



# *Fishing Robot*

Team 13

- Alysa Kataoka, Cheryl Lee, Harry Sandstrom,  
Jacob Sayono, Jingran Meng, Jinyoung Kim

# *Presentation Overview*

1. Introduction
2. Design
3. CAD
4. Physical Parts
5. Forward Kinematics
6. Inverse Kinematics
7. Control
8. Future Work

# Introduction



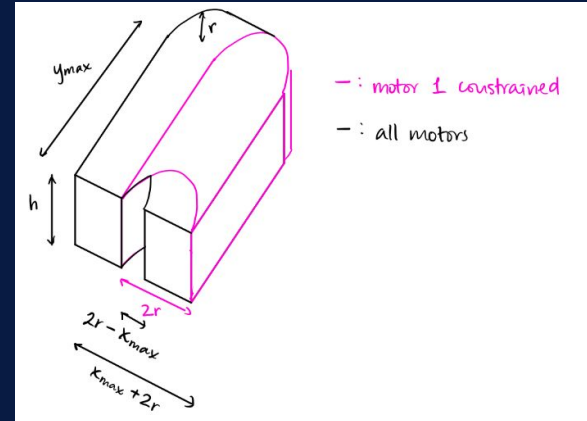
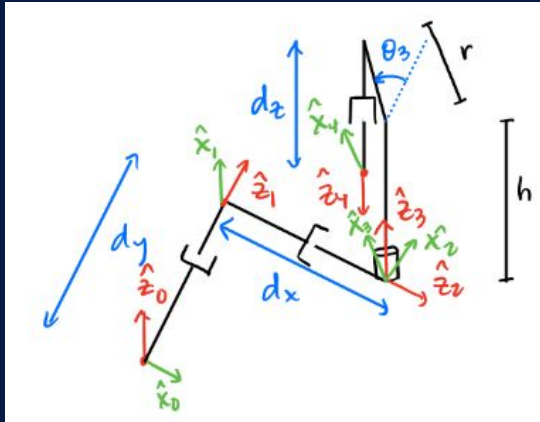
# Design

Purpose: Get target located in 3D space using magnetic end effector

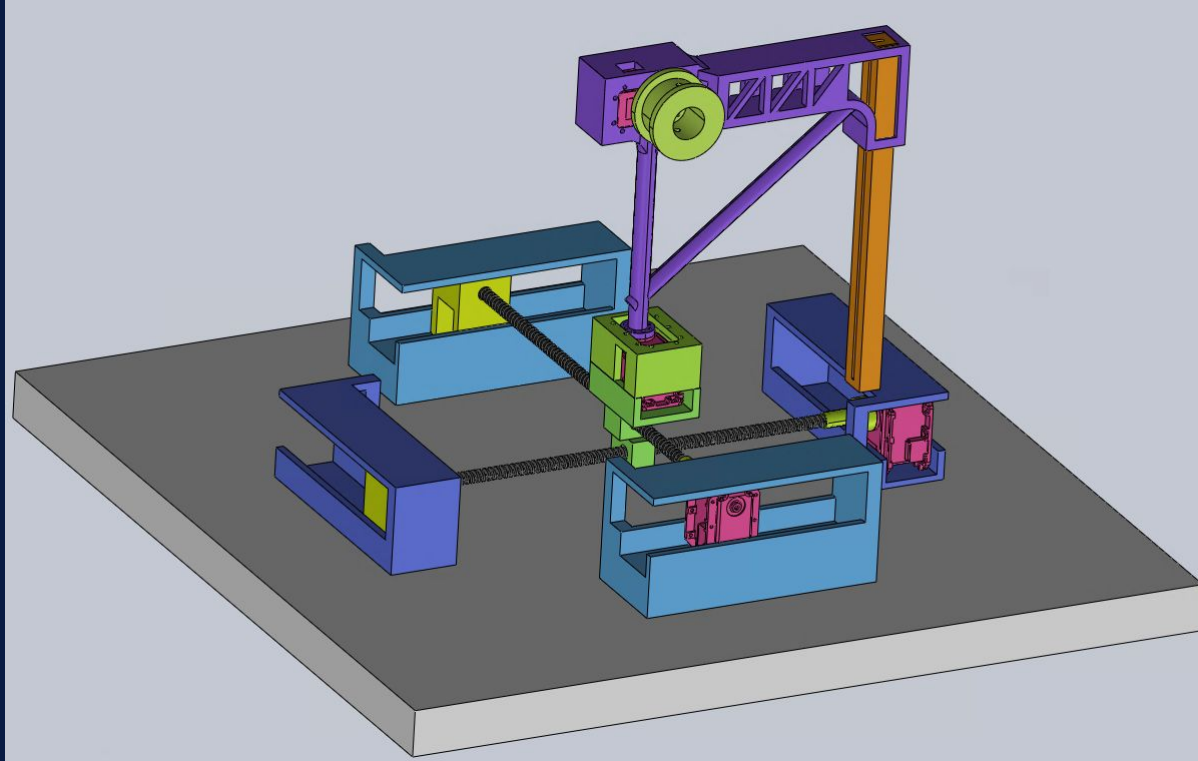
Model DOF: 4 (PPRP)

Goal DOF: 3 (x, y, z)

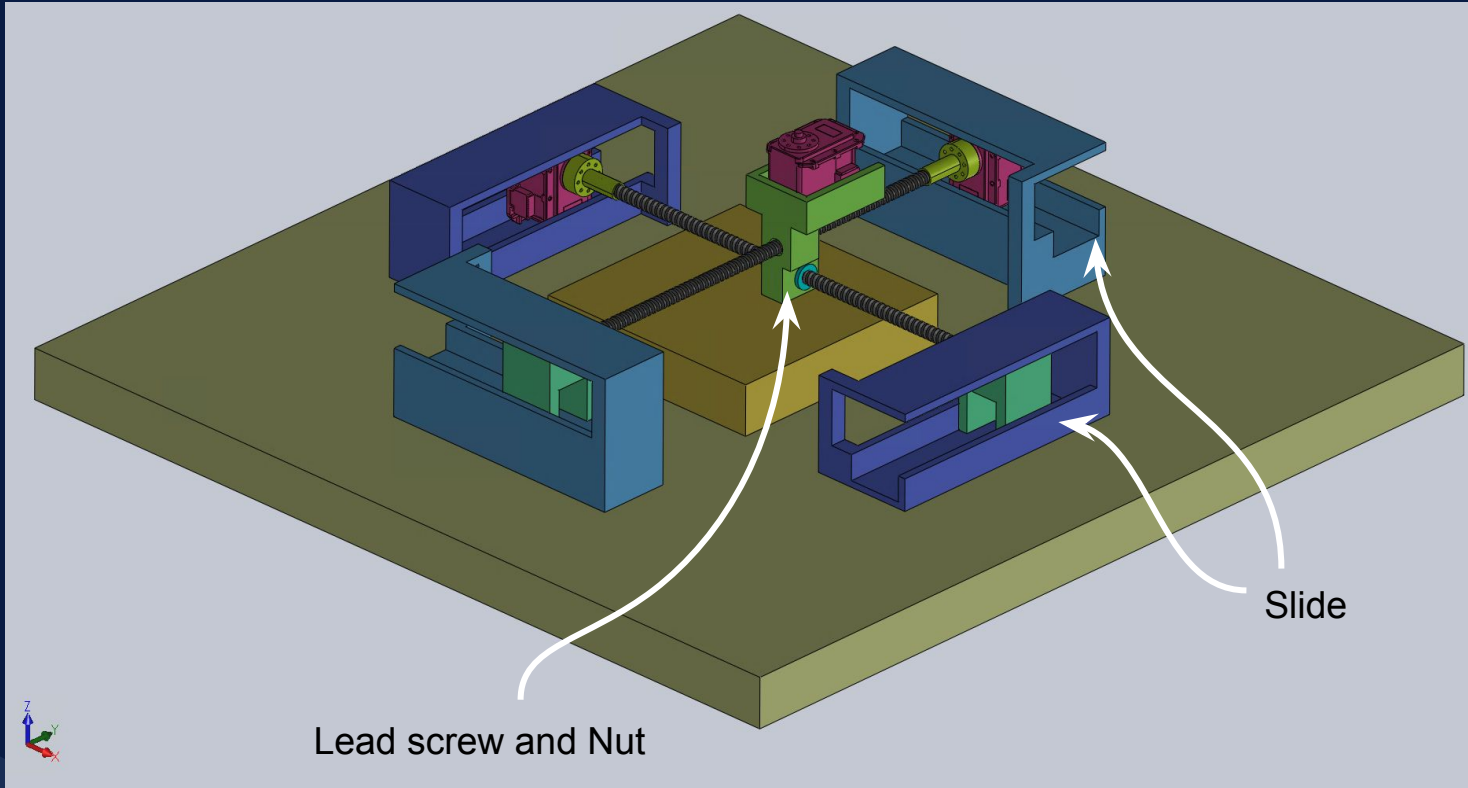
Extra DOF to reach  
additional space



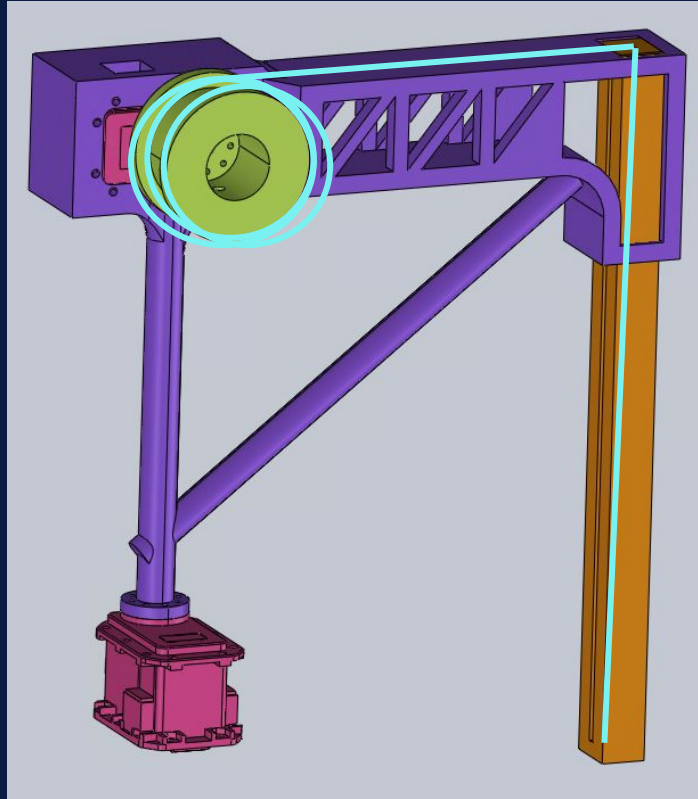
# Full CAD



# CAD Part 1 (2 Prismatic)

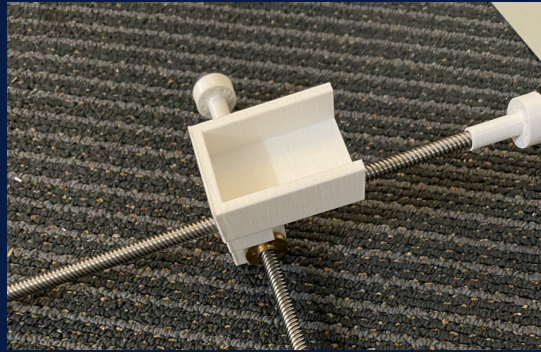


# *CAD Part 2 (1 Rotational + 1 Prismatic)*



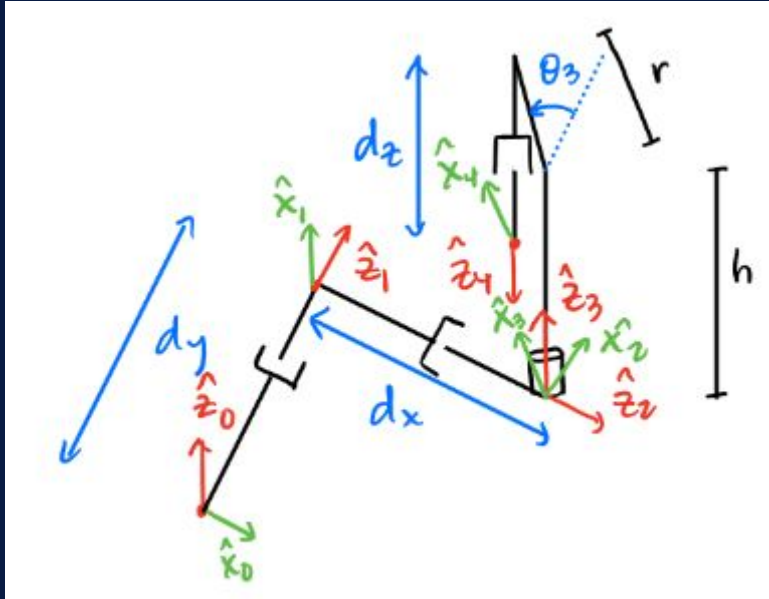


# Physical Parts





# Forward Kinematics - DH Parameters



$i$	$a_{i-1}$	$\alpha_{i-1}$	$d_i$	$\theta_i$
1	0	$-90^\circ$	$d_y$	$-90^\circ$
2	0	$-90^\circ$	$d_x$	$-90^\circ$
3	0	$-90^\circ$	0	$\theta_3$
4	$r$	$180^\circ$	$h - d_z$	0

# Forward Kinematics

$${}^0_1T = \begin{bmatrix} 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & d_y \\ 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$
$${}^1_2T = \begin{bmatrix} 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & d_x \\ 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

$${}^2_3T = \begin{bmatrix} \cos(\theta_3) & -\sin(\theta_3) & 0 & 0 \\ 0 & 0 & 1 & 0 \\ -\sin(\theta_3) & -\cos(\theta_3) & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$
$${}^3_4T = \begin{bmatrix} 1 & 0 & 0 & r \\ 0 & -1 & 0 & 0 \\ 0 & 0 & -1 & d_z - h \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

# Forward Kinematics

$${}^0_4T = \begin{bmatrix} -\sin(\theta_3) & \cos(\theta_3) & 0 & d_x - r \sin(\theta_3) \\ \cos(\theta_3) & \sin(\theta_3) & 0 & d_y + r \cos(\theta_3) \\ 0 & 0 & -1 & d_z - h \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

# Inverse Kinematics

$$d_x = \begin{cases} p_x - r & \text{if } p_x > 0 \\ p_x + r & \text{if } p_x < 0 \end{cases}$$

$$\theta_3 = \sin^{-1} \left( \frac{d_x - p_x}{r} \right)$$

$$d_y = \begin{cases} p_y - r & \text{if } \theta_3 = 0 \\ p_y - \frac{d_x - p_x}{\tan(\theta_3)} & \text{otherwise} \end{cases}$$

$$d_z = p_z - h$$

2 Cases:

**Case 1:** If distance from end effector to target is less than range limit,  $r$ , constrain  $dx = 0$

**Case 2:** If distance from end effector to target is more than range limit,  $r$ , then include  $dx$  equation

# Control



## Prismatic Joints:

Motors 1, 2, & 4  
(extended wheel mode)



## Revolute Joints:

Motor 3  
(wheel mode)



## Motor Control:

MATLAB



Show demo! :D

# Future Work

01

Finish physical assembly of printed parts with the motors

02

Conversions from prismatic distance to number of revolutions (rod pitch)

03

Velocity control (slow down to prevent jerkiness)

04

Creating simulation using MATLAB



*Thank you!*