

# 2D Procedural Map Generation

## With Pascal & SwinGame

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## 1 Procedural Generation

### 1.1 Procedural over Manual

Very broadly speaking, in game development there are two primary ways to generate content for a project. The most common and controllable way is to make each part by hand - in our case we'll be referring to a 2D tile map as our content.

For small maps this isn't a problem; it's very straight-forward to declare each tile as an element of a statically-sized 2D array (we'll go into how this is done later) and just draw those tiles to the screen, perhaps also drawing different sprites on top of each tile for NPC's or the player. But what happens as our map grows in size? As it goes from a  $32 \times 32$  map to a  $256 \times 256$  sized map, or even larger? Even if we've created a system for writing our maps out as text files to be read in, already saving lots of time, this can very quickly become time-consuming. This is a valid way of generating content, in fact the developers on CD Projekt Red's The Witcher 3: Wild Hunt did just that (Klepek 2015), a pretty amazing feat. However, we don't have the resources or manpower of CD Projekt Red, so what's the solution?

#### Procedural Generation algorithms are the solution

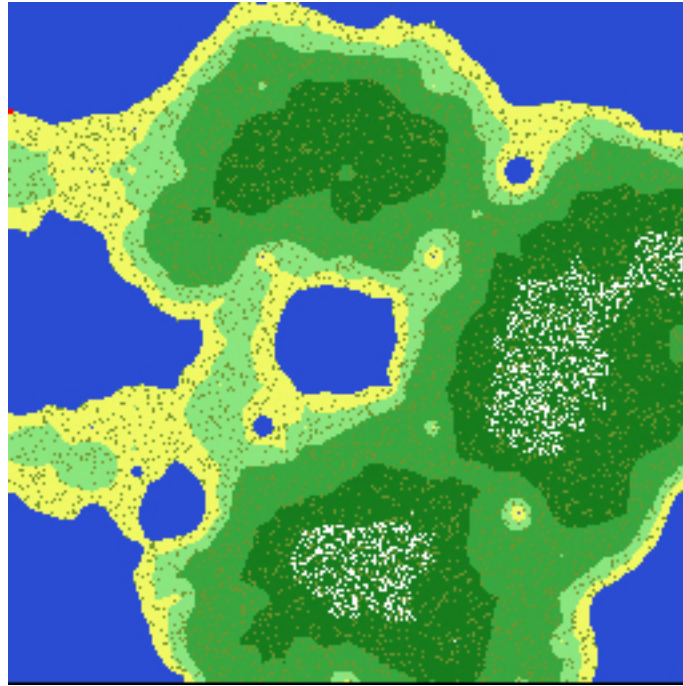
Games such as Minecraft, Dwarf Fortress, and the upcoming No Mans Sky all make use of procedural generation to generate enormous, beautiful, but seemingly random worlds. We say *seemingly* random because, aside from computers only being able to generate *pseudo*-random numbers, these algorithms are designed so that, with the same starting point, it will produce the same result.

**"So then where do we start?"** Good question. Many games, such as in indie title Dwarf Corp. (Klingensmith 2013), begin by simulating tectonic plate activity, erosion, and river formation to carve out their terrain - in a similar process to how terrain forms in the real world (Huggett 2007, pp. 46). However, we're going to go a different route and start by generating a realistic height map, a 2D array of elements that hold a generated elevation value, that we'll use to base the rest of our map off. We will use this starting point to procedurally generate a  $512 \times 512$  sized map that can be navigated by the player. Along the way, we will make heavy use of the SwinGame API to handle all graphics-related functionality and briefly touch on other concepts such as basic collision detection, all of which we will code using Pascal.

### 1.2 Diamonds & Squares

To generate a heightmap, it would be possible to design an algorithm from scratch, however that would take a long time and the result probably wouldn't be very effective, so we're going to borrow a very well-known and academically sound one called **Random Midpoint Displacement** (Fournier, Fussell, and Carpenter 1982), also known as **the Diamond-Square Algorithm**. At its core, the purpose of this algorithm is to generate pseudo-random noise in a desirable pattern, i.e. one that resembles a realistic spread of terrain height values. Each point

of noise is stored in a data structure (in our case, a 2D array) and holds a single value - a number representing its elevation. The result is something like this:

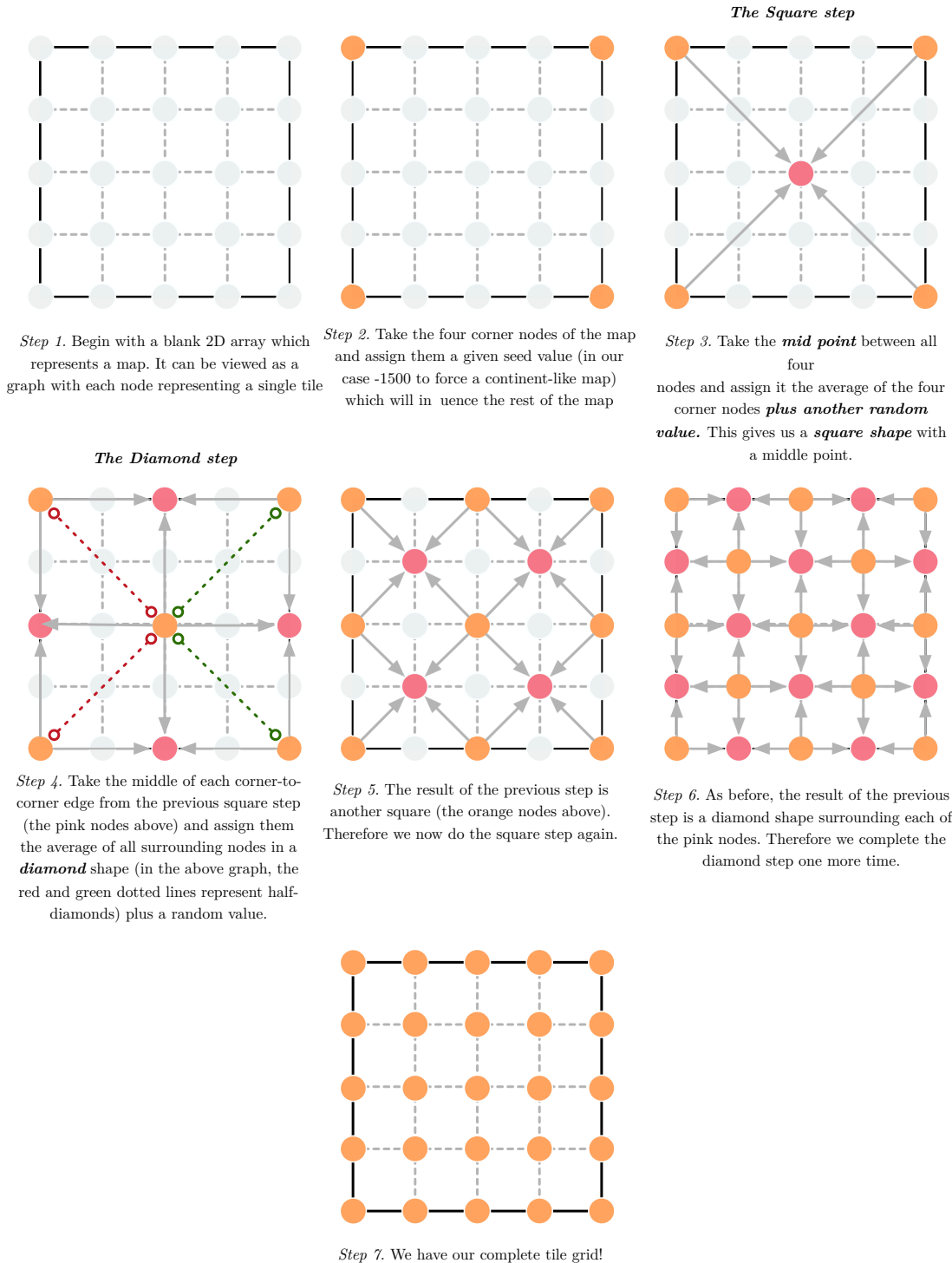


Example 1: A map generated using Diamond-Square

The basic concept behind Diamond-Square can be summed up like so:

- Take an empty grid which must be of size  $2^n+1$  in order to work. Then assign the corners a *seed* value, a number that all other calculations are based off. This means that with the same seed, we should get the exact same result.
- **The Square Step** - Take the grid's four corners, average their total, find their mid point and assign that point the average plus a random value.
- **The Diamond Step** - Given the previous step, we now have a diamond shape surrounding a new mid point. Take the average of all points in the diamond and assign the new midpoint that value plus a random amount.
- Use a **nextStep** variable to determine the next point to calculate.
- Iterate until **nextStep** is smaller than zero.

This process can be best visualized using graphs, seen in the example pictured below.



Example 2: Summary of the Diamond-Square algorithm

Using this algorithm, we now have the ability to generate a starting point. However, before starting on an implementation, as with all software development, it's a good idea to define the requirements for our program - what functions, procedures, data structures, and features do we want to include?

We'll need the following data structures, functions, and procedures:

- First, we will define the data structures that will be required by our program. We're going to first need a **Tile record** to hold data related to each tile in the map such as if it's collidable, the bitmap that should be drawn for it, it's type, and elevation. We'll also need a **MapData record** to contain our tile grid, the players sprite and location data, and its size.
- Very importantly, we'll also need our terrain generation procedures - **DiamondSquare()** & **GenerateTerrain()**. **DiamondSquare()** will be responsible for creating a new heightmap for a passed-in **MapData()** record, whereas **GenerateTerrain()** will be responsible for deciding how each tile should be rendered based off the heightmap, alongside generating trees on the passed-in **MapData()** record.
- Now that our terrain generation functions and structures are defined, we'll also need a **CreateMap()** function to call both of the above procedures and then to search for an appropriate place on the map to spawn the player.
- Finally, we'll need both a **HandleInput()** procedure and a **DrawMap()** procedure to move the player around while detecting collision tiles and to draw the tile grid to the screen respectively.

There will also be several functions and resources referenced later on that we won't be building as they aren't directly related to procedural generation and are just utilities for allowing our map to render properly. This code sits in the **MapUtils.pas** file and can be downloaded from [github](#), as part of the source for the finished project, alongside the bitmap resources we'll be using (if you don't have git installed just click the 'clone or download' link and download as a zip file). These extra files are important for loading bitmaps, updating the camera position relative to the edge of the map, and drawing a map overview to the screen.

## 2 Coding Terrain Generation

### 2.1 Setting Up

**We need to implement Diamond-Square before we can do any other terrain generation.** First, download and install the [latest version of FPC](#) (Free Pascal Compiler) and a Pascal SwinGame template from the [SwinGame Website](#). Once this is complete, copy your downloaded SwinGame template to wherever you normally store your code (on my Mac it sits in `/Users/Jacob/Dev/Repos/` - all our coding will take place in the `/src/` folder and whenever you need to build and run the game, type the command `./build.sh && ./run.sh` (drop the `./` on Windows machines). Rename the **GameMain.pas** file to something a bit more descriptive, such as **ProceduralGeneration.pas** and open it up in your favourite text editor.

The first thing we need to do is to replace the code in the stock **Main()** procedure with the following:

```
procedure Main();
var
  map: MapData;
begin
  DiamondSquare(map, 100, 20);
  PrintMapToConsole(map);
end;
```

Before we render anything to a graphics window, we should first implement our algorithm and ensure that it functions correctly by printing it to the console, both procedures that will be called from **Main()**. We've also declared a new **MapData** variable which we'll be creating soon.

Next, create a new file in the `/src/` directory called **Terrain.pas**, open it up and write a new Unit file skeleton:

```

unit Terrain;

interface
  uses SwinGame;

  type
    // Valid tile types for building maps with. Used as a terrain flag for
    ↪ different logic.
    TileType = (Water, Sand, Dirt, Grass, MediumGrass, HighGrass, SnowyGrass,
    ↪ Mountain);

    // Represents a feature on top of a tile that can have a bitmap, collision,
    ↪ and be interactive
    FeatureType = (NoFeature, Tree);

    // Represents a tile on the map - has a terrain flag, elevation and bitmap
    Tile = record
      flag: TileType; // Terrain type
      feature: FeatureType; // Type of feature if any
      collidable: Boolean; // Tile uses collision detection
      elevation: Integer; // The tiles elevation - zero represents sealevel.
      bmp: Bitmap; // Tiles base bitmap
      featureBmp: Bitmap; // If has feature, its bitmap
      hasBmp: Boolean;
    end;

    // Array used to hold a tilemap
    TileGrid = array of array of Tile;

    // Main representation of the current map. Holds a tile grid, alongside data
    ↪ related to size, smoothness, seed values.
    MapData = record
      tiles: TileGrid; // All of the tiles on a map
      player: Sprite;
      playerX, playerY: Integer; // Tile-based coordinates
      size, seed, tileSize, playerIndicator: Integer; // Map settings
    end;

    // Fills a MapData's TileGrid with generated heightmap data using the
    ↪ Diamond-Square fractal generation algorithm
    // This heightmap data gets used later on to generate terrain realistically
    procedure DiamondSquare(var map: MapData; maxHeight, smoothness: Integer);

```

```

    // Uses elevation values generated by DiamondSquare to assign appropriate
    ↪ bitmaps and randomly generate trees
    procedure GenerateTerrain(var map: MapData);

implementation

    procedure DiamondSquare(var map: MapData; maxHeight, smoothness: Integer);
    begin
        //code
    end;

    procedure GenerateTerrain(var map: MapData);
    begin
        //code
    end;

end.

```

That's a lot of code, so let's step through it.

```

unit Terrain;

interface
    uses SwinGame;

    type

        //
        //  Valid tile types for building maps with.
        //  Used as a terrain flag for different logic.
        //
        TileType = (Water, Sand, Dirt, Grass, MediumGrass, HighGrass, SnowyGrass,
    ↪ Mountain);

        //
        //  Represents a feature on top of a tile that can have a bitmap,
        //  collision, and be interactive
        //
        FeatureType = (NoFeature, Tree);

```

First, we create a new **unit** file named **Terrain**. A **unit** file has two sections of code:

- The **interface** where all of our types are declared alongside **forward-declared** functions and procedures. This is the part of the **unit** file that other units and the main program will actually see.
- The **implementation** section where we actually define the body of our functions and procedures.

Both of these sections of code can make use of the types, functions, and procedures created in other units through the `uses <UnitName>` syntax.

In the `type` section of the unit, we declare two enumeration types.- `TileType` & `FeatureType`. These will be used by our `GenerateTerrain()` procedure and the `MapUtils.pas` `unit` file to determine how to treat different tiles. Of note is the `FeatureType` enumeration which at the moment can only be a Tree or nothing. Generally speaking, If we only wanted to represent Trees in the game world, we would be better off using a `hasTree Boolean` variable but the reason we've used an enumeration is to future-proof our program; if we wanted to, later on, add logs or rocks to the game we would only need to add a new element to `FeatureType` and alter the terrain generation code.

```

//
// Represents a tile on the map - has a terrain flag,
// elevation and bitmap
//
Tile = record
    // terrain type
    flag: TileType;

    // type of feature if any
    feature: FeatureType;

    // uses collision detection
    collidable: Boolean;

    //
    // Represents the tiles elevation - zero represents sea
    // level.
    //
    elevation: Integer;

    // tiles base bitmap
    bmp: Bitmap;

    hasBmp: Boolean;

    // bitmap for whatever feature is on top of the tiles
    featureBmp: Bitmap;
end;

//
// Array used to hold a tilemap
//
TileGrid = array of array of Tile;

//
// Main representation of the current map. Holds a tile grid, alongside
// data related to size, smoothness, seed values.
//
MapData = record
    tiles: TileGrid;
    player: Sprite;
    playerX, playerY: Integer;
    size, seed, tileSize, playerIndicator: Integer;
end;

```



Here, we declare our most important records and types. The `Tile` **record** is what represents a single element of our tile grid and contains a `TileType` flag, a `FeatureType`, a **Boolean** variable, `collidable` to communicate that the particular tile is subject to collision detection, the `elevation` **Integer** value, its attached base tile `Bitmap` and its feature `Bitmap` (in this case either a `Tree` or an invisible bitmap) to render alongside a `hasBmp` **Boolean** value used to stop our drawing procedures from trying to draw a non-existent bitmap. We've also declared a new **open array of** dynamic `Tile` arrays to function as our tile grid. As 2D arrays are essentially just an array in which each of its elements is just another array of elements of a specified type, we've used the syntax **array of array of** `Tile` to declare this type.

Finally, we declare our `MapData` type. This **record** will hold our tile grid, the players `Sprite` variable (A data type from the `SwinGame` library), the size of the map, the size of each tile, it's seed or starting value, and an indicator used by the `MapUtils.pas` `DrawMapCartography()` **procedure** to locate where the player is relative to the drawn tile map. Important to note is the `playerX` & `playerY` variables as these aren't the players position in pixel coordinates (there will be a total of 275952697344 pixels on the final map, way too large a number to even fit in a **LongWord** type), they are the players current pixel position translated to 2D array index equivalents - these variables will be used to calculate simple collision detection later on. Lastly, we forward declare our two terrain generation procedures.

```
//  
//  Fills a MapData's TileGrid with generated heightmap data  
//  using the Diamond-Square fractal generation algorithm  
//  This heightmap data gets used later on to generate terrain realistically  
//  
procedure DiamondSquare(var map: MapData; maxHeight, smoothness: Integer);  
  
//  
//  Uses elevation values generated by DiamondSquare to assign appropriate  
//  bitmaps and randomly generate trees  
//  
procedure GenerateTerrain(var map: MapData);
```

## 2.2 Implementing Diamond-Square

Moving onto the **implementation** section, we can now build our terrain generation algorithms. Starting with DiamondSquare. The basic pseudocode for the algorithm looks something like this:

---

**Pseudocode 1** The Diamond-Square algorithm

---

```
procedure DIAMONDSQUARE(map, maxHeight, smoothness)
    Initialize the four corners of the map with a seed value
     $nextStep \leftarrow \frac{Length(tileGrid)}{2}$ 
    while nextStep > 0 do
        for all midPoints of each square in the grid do                                ▷ Do square step
            midPoint  $\leftarrow$  Average four corners + (Random(maxHeight)  $\times$  smoothness)
        end for
        for all Diamonds in the map do                                                ▷ We now have diamonds, do diamond step
            for all point in a diamond do
                pointCount  $\leftarrow$  0
                if Within boundaries of the tile grid then
                    midPoint  $\leftarrow$  midPoint + point
                    pointCount  $\leftarrow$  pointCount + 1
                end if
            end for
             $midPoint \leftarrow \frac{midPoint}{pointCount} + (Random(maxHeight) \times smoothness)$ 
        end for
         $nextStep \leftarrow \frac{nextStep}{2}$                                                     ▷ Smaller diamonds and squares
         $smoothness \leftarrow \frac{smoothness}{2}$                                                 ▷ Higher elevations have less radical difference in height
    end while
end procedure
```

---

When broken down like this, the process becomes a lot simpler and we have a good abstraction to reference when implementing the algorithm, so let's start on building it into our source code.

## implementation

```
procedure DiamondSquare(var map: MapData; maxHeight, smoothness: Integer);
var
  x, y: Integer;
  midpointVal: Double;
  nextStep, cornerCount: Integer;
begin
  x := 0;
  y := 0;
  midpointVal := 0;
  nextStep := Round(Length(map.tiles) / 2); // Center of the tile grid

  // Seed upper-left corner extremely low elevation to force it to
  // start with water
  map.tiles[x, y].elevation := -1500;
```

Initially, we declare the `x` & `y` variables to track our iterations through the heightmap generation process, then the `midpointVal` **Double** which we will use to calculate the current midpoint value (average plus a random value) at both the diamond and square steps. The `nextStep` variable is an important one and will control which tile in the grid we're analysing at any given moment and will be made smaller at each iteration until it equals 0, at which point the algorithm is finished. This is set to the centre point of the tile grid and at each iteration will be used to determine the location of a midpoint. Finally, we 'seed' the top-left corner of the map with an elevation of `-1500` to ensure that the map will always have some ocean as its starting point which will help achieve our goal of producing a continent-like map.

```
// Initialize four corners of map with the same value as above
while x < Length(map.tiles) do
begin
  while y < Length(map.tiles) do
  begin
    map.tiles[x, y].elevation := map.tiles[0, 0].elevation;
    y += 2 * nextStep;
  end;

  x += 2 * nextStep;
  y := 0;
end;
```

We then iterate all four corners of the map, stepping the entire length of the map at a time, and assign each corner the same elevation value as the top-left corner. Something that you may notice is that we aren't using the more obvious **for..do** loop to iterate the 2D tile grid. This is due to a quirk that's relatively unique to Pascal and some Pascal-derived languages in that a **for..do** loop can only increment the control variable by 1 at a time, yet we need to increment `2*nextStep` (currently half the size of the map) at each iteration to get to the next corner of the map, therefore we'll be using **while..do** loops.

```

x := 0;
y := 0;

while nextStep > 0 do
begin
    midpointVal := 0;

```

Here begins the core of the generation process, essentially we want to continue to iterate the process into smaller and smaller sizes until `nextStep` is smaller than the size of the tile grid. Inside this loop we start with the **square** step:

```

x := nextStep;
while x < Length(map.tiles) do
begin

    y := nextStep;
    while y < Length(map.tiles) do
    begin

        //
        // Sum surrounding points equidistant from the midpoint
        // in a square shape
        //
        midpointVal := map.tiles[x - nextStep, y - nextStep].elevation
                      + map.tiles[x - nextStep, y + nextStep].elevation
                      + map.tiles[x + nextStep, y - nextStep].elevation
                      + map.tiles[x + nextStep, y + nextStep].elevation;

        // Set midpoint to the average + Random value and multiply by smoothing factor
        map.tiles[x, y].elevation := Round( (midpointVal / 4) + (Random(maxHeight) *
→ smoothness) );
        y += 2 * nextStep;
    end;

    x += 2 * nextStep;
    y := 0;
end;

```

Here, we're scanning the tile grid for squares and their corners of the current iteration size, as in [Example 2, step 5](#). `midpointVal` is assigned the sum of the four corners in a square surrounding the current midpoint, `map.tiles[x, y]`, then we assign the midpoints elevation the average of the points plus a random value with a maximum possible height of our passed-in `maxHeight` variable. Each time we do this part of the step, also seen in the diamond step, we ensure to multiply the random value by the passed-in `smoothness` value to allow the terrain to smooth out as the elevations become higher and the calculated map spaces become smaller. **Very importantly, because we aren't using `for..do` loops, note that we're manually resetting both `x` & `y`, don't forget to do this before each iteration.** Let's move onto the diamond step.

```

// Diamond step. Points in a diamond shape around a given midpoint. Checks if they're within the
↳ bounds of the map
x := 0;
while x < Length(map.tiles) do
begin

    y := nextStep * ( 1 - Round(x / nextStep) mod 2 );
    while y < Length(map.tiles) do
    begin
        midpointVal := 0;
        cornerCount := 0;

        // Sum the surrounding points equidistant from the current midpoint in a diamond shape.
        ↳ Ensures that each point is within the bounds of the map
        if ( y - nextStep >= 0 ) then
        begin
            midpointVal += map.tiles[x, y - nextStep].elevation;
            cornerCount += 1;
        end;
        if ( x + nextStep < Length(map.tiles) ) then
        begin
            midpointVal += map.tiles[x + nextStep, y].elevation;
            cornerCount += 1;
        end;
        if ( y + nextStep < Length(map.tiles) ) then
        begin
            midpointVal += map.tiles[x, y + nextStep].elevation;
            cornerCount += 1;
        end;
        if ( x - nextStep >= 0 ) then
        begin
            midpointVal += map.tiles[x - nextStep, y].elevation;
            cornerCount += 1;
        end;

        // If at least one corner is within the map bounds, calculate average plus a random amount
        ↳ less than the map height.
        if cornerCount > 0 then
        begin
            // Set midpoint to the average of corner amt + Random value and multiply by smoothing
            ↳ factor
            map.tiles[x, y].elevation := Round( (midpointVal / cornerCount) + Random(maxHeight) *
            ↳ smoothness );
            end;

            y += 2 * nextStep;
        end;

        x += nextStep;
    end;
end;

```

**The diamond step is a little more complicated.** The only reason for this is that we need to do a bit more checking to ensure that a given point in the diamond is within the map boundary to avoid both calculation errors and a `EAccessViolation` error for accessing a non-existent memory address.

Once again we have two, nested `while..do` loops. Before entering each inner loop, `y` is assigned a new value which will be equal to the next point in the diamond. Why is this the case? Well, given the formula, where `s = nextStep`:

$$y = s \cdot (1 - \left\lfloor \frac{x}{s} \bmod 2 \right\rfloor) \quad (1)$$

If we were to plug in  $x = 0$  &  $s = 3$  which is where  $x$  will start at the beginning of the diamond step and what `nextStep` will be set to in the first iteration of a  $5 \times 5$  grid, we would get:

$$\begin{aligned} y &= 3 \cdot (1 - \left\lfloor \frac{0}{3} \bmod 2 \right\rfloor) \\ &= 3 \cdot (1 - [0 \bmod 2]) \\ &= 3 \cdot (1 - [0]) \\ &= 3 \end{aligned} \quad (2)$$

`y` is now the right point of the diamond, then, given `x += nextStep` in the next iteration, `x` will now be 3, so if we plug that into the formula again, we get:

$$\begin{aligned} y &= 3 \cdot (1 - \left\lfloor \frac{3}{3} \bmod 2 \right\rfloor) \\ &= 3 \cdot (1 - [1 \bmod 2]) \\ &= 3 \cdot (1 - [1]) \\ &= 3 \cdot 0 \\ &= 0 \end{aligned} \quad (3)$$

So now `y` is set to the top point of the diamond and so on. This simple formula allows us to iterate four points of a diamond without having to resort to using `if` statements.

In the body of the inner loop, we then check each point surrounding the mid-point to see if it's inside the bounds of the map. If it is, we increment `cornerCount` once. Then, after checking all points we assign the mid-point the average of all surrounding points within the bounds of the map plus a random value limited to our `maxHeight` variable multiplied by the current smoothness factor. Finally, we increase the value of `y` in the inner loop by the length of the current diamond to get the lower point and iterate until all diamonds in the current loop are calculated.

```
nextStep := Round(nextStep / 2); // Make the next space smaller

//
// Increase smoothness for every iteration, allowing
// less difference in height the more iterations that are completed
//
smoothness := Round(smoothness / 2);
end;
end;
```

**We're almost done.** At the end of the current diamond-square iteration, we make the size of our diamonds and squares smaller by halving `nextStep` alongside halving `smoothness` so that higher elevations have a less radical difference in height. Changing our smoothness value is what creates a realistic gradient in heights and a more visually pleasing result.

## 2.3 Testing

**The most complex and difficult part is out of the way.** But before we do anything else, we need to test it. If we were to wait until we had all of our drawing, collision, and update functions coded up, we'd be well into finishing our program before we've even made sure the core algorithm behind it even works! To do this, we can go back to our main program file, `ProceduralGeneration.pas`, and implement the `PrintMapToConsole()` and `CreateMap()` procedures/functions we wrote in `Main()`.

```
// Prints all of the elevation data in a tilemap to the console.  
// Don't use for maps larger than 16 x 16 or it will be bigger than the console window  
procedure PrintMapToConsole(constref map: MapData);  
var  
    x, y: Integer;  
begin  
    for x := 0 to High(map.tiles) do  
        begin  
            for y := 0 to High(map.tiles) do  
                begin  
                    Write(map.tiles[x, y].elevation, ' ');  
                end;  
                WriteLn();  
            end;  
        end;  
    end;
```

The code for this function is fairly self-explanatory - we iterate the 2D array and write all y values without appending a newline, then at the end of each x iteration, write a newline to the console to simulate a grid.

```

//
// Initializes a new tile grid and then generates a new map using DiamondSquare().
// The new map can be random or based off a given seed
//
function CreateMap(size: Integer; random: Boolean; seed: Integer = 0): MapData;
var
  i, j: Integer;
begin
  result.tiles := 32;
  result.size := size;
  result.player := CreateSprite('player', BitmapNamed('player')); // We'll use
  ↪ this later

  // Setup seed
  if random then
  begin
    Randomize;
  end
  else
  begin
    RandSeed := seed;
  end;

  // Initialize Tile Grid
  SetGridLength(result.tiles, size);
  // Generate Heightmap
  DiamondSquare(result, 100, 20);
end;

```

`CreateMap()` takes three parameters - a value to determine the map size, a **Boolean** variable to determine if we should generate a random map or one from a pre-determined seed value, We first assign a `tilesize`, `size`, and sprite for our `MapData result` variable. Then, if `random` is true we call the **Randomize procedure** which initializes Pascals internal random number generator with a new, unique seed to base all random generation off. Much like our *seed* value used to base all of our Diamond-Square calculations off, the Pascal **Random()** function, a deterministic *pseudo-random* number generation algorithm, itself requires a seed value, generated by the exact time on the computers system clock down to nanoseconds, to base its calculations off. If `random` is false, we then assign our seed value to the Pascal `RandSeed` variable, which sets **Random()**'s seed value manually. We then call `SetGridLength()` (listed below) to initialize our 2D array and pass our map into `DiamondSquare()` to get assigned a heightmap.



```

// Initializes the 2D map grid with the given size and sets the default
// values for each tile
procedure SetGridLength(var tiles: TileGrid; size: Integer);
var
    column: Integer;
    x, y: Integer;
begin

    // Set all of the column sizes to the right length
    for column := 0 to size do
    begin
        SetLength(tiles, column, size);
    end;

    // Iterate map and setup default values for all tiles
    for x := 0 to High(tiles) do
    begin
        for y := 0 to High(tiles) do
        begin
            // Setup default values
            tiles[x, y].elevation := 0;
            tiles[x, y].collidable := false;
            tiles[x, y].feature := NoFeature;
            tiles[x, y].hasBmp := false;
        end;
    end;
end;

```

Now that we have all of our core procedures and functions defined, we can test out our `DiamondSquare()` **procedure** by calling `CreateMap(9, 100, 20)` from `Main()`; we want to pass in a very small size value to `CreateMap()` otherwise we won't be able to see all of the printed elevation numbers in the console. Note that we're passing in a size of 9 rather than 8; this is because, as previously discussed, `DiamondSquare()` only works for sizes equivalent to  $2^n + 1$ . Run `./build.sh && ./run.sh` in the console from the root project folder and we can see the result:

```
1. Jacob@JacobBook: ~/Uni/intro_to_programming/HD_Report/code (zsh)
X ..D.Report/code (zsh) %1 X ..rogramming/md (zs... %2
/Users/.../HD_Report/code % master % ./build.sh&& ./run.sh
Select the file to compile for your game
1) ./MapUtils.pas 3) ./Terrain.pas
2) ./ProceduralGeneration.pas
File number: 2
-----
Creating code
for Mac OS X
-----
Running script from /Users/Jacob/Uni/intro_to_programming/HD_Report/code
Saving output to ./bin/Debug
Compiler flags -Fu./lib/ -gw -vw -dSWINGAME_SDL2 -k"-lz" -k"-lbz2" -k"-lstdc++" -k"-lm" -k"-lc" -k"-lc++" -k"-lcurl"
-----
... Using SDL2 Driver
... Creating code
... Compiling ./ProceduralGeneration.pas
... Removing old application
... Creating Application Bundle
... Copying Resources into code
Finished
-----
Running Debug Version from ./bin/Debug
-1500 -106 223 597 573 939 606 -218 -1500
-596 -30 212 500 754 634 754 209 -89
-497 113 -84 705 569 944 586 902 63
-80 163 599 356 833 648 1155 910 837
-567 307 41 430 400 953 836 1351 713
90 -128 563 462 1065 828 1164 1025 1263
-340 138 296 1094 1029 866 446 846 866
-451 -338 695 988 928 843 935 409 20
-1500 -272 -27 615 733 980 343 -79 -1500
/Users/.../HD_Report/code % master %
```

Example 3: The heightmap printed to the console

It works! It may look fairly unimpressive now but at least we can verify that our algorithm works and produces pseudo-random values across a nice, smooth gradient. Let's move onto our `GenerateTerrain()` procedure to actually begin implementing a graphical representation of our map.

## 2.4 Generating Terrain and Features

## References

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- Huggett, John (2007). *Fundamentals of Geomorphology*. Ed. by John Huggett. 2nd Edition. London: Routledge, p. 46.
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- Klingensmith, Matt (2013). *How we Generate Terrain in DwarfCorp*. URL: [http://www.gamasutra.com/blogs/MattKlingensmith/20130811/198049/How\\_we\\_Generate\\_Terrain\\_in\\_DwarfCorp.php](http://www.gamasutra.com/blogs/MattKlingensmith/20130811/198049/How_we_Generate_Terrain_in_DwarfCorp.php) (visited on 08/11/2013).