

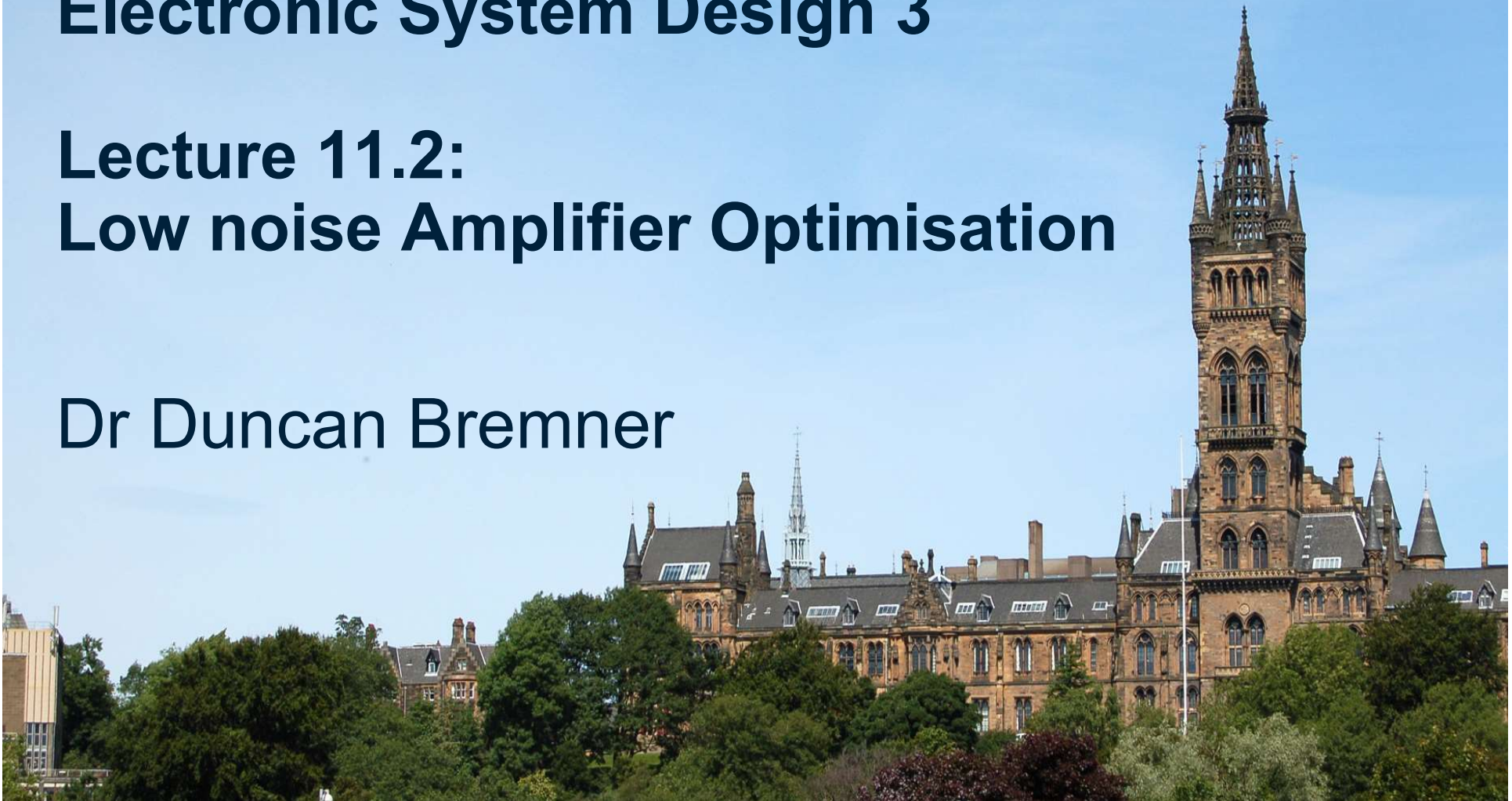


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Electronic System Design 3

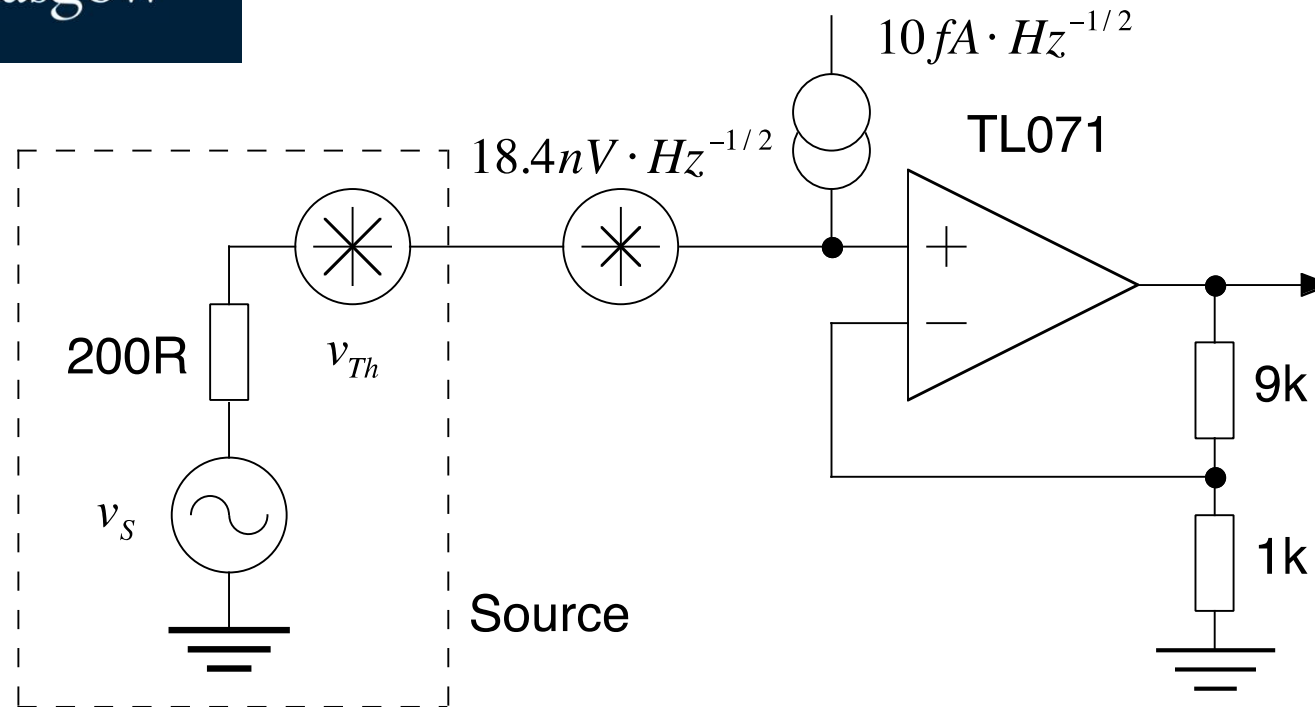
Lecture 11.2: Low noise Amplifier Optimisation

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Continuing with Design 2 (5)...



Now in the same form as the standard model

$$v_n = 18.4 nV \cdot Hz^{-1/2} \quad i_n = 10 fA \cdot Hz^{-1/2} \quad v_{Th} = \sqrt{4k_B T R} = 1.82 nV \cdot Hz^{-1/2}$$

$$v_{ni} = \sqrt{v_{Th}^2 + v_n^2 + i_n^2 R_S^2} = \sqrt{3.3 \cdot 10^{-18} + 338 \cdot 10^{-16} + 4 \cdot 10^{-24}} = 18.5 nV \cdot Hz^{-1/2}$$

What can we do to improve performance???



Conclusion: Noise is dominated
by input voltage noise of amp

$$NF = 20 \cdot \log_{10} \frac{18.5 nV \cdot Hz^{-1/2}}{1.82 nV \cdot Hz^{-1/2}} = 20.1 dB \text{ (very bad)}$$

Contributions :

Amplifier input voltage noise $18 nV \cdot Hz^{-1/2}$

Feedback network (Thermal) $3.86 nV \cdot Hz^{-1/2}$

Source thermal noise $1.82 nV \cdot Hz^{-1/2}$

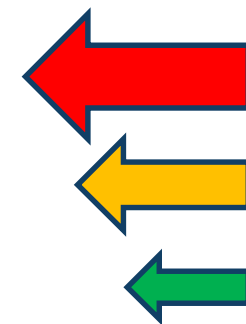
Input current noise negligible

Choose another amplifier

Reduce impedance of feedback network to $< 200 \Omega$; $\sqrt{4k_B T \cdot 0.9 k\Omega}$

Don't worry too much about noise current

(200Ω is small for an opamp)





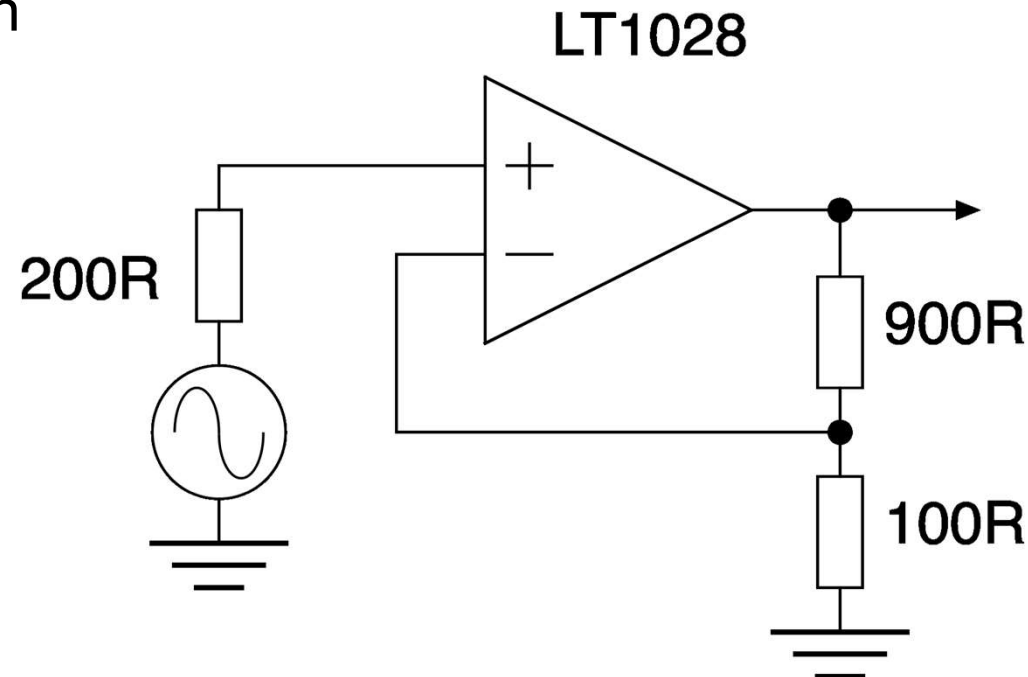
Design 2 (7)

Choice of amplifier: Lowest voltage noise amplifier
you have been given: LT1028C

$$v_n = 0.85 nV \cdot Hz^{-1/2} \quad i_n = 1000 fA \cdot Hz^{-1/2} \quad \text{[from datasheet]}$$

Reduce feedback impedance to less than source resistance:

Revised design

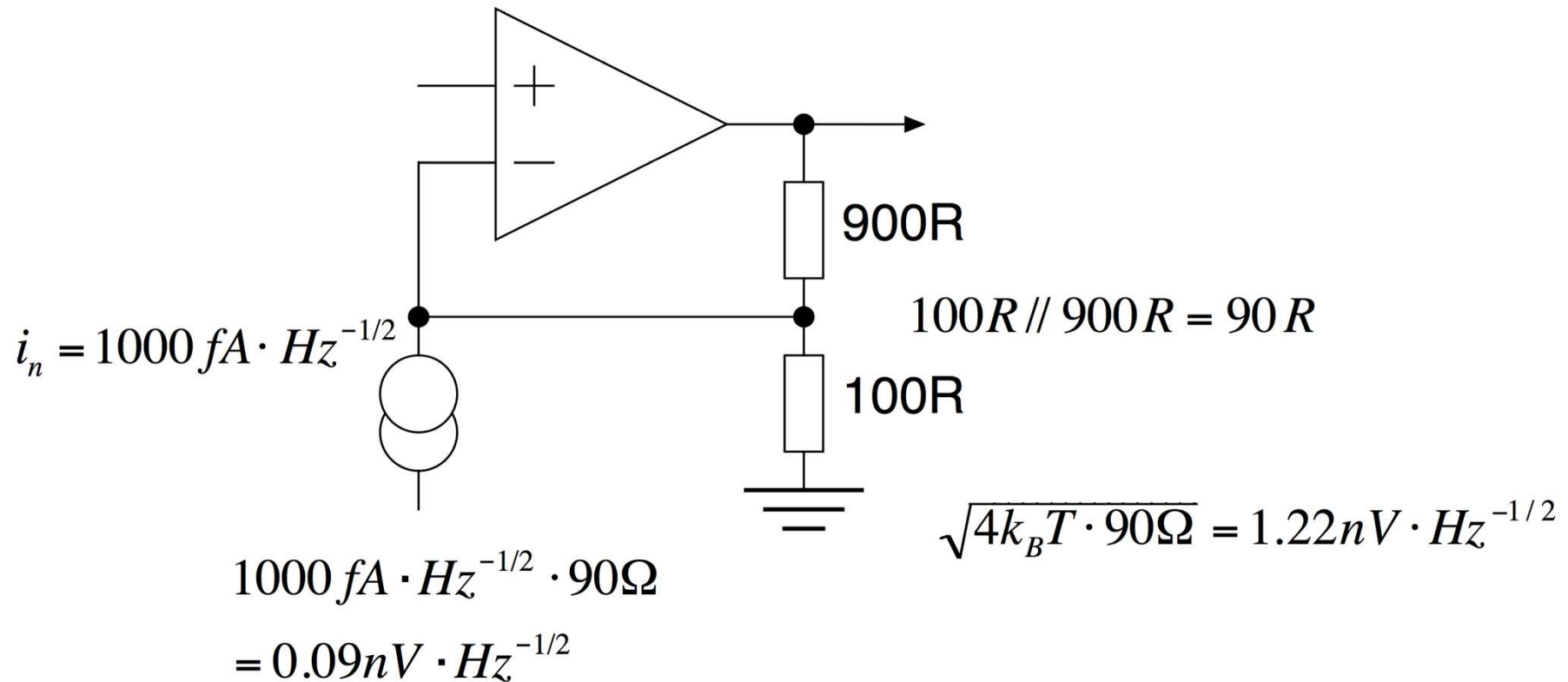




Design 2 (8)

Change Amplifier: ... now Repeat analysis:

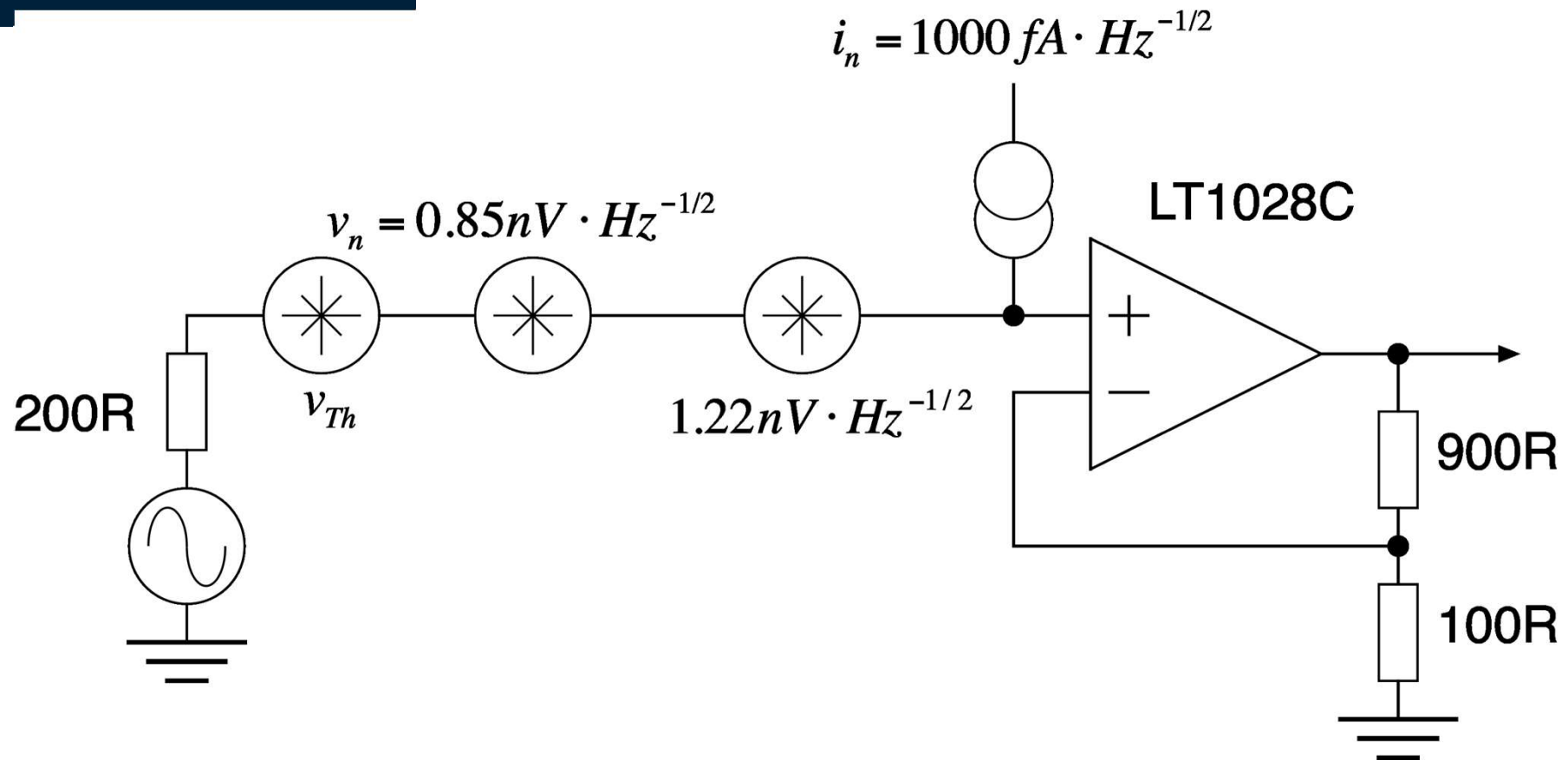
LT1028C



$$\sqrt{(1.22 \text{ nV} \cdot \text{Hz}^{-1/2})^2 + (0.09 \text{ nV} \cdot \text{Hz}^{-1/2})^2} = 1.22 \text{ nV} \cdot \text{Hz}^{-1/2}$$



Design 2 (9)



$$\sqrt{\left(1.22\text{ nV} \cdot \text{Hz}^{-1/2}\right)^2 + \left(0.85\text{ nV} \cdot \text{Hz}^{-1/2}\right)^2} = 1.49\text{ nV} \cdot \text{Hz}^{-1/2} = v_n$$

$$v_{Th} = \sqrt{4k_B T \cdot 200\Omega} = 1.82\text{ nV} \cdot \text{Hz}^{-1/2}$$



$$v_{ni} = \sqrt{v_{Th}^2 + v_n^2 + i_n^2 |R_S|^2} = \sqrt{(1.82nV)^2 + (1.49nV)^2 + (0.2nV)^2} = 2.36nV \cdot Hz^{-1/2}$$

$$NF = 20 \cdot \log_{10} \frac{2.36nV \cdot Hz^{-1/2}}{1.82nV \cdot Hz^{-1/2}} = 2.25dB$$

17.8dB improvement: ...A radio antenna has 8x smaller diameter

Total noise in 20kHz bandwidth is $\sqrt{20000Hz} \cdot 2.36nV \cdot Hz^{-1/2} = 0.33\mu V$



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Thank you
谢谢

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