Elettrostatica

Gauss:
$$\phi_E=4\pi r^2E=rac{Q_{int}}{\epsilon_0}~|~
abla\cdot E=rac{
ho}{\epsilon}~V=rac{1}{4\pi\epsilon_0}\intrac{
ho}{r}d au~|~$$
 Discontinuità: $\Delta E_\perp=rac{\sigma_{tot}}{\epsilon_0}~~\Delta E_\parallel=0$

Energia Elettrica
$$U_E=rac{1}{2}\int
ho V d au=rac{\epsilon_0}{2}\int E^2 d au$$
 | Pressione Elettro: $p_0=rac{\sigma^2}{2\epsilon_0}\hat{u}_n$ | $rac{dP}{d au}=E\cdot j=\sigma E^2$

Dipolo:
$$E=rac{2p\cos heta}{4\pi\epsilon_0r^3}\hat{u}_r+rac{p\sin heta}{4\pi\epsilon_0r^2}\hat{u}_ heta=rac{p}{4\pi\epsilon_0}\sqrt{3\cos^2 heta+1}\;\;U=-ec{p}\cdotec{E}\;\;\;M=ec{p} imesec{E}$$

Conduttori:
$$E_{int}=0$$
 $V=cost$ $ho=0$ $E_{sup}=rac{\sigma^2}{2\epsilon_0}\hat{u}_n$

Condensatori: Serie:
$$\frac{1}{C}=\sum \frac{1}{C_i}$$
 Parallelo: $C=\sum C_i$ Energia: $U_E=\frac{1}{2}\sum V_iQ_i$

Piano:
$$E = \frac{Q}{\epsilon_0 S}$$
 $V = Eh = \frac{Qh}{\epsilon_0 S}$ $C = \frac{\epsilon_0 S}{h}$ Sferico: $E = \frac{Q}{4\pi\epsilon_0 R^2}$ $V = \frac{Q}{4\pi\epsilon_0 R}$ $C = 4\pi\epsilon_0 \frac{R_1 R_2}{R_2 - R_1}$ Cilindrico: $E = \frac{Q}{2\pi\epsilon_0 hr}$ $V = \frac{Q}{2\pi\epsilon_0 h} \log \frac{R_2}{R_1}$ $C = \frac{2\pi\epsilon_0 l}{\log \frac{R_2}{R_2}}$

Correnti:
$$DI = j \cdot d\Sigma \; j = Nq \left\langle v \right\rangle j = \sigma_{conduttivita} E \; j = rac{Nq^2 au E}{m} \; \sigma_{conduttivita} = rac{NQ^2 au}{m}$$

Ohm:
$$V=RI~R=
horac{l}{S}~E=
ho_{resistivit_{
m a}}j~\sigma_{conduttivit_{
m a}}=
ho^{-1}~
ho=\left[\Omega m
ight]RC=
ho\epsilon_0~U=rac{1}{2}CV^2$$

Kirchoff: Nodi
$$\sum I_i = 0$$
 Maglie $\sum R_i I_i = 0$ Dielettrici: $p = \alpha \epsilon_0 E_{agente}$ $\sigma_p = P \cdot \hat{u}_n$ $\rho_p = -\nabla \cdot P$ $\Delta D_{\perp} = \sigma_{lib} \hat{u}_n$ $D = \epsilon_0 E + P = \epsilon_0 (1 + \chi_E) E = \epsilon_0 k E U = \frac{1}{2} \epsilon E^2 \tau w_e = \frac{1}{2} D \cdot E$

Forza elettrica che un dielettrico in un condensatore: $F=rac{1}{2}V^2rac{dC}{dx}$

Magnetismo

Lorentz:
$$F = q(E + v \times B) \mid r = \frac{mv}{qB} \mid \omega = -\frac{qB}{m} \mid E = \frac{F}{q} = v \times B \mid \text{ passo } d = v_0 \frac{2\pi m}{qB} \cos \theta$$

Fili:
$$dF_m=Ids imes B$$
 | Forza tra due fili (forza per metro) $F_d=rac{\mu_0I_1I_2}{2\pi R}$ | $B=rac{\mu_0IN}{2\pi r}$

Spira:
$$M = IS \times B = \mu \times B \mid B = \frac{\mu_0 N I r^2}{2(r^2 + x^2)} \mid \mu = IS \mid U = \mu \cdot B \mid d\mu = Id\Sigma$$

Flusso:
$$\Phi = MI \mid \Phi = LI \mid \varepsilon = -\frac{d\Phi_B}{dt} \mid \int_{\gamma} E \cdot ds = -\frac{d\Phi_B}{dt} \mid \varepsilon = \int E \cdot ds = \int v \times B \cdot ds$$

Solenoide Toroidale: $B=rac{\mu_0 IN}{2\pi r}$ | Solenoide rettilineo indefinito: $B=rac{\mu NI}{d}$ | Solenoide rettilinea finito:

$$B(0,0,z) = rac{\mu_0 NI}{2} \Bigg(rac{h/2 - z}{\sqrt{(h/2 - z)^2 + R^2}} + rac{h/2 + z}{\sqrt{(h/2 + z)^2 + R^2}} \Bigg) \, \hat{u}_z$$

Energia:
$$U_L=rac{1}{2}LI^2 \mid U_B=rac{1}{2}rac{B^2}{\mu_0}\mid U_{tot,circ,B}=rac{1}{2}\sum LI_j^2+\sum_{i>j}MI_iI_j$$

$$\textbf{Correnti:}\ j_m = \nabla \times M \ |\ \oint B \cdot dl = \epsilon_0 \mu_0 \frac{\partial \Phi_E}{\partial t} \ |\ \nabla \times B = \mu_0 j_m \ |\ \nabla \cdot B = 0 = \oint B \cdot d\Sigma \ |\ \oint B \cdot ds = \mu_0 I_{conc}$$

Discontinuità:
$$\Delta H_{\parallel} = K_c imes \hat{u}_n \mid \Delta B = -\Delta M$$

Cavità nei materiali: parallela
$$H_{in}=H_{out}\mid B_{in}=B_{out}-\mu_0 M$$
 perpend $B_{in}=B_{out}\mid H_{in}=H_{out}+M$

Diamagnetici:
$$M=rac{-e^2n\langle r^2
angle B}{6m_e}=rac{\chi_m}{\chi_m+1}rac{B}{\mu_0}$$
 Paramagnetici: $M=rac{N\mu^2B}{3kT}$ | $\chi_m=rac{N\mu^2\mu_0}{3kT}$

Onde

Fondamentali: $k=\frac{2\pi}{\lambda} \mid \omega=\nu k=2\pi v \mid \lambda=\frac{v}{\nu} \mid E=cB \mid n=\frac{\lambda_0}{\lambda}=\frac{c}{v} \mid c^2=\frac{1}{\epsilon_0\mu_0} \mid$ (pressione tot ass) $p=\frac{I}{c}\cos^2\theta \mid I=\frac{1}{2}\epsilon_0cE \mid$ Antenna Dipolare $I=\frac{1}{r^2}I_0\sin^2\theta$, $I=\frac{3P\sin^2\theta}{8\pi r^2}$, $P=\int Id\Sigma$

 $\begin{aligned} & \textbf{Riflessione/Trasmissione}: \textit{Polarizzazione}: \textit{Parallela} \; R = \left(\frac{\tan(\theta_i - \theta_t)}{\tan(\theta_i + \theta_t)}\right)^2 \; \textit{Perpendicolare} \; R = \left(\frac{\sin(\theta_i - \theta_t)}{\sin(\theta_i + \theta_t)}\right)^2 \; \mid \; T = 1 - R \\ & \mid \textit{Incidenza Normale}: R = \left(\frac{n_1 - n_2}{n_1 + n_2}\right)^2 \end{aligned}$

$$\begin{array}{ll} \textbf{Interferenza:} & I = I_1 + I_2 + 2\sqrt{I_1I_2}\cos(\frac{2\pi}{\lambda}(r_2 - r_1)) & |MAX:\sin\theta = \frac{\lambda}{d}m & MIN:\sin\theta = \frac{m\lambda}{Nd} \\ MAXSECOND:\sin\theta = \frac{(2m+1)\lambda}{2Nd} & |MAX:\sin\theta = \frac{\lambda}{d}m & |MIN:\sin\theta = \frac{m\lambda}{Nd} \\ \end{array}$$

Diffrazione: $MAX : \sin \theta = \frac{(2m+1)\lambda}{2aN} MIN : \sin \theta = \frac{m\lambda}{a}$

Roba Immaginaria

Impedenze Complesse: $Resistenza: Z_R = R\ Induttanza: Z_L = i\omega L\ Condensatore: Z_C = rac{1}{i\omega C}$