

		K=3		Mean X		Mean Y	
		(2,10)		(5,8)			
Point (x,y)		Dist Mean 1	Dist Mean 2	Cluster			
2	10	2.0	7.6	1			
2	5	4.3	5.0	3			
8	4	6.6	1.0	2			
5	8	1.6	4.2	1			
7	5	5.2	0.7	2			
6	4	5.5	1.0	2			
1	2	7.5	6.4	3			
4	9	0.3	5.6	1			

		K=2		Mean X		Mean Y	
		(3,0)		(2,0)			
Point (x,y)		Dist Mean 1	Dist Mean 2	Cluster odd	even		
Jay	0	1	3.4	0.8	2		
Stuart	3	0	3.0	2.4	2		
Pavel	2	4	1.2	3.5	1		
Andrey	2	1	2.1	1.3	2		
Weifeng	3	5	2.0	4.9	1		

centroid 1		centroid 2					
3	0	2	0	Initial Centroids			
3	2.5	1.3	2	Updated Centroids			
2.7	3	0.7	0.7				
1.7	3	1.7	0.7				

Cluster 1		Cluster 2		Cluster 3	
2	10	8	4	2	5
4	9			1	2
5	8	7	5		
		6	4		
3.7	9	7	4.3	1.5	3.5

Cluster 1		Cluster 2	
0	0	0	1
3	5	3	0
2	4	2	1
1.7	3	1.7	0.7

centroid 1		centroid 2	
2.7	3	0.7	0.7

				C1	A,C	C2	B,D					
			Distance Matrix is given									
				A	B	C	D					
			A	0	2	2.3	3.2					
			B	2	0	2.2	1.4					
			C	2.3	2.2	0	2.2		>=0.5	Evidence of good clustering		
			D	3.2	1.4	2.2	0		0.25<=s<0.5	some evidence of eality,check with domain expert		
									<0.25	not adequate evidence of cluster quality		
				a(o)	b(o)	b(o)-a(o) /(max{a(o),b(o)})						
			A	2.3 [2]	2.6 [3]	0.12						
			B	1.4	2.1	0.33						
			C	2.3	2.2	-0.04						
			D	1.4	2.7	0.48						
			C1			0.04						
			C2			0.41						
			Overall			0.22						

[1] Put the value which is minimum between AC and AE

[2] Since there are only two points in cluster C1, i.e. A and C , therefore the average distance of point A and all other point in C1 = $2.3/1$

[3] Here since A belongs to cluster C1 hence we will take the average of distance it has from all the points in cluster C2