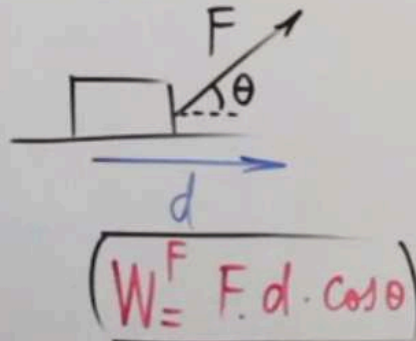


TRABAJO MECÁNICO: (W)

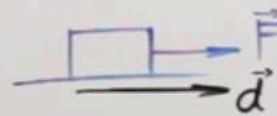
MAGNITUD ESCALAR
MIDE EL DESPLAZAMIENTO
GENERADO POR LA FUERZA.

- ✓ PUEDE SER POSITIVO (+) o NEGATIVO (-) o NULO.



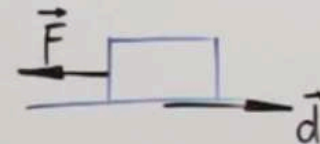
CASOS:

1) $\theta = 0^\circ$



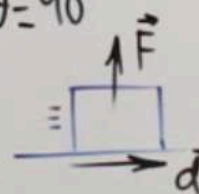
$$W = +F \cdot d$$

2) $\theta = 180^\circ$



$$W = -F \cdot d$$

3) $\theta = 90^\circ$



$$W = 0$$



TRABAJO NETO: (W_N)

$$\checkmark \quad W_N = W_{F_1} + W_{F_2} + \dots + W_{F_n}$$

$$\checkmark \quad W_N = F_R \cdot d$$

$$W_N = m a \cdot d$$

$$\checkmark \quad W_N = \Delta E_c = (E_c)_{\text{FINAL}} - (E_c)_{\text{INICIAL}}$$

NOTA: $\vec{V} = \text{CONSTANTE}$
 $\vec{a} = \vec{0}$
 $\therefore \boxed{W_N = 0}$

S.I.:

d (m)

F (N)

W (Joule = J)

NOTA: $1 \text{ J} = 1 \text{ N} \cdot \text{m}$

EQUIVALENCIA

$$1 \text{ J} = 10^7 \text{ ergios}$$

$$1 \text{ kWh} = 3,6 \times 10^6 \text{ J}$$



POTENCIA MECÁNICA: (P)

- ✓ MAGNITUD ESCALAR
- ✓ MIDE LA RAPIDEZ PARA DESARROLLAR TRABAJO.

✓ S.I: $P(\text{Watt} = \text{W})$

NOTA: $1 \text{ Watt} = 1 \text{ Vatio}$

1) POTENCIA MEDIA (P_m)

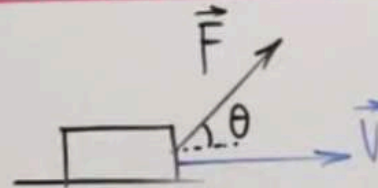
$$P_m = \frac{W^F}{t}$$

W^F : TRABAJO DE LA FUERZA (J)

t : TIEMPO (s)

NOTA: $1 \text{ Watt} = 1 \frac{\text{J}}{\text{s}}$

2) POT. INSTANTÁNEA: (P_i)



$$P_i = F \cdot V \cdot \cos \theta$$

EQUIVALENCIAS: $1 \text{ HP} = 746 \text{ W}$
 $1 \text{ CV} = 735 \text{ W}$





ENERGÍA (E)

- / MAGNITUD ESCALAR.
- / MIDE LA CAPACIDAD PARA DESARROLLAR TRABAJO.
- / PUEDE SER POSITIVA(+), NEGATIVA(-) o NULO(0).
- / S.I: E (Joule = J)

1) E. CINÉTICA (E_c)

- / E. DEL MOVIMIENTO.
- / DEPENDE DEL SISTEMA DE REFERENCIA.
- / SIEMPRE ES POSITIVA.

$$= \boxed{m} \xrightarrow{V}$$
$$E_c = \frac{1}{2} m v^2$$

m: MASA (kg)

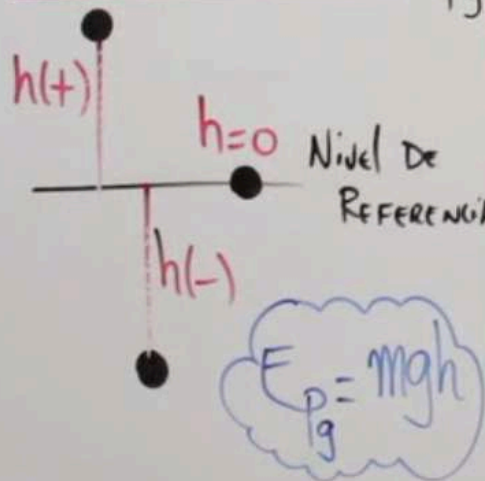
V: VELOCIDAD (m/s)



2) ENERGÍA POTENCIAL: (E_p)

ENERGÍA DE INTERACCIÓN
(DEBIDO A LOS CAMPOS ELÉCTRICOS,
GRAVITATORIOS, MAGNÉTICOS, ...)

2.1) E.P. GRAVITATORIA (E_{pg})

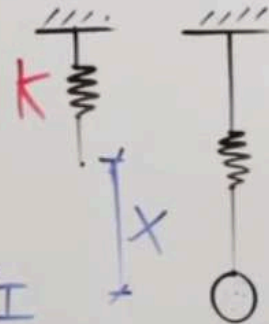


m : MASA (kg)

$g = 9,8 \text{ m/s}^2$

h : ALTURA (m)

2.2) E.P. ELÁSTICA (E_{pe})



$$E_{pe} = \frac{1}{2} kx^2$$

S.I

k : CONSTANTE ELÁSTICA o RIGIDEZ ($\frac{\text{N}}{\text{m}}$)

x : DEFORMACIÓN (m)

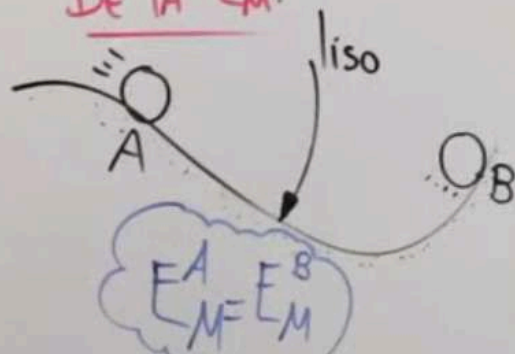


3) ENERGÍA MECÁNICA (E_M)

$$(E_M = E_C + E_P)$$

$$(E_M = \frac{1}{2}mv^2 + mgh + \frac{1}{2}kx^2)$$

PRINCIPIO DE LA CONSERVACIÓN DE LA E_M .



TEOREMA DEL TRABAJO DE LAS FUERZAS NO CONSERVATIVAS y ΔE_M

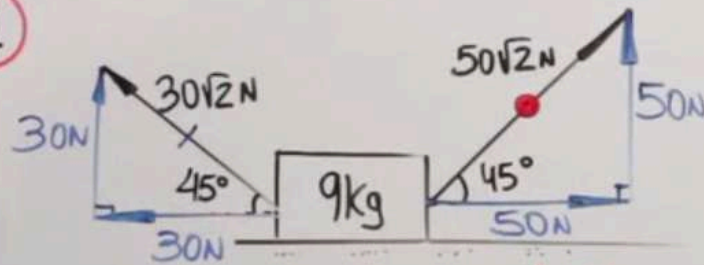
$$(W_{F.N.C} = \Delta E_M)$$

NOTA: Si la F.N.C = FUERZA DE ROZAMIENTO

$$\therefore (W_{roz} = \Delta E_M)$$

RECORDAR: $(W_{roz} = -f_{roz} \cdot d)$

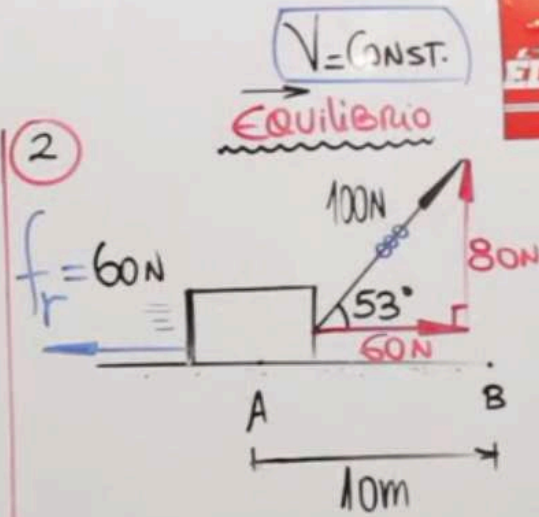
①



✓ $F_R = 50N - 30N = 20N$

✓ $W_N = F_R \cdot d = (20)(20) = 400J$ *

②

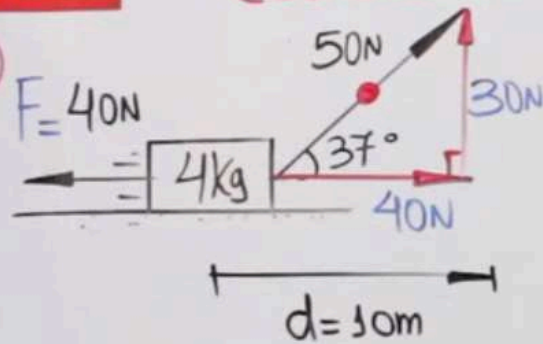


$W_{roz} = -f_r \cdot d = -60(10)$

$= -600J$ *

movimiento
EQUILIBRIO CINÉTICO

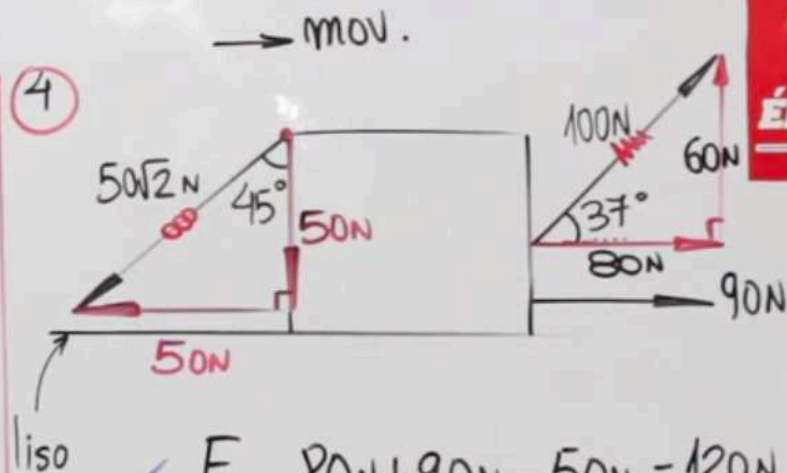
(3)



$$W_F^F = -F \cdot d = -40(10)$$

$$\boxed{W_F^F = -400J}$$

(4)



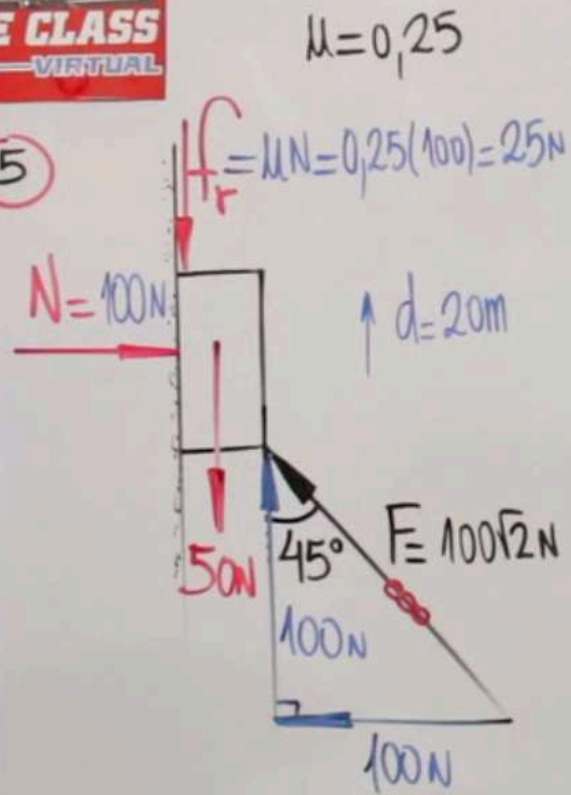
$$F_R = 80N + 90N - 50N = 120N$$

$$W_N = F_R \cdot d = 120(5)$$

$$\boxed{W_N = 600J}$$



5



$$F_R = 100 - 50 - 25$$

$$F_R = 25\text{N}$$

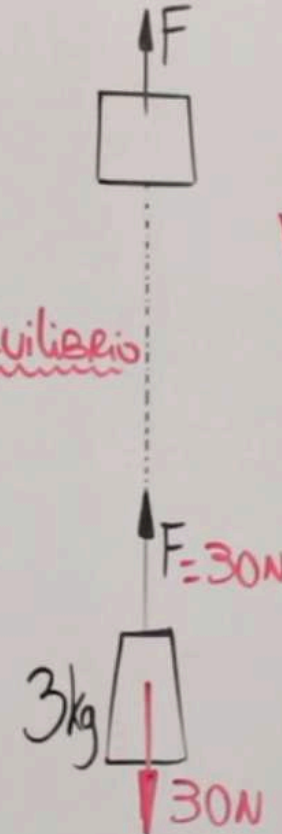
$$W_N = F_R \cdot d$$

$$W_N = 25(20)$$

$$W_N = 500\text{J}$$

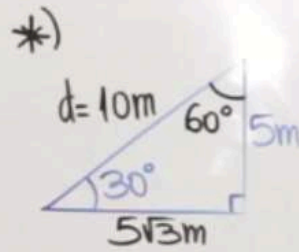
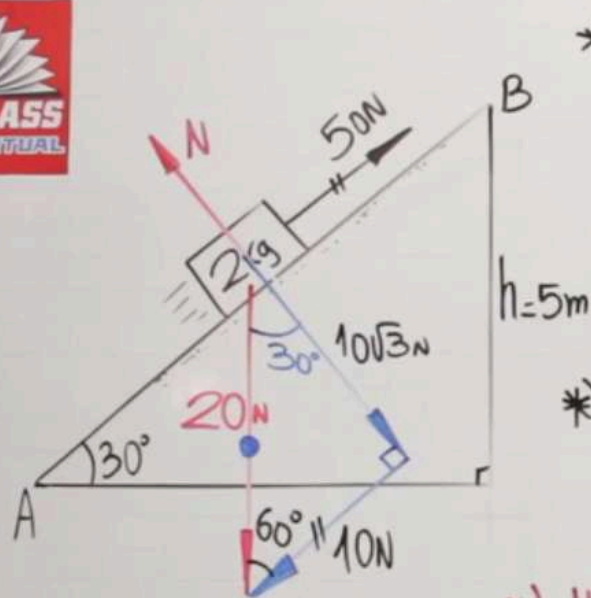
6

Equilibrio



$$W^F = F \cdot d$$
$$= 30(10)$$
$$= 300\text{J}$$

7



$$*) F_R = 50 - 10$$

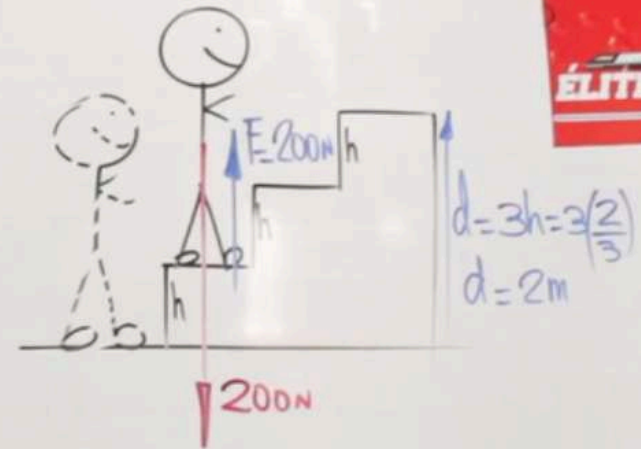
$$F_R = 40 \text{ N}$$

$$*) W_N = F_R \cdot d$$

$$= 40(10)$$

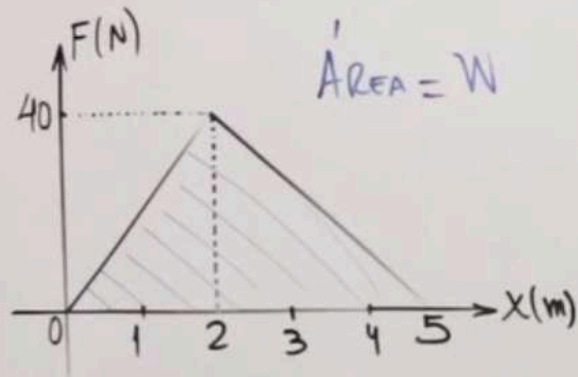
$$= 400 \text{ J}$$

8



$$W^F = F \cdot d = 200(2) = 400 \text{ J}$$

9



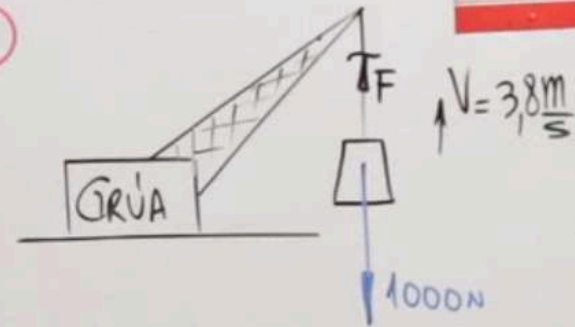
Area = W

$$\therefore W = \frac{b \times h}{2} = \frac{5 \times 40}{2}$$

$$W = 100 \text{ J}$$

10

$$m = 100 \text{ kg}$$

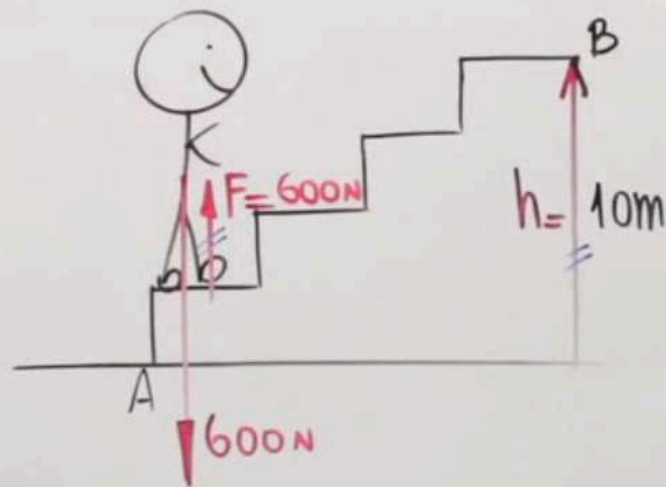


$$\checkmark F = 1000 \text{ N}$$

$$\checkmark P = F \cdot V = 1000(3.8)$$

$$P = 3800 \text{ W}$$

11

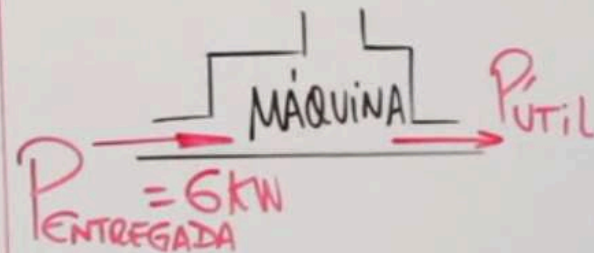


$$P = \frac{W^F}{t} = \frac{F \cdot d}{t} = \frac{600(10)}{20}$$

$$P = 300W$$

12

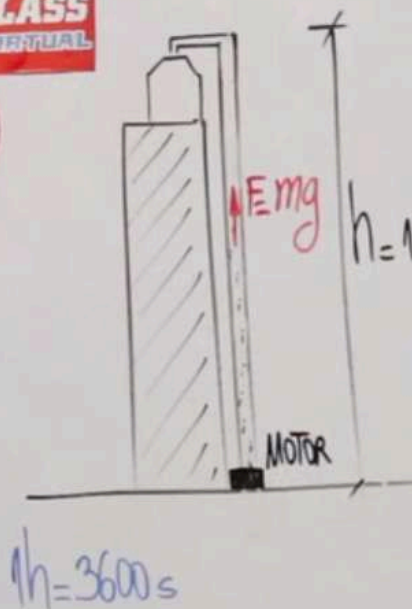
$$\eta = 75\%$$



$$\eta = \frac{P_U}{P_E} \times 100\% \rightarrow$$

$$75\% = \frac{P_U}{6kW} \cdot 100\% \rightarrow P_U = 4.5kW$$

13



✓ 1 l de Agua \leftrightarrow 1 kg

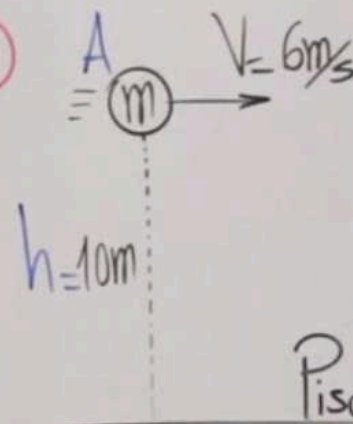
$$Vol = 6m^3 = 6000l$$

$$m = 6000kg$$

$$P = \frac{W^F}{t} = \frac{F \cdot d}{t} = \frac{mgh}{t}$$

$$P = \frac{6000(10)(12)}{3600} = 200W$$

16

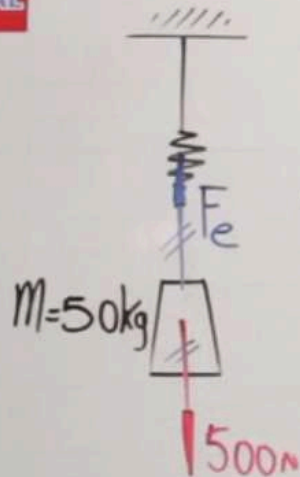


$$E_M = \frac{1}{2}mv^2 + mgh$$

$$E_M = \frac{1}{2} \cdot 2 \cdot 6^2 + 2(9.8)(10)$$

$$E_M = 36 + 196 = 232J$$

17

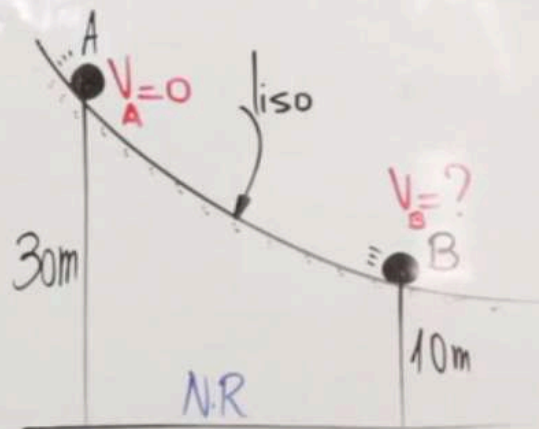


$$\begin{aligned} *) F_e &= 500 \text{ N} \\ kX &= 500 \\ 500X &= 500 \\ X &= 1 \text{ m} \end{aligned}$$

$$\begin{aligned} *) E_{pe} &= \frac{1}{2} kx^2 \\ &= \frac{1}{2} \cdot 500 (1)^2 \end{aligned}$$

$$E_{pe} = 250 \text{ J}$$

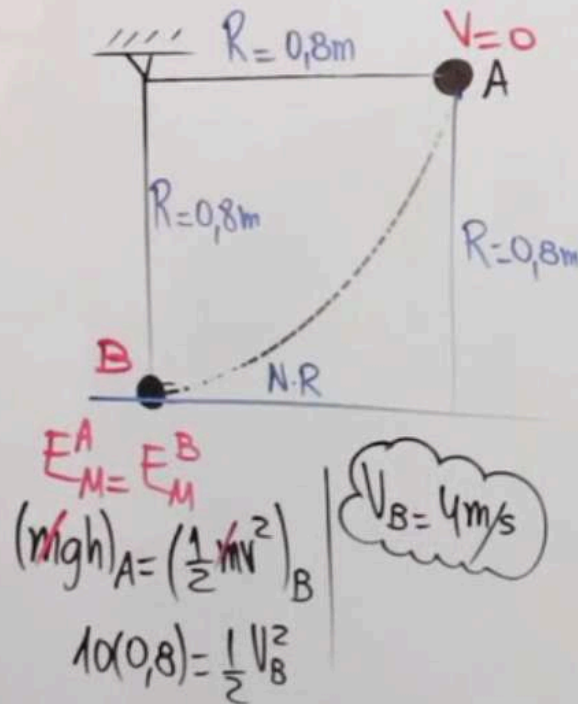
18



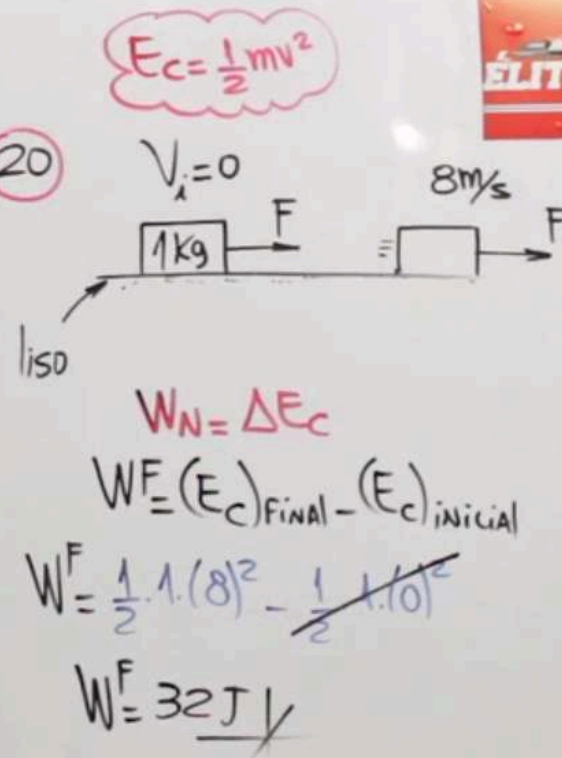
$$\begin{aligned} E_M^A &= E_M^B \\ (mgh)_A &= \left(\frac{1}{2} mV^2 + mgh \right)_B \\ 10(30) &= \frac{1}{2} V_B^2 + 10(10) \end{aligned}$$

$$\begin{aligned} 200 &= \frac{1}{2} V_B^2 \\ V_B &= 20 \text{ m/s} \end{aligned}$$

19



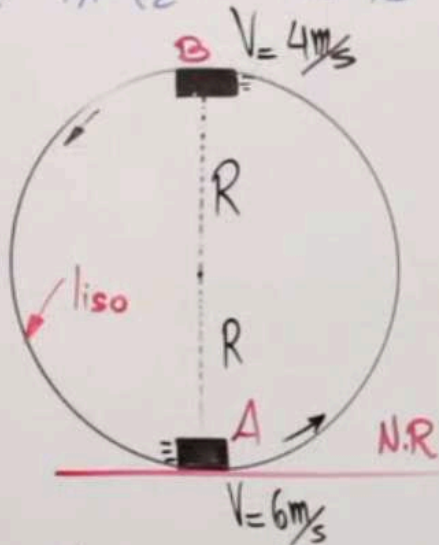
20



38

$$E_M^A = E_M^B$$

$$\left(\frac{1}{2}mv^2\right)_A = \left(\frac{1}{2}mv^2 + mgh\right)_B$$

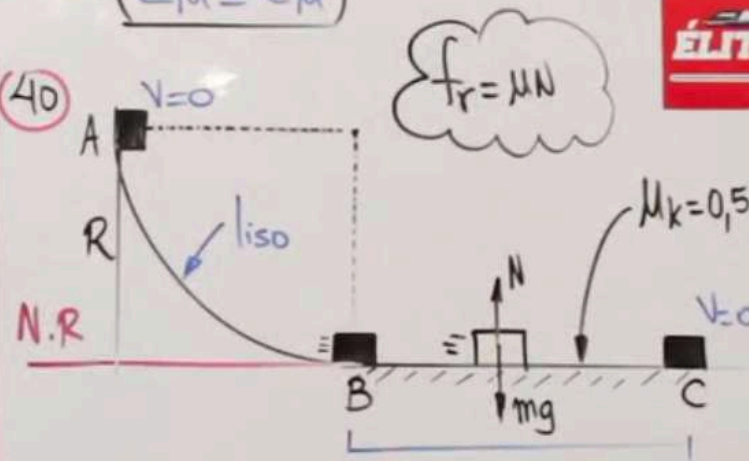


$$\frac{1}{2} \cdot 36 = \frac{1}{2} \cdot 16 + 10(2R)$$

$$10 = 20R \rightarrow R = 0,5m$$

$$E_M^A = E_M^B$$

40



$$W_{roz} = \Delta E_M$$

$$-f_r \cdot d = E_M^A - E_M^B$$

$$\mu \cdot mg \cdot d = mgr$$

$$0,5d = 10$$

$$(d = 20m)$$