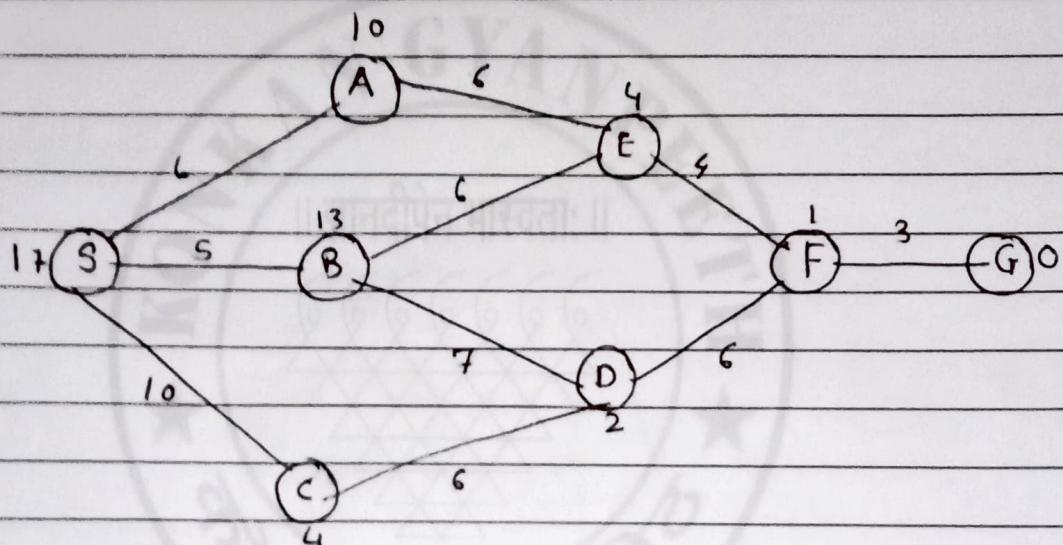
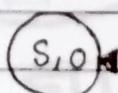


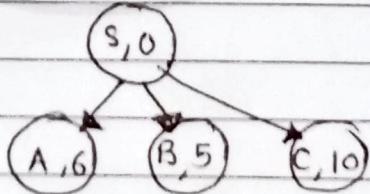
Consider following definition of state space for some arbitrary problem. Then number mentioned against the edges is cost to be incurred in moving from one node to the other in any direction. The number in red font mentioned against the node is the heuristic function value.



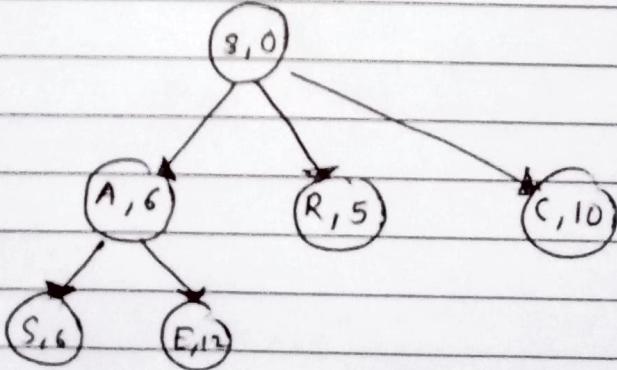
1.1) Apply BFS :-



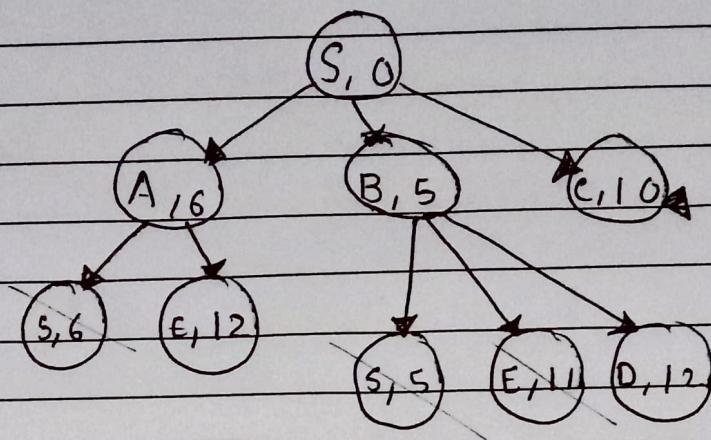
Step 1 :-



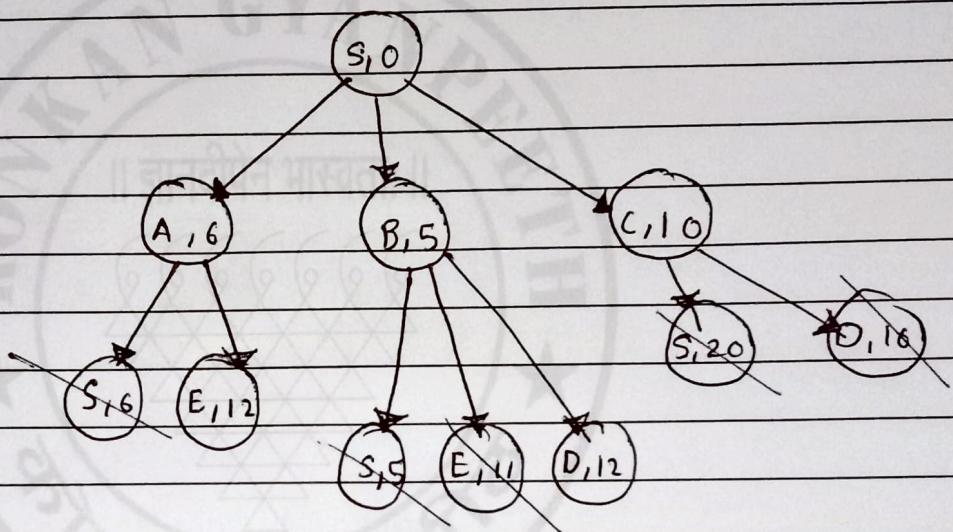
Step 2 :-



Step 3 :-



Step 4 :-

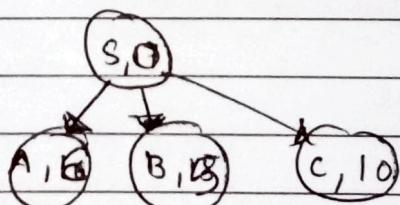


1) ~~APPLY A* algorithm~~

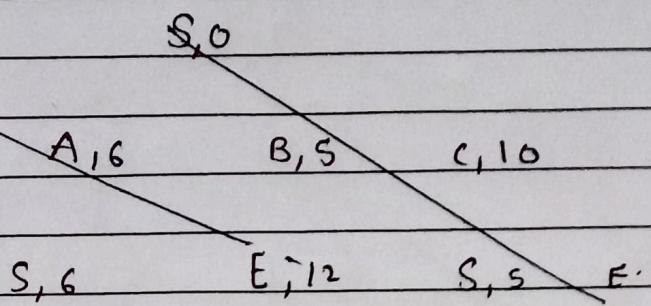
Step 1 :-



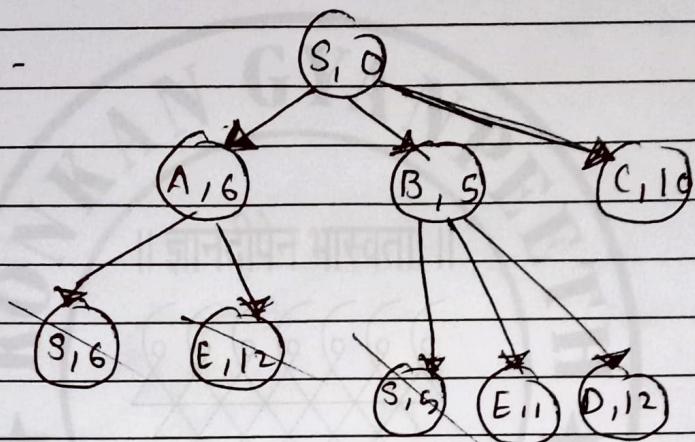
Step 2 :-



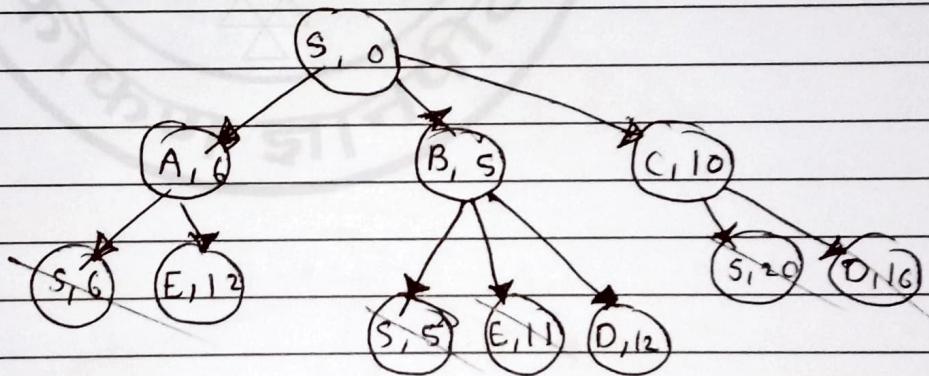
~~Step 3 :-~~



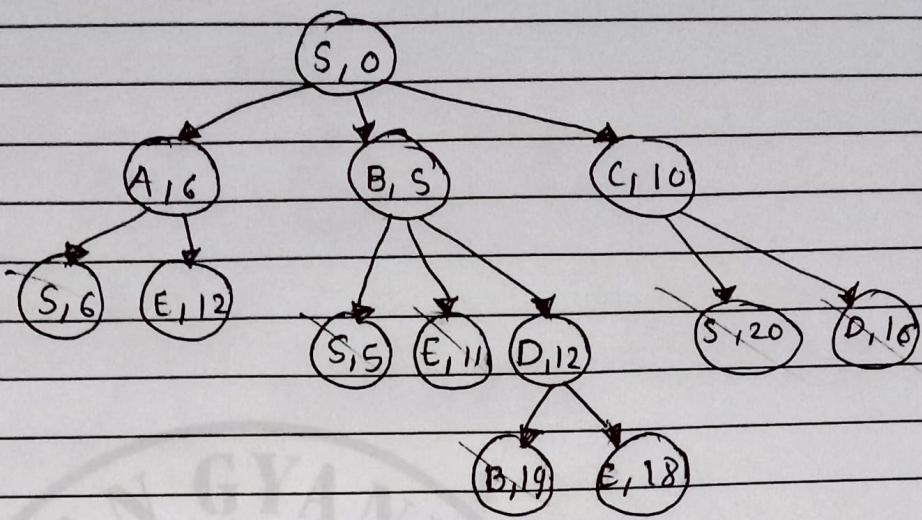
~~Step 3 :-~~



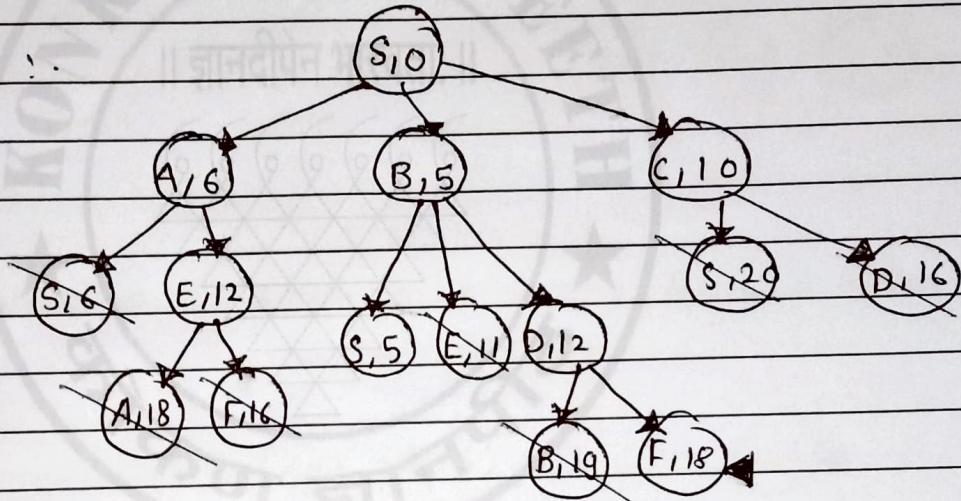
~~Step 4~~



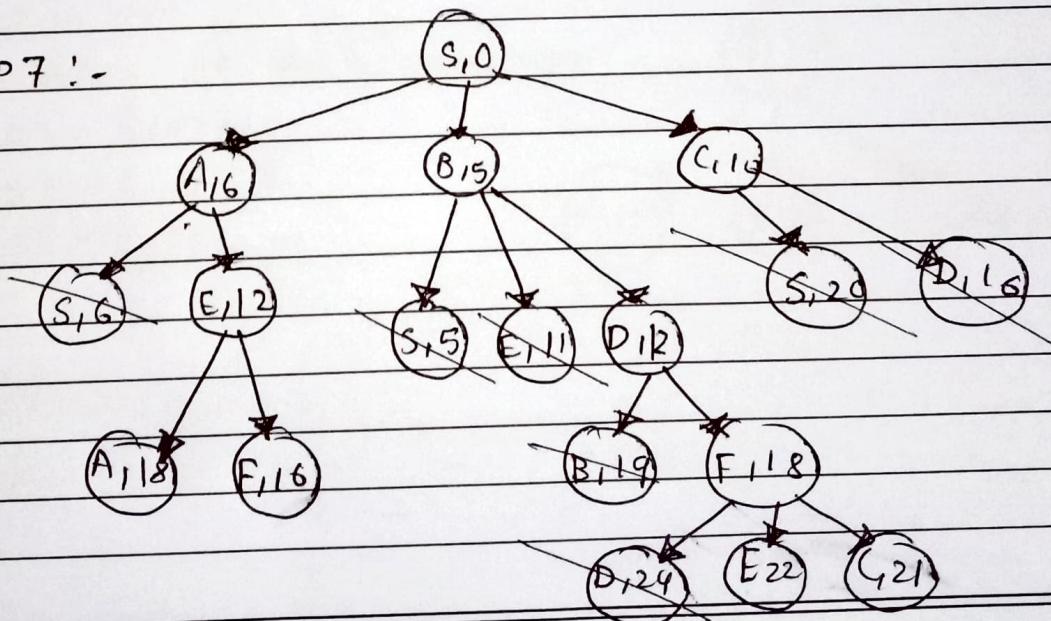
Step 5

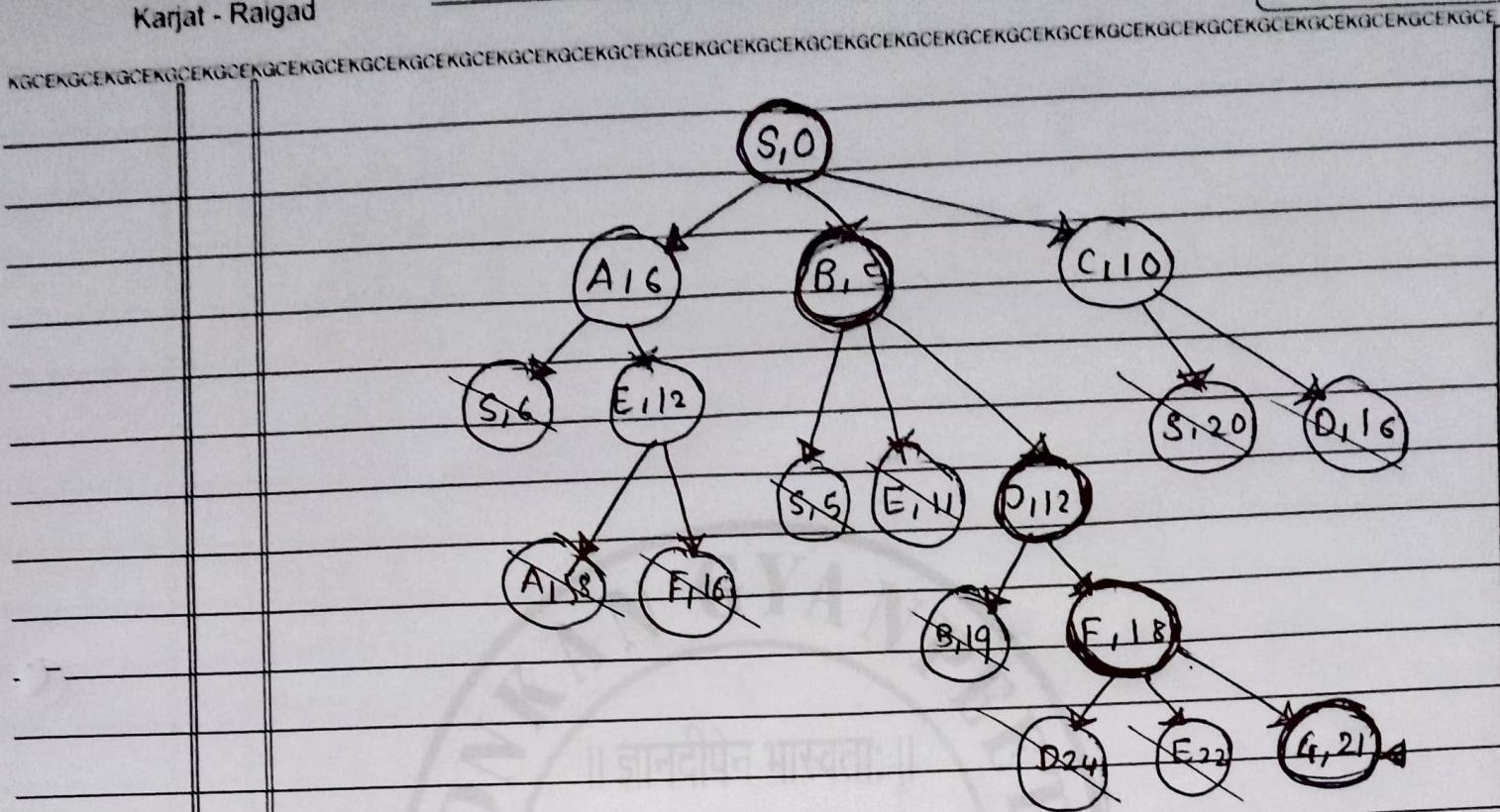


Step 6 :-



Step 7 :-





1.4. Initialization :- Compute ~~f~~ f-secure for ~~s~~ S & put it in the openlist.

$$F - \text{Secure } S : F(S) = h(S) = 17$$

S,17

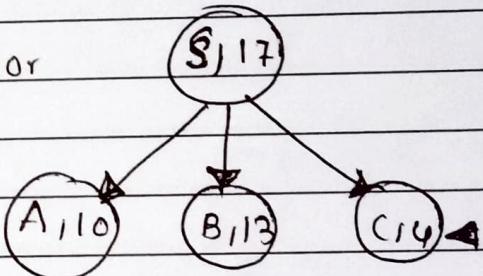
Step 1 :-

F - Secure of ~~Successor~~^{Score} Successor

$$F(A) = h(A) = 10$$

$$F(B) = h(B) = 13$$

$$F(C) = h(C) = 14$$

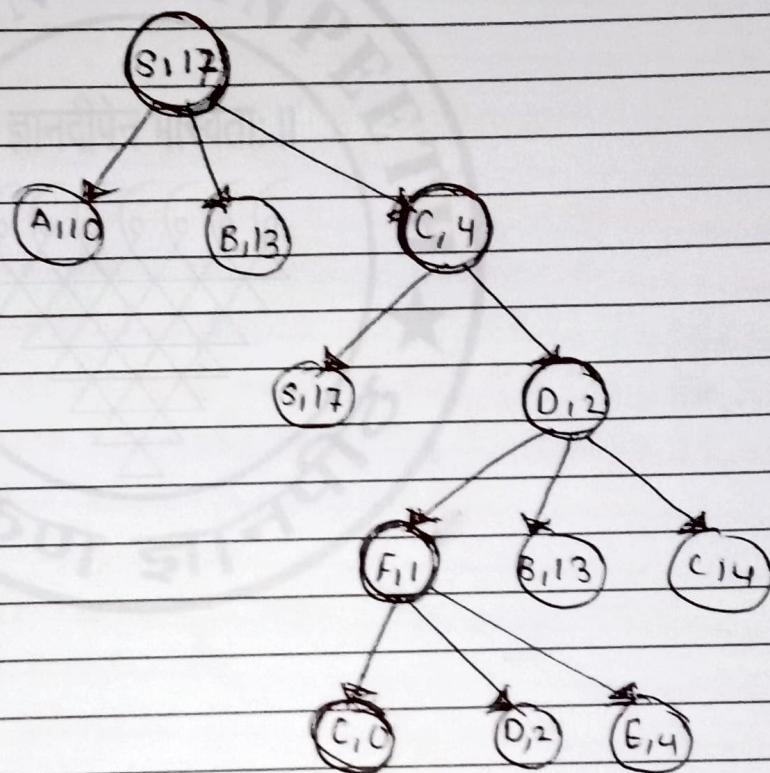


Step 5 :-

Solution is :-

$S \rightarrow C \rightarrow D \rightarrow F \rightarrow G$ with

Solution cost : $10 + 6 + 6 + 3$
 $= 25$



2) Consider following instance of 8 puzzle problem

8	7	6
2	1	5
3	4	-

Initial configuration

-	8	7
2	1	6
3	4	5

Goal Configuration.

8	7	6
2	1	5
3	4	-

a) The solution can be represented as:

$$\{ \{ 8, 7, 6 \}, \{ 2, 1, 5 \}, \{ 3, 4, - \} \} \rightarrow \{ \{ 8, 7, 6 \}, \{ 2, 1, 5 \}, \{ 3, 4, 5 \} \}$$

$$\{ \{ 8, 7, 6 \}, \{ 2, 1, 5 \}, \{ 3, 4, 5 \} \} \rightarrow \{ \{ 8, 7, 6 \}, \{ 2, 1, 5 \}, \{ 3, 4, - \} \}$$

$$\{ \{ 8, 7, 6 \}, \{ 2, 1, 5 \}, \{ 3, 4, - \} \} \rightarrow \{ \{ 8, 7, 6 \}, \{ 2, 1, 5 \}, \{ 3, 4, 5 \} \}$$

$$\{ \{ 8, 7, 6 \}, \{ 2, 1, 5 \}, \{ 3, 4, 5 \} \}$$

Since all the moves are equally constant
the cost would be

$$g(n) = 6$$

\therefore path cost = 8 direction + 4 staircase
 $= 12$

e) →

For $i = 1$, $n = \text{initial state}$

$h_1(\text{initial}) = \text{misplace tile count except space}$

$$h_1(\text{initial}) = 4$$

$n = \text{goal state}$

$$h_1(\text{goal}) = 0$$

For $i = 2$, $n = \text{initial state}$

$h_2(\text{initial}) = \text{misplace}$

$$h_2(\text{initial}) = 4$$

For $n = \text{goal state}$

$$h_2(\text{goal}) = 8$$

For $i = 3$, $n = \text{initial state}$

$h_3(\text{initial}) = \text{sum of distance between current and correct position of all tiles except space.}$

$$\begin{aligned} h_3(\text{initial}) &= 0 + 0 + 0 + 0 + 1 + 1 + 1 + 1 \\ &= 4 \end{aligned}$$

For $n = \text{goal state}$

$$h_3(\text{goal}) = 0$$

- 1) Fill the water jug
- 2) Empty water jug
- 3) Transfer the water jug

Initialization

start state : (0,0)

Iteration 1 :-

Fill 3-gallon jug

Now the state is (x,3)

Current state (x,3)

Iteration 2 : - pour all water from 3-gallon jug into 4-gallon jug

Now the state (3,0)

Current state (3,0)

Iteration 3 : - Fill gallon jug

Now the state is (3,3)

Current state : (3,3)

Iteration 4 : - Pour water from 3-gallon jug into 4-gallon jug until 4-gallon jug is full,

Now the state is (4,2)

Current state : (4,2)

Iteration 5 :- ~~current~~ Empty 4-gallon jug
Now state is $(0, 2)$

~~current state is~~ $(0, 2)$

Iteration 6 :- pour gallon water from 3
gallon jug into 4 gallon
jug

goal state is $(2, 0)$

goal state $(2, 0)$

3) Consider following formulation of water jug problem.

i) State definition :- $\langle x, y \rangle$ \rightarrow indicates x lit water in jug with capacity 5 and y lit water jug with capacity 3 lit water

2) Initial state : $\langle 0, 0 \rangle$ \rightarrow both jug are empty

3) Goal state : $\langle 4, 0 \rangle$. \rightarrow 5 lit jug has 2 lit and 3 lit jug has upto 2 lit or $\langle 4, 1 \rangle, \langle 4, 2 \rangle$ water.

4) Action allowed :-

1. $\langle x, - \rangle \rightarrow \langle 0, - \rangle$ we just empty jug 1

2. $\langle -, y \rangle \rightarrow \langle -, 0 \rangle$ we just empty Jug 2.

3. $\langle x, - \rangle \rightarrow \langle 5, - \rangle$ we Just Fill Jug 1 to its capacity.

4. $\langle -, y \rangle \rightarrow \langle -, 3 \rangle$ we fill jug 2 to its capacity

5. $\langle x, y \rangle \rightarrow \langle x-z, y+z \rangle$ we fill jug 2 to its capacity by transferring water from jug 1 here $y+z=3$

6. $\langle x, y \rangle \rightarrow \langle 5, y-z \rangle$ we fill 1 to its capacity transferring water from jug 2 here $x+z=5$

5. Step cost will be equal for all actions and one step counts as 1 unit cost.

Based on above problem formulation answer following questions.