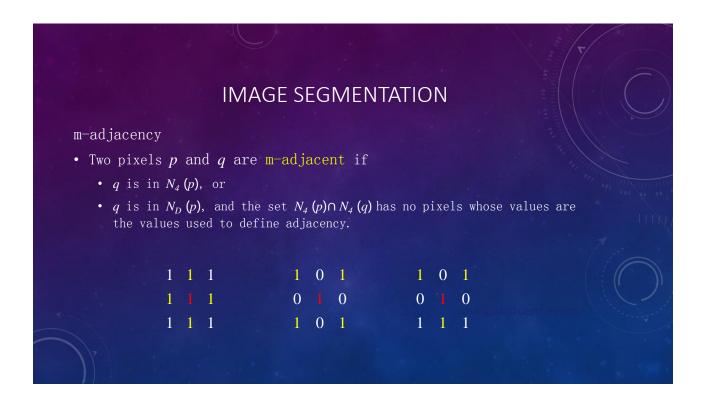


	monuañ.
IMAGE SEGMENTATION	,)
4-adjacency	1
<ul> <li>A pixel p at coordinates (x, y) has four horizontal and vertical neighbors whose coordinates are given by</li> </ul>	1
(x+1, y), (x-1, y), (x, y+1), (x, y-1)	. 06108
• This set of pixels, called the 4-neighbors of $p$ , is denoted by $N_4\left(p\right)$	11
• If $q$ is in the set $N_4\left(p\right)$ , $p$ and $q$ are 4-adjacent.	1
8-adjacency	
• Four diagonal neighbors of $p$ are denoted by $N_D\left(p\right)$ . These points together with the 4-neighbors are called the 8-neighbors of $p$ and denoted by $N_8\left(p\right)$	
• If $q$ is in the set $N_8\left(p\right)$ , $p$ and $q$ are 8-adjacent	1
1 1	1



- A path from pixel  $(x_0,y_0)$  to pixel  $(x_n,y_n)$  is a sequence of distinct pixels  $(x_0,y_0),(x_1,y_1)...(x_i,y_i)...(x_n,y_n)$ , where  $(x_{i-1},y_{i-1})$  and  $(x_i,y_i)$  are adjacent for  $1 \le i \le n$ .
- We can define 4-,8-, or *m*-paths depending on the type of adjacency specified.
- Question: find the shortest path from p to q, and determine the length of the path.

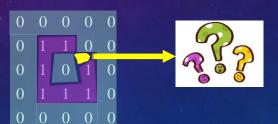
Using 4-adjacency:

Using 8-adjacency: n = 4

Using m-adjacency: n

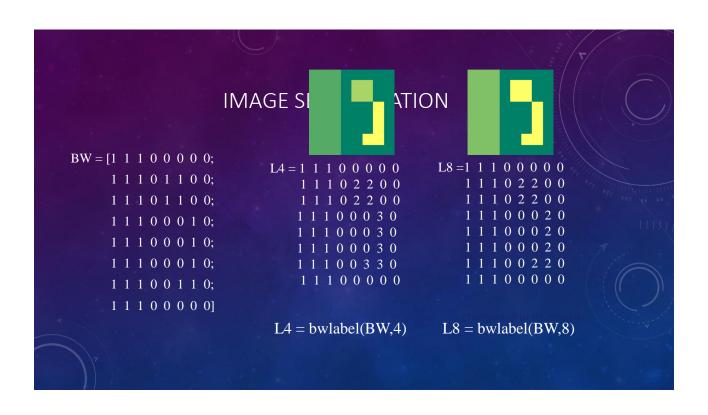
# **IMAGE SEGMENTATION**

• The foreground and background must have different definition of connectivity, or there will be ambiguity



S --- a subset of pixels in an image;.

- Two pixels p and q are said to be connected in S if there exists a path between them consisting entirely of pixels in S.
- S is a connected set if it only has one connected component, it is also called a region of the image.
- Two regions  $R_i$  and  $R_j$  are said to be adjacent if  $R_i \cup R_j$  is a connected set. Regions that are not adjacent are said to be disjoint.
- We consider 4- and 8-adjacency when referring to regions.



- R represents the entire spatial region , we may view image segmentation as a process that partitions R into N subregions, such that :
- (1)  $\bigcup_{i=1}^{N} R_i = R$

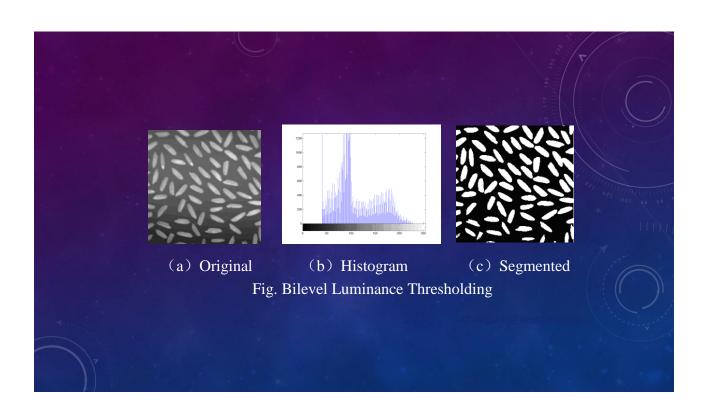
predicate

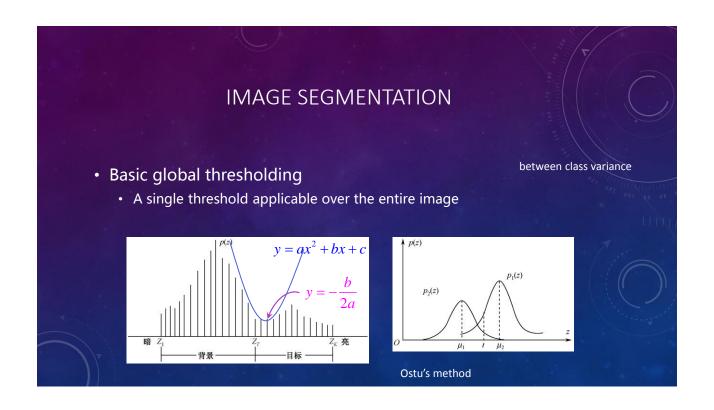
- (2)  $R_i$  is a connected set, i = 1, 2, ..., N
- (3)  $R_i \cap R_j = \emptyset$ , for all i and j,  $i \neq j$ ,
- (4)  $Q(R_i) = \text{TRUE}, \text{ for } i = 1, 2, ..., N$
- (5)  $Q(R_i \cup R_j) = \text{FALSE}$ , for any adjacent regions  $R_i$  and  $R_j$ ,

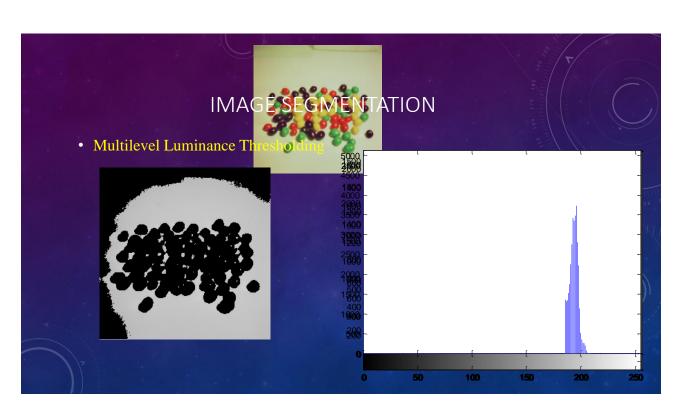
# IMAGE SEGMENTATION • Goal • Connectivity • Segmentation Methods • Amplitude thresholding • Region • Clustering • Edge Detection

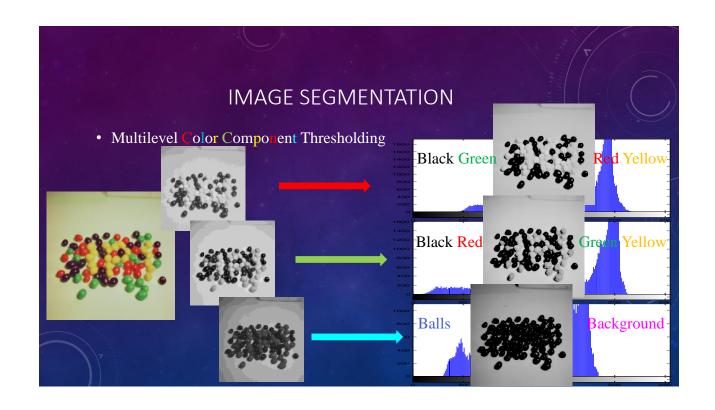
- Bilevel Luminance Thresholding
- If an image is composed of light objects on a dark background, the intensity values can be grouped into two dominant modes. We can select a threshold *T* that separates these modes.
- The segmented image g(x, y), is given by:

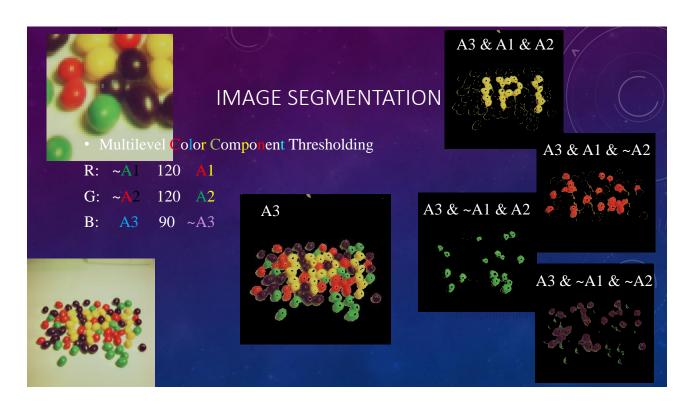
$$g(x, y) = \begin{cases} 1 & f(x, y) \ge T \\ 0 & f(x, y) < T \end{cases}$$



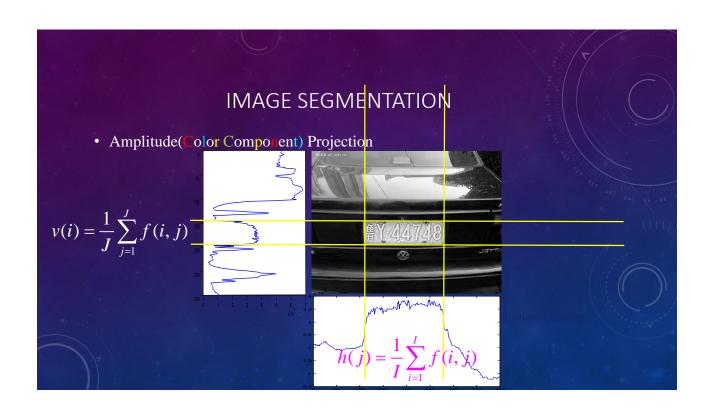


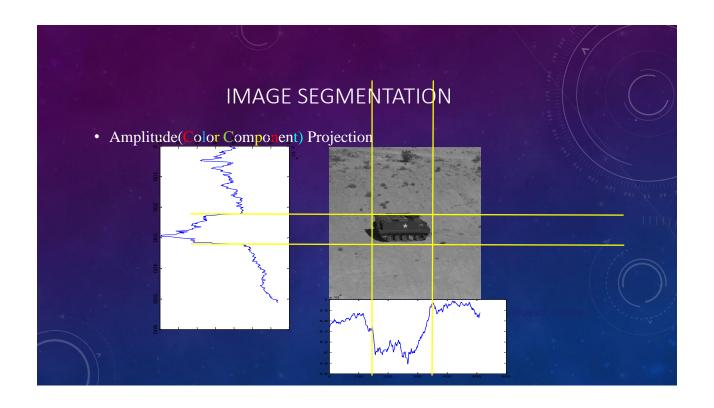




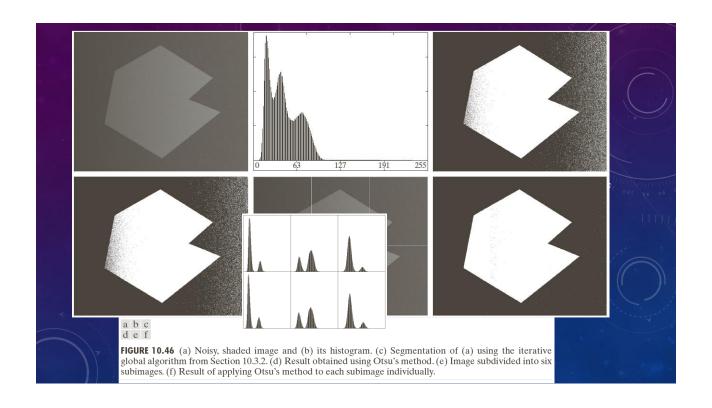


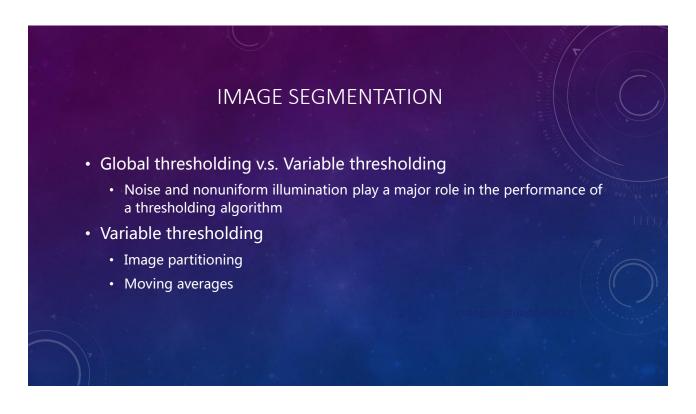
• Most graphics packages come with some form of thresholding segmentation. "Magic Wand" is such a tool, and is included in Adobe Photoshop 7. With this tool the user will select a seed or multiple seed pixels and set some form of tolerance level. The segmentation is then performed by testing all pixels against the set tolerance level(INCORP, 2002). This technique is easy to use, but the results are most often unsatisfactory and finding the correct tolerance level can be cumbersome, and sometimes even impossible (Rother et al., 2004).











- Global thresholding v.s. Variable thresholding
  - Noise and nonuniform illumination play a thresholding algorithm
- Variable thresholding
  - Image partitioning
  - · Moving averages

$$m(k+1) = \frac{1}{n} \sum_{i=k+2-n}^{k+1} z_i = m(k) + \frac{1}{n} (z_{k+1} - z_{k+1-n}) \qquad m(1) = \frac{1}{n} z_1$$

Scanning sequence

nce of

## **IMAGE SEGMENTATION**

- Global thresholding v.s. Variable thresholding
  - Noise and nonuniform illumination play a major role in the performance of a thresholding algorithm
- Variable thresholding
  - Image partitioning
  - Moving averages

$$T_{xy} = a\sigma_{xy} + bm_{xy}$$

$$T_{xy} = bm_{xy}$$

$$T_{xy} = a\sigma_{xy} + bm_{G}$$

$$g(x, y) = \begin{cases} 1 & \text{if } f(x, y) > T_{xy} \\ 0 & \text{if } f(x, y) \leq T_{xy} \end{cases}$$

