showcase3.tm Go Tools Help

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Assigning property Accent to \delta.

Assigning property KroneckerDelta to 1

Assigning property KroneckerDelta to \delta.

> susy:= { \delta{A_{a}} = \bar{\epsilon} \gamma_{a} \lambda, \delta{\lambda} = -(1/2) \gamma_{a} \epsilon f_{a} b}; susy:= $\{\delta A_a = \bar{\epsilon} \ \gamma_a \lambda, \delta \lambda = (\frac{-1}{2}) \ \gamma_{ab} \epsilon f_{ab}\};$

>S:= -(1/4) f_{a b} f_{a b} - (1/2) \bar{\lambda} \gamma_{a} \partial_{a}{\lambda}; S:= $-\frac{1}{4} f_{ab} f_{ab} - \frac{1}{2} \bar{\lambda} \gamma_a \partial_a \lambda$;

>@vary!(%)(f_{a b} -> \partial_{a}{\delta{A_{b}}} - \partial_{b}{\delta{A_{a}}}, \lambda -> \delta{\lambda});

S:= $-\frac{1}{4}((\partial_a \delta A_b - \partial_b \delta A_a) f_{ab}) - \frac{1}{4}(f_{ab}(\partial_a \delta A_b - \partial_b \delta A_a)) - \frac{1}{2} \overline{\delta \lambda} \gamma_a \partial_a \lambda - \frac{1}{2} \overline{\lambda} \gamma_a \partial_a \delta \lambda;$

> @distribute!(%): @prodsort!(%): @canonicalise!(%): @collect_terms!(%);

S:= $-\partial_a \delta A_b f_{ab} - \frac{1}{2} \overline{\delta \lambda} \gamma_a \partial_a \lambda - \frac{1}{2} \overline{\lambda} \gamma_a \partial_a \delta \lambda$; >@substitute!(%)(@(susy)): @prodrule!(%): @distribute!(%): @unwrap!(%);

 $\mbox{S:=} \ -\bar{\epsilon}\,\gamma_b\partial_a\lambda\,f_{ab} - \frac{1}{2}\,f_{cb}(\overline{\frac{-1}{2})\,\gamma_{cb}\epsilon}\,\,\gamma_a\partial_a\lambda + \frac{1}{4}\bar{\lambda}\,\gamma_a\,\gamma_{cb}\epsilon\,\partial_af_{cb};$

Rewrite the Dirac bar acting on the product.

> @rewrite_diracbar!(%);

Warning: assuming Minkowski signature.

S:= $-\bar{\epsilon} \gamma_b \partial_a \lambda f_{ab} - \frac{1}{4} f_{cb} \bar{\epsilon} \gamma_{cb} \gamma_a \partial_a \lambda + \frac{1}{4} \bar{\lambda} \gamma_a \gamma_{cb} \epsilon \partial_a f_{cb};$

> Qsubstitute!(%)(\partial_{c}{f_{a b}} -> \ppartial_{c}{f_{a b}}):
Qpintegrate!(%){\ppartial}:
Qrename!(%){\ppartial}{\partial}:
Qprodrule!(%): Qunwrap!(%); $S:= -\bar{\epsilon} \gamma_b \partial_a \lambda f_{ab} - \frac{1}{4} f_{cb} \bar{\epsilon} \gamma_{cb} \gamma_a \partial_a \lambda - \frac{1}{4} \partial_a \bar{\lambda} \gamma_a \gamma_{cb} \epsilon f_{cb};$

> Ojoin!(%) {expand}: Odistribute!(%): Oeliminate_kr!(%): Oprodsort!(%);

Now we do the remaining gamma matrix algebra.

now we do the remaining gainina matrix algebra.

 $\text{S:=} \quad -\bar{\epsilon}\,\gamma_b\partial_a\lambda\,f_{ab} - \frac{1}{4}\bar{\epsilon}\,\gamma_{cba}\partial_a\lambda\,f_{cb} - \frac{1}{4}\bar{\epsilon}\,\gamma_c\partial_a\lambda\,f_{ca} + \frac{1}{4}\bar{\epsilon}\,\gamma_b\partial_a\lambda\,f_{ab} - \frac{1}{4}\partial_a\bar{\lambda}\,\gamma_{ac\,b}\epsilon\,f_{cb} - \frac{1}{4}\partial_c\bar{\lambda}\,\gamma_b\epsilon\,f_{cb} + \frac{1}{4}\partial_b\bar{\lambda}\,\gamma_c\epsilon\,f_{cb} + \frac{1}{4}\partial_b\bar{\lambda}\,\gamma_c\epsilon\,f_{cb} + \frac{1}{4}\partial_c\bar{\lambda}\,\gamma_b\epsilon\,f_{cb} + \frac{1}{4}\partial_b\bar{\lambda}\,\gamma_c\epsilon\,f_{cb} + \frac$