

Class CS 6903, Lecture n. 6

- Welcome to Lecture 6!
- In Lectures 1-5 we studied:
 - ◆ Classical cryptography, encryption with perfect secrecy
 - ◆ Background on algorithms, complexity theory. Modern cryptography: principles, primitives, and a public-key cryptosystem
 - ◆ Algorithmic number theory, number theory and cryptographic assumptions, reductions, proofs by reductions, number theory candidates for cryptographic primitives and schemes
 - ◆ Pseudo-random generators, functions, permutations and applications
 - ◆ Symmetric Encryption: notions, schemes and proofs

Summary of Lecture 6

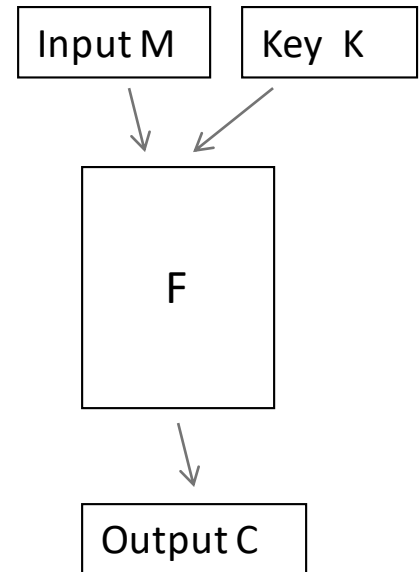
- Block ciphers
 - ◆ Motivations, notion, examples
 - ◆ Attacks and security definitions
- Substitution/Permutation Networks
 - ◆ AES
- Feistel Networks
 - ◆ DES, Double and Triple DES
- Cryptanalysis
 - ◆ Meet-in-the-middle attack
 - ◆ Differential and Linear cryptanalysis
- Modes of operations
 - ◆ ECB, CBC, OFB, CTR

Block cipher: introduction

- **Main motivation:** looking for more time-efficient solutions for symmetric encryption

- **Block cipher notion:**

- (public and fully-specified) map F associating a k -bit key K and an n -bit plaintext M to an n -bit ciphertext C , and such that, for each key K , map $F(K, \cdot)$ is a permutation
- k is the “key length” (e.g., 56, 128, 256 bits)
- n is the “block length” (e.g., 64, 128, 256 bits)



- **Intuition:** using random K , F scrambles M into C so that no information about M is leaked by C
- **Examples:** DES, 3DES, AES, IDEA, SIMON, etc.

Block ciphers: attacks and security notion

- **Intuition:** Block ciphers are supposed to implement (a finite version of) pseudo-random permutations
- **Security notion:** how close is the block cipher's output to the output of a random permutation, when adversary can run any one of the following:

Attack type	Adversary's resources gained during attack
Ciphertext-only attack	Values $F(k, x(i))$ for unknown $x(i)$, $i=1,2,\dots$
Known-plaintext attack	Pairs $(x(i), F(k, x(i)))$, $i=1,2,\dots$
Chosen-plaintext attack	$(x(i), F(k, x(i)))$ for chosen $x(i)$
Chosen-ciphertext attack	$(x(i), F(k, x(i)))$ and $(F^{-1}(k, y(i)), y(i))$ for chosen $x(i), y(i)$

- **No asymptotic security** here (note: block ciphers are “breakable in $O(1)$ ”)
- **Concrete security:** block cipher is (t, ϵ) -secure if t -time algorithms can only “break” (i.e., distinguish from random permutation using one of the above attacks) with probability $< \epsilon$
- **Goal:** design block cipher that cannot be broken in reasonable time
 - E.g.: the time to compute 2^{56} decryptions may be efficient (today) but 2^{100} may not be so

Substitution/Permutation networks: basics

- **Intuition:** would like to construct a block cipher (a **short-representation object**) that behaves like a random permutation (a **huge-representation object**)
- The **confusion-diffusion** paradigm:
 - ◆ Construct a random-looking permutation with a large block length from many other ones operating on shorter blocks
 - ◆ Let $F_k(x) = f_1(x_1), \dots, f_c(x_c)$ for some constant c , where $x = x_1 \mid \dots \mid x_c$ and the f_i can be random permutations; this introduces **confusion**
 - ◆ Output bits are permuted or mixed; this introduces **diffusion**
- **Propagating** confusion and diffusion
 - ◆ Two steps of confusion and diffusion represent a “round”
 - ◆ Propagation is achieved by sequentially iterating **multiple rounds**

Substitution/Permutation networks: principles

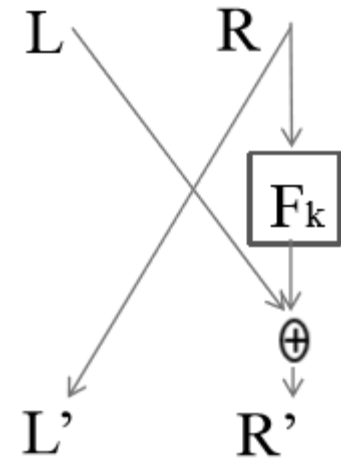
- A substitution/permutation network can be seen as a direct implementation of the confusion/diffusion paradigm
 - ◆ confusion → substitution via S-boxes (previous f_i)
 - ◆ diffusion → permutation via mixing functions
 - ◆ A function of the (master) key (i.e., a **sub-key**) is xor-ed with intermediate results fed as input to each round of the network
 - ◆ **Key schedule** defines how sub-keys are obtained from the (master) key
- Actual choice of **S-boxes, mixing permutation and key schedule** may imply that a given block cipher is easy to break, or seemingly hard to break, or anything in between
- Design principle 1: **invertibility of S-boxes**
- Design principle 2: **the avalanche effect**

Substitution/Permutation networks: security

- Are substitution/permutation networks secure?
- Arguments in favor:
 - ◆ Researcher experience
 - ◆ Years of cryptanalysis efforts
- However:
 - ◆ Number of rounds is very important to assess security
 - ◆ Small-round versions are easily breakable because the avalanche effect only happens on a number of bits that, although growing as exponential in the number of rounds, starts as small as 2, 4, 8, 16, etc.
 - ★ Proof idea: To distinguish a substitution/permutation cipher from a random permutation, query oracle on similar inputs; if change is only detected on a few output bits, then this is a cipher, otherwise this is a random permutation

Feistel networks

- **Feistel network:** same low-level building blocks (S-boxes, mixing permutations, key schedule) but different high-level structure
- **Basic idea:** constructing an invertible function from non-invertible components
- **Feistel round:** given a non-invertible function f , on input (L, R) the transform returns (L', R') , where
 - ◆ $L' = R$ and $R' = L \text{ xor } f(k, R)$
- **Inverse Feistel round:** on input (L', R') , the inverse transform returns (L, R) , where
 - ◆ $R = L'$ and $L = R' \text{ xor } f(k, L')$
- **Results:**
 - ◆ 3-round Feistel network is pseudo-random if so is f
 - ◆ 1-round and 2-round versions are **not** pseudo-random even if so is f
 - ◆ 4-round Feistel network is (super-)pseudo-random if f is pseudo-random (i.e., the 4-round transform is pseudo-random even if adversary A is allowed to query both O and O 's inverse)



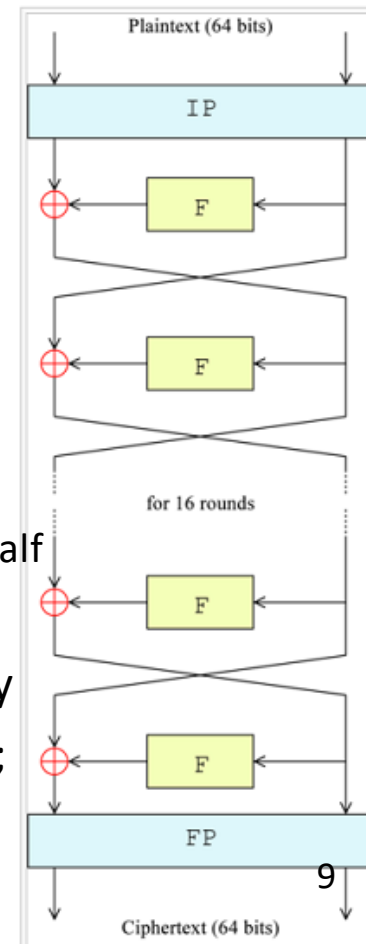
Data Encryption Standard (DES)

History:

- ◆ Developed in 1970s at IBM (with help from National Security Agency)
- ◆ Adopted in 1977 as a Federal Information Processing Standard (FIPS) for US
- ◆ Great historical significance, one of most studied cryptographic algorithms

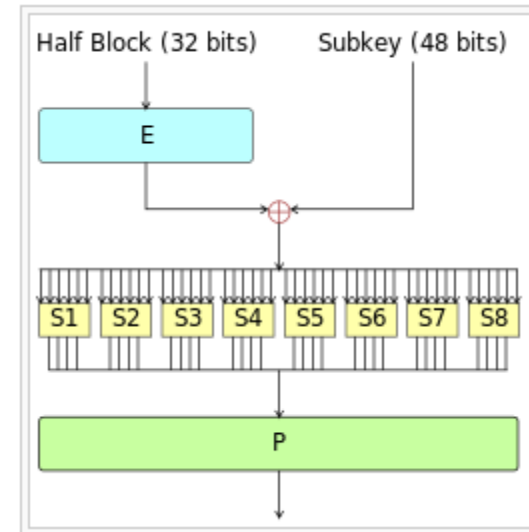
High-level construction (See figure 5.3 in [KL]):

- ◆ 16-round Feistel network with block length = 64 and key length = 56
- ◆ Each round uses a (mangler) function f , using a sub-key $k(i)$
- ◆ Key schedule (entirely public, except for master key):
 - ★ each sub-key $k(i)$ (input to one application of function f in a round) is a permuted subset of 48 bits from master key
 - ★ 56-bit master key is divided into 28-bit left half and 28-bit right half
 - ★ Left-most 24 bits of sub-key $k(i)$ are some subset of above 28-bit left half
 - ★ Right-most 24 bits of sub-key $k(i)$ are some subset of above 28-bit right half
- ◆ Round functions f are non-invertible
- ◆ f is essentially a 1-round substitution/permutation network, with very carefully designed S-boxes (with help from National Security Agency); actually, slightly modified or random S-boxes make DES breakable)



DES: design details

- The DES mangler function f :
 - ◆ f computes $f(k(i), R)$, where $|k(i)|=48$ and $|R|=32$
 - ◆ First of all it goes through an expansion step that expands R from 32 bits to a 48 bits R'
 - ◆ R' is xor-ed with the key $k(i)$ and the result goes through 8 S-boxes, each mapping 6 bits to 4 bits (like a table with 4 rows, 16 columns, and 4 bits in each cell)
 - ◆ Finally a mixing permutation is applied
- The S-boxes are public non-invertible functions with following properties:
 - ◆ Each S-box is a 4-to-1 function
 - ◆ Each row in the table contains each of 16 possible 4-bit strings exactly once
 - ◆ Changing one input bit results in ≥ 2 output bits changed
- DES avalanche property is obtained by combining this latter property, the Feistel transform and the permutation step



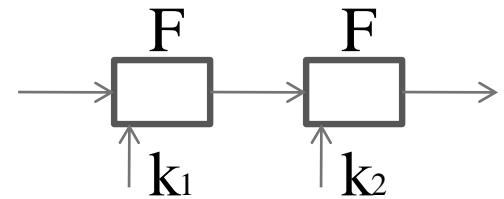
DES Cryptanalysis

- Any small-round variant of DES can be broken (similarly as for substitution/permutation networks) because of small avalanche factor
 - ◆ Here, “broken” means that DES is distinguished in time t from a random permutation
- If we consider 1 or 2 or 3-round versions, DES can be broken in that the actual key can be found by the adversary
 - ◆ Attack basic idea: use chosen message attack to derive S-boxes outputs, note that from S-boxes inputs one can immediately compute key
 - ◆ 1-round: 2 known plaintexts/ciphertexts and time 2^{16}
 - ◆ 2-round: 4 known plaintexts/ciphertexts and time 2^{17}
 - ◆ 3-round: 2^{13} known plaintexts/ciphertexts and time 2^{30}
- After about 30 years, best known attack is exhaustive search of the key space, which was estimated to need a 20M\$ computer in 1977 but only needs a relatively inexpensive computer today (!)
 - ◆ There is a history of challenges broken by distributed and special-purpose computing
- Short block length n is also an issue as certain schemes based on DES can be broken using $2^{n/2}$ work
- The Advanced Encryption Standard (AES) was designed to avoid these issues

Increasing key length of block ciphers

- **Consideration:** If only known weakness of DES is relatively short key, we may try to use it as a building block into a cipher with longer key
- In fact, this composition approach makes sense for **any block cipher**

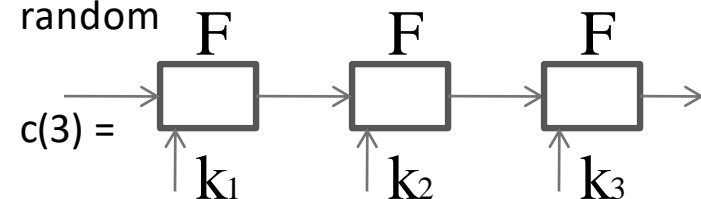
- Let F be a block cipher and let G be **Double- F** , where $G(k,m)$ is defined as



- ◆ Write k as $k(1) \mid k(2)$, where $k(1)$, $k(2)$ are random & independent keys
- ◆ Set $c(1) = F(k(1),m)$ and $c(2) = F(k(2),c(1))$, and return $c(2)$

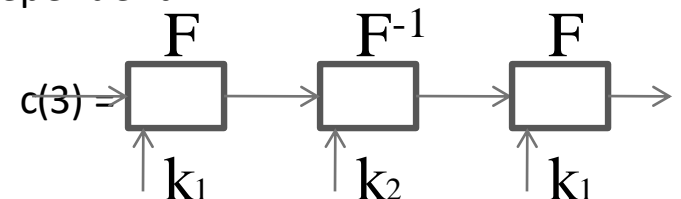
- Let F be a block cipher and let G be **Triple- F** , where $G(k,m)$ is defined as

- ◆ Write k as $k(1) \mid k(2) \mid k(3)$, where $k(1)$, $k(2)$, $k(3)$ are random and independent keys
- ◆ Set $c(1) = F(k(1),m)$, $c(2) = F(k(2),c(1))$ and $F(k(3),c(2))$, and return $c(3)$



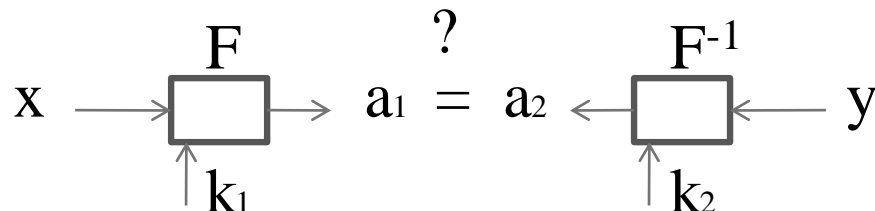
- Let F be a block cipher, let G be **2Key-Triple- F** , where $G(k,m)$ is defined as

- ◆ Write k as $k(1) \mid k(2)$, where $k(1)$, $k(2)$ are random & independent keys
- ◆ Set $c(1) = F(k(1),m)$, $c(2) = F^{-1}(k(2),c(1))$ and $F(k(1),c(2))$, and return $c(3)$



The Meet in the Middle Attack

- Perhaps surprisingly, Double-F is only marginally stronger than F
- Consider the so-called “Meet in the middle attack” on oracle O where an adversary is trying to decide whether O is Double-F or a random permutation:
 - ◆ Choose input $x(0), x(1), x(2)$ in $\{0,1\}^n$ and compute $y(i)=O(x(i))$, $i=0,1,2$
 - ◆ For each $k(1)$ in $\{0,1\}^s$, compute $a(1)=F(k(1),x(0))$, store $(a(1),k(1))$ in list L
 - ◆ For each $k(2)$ in $\{0,1\}^s$, compute $a(2)=F^{-1}(k(2),y(0))$, store $(a(2),k(2))$ in list L'
 - ◆ If there exists $a, k(1), k(2)$ such that $(a, k(1))$ is in L and $(a, k(2))$ is in L' then
 - ★ If $F(k(1),x(i))=F^{-1}(k(2),y(i))$ for $i=0,1,2$ then return 1 (for F) else return 0 (for random permutation)



- Analysis (sketch):
- If O is Double-F, then the equation $F(k(1),x(i))=F^{-1}(k(2),y(i))$ holds for all $i=0,1,2$
- If O is a random permutation, then the equation holds with probability roughly 2^{-n} for each i and each pair $(k(1),k(2))$, and the probability that there exists one pair $(k(1),k(2))$ for which the equation holds for $i=0,1,2$, is at most $2^{2s} / 2^{3n}$, which is very small (as we can assume the key length s is \leq the block length n).
- Thus the adversary can distinguish Double-F from a random permutation with probability $1-2^{2s} / 2^{3n}$ (i.e., almost 1) and in time 2^s

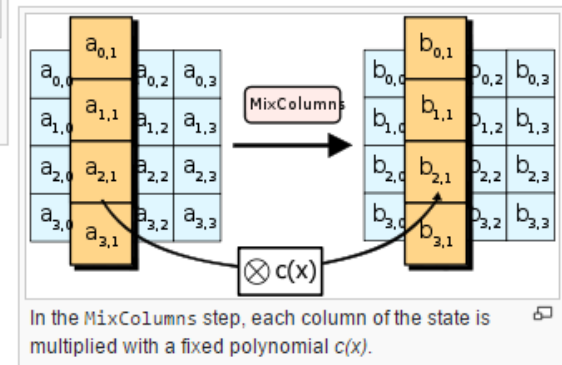
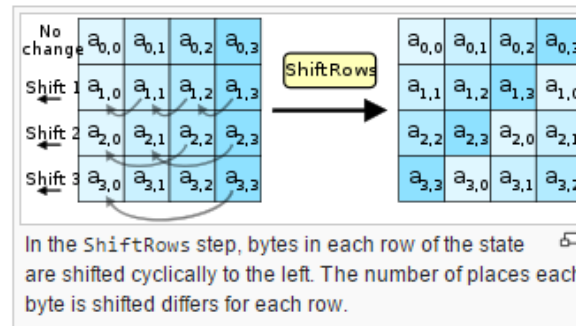
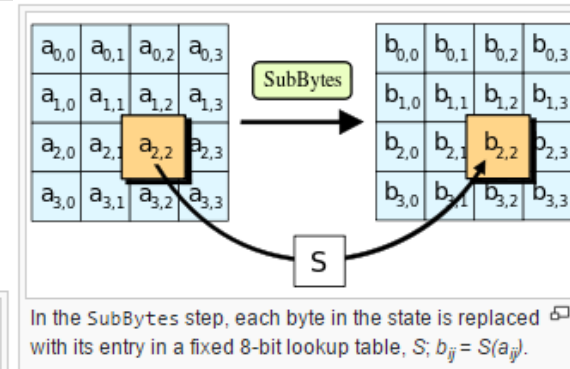
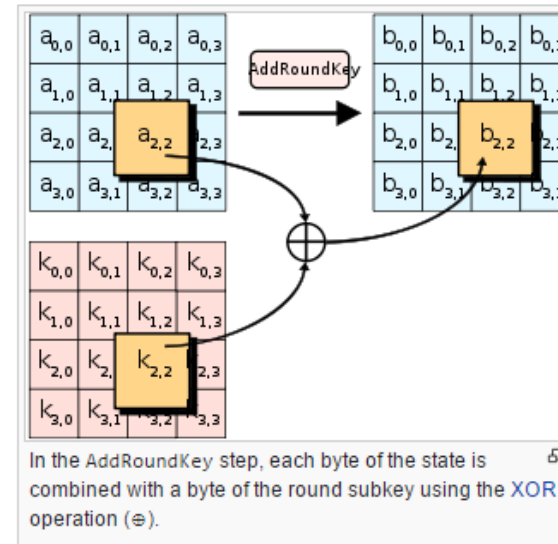
Advanced Encryption Standard (AES)

- Selected by a **public** competition announced by NIST in January 1997, which encouraged quick scrutinizing of candidates and **increased confidence in winner**
- AES has a 128-bit block and can use 128-, 192-, or 256-bit keys and has, respectively, 10, 12 or 14 rounds; most known is 128-bit variant
- While DES was a Feistel network, **AES is a substitution/permutation network**
- During AES computation, a 4-by-4 array of bytes, called **state**, is modified
- State is initially set to 128-bit input
- Each round comes in 4 stages and has the following structure:
 - ◆ 1 (AddRoundKey): The 128-bit round sub-key is derived from master key, interpreted as a 4-by-4 array of bytes and xor-ed with the state array
 - ◆ 2 (SubBytes): Each byte of state array is replaced by another byte according to a substitution lookup table S (a bijection over $\{0,1\}^8$) that is fixed for all rounds
 - ◆ 3 (ShiftRows): Bytes in each row of state array are cyclically shifted to the left as follows: for $i=1,\dots,4$, the i -th row is shifted $i-1$ places to the left
 - ◆ 4 (MixColumns): an invertible linear transformation (i.e., a matrix multiplication over a field) is applied to each column
- Viewing stages 3 and 4 are a “mixing” step, each round is a subs/perm network
- Attacks are known for reduced-round AES versions or under not realistic assumptions on the attack scenario, but **best way to attack AES remains exhaustive search**

AES design details

- Each round comes in 4 stages and has the following structure:

- 1 (AddRoundKey): The 128-bit round sub-key is derived from master key, interpreted as a 4-by-4 array of bytes and xor-ed with the state array
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- 4 (MixColumns): an invertible linear transformation (i.e., a matrix multiplication over a field) is applied to each column



Question set 14

- Compare the following two values:
 - ◆ The number of possible permutations with a domain/range of all 128-bit strings,
 - ◆ the number of possible permutations with a domain/range of all 128-bit strings defined by a fixed block cipher and any possible 128-bit key
- Give 5 principles to design a block cipher based on
 - ◆ substitution/permutation networks
 - ◆ Feistel networks
- Which block cipher would you use as part of the implementation of a secure system (to maximize security and efficiency) among the following: DES, Double DES, Triple DES, AES? Which key length would you use for your block cipher (to maximize security and efficiency) among the following: 128, 256, 512, 1024?
- Define “generalized meet-in-the-middle attacks” for
 - ◆ Triple DES
 - ◆ 2-key Triple DES
 - ◆ m-tuple DES (not easy)
- Analyze the success probability of all these attacks, by assuming the atomic ciphers are random permutations (not easy)

Summary of Lecture 6

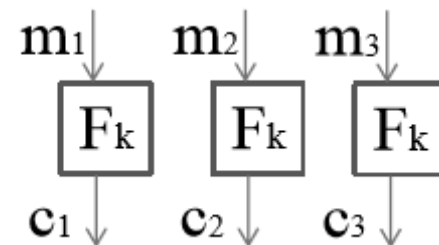
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Cryptanalysis

- Cryptanalysis is a large set of techniques that attempts to break cryptographic objects like block ciphers
- We have studied the meet-in-the-middle attack, an example of a type of cryptanalysis that focuses on higher-level cipher structures only
- In another large body of research, the math used by the entire cryptographic object is carefully analyzed until a weakness is found
- Two important examples are worth mentioning
- **Differential cryptanalysis:**
 - ◆ Basic idea: specific differences between two inputs propagate in specific differences in the output, with probability greater than for a random cipher
 - ◆ For random $x(1), x(2)$, if $x(1) \text{ xor } x(2) = d(x)$ and, for randomly chosen k , $F(k, x(1)) \text{ xor } F(k, x(2)) = d(y)$ holds with probability p , we say that differential $(d(x), d(y))$ appears with probability p
 - ◆ Random cipher: $p = 2^{-n}$; weak cipher: p is significantly higher
 - ◆ Was used to break FEAL-8 cipher, but no practical attack on AES, or DES
- **Linear cryptanalysis:**
 - Basic idea: consider linear relationship (based on xor) between input bits and output bits, with bias greater than for a random cipher
 - Does not require chosen plaintext attacks, but known plaintext attacks are sufficient

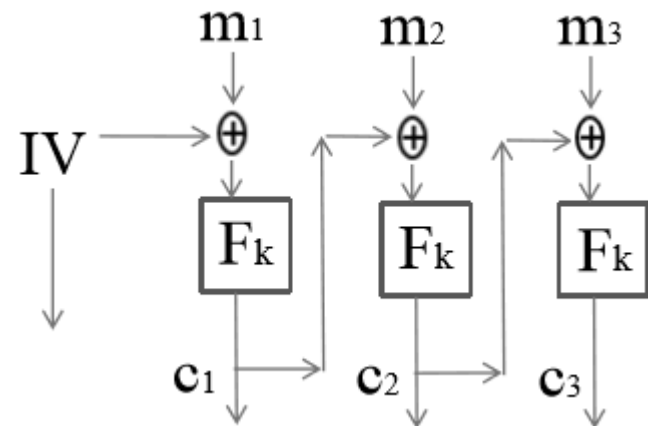
Modes of operation

- Block ciphers can be used to **encrypt 1 block** (e.g., 64 bits or 128 bits)
- To encrypt longer messages, we combine them using **(block cipher) modes of operation**
 - ◆ Note: the constructions based on pseudo-random generators and pseudo-random functions (resp.) could be used, but they would not be as efficient
- We consider encryption of **an (arbitrarily large) integer number of blocks** (note: an arbitrary-length message can always be padded with 10...0 so that its length is a multiple of the block length)
- Simplest known mode is the **Electronic Code Book (ECB) mode**:
 - ◆ See also figure 3.5 in [KL]
 - ◆ Let $m = m(1)..m(n)$ be an n -block message and let F be a block cipher
 - ◆ On input k and m , algorithm E returns $F(k, m(1)), \dots, F(k, m(n))$
 - ◆ On input k and $c = c(1), \dots, c(n)$, algorithm D returns $F^{-1}(k, c(1)), \dots, F^{-1}(k, c(n))$
- The resulting F -ECB encryption scheme is **deterministic**, so cannot satisfy IND-CMA-security
- The F -ECB scheme does not even satisfy IND-security



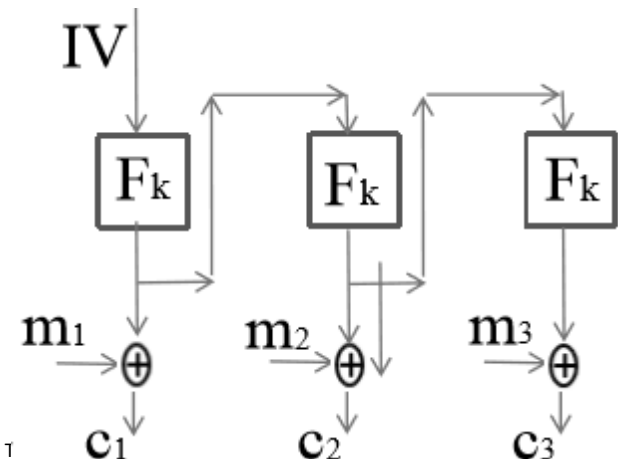
Cipher Block Chaining (CBC)

- **Intuition:** next ciphertext blocks are dependent on previous ones via chaining
- **Construction** (when applied to a block cipher F):
 - ◆ A random n -bit initial vector (IV) is chosen
 - ◆ Let $m=m(1)..m(L)$ be an L -block message and let F be a block cipher
 - ◆ On input k and m , algorithm E computes $c(0)=IV$ and $c(i)=F(k, c(i-1) \text{ xor } m(i))$, $i=1,..,L$, and returns: $c=(c(0),c(1),...,c(L))$
 - ◆ On input k and $c=(c(0),c(1),...,c(L))$, algorithm D computes and returns IV , $m(1)=F^{-1}(k,c(1)) \text{ xor } c(0), \dots m(n)=F^{-1}(k,c(L)) \text{ xor } c(L-1)$
- **Theorem:** if F is a pseudo-random permutation then the above F -CBC encryption scheme is IND-CMA-secure
- **Drawback:** inherently sequential



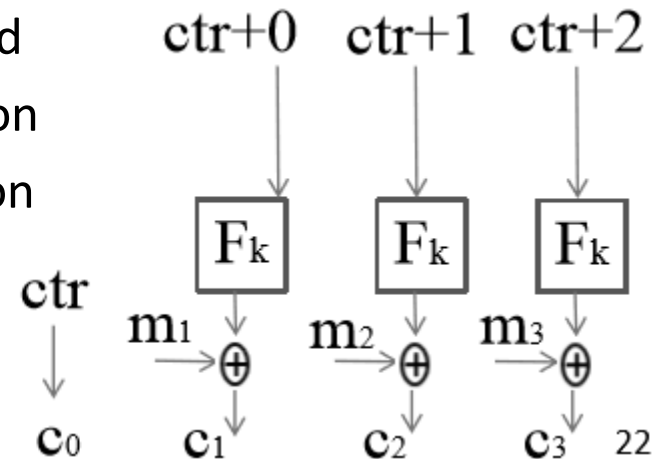
Output Feedback Mode (OFB)

- **Intuition:** use block cipher to generate a pseudo-random string to be XORed with message
- **Construction** (when applied to a block cipher F):
 - ◆ A random n -bit initial vector (IV) is chosen
 - ◆ Let $m=m(1)..m(L)$ be an L -blocks message and let F be a block cipher
 - ◆ On input k and m , algorithm E computes $r(0)=IV$, and $r(i)=F(k,r(i-1))$, and $c(i)=r(i) \text{ xor } m(i)$, $i=1,...,L$, then returns $c(0)=IV$ and $c(1),...,c(L)$
 - ◆ On input k and $c=c(0),c(1),...,c(L)$, algorithm D computes $r(0)=IV=c(0)$, $r(i)=F(k,r(i-1))$, and $m(i)=r(i) \text{ xor } c(i)$, $i=1,...,L$, and returns $m(1),...,m(L)$
- **Theorem:** if F is a pseudo-random permutation then the above F -OFB encryption scheme is IND-CMA-secure
- **Note:** the pseudo-random stream can be computed in a preprocessing phase



Counter Mode (CTR)

- **Theorem:** F As for OFB, with parallelization and more
- **Construction** (when applied to a block cipher F):
 - ◆ A random n -bit initial vector (IV), also denoted as ctr , is chosen
 - ◆ Let $m=m(1)..m(L)$ be an L -block message and let F be a block cipher
 - ◆ On input k and m , algorithm E computes $\text{ctr} = \text{IV}$, and $r(i) = F(k, \text{ctr} + i)$, $c(i) = r(i) \oplus m(i)$, $i=1, \dots, L$, then returns $c(0)=\text{IV}$ and $c(1), \dots, c(L)$
 - ◆ On input k and $c=c(0), c(1), \dots, c(L)$, algorithm D computes $\text{ctr} = \text{IV} = c(0)$, $r(i) = F(k, \text{ctr} + i)$, $m(i) = r(i) \oplus c(i)$, $i=1, \dots, L$, and returns $m(1), \dots, m(L)$
- **Theorem:** if F is a pseudo-random permutation then the above F-CTR encryption scheme is IND-CPA-secure
- **Note:** the pseudo-random stream can be computed in a preprocessing phase; encryption and decryption can be fully parallelized, and has random decryption access (i.e., can decrypt i -th block alone)



Counter Mode - Security Proof

- Recall the F-CTR construction:
 - ◆ Let ctr be a random n -bit counter, let $m=m(1)..m(L)$ be an L -block message
 - ◆ On input k and m , algorithm E computes $r(i)= F(k,\text{ctr} + i)$, $c(i)=r(i) \text{ xor } m(i)$, $i=1,...,L$, and returns $c(0)=\text{ctr}$ and $c(1),...,c(L)$
 - ◆ On input k and $c=c(0),c(1),...,c(n)$, algorithm D computes $\text{ctr}=c(0)$, $r(i)= F(k,\text{ctr}+i)$, $m(i)=r(i) \text{ xor } c(i)$, $i=1,...,L$, and returns $m(1),...,m(n)$
- **Theorem:** if F is a pseudo-random permutation then F-CTR is secure in the sense of indistinguishability with chosen-message attack
- **Proof plan:** Assume F-CTR is not secure. Then there exists an efficient adversary A for which the experiment $\text{Exp}(A,\text{ind-cpa})$ (defined in lecture 6) is successful.
- Let $\text{succ}(A;F)$ be event “ $\text{Exp}(A,\text{ind-cpa})$ is successful when F is used as atomic permutation”
 - ◆ define, for a random permutation R , $\text{succ}(A;R)$
- We write $\text{prob}[\text{succ}(A;F)]$ as $p_1 + p_2$, where
 - ◆ $p_1 = \text{prob}[\text{succ}(A;F)] - \text{prob}[\text{succ}(A;R)]$ and $p_2 = \text{prob}[\text{succ}(A;R)]$
- Claim 1: if F is a pseudo-random permutation, p_1 is negligible in n
 - ◆ Proved using proof by reduction and hybrid arguments similarly as in previous proofs
- Claim 2: $p_2 \leq 2q^2/2^n$, which is negligible (See next slide)

Counter Mode - Security Proof (2)

- Recall the F-CTR construction:
 - ◆ Let ctr be a random n -bit counter, let $m = m(1) \dots m(L)$ be an L -block message
 - ◆ On input k and m , algorithm E computes $r(i) = F(k, \text{ctr} + i)$, $c(i) = r(i) \oplus m(i)$, $i = 1, \dots, L$, and returns $c(0) = \text{ctr}$ and $c(1), \dots, c(L)$
 - ◆ On input k and $c = c(0), c(1), \dots, c(n)$, algorithm D computes $\text{ctr} = c(0)$, $r(i) = F(k, \text{ctr} + i)$, $m(i) = r(i) \oplus c(i)$, $i = 1, \dots, L$, and returns $m(1), \dots, m(n)$
- **Theorem:** if F is a pseudo-random permutation then F-CTR is secure in the sense of indistinguishability with chosen-message attack
- **Sketch of proof of claim 2:** We want to prove that $\text{prob}[\text{succ}(A; R)]$ is small.
- Note that each ciphertext is distributed like a one-time pad encryption of the plaintext since R is a random function and R 's inputs $\text{ctr} + i$ are all distinct
 - ◆ This suffices to prove indistinguishability (without chosen message attack)
- What can go wrong with a chosen message attack? A additionally obtains encryptions of chosen L -block messages M_1, \dots, M_q and then has to guess which of two chosen L -block messages U_0, U_1 where encrypted under challenge ciphertext C ; here, A can obtain $R(\text{ctr}_j + i) \oplus M_j(i)$ in the chosen message attack and $R(\text{ctr}' + i') \oplus U_b(i')$ in the challenge ciphertext such that $\text{ctr}_j + i = \text{ctr}' + i'$ (same random pad would be used for two messages, one of which is known to A)
- The probability that $\text{ctr}_j + i = \text{ctr}' + i'$ for some j in $\{1, \dots, q\}$ and some random ctr_j can be shown to be smaller than $2q^2/2^n$, which is negligible (see textbook)

Question set 15

- What is leaked by the ECB block cipher mode of operation about the plaintext?
- Which block cipher mode of operation would you choose in the following scenarios?
 - ◆ Block cipher mode of operation needs to be secure under some reasonable assumption
 - ◆ Output from the mode of operation is further encrypted using another scheme
 - ◆ We want to maximize the work done in an off-line phase (before message is available) so to minimize the work done in an on-line phase (after message is available)
 - ◆ In addition to the goal in last bullet, we want to take advantage of parallelization
- Find an attack for the following block ciphers modes of operation when the IV is a fixed number (instead of being randomly chosen)
 - ◆ CBC
 - ◆ OFB
 - ◆ Counter

Class CS 6903, End of Lecture n. 6

Reference → Topic ↓	[KL]	[MOV]	[FSK]
Block ciphers	6.2 (edition 1: 5)	7.1, 7.2, 7.4	3, 4
Modes of operation	3.6 (edition 1: 3.6.3)	7.2.2	
	http://en.wikipedia.org/wiki/Block_cipher_modes_of_operation http://csrc.nist.gov/groups/ST/toolkit/BCM/index.html http://csrc.nist.gov/groups/ST/toolkit/BCM/modes_development.html#03		
Cryptanalysis	6.2.6 (edition 1: 5.6)	7.8	