Find Firsts

• Introduction

In syntax analysis, the concept of "First Set" or "Firsts" is crucial in determining the first terminal symbol(s) that can be derived from a given non-terminal symbol or sequence of symbols in a grammar. The First Set plays a fundamental role in parsing and building the parser tables in *compiler design*.

• Purpose

The purpose of the "Find Firsts" algorithm is to compute the First Set for each non-terminal symbol in the grammar. By calculating the First Sets, the parser can determine the viable options for expanding non-terminal symbols during parsing.

- * Algorithm
- 1. Initialize the First Set for all terminal symbols as themselves.
- 2. For each non-terminal symbol A:
 - If $A \rightarrow \epsilon$ is a production rule, add ϵ to First(A).
 - For each production rule $A \rightarrow X1X2...Xk$:
- If ϵ belongs to First(X1), First(X2), ..., First(Xi) for $1 \le i < k$, add First(Xi) to First(A).
- If ε does not belong to First(Xj) for any $1 \le j \le k$, add First(Xj) to First(A), and stop further expanding First(A).
- 3. Repeat step 2 until no more symbols can be added to any First Set.

• Example

Consider the following grammar:

• • •

$$S \rightarrow AB$$

$$A \to a \mid \epsilon$$

$$B \to b \mid \epsilon$$

• • •

The First Set calculations:

- $First(S) = \{a\}$
- First(A) = $\{a, \epsilon\}$
- First(B) = $\{b, \epsilon\}$

• Conclusion

In conclusion, the "Find Firsts" algorithm is a key component in syntax analysis for compilers. By accurately computing the First Sets for non-terminal symbols, the parser can efficiently determine the next steps in parsing input code. Understanding and implementing this algorithm is essential for building a robust and efficient parser in compiler design.

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