

```
%PES1UG20EC083 JACOB V SANOJ
% 6A
clc;
close all;
clear all;

%if its not aligned the tunnels wont meet at the 50% MARK
% % IN FREQUENCY DOMAIN we do this so as to find rise time etc parametes
```

```
g1num=[0 0 1];
g1den=[1 1 0];
G1=tf(g1num,g1den)
```

G1 =

$$\frac{1}{s^2 + s}$$

Continuous-time transfer function.

```
g2num=[0 0 1];
g2den=[1 2 0];
G2=tf(g2num,g2den)
```

G2 =

$$\frac{1}{s^2 + 2s}$$

Continuous-time transfer function.

```
g3num=[0 0 1];
g3den=[1 5 0];
G3=tf(g3num,g3den)
```

G3 =

$$\frac{1}{s^2 + 5s}$$

Continuous-time transfer function.

```
dnum=[0 0 0];
dden=[0 0 1];
D=tf(dnum,dden)
```

D =

0

Static gain.

```

r1num=[0 0 1];
r1den=[0 0 1];
R1=tf(r1num,r1den)

```

R1 =

$$1$$

Static gain.

```

r2num=[0 0 1];
r2den=[1 0 0];
R2=tf(r2num,r2den)

```

R2 =

$$\frac{1}{s^2}$$

Continuous-time transfer function.

```

Y_1=(R1+D);
Y1=series(Y_1,G1)

```

Y1 =

$$\frac{1}{s^2 + s}$$

Continuous-time transfer function.

```

Y2=series(Y_1,G2)

```

Y2 =

$$\frac{1}{s^2 + 2s}$$

Continuous-time transfer function.

```

Y3=series(Y_1,G3)

```

Y3 =

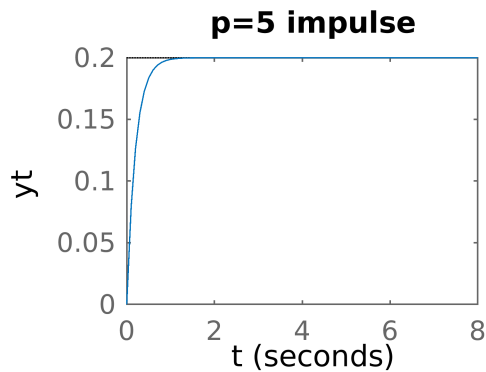
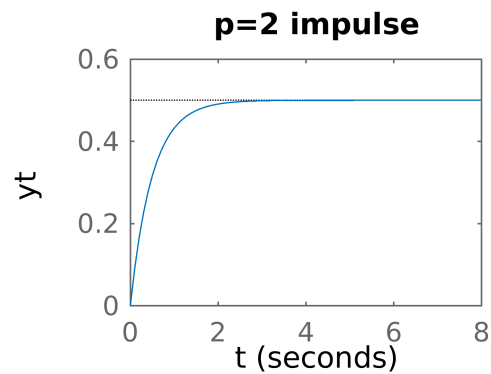
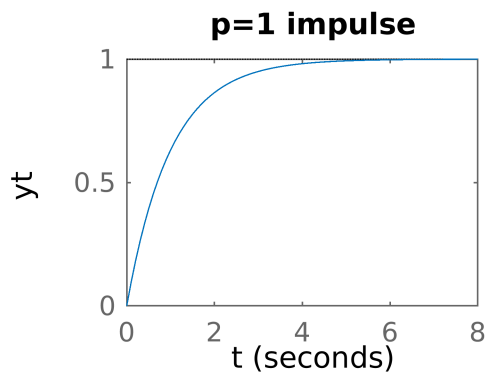
$$\frac{1}{s^2 + 5s}$$

Continuous-time transfer function.

```

t=0:0.1:8;
% with impulse response
figure;
subplot(2,2,1);
impz(Y1,t);
xlabel('t');
ylabel('yt');
title('p=1 impulse');
%-----
subplot(2,2,2);
impz(Y2,t);
title('p=2 impulse');
xlabel('t');
ylabel('yt');
%-----
subplot(2,2,3);
impz(Y3,t);
title('p=5 impulse');
xlabel('t');
ylabel('yt');

```



```

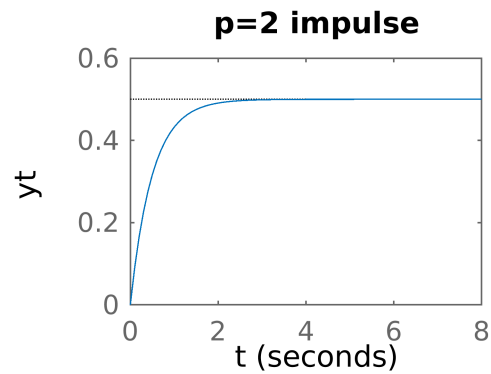
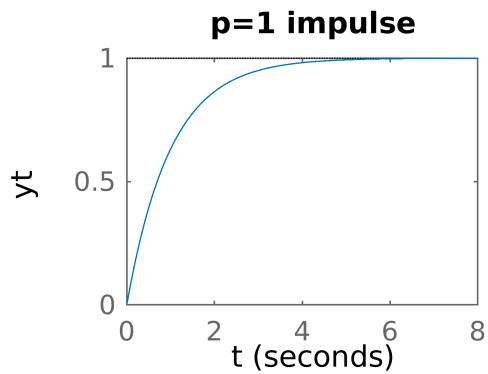
% IN TIME DOMAIN
num=1;
t=0:0.1:8;
p1 = 1;
p2 = 2;
p3 = 5;

```

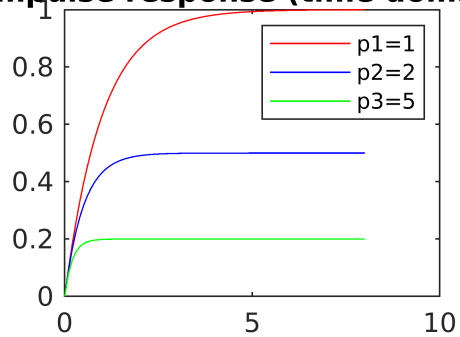
```

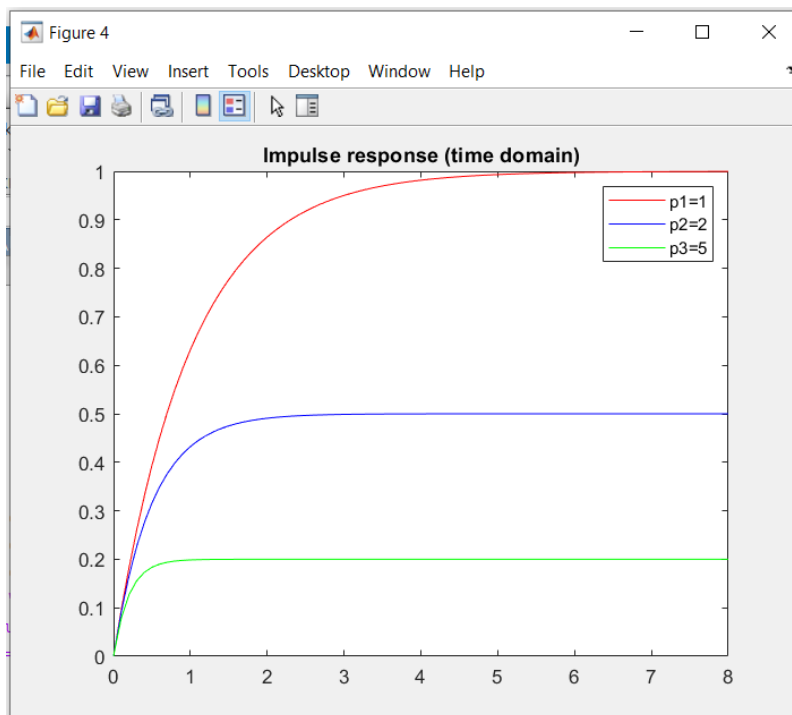
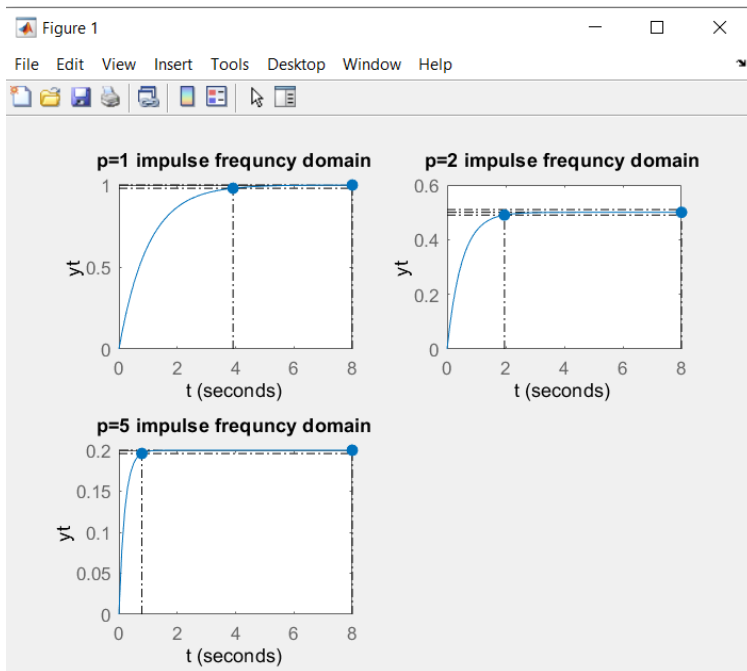
den1=[1 p1 0];
den2=[1 p2 0];
den3=[1 p3 0];
y1=impz(num,den1,t);
y2=impz(num,den2,t);
y3=impz(num,den3,t);
plot(t,y1,'r',t,y2,'b',t,y3,'g')
title('Impulse response (time domain)')
legend('p1=1','p2=2','p3=5')

```



Impulse response (time domain)





AS p INCREASES FROM 1 TO 5 THE SETTLING TIME DECREASES FROM 3.81 FOR $p=1$ TO 0.786 AT $p=5$

%with step as input in frequency domain

$Y_{11} = (R2 + D)$

$Y_{11} =$

1

```

---
s^2

Continuous-time transfer function.

```

```
Y11=series(Y_11,G1)
```

```

Y11 =

      1
-----
s^4 + s^3

```

Continuous-time transfer function.

```
Y21=series(Y_11,G2)
```

```

Y21 =

      1
-----
s^4 + 2 s^3

```

Continuous-time transfer function.

```
Y31=series(Y_11,G3)
```

```

Y31 =

      1
-----
s^4 + 5 s^3

```

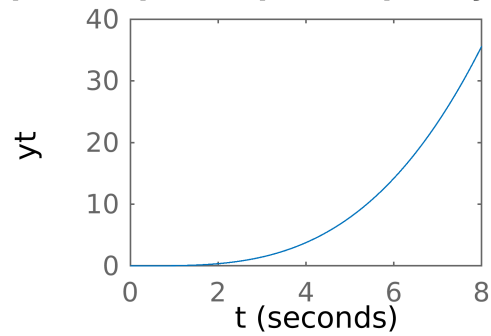
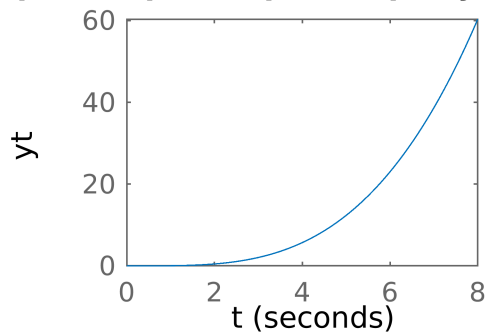
Continuous-time transfer function.

```

figure;
subplot(2,2,1);
step(Y11,t);
xlabel('t');
ylabel('yt');
title('p=1 step as imput frequency domain');
%-----
subplot(2,2,2);
step(Y21,t);
title('p=2 step as imput frequency domain');
xlabel('t');
ylabel('yt');

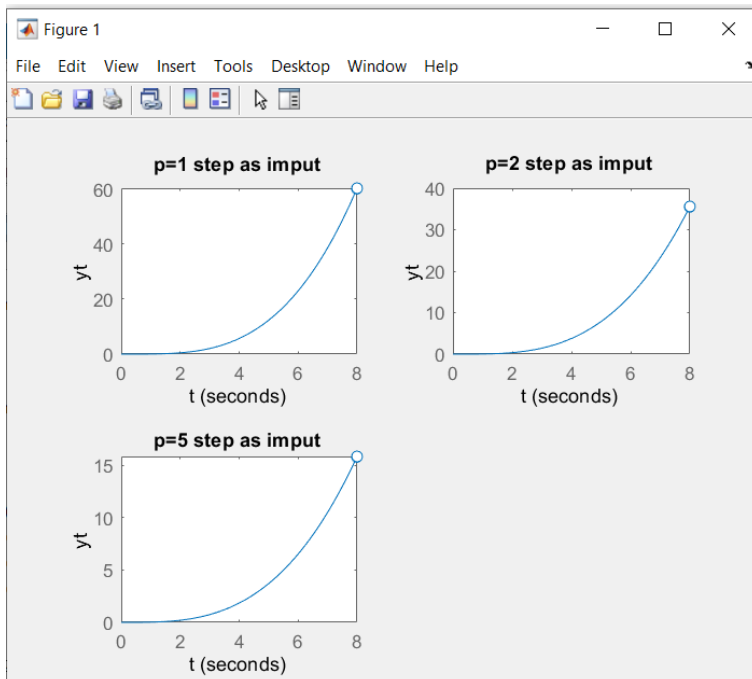
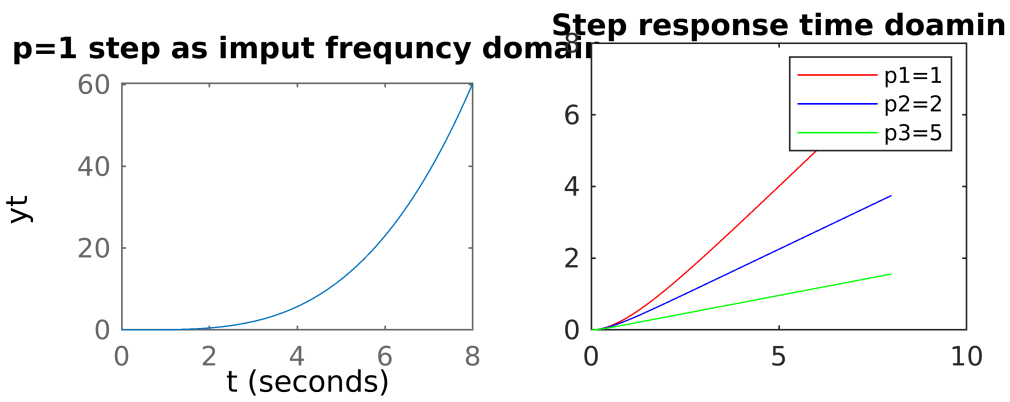
```

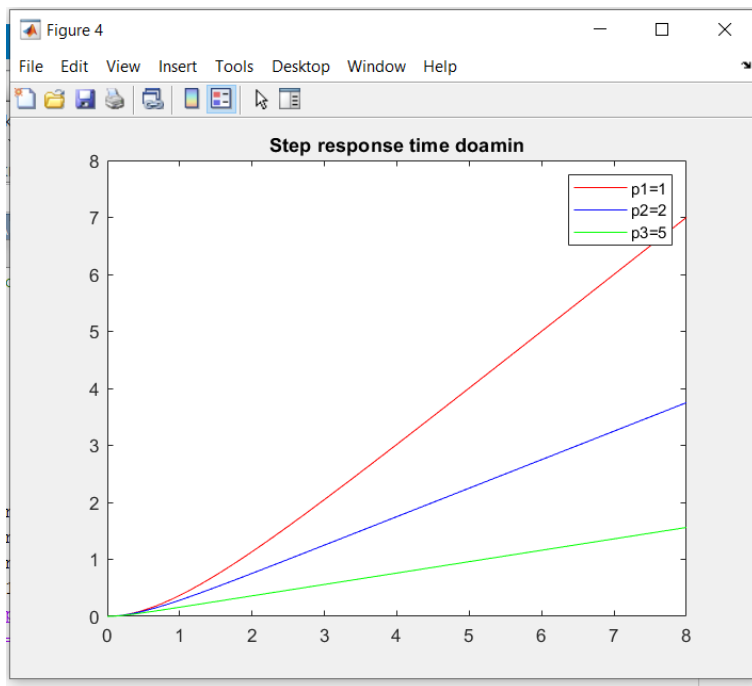
p=1 step as input frequency domain **p=2 step as input frequency domain**



```
%-----
```

```
% In time domain
num=1;
t=0:0.1:8;
p1 = 1;
p2 = 2;
p3 = 5;
den1=[1 p1 0];
den2=[1 p2 0];
den3=[1 p3 0];
y1_1=step(num,den1,t);
y2_2=step(num,den2,t);
y3_3=step(num,den3,t);
plot(t,y1_1,'r',t,y2_2,'b',t,y3_3,'g')
title('Step response time domain')
legend('p1=1','p2=2','p3=5')
```

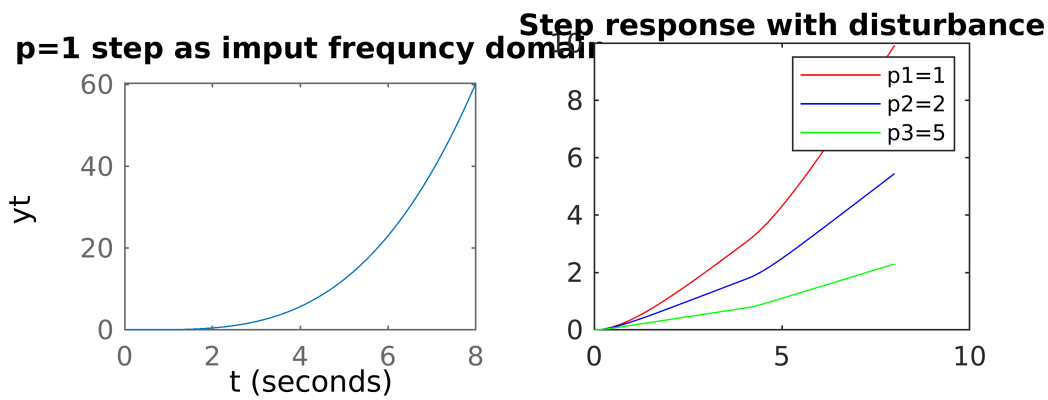




for all values of p the final value is infinity

```
% step reference and a specified disturbance input in time domain
```

```
t=0:0.1:8;
p1 = 1;
p2 = 2;
p3 = 5;
g1=tf([0 0 1],[1 p1 0]);
g2=tf([0 0 1],[1 p2 0]);
g3=tf([0 0 1],[1 p3 0]);
a1=step(g1,t);
a2=step(g2,t);
a3=step(g3,t);
d = 0*t;
d(t>=0 & t<=4)=1;
d(t>4 & t<=8)=2;
y1= lsim(g1,d,t);
y2= lsim(g2,d,t);
y3= lsim(g3,d,t);
plot(t,y1,'r',t,y2,'b',t,y3,'g')
title('Step response with disturbance')
legend('p1=1','p2=2','p3=5')
```



```
% in frequency domain
s=tf('s');
dlnum=(-2*exp(-8*s)+exp(-4*s)+-1)/s %taking laplace trnsform of dt
```

```
dlnum =

A =
    x1
x1    0

B =
    u1
x1    1

C =
    x1
y1   -2

D =
    u1
y1    0

(values computed with all internal delays set to zero)

Internal delays (seconds): 4 4

Continuous-time state-space model.
```

```
Y_111=(R2+dlnum);
Y111=series(Y_111,G1);
Y211=series(Y_111,G2);
```

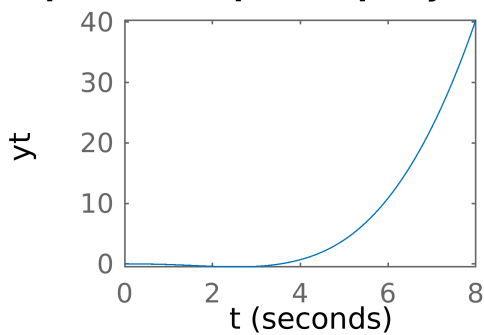
```

Y311=series(Y_111,G3);

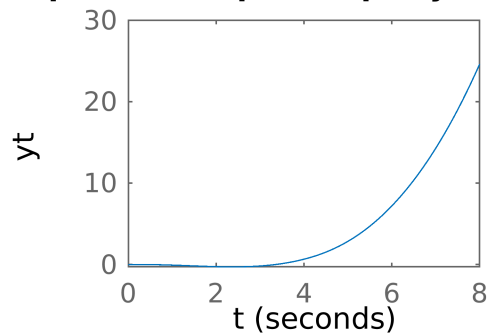
figure;
subplot(2,2,1);
step(Y111,t);
xlabel('t');
ylabel('yt');
title('p=1 t as input frequency domain');
%-----
subplot(2,2,2);
step(Y211,t);
title('p=2 t as input frequency domain');
xlabel('t');
ylabel('yt');
%-----
subplot(2,2,3);
step(Y311,t);
title('p=5 t as input frequency domain');
xlabel('t');
ylabel('yt')

```

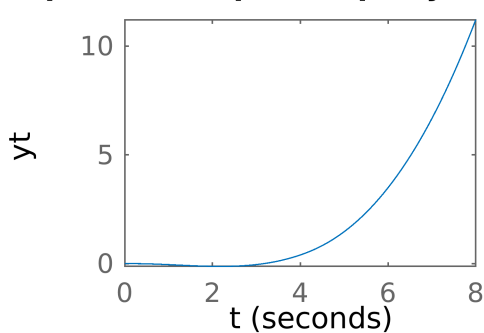
p=1 t as input frequency domain



p=2 t as input frequency domain



p=5 t as input frequency domain



here also the final value stretches to infinity as p increases

note we do notice a small dip in in the graphs due to the disturabance hwich takes it away from the normal step input behaviour

