

# PCA-on-Financial-Market-in-2020

May 30, 2021

## 1 Abstract

The project aims for understanding correlation between global stock indices and spread of COVID-19. Is there significant correlation between certain degree of COVID-19 and market fluctuation? While it is certain that March in 2020 should showcase strong correlation, it is still controversial if it is still valid hypothesis in year-round analysis. While the year of 2020 has been one of the most interesting years to measure the impact of one macroeconomic variable on entire market, I intend to understand how market has fluctuated in 2020.

## 2 Literature Review

The paper Principal Components as a Measure of Systemic Risk written by Kritzman et al. (2010) [1] introduces how we could use Principal Component Analysis as a method to measure systemic risk. *Principal Component Analysis (PCA)* is to extract features by applying an orthogonal transformation into simpler dimensional data. It is often used to simplify complexity of high-dimensional data because it preserves almost all information with minimizing the dimensions of data as small as possible. Kritzman et al. (2010) [1] argues that Principal Component Analysis could measure systemic risk.

### 2.1 Systemic Risk

**Systemic Risk** defines a ratio of systematic risk to idiosyncratic risk. Because systematic risk describes risk that is shared by entire market, idiosyncratic risk is about specific part of market. In other words, systemic risk measures how fragile the market is. According to the paper of Kritzman et al. (2010):

“the absorption ratio, which equals the fraction of the total variance of a set of asset returns explained or “absorbed” by a fixed number of eigenvectors. The absorption ratio captures the extent to which markets are unified or tightly coupled. When markets are tightly coupled, they are more fragile in the sense that negative shocks propagate more quickly and broadly than when markets are loosely linked.”

However, in my project, I only use Principal Component Analysis up to the use that measures correlation between economic variables. Explained variance, or the absorption ratio, essentially measures degree of correlation, and it is reasonable to understand how market fluctuation is correlated with the spread of COVID-19 in 2020.

## 3 Import Data

### 3.0.1 Load Packages

In [1]: *# Load Packages*

```
import yfinance as yf
import csv
import pandas as pd
import numpy as np
from datetime import date, time, timedelta
import datetime
from countryinfo import CountryInfo
from datetime import datetime, timedelta
from sklearn.decomposition import PCA
from datapackage import Package
from sklearn.cluster import KMeans

today = datetime.today()
yesterday = str(today - timedelta(2))[:10]

# Convert Date
def date_convert(dates):
    dates_return = []

    for date in dates:
        date = date.split("/")
        year = '20' + str(date[2])
        month = str(date[0])
        day = str(date[1])

        if int(month) < 10:
            month = '0' + month

        if int(day) < 10:
            day = '0' + day

        date = year + "-" + month + "-" + day
        dates_return.append(date)

    return dates_return

start = "2020-01-22"
end = "2021-01-01"

# Matplotlib
import matplotlib.pyplot as plt
pd.set_option('max_rows', 500)
```

```

pd.set_option('max_columns', 500)
np.set_printoptions(suppress=True)

%matplotlib inline
plt.rcParams["figure.figsize"] = (16, 12)
plt.style.use('seaborn-pastel')
plt.rcParams['lines.linewidth'] = 1
plt.figure(dpi=300)
plt.rcParams['lines.color'] = 'b'
plt.rcParams['axes.grid'] = True
plt.tight_layout()

```

<Figure size 4800x3600 with 0 Axes>

### 3.0.2 Import 40 Global Stock Indices

This part of code imports **40 Global Indices** as a representation of how global market has worked during 2020 since the outbreak of Coronavirus.

```

In [2]: # Import Market Indices
SPY = yf.download("SPY", start, end)['Adj Close'].to_frame()
Singapore = yf.download("^STI", start, end)['Adj Close'].to_frame()
Dow = yf.download("^DJI", start, end)['Adj Close'].to_frame()
Nasdaq = yf.download("^IXIC", start, end)['Adj Close'].to_frame()
FTSE100 = yf.download("FTSE", start, end)['Adj Close'].to_frame()
FTSE250 = yf.download("FTSE", start, end)['Adj Close'].to_frame()
FTSE350 = yf.download("FTLC", start, end)['Adj Close'].to_frame()
FTAI = yf.download("FTAI", start, end)['Adj Close'].to_frame()
N225 = yf.download("N225", start, end)['Adj Close'].to_frame()
N500 = yf.download("N500", start, end)['Adj Close'].to_frame()
N1000 = yf.download("N1000", start, end)['Adj Close'].to_frame()
HSI = yf.download("HSI", start, end)['Adj Close'].to_frame()
Taiwan = yf.download("TWII", start, end)['Adj Close'].to_frame()
SSE = yf.download("000001.SS", start, end)['Adj Close'].to_frame()
Shenzhen = yf.download("399001.SZ", start, end)['Adj Close'].to_frame()
DAX = yf.download("GDAXI", start, end)['Adj Close'].to_frame()
France = yf.download("FCHI", start, end)['Adj Close'].to_frame()
Indonesia = yf.download("JKSE", start, end)['Adj Close'].to_frame()
PSEI = yf.download("PSEI.PS", start, end)['Adj Close'].to_frame()
AORD = yf.download("AORD", start, end)['Adj Close'].to_frame()
AXJO = yf.download("AXJO", start, end)['Adj Close'].to_frame()
AXKO = yf.download("AXKO", start, end)['Adj Close'].to_frame()
kospi = yf.download("KS11", start, end)['Adj Close'].to_frame()
India = yf.download("BSESN", start, end)['Adj Close'].to_frame()
NZ50 = yf.download("NZ50", start, end)['Adj Close'].to_frame()
XAX = yf.download("XAX", start, end)['Adj Close'].to_frame()
RUI = yf.download("RUI", start, end)['Adj Close'].to_frame()

```

```

RUT = yf.download("^RUT", start, end)['Adj Close'].to_frame()
RUA = yf.download("^RUA", start, end)['Adj Close'].to_frame()
GSPTSE = yf.download("^GSPTSE", start, end)['Adj Close'].to_frame()
N100 = yf.download("^N100", start, end)['Adj Close'].to_frame()
N150 = yf.download("^N150", start, end)['Adj Close'].to_frame()
BFX = yf.download("^BFX", start, end)['Adj Close'].to_frame()
IMOEX = yf.download("IMOEX.ME", start, end)['Adj Close'].to_frame()
MERV = yf.download("^MERV", start, end)['Adj Close'].to_frame()
TA125 = yf.download("^TA125.TA", start, end)['Adj Close'].to_frame()
JNOU = yf.download("^JNOU.JO", start, end)['Adj Close'].to_frame()
AEX = yf.download("^AEX", start, end)['Adj Close'].to_frame()
ATOI = yf.download("^ATOI", start, end)['Adj Close'].to_frame()
BVSP = yf.download("^BVSP", start, end)['Adj Close'].to_frame()
MIB = yf.download("FTSEMIB.MI", start, end)['Adj Close'].to_frame()
ATX = yf.download("^ATX", start, end)['Adj Close'].to_frame()
ISEQ = yf.download("^ISEQ", start, end)['Adj Close'].to_frame()
NSEI = yf.download("^NSEI", start, end)['Adj Close'].to_frame()
MXX = yf.download("^MXX", start, end)['Adj Close'].to_frame()
SSMI = yf.download("^SSMI", start, end)['Adj Close'].to_frame()
STOXX50E = yf.download("^STOXX50E", start, end)['Adj Close'].to_frame()
MDAXI = yf.download("^MDAXI", start, end)['Adj Close'].to_frame()
SDAXI = yf.download("^SDAXI", start, end)['Adj Close'].to_frame()
HSCC = yf.download("^HSCC", start, end)['Adj Close'].to_frame()
HSCE = yf.download("^HSCE", start, end)['Adj Close'].to_frame()
KLSE = yf.download("^KLSE", start, end)['Adj Close'].to_frame()

```

*# Transform into Dataframe*

```

df = pd.concat([
    Dow,
    Nasdaq,
    FTSE100,
    FTSE250,
    FTAI,
    N225,
    SSE,
    Shenzhen,
    DAX,
    France,
    Indonesia,
    PSEI,
    AXKO,
    kospi,
    NZ50,
    RUI,
    RUT,
    RUA,
    GSPTSE,
    N100,

```

```

N150,
BFX,
IMOEX,
MERV,
TA125,
JNOU,
SPY,
Singapore,
AEX,
ATOI,
BVSP,
MIB,
ATX,
ISEQ,
MXX,
STOXX50E,
MDAXI,
SDAXI,
KLSE
], axis=1)

# Set Columns
df.columns=[
    'US-Dow',
    'US-Nasdaq',
    'GB-FTSE100',
    'GB-FTSE250',
    'GB-FTAI',
    'JP-N225',
    'CN-SSE',
    'CN-Shenzhen',
    'DE-DAX',
    'FR-FCHI',
    'ID-JKSE',
    'PH-PSEI',
    'AU-AXKO',
    'KR-KSII',
    'NZ-NZ50',
    'US-RUI',
    'US-RUT',
    'US-RUA',
    'CA-GSPTSE',
    'FR-N100',
    'FR-N150',
    'BE-BFS',
    'RU-IMOEX',
    'AR-MERV',
    'IL-TA125',

```

```
'ZA-JNOU',
'US-SPX',
'SG-STI',
'NL-AEX',
'AU-ATOI',
'BR-BVSP',
'IT-MIB',
'AT-ATX',
'IE-ISEQ',
'MX-MXX',
'DE-Stoxx50E',
'DE-MDAXI',
'DE-SDAXI',
'MY-KLSE'
]

# Eliminate Missing Values
daily_return = df.fillna(method='ffill').fillna(method='bfill')
daily_return1 = daily_return
```

[illegible]



```

# Preprocess Data
dates = df_confirmed.index.tolist()
dates = date_convert(dates)
US = df_confirmed["US"].tolist()
China = df_confirmed["China"].tolist()
Germany = df_confirmed["Germany"].tolist()
Japan = df_confirmed["Japan"].tolist()
UK = df_confirmed["United Kingdom"].tolist()
Korea = df_confirmed["Korea, South"].tolist()
Australia = df_confirmed["Australia"].tolist()
Austria = df_confirmed["Austria"].tolist()
Denmark = df_confirmed["Denmark"].tolist()
Greece = df_confirmed["Greece"].tolist()
Finland = df_confirmed["Finland"].tolist()
Ireland = df_confirmed["Ireland"].tolist()
Italy = df_confirmed["Italy"].tolist()
SouthAfrica = df_confirmed["South Africa"].tolist()
Spain = df_confirmed["Spain"].tolist()
Singapore = df_confirmed["Singapore"].tolist()
Russia = df_confirmed["Russia"].tolist()
NewZealand = df_confirmed["New Zealand"].tolist()
Canada = df_confirmed["Canada"].tolist()
France = df_confirmed["France"].tolist()
Netherlands = df_confirmed["Netherlands"].tolist()
Mexico = df_confirmed["Mexico"].tolist()
Brazil = df_confirmed["Brazil"].tolist()
Philippines = df_confirmed["Philippines"].tolist()
India = df_confirmed["India"].tolist()
Argentina = df_confirmed["Argentina"].tolist()
Indonesia = df_confirmed["Indonesia"].tolist()
Malaysia = df_confirmed["Malaysia"].tolist()
Israel = df_confirmed["Israel"].tolist()
Poland = df_confirmed["Poland"].tolist()
Afghanistan = df_confirmed["Afghanistan"].tolist()

data = [
    US, China, Japan,
    Korea, Australia, Austria,
    Germany, UK, Denmark,
    Greece, Italy, SouthAfrica,
    Spain, Singapore, Russia,
    NewZealand, Canada, France,
    Netherlands, Mexico, Philippines,
    India, Argentina, Indonesia,
    Malaysia, Israel, Poland,
    Brazil, Spain
]

```



```

# Country Codes
country_codes = [
    "US", "CN", "JP",
    "KR", "AU", "AT",
    "DE", "GB", "DK",
    "GR", "IT", "ZA",
    "ES", "SG", "RU",
    "NZ", "CA", "FR",
    "NL", "MX", "PH",
    "IN", "AR", "ID",
    "MY", "IL", "PL",
    "BR", "ES"
]

daily_confirmed = pd.DataFrame(data, index=country_codes, columns=dates).T.diff(1).repl

for code in country_codes:
    population = CountryInfo(code).population()
    daily_confirmed[code] = daily_confirmed[code].div(population, axis=0)

daily_confirmed.index.name = 'Date'
daily_confirmed1 = daily_confirmed

```

### 3.1 Merge Dataframe (Daily Return + Daily Confirmed)

```

In [4]: # List of Dates
confirmed = daily_confirmed.index.tolist()
returns = daily_return.index.tolist()

# Build a list to include dates in common
dates_common = []
for date in returns:
    date = (str(date)[:10])
    if date in confirmed:
        dates_common.append(date)

# Only leave dates in common from daily_confirmed
for date in daily_confirmed.index:
    if date not in dates_common:
        daily_confirmed = daily_confirmed.drop(date)

# Only leave dates in common from daily_return
daily_return_index = []
for var in daily_return.index.tolist():
    date = (str(var))[:10]
    if date not in dates_common:
        daily_return = daily_return.drop(var)

```

```

else:
    daily_return_index.append(str(date))

daily_return.index = daily_return_index
daily_return.index.name = 'Date'

# Now, merge them in same index
df_merged = pd.concat([daily_return, daily_confirmed], axis=1)

```

## 3.2 Normalize Dataframe

Before diving into dataframe, I need to normalize data as there is too huge difference.

In [5]: *# apply the z-score method in Pandas using the .mean() and .std() methods*

```

def z_score(df):
    # copy the dataframe
    df_std = df.copy()
    # apply the z-score method
    for column in df_std.columns:
        df_std[column] = (df_std[column] - df_std[column].mean()) / df_std[column].std

    return df_std

```

```

df_merged = z_score(df_merged)
df_merged.head()

```

```

Out [5]:

```

	US-Dow	US-Nasdaq	GB-FTSE100	GB-FTSE250	GB-FTAI	JP-N225	\
Date							
2020-01-22	0.939547	-0.588920	2.638425	2.638425	0.518385	0.593683	
2020-01-23	0.929251	-0.576386	2.515415	2.515415	0.475218	0.493928	
2020-01-24	0.862253	-0.635046	2.665442	2.665442	0.498276	0.507350	
2020-01-27	0.683732	-0.752674	2.332239	2.332239	0.383163	0.302830	
2020-01-28	0.757295	-0.665344	2.463681	2.463681	0.385934	0.248790	

	CN-SSE	CN-Shenzhen	DE-DAX	FR-FCHI	ID-JKSE	PH-PSEI	\
Date							
2020-01-22	-0.265409	-0.852392	1.002068	1.965973	2.073910	1.793167	
2020-01-23	-0.622814	-1.128935	0.899557	1.888358	2.104868	2.014524	
2020-01-24	-0.622814	-1.128935	1.051121	1.992273	2.094846	2.025110	
2020-01-27	-0.622814	-1.128935	0.751703	1.672941	1.876954	1.971458	
2020-01-28	-0.622814	-1.128935	0.847444	1.797315	1.833683	1.793122	

	AU-AXKO	KR-KSII	NZ-NZ50	US-RUI	US-RUT	US-RUA	\
Date							
2020-01-22	1.908808	0.152902	0.388593	0.255018	0.742344	0.295330	
2020-01-23	1.830729	0.078752	0.401234	0.265638	0.744795	0.305320	
2020-01-24	1.834866	0.078752	0.375466	0.181131	0.643307	0.219231	
2020-01-27	1.834866	0.078752	0.297312	0.035360	0.562714	0.078219	

2020-01-28	1.713249	-0.164939	0.162360	0.128488	0.625843	0.169232
------------	----------	-----------	----------	----------	----------	----------

	CA-GSPTSE	FR-N100	FR-N150	BE-BFS	RU-IMOEX	AR-MERV	\
Date							
2020-01-22	1.214549	1.765530	1.423998	1.889892	1.350814	-0.036628	
2020-01-23	1.230693	1.670931	1.327632	1.779004	1.207118	-0.143357	
2020-01-24	1.189044	1.790602	1.342677	1.851744	1.228616	-0.294686	
2020-01-27	1.098522	1.486264	1.140706	1.557287	0.966164	-0.333466	
2020-01-28	1.141572	1.601194	1.214468	1.713230	1.086298	-0.181798	

	IL-TA125	ZA-JNOU	US-SPX	SG-STI	NL-AEX	AU-ATOI	\
Date							
2020-01-22	2.281831	1.494917	0.213724	2.563842	1.190420	1.982149	
2020-01-23	2.255830	1.293148	0.224871	2.477405	1.061627	1.902600	
2020-01-24	2.255830	1.345032	0.138341	2.501770	1.248528	1.908937	
2020-01-27	1.869836	1.012109	-0.016237	2.501770	0.911369	1.908937	
2020-01-28	1.910983	0.995726	0.083198	2.239514	1.003953	1.789394	

	BR-BVSP	IT-MIB	AT-ATX	IE-ISEQ	MX-MXX	DE-Stoxx50E	\
Date							
2020-01-22	1.543137	1.707168	2.344428	1.163883	2.083301	1.717660	
2020-01-23	1.628281	1.707612	2.246994	1.096735	2.044253	1.610125	
2020-01-24	1.542014	1.823824	2.316883	1.177827	1.942126	1.748249	
2020-01-27	1.250413	1.578536	2.176897	1.009560	1.634891	1.417481	
2020-01-28	1.399957	1.849994	2.239818	1.039594	1.812891	1.552569	

	DE-MDAXI	DE-SDAXI	MY-KLSE	US	CN	JP	\
Date							
2020-01-22	0.880938	0.445955	0.749134	-0.931591	-0.240411	-0.770413	
2020-01-23	0.781045	0.363458	0.710835	-0.931591	-0.160476	-0.770413	
2020-01-24	0.898508	0.459396	0.693202	-0.931575	-0.007338	-0.770413	
2020-01-27	0.654479	0.275284	0.693202	-0.931591	0.434408	-0.770413	
2020-01-28	0.735153	0.337657	0.464169	-0.931591	1.974205	-0.766998	

	KR	AU	AT	DE	GB	DK	\
Date							
2020-01-22	-0.678543	-0.608785	-0.569349	-0.617341	-0.698235	-0.593634	
2020-01-23	-0.678543	-0.608785	-0.569349	-0.617341	-0.698235	-0.593634	
2020-01-24	-0.674811	-0.608785	-0.569349	-0.617341	-0.698235	-0.593634	
2020-01-27	-0.674811	-0.601236	-0.569349	-0.617234	-0.698235	-0.593634	
2020-01-28	-0.678543	-0.608785	-0.569349	-0.617019	-0.698235	-0.593634	

	GR	IT	ZA	ES	SG	RU	\
Date							
2020-01-22	-0.579911	-0.622729	-0.781292	-0.776747	-0.669622	-1.062938	
2020-01-23	-0.579911	-0.622729	-0.781292	-0.776747	-0.665700	-1.062938	
2020-01-24	-0.579911	-0.622729	-0.781292	-0.776747	-0.661777	-1.062938	
2020-01-27	-0.579911	-0.622729	-0.781292	-0.776747	-0.665700	-1.062938	

2020-01-28 -0.579911 -0.622729 -0.781292 -0.776747 -0.661777 -1.062938

	NZ	CA	FR	NL	MX	PH	\
Date							
2020-01-22	-0.418028	-0.822006	-0.546408	-0.700558	-1.146176	-0.977223	
2020-01-23	-0.418028	-0.822006	-0.546408	-0.700558	-1.146176	-0.977223	
2020-01-24	-0.418028	-0.822006	-0.546266	-0.700558	-1.146176	-0.977223	
2020-01-27	-0.418028	-0.822006	-0.546408	-0.700558	-1.146176	-0.977223	
2020-01-28	-0.418028	-0.821540	-0.546337	-0.700558	-1.146176	-0.977223	

	IN	AR	ID	MY	IL	PL	\
Date							
2020-01-22	-1.000833	-0.974345	-1.010972	-0.606623	-0.77309	-0.549867	
2020-01-23	-1.000833	-0.974345	-1.010972	-0.606623	-0.77309	-0.549867	
2020-01-24	-1.000833	-0.974345	-1.010972	-0.606623	-0.77309	-0.549867	
2020-01-27	-1.000833	-0.974345	-1.010972	-0.606623	-0.77309	-0.549867	
2020-01-28	-1.000833	-0.974345	-1.010972	-0.606623	-0.77309	-0.549867	

	BR	ES
Date		
2020-01-22	-1.188057	-0.776747
2020-01-23	-1.188057	-0.776747
2020-01-24	-1.188057	-0.776747
2020-01-27	-1.188057	-0.776747
2020-01-28	-1.188057	-0.776747

## 4 Principal Component Analysis

For this, I take five principal components.

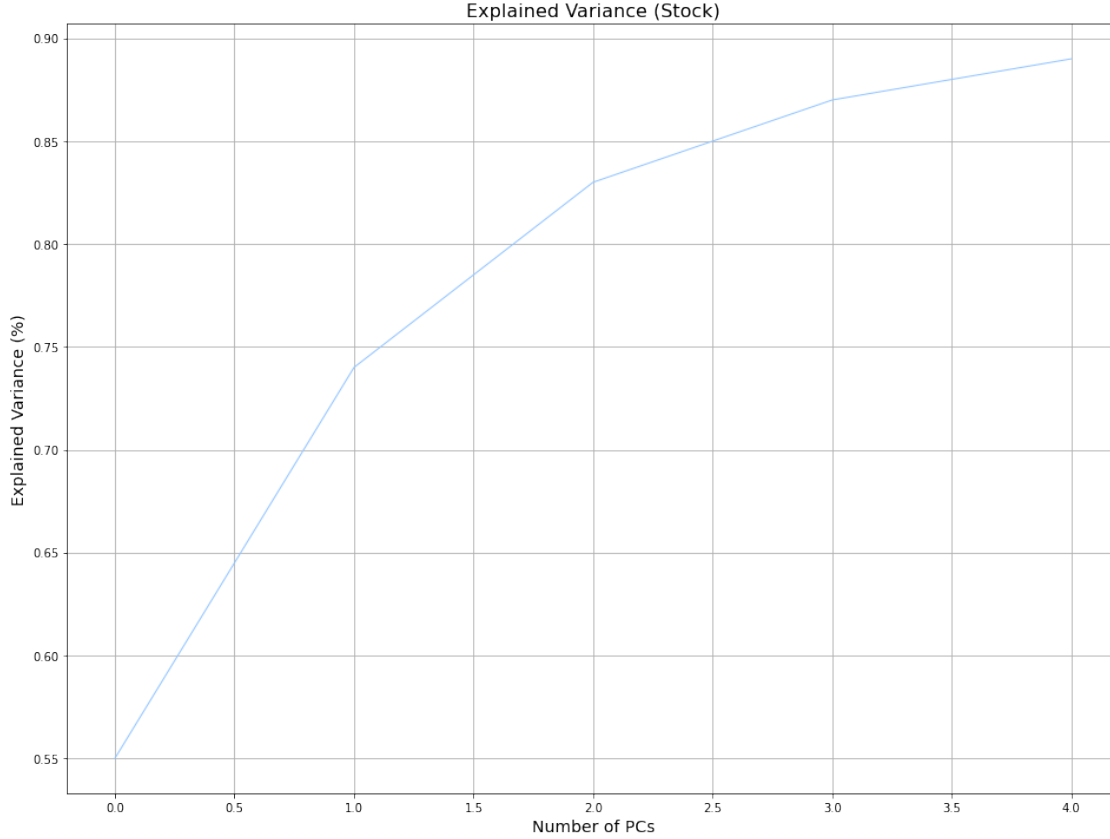
### 4.1 Verifying Correlation

#### 4.1.1 Explained Variance

```
In [6]: pca = PCA(5).fit(df_merged)
daily_return_factors = pd.Series(index=df_merged.columns, data=pca.components_[0])
print("Principal Components", pca.explained_variance_ratio_.round(2))

variance_stock = PCA(5).fit(df_merged).explained_variance_ratio_.cumsum().round(2)
plt.plot(variance_stock)
plt.title('Explained Variance (Stock)', fontsize = 16)
plt.xlabel('Number of PCs', fontsize = 14)
plt.ylabel('Explained Variance (%)', fontsize = 14)
plt.show()
```

Principal Components [0.55 0.19 0.08 0.04 0.02]



Principal Components seem to indicate approximately 55% is explained by the first principal component, whereas two principal components combinedly explain 70% of all variance. If we extend the degree of variance into five, almost 90% is explained.

#### 4.1.2 Insights

While the major intention in this experiment is to verify how correlated market price fluctuation and global COVID confirmed rate are, it appears that it is correlated to the certain extent. However, it still appears that it does not explain reasonable amount of variance.

### 4.2 PCA Loadings

#### 4.2.1 Meaning of Eigenvectors

Intuitively speaking, Principal Component Analysis is a technique to reduce dimensionality. Smaller dimension of features can be achieved by a linear combination of columns, which explain the maximum variation explained. This concept is what we used to understand correlation and systemic risk in the previous section of analysis. Each Principal Component Loading is an example of unit vector.

$$u := \min\left(\frac{1}{n} \sum_i^n (x_i^T x_i - (u_1^T x_i)^2)\right)$$

Principal Component Analysis aims for minimizing total distance of a unit vector whose perpendicular distance is minimized as a result. And it is the eigenvector of the covariance matrix of  $X$ .

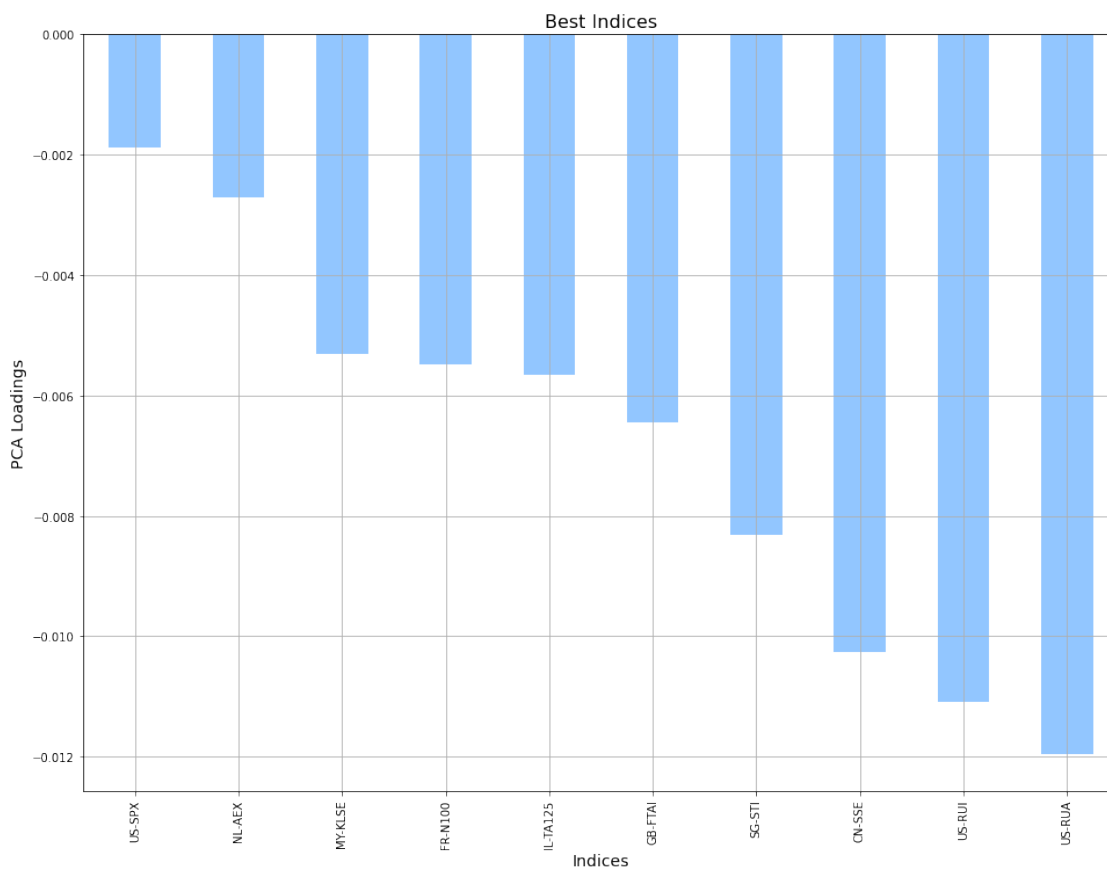
$$Av = \lambda v$$

#### 4.2.2 PCA Loadings as “Degree of Impact”

While it is about ‘degree of impact’, we may verify how large each extent is.

```
In [7]: pca_dr = PCA(1).fit(daily_return1)
        daily_return_factors = pd.Series(index=daily_return1.columns, data=pca_dr.components_[0])

        daily_return_factors.nlargest(10).plot.bar()
        plt.title('Best Indices', fontsize=16)
        plt.xlabel('Indices', fontsize=14)
        plt.ylabel('PCA Loadings', fontsize = 14)
        plt.savefig('Best Indices.png', dpi=300)
```

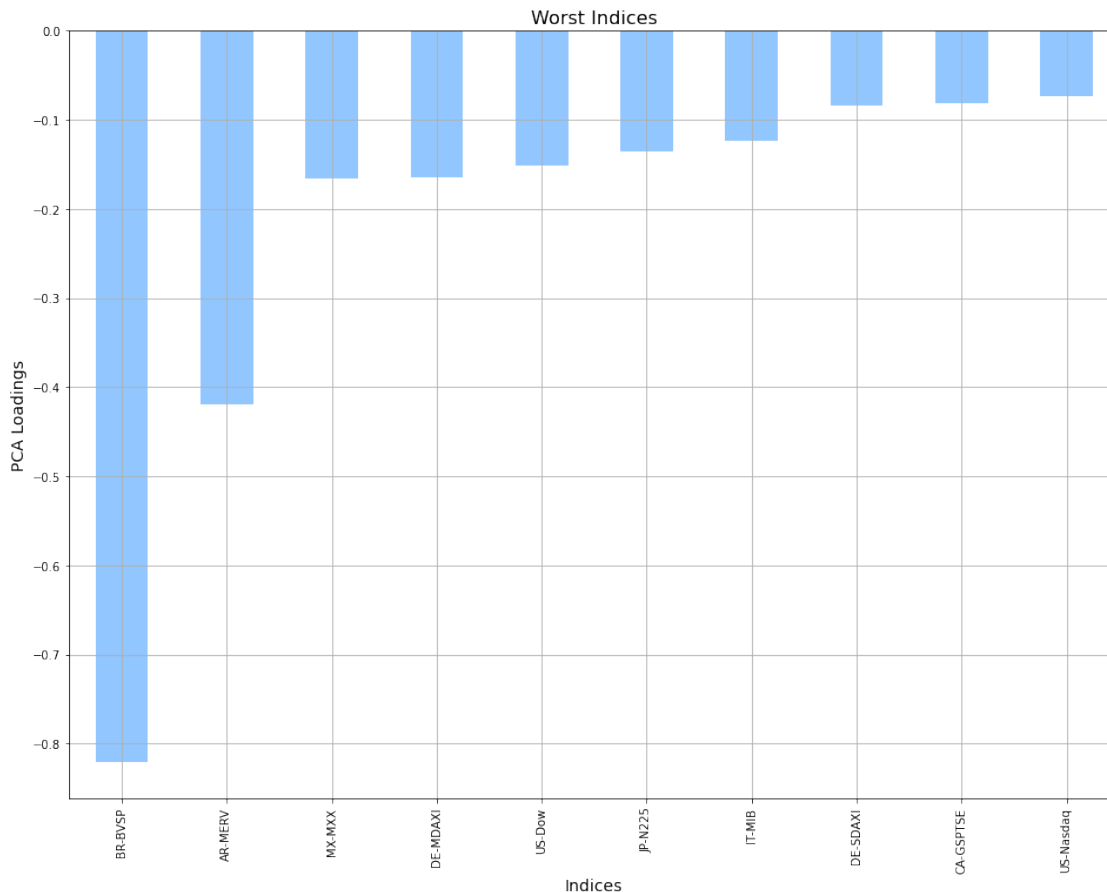


```
In [8]: pca_dr = PCA(1).fit(daily_return1)
        daily_return_factors = pd.Series(index=daily_return1.columns, data=pca_dr.components_[0])
```

```

daily_return_factors.nsmallest(10).plot.bar()
plt.title('Worst Indices', fontsize=16)
plt.xlabel('Indices', fontsize=14)
plt.ylabel('PCA Loadings', fontsize = 14)
plt.savefig('Best Indices.png', dpi=300)

```



## 5 Measuring Impact with Regressions

### 5.1 K-means Clustering

It is my intention to extract new insights and sources of new question. I thus implemented another machine learning algorithm, K-means Clustering, to cluster a range of countries. Simply put, K-Means Clustering is an algorithm to cluster data points by making smallest distances between data points. As a result, we are able to see how each data shares **similarity** with others. Because the experiment is based on the country-based comparison, it is a great tool to visualize and simplify our intuition.

```

In [9]: pca_covid = PCA(2).fit(daily_confirmed1)
        daily_confirmed1 = daily_confirmed1.diff(1)[1:]

```

```

daily_confirmed_factors = pd.Series(index=daily_confirmed1.columns, data=pca_covid.com

df1 = pd.DataFrame(daily_return_factors)
df2 = pd.DataFrame(daily_confirmed_factors)

df_list = []

df1_temp = df1.T
df2_temp = df2.T

for index in df1_temp:
    nation = index.split("-")[0]
    indice = index.split("-")[1]
    factor_return = df1_temp[index]
    try:
        factor_input = df2_temp[nation]
    except:
        factor_input = df2_temp['FR'] + df2_temp['DE'] / 2

    df_list.append(
        [nation,
         indice,
         index,
         factor_input.values[0],
         factor_return.values[0]
        ]
    )

df = pd.DataFrame(
    df_list,
    columns=["Country", "Index", "Full-Name", "Confirmed", "Return"]
)

index = df.iloc[:,1].values.tolist()
df_default = df
df = df[['Confirmed', 'Return']]
df.index = index

kmeans_kwargs = {
    "init": "random",
    "n_init": 10,
    "max_iter": 300,
    "random_state": 42
}

sse = []

kmeans = KMeans(

```



```

        init="random",
        n_clusters=3,
        n_init=100,
        max_iter=300,
        random_state=42
    )

    kmeans.fit(df)

    print("The lowest SSE:", kmeans.inertia_)
    print("Final Centroids:", kmeans.cluster_centers_)
    print("Number of Iterations Required:", kmeans.n_iter_)

    a = df[kmeans.labels_== 0]
    b = df[kmeans.labels_== 1]
    c = df[kmeans.labels_== 2]

    a = a.index.values.tolist()
    b = b.index.values.tolist()
    c = c.index.values.tolist()

    groups = pd.DataFrame([a, b, c], index=['Group A', 'Group B', 'Group C'])
    groups = groups.T

```

```

The lowest SSE: 0.43867003721274683
Final Centroids: [[-0.05606432 -0.05434758]
                  [-0.35523704 -0.03186833]
                  [-0.14895533 -0.61949229]]
Number of Iterations Required: 3

```

### 5.1.1 Scatterplot

Another way to gain intuitive understanding is using scatterplot. I here visualize to complement K-means cluster technique performed above.

```

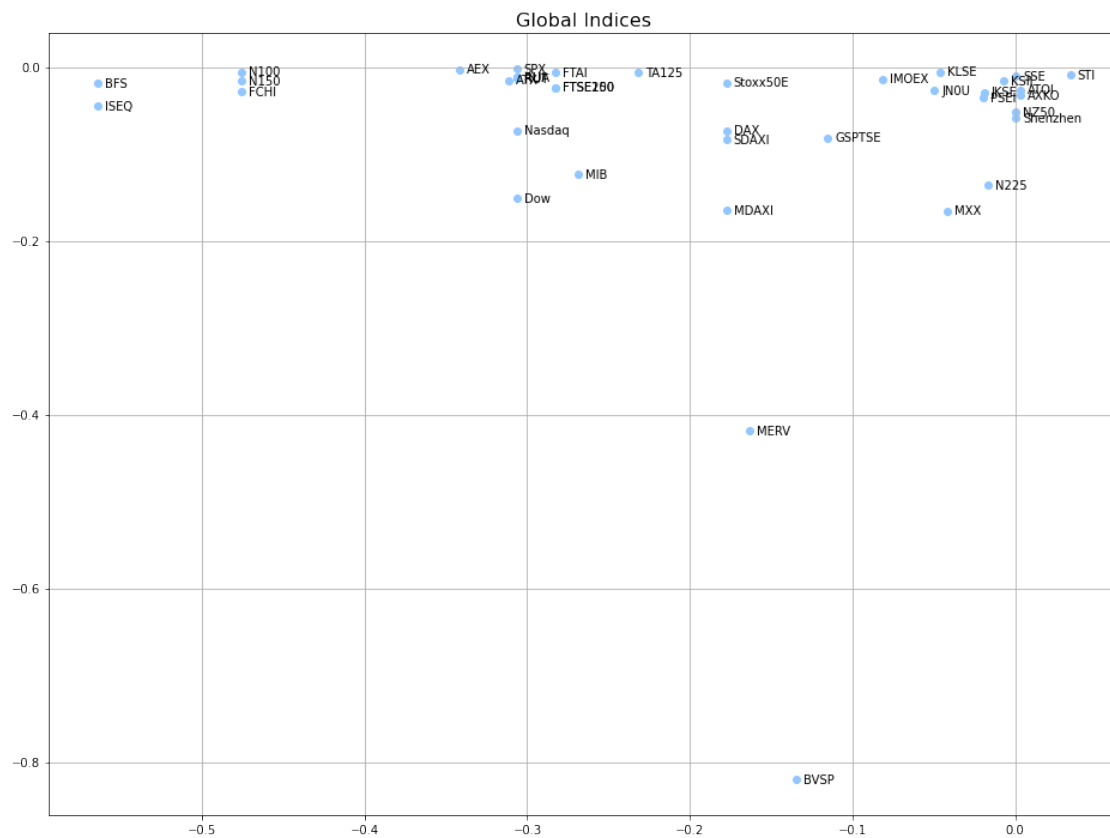
In [10]: fig = plt.scatter(df[['Confirmed']].values, df[['Return']].values)

        labels = df.index.tolist()

        for x_pos, y_pos, label in zip(df[['Confirmed']].values, df[['Return']].values, labels):
            plt.annotate(label,
                          xy = (x_pos, y_pos),
                          xytext=(6,0),
                          textcoords='offset points',
                          ha='left',
                          va='center'
            )

```

```
plt.title("Global Indices", fontsize = 16)
plt.savefig('Scatterplot.png', dpi=300)
```



## 5.1.2 Three Groups

In [11]: groups

```
Out[11]:
```

	Group A	Group B	Group C
0	N225	Dow	MERV
1	SSE	Nasdaq	BVSP
2	Shenzhen	FTSE100	None
3	DAX	FTSE250	None
4	JKSE	FTAI	None
5	PSEI	FCHI	None
6	AXKO	RUI	None
7	KSII	RUT	None
8	NZ50	RUA	None
9	GSPTSE	N100	None
10	IMOEX	N150	None
11	JNOU	BFS	None

12	STI	TA125	None
13	ATOI	SPX	None
14	MXX	AEX	None
15	Stoxx50E	MIB	None
16	MDAXI	ATX	None
17	SDAXI	ISEQ	None
18	KLSE	None	None

## 5.2 Generalized Linear Model

Finally, I use generalized linear model, which is to have statistical regression to confirm correlation between spread of Coronavirus and trend of performance of market indices.

```
In [13]: import statsmodels.formula.api as smf
```

```
GLSAR = smf.glm(
    data=df,
    formula='Return~Confirmed'
).fit()
```

```
GLSAR.summary()
```

```
Out[13]: <class 'statsmodels.iolib.summary.Summary'>
```

```
"""
                                Generalized Linear Model Regression Results
=====
Dep. Variable:                  Return    No. Observations:                  39
Model:                          GLM      Df Residuals:                      37
Model Family:                   Gaussian  Df Model:                          1
Link Function:                  identity   Scale:                             0.021119
Method:                         IRLS     Log-Likelihood:                    20.911
Date:                           Sun, 30 May 2021    Deviance:                          0.78139
Time:                           10:30:26    Pearson chi2:                       0.781
No. Iterations:                  3
Covariance Type:                nonrobust
=====
               coef      std err          z      P>|z|      [0.025      0.975]
-----
Intercept    -0.0928      0.036     -2.580     0.010     -0.163     -0.022
Confirmed    -0.0996      0.138     -0.723     0.470     -0.370     0.170
=====
"""
```

## 6 Conclusion

To sum up, it appears that machine learning algorithms prove that Coronavirus-19 is not the appropriate factor to generalize the fluctuation in the stock market. There are a number of factors that provide some insights; **(1) strong monetary policy and fiscal policy globally done in 2020,**

(2) the gap between real variables and nominal variables in macroeconomy, and (3) sudden euphoria arose from sudden increase in asset price from massive money supply.

## 7 Bibliography

[1] Kritzman, Mark and Li, Yuanzhen and Page, Sebastien and Rigobon, Roberto, Principal Components as a Measure of Systemic Risk (June 30, 2010). MIT Sloan Research Paper No. 4785-10, <https://doi.org/10.3905/jpm.2011.37.4.112>, Available at SSRN: <https://ssrn.com/abstract=1633027> or <http://dx.doi.org/10.2139/ssrn.1633027>