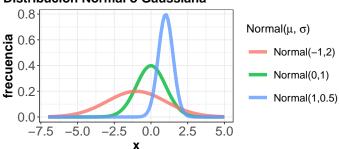
# Distribuciones continuas

#### Distribución Normal o Gaussiana



# $X \sim Normal(\mu, \sigma)$ $X \sim Normal(\mu, \tau)$

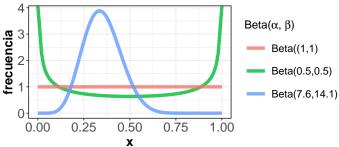
 $\tau = 1/\sigma$ 

# Dominio: $X \in (-\infty, \infty)$ $\mu \in (-\infty, \infty)$ $\sigma > 0$ (reales)

# **R/NIMBLE:**

dnorm(mean, sd)

#### Distribución Beta



# $X \sim Beta(\alpha, \beta)$ $X \sim Beta(\mu, \sigma)$ $\mu = \alpha/(\alpha + \beta)$

# Dominio: $X \in [0, 1]$ $\alpha > 0 (real)$

 $\beta > 0(real)$ 

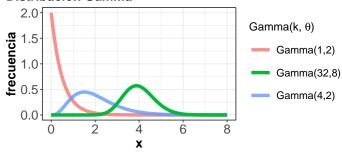
dbeta(alpha, beta)

R/NIMBLE:

# $(\alpha + \beta)^2(\alpha + \beta + 1)$

αβ

## Distribución Gamma



#### Dominio:

#### R/NIMBLE:

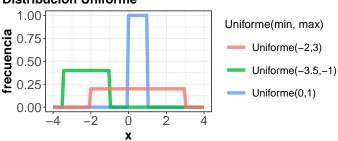
$$X \sim Gamma(\alpha, \beta)$$
  
 $X \sim Gamma(\mu, \sigma)$   
 $\mu = \alpha/\beta$ 

$$X \in (0, \infty)$$
  
  $\alpha > 0(real)$ 

 $\sigma = \alpha/\beta^2$ 

 $\beta > 0(real)$ 

## Distribución Uniforme



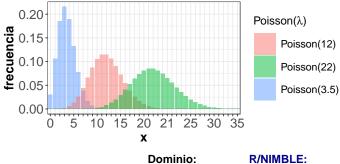
# Dominio:

**R/NIMBLE:**  $X = (-\infty, \infty)$ 

 $X \sim Unif(min, max) min \in (-\infty, \infty)(real)$  $\max \in (-\infty, \infty)(\text{real})$  dunif(min, max)

# Distribuciones discretas

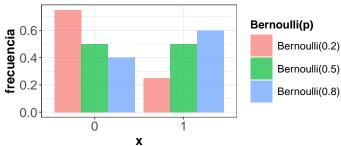
#### Distribución de Poisson



## $X \sim Poisson(\lambda)$ $X \in (0, \infty)$ (naturales) $\lambda \in (0, \infty)$ (reales)

dpois(lambda)

# Distribución de Bernoulli



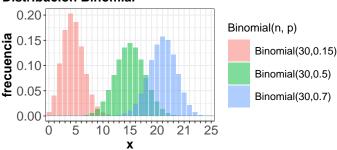
# **Dominio:** $X \in \{0, 1\}$

R/NIMBLE: dbinom(1, prob)

dbern(prob)

 $p \in [0, 1]$ 

#### Distribución Binomial



# **Dominio:** $X \in \{0, n\}$

dbinom(size, prob) dbern(prob, size)

R/NIMBLE:

 $p \in [0, 1]$ 

 $n \in [0, \infty)$  (natural)

