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// CPCS 4610
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// HW1.Q2

// The heuristic needs to be admissible and consistent.
// - Admissible: should not overestimate the actual cost to the goal.
// - Consistent: must satisfy the triangle inequality, ensuring
//   the estimated cost from the current node to the goal is no greater
//   than the cost of reaching a neighbor plus the estimated cost from the neighbor
//   to the goal.

// Pulled from: [https://en.wikipedia.org/wiki/Consistent_heuristic]

// Triangle inequality | Cons:  $h(n) \leq c(n, n') + h(n')$ 
// Admissible:  $h(n) \leq h^*(n)$ 

// Idea: Use straight line distances or some logical estimates to guide A*
//   effectively towards the goal while misleading DFS and UCS.

// Simple Pseudo Code:

function heuristic (current_node, goal_node):
  // Input:
  //   current_node: The current node in the graph.
  //   goal_node: The goal node in the graph.

  // Output:
  //   (int) The estimated cost to reach 'goal' from 'current'.

  // Straight line distance between two points
  // Euclidean distance, could use others like Manhattan or Chebyshev
  // Pulled from the powerpoint slides (Wednesday)
  return  $\sqrt{(current\_node.x - goal\_node.x)^2 + (current\_node.y - goal\_node.y)^2}$ 

// Mock results:
// Abbreviated 'heuristic' to 'h' for brevity
// Nn = current_node, N10 = Goal state
//
//  $h(N1, N10) = 10$ 
//  $h(N2, N10) = 8$ 
//  $h(N3, N10) = 7$ 
//  $h(N4, N10) = 6$ 
//  $h(N5, N10) = 5$ 
//  $h(N6, N10) = 4$ 
//  $h(N7, N10) = 3$ 
//  $h(N8, N10) = 2$ 
//  $h(N9, N10) = 1$ 
//  $h(N10, N10) = 1$ 
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