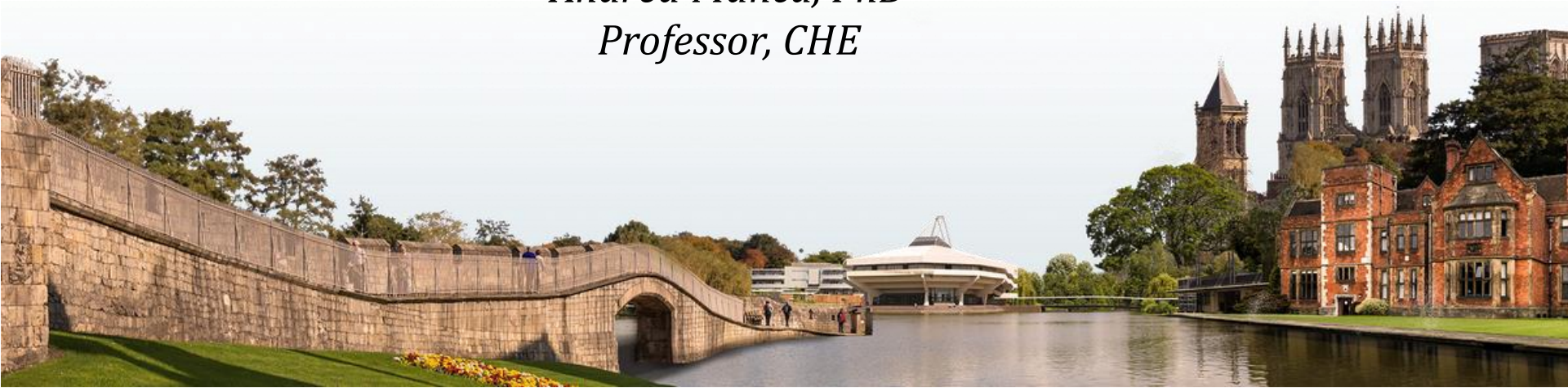


# Online Advanced Methods for Cost-Effectiveness Analysis

## Presentation 5: Working with Individual Patient Data 5.4: Representing the results of the analysis

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# Objectives

- Learn (how) to
  - derive mean and confidence interval for the Net (Monetary) Benefits (NB)
  - represent (and interpret) the Net Benefits results for a range of  $\lambda$
  - explain the relationship between net monetary benefits and acceptability curve
  - communicate the results to decision makers

# Net Benefit Framework

Remember we have seen this before in Lecture 1.4

- One possibility is to reformulate the traditional decisional rule in terms of *Net Benefit* =  $(\Delta E)\lambda - (\Delta C) > 0$
- Easy to calculate, to represent and it avoids problems with the ICER
- NB is function of the unknown value  $\lambda$ 
  - Not necessarily a weakness of this approach
  - Forced to explicitly consider the value  $\lambda$

# **The NB is a....**

## **... linear combination of two random variables**

- Remember A and B from earlier slide?
- We know that A and B have a mean and a variance
- If A and B are uncorrelated:
  - $\text{VAR}(A+B) = \text{VAR}(A) + \text{VAR}(B)$
- If A and B are correlated:
  - $\text{VAR}(A+B) = \text{VAR}(A) + \text{VAR}(B) - 2 \text{COV}(A,B)$
- Applying this logic to the net benefit formulas from the previous slide gives.....

# Sampling Uncertainty in the Net Benefit

- If  $NB = \lambda \Delta E - \Delta C \rightarrow$  let  $A = \lambda \Delta E$  and  $B = \Delta C$ , then
- The variance of the net benefit can be obtained as

$$Var(N\hat{M}B) = \underbrace{\lambda^2 \cdot Var(\Delta \bar{E})}_{Var(A)} + \underbrace{Var(\Delta \bar{C})}_{Var(B)} - 2\lambda \underbrace{Cov(\Delta \bar{E}, \Delta \bar{C})}_{Cov(A,B)}$$

or

$$Var(N\hat{H}B) = Var(\Delta \bar{E}) + \frac{Var(\Delta \bar{C})}{\lambda^2} - \frac{2}{\lambda} Cov(\Delta \bar{E}, \Delta \bar{C})$$

- We can also calculate the 95% (parametric) CI as

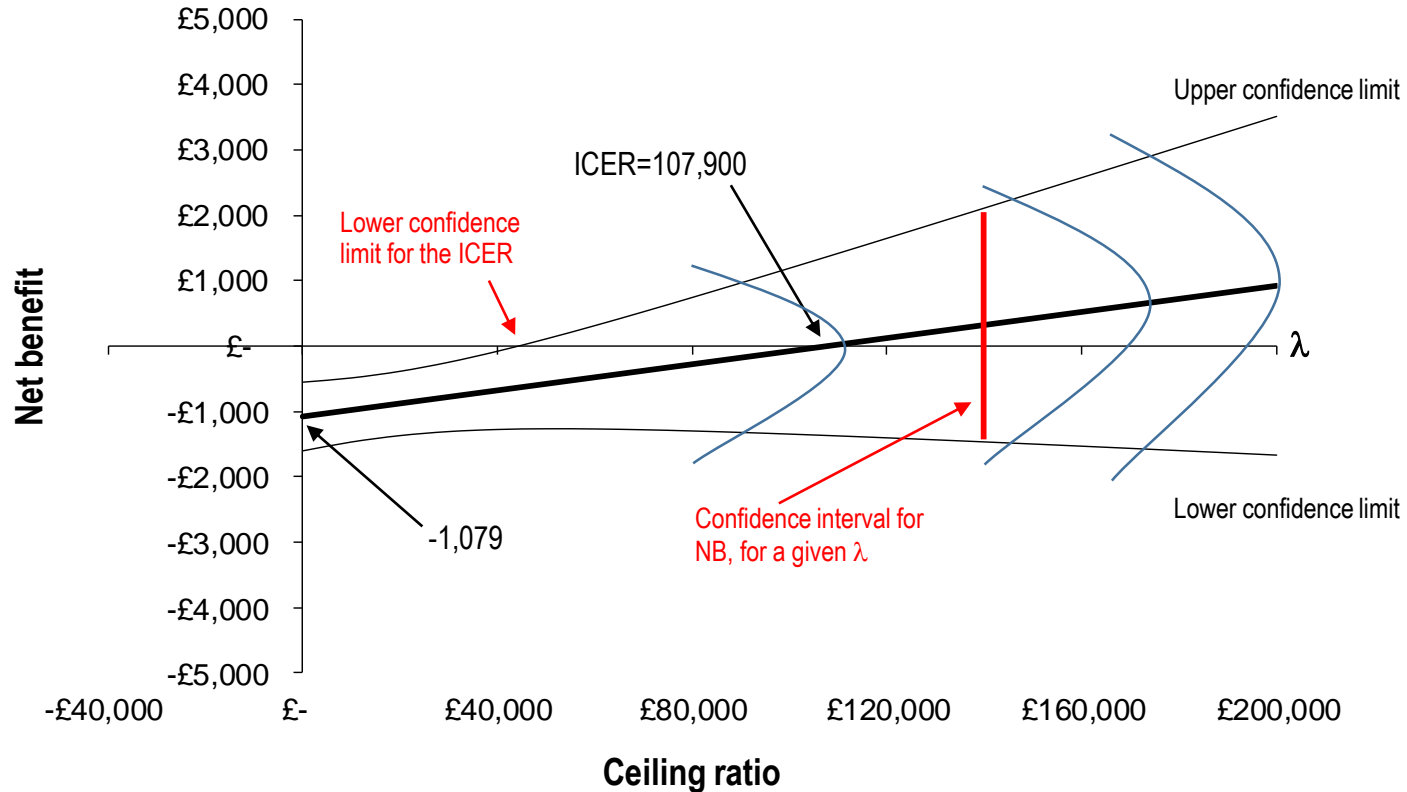
$$(N\bar{M}B - z_{\alpha/2} \cdot SE(N\bar{M}B), N\bar{M}B + z_{\alpha/2} \cdot SE(N\bar{M}B))$$

or

$$(N\bar{H}B - z_{\alpha/2} \cdot SE(N\bar{H}B), N\bar{H}B + z_{\alpha/2} \cdot SE(N\bar{H}B))$$

# Net Benefit curve

$\Delta C=1,079$  ,  $SE(\Delta C)=269$  ,  $\Delta E=0.01$  ,  $SE(\Delta E)=0.007$  ,  $COV(\Delta C, \Delta E)=0.38$



## Net Benefit line: facts

- It is linear with respect to  $\lambda$
- It crosses the x-axes at the value of  $\lambda = \text{ICER}$
- It crosses the y-axes at *minus* the difference in costs
- Can present CIs plot around the NB line ( and ICER ! )
  - Can see if upper or lower confidence limit is defined
- It is more informative than a simple ICER with CIs and can immediately give the necessary information for the decision making process

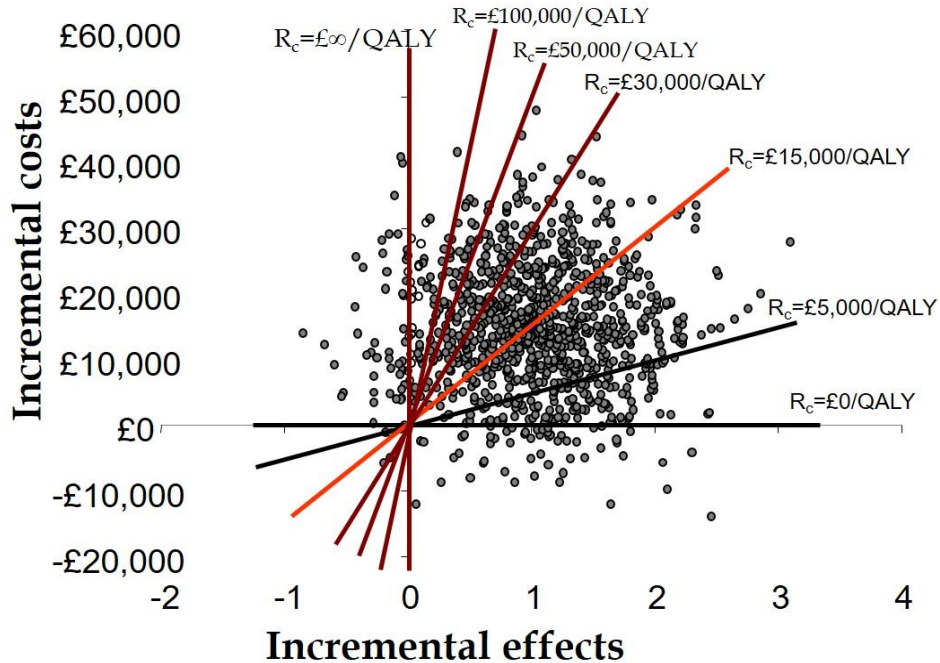
# Representing decision uncertainty

- The value of  $\lambda$  is unknown to the analyst so
- An attractive solution to represent decision uncertainty in CEA is the use of the
  - *cost-effectiveness acceptability curve (CEAC)*

*Probability that the new intervention is cost-effective for different values of  $\lambda$ , given the available data*

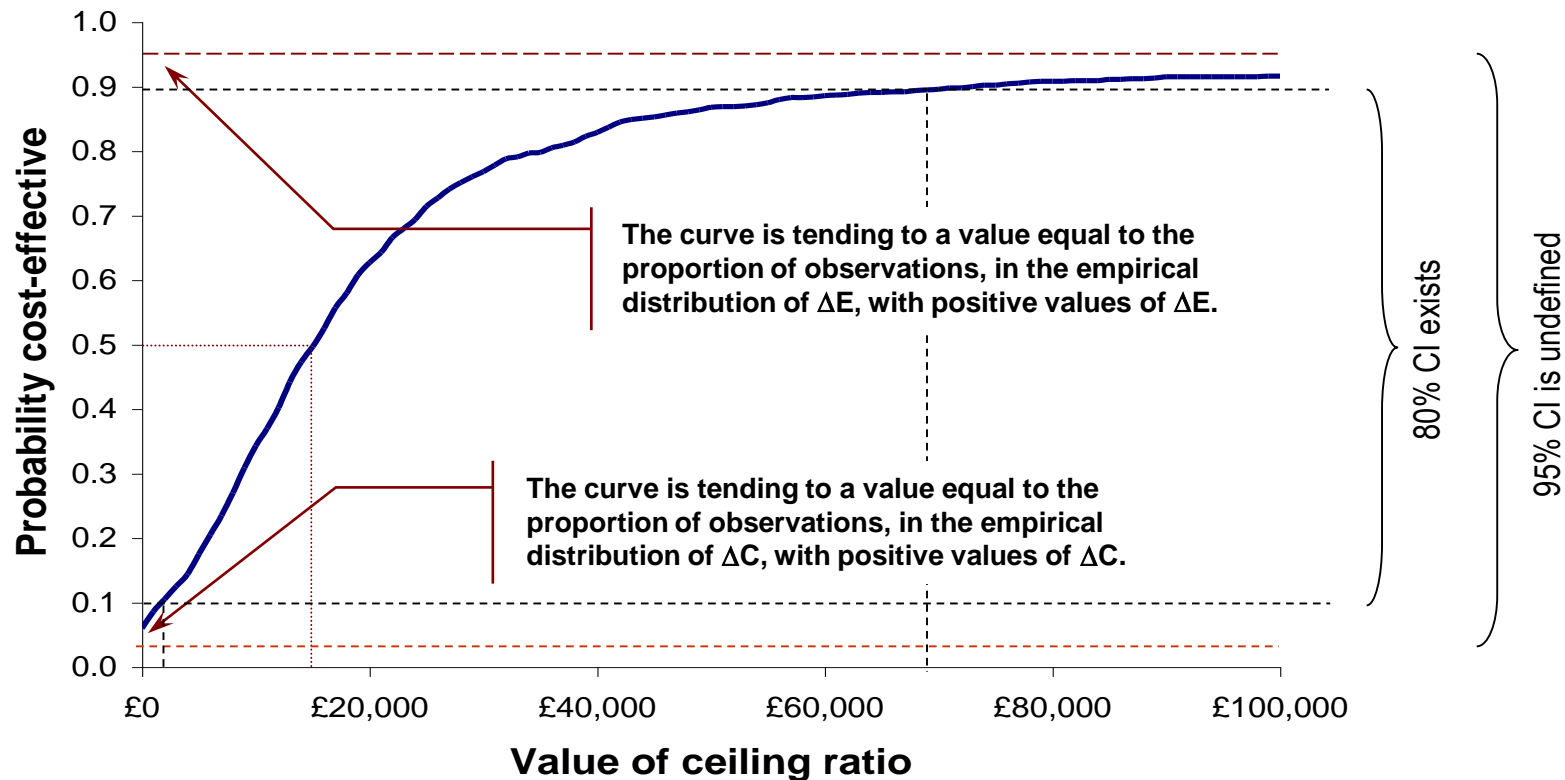


# Building the CEAC



Source: Briggs (2001)

# Cost-effectiveness acceptability curve



Source: Adapted from Briggs (2001)

# EVALUATE trial: Cost results

One year results. Values in table are mean (median) [IQR]

	Laparoscopic (N=573)	Abdominal (N=286)
Theatre cost	787 (646) [523-890]	453 (431) [381-489]
Hospital cost	548 (542) [407-678]	692 (678) [542-813]
Other post.op. cost	21 (0) [0-0]	13 (0) [0-0]
Follow up cost at 6 weeks	193 (46) [0-108]	128 (46) [0-108]
Follow up cost at 4 months	39 (0) [0-46]	88 (0) [0-46]
Follow up cost at 1 year	115 (46) [0-46]	146 (46) [0-46]
<b>Total cost</b>	<b>1706</b>	<b>1520</b>
<hr/>		
<b><i>Differential cost (95% CI)</i></b>	<b><i>188 (-26 to 375)</i></b>	

Source: Sculpher MJ, Manca A, *et al.* (2004)

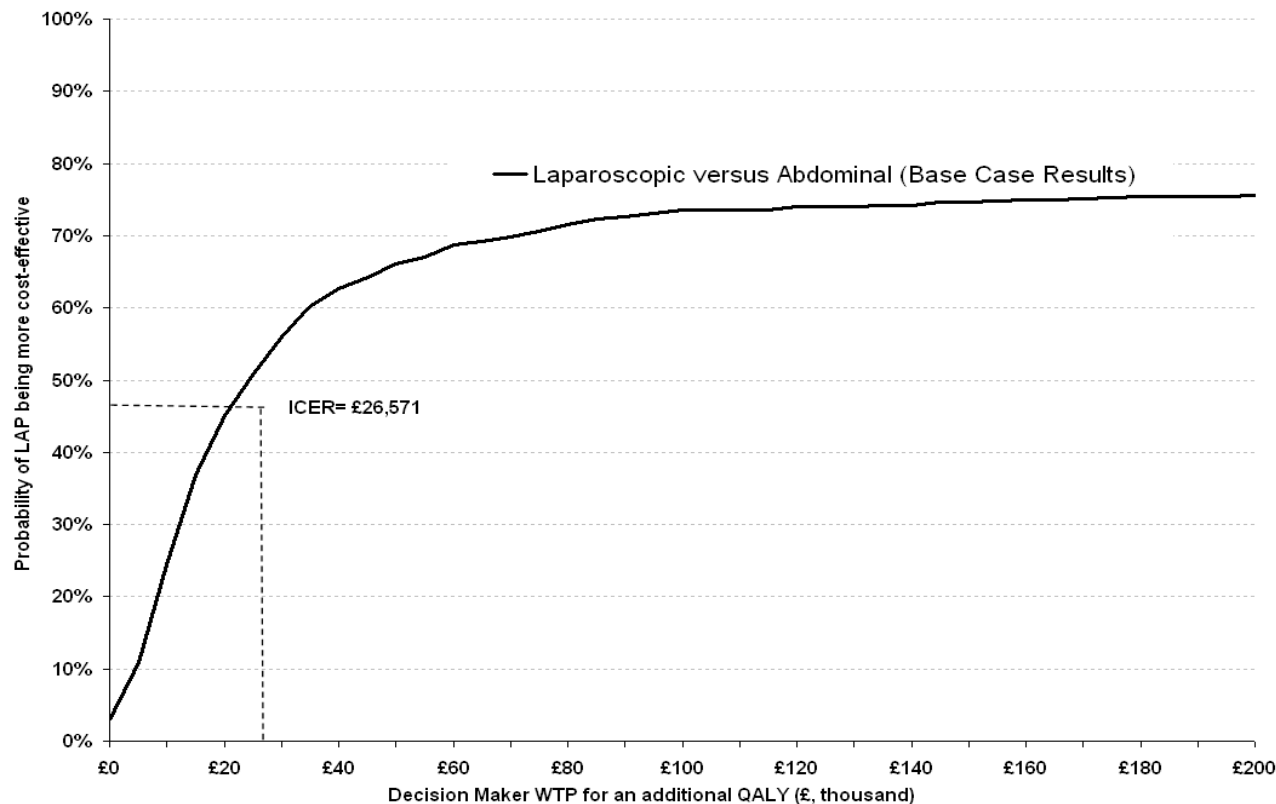
# EVALUATE trial: EQ-5D and QALYs results

One year results. Values in table are mean (median) [IQR]

	Laparoscopic (N=573)	Abdominal (N=286)
Baseline	0.716 (0.760) [0.691-0.848]	0.690 (0.725) [0.689-0.812]
6 weeks	0.832 (0.869) [0.760-1]	0.833 (0.889) [0.760-1]
4 months	0.888 (0.959) [0.812-1]	0.866 (0.888) [0.796-1]
1 year	0.897 (0.929) [0.848-1]	0.897 (0.959) [0.822-1]
<b>QALY</b>	<b>0.870</b>	<b>0.862</b>
<hr/>		
<b><i>Differential QALYs (95% CI)</i></b>	<b><i>0.007 (-0.008 to 0.023)</i></b>	

Source: Sculpher MJ, Manca A, *et al.* (2004)

# CEACs in the EVALUATE trial



Source: Sculpher MJ, Manca A, *et al.* (2004)

# Summary

- An alternative to represent the result of an economic evaluation study is to frame the analysis in terms of net benefits
- There are several analytical advantages when using this numeraire over the ICER
- It is also a lot easier to communicate the results to decision makers using a net benefit framework