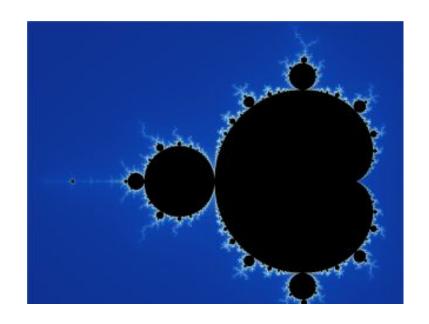
# Mandelbrot and Julia Set

Jack Fineanganofo

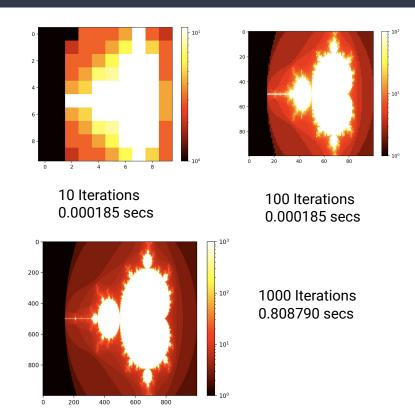
#### Mandelbrot Set

- Fractal
- Set of complex numbers for which the function f(z) = z^2 + c does not diverge when iterated from 0
- Named after Benoit Mandelbrot, pioneer for fractal geometry
- The area is bounded to |z| = 2
- The closer one zooms into the image, the more intricate details are revealed
- Zooming into a certain z value can provide a picture of the infinite unique geometric shapes

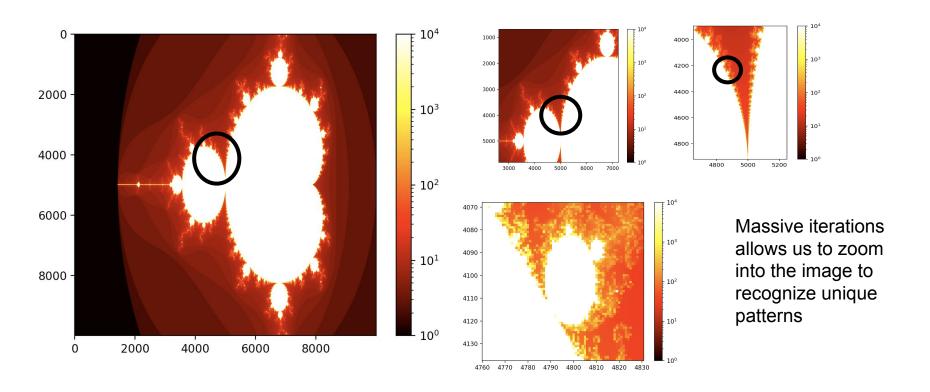


#### Mandelbrot Image

- Increasing the iterations and image resolution can create a more finely detailed mandelbrot image
- Huge iterations can create even finer detail images allowing us to "zoom in" and visualize the unique patterns however takes more time



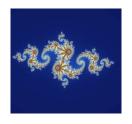
#### Enhanced Image: 10000 Iterations: 832.378 Seconds



#### Julia Set

- Fractal
- Iterative properties of more general expressions within the mandelbrot set
- Unlike mandelbrot, Julia sets c value within the mandelbrot formula f(z) = z^2 + c stays the same
- The c value provides different patterns

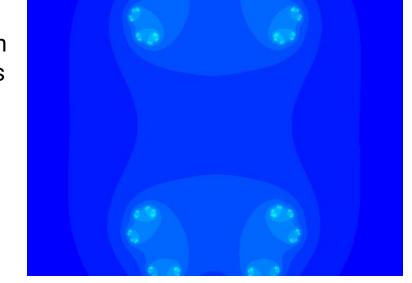




c = -0.8 + 0.156i



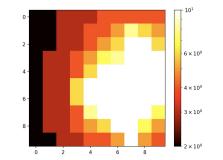


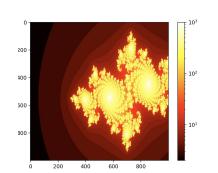


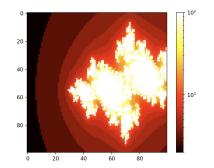
c = 0.285 + 0i

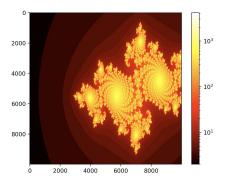
### Julia Set Image

- Just like mandelbrot, increasing the iterations and image resolution can create a more finely detailed Julia image
- Just like mandelbrot, huge iterations can create even finer detail images allowing us to "zoom in" and visualize the unique patterns however takes more time



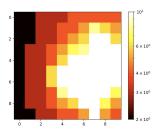


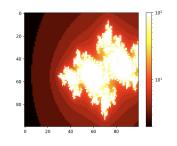


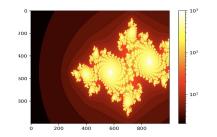


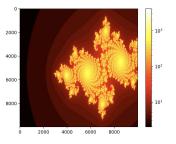
10000 Iterations 24.669331 secs

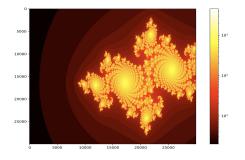
# 30000 Iterations : CUDA : 8.158948 Seconds



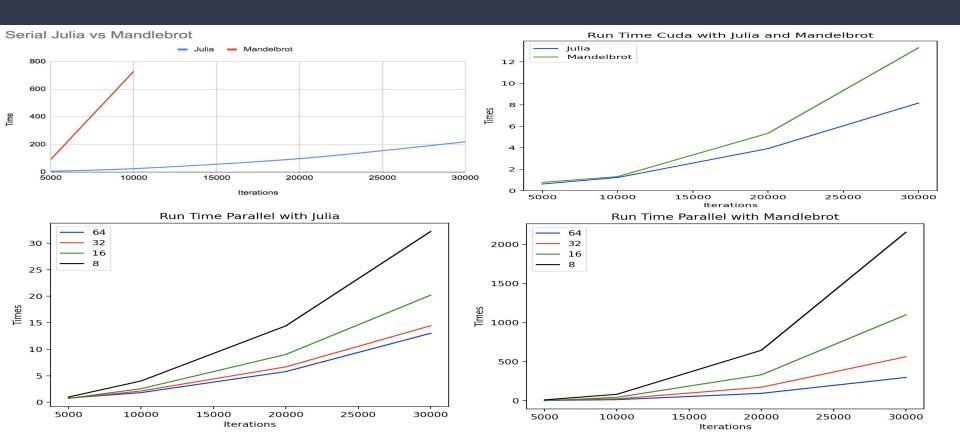




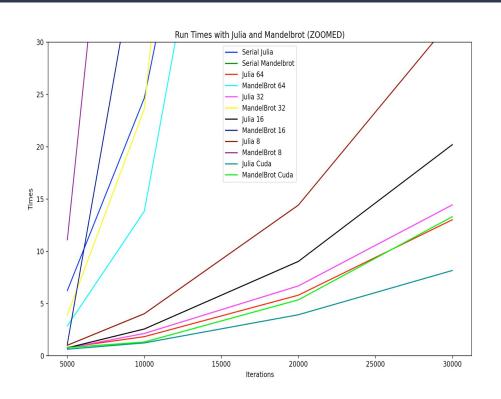


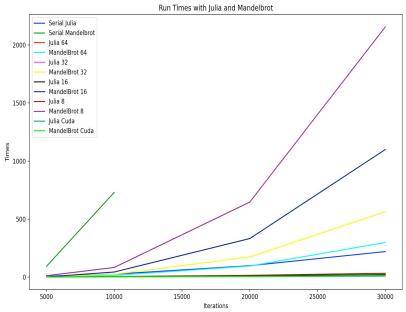


## Speeds Comparison



# Speeds





### Speedup and Efficiency

