

code jam

cout << "hello, world!" << endl;

Practice Mode Rank: 1282 Score: 44 vincent.lequang@gmail.com | [Contest scoreboard](#) | [Sign out](#)

Round 1C 2015

[A. Brattleship](#)[B. Typewriter Monkey](#)**C. Less Money, More Problems**[Ask a question](#)[View my submissions](#)

Submissions

Brattleship

11pt	Correct 3434/4108 users correct (84%)
22pt	Correct 2388/3344 users correct (71%)

Typewriter Monkey

11pt	Correct 1651/2255 users correct (73%)
22pt	Not attempted 575/721 users correct (80%)

Less Money, More Problems

11pt	1 incorrect attempt 1614/2209 users correct (73%)
23pt	Not attempted 416/737 users correct (56%)

Top Scores

Klockan	100
Vitaliy	100
linguo	100
y0105w49	100
Endagorion	100
wata	100
alexey.zayakin	100
apiad	100
Baklazan	100
tkociumaka	100

Problem C. Less Money, More Problems

This contest is open for practice. You can try every problem as many times as you like, though we won't keep track of which problems you solve. Read the [Quick-Start Guide](#) to get started.

Small input
11 points

Solve C-small

Large input
23 points

Solve C-large

Problem

Up until today, the nation you live in has used **D** different positive integer denominations of coin for all transactions. Today, the queen got angry when a subject tried to pay his taxes with a giant sack of low-valued coins, and she just decreed that no more than **C** coins of any one denomination may be used in any one purchase. For instance, if **C** = 2 and the existing denominations are 1 and 5, it is possible to buy something of value 11 by using two 5s and one 1, or something of value 12 by using two 5s and two 1s, but it is impossible to buy something of value 9 or 17.

You cannot directly challenge the queen's decree, but you happen to be in charge of the mint, and you *can* issue new denominations of coin. You want to make it possible for *any* item of positive value at most **V** to be purchased under the queen's new rules. (Note that this may not necessarily have been possible before the queen's decree.) Moreover, you want to introduce as few new denominations as possible, and your final combined set of pre-existing and new denominations may not have any repeats.

What is the smallest number of new denominations required?

Input

The first line of the input gives the number of test cases, **T**. **T** test cases follow. Each consists of one line with three space-separated values **C**, **D**, and **V**, followed by another line with **D** distinct space-separated values representing the preexisting denominations, in ascending order.

Output

For each test case, output one line containing "Case #x: y", where x is the test case number (starting from 1) and y is the minimum number of new denominations required, as described above.

Limits

$1 \leq T \leq 100$.
Each existing denomination $\leq V$.

Small dataset

C = 1.
 $1 \leq D \leq 5$.
 $1 \leq V \leq 30$.

Large dataset

$$1 \leq C \leq 100.$$

$$1 \leq D \leq 100.$$

$$1 \leq V \leq 10^9.$$

Sample

Input	Output
4	Case #1: 0
1 2 3	Case #2: 1
1 2	Case #3: 1
1 3 6	Case #4: 3
1 2 5	
2 1 3	
3	
1 6 100	
1 5 10 25 50 100	

Note that Cases #3 and #4 are not within the limits for the Small dataset.

In Case #1, it is already possible to make all the required values (1, 2, and 3) using at most one copy of each of the existing denominations.

In Case #2, it suffices to add a denomination of either 3 or 4 -- whichever you choose, only one new denomination is required.

In Case #3, the optimal solution is to add a denomination of 1.

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