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Insert

The insert method has a worst-case time complexity of $O(\log n)$. This is because the AVL tree continuously auto balances, ensuring the height of the tree is proportional on both sides aka the logarithm of the nodes. After inserting a node, the balancing operations (rotateLeft and rotateRight) are called, and each of these rotations takes only $O(1)$ time.

Remove

The remove method has a worst-case time complexity of $O(\log n)$. Similar to insert, the removal process involves traversing the tree to find the node to remove, which takes $O(\log n)$ time. The balancing operations afterward also contributes the same time complexity.

Search by Name

The searchName method performs an in-order traversal of the entire tree using a stack for iteration. This results in a time complexity of $O(n)$, where n is the number of nodes in the tree. Since every node needs to be checked in the worst case, it takes linear time. It was made non-recursively but has the exact same time complexity to if it was iterated recursively.

Search by ID

The searchID method also performs an in-order traversal using a stack. Almost the same as searchName, it has a worst-case time complexity of $O(n)$, as it may need to traverse the entire tree to find the ID. It was made non-recursively but has the exact same time complexity to if it was iterated recursively.

In-Order Traversal

The printInOrder method recursively visits each node in the tree, making its time complexity $O(n)$ since each node is visited exactly once.

Pre-Order Traversal

The printPreOrder method works like the printInOrder method, visiting each node exactly once. Therefore, its time complexity is $O(n)$.

Post-Order Traversal

The printPostOrder method follows the same pattern as the previous traversal methods, leading to a time complexity of $O(n)$.

Print Level Count

The printLevelCount method uses a queue to traverse the tree level by level. Since every node in the tree must be visited, its time complexity is $O(n)$.

Remove In-Order

The `removeInorder` method has a time complexity of $O(n)$, as it first performs an in-order traversal to find the N th node, which takes $O(n)$ time. Afterward, it calls the `remove` method, which takes $O(\log n)$ time. The overall complexity is dominated by the traversal, resulting in a time complexity of $O(n)$.

What I learned and What I would do Differently:

I learned a lot about trees and also a lot about recursive functions, I had never really understood recursive functions until this project, and being able to use them has made me realize how much better my older programs could have been. Also I got a lot of review for pointers and nodes which was good, and I think overall the project allowed me to get a better grasp of a lot of the CS concepts I missed or had a loose knowledge of.

If I were to start over, I would likely start making the functions for `remove` first, as these were the most complex and that would also force me to work on the `balance` functions to start as well. Additionally I probably wouldn't make my search functions the way I did this time, as out of curiosity I made them non recursive and it ended up taking way longer than it would have if I just made them recursive. Also I would probably separate AVL class into a separate `.cpp` and instead call it in `main`, instead of what I had to do which was make another copy of just the code from AVL and place it into a class separate of `main` but still similar.