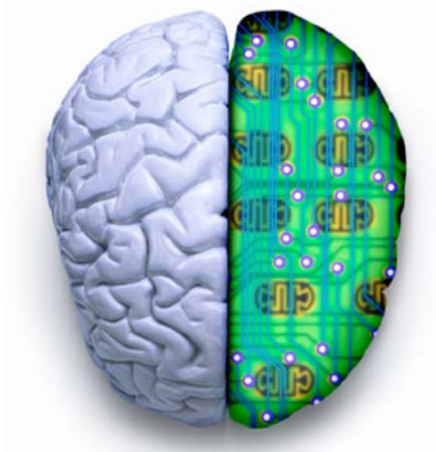


# Advanced Artificial Intelligence CM4107 (Week 4)



## Machine Learning

Dr. Yann Savoye

School of Computing Science and Digital Media

Robert Gordon University

# Module Information

- **Assessment:**

- Coursework (2 components)
  - Component 1: literature review
  - Component 2: paper implementation
- No mid-term or final written exam.

*All deadlines are strong:*

- *It will not be possible to upload material after the deadline.*
- *No deadline extension will be granted. No excuse.*
- *Only the content submitted via the Moodle will be mark.*

# Coursework

- **Submission of the Coursework Part 1:**

**Deadline - Monday, October 30th, 2017 23:00:**

*Activity 1 and Activity 2*

- *2-pages written reports (in PDF format)*
- *7 slides presentation (in PDF format)*

- You should have read two papers by now ! And started to sketch a draft for the 2-pages report ...

# Coursework

- How to write a critical review?

**"Convergence and Divergence"**



***Convergence***



***Divergence***

# Overview

- Part I – Machine Learning
- Part II – Classical Problems
- Part III – Linear Model
- Part IV – K-Nearest Neighbours
- Part V – K-Means
- Part VI – Principle Analysis Component
- Part VI – Dimensionality Reduction
- Part VII – Decision Tree and Forest
- Part VIII – Principal Component Analysis

# Part I – Machine Learning

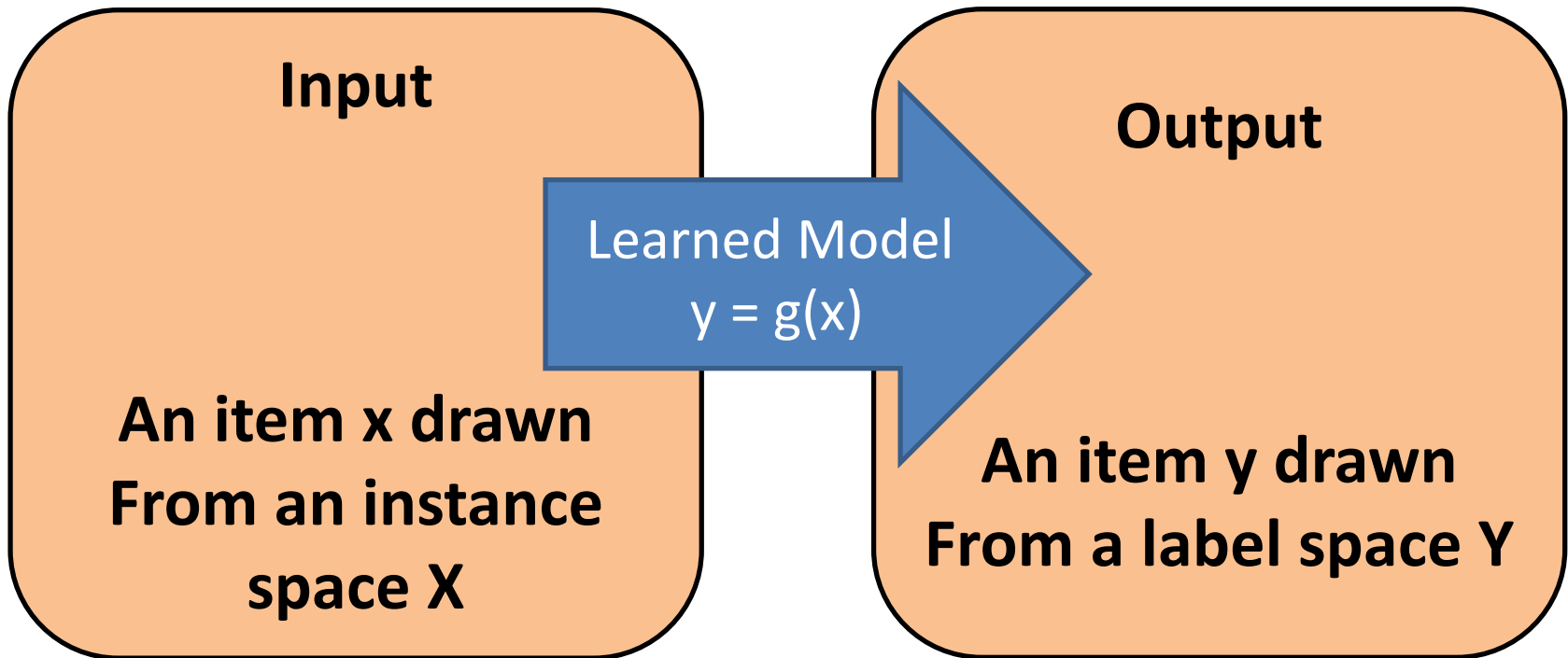
# Self-Learning Program



*Arthur Samuel, The World's first Self Learning Program*

*In 1956 Samuel showed the **capability of the computer** on television by demonstrating his **checkers learning program**, widely regarded to be the **world's first self-learning program**.*

# Machine Learning



**“You need to know the question you are trying to answer”**

**- Jason Bell (2015)**

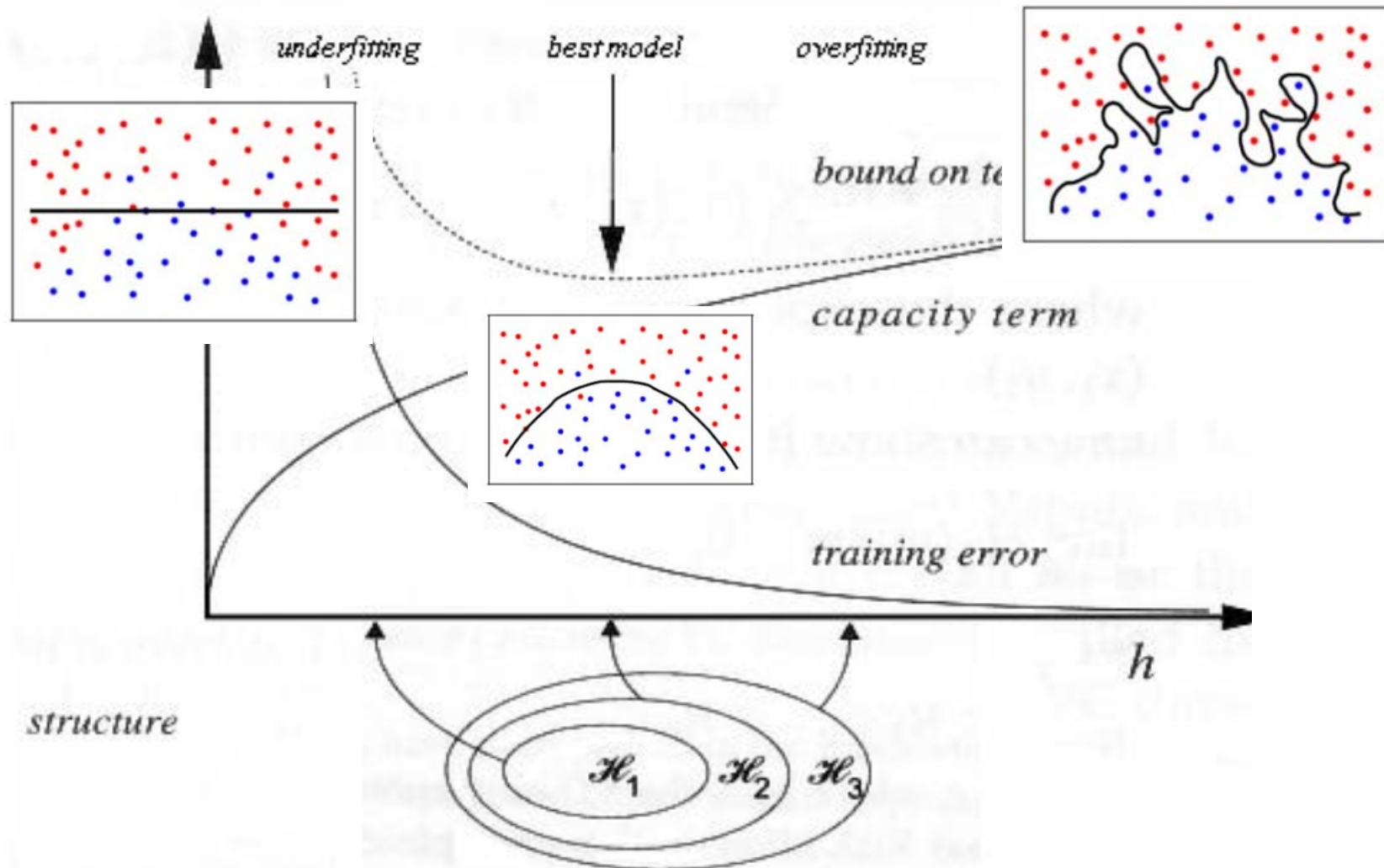


# What is Machine Learning?

**"Field of study that gives computers the ability to learn without being explicitly programmed"**

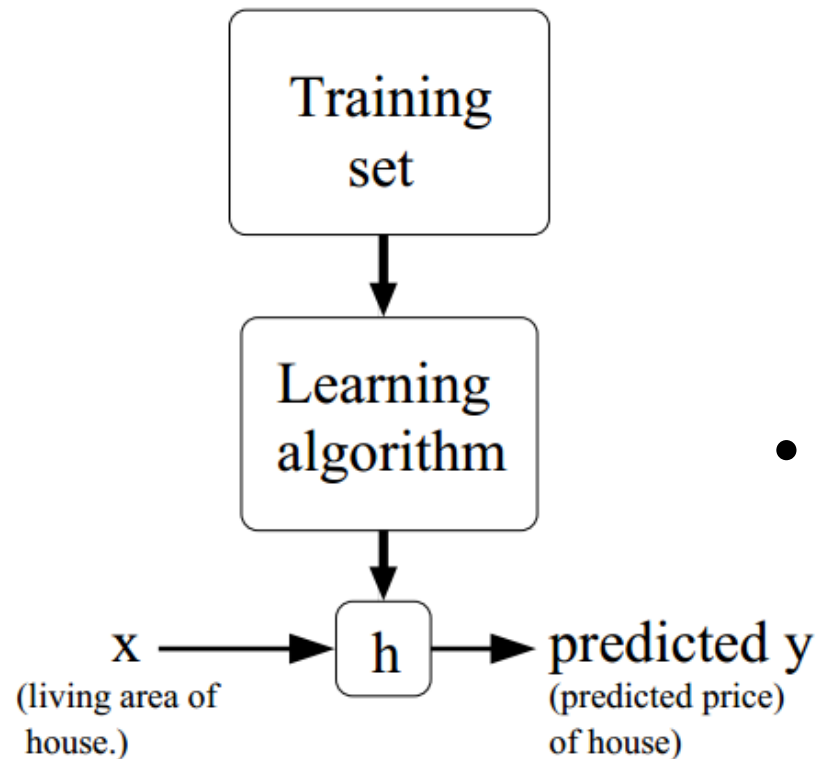
- Machine learning is the science of getting computers to act **without being explicitly programmed.**
- The best way to make progress towards **human-level AI.**
- **Machine learning** is employed in a range of computing tasks where designing and programming explicit algorithms with good **performance is difficult or infeasible.**
- Effective machine learning is difficult because **finding patterns is hard** and often not enough training data is available.

# Importance of the Model



Constructing **models** that predict **data distributions**.

# Supervised or Unsupervised?



- **Supervised Learning:** given a sample of input-output pairs (training samples), then the task is to find a deterministic function that maps any input to an output that can predict future input-output observation.

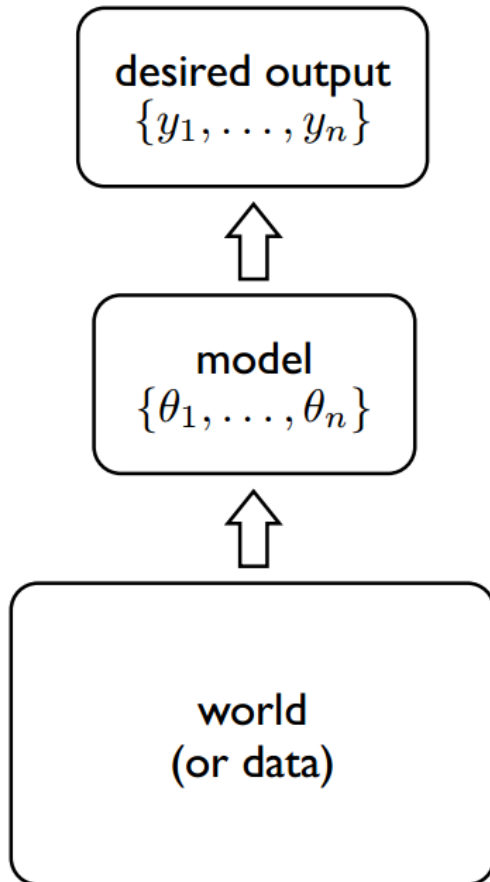
=> labelled samples

- **Unsupervised Learning:** In unsupervised learning data samples are given without target values, Typical example of unsupervised learning include text and image segmentation and analysis.

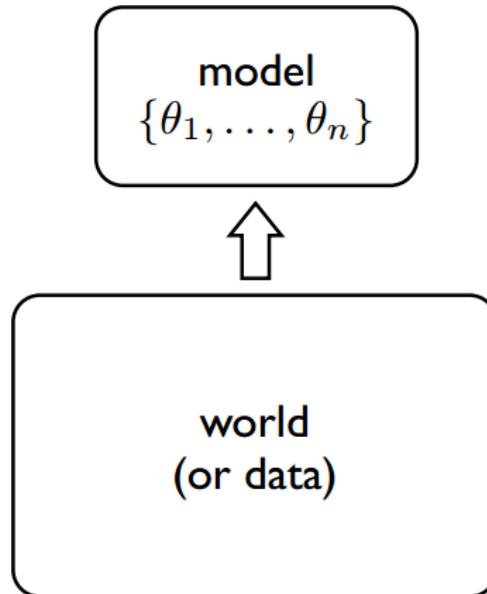
=> unlabelled samples

# Types of Learning

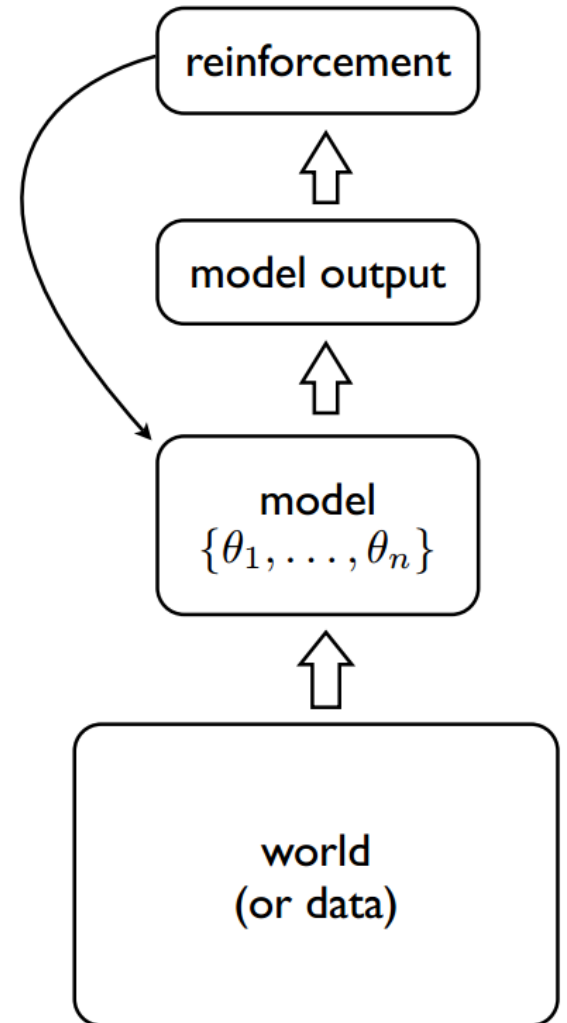
## supervised



## unsupervised



## reinforcement



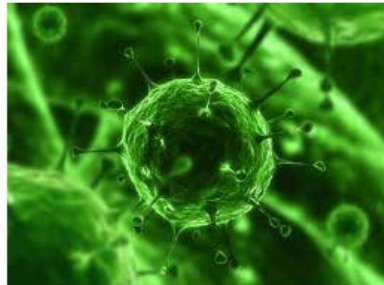
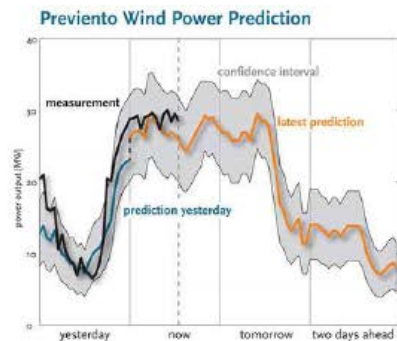
# Machine Learning

- **Linear Regression**
- **Support Vector Machine**
- **Principal Component Analysis**
- **K-Mean**
- **Random Forest**
- Expectation Maximization
- Bayesian Network
- Neural Network
- Deep Learning

# Machine Learning

**Machine learning extracts features from data to solve many different predictive tasks:**

- Forecasting (energy, sales)
- Imputing missing data
- Detecting anomalies
- Classifying
- Ranking
- Summarizing
- Decision making.



## Part II – Classical Problems



# Object Detection

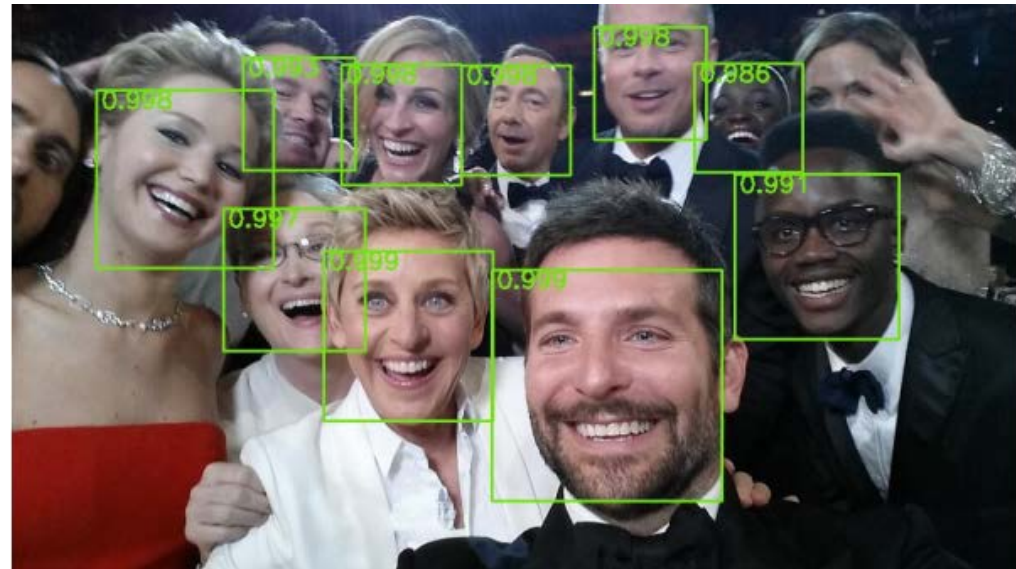




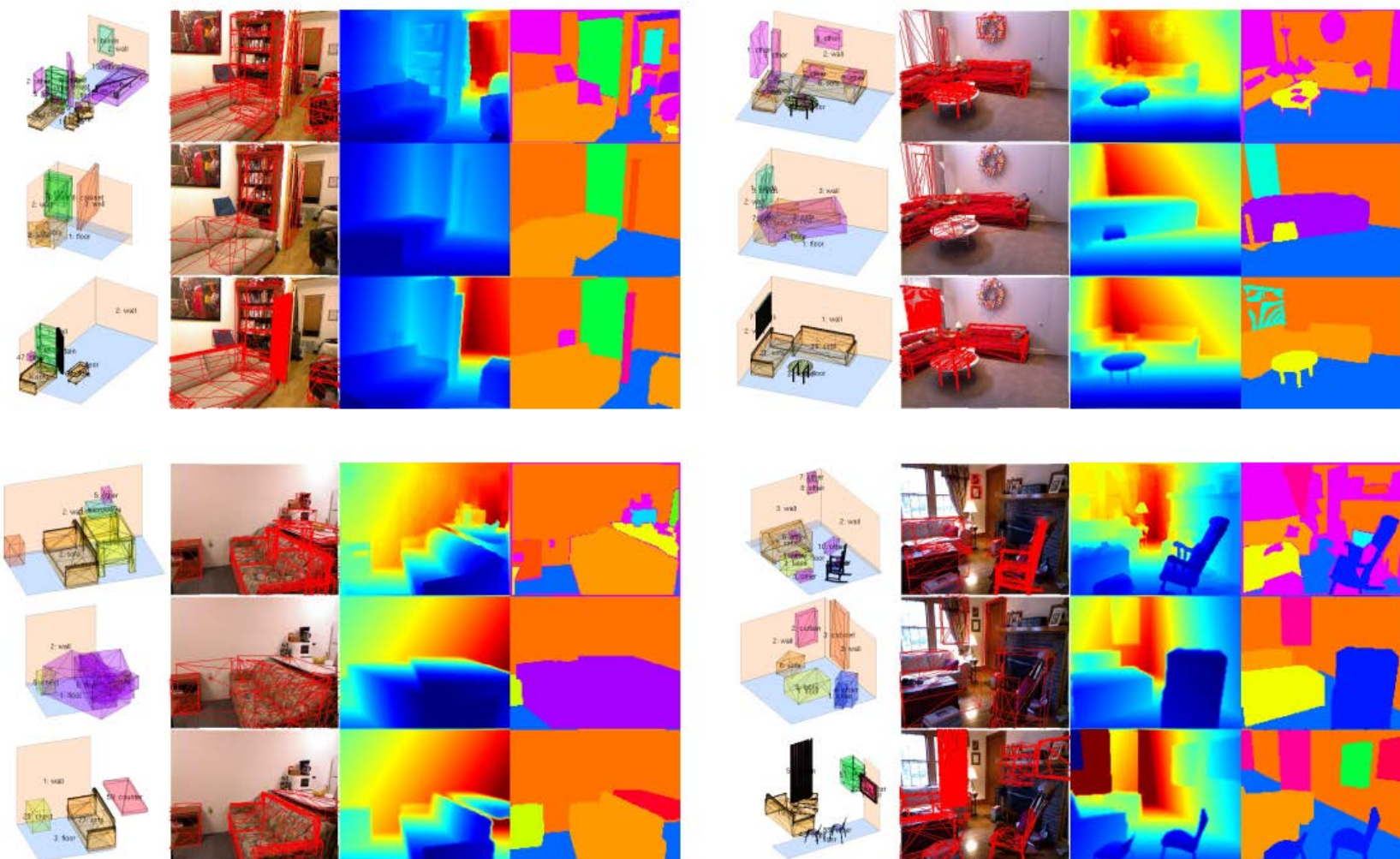
# Face Detection



The image displays a collage of various scenes where face detection is applied. The top-left section shows a grid of small images with faces highlighted by black bounding boxes. The top-right section shows a group of people at a formal event with green bounding boxes and confidence scores (e.g., 0.998, 0.997, 0.999) overlaid on their faces. The bottom-left section shows a group of people at a formal event with red bounding boxes. The bottom-right section shows a large crowd of people at an outdoor event with red bounding boxes.

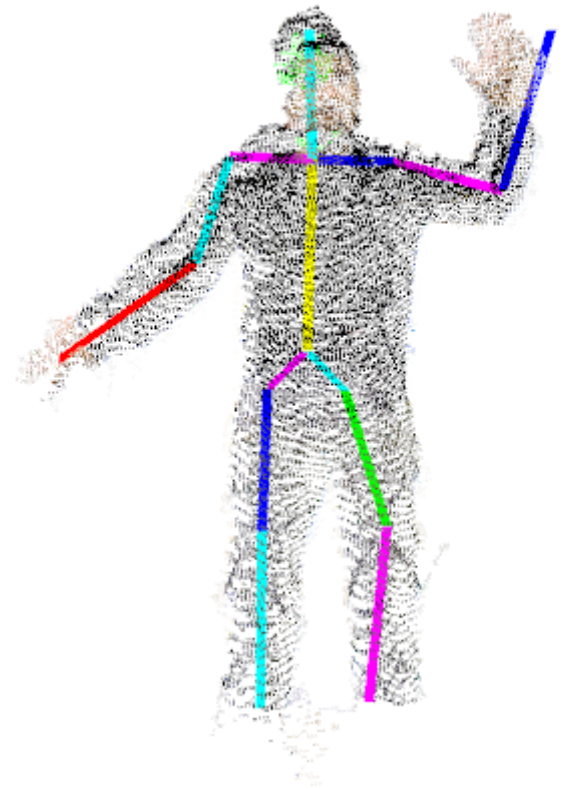
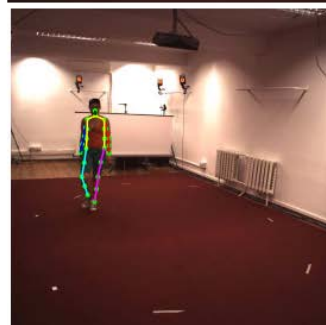
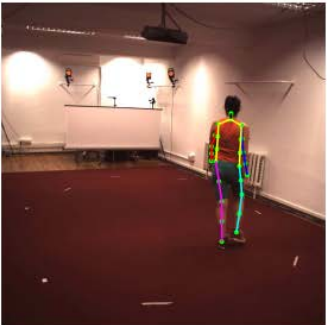
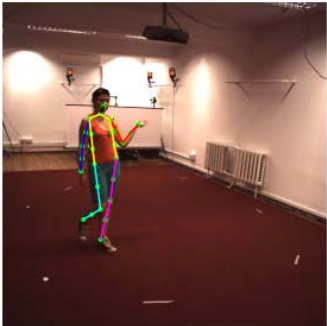
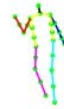
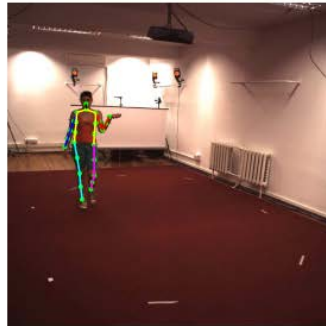


# Scene Understanding

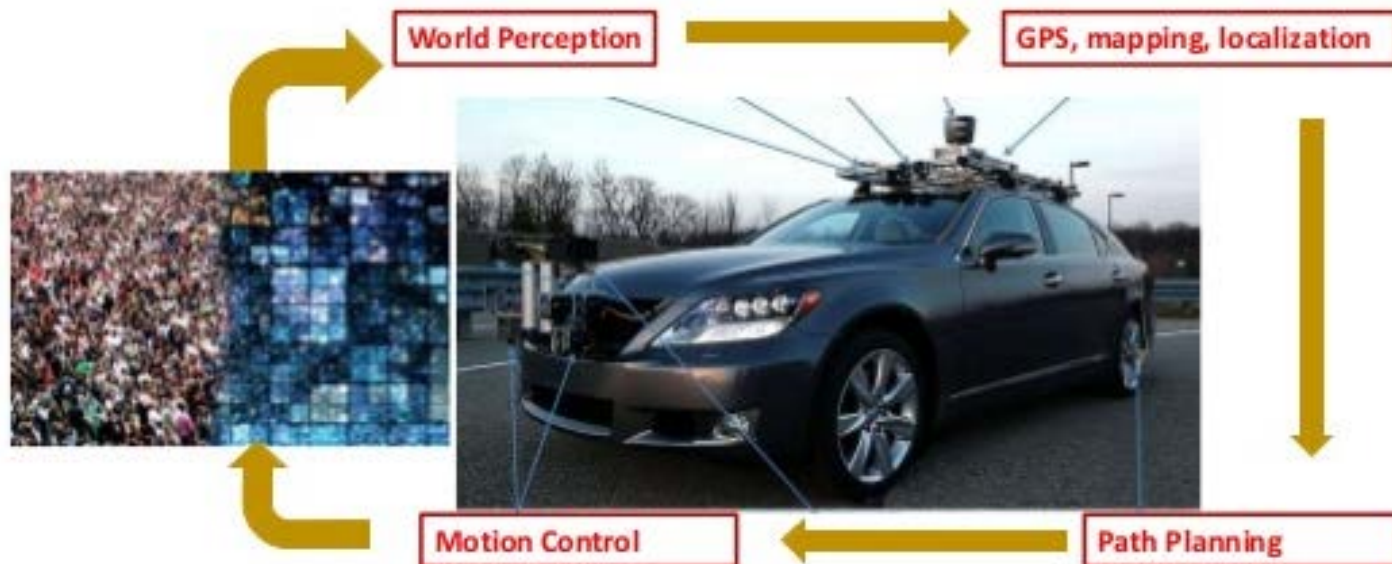




# Pose Estimation



# Computer Vision and Robotics





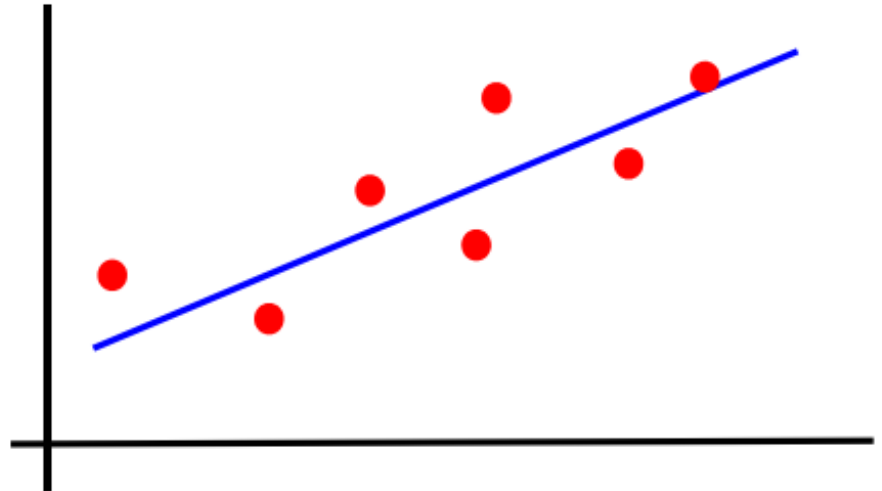
# Classification



## Part III – Linear Model

# Linear Regression

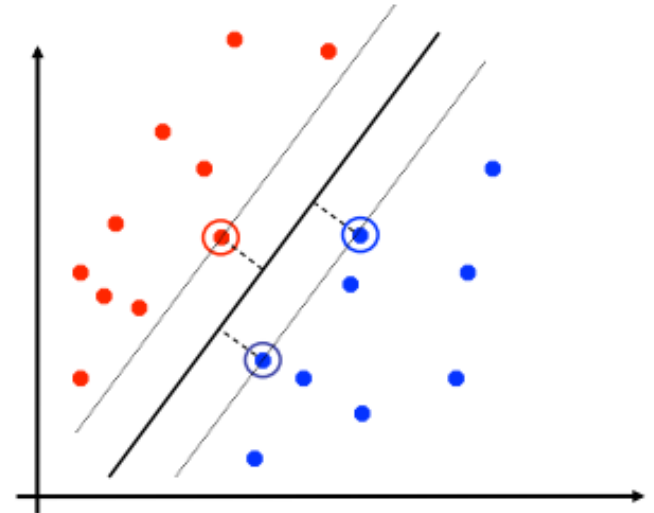
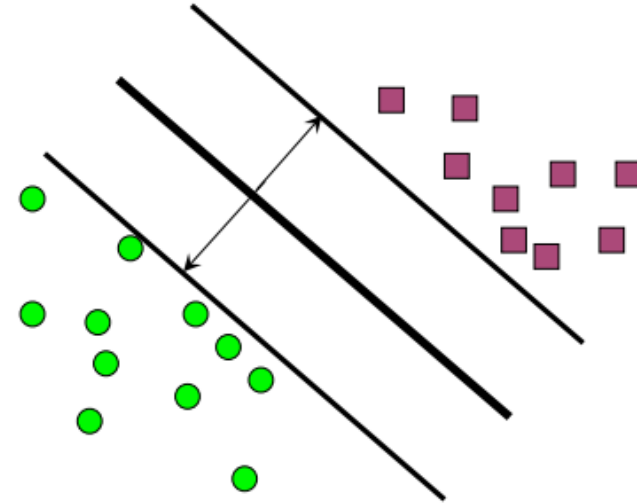
$x$	$y$
1.0	2.6
2.3	2.8
3.1	3.1
4.8	4.7
5.6	5.1
6.3	5.3



- **Linear regression**, the line/plane/hyperplane that we found was calculated to be as close as possible to all the data points.
- In **regression**, the output space is formed by the values of continuous variables. Typical example of regression is to predict the value of shares in the stock exchange market.

# Support Vector Machine

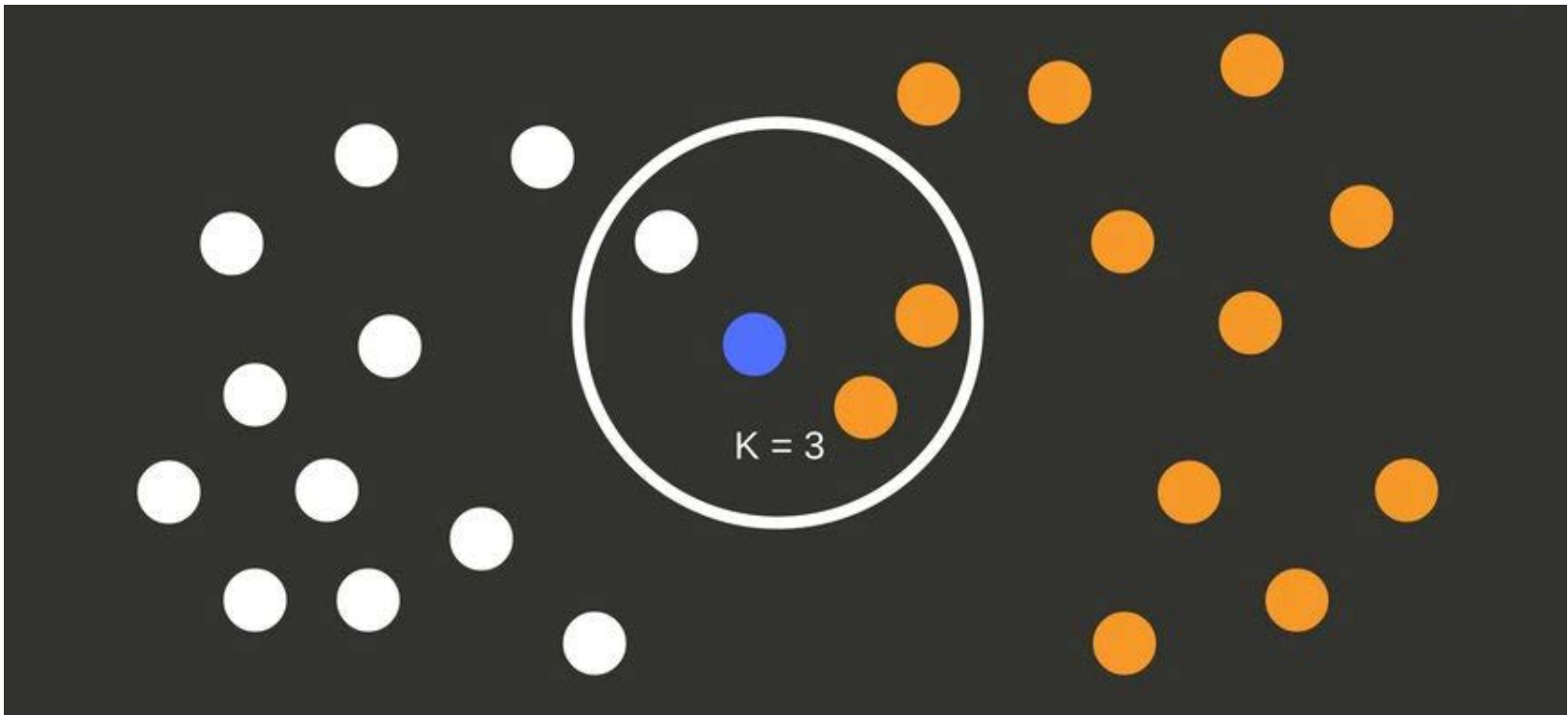
- **Replace the original data** with a simplified (linear) model.
- The input should **be linearly separable**.
- **Hyperplane** to represent the border between the two differently colored regions.
- Determined by only **the few data points that are closest to the border** between the two classes.
- Move the line to a position that **minimizes the thickness of the band**.





## Part IV – K-Nearest Neighbours

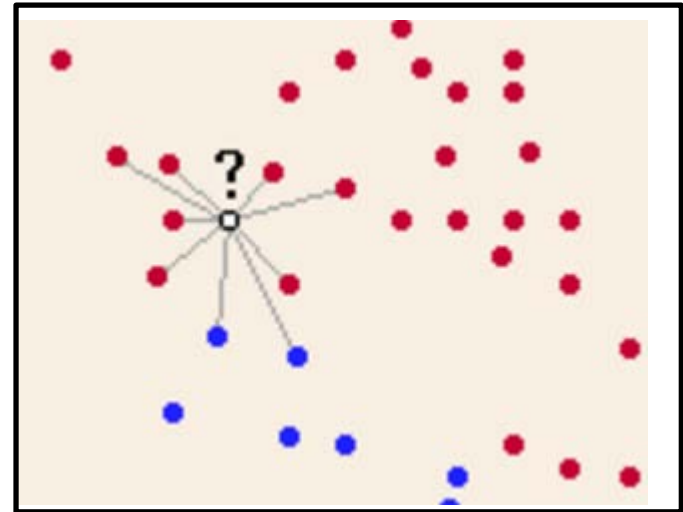
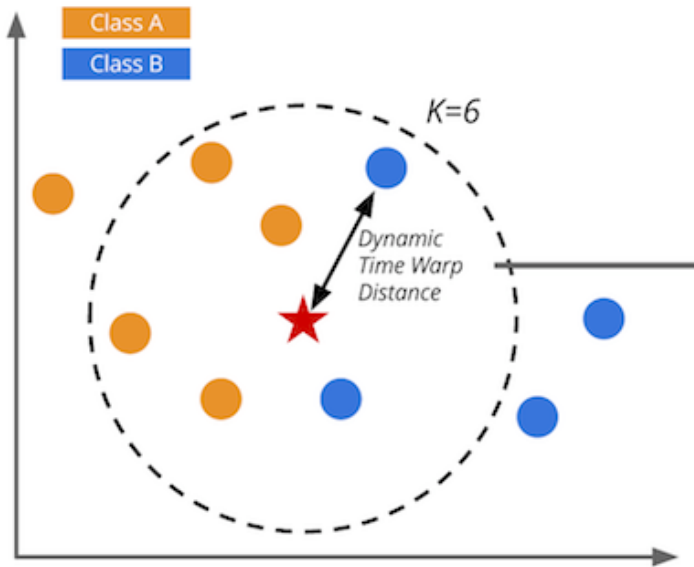
# K-Nearest Neighbours



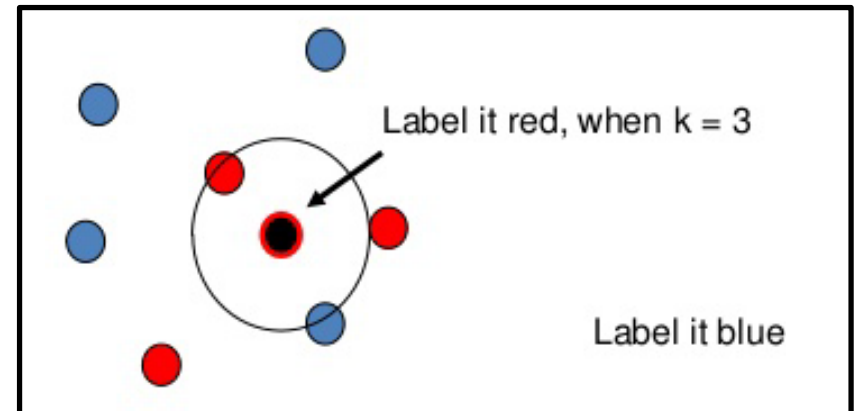
(image courtesy of dataaspirant.com)

*The **k-nearest neighbors** algorithm is one of the most basic yet essential supervised learning algorithm.*

# K-Nearest Neighbors

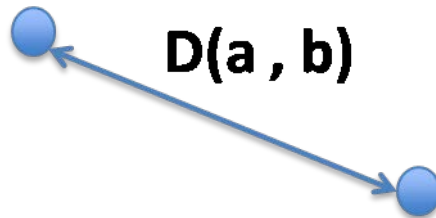


the ***k-nearest neighbors*** algorithm (***k-NN***) is a non-parametric method  
Used for ***classification*** and ***regression***



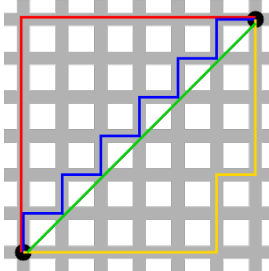
# Distance Measures

- Euclidean:



$$\sqrt{\sum_{i=1}^k (x_i - y_i)^2}$$

- Manhattan:

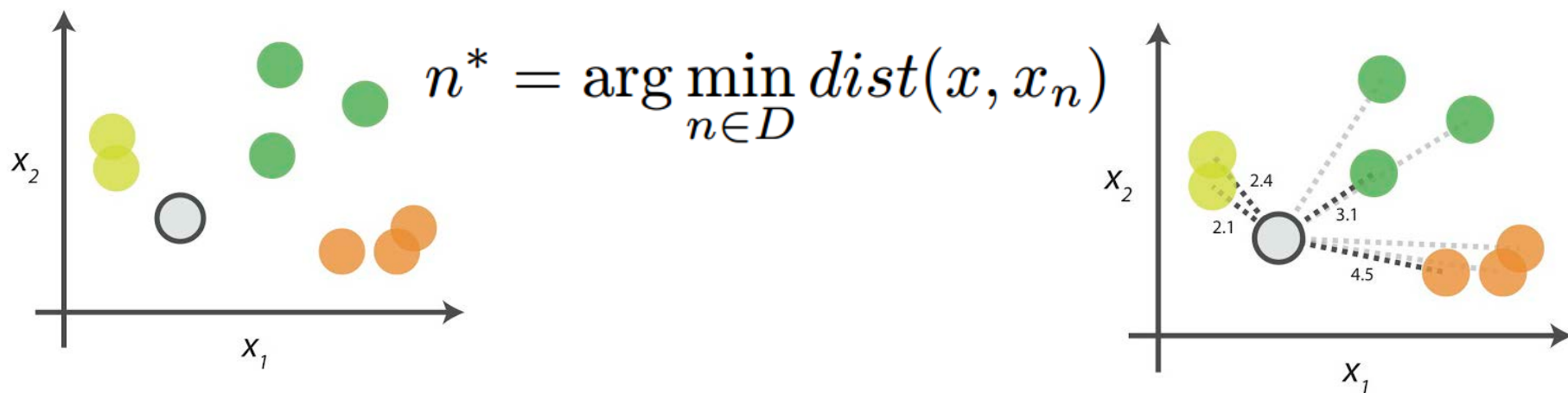


$$\sum_{i=1}^k |x_i - y_i|$$

- Minkowski:

$$\left( \sum_{i=1}^k (|x_i - y_i|)^q \right)^{1/q}$$

# K-Nearest Neighbours



---

## Algorithm 1.2 $k$ -Nearest Neighbor Classification

---

Classify( $\mathbf{X}, \mathbf{Y}, x$ ) {reads documents  $\mathbf{X}$ , labels  $\mathbf{Y}$  and query  $x$ }

**for**  $i = 1$  **to**  $m$  **do**

    Compute distance  $d(x_i, x)$

**end for**

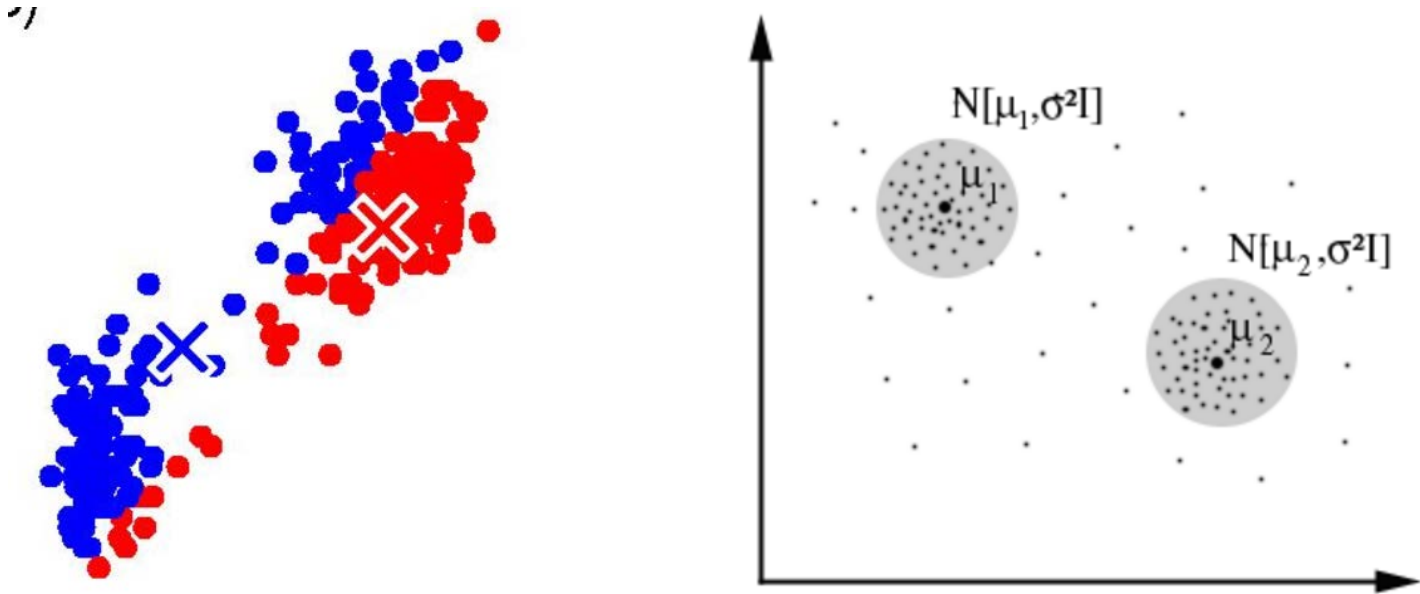
  Compute set  $I$  containing indices for the  $k$  smallest distances  $d(x_i, x)$ .

**return** majority label of  $\{y_i \text{ where } i \in I\}$ .

---

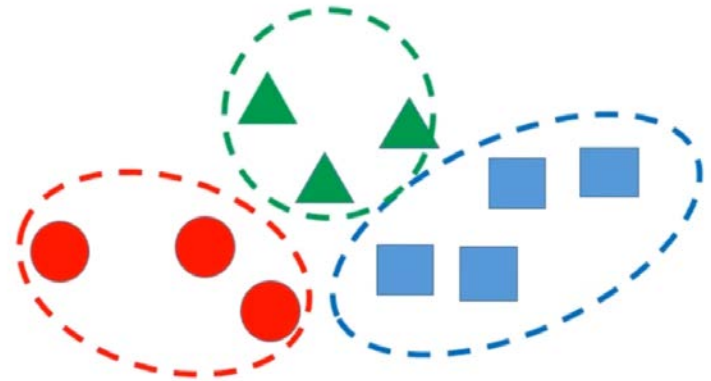
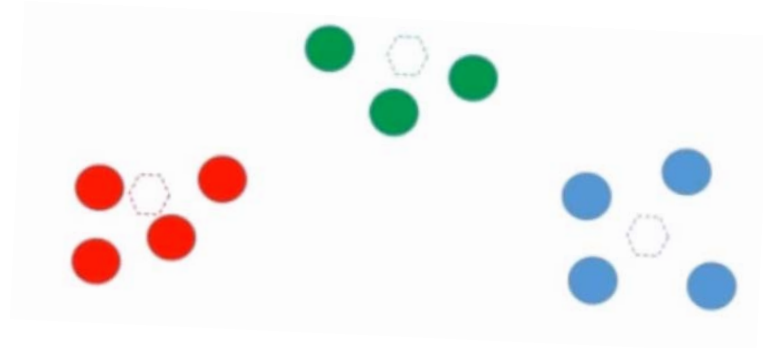
## Part V – K-Means Clustering

# K-Mean Clustering



- The process of **organizing objects into groups**.
- **A cluster** is a collection of objects which are “**similar**” between them and are “**dissimilar**” to the objects belonging to other clusters.
- **K-means** clustering classifies objects based on features into K groups.
- The grouping is done by **minimizing the sum of squares of distances** between data and the corresponding cluster centroid.

# Clustering



number of clusters      number of cases      centroid for cluster  $j$

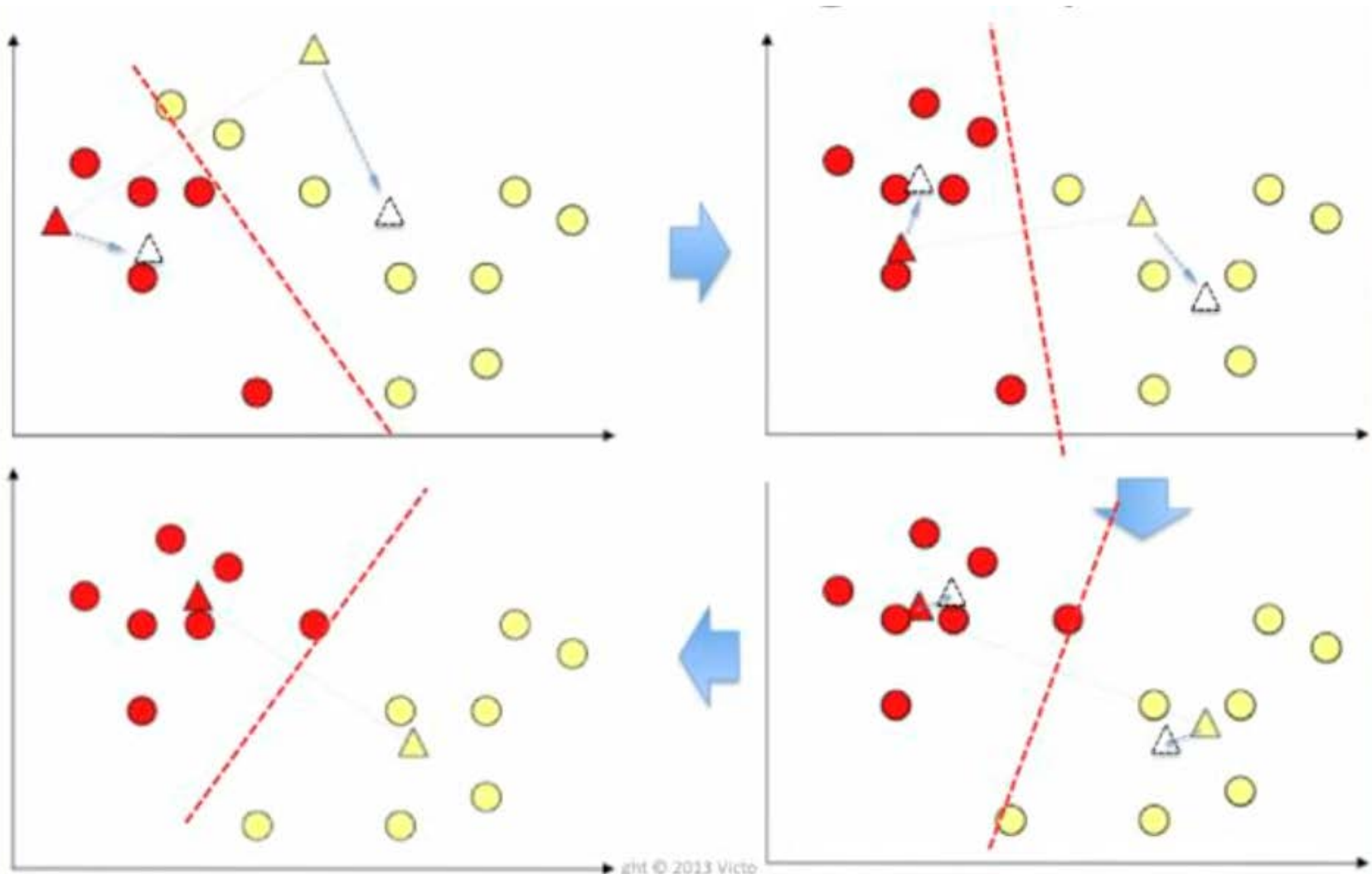
case  $i$

$J = \sum_{j=1}^k \sum_{i=1}^n \underbrace{\|x_i^{(j)} - c_j\|^2}_{\text{Distance from } x_i \text{ to } c_j}$

←  $J$



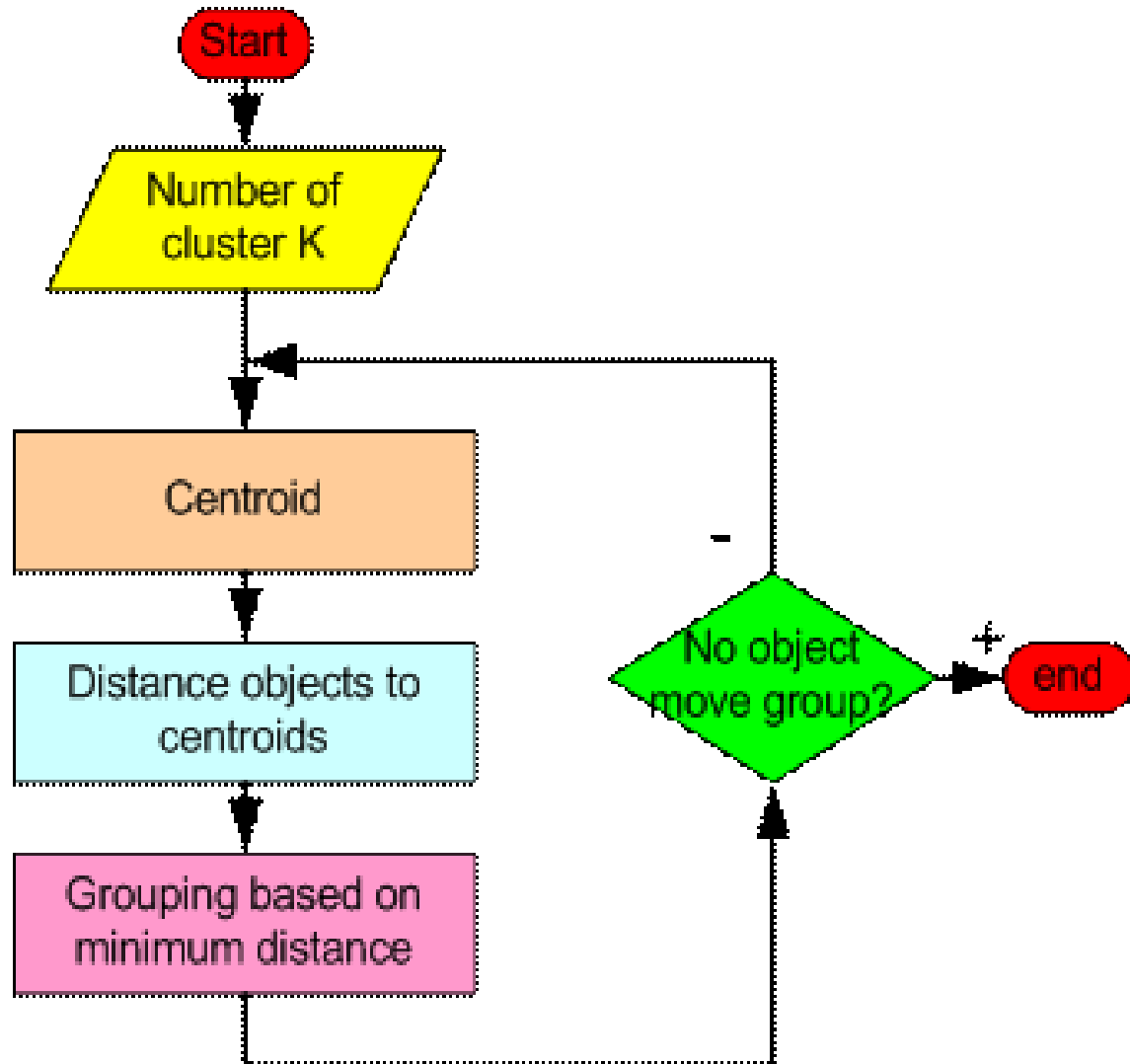
# K-Means Clustering



# K-Mean Clustering

*An algorithm to automatically group the data into coherent clusters.*

***K-means*** is by far the most widely used clustering algorithm



# K-Means Pseudo-Code

---

**Algorithm 1.5** K-Means

---

Cluster(**X**) {Cluster dataset **X**}

Initialize cluster centers  $\mu_j$  for  $j = 1, \dots, k$  randomly

repeat

  for  $i = 1$  to  $m$  do

    Compute  $j' = \operatorname{argmin}_{j=1,\dots,k} d(x_i, \mu_j)$

    Set  $r_{ij'} = 1$  and  $r_{ij} = 0$  for all  $j' \neq j$

  end for

  for  $j = 1$  to  $k$  do

    Compute  $\mu_j = \frac{\sum_i r_{ij} x_i}{\sum_i r_{ij}}$

  end for

until Cluster assignments  $r_{ij}$  are unchanged

return  $\{\mu_1, \dots, \mu_k\}$  and  $r_{ij}$

---

# K-Means Algorithm

1. Initialize **cluster centroids**  $\mu_1, \mu_2, \dots, \mu_k \in \mathbb{R}^n$  randomly.
2. Repeat until convergence: {

For every  $i$ , set

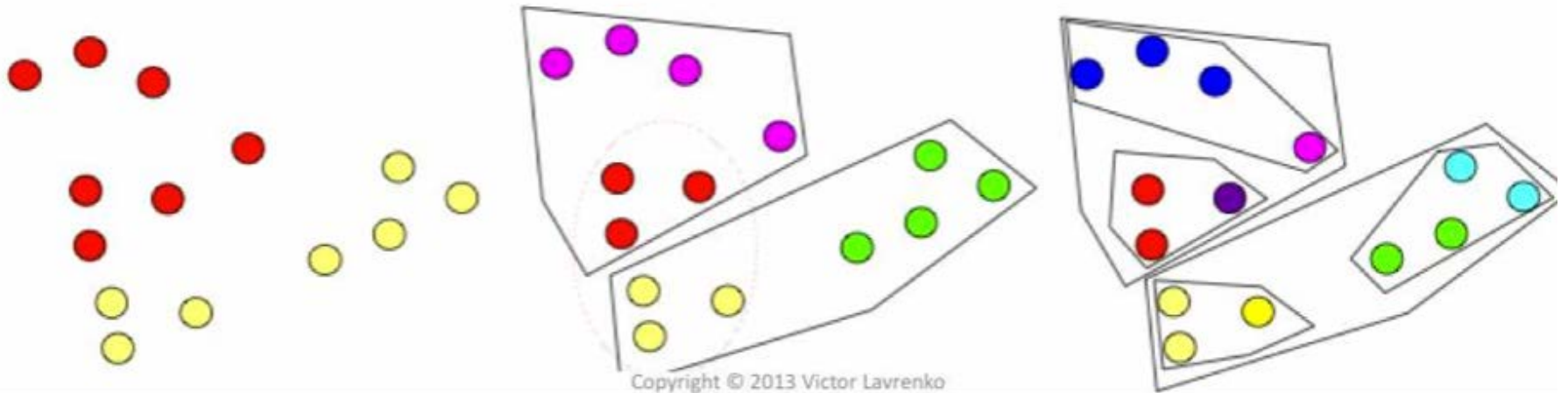
$$c^{(i)} := \arg \min_j \|x^{(i)} - \mu_j\|^2.$$

For each  $j$ , set

$$\mu_j := \frac{\sum_{i=1}^m 1\{c^{(i)} = j\} x^{(i)}}{\sum_{i=1}^m 1\{c^{(i)} = j\}}.$$

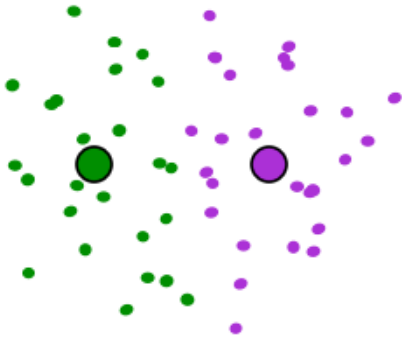
}

# Hierarchical K-Means

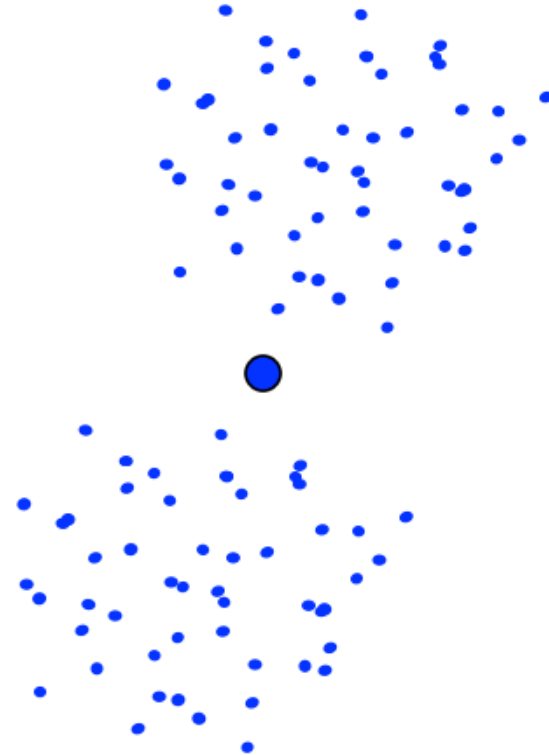


***Determining the number of clusters is a challenging task.***

# K-Means Getting Stuck



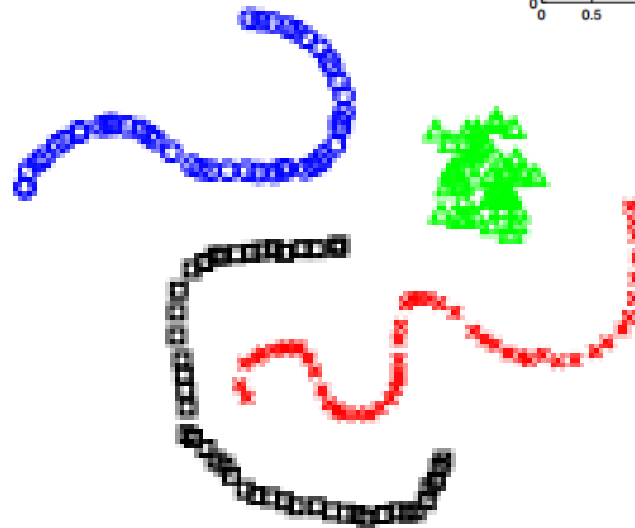
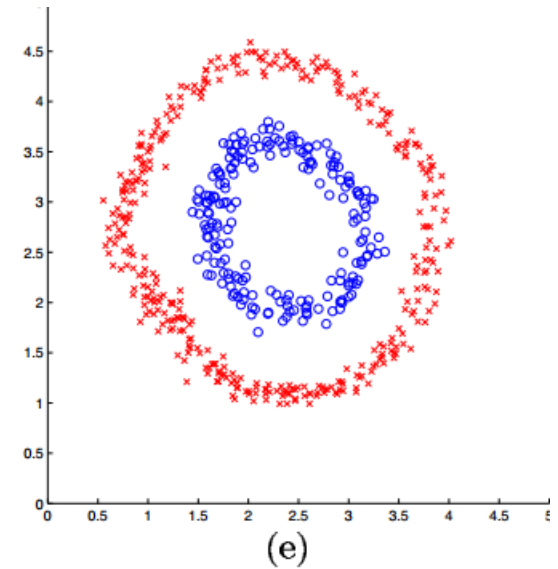
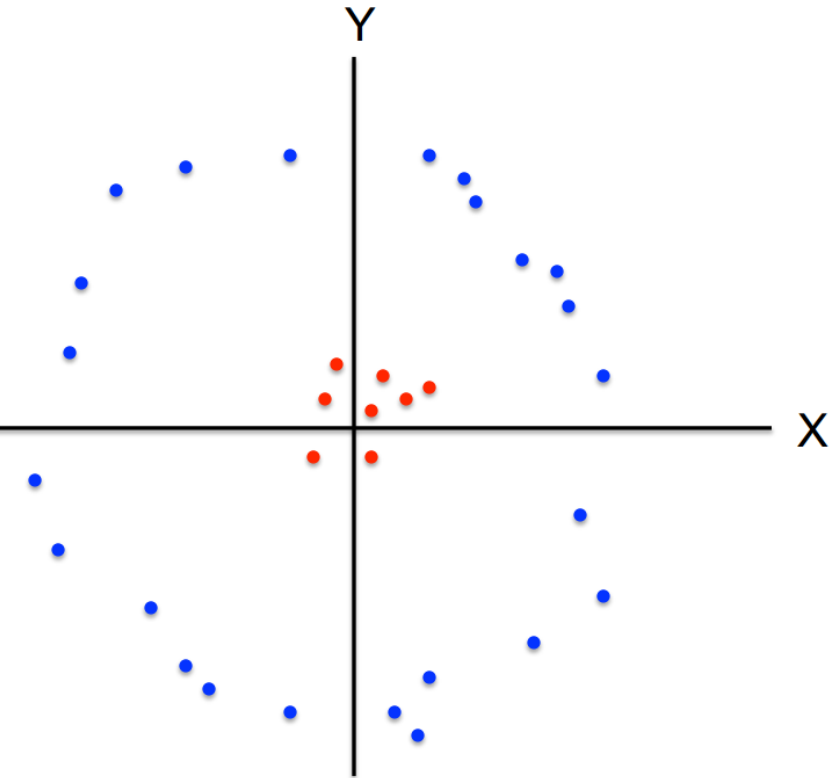
Would be better to have  
one cluster here



... and two clusters here

*We still have **problem of local minima.***

# Spectral Clustering

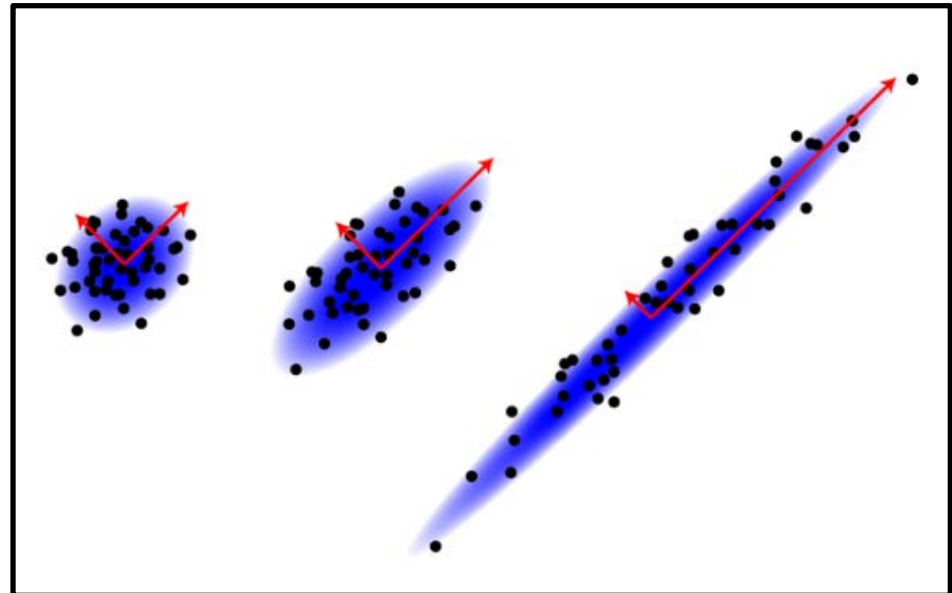
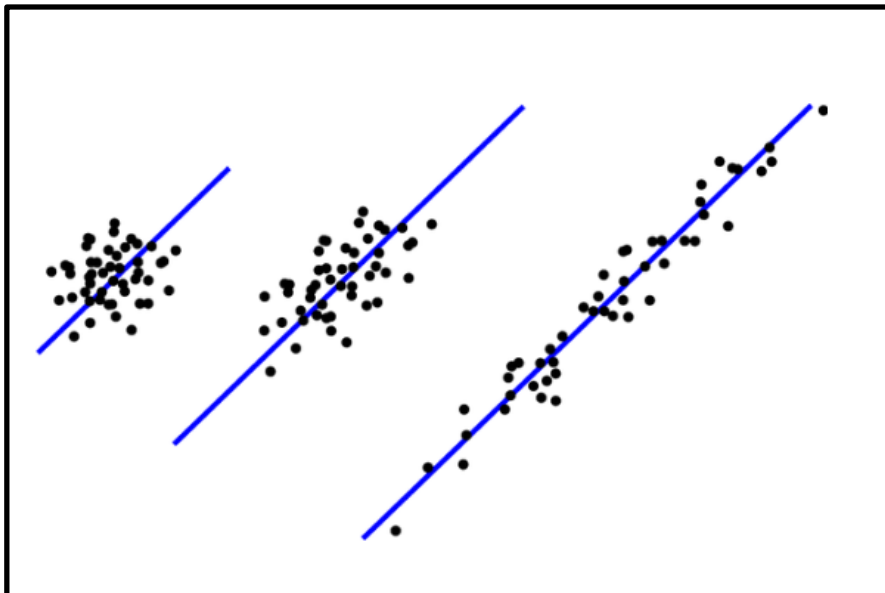


## Part VI – Principal Component Analysis

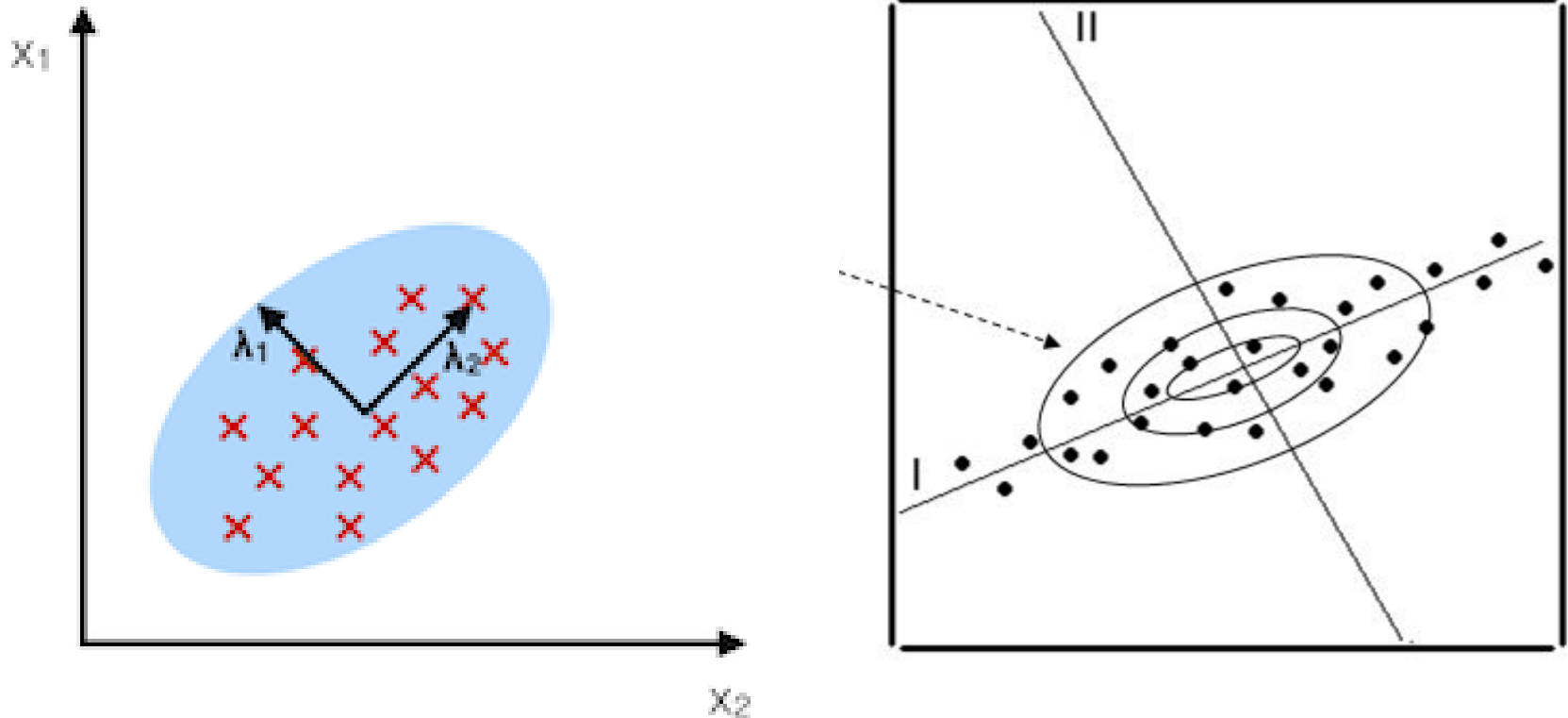


# Principal Component Analysis

- PCA reduces the **dimensionality of a dataset**.
- **Dimensionality** = the number of variables
- Two variables **principal components**.
- The **first component**: represents the direction of the highest variance of the data.
- The **second component**: represents the highest of the remaining variance.



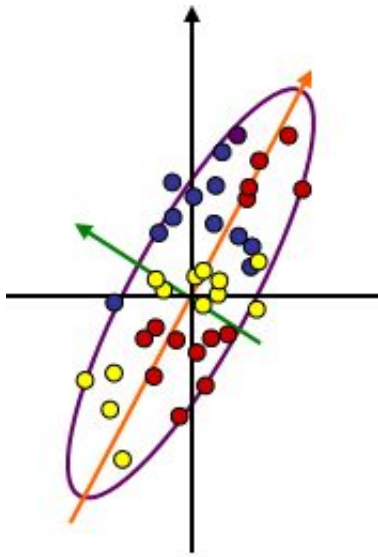
# Principal Component Analysis



- **Component axes** that maximize the variance
- **Eigenvalue** tells how much the **variance** is.
- **Eigenvector** tells the **direction** of the variation

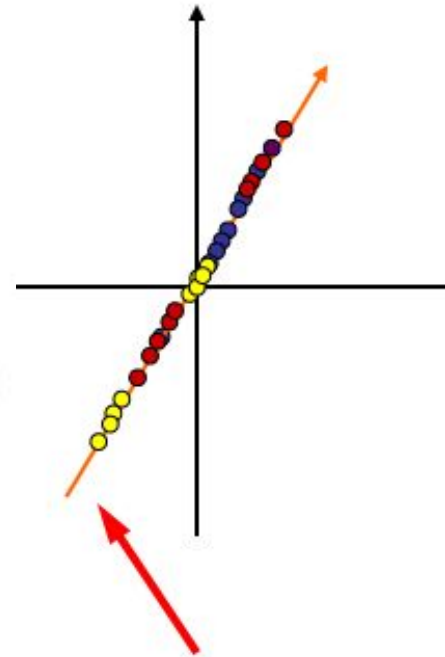
# Principal Components Analysis

- Searching for **spatial directions** having **highest variance**.
- **Project the data** onto the subspace of highest variance
- Structure encoded in the **sample co-variance of the data**.



$$\mu = \frac{1}{N} \sum_{i=1}^N x_i$$

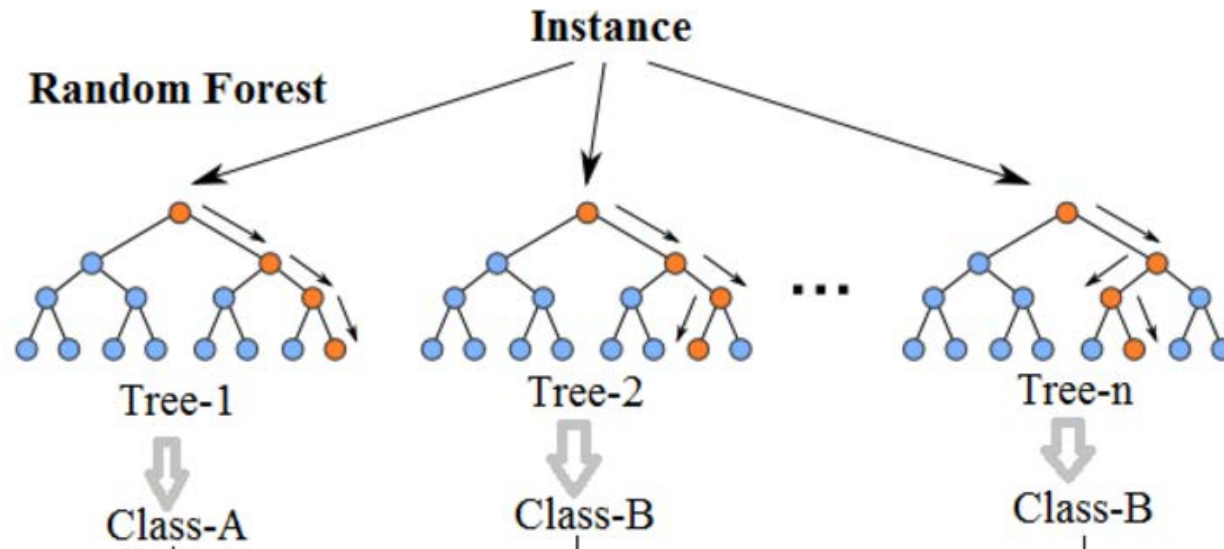
$$C = \frac{1}{N} \sum_{i=1}^N (x_i - \mu)(x_i - \mu)^T$$



## Part VII – Random Forest

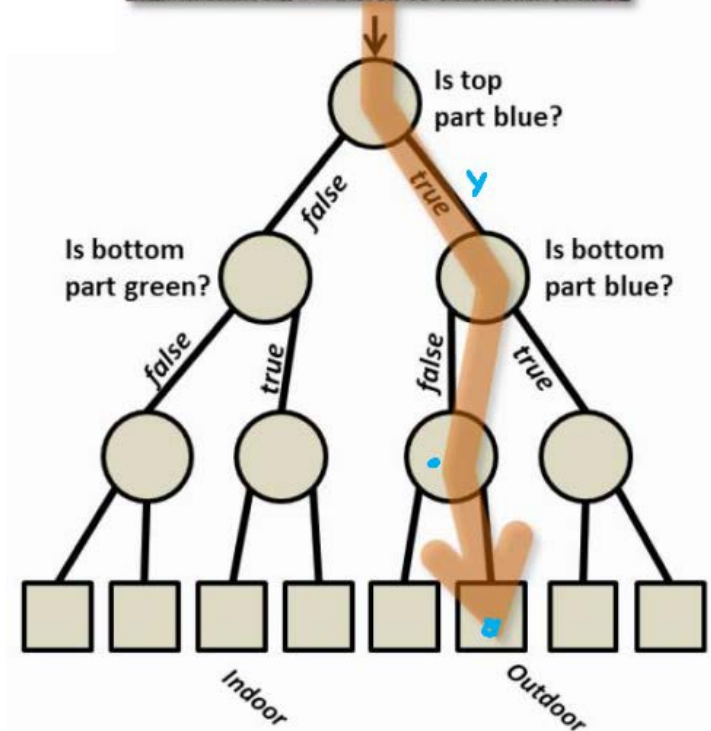
# Random Forest

- **Random Forest** is a statistical algorithm that is used to cluster.
- Random forests are a combination of **tree predictors**.
- Each tree depends on the values of a **random vector**.
- The tree with the **most predictive power** is shown as output.
- **Forest**: The program makes **multiple trees**
- Each **tree is different** because for each split in a tree, variables are chosen at random.

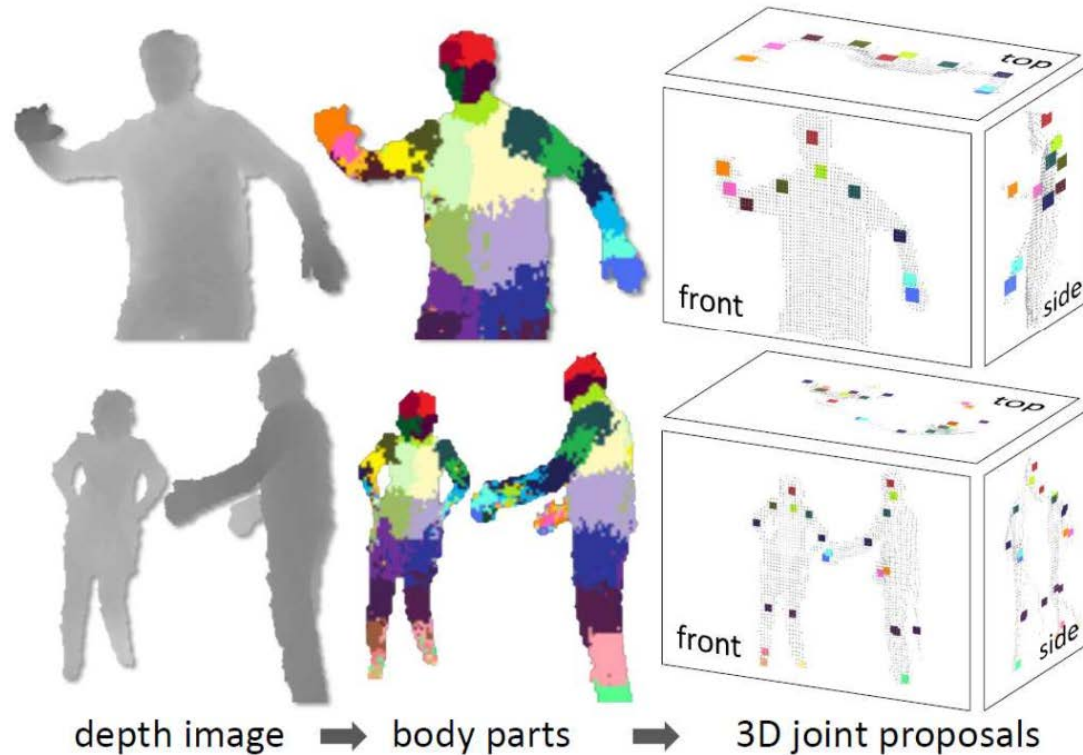


# Decision Tree

- When the data set is large and/or there are many variables it becomes difficult to cluster the data.
- **Random forests** is **non-parametric** because it is not based on any assumptions about data distribution.
- The algorithm **clusters the data in groups** and subgroups.
- The structure look like a tree. This is called a decision tree.



# Random Forests and Kinect



[Jamie Shotton et al 2011]

**Dimensionality reduction** = generate a large and carefully constructed **set of trees**.

# Lab Activities

- Activity 1: K-Means (45min)
- Activity 2: K Nearest Neighbours (45min)
- Break
- Activity 3: Writing (30min)
- Extra Activity 4: Principal Component Analysis (30min)



# References

- [1] - Machine Learning: Decision Trees - Chuck Dyer
- [2] - Introduction to Learning and Decision Trees - Sandholm and Sing Lee
- [3] - Machine Learning - Milos Hauskrecht
- [4] - Supervised learning - Andrew Ng
- [5] - A Gentle Introduction to Support Vector Machines in Biomedicine - Statnikov et al
- [6] - Mathematics for Inference and Machine Learning - Deisenroth and Zafeiriou
- [7] - Support Vector Machine (and Statistical Learning Theory) - Jason Weston
- [8] - Weighted K Nearest Neighbor - Siddharth Deokar
- [9] - Seven Techniques for Dimensionality Reduction - Silipo et al
- [10] - Machine Learning - Nando de Freitas
- [11] - Machine learning - Kevin Murphy
- [12] - Machine Learning - Tommi Jaakkola
- [13] - Machine Learning - A. Zisserman
- [14] - The SVM classifier - A. Zisserman
- [15] - Introduction to Learning - David Sontag
- [16] - Statistical and Machine Learning - Su-Yun Huang
- [17] - Lecture Notes in Machine Learning - Zdravko Markov
- [18] - Semi-Supervised Learning - Chapelle et al
- [19] - Learning theory - David Sontag
- [20] - Introduction to Machine Learning - Miguel A. Carreira-Perpinan

# References

- [21] - Machine Learning and Decision Trees - Lars Schmidt-Thieme
- [22] - An introduction to random forests - Eric Debreuve
- [23] - Random Forestes - Leo Breiman
- [24] - Support Vector Machines - Arthur Gretton
- [25] - Support vector machines - Wisniewski and Wawrzyniak
- [26] - Introduction to Machine Learning - Mehryar Mohri
- [27] - Introduction, Regression Analysis, and Gradient Descent - Andrew Ng
- [28] - Introduction to Machine Learning - Smola and Vishwanathan
- [29] - Machine Learning - Random Decision Forests and Deep Neural Networks - Kari Pulli
- [30] - Tutorial To Implement k-Nearest Neighbors in Python From Scratch - Jason Brownlee
- [31] - Machine Learning. K-means, kNN - KTH Royal Institute Of Technology
- [32] - Introduction to Machine Learning - Nils J. Nilsson
- [33] - Induction of Decision Trees - J.R. Quinlan
- [34] - CS 446: Machine Learning - Dan Roth - University of Illinois, Urbana-Champaign
- [35] - PCA - Principal Component Analysis - Matthias Scholz, Ph.D. thesis
- [36] - Machine Learning / Course Overview & Lecture 1 - Agarwal and Bhattacharya
- [37] - Unsupervised learning: Clustering, Ata Kaban, The University of Birmingham
- [38] - CS229 Lecture notes - Andrew Ng
- [39] - The Expectation-Maximisation (EM) algorithm, Alastair Turl, School of Computer Science
- [40] - K-Nearest Neighbours and Instance based learning , Ata Kaban

# References

- [41] - Machine Learning / Convnets - Nando de Freitas
- [42] - Bayesian Machine Learning - Lecture 1 - Guido Sanguinetti
- [43] - Introduction to Machine Learning - Lecture 1 : Overview - Chaohui Wang
- [44] - Machine Learning (Extended) - Dr. Ata Kaban
- [45] - CS 540 Lecture Notes - C. R. Dyer - Machine Learning (Chapter 18.1 - 18.3)
- [46] - The Expectation-Maximisation (EM) algorithm, Alastair Turl
- [47] - Random Forest Algorithm, An Interactive Discussion, Niraj Kumar
- [48] - Random Forests - Grant Hamilton
- [49] - shapeofdata / Neuron system
- [50] - Linear Separation and Support Vector Machines - Jesse Johnson
- [51] - Visualization of machine-learning classification trees, Tae-Kyun Kim and Bjorn Stenger
- [52] - Principal Component Analysis, Jesse Johnson
- [53] – Stanford Machine Learning