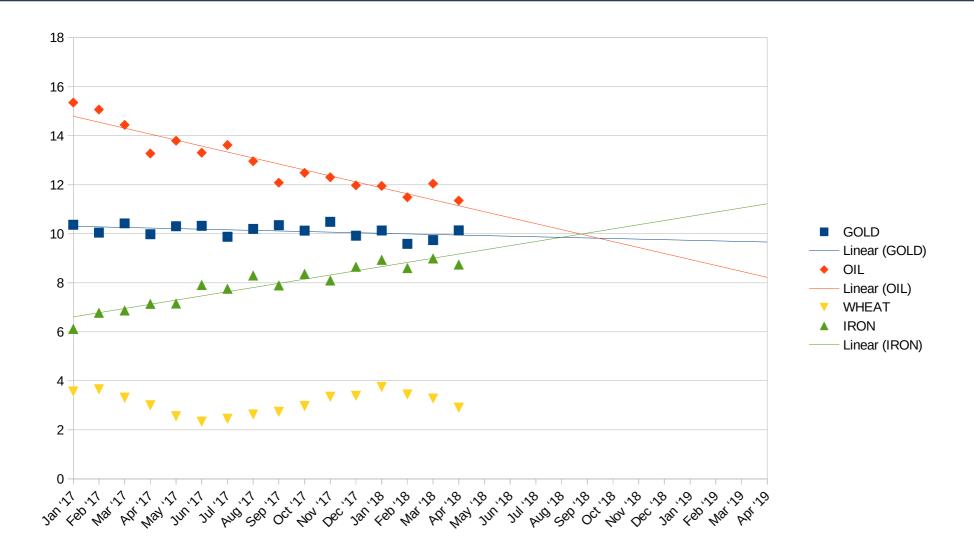


## Village Software Data Quest

**Team: Kadane Combinatorics** 

Jiri Dohnalek & Edward Barker Selecting the 3 optimal plots of resources to maximise prosperity!

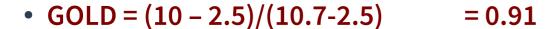
# Analysis of price trends



### Normalising range of values

X is based upon future sale price prediction.

Iron has maximum sales price, wheat has minimum.



• OIL = 
$$(10.5 - 2.5)/(10.7 - 2.5)$$
 = 0.98

• WHEAT = 
$$(2.5-2.5)/(10.7-2.5)$$
 = 0.12

• IRON = 
$$(10.7 - 2.5)/(10.7 - 2.5)$$
 = 1.00

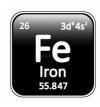
Use normalised values to transform arrays

to reflect relative values

$$\frac{x - min}{max - min}$$



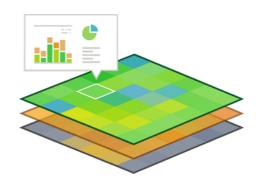






#### **Problem**

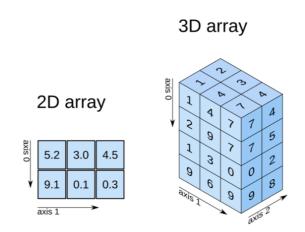
 Given 1000 x 1000 square matrix, find 3 highest sub-squares of 10 x 10



 Find highest combination of squares such that sub-squares do not overlap

# Algorithm approach

- Apply weighting to each array based upon relative values
- Stack each 2D 1000 x 1000 array into 1 3D array.
- "Flatten" 3D array by summing "z-axis".



# Kadane's algorithm

- Brute force approach would be time complexity of at least n^3
- Kadane's algorithm allows n^2 time
  - Preprocess matrix
    - Calculate sum of all vertical strips of size k x 1 (k=10)
    - Calculate first sub-square in row as sum of first k strips
    - For remaining sub-squares, calculate sum in O(1) time by removing leftmost strip of previous square and adding rightmost strip of new square.

#### **K-combinatorics**

- Highest squares may be overlapping (as may share same high resource tiles)
  - Must ensure that top squares do not overlap, but also that the top 3 squares are the optimum combination. For instance, 2<sup>nd</sup> and 3<sup>rd</sup> highest squares taking the place of the 1<sup>st</sup> highest square will have a higher total.
  - Using combinatorics, generate all combinations, for each combination
  - Must choose 3 squares from 35, as 35 overlapping squares is the minimum number of squares to ensure that the three optimum squares are non-overlapping.
    - Check for overlap
    - Store highest sum of 3 squares.

$$C(n,k) = \frac{n!}{(n-k)!k!}$$