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Functions & Derivatives

Functions

Functions in mathematics help define a relationship between an independent variable (x) and a dependent variable (y).

Functions are represented as $y=f(x)$, where the function f takes some value x and gives the output y .

For example, $f(x)=x$, or $f(x)=x^2$

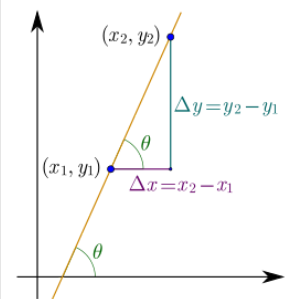
Derivatives

Derivatives are very important to understand the working of Neural Networks, which we will be studying this week.

A derivative is defined as the rate of change in $y = f(x)$ with respect to a very small change in x .

To find the derivative of a function $y = f(x)$ we use the slope formula:

Slope = **Change in y /Change in $x = \Delta y / \Delta x$**

[Image source](#)

From the above diagram, we see that:

x changes from x to $x+\Delta x$ and y changes from $f(x)$ to $f(x+\Delta x)$

Now follow these steps:

- Putting Δy and Δx in slope formula: $\Delta y / \Delta x = (f(x+\Delta x) - f(x)) / \Delta x$
- Make **Δx** tend towards zero.

We write dx instead of " **Δx tends towards 0**" and "the derivative of" is commonly written as d/dx .

Let's say we are given a function $y=f(x)=x^2$ So, $d(x^2)/dx = 2x$

"The derivative of x^2 equals $2x$ "

This means that, for the function x^2 , the slope or "rate of change" at any point is $2x$.

To learn more about derivatives, check out the video given in the additional reference material.

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