

## **Report6\_D1265154**

### Implementation Steps

#### 1. Class Design and Inheritance:

I initiated the project by designing a base class `Matrix`, which would serve as the foundation for matrix-related operations and memory management.

Subsequently, I derived the `Vector` class to handle column vectors, integrating vector-specific functionalities. Additionally, I developed the `SMatrix` class to manage square matrices and execute determinant computations.

#### 2. Matrix Operations:

I proceeded to implement various matrix operations, including addition, subtraction, multiplication, and scalar operations. To facilitate intuitive mathematical expressions involving matrices, I employed operator overloading extensively.

#### 3. Input and Output:

To ensure seamless integration with standard I/O streams, I implemented friend functions to manage the input and output of matrices and vectors.

#### 4. Linear Equation Solver:

As a key component of the project, I crafted the `linear_equation_system_solver.cpp` program. This program facilitated tasks such as reading the system size, generating random coefficients, and solving equations using the determinant method.

### **Challenges and Solutions**

#### 1. Determinant Calculation

The computation of determinants for matrices posed a significant challenge, particularly in terms of ensuring accuracy and performance for matrices of varying sizes.

**Solution:**

To tackle this challenge, I developed the ``determinant`` method within the `SMatrix` class, employing recursion and cofactor expansion. Furthermore, I implemented optimized solutions for base cases, such as 1x1 and 2x2 matrices, to enhance performance.

#### 2. Operator Overloading

**Challenge:**

Overloading operators for matrix operations necessitated meticulous attention to detail to ensure correct functionality and code readability.

**Solution:**

To overcome this challenge, I meticulously defined operator overloads within the `Matrix` class and as friend functions. This approach facilitated intuitive usage while maintaining consistency and efficiency in operations.

### 3. Linear Equation Solver Verification

Ensuring the correctness of solutions for linear equation systems was imperative. However, verifying solutions accurately while accounting for potential numerical errors presented a considerable challenge.

Solution:

To address this challenge, I implemented a verification step within the linear equation solver program. This step involved subsequently checking if the result approximated a zero vector within a specified error tolerance. Careful consideration of double precision and meticulous comparison techniques were employed to handle floating-point inaccuracies effectively.