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Discrete Design of Yaw Controller

```
%Continuous-time plant
G=tf(7.461,[1 0.2701 0]);
% Desired closed-loop poles info
zeta=0.7;
wn=1;
% ZOH Discrete equivalent of G(s)
Ts=0.3;
G0=c2d(G,Ts)
pole(G0)
zero(G0)
```

$G0 =$

$$\frac{0.3269 z + 0.3181}{z^2 - 1.922 z + 0.9222}$$

Sample time: 0.3 seconds
Discrete-time transfer function.

$ans =$

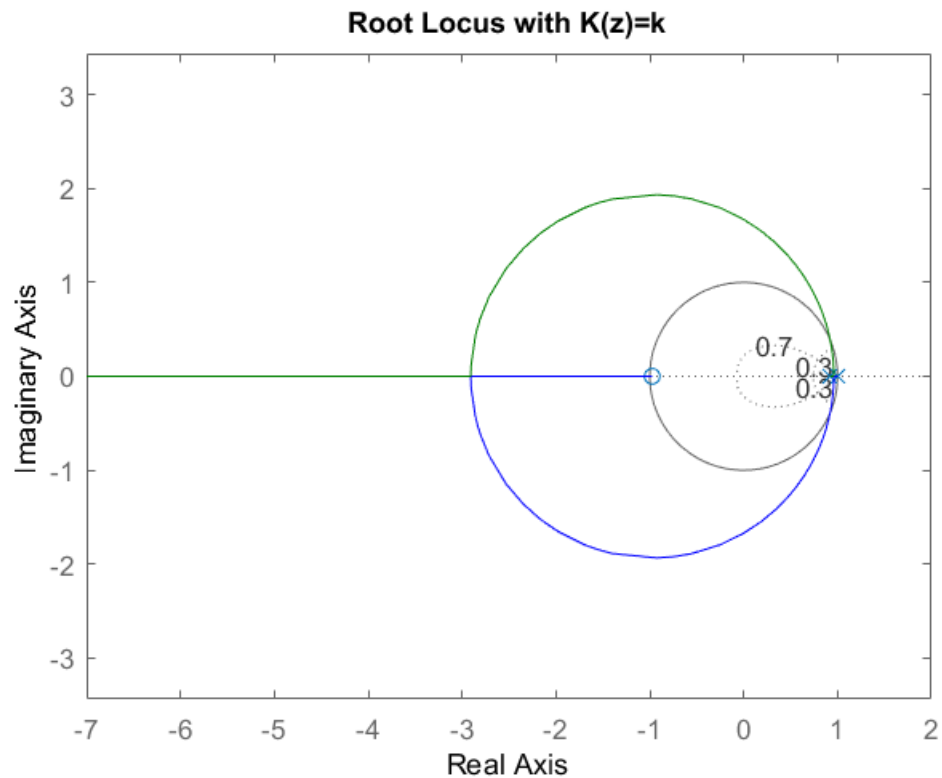
1.0000
0.9222

$ans =$

-0.9734

Discrete-time Controller $K(z)=k$

```
%Plot Root Locus
rlocus(G0);
title('Root Locus with  $K(z)=k$ ')
zgrid(zeta,wn*Ts);
axis equal
```



Discrete-time Controller

```

K1=tf([1 -0.89] ,[1 -0.6],Ts)
K2=tf([1 -0.991],[1 -0.999],Ts)
K=0.113*K1*K2;
Gol=series(K,G0);
%Plot Root Locus
rlocus(Gol);
title(' Root Locus with K(z)')
zgrid(zeta , wn*Ts); axis equal

Gcl=feedback(Gol,1);
tfinal=40;
[y,t]=step(Gcl,tfinal);
plot(t,y, '*')
grid
xlabel('time (s)')
title('Step response of close loop compensated system')
stepinfo(Gcl)

```

$K1 =$

$$\frac{z - 0.89}{z - 0.6}$$

Sample time: 0.3 seconds
Discrete-time transfer function.

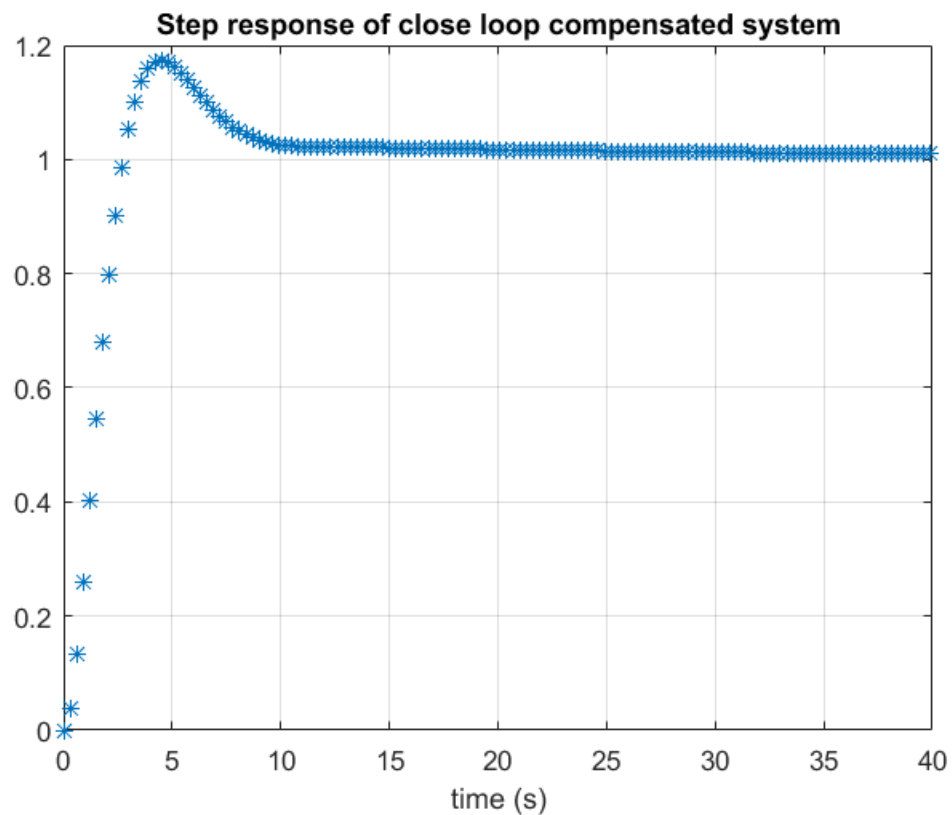
K2 =

$$\frac{z - 0.991}{z - 0.999}$$

Sample time: 0.3 seconds
Discrete-time transfer function.

ans =

RiseTime: 1.8000
SettlingTime: 15.9000
SettlingMin: 0.9013
SettlingMax: 1.1737
Overshoot: 17.3724
Undershoot: 0
Peak: 1.1737
PeakTime: 4.5000



Disturbance

```
Gdy=feedback(G0,K)
tfinal=98;
[yd,t]=step(Gdy,tfinal);
plot(t,yd,'*')
grid
xlabel('time (s)')
title('Response (y(n*Ts)) to step disturbance')
resp_dist=stepinfo(Gdy)
```

Gdy =

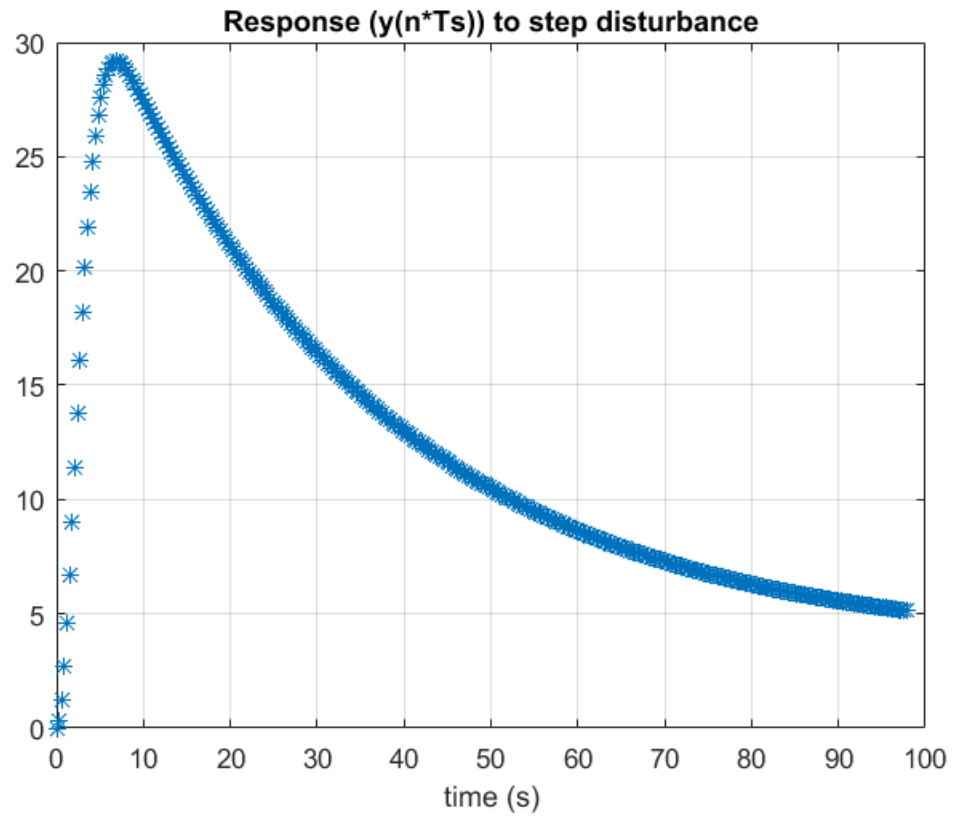
$$\frac{0.3269 z^3 - 0.2045 z^2 - 0.3128 z + 0.1907}{z^4 - 3.484 z^3 + 4.562 z^2 - 2.662 z + 0.5845}$$

Sample time: 0.3 seconds

Discrete-time transfer function.

resp_dist =

```
    RiseTime: 0.6000
  SettlingTime: 133.8000
  SettlingMin: 3.6088
  SettlingMax: 29.1678
    Overshoot: 715.7493
    Undershoot: 0
        Peak: 29.1678
    PeakTime: 6.9000
```



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