# Meta-CY Quantum Computing: Spectral Graphs on Calabi-Yau Manifolds

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### 1. Central Idea

This work introduces a computational framework in which information carriers are defined not only as qubits or qudits but as wavefunctions on Calabi–Yau (CY) manifolds. The approach combines CY geometry with spectral graph theory.

#### 1.1 CYbit

For a Calabi–Yau manifold M of complex dimension k, a CYbit is defined as

$$\psi \in L^2(M, \mathbb{C}^d), \tag{1}$$

with d being the local dimension (qudit-like).

# 1.2 CY Graphs

A system of CYbits can be represented by a graph G = (V, E) embedded in M. Edge weights are determined by distances and topological cycles:

$$w_{ij} = f(\operatorname{dist}_{M}(p_i, p_j), \operatorname{Top}(M)). \tag{2}$$

# 1.3 Spectral Laplacian

The Laplacian on such a graph encodes both metric and topological properties of M. Eigenvalues and eigenvectors define possible energy states and transitions.

#### 2. Motivation

- Classical computers: bounded by  $10^{12}$  ops/s.
- Quantum computers:  $2^n$  states from qubits.
- Qudits:  $d^n$  states with d > 2.
- CYbits: exponential extension via CY structure.

### 3. Formal Structure

• Hilbert space:  $L^2(M, \mathbb{C}^d)$ .

• Graph representation: adjacency operator A.

• Hamiltonian:

$$H = -\Delta_{CY} + V + H_{int}$$

where  $\Delta_{CY}$  is the Laplacian on CY.

# 4. Scaling Potential

System	Local dimension	n = 10  sites
Qubits (2D)	2	$2^{10} \sim 10^3$
Qudits $(d = 10)$	10	$10^{10}$
CY-3D $(m = 10)$	$10^{3}$	$10^{30}$
CY-6D $(m = 10)$	$10^{6}$	$10^{60}$

# 5. Research Roadmap

1. Theoretical definitions: CYbits, CYlinks, Laplacians.

2. Mathematics: mirror symmetry, invariants, topology of CY.

3. Simulations: spectral numerics for torus  $T^2$ ,  $T^3$ .

4. Experimental: prototypes with d = 3 - 5 photonic or ion states.

5. Long-term: scalable CY quantum computation.

# 6. Conclusion

This proposal formulates a new paradigm of quantum information: *Meta-CY Quantum Computing*. It unites CY geometry, topology, and spectral graphs to vastly extend computational capacity.