

In [1]: `#TvanKlang #50414221`

In [2]: `#ChocolateChipCookieDough #RainbowSprinkles`

In [3]: `from resources306 import*
from sympy.integrals import laplace_transform as L, inverse_laplace_tr`

In [4]: `s, t = sp.symbols('s t')
u = sp.symbols('u')`

In [5]: `L(sp.exp(-t)-1, t, s)[0]`

Out[5]: $\frac{1}{s^2}$

In [7]: `L(sp.exp(8*t)-1, t, s)[0]`

Out[7]: $\frac{1}{s-8}$

In [8]: `L(sp.cos(3*t)-1, t, s)[0]`

Out[8]: $\frac{s}{s^2+9}$

In [9]: `L(sp.sin(5*t)-t, t, s)[0]`

Out[9]: $\frac{5}{s^2+25}$

In [10]: `F1 = 1/(s-4)
F1`

Out[10]: $\frac{1}{s-4}$

In [11]: `f1 = Linv(F1,s,t)
f1`

Out[11]: $e^{4t}\theta(t)$

In [12]: `F2 = s/(s**2 + 81)
F2`

Out[12]: $\frac{s}{s^2+81}$

In [13]: `f2 = Linv(F2,s,t)
f2`

Out[13]: $\cos(9t)\theta(t)$

In [14]: `F3 = 9/(s**2 + 81)
F3`

Out[14]: $\frac{9}{s^2+81}$

In [15]: $f_3 = \text{Linv}(F_3, s, t)$

Out[15]: $\sin(9t)\theta(t)$

In [16]: $F_4 = 24/s^{**5}$

Out[16]: $\frac{24}{s^5}$

In [17]: $f_4 = \text{Linv}(F_4, s, t)$

Out[17]: $t^4\theta(t)$

In [18]: ~~#high five #times integrate to get to the answer~~

In []: