

August 9th 2020

Jack Schenkman Tactile Stimulation Project

Words

- There are N words
- The neural network accepts a one-hot $N \times 1$ vectorized representation of a word as input

$$V = \begin{bmatrix} 1 \\ \vdots \\ 0 \end{bmatrix}_N$$

Data Structure

- initially assume there is only one actuator
- To generalize to multiple actuators, simply let each actuator have its own instance of this data structure

Case 1

- Set of K pairs of values

$$\text{pattern} = [(a_1, b_1), (a_2, b_2), \dots, (a_K, b_K)]$$



a_i : time between $(i-1)$ th pulse and the i th pulse

• for a_1 , this quantity is the time since the stimulation pattern began

b_i : intensity or magnitude of the i th pulse

note: The ~~data~~ ^{system} can be specified to only pulse if $b_i > \text{threshold}$
• This allows the system to output patterns that are perceived by the user as having different numbers of pulses

pros: Can represent basically any set of pulses as long as the number of pulses is less than or equal to K

con: If one intends for the user to feel a lot of high frequency vibrations, K must be very large

Data Structure (continued)

Case 2

• set of K triplets of values

$$\text{Pattern} = [(a_1, b_1, c_1), (a_2, b_2, c_2), \dots, (a_K, b_K, c_K)]$$

a_i : time between $(i-1)$ th tuple and i th tuple

b_i : frequency of i th tuple

c_i : magnitude of i th tuple

Note: This is similar to my ELE464 data structure, if the c -values are ignored

Pros: K does not need to be very large, frequencies are explicitly specified

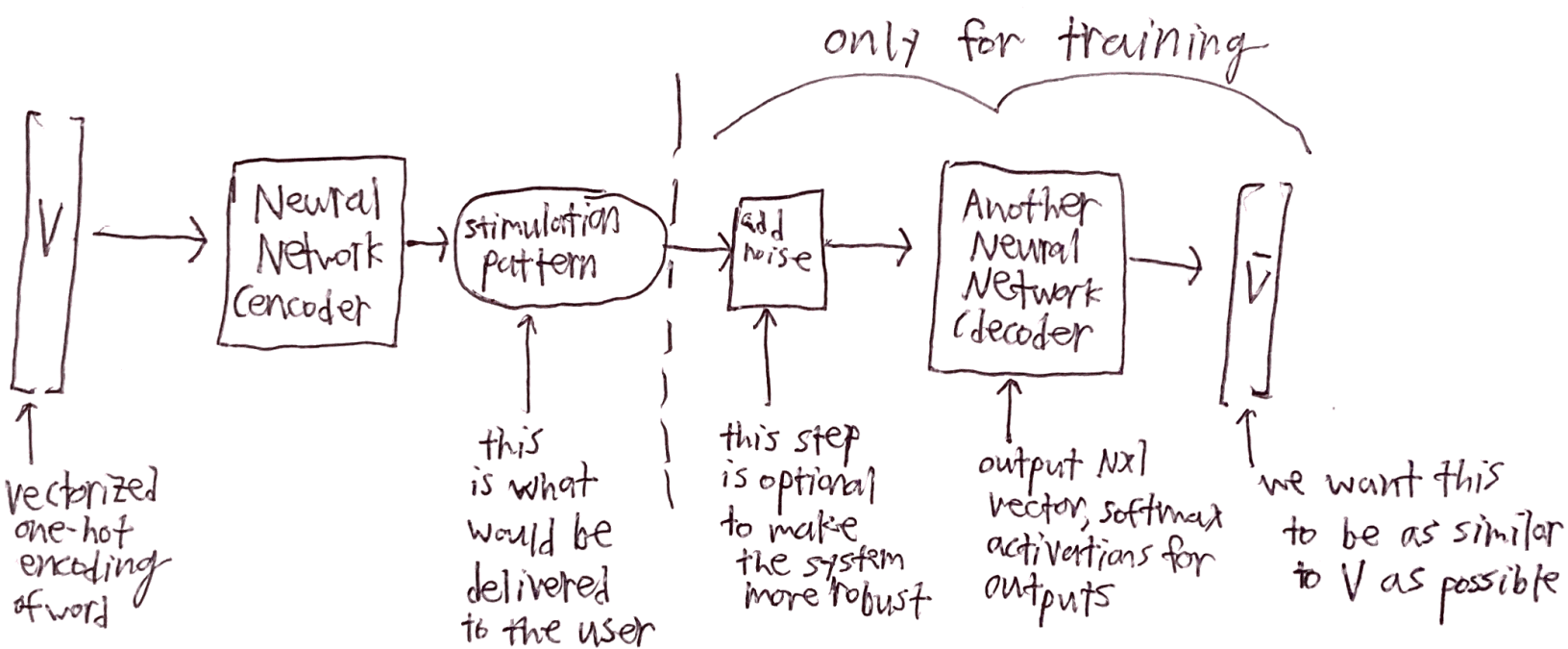
Cons: Only one frequency at a time, less robust patterns, frequency and magnitude are dependent on one another

Machine Learning

Purpose: To derive an intuitive, semantically-aware mapping from words to stimulation patterns

- Eventual ability to scale beyond the vocabulary on which the person was taught

• Rather than explicitly defining a metric of how similar two stimulation patterns are to one another, compute this implicitly



• The similarity between V and \bar{V} is assessed as follows:

- compute the distance between every word in the vocabulary and the given word V
 \Rightarrow store these distances in an $N \times 1$ vector D

- define the error as $D \cdot \bar{V}$ (the ~~weight~~ dot product)

- Update the weights of both neural networks to try to minimize this error

- V with some noise added could be fed in:

Rather than feeding $\begin{bmatrix} 1 \\ 0 \\ 0 \end{bmatrix}$, feed $\begin{bmatrix} 0.95 \\ 0.025 \\ 0.025 \end{bmatrix}$

- This could make the model more robust