

Suppose the possible outcomes of an experiment are $\frac{1}{15}, \frac{2}{15}, \frac{1}{5}, \frac{4}{15}, \frac{1}{3}$, whose probabilities are $\frac{1}{16}, \frac{1}{16}, \frac{1}{8}, \frac{1}{4}, \frac{1}{2}$, respectively. How many different events have a probability less than $1/2$?

- (a) 15
- (b) 0
- (c) 1
- (d) 2
- (e) 3
- (f) 4
- (g) 8
- (h) 16
- (i) 32
- (j) 7
- (k) 31
- (l) None of these

Suppose an experiment has sample space $S = \{a, b, c\}$. Define the three events $E = \{a, b\}$, $F = \{b, c\}$, and $G = \{a, c\}$. If the probability that event G and event $E \cup F$ both occur is $3/4$, and the probability that EF occurs is twice the probability that FE^cG occurs, then what is the probability the experiment's outcome is c ?

- (a) $1/8$
- (b) $3/8$
- (c) $3/4$
- (d) $1/4$
- (e) $1/2$
- (f) 0
- (g) $5/8$
- (h) $1/3$
- (i) $2/3$
- (j) $7/8$
- (k) $3/16$
- (l) None of these

Suppose E , F , and G are events in a sample space S . If $E - F$ and $G - F$ both occur, but $(E \cup F \cup G)^c$ does not occur, then which of the following events also must occur?

- (a) $E(F \cup G)$
- (b) EFG
- (c) FG
- (d) FG^c
- (e) $F - E$
- (f) E^cFG
- (g) E^cF^cG
- (h) E^cG
- (i) $E^c \cup G^c$
- (j) S^c
- (k) None of these