```
Sec. 6.1.15
% 6.1.15 Vectorizing nested fors: loan repayment tables
\mbox{\$\$} forming the table of repayments for a loan of $1000 over 15, 20
and 25 yrs
% rate% 15 yrs 20 yrs 25 yrs
% 10 10.75 9.65 9.09
       11.37 10.32 9.80
% 12 12.00 11.01 10.53
% 13 12.65 11.72 11.28
%% Exercise to write the expression in p.140 by matlab code
     % Method 1:
     A = 1000; % amount borrowed
     n = 12; % number of payments per year
     disp ([' rate% 15 yrs 20 yrs 25 yrs']);
     pay=zeros(11,3);
     for r = 0.1 : 0.01 : 0.2
       fprintf( '%4.0f%', 100 * r );
       for k = 15 : 5 : 25
         temp = (1 + r/n) ^ (n*k);
          P = r * A * temp / (n * (temp - 1));
         pay(j,i)=P;
         fprintf( '%10.2f', P );
        end;
       fprintf( '\n' ); % new line
     end;
rate% 15 yrs 20 yrs 25 yrs
10 10.75 9.65 9.09
     11.37 10.32
 11
                      9.80
 12 12.00 11.01 10.53
    12.65 11.72 11.28
 13
 14 13.32 12.44 12.04
    14.00 13.17 12.81
 15
 16
     14.69 13.91 13.59
 17
    15.39 14.67 14.38
     16.10 15.43 15.17
 18
```

```
16.83 16.21 15.98
 20 17.56 16.99 16.78
      % to store the payment in a matrix:
      A = 1000; % amount borrowed
      n = 12; % number of payments per year
      disp ([' rate% 15 yrs 20 yrs 25 yrs']);
      i=1;j=1;
      pay=zeros(11,3);
      for r = 0.1 : 0.01 : 0.2
         fprintf( '%4.0f%', 100 * r );
         i=1;
         for k = 15 : 5 : 25
            temp = (1 + r/n) ^ (n*k);
            P = r * A * temp / (n * (temp - 1));
            pay(j,i)=P;
            fprintf( '%10.2f', P );
            i=i+1;
         end;
         j=j+1;
         fprintf( '\n' ); % new line
      end;
% How to do it by point operation
       r=0.1:0.01:0.2
       r=r'
       rate=repmat(r,[ 1 3])
       y=15:5:25
       year=repmat(y, [ 11 1])
      % Method 3
      A = 1000; % amount borrowed
      n = 12; % number of payments per year
      r = [0.1:0.01:0.2]' % r is a 11*1 matrix
      % Now change this into a table with 3 columns each equal to r:
      r = repmat(r, [1 3]) % r is 11*3 matrix
```

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```
k = 15:5:25 % k is 3*1 matrix
      k = repmat(k, [11 1]) % k is a 11*3 matrix
      % r (11*3) matrix =
         0.1000 0.1000 0.1000
        0.1100 0.1100 0.1100
         0.1200 0.1200 0.1200
      % k (11*3) matrix =
         15 20 25
      %
        15 20 25
          15 20 25
      format short
      disp ([' rate%
                      15 yrs 20 yrs 25 yrs']);
      temp = (1 + r/n) .^{(n * k)};
      P = r * A .* temp / n ./ (temp - 1);
      disp([ 100*r(:,1) P])
Sec. 6.4
% Leslie matrix population model
% Iterative processing : repeatly do the same operations.
% Leslie matrices
        % prepare L
        n=3;
        L = zeros(n); % all elements set to zero
        L(1,2) = 9;
        L(1,3) = 12;
        L(2,1) = 1/3;
        L(3,2) = 0.5;
        % Initial condition
        x = [0 0 1]'; % remember x must be a column vector!
        format bank
        for t = 1:24
          x = L * x;
           p(t) = sum(x); % the total population at time t
```

```
end
         figure, plot(1:15, p(1:15)), xlabel('months'),
         ylabel('rabbits')
         hold, plot(1:15, p(1:15), 'o')
hold, plot(1:15, p(1:15), <mark>o</mark>')
         1.00
                                                              12.00
                      12.00
         2.00
                       0
                                     4.00
                                                    0
                                                               4.00
         3.00
                      36.00
                                     0
                                                   2.00
                                                               38.00
                                                   0
         4.00
                    24.00
                                  12.00
                                                               36.00
          5.00
                     108.00
                                   8.00
                                                  6.00
                                                              122.00
          6.00
                     144.00
                                  36.00
                                                4.00
                                                              184.00
         7.00
                     372.00
                                   48.00
                                                 18.00
                                                              438.00
          8.00
                     648.00
                                   124.00
                                                 24.00
                                                              796.00
\ (for) loop for fixed loop : how many times of the loop is fixed .
% (white) loop for the conditional loop: when the condition is
satisfied
% the loop is continued.
% Sec. 8.1.2 : An exaple in p. 181 : Update processes
     K = 0.05;
     F = 10;
     a = 0; % start time
```

b = 100; % end time

time = a; % initialize time

已註解 [l1]:

disp([t x' sum(x)]) % x; | is a row

```
T = 25; % initialize temperature
     load train % prepare to blow the whistle
     dt=5;
     opint=10;
     % opint = input( 'output interval (minutes): ');
     % if opint/dt ~= fix(opint/dt)
        sound(y, Fs) % blow the whistle!
          disp( 'output interval is not a multiple of dt!');
        break
     % end
     clc
     format bank
     disp( ' Time Temperature' );
     disp( [time T] ) % display initial values
     for time = a+dt : dt : b
        T = T - K * dt * (T - F);
        disp( [time T] )
        end
     end
% Question : when is the temperture of orange just below 15 ??
          K = 0.05;
          F = 10;
          a = 0; % start time
          b = 100; % end time
          time = a; % initialize time
          T = 25; % initialize temperature
          load train % prepare to blow the whistle
          dt=5;
          opint=10;
          % opint = input( 'output interval (minutes): ');
          % if opint/dt ~= fix(opint/dt)
          % sound(y, Fs) % blow the whistle!
             disp( 'output interval is not a multiple of dt!');
               break
          % end
          clc
```

```
disp( ' Time Temperature' );
          {\tt disp([time\ T])} % display initial values
          for time = a+dt : dt : b
             T = T - K * dt * (T - F);
             disp( [time T] )
             if (T<=15)</pre>
                break;
             end
          end
% we can also use the white loop for this problem
       K = 0.05;
       F = 10;
       a = 0; % start time
       b = 100; % end time
       time = a; % initialize time
       T = 25; % initialize temperature
       load train % prepare to blow the whistle
       dt=5;
       opint=10;
        % opint = input( 'output interval (minutes): ');
        % if opint/dt ~= fix(opint/dt)
        % sound(y, Fs) % blow the whistle!
          disp( 'output interval is not a multiple of dt!');
           break
        % end
       clc
       format bank
        disp( ' Time Temperature' );
       disp( [time T] ) % display initial values
       while ( (T>15) && (time < b) ) % the condition
          time=time+dt;
          T = T - K * dt * (T - F);
           disp( [time T] );
        end
```

format bank

```
% 8.2.5 Projectile trajectory
% 8.2.5 Projectile trajectory
dt = 0.1;
g = 9.8;
u = 60;
ang = input( 'Launch angle in degrees: ' );
ang = ang * pi / 180; % convert to radians
x = 0; y = 0; t = 0; % for starters
more(15)
while y >= 0
  disp( [t x y] );
  t = t + dt;
  y = u * sin(ang) * t - g * t^2 / 2;
  x = u * cos(ang) * t;
end
\mbox{\$\$} store the data and then plot it as shown in Fig. 8.1 in p.189
clear all;
close all;
dt = 0.1;
g = 9.8;
u = 60;
ang = input( 'Launch angle in degrees: ' );
ang = ang * pi / 180; % convert to radians
x(1) = 0; y(1) = 0; t(1) = 0; % for starters
more(15)
i=1;
while y(i) >= 0
  i=i+1;
  t(i) = t(i-1) + dt;
  y(i) = u * sin(ang) * t(i) - g * t(i)^2 / 2;
  x(i) = u * cos(ang) * t(i);
end
```