

## Asset Swap Spread

- ✓ To build a schedule, always consider settlement date as starting point
 

```
% Set the holidays
holidays=['21/03/2008';'24/03/2008';...;'01/01/2011'];
holidays=datetime(holidays,'InputFormat','dd/MM/yyyy');
schedule=datetime(settle,'ConvertFrom','datetime') +
    calmonths(3:3:36);
schedule=busdate(schedule-1,"follow",holidays);
```
- ✓ Asset swap spread is a credit risk measure in cash bond markets:

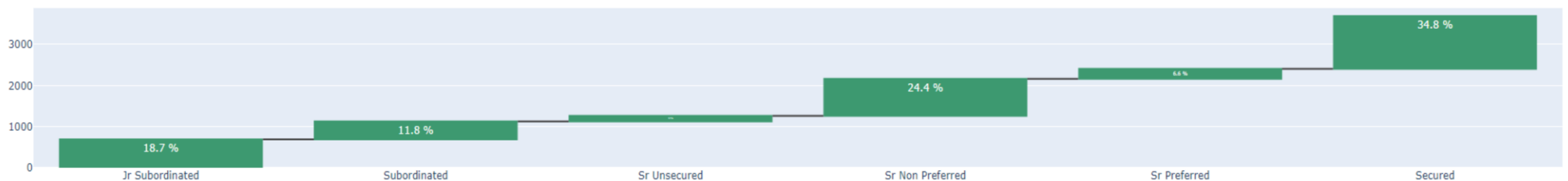
*Fixed Income Risk ~ Interest Rate Risk + Credit Risk*

## Asset Swap Spread: Banks Balance Sheet in a Nutshell

ASSETS	LIABILITIES
Liquid Assets	Stakeholders
Cash / Reserves	Clients Deposits
Bonds (Governments, corporates)	Bonds by Payment Rank
Interbank Claims / Derivatives	Interbank funding
Loans & Mortgages	Shareholders Equity
~ EURIBOR + SPREAD	

How can you match fixed rate liabilities (client deposits and bond issuances) with lending assets as loans and mortgages euribor-indexed?

INTESA SANPAOLO Amount Outstanding [MM]



	#	outstanding [MM]	outstanding %	ttm	ytm	asw
payment_rank						
Jr Subordinated	13	691	18.7 %	4.6	6.66	334
Subordinated	33	435	11.8 %	2.9	5.66	200
Sr Unsecured	77	138	3.7 %	3.7	5.03	137
Sr Non Preferred	11	899	24.4 %	7.3	4.89	143
Sr Preferred	227	245	6.6 %	4.0	4.59	171
Secured	49	1,282	34.8 %	6.1	4.38	66
<b>TOTAL</b>	<b>410</b>	<b>3,689</b>	<b>100.0 %</b>	<b>5.5</b>	<b>5.12</b>	<b>160</b>

As of 18<sup>th</sup> March 2024, let us consider Intesa Sanpaolo SpA issuances, ranked by payment seniority in case of default: from most risky as subordinated, up to secured ones (i.e. by mortgages as covered bonds).

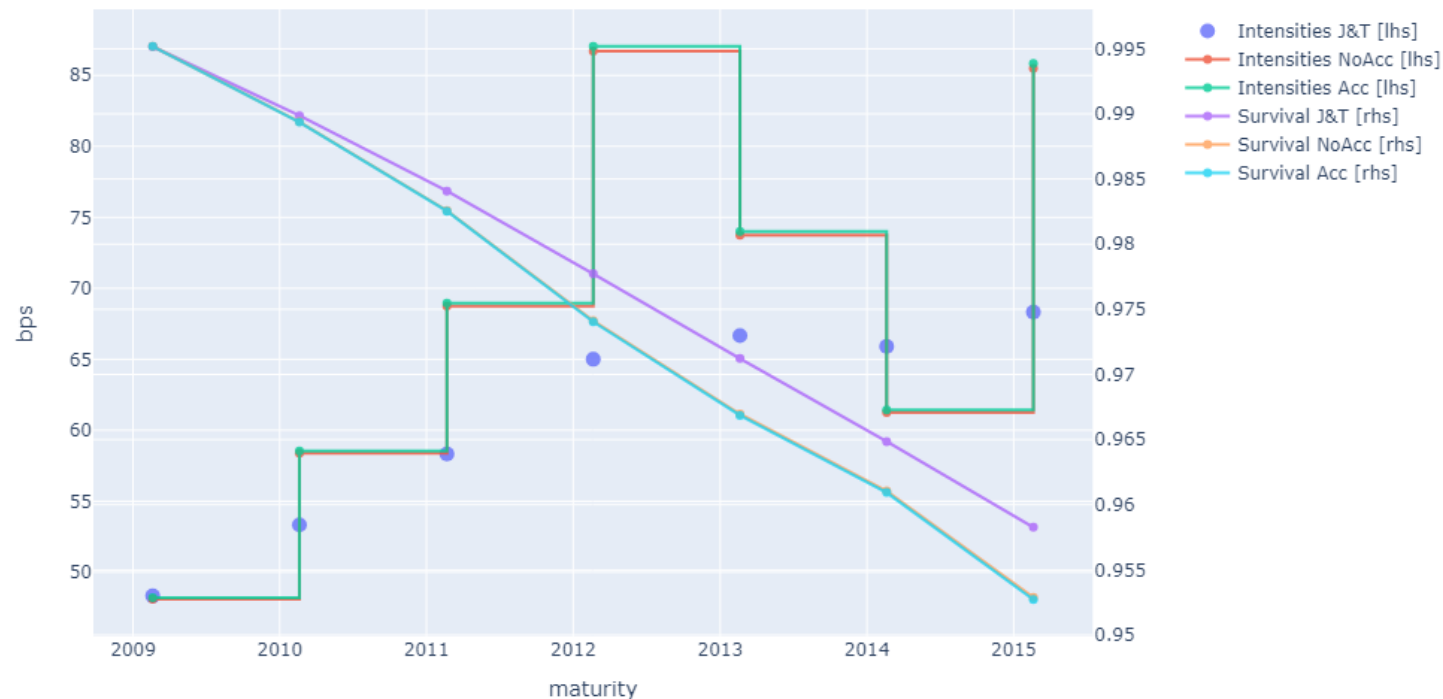
## CDS Bootstrap

$$\hat{s}_i \cdot \sum_{j=1}^i S_j \cdot \delta_j \cdot D_j + \hat{s}_i \cdot \sum_{j=1}^i \frac{\delta_j}{2} \cdot (S_{j-1} - S_j) \cdot D_j = (1 - \pi) \cdot \sum_{j=1}^i (S_{j-1} - S_j) \cdot D_j, \quad \forall i$$

Jarrow-Turnbull is constant throughout the period!

*It is not piecewise constant!*

*This constant value is by chance similar to the mean value of the piecewise constant exact one?*



## First To Default

- ✓ Generate normal random variables  $2 \times N_{\text{sim}}$  sample
- ✓ Use Cholesky decomposition to correlate them and invert Gaussian CDF to get uniforms
- ✓ For each uniform drawn, invert the survival function (using bootstrapped intensities) and get the random default times  $\tau$
- ✓ For each sample, pick up the smaller  $\tau$  between the two issuers
- ✓ For each simulation: compute the two legs
  - ✓ Premium Leg =  $\sum_i^j \delta \cdot D_i + (\tau - t_j) \cdot D_\tau$  if  $\tau \leq T$  otherwise full BPV
  - ✓ Recovery Leg =  $(1 - \pi) \cdot D_\tau$  if  $\tau \leq T$  otherwise 0
- ✓ Mean the above and obtain the puntual average as  $\frac{\text{Recovery Leg}}{\text{Premium Leg}}$
- ✓ Set the confidence level and compute the interval for the ratio of the two means via Fieller's theorem

[https://en.wikipedia.org/wiki/Fieller%27s\\_theorem](https://en.wikipedia.org/wiki/Fieller%27s_theorem)

## First To Default

Num.Sim. = 100,000

