

```

% PES1UG20EC083 Jacob V Sanoj
% CS Q.1
clc;
clear ;
close all;

ng11= [1 -1 2];
dg11= [1 2 1];
%k=1
nf=[0 0 1];
df=[0 0 1];
[num11,den11]=feedback(ng11,dg11,nf,df);
figure
subplot(221)
step(num11,den11)
title('Step response of G1(s)')
xlabel('t')
ylabel('y1(t)')

G1=tf(num11,den11)

```

G1 =

$$\frac{s^2 - s + 2}{2s^2 + s + 3}$$

Continuous-time transfer function.

```
pole(G1)
```

```

ans = 2x1 complex
    -0.2500 + 1.1990i
    -0.2500 - 1.1990i

```

```
%zero(G1)
```

```
%k=2
```

```

ng12= [2 -2 4];
dg12= [1 2 1];

```

```
[num12,den12]=feedback(ng12,dg12,nf,df);
```

```

subplot(222)
step(num12,den12)
title('Step response of G1(s)')
xlabel('t')
ylabel('y2(t)')

```

```
G2=tf(num12,den12)
```

G2 =

$$\frac{2s^2 - 2s + 4}{\text{-----}}$$

$$3s^2 + 5$$

Continuous-time transfer function.

```
pole(G2)
```

```
ans = 2x1 complex
    0.0000 + 1.2910i
    0.0000 - 1.2910i
```

```
%zero(G2)
```

```
%k=5
```

```
ng13= [5 -5 10];
```

```
dg13= [1 2 1];
```

```
nf=[0 0 1];
```

```
df=[0 0 1];
```

```
[num13,den13]=feedback(ng13,dg13,nf,df);
```

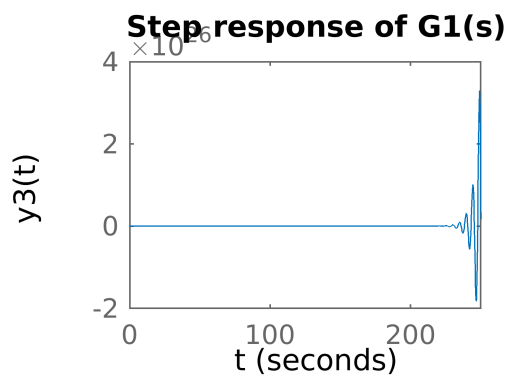
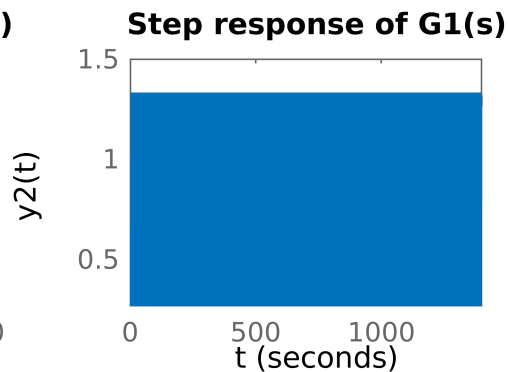
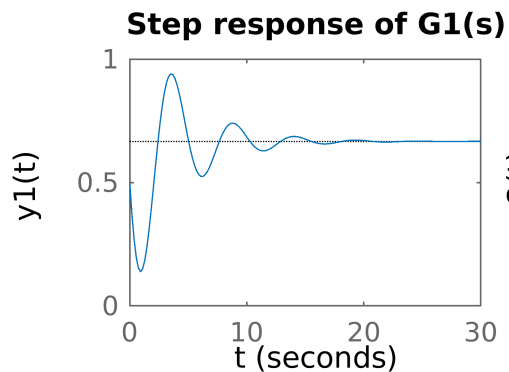
```
subplot(223)
```

```
step(num13,den13)
```

```
title('Step response of G1(s)')
```

```
xlabel('t')
```

```
ylabel('y3(t)')
```



```
G3=tf(num13,den13)
```

G3 =

$$\frac{5s^2 - 5s + 10}{6s^2 - 3s + 11}$$

Continuous-time transfer function.

```
pole(G3)
```

```
ans = 2x1 complex  
0.2500 + 1.3307i  
0.2500 - 1.3307i
```

```
%zero(G3)
```

```
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
```

```
ng21= [0 0 0 1];  
dg21= [1 2 4 0];
```

```
nf=[0 0 1];  
df=[0 0 1];  
[num21,den21]=feedback(ng21,dg21,nf,df);  
figure  
subplot(221)  
step(num21,den21)  
title('Step response of G2(s)')  
xlabel('t')  
ylabel('y1(t)')
```

```
G4=tf(num21,den21)
```

G4 =

$$\frac{1}{s^3 + 2s^2 + 4s + 1}$$

Continuous-time transfer function.

```
pole(G4)
```

```
ans = 3x1 complex  
-0.8576 + 1.6661i  
-0.8576 - 1.6661i  
-0.2848 + 0.0000i
```

```
%zero(G4)
```

```
ng22= [0 0 0 4];  
dg22= [1 2 4 0];
```

```
nf=[0 0 1];  
df=[0 0 1];  
[num22,den22]=feedback(ng22,dg22,nf,df);  
  
subplot(222)
```

```

step(num22,den22)
title('Step response of G2(s)')
xlabel('t')
ylabel('y2(t)')

G5=tf(num22,den22)

```

G5 =

$$\frac{4}{s^3 + 2s^2 + 4s + 4}$$

Continuous-time transfer function.

```
pole(G5)
```

```

ans = 3x1 complex
    -0.3522 + 1.7214i
    -0.3522 - 1.7214i
    -1.2956 + 0.0000i

```

```
%zero(G5)
```

```

ng23= [0 0 0 8];
dg23= [1 2 4 0];

```

```

nf=[0 0 1];
df=[0 0 1];
[num23,den23]=feedback(ng23,dg23,nf,df);

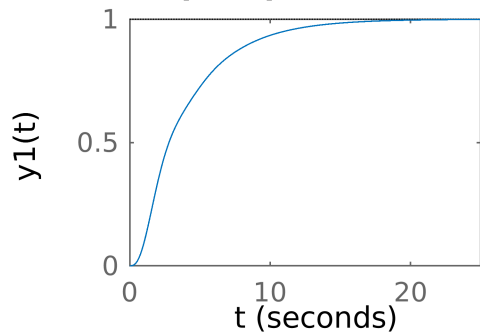
```

```

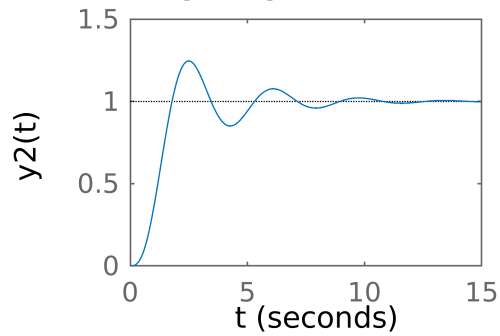
subplot(223)
step(num23,den23)
title('Step response of G2(s)')
xlabel('t')
ylabel('y3(t)')

```

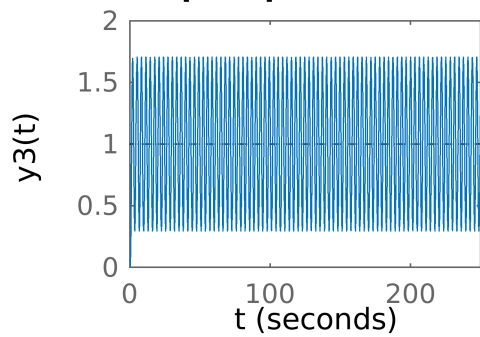
Step response of G2(s)



Step response of G2(s)



Step response of G2(s)



```
G6=tf(num23,den23)
```

```
G6 =
```

$$\frac{8}{s^3 + 2s^2 + 4s + 8}$$

Continuous-time transfer function.

```
pole(G6)
```

```
ans = 3x1 complex  
-2.0000 + 0.0000i  
-0.0000 + 2.0000i  
-0.0000 - 2.0000i
```

```
%zero(G6)
```