

Recap

Quadrature sampling of band-pass signals

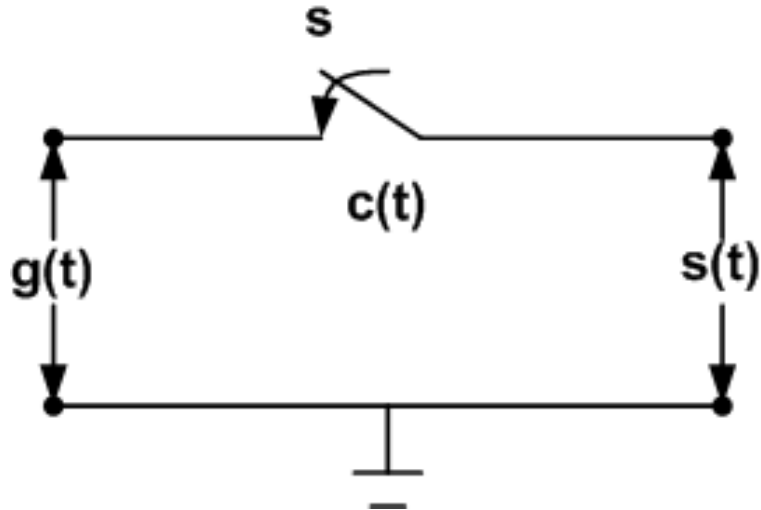
Topics for this session

Practical aspects of sampling

Practical sampling methods

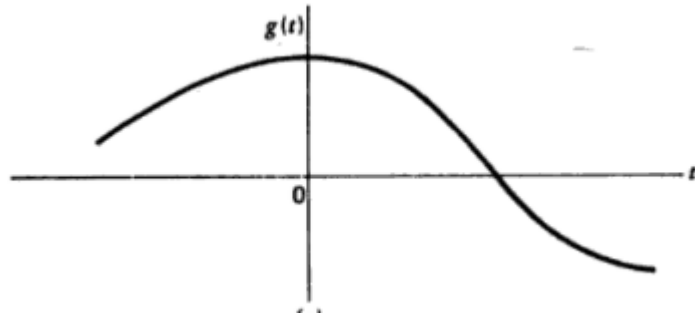
- ***Natural sampling***
Using samples of finite duration
- ***Flat-top sampling***

- *Natural sampling*

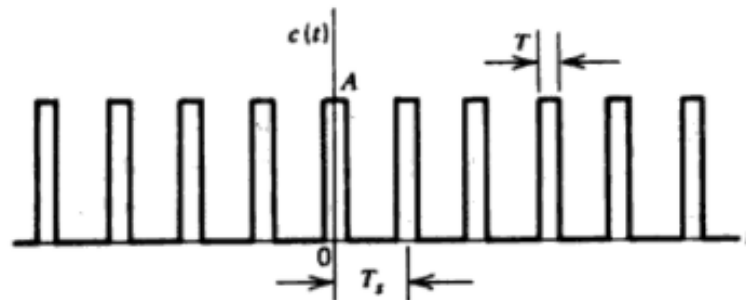


DIGITAL COMMUNICATION

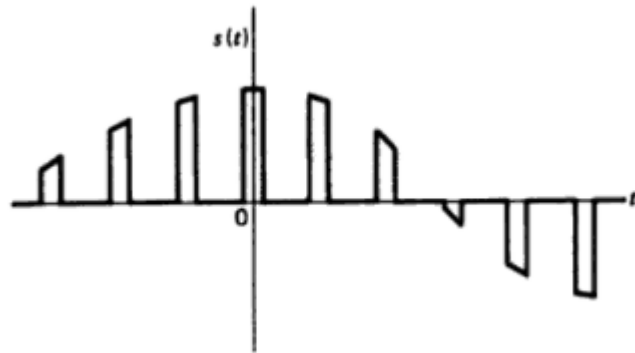
Natural Sampling



Analog signal



Rectangular-pulse train



Sampled signal

$$s(t) = g(t)c(t)$$

Fourier series of $c(t)$

$$c(t) = \sum_{n=-\infty}^{\infty} C_n e^{jnw_0 t}; w_0 = \frac{2\pi}{T_s}$$

$$C_n = \frac{1}{T_s} \int_{-\frac{T}{2}}^{\frac{T}{2}} A e^{-jnw_0 t} dt;$$

$$C_n = ATf_s \frac{\sin\left(\frac{n\pi T}{T_s}\right)}{T \frac{n\pi}{T_s}}$$

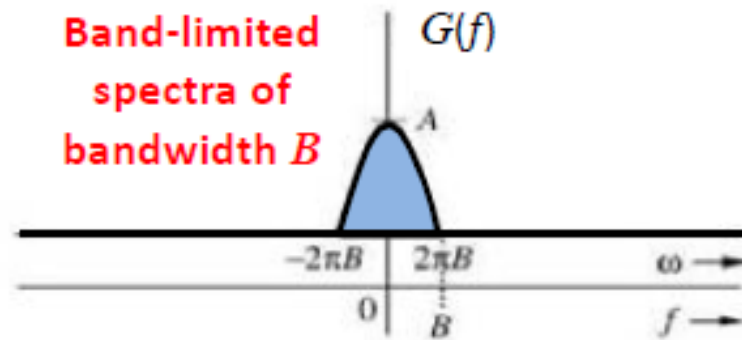
$$C_n = ATf_s \sin c(nf_s T)$$

$$c(t) = ATf_s \sum_{n=-\infty}^{\infty} \sin c(nf_s T) e^{j2\pi n f_s t}$$

$$s(t) = ATf_s \sum_{n=-\infty}^{\infty} \sin c(nf_s T) e^{j2\pi n f_s t} g(t)$$

Fourier Transform of $s(t)$

$$S(f) = ATf_s \sum_{m=-\infty}^{\infty} \sin c(mf_s T) G(f - mf_s)$$



envelope of $G(f)$ is the sinc function.

