

# arrays-practise

November 24, 2023

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[3]: import numpy as np

twod_array= np.array([[1,2,3,4],[4,5,7]])
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[5]: print(twod_array)
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[list([1, 2, 3, 4]) list([4, 5, 7])]
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```
[27]: def pair_numbers(arr,num):
        start = time.time()
        pair_nums = []
        for i in range(len(arr)):
            for j in range(len(arr)) :
                if j !=i:
                    if arr[i]+arr[j]==num:
                        pair_nums.append((arr[i],arr[j]))
        print(time.time()-start)
        return pair_nums
```

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[63]: from timeit import default_timer as timer
        from datetime import timedelta
        import time
        num=35
        arr =[1,2,3,5,6,30]
```

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[46]: start=timer()
        pair_numbers(arr,num)
        end=timer()
        print(timedelta(end,start))
```

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```
[66]: #O(n)
        def sum_numbers(arr,num):
            pair_nums = []
            seen={}
            for i in range(len(arr)):
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    comp = num-arr[i]

    if comp in seen:
        pair_nums.append((comp,arr[i]))
    seen[arr[i]]=i
    return pair_nums

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[67]: sum_numbers(arr,num)
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[67]: [(5, 30)]
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[ ]: def max_product(arr):
      arr.sort(reverse=True)
      return arr[0]*arr[1]
```

```
[68]: def max_product(arr):
      # Initialize two variables to store the two largest numbers
      max1, max2 = 0, 0 # O(1), constant time initialization

      # Iterate through the array
      for num in arr: # O(n), where n is the length of the array
          # If the current number is greater than max1, update max1 and max2
          if num > max1: # O(1), constant time comparison
              max2 = max1 # O(1), constant time assignment
              max1 = num # O(1), constant time assignment
          # If the current number is greater than max2 but not max1, update max2
          elif num > max2: # O(1), constant time comparison
              max2 = num # O(1), constant time assignment

      # Return the product of the two largest numbers
      return max1 * max2 # O(1), constant time multiplication

arr = [1, 7, 3, 4, 9, 5]
print(max_product(arr)) # Output: 63 (9*7)
```

63

```
[69]: def middle(lst):
      # Return a new list containing all elements from the original list,␣
      ↪excluding the first and last elements
      return lst[1:-1]

my_list = [1, 2, 3, 4]

print(middle(my_list)) # Output: [2, 3]
```

[2, 3]

```
[70]: def diagonal_sum(matrix):
    # Initialize the sum to 0
    total = 0

    # Iterate through the rows of the matrix
    for i in range(len(matrix)):
        # Add the diagonal element to the total sum
        total += matrix[i][i]

    return total
```

```
[ ]: def first_second(my_list):
    max1, max2 = float('-inf'), float('-inf')

    for num in my_list:
        if num > max1:
            max2 = max1
            max1 = num
        elif num > max2 and num != max1:
            max2 = num

    return max1, max2

my_list = [84, 85, 86, 87, 85, 90, 85, 83, 23, 45, 84, 1, 2, 0]
print(first_second(my_list)) # Output: (90, 87)
```

```
[ ]: def remove_duplicates(lst):
    unique_lst = []
    seen = set()
    for item in lst:
        if item not in seen:
            unique_lst.append(item)
            seen.add(item)
    return unique_lst

my_list = [1, 1, 2, 2, 3, 4, 5]
print(remove_duplicates(my_list)) # Output: [1, 2, 3, 4, 5]
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[71]: def remove_duplicates(lst):
    return list(set(lst))
```

```
[76]: def pair_sum(myList, sum):
    # TODO
    outList=[]
    seen=[]
    for i in range(len(myList)):
        com = sum - myList[i]
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        if com in seen:
            outList.append('+'.join([str(com),str(myList[i])]))
        seen.append(myList[i])
    return outList

```

```
[75]: pair_sum(arr, num)
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[75]: []
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```
[77]: def pair_sum(arr, target_sum):
    result = []
    for i in range(len(arr)):
        for j in range(i+1, len(arr)):
            if arr[i] + arr[j] == target_sum:
                result.append(f"{arr[i]}+{arr[j]}")
    return result

```

```
[78]: def contains_duplicate(nums):
    # TODO
    if len(nums) > len(list(set(nums))) :
        return True
    else :
        return False

```

```
[80]: def contains_duplicate(nums):
    seen = set()
    for num in nums:
        if num in seen:
            return True
        seen.add(num)
    return False

```

```
[82]: # Example usage
nums = [1, 2, 3, 4, 5, 6, 7, 8, 9, 1]
print(contains_duplicate(nums)) # Output: True

```

True

```
[83]: def rotate(matrix):
    n = len(matrix)

    # Transpose the matrix
    for i in range(n): # Iterate over the rows
        for j in range(i, n): # Iterate over the columns starting from the
↪current row 'i'
            # Swap the elements at positions (i, j) and (j, i)

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        matrix[i][j], matrix[j][i] = matrix[j][i], matrix[i][j]

    # Reverse each row
    for row in matrix: # Iterate over each row in the matrix
        row.reverse() # Reverse the elements in the current row
'''Explanation:

n = len(matrix) - Get the number of rows/columns in the square matrix and store
it in the variable n.

Transpose the matrix:
a. for i in range(n): - Start a loop that iterates over the rows.
b. for j in range(i, n): - Start a nested loop that iterates over the columns
    starting from the current row i. This ensures we only swap elements in the
    upper triangle of the matrix, avoiding double swaps.
c. matrix[i][j], matrix[j][i] = matrix[j][i], matrix[i][j] - Swap the elements
    at positions (i, j) and (j, i).

Reverse each row:
a. for row in matrix: - Start a loop that iterates over each row in the matrix.
b. row.reverse() - Reverse the elements in the current row.

The time complexity of this code is  $O(n^2)$ , as both the transpose and reverse
steps involve nested loops that iterate over all the elements in the matrix.
The space complexity is  $O(1)$ , as the rotation is performed in-place without
allocating any additional data structures.

'''

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[83]: 'Explanation:\n\n\nnn = len(matrix) - Get the number of rows/columns in the square matrix and store it in the variable n.\n\n\nTranspose the matrix: a. for i in range(n): - Start a loop that iterates over the rows. b. for j in range(i, n): - Start a nested loop that iterates over the columns starting from the current row i. This ensures we only swap elements in the upper triangle of the matrix, avoiding double swaps. c. matrix[i][j], matrix[j][i] = matrix[j][i], matrix[i][j] - Swap the elements at positions (i, j) and (j, i).\n\n\nReverse each row: a. for row in matrix: - Start a loop that iterates over each row in the matrix. b. row.reverse() - Reverse the elements in the current row.\n\n\nThe time complexity of this code is  $O(n^2)$ , as both the transpose and reverse steps involve nested loops that iterate over all the elements in the matrix. The space complexity is  $O(1)$ , as the rotation is performed in-place without allocating any additional data structures.\n\n'

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