

%6.1

```
a=magic(3) %設 a 為一個 3*3 矩陣
b=a(:,2);c=a(:,3);%將 2,3 col 設為 a,b
a(:,2)=c;a(:,3)=b;%將 c 帶回 col2,b 帶回 col3
disp(a);
a(:,4)=[0 0 0]';%加入第 4column
a=[a(1,:); [1 1 1 1]; a(2:end,:)]%插入第 2row
a(:,2)=[] %remove the second column
```

%6.2

```
n = 6;
P = zeros(n); % all elements set to zero
for i = 3:6
    P(i,i-1) = 2/3;
    P(i-2,i-1) = 1/3;
end
P(1,1) = 1;
P(6,6) = 1;
x0 = [1 0 0 0 0 0]'; % initial position of the student, remember x0 must be a column
vector!
% x0 = [0 1 0 0 0 0]'; % Try each x0 to see the result
% x0 = [0 0 1 0 0 0]';
% x0 = [0 0 0 1 0 0]';
% x0 = [0 0 0 0 1 0]';
% x0 = [0 0 0 0 0 1]';

x = x0;
for t = 1:50
    x = P*x;
    disp([t x'])
end
```

% Anoter way to compute the final x from the initial position x0

Pfinal = P^50 % Note the limiting probabilities in the first and the last rows

$x_{\text{final}} = P_{\text{final}} * x_0$ % Another way to compute the final x from the initial position x_0

%6.3

$A = \begin{bmatrix} 2 & -1 & 1 \\ 1 & 1 & 1 \\ 3 & -1 & -1 \end{bmatrix}$

$b = \begin{bmatrix} 4 \\ 3 \\ 1 \end{bmatrix}$

$x = A \backslash b$;

$r = A * x - b$ %residual

$\det(A)$

$\text{rcond}(A)$

%6.4

$A = \begin{bmatrix} 1 & 5 \\ 1.5 & 7.501 \end{bmatrix}$

$b = \begin{bmatrix} 17 \\ 25.503 \end{bmatrix}$

$x = A \backslash b$; %得 $x=2$ $y=3$

$r = A * x - b$ %residual

$\det(A)$

$\text{rcond}(A)$

$b_1 = \begin{bmatrix} 17 \\ 25.501 \end{bmatrix}$ %改變方程式的值

$x_1 = A \backslash b_1$ %解答發生很大變化

$r_1 = A * x_1 - b_1$ %residual

$b_2 = \begin{bmatrix} 17 \\ 25.502 \end{bmatrix}$ %改變方程式的值

$x_2 = A \backslash b_2$ %解答發生很大變化

$r_1 = A * x_2 - b_2$ %residual

$b_3 = \begin{bmatrix} 17 \\ 25.504 \end{bmatrix}$ %改變方程式的值

$x_3 = A \backslash b_3$ %解答發生很大變化

$r_1 = A * x_3 - b_3$ %residual

%6.6

$a = \begin{bmatrix} 2 & 1 & -1 \\ -3 & -1 & 2 \\ -2 & 1 & 2 \end{bmatrix}$;

$b = \begin{bmatrix} 8 \\ -11 \\ -3 \end{bmatrix}$;

$x = \text{mygauss}(a, b)$ % $x = \begin{bmatrix} 2 \\ 3 \\ -1 \end{bmatrix}$

% Function file mygauss.m

function $x = \text{mygauss}(a, b)$

$n = \text{length}(a)$;

$a(:, n+1) = b$;

for $k = 1:n$

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a(k,:) = a(k,+)/a(k,k); % pivot element must be 1
for i = 1:n
    if i ~= k
        a(i,:) = a(i,:) - a(i,k) * a(k,);
    end
end
end
end
% solution is in column n+1 of a:
x = a(:,n+1);
```