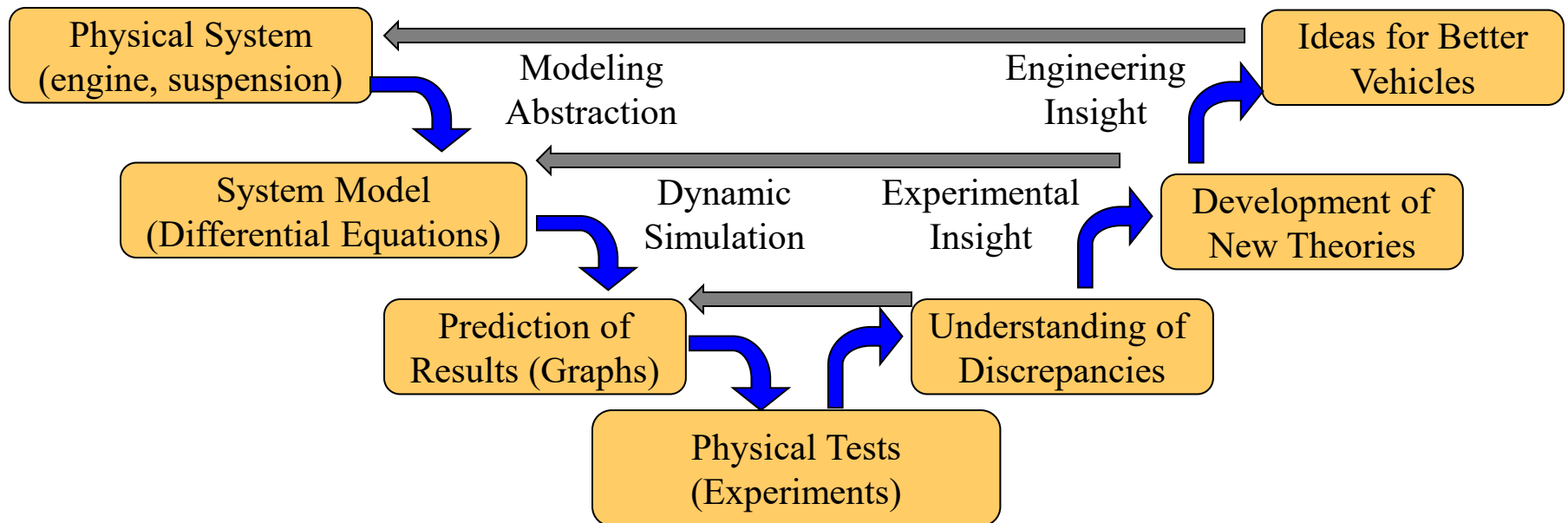
and Vehicle Dynamics, Society of Automotive Engineers, Inc.

Our main course goal is the modeling, simulation, and analysis of the dynamics of road vehicles

The difference between engineering and technicians:
engineers predict, technicians confirm.
Both approaches are necessary!



We are going to follow the “design V” methodology



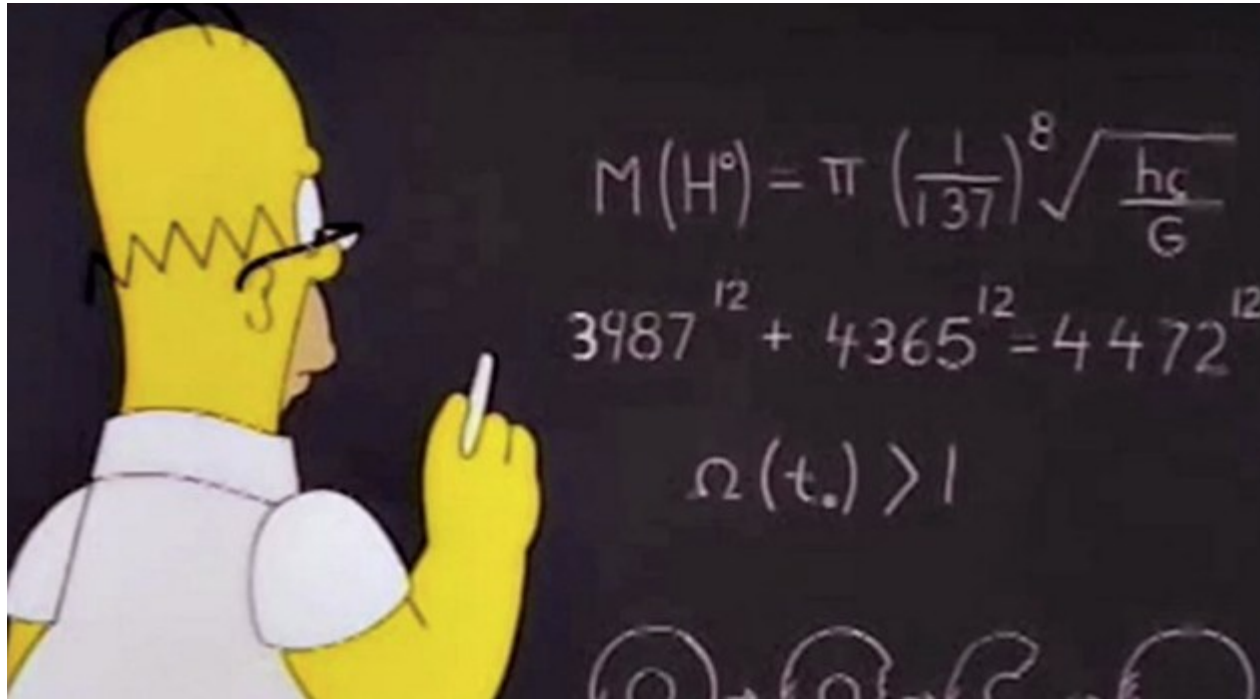
There are some things this class is NOT

- It is NOT a dynamics class:
This is a great class to solidify your ability to apply standard *System Dynamics* analysis tools, but these are assumed to be familiar to the student
- It is NOT a programming class:
Programming should be familiar to you now, and if it isn't, it soon will be. We'll use *MATLAB quite a bit*.
- It is NOT a math class:
The student should be comfortable with the use of *Ordinary Differential Equations, especially eigenvalues*



We will use ODE's to determine dynamic Equations of Motion

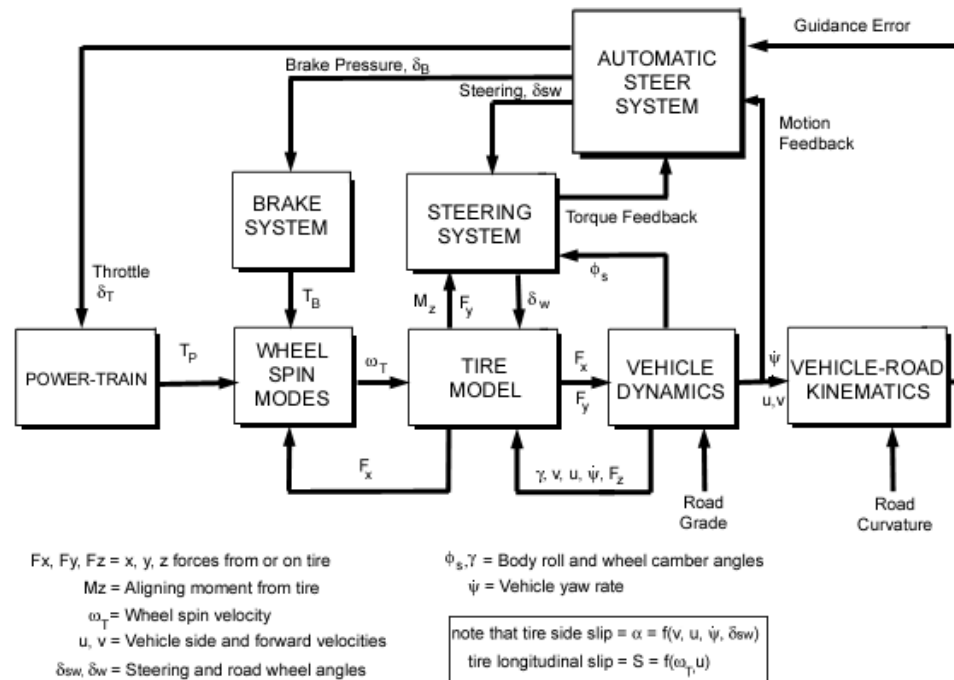
But why use math? Math is hard...



More on why in the next lecture!

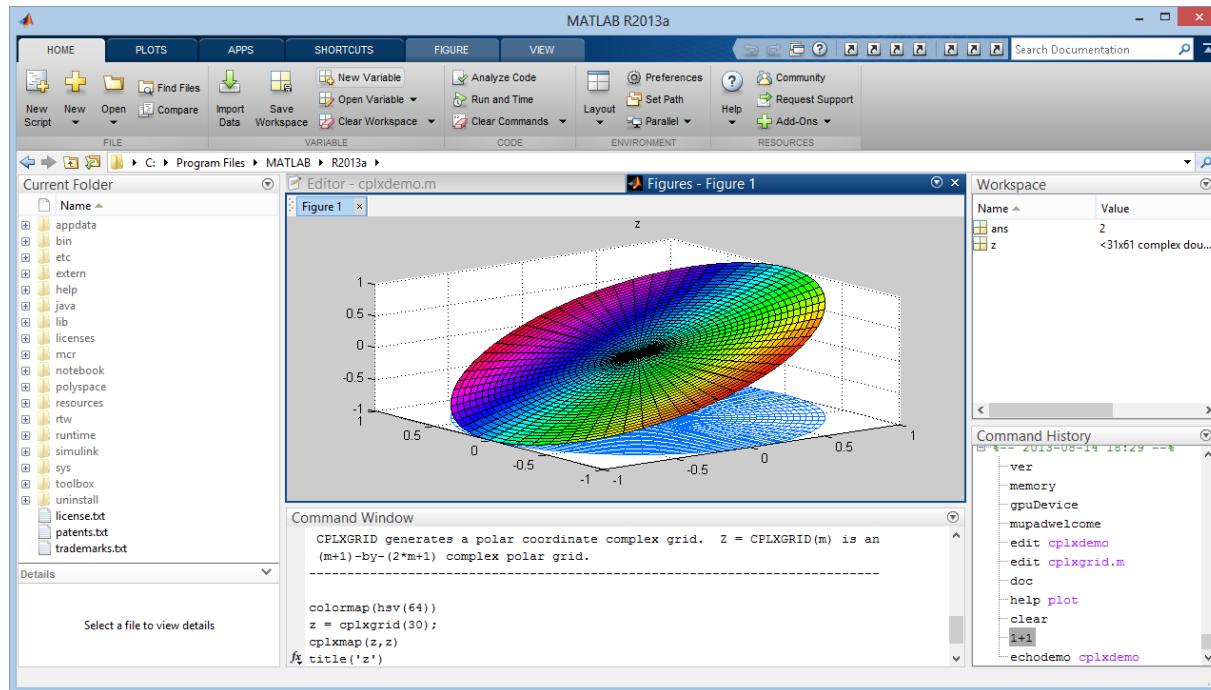
Screenshot: [Huffington Post](#)/Fox

We will focus on module-by-module development



Ground vehicles are a perfect system to teach you how to decompose a problem.

We will utilize numerical simulation tools and techniques to determine the solution to the equation of motion



From
<http://en.wikipedia.org/wiki/MATLAB>

Make sure you have access to MATLAB, and feel free to bring your laptops to class.

There are lots of ways to break down a vehicle

We will develop dynamic models involving

- Tires
- Suspensions
- Planar Vehicle Motion
- Longitudinal Vehicle Motion
- Your choice (Drivers, Automation, Powertrain)



Now let us decide on what a vehicle means to us (this class)

It is sometimes unclear whether something actually is a vehicle!



<http://www.ubergizmo.com/2013/04/hyundai-unveils-e4u-concept-personal-vehicle/>

I think we'll all agree about some vehicles



But where do we draw the line?



Our definition of a vehicle requires us to define how objects interact with the world

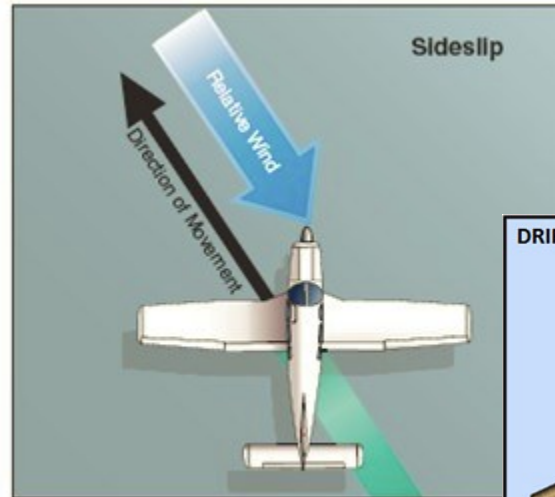
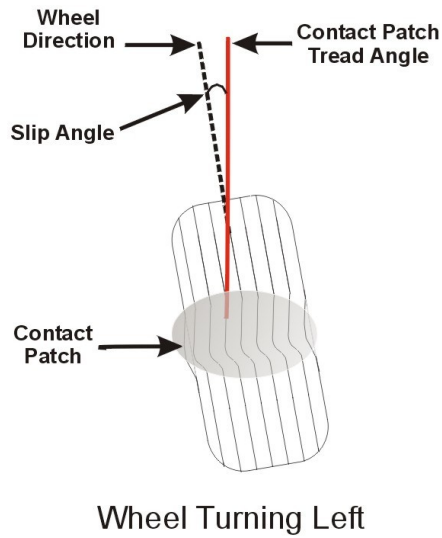
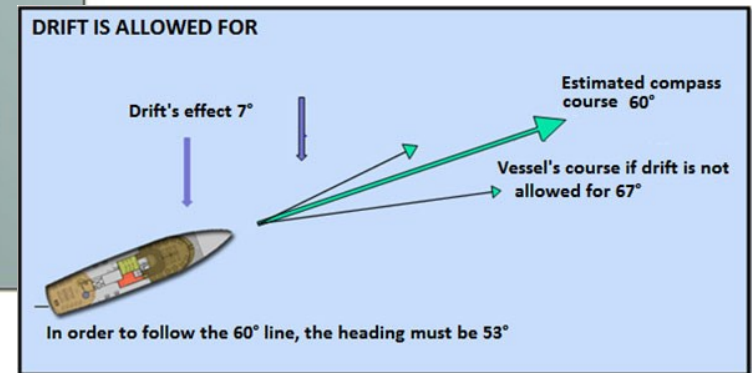


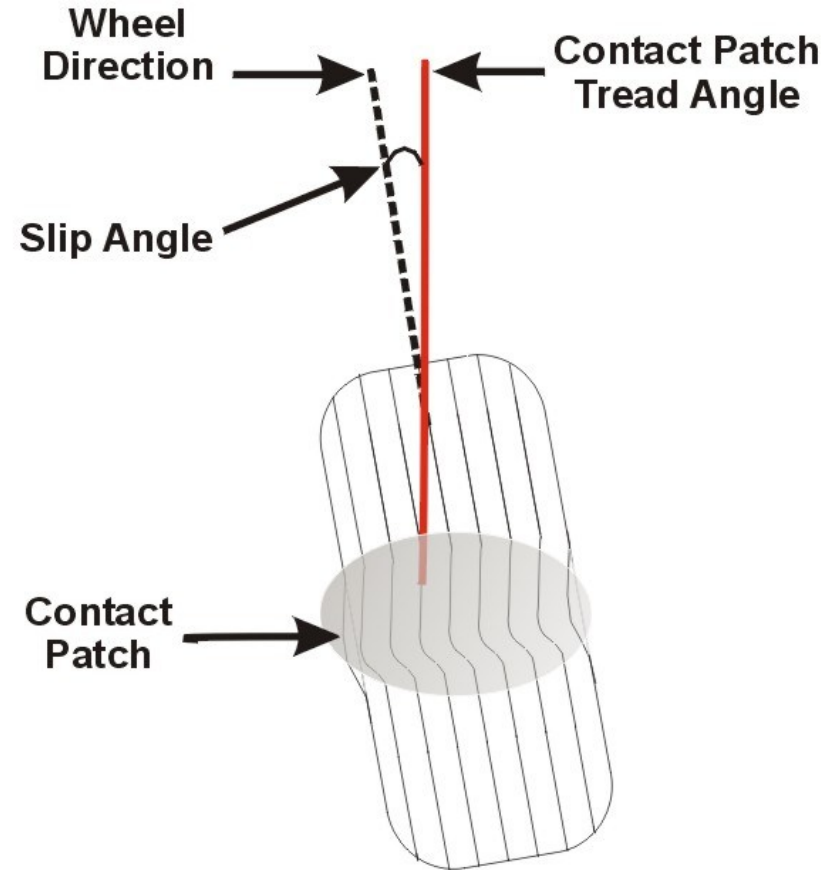
Figure 8-12. Sideslip.



In our class, for something to be a vehicle, SLIP must occur in the vehicle/world interaction.

What is slip?

It is when a difference between the **orientation** of the object to the **local velocity vector** causes a local **force**



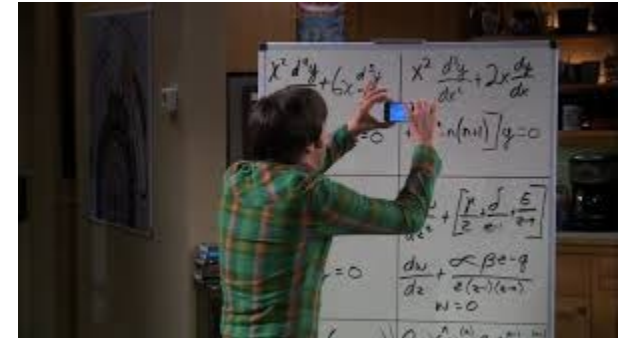
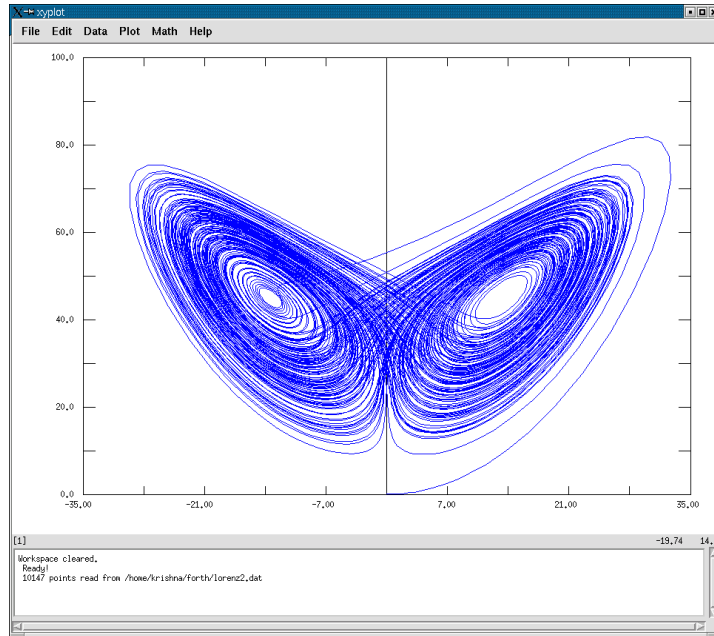
Wheel Turning Left

That last slide was important, so let's do a quick review!

Which of the following are vehicles according to this class?



So what are dynamics? (to us)



$$\frac{d^2y}{dt^2} + 2\frac{dy}{dt} + 7y = 4u$$

Dynamics are often presented as scary equations or plots, but they are really just a fancy way of saying “memory” – something in the past that affects the present.

If you don't believe dynamics (e.g. derivatives) equals memory...

Recall how a derivative is defined

Assume $\frac{dy}{dt} = f(t, y)$

Integrate both sides $y(t_{k+1}) - y(t_k) = \int_{t_k}^{t_{k+1}} f(t, y(t)) dt.$

Assuming the dt interval is small enough that f(t) is approximately constant, we get:

$$y(t_{k+1}) - y(t_k) \approx hf(t_{k+1}, y(t_{k+1})).$$

So which one of these terms is “memory” relative to behavior predictions at time k+1?

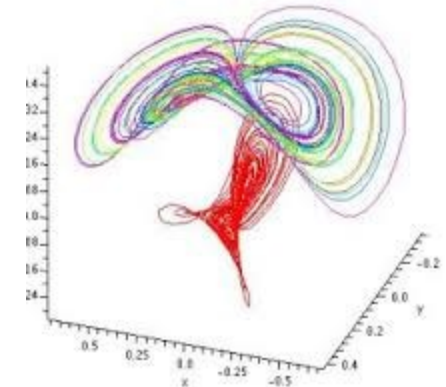
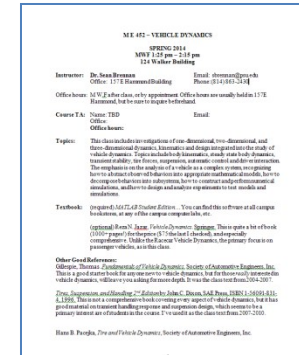
Let's do a demo to show you that more dynamics = more memory

More derivatives in a differential equation mean more dynamics, and thus more memory. We call the level of memory the “order” of the system.

To show this, let's simulate the unit step response of the following system for different values of n , for 10 seconds of simulation:

$$\frac{Y(s)}{U(s)} = \frac{1}{(s+1)^n}$$

1. Define the course goals and methods –
be engineers, not techs
2. Define what vehicles means –
they mean slip
3. Define what dynamics means –
dynamics = memory



Upcoming homework (#2):

Do the simulations yourself in Simulink to show the plots of :

$$\frac{Y(s)}{U(s)} = \frac{1}{(s+1)^n}$$

Plot the results for $n = 1$, $n = 2$, $n=3$, on the same plot, with a legend that is your first, middle, and last name respectively. Turn in this plot with your Simulink diagram. So that I know the diagram is yours, put a comment in the diagram that has your name in it, and your favorite joke! (bonus for good vehicle jokes)



Thanks!

Dr. B with his dad, Christmas 2014

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