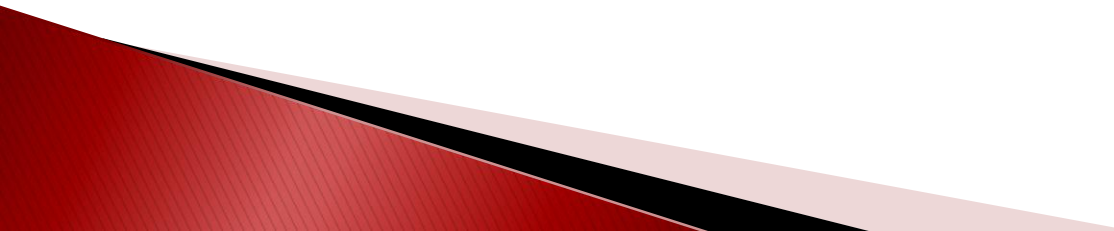


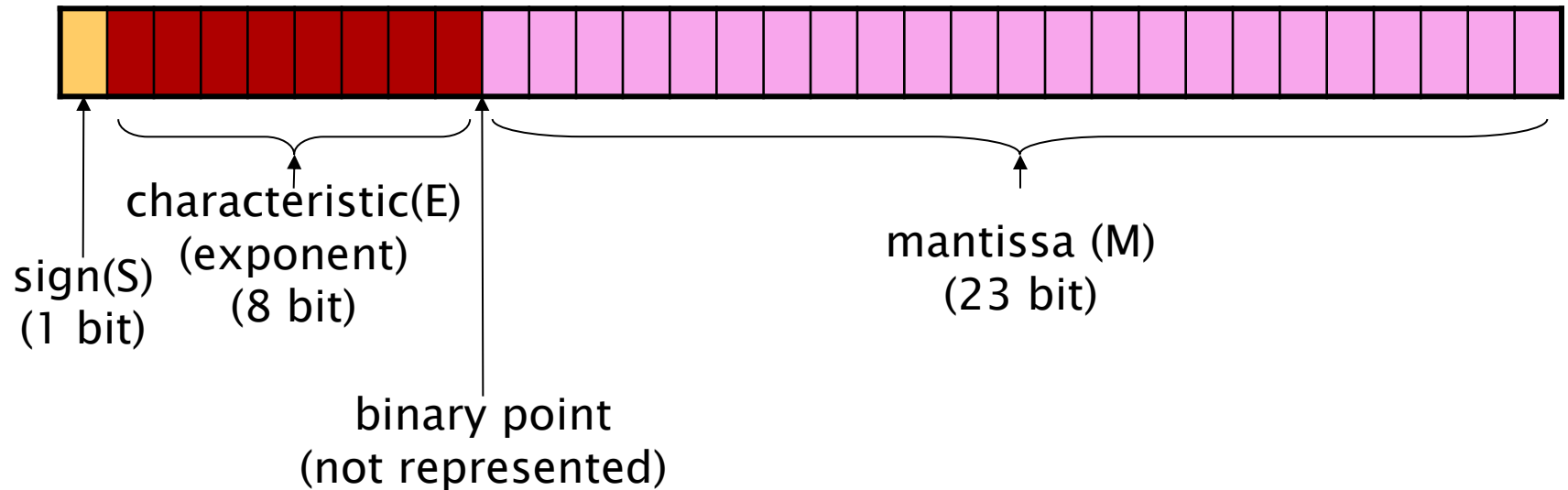
Introduction to Informatics

Revision

- ▶ How many different numbers can be stored in eight bits?
 - ▶ How can we represent the sign bit, and what is its position?
 - ▶ How can we get the one's complement of the negative number?
 - ▶ How can we calculate the excess 2^{n-1} ?
 - ▶ How can we get the packed BCD code of the number?
 - ▶ What is the excess in IEEE 754 floating point representation?
 - ▶ Who knows the formula of IEEE 754 floating point representation?
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Floating point representation

IEEE 754



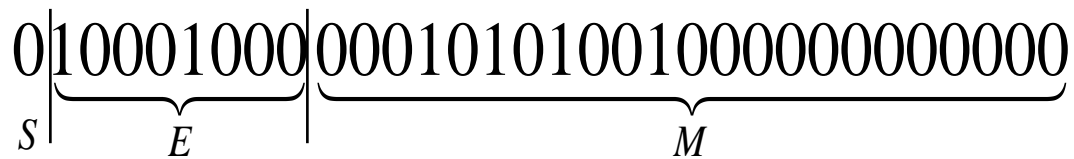
- ▶ normalized in binary number system
- ▶ normalized to integer
- ▶ characteristic: excess-127
- ▶ sign
 - positive number: 0
 - negative number: 1

$$N = -1^S \cdot 2^{E-127} \cdot 1.M$$

IEEE 754 standard

Type	Number of bits	Sign bit	Characteristic	Mantissa
single	32	1	8 bit Excess-127	23 bit
double	64	1	11 bit Excess -1023	52 bit

Exercise



- ▶ $S = 0$
- ▶ $E = 1000\ 1000_{(2)} = 136_{(10)}$
- ▶ $M = .00010101001_{(2)} = .082519531_{(10)}$
- ▶ $\text{Number} = 1.082519531 \cdot 2^9 = 554.25$

Exercise

$$554.25_{10} = 1000101010.01_2 = 1.00010101001 \cdot 2^9$$

▶ $S = 0$

▶ $E = 127 + 9 = 136_{(10)} = 1000\ 1000_{(2)}$

▶ $M = .00010101001_{(2)}$

01000100000010101001000000000000

4 4 0 A 9 0 0 0

Exercise

- ▶ Which numbers were represented with the IEEE 754 floating point standard?
 - 01000011000010100000000000000000
 - 11000100100011001010000000000000

Exercise

- ▶ Represent the following decimal numbers in 32 bits using the IEEE 754 floating point standard.
 - $987_{(10)}$
 - $-203.625_{(10)}$

Floating point number representation with excess characteristic

- ▶ Represent $148_{(10)}$ number in **octal** system.
 - starting with sign bit
 - the exponent will be 1 digit (3 bits), excess-4
 - the fraction part 3 digits

$$148_{10} = 224_8 = 0.224 \cdot 8^3$$

0111010010100
0 7 2 2 4

Floating point number representation with excess characteristic

- ▶ Represent $1048_{(10)}$ number in hexadecimal system.
 - starting with sign bit
 - the exponent will be 1 nibble (4 bits), excess-8
 - the fraction part 4 digits

$$1048_{10} = 418_{16} = 0.4180 \cdot 16^3$$

0110101000001100000000
0 B 4 1 8 0

Exercise

► Represent the following numbers in octal system.

- starting with sign bit
- the exponent will be 1 digit (3 bits), excess-4
- the fraction part 4 digit

a. $-62_{(10)}$

b. $302_{(10)}$

► Represent the following numbers in hexadecimal system.

- starting with sign bit
- the exponent will be 1 nibble (4 bits), excess-8
- the fraction part 4 digit

a. $2561.5_{(10)}$

b. $-44621_{(10)}$