```
% Part 2
 u = @(n) 1.0 .* (n >= 0) .* (mod(n, 1) == 0);
 k = 1 + i . / 12;
 y_m = @(n,m,k) (k .^ (n+1-m) - 1) .* u(n-m);
 i = [0.005, 0.06, 0.105];
 m = 12 * 48;
C = zeros(3,1);
 P = zeros(3,1);
 y = zeros(3,2);
 fn_y = @(n,i,C,D) (12 * C / i) .* (1 + i/12).^(n+1);
 for v = 1:1:3
                      % Figure out monthly payments
                       C(v) = i(v) .* 15E6 ./ (12 .* (y_m(m,0,k(v)) - y_m(m,120,k(v)) + 2.*y_m(m,120,k(v)) - 2.*y_m(m,240,k(v)) + 3.*y_m(m,240,k(v)) - 3.*y_
                       +4.*y_m(m,360,k(v)) -4.*y_m(m,480,k(v)) +5.*y_m(m,480,k(v)) -5.*y_m(m,576,k(v)));
                      % Check that these payments make sense recursively
                      y_t = zeros(m+1,1);
                       P_t = zeros(m+1,1);
                       for 1 = 0:1:(m-1)
                                            y(v,1) = (1+i(v)/12) * y(v,1) + C(v)*((u(1)-u(1-120)) + 2*(u(1-120)-u(1-240)) + 3*(u(1-240)-u(1-360)) + 4*(u(1-360)-u(1-480)) + 5*(u(1-240)-u(1-360)) + 0*(u(1-240)-u(1-360)) + 0*(u(1-360)-u(1-360)) + 0*(u(1-360)-u(1-360)-u(1-360)) + 0*(u(1-360)-u(1-360)-u(1-360)) + 0*(u(1-360)-u(1-360)-u(1-360)) + 0*(u(1-360)-u(1-360)-u(1-360)) + 0*(u(1-360)-u(1-360)-u(1-360)) + 0*(u(1-360)-u(1-360)-u(1-360)-u(1-360)) + 0*(u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(1-360)-u(
                                             y_t(1+1) = y(v,1);
                                             P_{-}t(1+1) = C(v) \cdot *((u(1)-u(1-120)) + 2.*(u(1-120)-u(1-240)) + 3.*(u(1-240)-u(1-360)) + 4.*(u(1-360)-u(1-480)) + 5.*(u(1-480)-u(1-560)) + 4.*(u(1-360)-u(1-480)) + 5.*(u(1-480)-u(1-560)) + 4.*(u(1-360)-u(1-560)) + 4.*(u(1-360)-u(1-560)-u(1-560)) + 4.*(u(1-360)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560)-u(1-560
                       end
                     y(v,1) = (1+i(v)/12) * y(v,1);
                      y_t(m+1) = y(v,1);
                      P_t(m+1) = P_t(m);
                      % Check that our solution matches
                     y(v,2) = (12 .* C(v) .* (y_m(m,0,k(v)) - y_m(m,120,k(v)) + 2.*y_m(m,120,k(v)) - 2.*y_m(m,240,k(v)) + 3.*y_m(m,240,k(v)) - 3.*y_m(m,360,k(v)) + 3.*y_m(m,240,k(v)) + 3.*y_m(m,24
                                                              + 5.*y_m(m,480,k(v)) - 5.*y_m(m,576,k(v)))) ./ i(v);
                      % Calculate principle
                      P(v) = 12 * C(v) * (10 * (1 + 2 + 3 + 4) + 8 * 5);
                     % Plot the value of the retirement account as a function of month over the investment interval.
                       n = 0:1:m;
                       subplot(2,2,v);
                      plot(n, y_t, '-', n, P_t, '--', 'color', [0,0,0], 'linewidth', 1);
                      ylim([0 1.5E7]);
                       xlabel('Months');
                       %ylabel("Value of Account");
                       title("APY of " + string(i(v)*100)+"% over 48 years");
                       grid on;
                      legend('Value of Account', 'Principle Invested', 'Location', 'northwest');
 end
```







```
1.0e+03 *
     8.1603
     2.3103
     0.5737
C_s = strings(3,1);
for i=1:3
    C_s(i) = num2bank(C(i));
end
C_s
 C_s = 3×1 string array
     "8,160.3"
     "2,310.26"
     "573.69"
у
    1.0e+07 *
     1.5000 1.5000
     1.5000 1.5000
1.5000 1.5000
Р
 P =
    1.0e+07 *
     1.3709
     0.3881
     0.0964
P_s = strings(3,1);
for i=1:3
          P_s(i) = num2bank(P(i));
end
P_s
 P_s = 3 \times 1 \text{ string array}
    "13,709,317.1"
     "3,881,251.91"
     "963,814.65"
```