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SMPL Specification with Extensions

Introduction

SMPL is a small, but expressive toy programming language. As the name suggests, SMPL is easy to learn but, as you will discover, it is quite powerful.

This document only partly specifies SMPL. Specifically, only the core subset of SMPL is described. There are a number of extensions and modifications that can be made to SMPL, which you may choose to experiment with after implementing the core functionality.

SMPL is dynamically typed¹ and (should be) tail-recursive². Its procedures are first class objects³. All SMPL sentences are in fact expressions in the sense that they implicitly return values. Some expressions return an "unspecified value" to indicate that the value is not useful; these expressions are essentially statements.

SMPL has integers, floating point numbers, the two boolean literals, the empty list, characters, strings, pairs and vectors as primitive data types. Storage that is dynamically allocated is automatically recovered by a garbage collector. There are no explicit pointers, all references to compound data are automatically treated as pointers to the data. All parameters are passed using the "call-by-value" convention, unless prefixed by a keyword indicating otherwise. Variables are statically scoped and may denote a value of any data type (they are dynamically typed).

Syntax

The syntax of SMPL uses infix notation, and all binary operators must be separated from their operands by at least one whitespace character. The whitespace characters are the usual ones: space, carriage return and tab characters. (Feel free to include other control characters such as form feed and line feed if you wish). Note that it is important that operators are parsed as such only if they are surrounded by white space, because they are permitted as part of variable names. For example, for-every? and q+r are valid variable names.

Literals and Values

SMPL can denote the following types of literals:

¹variable types are not explicitly specified by the programmer

²procedure calls that are the final expressions in the calling procedure's body return their values to the calling procedure's caller (i.e. current stack frame is popped before a procedure call in tail position is executed)

³First class objects may be named, stored in data structures, passed as arguments and returned as values from procedures

Escape Sequence	Character Denoted
11	backslash (\)
\n	newline
\t	tab

Table 1: Escape codes for control characters in strings

- Signed integers that can fit into 32-bit two's complement representation, strings and characters. Integers are assumed to be in decimal, unless prefixed with #x or #b in which case they are in hexadecimal or binary, respectively.
- Signed double precision floating point numbers. Note that either the whole number part or the fractional part of a floating point number is optional (but not both). For example, in SMPL, all of the following are legal floating point numbers: 1.5, 12., .317, but the period by itself is not (obviously).
- String constants are denoted between double quotes ("). Within a string, certain control characters can be denoted by an escape sequence. Table 1 lists the set of escape sequences that should be recognised within SMPL strings.
- Character literals are denoted by preceding the character with #c. For example, the character a is represented as #ca. Common special characters have to be escaped by a backslash (just as they are in strings). Table 1 lists the codes for recognized special characters. To accommodate the remaining characters, character literals may also be specified by their unicode representation given as #u immediately followed by four hexadecimal digits. So the character a may also be denoted as #u0061.
- The boolean constants true and false are denoted #t and #f respectively.
- The empty list, called *nil*, is denoted by **#e**. An SMPL list is actually a sequence of pairs that terminates with the empty list. So the list operations are really a sort of *syntactic sugar* for the equivalent combinations of pairs. (This also means that testing a list with a predicate that returns true for pairs, will return true in all cases).

SMPL has two types of compound data: the vector and the pair. A vector is an array that it is not constrained to hold only one type of data (i.e. a heterogenous array). A pair contains two arbitrary objects. Lists are also supported natively, specifically as linked lists that are built up from pairs. Table 2 describes the builtin functions available for manipulating compound data in SMPL. Note that built-in functions are technically, not considered part of the language syntax. In other words, a user should be able to redefine built-in functions if he chooses to do so.

Vector initialisation is quite flexible. A vector may be initialised by specifying a collection of disjoint subvectors, or the individual elements, or a combination of the two. A subvector is specified by two expressions: the first (after it has been evaluated) gives the size of the subvector, the second (after it has been evaluated) must be a procedure that when given an index less than the size of the subvector, returns the value to be stored at that position in the subvector. The following examples should help to clarify the description. In them, assume that the value of \mathbf{x} has previously been set to 5.

Builtin	Explanation
$\mathtt{pair}(\langlee_1,\;e_2 angle)$	Create a pair containing the objects denoted by e_1 and
	e_2 .
$ \operatorname{car}(\langle p \rangle) $	Return the first object in the pair p .
$\operatorname{cdr}(\langle p angle)$	Return the second object in the pair p .
pair?($\langle p \rangle$)	Return true if p is a pair.
list([$\langle e_1 angle$,, $\langle e_n angle$])	Return a newly allocated list (sequence of pairs termi
	nating in nil) containing the values of the expressions e_1
	through e_n
$[e_1, \ldots, e_n]$	Return a newly allocated list, equivalent to $list(e_1,$
	\ldots , e_n).
$[:[\langle e_1 angle, \ldots, \langle e_n angle]:]$	Return a newly allocated vector initialised with the given
	specifications.
	Each specification is either an expression or of the form
/ \ \ \ \ 7	$\langle expr_{size} \rangle : \langle expr_{init} \rangle.$
$\langle expr_{vec} \rangle [\langle n \rangle]$	Return the <i>n</i> th element of vector <i>vec</i> (indexed from 0).
	When on the LHS of an assignment, sets the n th element to the RHS.
-i(/)	
$ $ size($\langle vec \rangle$) $ $ eqv?($\langle expr \rangle$, $\langle expr \rangle$)	Return the length of the vector <i>vec</i> . Return true if the two expressions evaluate to identical
$= \operatorname{eqv}: (\langle expr \rangle, \langle expr \rangle)$	objects.
\mid equal?(\langle $expr angle$, \langle $expr angle$)	Return true if the two expressions evaluate to objects that
equal. (\cupi, \cupi, \cupi,	are structurally identical.
	e.g. eqv?(pair(1,2), pair(1,2)) \Rightarrow false because
	each call to pair returns a newly allocated object.
	but equal?(pair(1,2), pair(1,2)) \Rightarrow true because
	each expression yields a pair containing the numbers 1
	and 2 in that order.
$ $ substr($\langle expr angle$, $\langle expr angle$, $\langle expr angle$)	Evaluate the three expressions, the first should be a
	string, and the other two integers representing the start
	and end indexes. Return the substring starting at the
	start index, up to, but not including the end index. If the end index is smaller than the start index, then the
	empty string is returned. The start index must be at
	least 0 and less than the length of the string, and the end
	index must be less or equal to the length of the string,
	otherwise an error occurs.
	1

Table 2: The list of SMPL builtin functions. These are not syntactic forms of the language, although they may have specially developed methods for handling them.

```
[: 1,2,3 :] \Rightarrow [1 2 3]

[: 1,2,x :] \Rightarrow [1 2 5]

[: 5: proc(i) i :] \Rightarrow [0 1 2 3 4]

[: 1, 3: proc(n) 2 * n, 3 :] \Rightarrow [1 0 2 4 3]

[: 3: proc(n) 2 * n, 4: proc(n) 3 * n :] \Rightarrow [0 2 4 0 3 6 9]
```

Statements and Expressions

A statement is a form that does not return a value. In SMPL, a statement is an expression whose value is not used (for example, expressions that appear as part of a sequence before the final expression) or whose value is not useful (e.g. the result of a def). The semicolon is used as a statement terminator. Note that expressions are not generally terminated by a semicolon, but if an expression is used as a statement (in a context where its result is not used) then it will need a semicolon to terminate it. The rationale for this is that a procedure call has the syntax expr(expr) and without a semicolon to terminate expressions, there would be no way to distinguish between a procedure call, and two consecutive expressions (being used as statements) in which the second happened to begin with an open parenthesis. Table 3 lists the keywords of SMPL and their purposes.

Identifiers in SMPL must contain at least one non-digit character, and may not begin with the character #. Identifiers may not contain parentheses, brackets, braces, any of the quote characters, the comma, nor the colon (although they may contain operator characters such as -, +, and *). The following are all legal SMPL identifiers: foo, bar1, 1bar, ba1r, foo!, bar?, fo#o, foo.bar. The following are illegal identifiers: #bar, 12, (foo), {bar}, [baz], foo,bar, foo:bar.

Function calls are denoted by the function expression followed immediately by a sequence of commaseparated argument expressions enclosed in parentheses. The following expressions are all legal function calls: f(a, b), g(), (foo(3))(a, b, c, d), (proc(n) n * 4)(2). Functions may be declared with a variable number of arguments, but in all cases, it is an error to call a function with fewer or more arguments than is permitted by the function's declaration.

SMPL understands the following common binary operators:

- Arithmetic operators: +, -, *, /, %, ^
- Bitwise operators: &, |, ~
- Relational operators: =, >, <, <=, >=, !=
- Logical operators: and, or, not
- List concatenation: @

```
Operator precedence, from highest to lowest is as follows: \sim \succ *,/,\% \succ +,- \succ \&,| \succ =,>,<,\leq,\geq, \neq \succ not \succ and \succ or
```

In order to apply a unary minus to an expression, the combined expression must be surrounded by parentheses. So the negative of the variable x is expressed as (-x), not -x. (This will make parsing a little easier, bonus marks if you can get it to work in all cases without the parentheses).

Keyword	Purpose
extstyle ext	return a procedure of n arguments with formal parame-
	ters p_i (each p_i is a parameter specification, i.e. either
	an identifier, or parameter modifier followed by an iden-
	tifier).
$ \operatorname{proc}(p_1,\ldots,p_n \ . \ p_{\mathtt{rest}})\langle \operatorname{\textit{body}} \rangle$	return a procedure that takes at least n arguments. When
	it is called with more than n arguments, the excess ar-
	guments are placed in a list which is then passed as the
	argument to p_{rest}
$ ext{proc } \langle ext{ } id angle \ \langle ext{ } ext{bod} y angle$	return a procedure that may take any number of argu-
	ments (including zero). When this procedure is called,
	all of the supplied arguments are placed in a list which is
77 (/ c\ / 7 / \)	passed to the named parameter.
$ $ call($\langle f \rangle$, $\langle lst \rangle$)	f is an expression that evaluates to a procedure and 1st
	is an expression that evaluates to a list. Apply the proce-
	dure resulting from evaluating f to the list of arguments
	resulting from evaluating 1st. This builtin is used to
	invoke procedures of variable arity on an indeterminate number of arguments. e.g. call(f, list(1, 2, 3)) is
	equivalent to f(1, 2, 3) and call(f, x) would apply
	f to all the elements of the list bound to x, and return
	the result.
$oxed{ let(b_1,b_2,\ldots,b_n)\langle extstyle body angle }$	evaluate $body$ in an environment extended by bindings b_i .
$100(o_1, o_2, \dots, o_n) \setminus 000g$	The syntax of a binding is $\langle id \rangle = \langle expr \rangle$.
$oxed{def\ \langleid angle\ \langleexpr angle}$	allocate storage for <i>id</i> and store in it the value of <i>expr</i> in
der (bu) (cup)	the current environment.
$\langle id \rangle := \langle expr \rangle$	assign the value of expr to variable id.
$\langle e_1 \rangle$, $\langle e_2 \rangle$,, $\langle e_n \rangle$	generate an n -valued result by evaluating each of the n
	expressions.
$ \langle id \rangle$,, $\langle id \rangle$:= $\langle expr \rangle$	assign the multiple values of <i>expr</i> to the variables on the
	left hand side of the assignment operator. expr must be
	a multi-valued expression returning the same number of
	values as the number of identifiers on the left. (e.g. x,y
	:= 1,2)
if $\langle expr \rangle$ then $\langle expr \rangle$	test predicate, evaluate then clause if non-false
[else (expr)]	otherwise evaluate else clause, if given.
case {	Return the value of the consequent of the first clause
$[p_1:c_1,\ldots,p_n:c_n]$	whose predicate is true.
$ \langle \mathit{expr} \rangle : \langle \mathit{expr} \rangle$	A clause of a case expression. If predicate is the keyword
{ }	ELSE, it is regarded as true. compound expression (treat the sequence of expressions
[]	enclosed within the {, } as if it were a single expression).
	Each expression is evaluated in order. The result of the
	last one is the value of the compound.
$(\langle expr \rangle, \ldots, [expr])$	multi-valued expression. Evaluate each expression en-
	closed within the () in any order. The tuple of values
	is the result.
$print(\langle expr \rangle)$	Print the value of the given expression.
$ \operatorname{println}(\langle \operatorname{\it expr} \rangle) $	Print the value of the given expression terminated by a
	newline.
read()	Read and return a string from the keyboard.
readint()	Read and return an integer from the keyboard.
//	comment to rest of line
/* */	block comment (nectable)

Extensions (Optional)

This section describes some of the extensions that you are welcome to consider implementing. It is by no means a complete list of features that you could give to a language. Indeed, it may not even be desirable for a language to have all of the features listed here. You should read this section as merely suggestions of extensions to SMPL.

Extension: Lazy parameter passing

You can experiment with lazy evaluation by introducing a new keyword lazy into SMPL to declare that the following procedure parameter is to be passed lazily when it is called. The lazy keyword should appear only in parameter declarations. Here are some examples of how the lazy keyword affects the evaluation of ordinary SMPL programs.

```
def f proc(x, y, z) {
  if (x > 0)
  then y + 1;
  else z;
}
print f(1, 2, 1/0);
```

produces an error because dividing by zero is illegal, and in a call by value semantics, all of the arguments to a procedure have to be evaluated before the procedure's body can be entered.

On the other hand, if we evaluate the arguments lazily, we should get a different response:

```
def f proc(x, lazy y, lazy z) {
  if (x > 0)
  then y + 1;
  else z;
}
print f(1, 2, 1/0);
```

Now, we get 3, since the parameter z was never used, its argument expression was never evaluated, and therefore, we never get the error.

Implementation of Lazy Evaluation

In SMPL lazy evaluation must evaluate the deferred expression within the context in which it originally appeared, even if its value is needed in another. This requires that the expression whose evaluation has been deferred must be paired with the environment in which the expression was first encountered. There are at least two different ways that you could approach implementing this.

The first way is to treat the keyword lazy as an indicator to apply some syntactic sugar for creating a function of no arguments that had the ability to cache the result of the expression and use it instead of re-evaluating the expression on subsequent references. For example, if an expression E appeared in a lazy parameter slot, the expression E would be transformed into the anonymous function:

```
proc() if undefined(result)
            then def result E;
            result
```

In this suggested implementation, the check for the undefined result would not have to be literally generated to be parsed, but an appropriate intermediate representation for it could be created and incorporated into the body of the auto-generated anonymous function. Note that the evaluator would need to have a way to distinguish between functions generated in this way and those generated by a user actually writing a function that looked similar to the one above. The reason for the need to distinguish between the two is that when the evaluator encounters one of the auto-generated functions, it must know that it should invoke it to obtain the value of the expression that was deferred earlier. If it is a user-defined function, then a reference to the function should just return the function object itself (not the result of invoking it). (For example, if f had been defined to be a function like the one above, then f and f() have different meanings, so the interpreter should never return the latter for the former.)

The second approach would be to create a runtime data structure that would store the expression and its associated environment explicitly, and would be a legitimate SMPL value (so that variables could be bound to it within an environment). Think of this runtime data structure as a memoised promise. A promise is just a deferred expression along with its environment. When the evaluator tries to obtain one of the other kinds of values and encounters a promise instead, it should invoke the promise so that it can yield the value to be used. A memoised promise would just store that value so that subsequent references do not need to re-evaluate the expression. One potential pitfall with this approach is that promise objects now become special, because if you store one in a data structure, and then later retrieve it, the evaluator might invoke it, instead of returning the promise object itself. This problem can be avoided if promise objects are treated specially (not first class objects) and are restricted to arise from only certain contexts, (such as passing lazy arguments). Note that whatever method you choose to implement support for lazy parameter passing, you must ensure that lazy argument expressions are evaluated at most once. It is semantically incorrect to reevaluate a lazy expression, if its value has been previously retrieved.

You should also note that it is not possible for you to statically analyse procedure calls and *always* be able to tell when an argument is going to be passed lazily. The reason is that procedures are first class objects, and therefore we may have an arbitrary expression that yields a procedure that we are unable to predict statically, which then gets invoked. This means that you will have to modify the method to evaluate procedure calls to check at the time of invocation, which of the procedures parameters are actually lazy, and then treat those corresponding argument expressions appropriately (either by the syntactic transformation described, or by creating a promise).

Extension: Dynamic Scoping

You can experiment with an extension to SMPL that will allow the user to declare a variable to be dynamically scoped, instead of the usual static scope that it would normally have. Note that the scoping discipline only matters when we are looking up free variables in procedures. So we introduce a new form using a new keyword dynamic that has a list of identifiers and a body expression. It indicates that all the declared identifiers, when used within the body expression, are to be treated as dynamically scoped variables. The syntax of the dynamic form is as follows:

```
dynamic (\langle id_1 \rangle, \ldots, \langle id_n \rangle) \langle expr \rangle;
```

Note that if a parameter or local variable is declared to be dynamically scoped, it will have no effect, since for static and dynamic scoping, local variables and parameters are looked up in the same way.

Here are some examples of how the dynamic keyword affects the evaluation of ordinary SMPL programs.

```
def y 5;
def f proc(x) x * y;
def g proc(y) y + f(y);
print(g(3));
```

Prints 18, because g(3) = 3 + f(3) = 3 + 3 * 5 = 18

On the other hand, if we insert a dynamic declaration in f to say that the free variable y in f is to now be dynamically scoped, then we get a different answer:

```
def y 5;
def f proc(x) dynamic (y) x * y;
def g proc(y) y + f(y);
print(g(3));
Now, we get 12, because g(3) = 3 + f(3) = 3 + 3 * 3 = 12
```

Notice that the reference to y in f now picks up the most recent binding for y in the call chain, so we get the binding for y in the frame for g because g called f and its binding for y is more recent than the global binding for y.

Usefulness of Dynamic Scoping

Although dynamic scoping is out of vogue, and perhaps will never return to vogue because it makes software more difficult to maintain, it does have some limited uses. One example is that it permits local overrides of global default settings. For example, suppose that you have a procedure, called display, that takes a single string as an argument and pops up a window to display that string. Normally to specify all of the properties of a window requires several parameter settings (e.g. its dimensions, the placement of the window controls, the thickness of its border, its background colour, etc. ⁴). The procedure, display can control how the new window looks by varying these parameters, but the function calling display cannot, unless we add extra parameters to display. If we do that though, we will get ourselves into trouble, because it is not so easy to decide which parameters ought to be passed, and as soon as we start increasing the number of paramters required by display, the harder it becomes to use, because now its callers must supply more information.

Now, with dynamic scoping, we could have display declare the window controlling parameters as dynamically scoped variables. The window manager will have reasonable global defaults specified, so functions calling display without any special needs will have no trouble. Now, imagine that we have a procedure, called foo that has a particularly long message to display, so it wants to set the window size to larger than normal. It can declare local bindings for those window parameters, and then call display, as usual with only one argument, and its messages will be displayed in a larger window. In the meantime, other functions calling display will get their messages displayed

⁴Typically these things are controlled globally by the window manager

in the normally sized window, because the bindings for the larger dimensions would be local to foo and would not be in the scope of display since it was not called from foo. Notice that we get the neat feature of having variables that are non-local to display but that are not global since if one context needs to modify them for its purpose none of the other contexts using those variables need be affected.

Suggested Implementation

In the discussions in the lecture, the method for implementing dynamic scoping is to simply change the rule for extending environments when procedures are called. In fact, for dynamic scoping, things became somewhat simpler, because a procedure object only needed to reference its parameters and body, no closing environment. When a procedure is called, it simply extends the current frame with a new frame that contains bindings for its formal parameters.

The extension to allow dynamically scoped variables, described above, is not quite as straightforward to implement though, because we still want to have the default of static scoping. One approach is to allocate two parent environments for each new environment that we create: a dynamic one and a static one. In other words, each environment will now have both a static and a dynamic link that each point to some other environment (sometimes the two environments will be the same).

Whenever a variable is looked up, the appropriate discipline is determined for it, based on whether it is statically or dynamically scoped. If a variable is statically scoped, and not in the current frame, then we follow its static link to its parent environment. If the variable we want is not present there, then we continue to follow the static link. Likewise for a dynamically scoped variable, we follow the chain of dynamic links until we find the variable (or when we reach the global environment and still haven't found it, we return an error).

The only other issue to handle is the data structure that will manage the set of variables that are to be dynamically looked up within each context. In other words, the evaluator will need to have some way of keeping track of which variables are to be dynamically scoped, and which are not. One way is to use a static context checker that would walk a program and statically determine dynamic variable references. Once identified, those references could be replaced by specialised versions whose visit method uses a dynamic scoping version of variable lookup, while the default would remain a statical scoping version. Using this method requires two separate visitor methods in your evaluator, and a subclass of the variable reference intermediate representation that would be specific for dynamically scoped variables. A slightly less efficient method, but one that would leave the intermediate representation unmodified, would be to make the dispatch of the type of scoping rule be done at runtime.

For example, one way to do this runtime dispatch of the type of scoping to apply to a variable, is to have the intermediate representation for variable expressions have a flag within it that indicates whether the variable is statically scoped or not. Then its visit method can decide which visit method within the visitor to call, and each visitor can then specify a method for looking up variables with static scoping rules or dynamic scoping rules.

Alternatively, you could leave the Visitor interface unchanged (with only one method to visit variable expressions) and leave it up to the visitor to dispatch on the scoping rule for the variable. To do this, you would maintain a run-time data structure for deciding how each variable is looked up. In this case, the method for visiting a variable would examine this run-time structure to determine

whether a given variable had been declared dynamic, and then carry out the appropriate lookup discipline. The advantage to this method is that it might be easier to manage a run-time data structure within the evaluator since it is all confined within the evaluator, and it does not require any changes to the static structures of the SMPL processor (i.e. the intermediate representations, the visitor interface, and their implementing classes). The disadvantage of this method is that it is inefficient. Every time a variable is looked up within the same context, the interpreter must determine whether it is statically or dynamically scoped even though the result is the same every time, since the variable's scoping rule never changes while the program is running.

Extension: Reference Parameters

Recall that a reference parameter is one that inherits the location of its argument (rather than its value). This means that mutations to the object referenced by the local parameter will be observable from the variable that was passed as an argument to the parameter. (Typically, only variables are passed to reference parameters; but if the expression passed to a reference parameter is not a variable expression, then the parameter will be an alias to a fresh location, and there will be no observable difference in behaviour if that parameter had been declared as a value parameter.)

Note that in many modern languages, as is the case in SMPL compound objects are already being passed by reference. For example, passing a list to a function as an argument, does not involve copying the list. Rather, the reference to the list is passed, which means that changes made to the list, by statements that are local to the function will be observable from outside of the function, through the external reference that was provided.

The difference lies in how primitive data would be passed. Currently, if a variable in the global scope contains an integer, and it is passed to a function's parameter, its value is copied to the parameter's location. A reference parameter ought to point at the location where that primitive data is stored, so that changes made locally in the function will be observable through the argument variable passed to the reference parameter. The suggested keyword to indicate a reference parameter is to place the keyword ref before the name of the parameter in the parameter list of a function. The example below illustrates a classic use of reference parameters:

```
def x 5;
def y 7;

def swap proc(a, b) {
  tmp := a;
  a := b;
  b := tmp;
}
swap(x, y);

def x 5;
def y 7;

def swap proc(ref a, ref b) {
  tmp := a;
  a := b;
  b := tmp;
}
swap(x, y);
```

In the implementation of swap on the left, after the call to swap(x, y), the values of x and y remain unchanged, because they are passed by value. In contrast, after evaluating the implementation on the right, the values of x and y to be exchanged (i.e. x will be 7, and y will be 5).

Extension: Object Oriented Programming

It is possible to turn SMPL into an OOP language, just by adding a few syntactic forms and introducing some approrpiate semantics. The keyword class is used to create a class. Classes are first class objects, that are essentially type descriptors. Each class has a constructor that behaves like a special procedure that is called whenever the class is to be instantiated. The new operator is used to create an instance of a class. Instances of a class (a.k.a. Objects) do not normally share any data, except those members that have been declared to be shared. (A shared variable in OO-SMPL is like a static class variable in Java). The keyword shared is used to identify the block of code that should be evaluated within the shared environment of all instances of the class.

Classes may inherit properties from another class. A class definition includes declarations for a number of data members and methods. Each data member and method is, by default, available only within the scope of the class and its inheriting classes. However, names can be *exported* so that they become available outside of the scope of the class.

An identifier to access a data member or method of an object, is formed by separating the object's reference from the data member or method by a dot (.). For example, foo.bar refers to the element bar within the object referred to by foo. Attempting to access an object's (class instance's) data member that has not been exported should yield an unbound variable error.

Table 4 lists all of the object-oriented forms with a brief explanation of each.

Keyword	Description
	Evaluate $expr_p$ (the parent class expression) if it is
_	present, and create and return a new class that inher-
	its from it. Any statement may be used in the class body
	in addition to the class specific ones listed here.
method($p_1, p_2, \dots [. p_r]$) $\langle expr \rangle$	Create a method of this class.
constr $(p_1, p_2, \dots [. p_r]) \langle expr \rangle$	Create a constructor for this class. Constructor invoca-
	tions look like function calls to the class name with actual
	arguments for the class members named by constructor
	parameter list.
this	A reserved identifier that represents a self-reference to
	the instance of the class. It may be used only within a
	constructor or a method.
\mid new \langle $expr angle$	Evaluate expr to yield a class, which is then instantiated
	and a reference to the new instance returned.
export($\langle \mathit{var}_1$,, $\mathit{var}_n angle$	Make the named variables public, i.e. accessible from
	outside the scope of the class.
$race{ ext{ shared } \{ ext{ } [ext{ } st ext{ } t_1 ext{ } \dots ext{ } st ext{ } t_n] \} }$	Execute the given block of code within the shared envi-
	ronment of this class. Any variables defined here will be
	available to all instances of this class.

Table 4: SMPL forms for creating and manipulating classes and objects.

You may think of methods as ordinary procedures that take their owning objects implicitly as their first argument. Having a reference to the object allows a method to get access to the scope of the object, and also enables proper inheritance. Note that when a method is called on an object, the most specific method of that name is the one that should be used. Consider the following example:

```
def A class() {
  export(f, g);
  def f method(x, y) x * y;
  def g method(x) f(x, x + 1);
}

def B class(A) {
  export(f);
  constr(v);
  def f method(x, y) x + y;
}
```

The class A has been defined with two functions f and g, and notice that the implementation of g is to call f. It is important to recognise that the f that is referred to by g may not always be the f that is defined within A. For example, if we were to evaluate (new B()).g(5), the method g defined within A would be invoked because B did not override it, so we would make a call to it's body with 5 substituted in for x. In other words, we invoke f(5, 6), but notice that B has overridden f, so in fact this is a call to B's implementation of f(not A's), which yields f(a) = f(a) (not f(a) = f(a)).

Suggested Implementation

One useful way to think of classes, especially in a language that already has first class procedures, is that they are really just records that may contain both data and procedures in their fields, and that they have the special ability to hide some of their fields from code outside of themselves. Concretely, this means that you can use environments to help you provide the data encapsulation that classes provide. The other important feature of object-oriented programming is message passing, which when coupled with inheritance, allows an object to determine its own appropriate response to a message (aka method call). This can be achieved by a straightforward lookup of the procedure representing the method, within the environment representing the class.

Specifically, you can achieve this in the following way. Give each class its own environment, which will extend the global environment and will contain all of the shared variables of the class. Each instance is then given its own environment as an extension of this class's environment. Inheritance in subclasses is achieved through a mechanism called *delegation*. To implement delegation, whenever an instance of a subclass is created, it creates an instance of its parent class (which may in turn do the same if it has a parent class), and retains a reference to that parent class object. Whenever a received message (method call) fails to be found among the object's defined methods, it passes the message on to its parent to be handled. By looking up the method in the object before looking in its parent, we allow both method overriding and object extension through inheritance. You should also define all procedures and methods within a class's shared environment, because there is no need to replicate their definitions within each instance's environment. This way, only the instance variables will be allocated in each instance's environment.

When the class form is evaluated, the expression for the parent class should first be evaluated. The new class should keep a reference to its shared environment as well as its constructor (which can be represented as a procedure). On creation of the new class (not its instance) all of the methods and other shared variables should be evaluated with respect to the new class's shared environment. The reference to this new class is eventually returned as the result of evaluating the class form. The

constructor for the class should behave like a procedure that takes every instance variable (data member) as a parameter and is closed over the class's shared environment.

Note that it is equivalent to make the constructor procedure take a subset of these instance variables as parameters and define the rest locally within its body. From the standpoint of the environment that is created when this constructor is called, one cannot tell the difference, since all of the parameters and local variables will occupy the same frame when the constructor has finished running.

Methods should be implemented as procedures that take an object as their first argument implicitly. Within the body of the procedure, this object is assumed to be the object on which the method was called. (This assumption is made true by ensuring that when a method is invoked, its corresponding procedure is called with the object as an extra first argument). In this way, references to this can be resolved as references to the object (in fact, if you rewrite the method definition as a procedure with the same body, but with an additional first argument called this then you do not actually need to do anything further to the body in order to get the correct semantics).

When an object's method is invoked, the corresponding procedure for the method is called on the object and the same arguments as those passed to the method, but the closing environment for this procedure's call frame is the object's environment (not the procedure's closing environment). This will not only allow each method to access the object's instance variables, but will also take care of the semantics of object inheritance (why?).

For example, suppose that an object has a local method called **f** and a local data member called **v**, and another of its methods is defined by

def g method(x, y)
$$f(v, x * y)$$
;

Then, this method would be represented by the procedure:

def g proc(this, x, y)
$$f(v, x * y)$$
;

Observe that when the instance was created, the value of v would have been set within the newly created environment for the new instance. The parent of this environment would be the shared environment for the object's class, which would also contain the definition for the method f. Now, when the method given here is called, the instance environment is extended to contain bindings for x and y, and the procedure's body is evaluated with respect to this new environment. See Figure 1 for an illustration of the environment structure at the time of invocation of this method.

Note that we do have to treat methods differently from procedures, even after the transformation if we want to share their definitions. The reason is that if we define them in the shared environment, then we must choose an environment for them to close over. But the environment that we want them to close over is the instance environment of the object on which they are called, which does not yet exist at the time we would be storing the procedure in the shared environment.

The solution is to use the environment of the object that is passed as the first argument to any procedure that represents a method, in which case we do not need to store a closing environment at all. So, essentially, we actually want a separate class to represent methods, which will look a lot like the class that represents procedures, except it will not have a member to store its closing environment. More explicitly, the rules for implementing a call to a method will extract the instance environment from the object on which the method is called (something that must be obtained at runtime), and use this instance environment as the closing environment for the procedure representing the method.

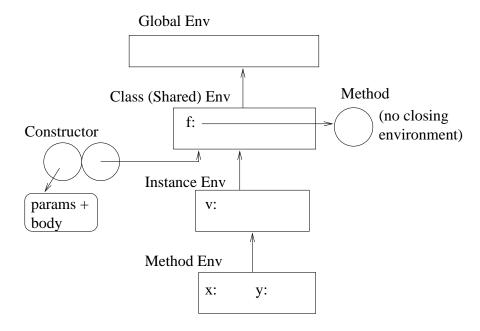


Figure 1: The environment structure present when an object's method is invoked.

Extension: Graphics

There are a few primitives in SMPL to support graphics operations. The function canvas takes two integers representing the width and height of the (rectangular) drawing area to create. All drawing operations take a canvas instance as their first argument, and render their effects upon that canvas. The coordinate system of the canvas is such that the bottom left corner is the origin (0,0) and the top right corner has the maximal x and y components.

The notion of a point is also natively supported in SMPL. The command pt takes the x and y coordinates (as integers) and creates a point at that location. Two point instances should always be considered equal to each other if they represent the same location, even if they are created with different calls to the pt command. For example, eqv?(pt(1,2), pt(1,2)) should return true. All of the arithmetic operations should be overloaded to handle points. This means, that if p and q are two point instances, the expressions p + q, p - q are legal, and return points whose coordinates are the sum and difference, respectively, of the coordinates of p and q. Multiplication and division (*, /) should be overloaded to support scaling a point by an integer. The product of two points should be interpreted as the dot product, so it returns the scalar sum of the product of the corresponding coordinates of the two operand points.

Table 5 lists all of the supported graphics operations, with a brief explanation of each.

Other Ideas for Extensions

Here are a few ideas for some more extensions to SMPL:

• arbitrary precision integer arithmetic. It would be good if SMPL were not restricted to integers that could fit within the 32-bit two's complement representation. These "big" integers could be represented by using multiple words of contiguous storage to store the bits of the number.

Keyword	Description
$canvas(\langle \mathit{expr} \rangle, \ \langle \mathit{expr} \rangle)$	Create a rectangular drawing area of specified width and
	height (width given first).
$ ext{pt}(\langle ext{\it expr} angle, \ \langle ext{\it expr} angle)$	Create a point to represent the given Cartesian (x, y) coordinates.
$ ext{rect}(\langle ext{\it expr} angle, \ \langle ext{\it expr} angle, \ \langle ext{\it expr} angle)$	Evaluate the arguments to yield a canvas and two points.
	Draw a rectangle on the canvas with the bottom left cor-
	ner at the first point, and the top right corner at the second point.
circle($\langle expr \rangle$, $\langle expr \rangle$, $\langle expr \rangle$)	Evaluate the arguments to yield a canvas, a point and
	a number. Draw a circle on the canvas, centred at the
	given point with the given radius.
$ ext{path}(\langle ext{\it expr} angle, \ \langle ext{\it expr} angle)$	Evaluate the arguments to yield a canvas and a list of
	points. Draw a path of straight lines connecting each
	consecutive pair of points in the list.
$ $ cpath(\langle $expr angle$, \langle $expr angle$)	Evaluate the arguments to yield a canvas and a list of
	points. Draw a closed path of straight lines connecting
	each consecutive pair of points in the list (closed means
	that the last point connects to the first).
$ ext{clear}(\langle ext{\it expr} angle)$	Clear the canvas resulting from evaluating the given ex-
	pression.
$ \operatorname{setfg}(\langle \mathit{expr} \rangle, \ \langle \mathit{expr} \rangle) $	Evaluate the arguments to obtain a canvas and a colour
$ $ setbg(\langle $expr angle$, \langle $expr angle$)	(specified as a vector of 3 integers, each ranging from 0
	to 255, and representing RGB intensities). Set the fore-
	ground (or background) colour on the given canvas to the
	given colour.

Table 5: Graphics commands supported in SMPL

Each of the primitive arithmetic operators would have to be redefined to accommodate these large numbers. However, the only difference the user should observe is that she is no longer restricted to small integers. (A good test case for this is to see whether your extended language can compute the factorial of 1000.)

- User-defined records. There could be a construct (similar to the struct construct in C) that would allow the user to define and name compound objects that were composed of several named fields. These fields could contain any value, including procedures.
- Additional control structures. Typical looping constructs such as for, repeat ... until and while in Pascal could be included in SMPL.
- Exceptions and constructs for handling them. For example the try, catch and throw mechanism of Java and Lisp.
- Infinite Streams. A stream is a potentially infinite sequence of values. Much like a linked list, it allows access to only its head at any moment, but it has a tail, which is itself a stream. If a language supports lazy evaluation, then streams can be implemented within that language; but they could also be provided natively, even if there is no syntactic support for arbitrary lazy evaluation.
- Macros. A limited form of language extension can be accomplished through the use of macros. It should not be too difficult to extend SMPL to include macros that are declared and used in a similar way to procedures. Use the keyword macro to indicate a macro definition. Macro application should have the same syntax as a direct procedure call (i.e. the name of the macro followed by its argument expressions, separated by commas, and included within parentheses). Note that macros are essentially source code transformations that are applied statically; in this way they are not like functions, which are invoked at runtime. The following example should illuminate this difference.

```
const DEBUG_LEVEL = 0

def dbgPrint macro(level, exp) {
   if DEBUG_LEVEL >= level
    then print(exp)
}

def foo proc(n) {
   // some complicated code here (1)
   dbgPrint(1, "Inuprocufoo")
   // some more complicated code here (2)
```

While the constant DEBUG_LEVEL is set to 0, the macro expansion of dbgPrint will produce no text, so the code blocks designated (1) and (2) in the example would become contiguous, and at runtime, there would be no dbgPrint to evaluate. On the other hand, if the programmer were now debugging, and decided to increase the constant DEBUG_LEVEL to say, 2, then the invocation of the dbgPrint macro would now expand to be replaced by the statement:

```
print("In proc foo")
```

Notice that in both cases, the comparison of the constant DEBUG_LEVEL with the level of the message is never done at runtime.

To implement macro expansion properly, you will need to perform at least 2 passes, whenever interpreting a program. The first pass would perform all macro expansions, and the second would perform the evaluation. In this context, a macro expansion would actually be a transformation on the abstract syntax tree that arose from parsing. The effect of most forms during macro expansion would be to return themselves, but macro invocations would replace their nodes in the tree with whatever expression (subtree) their bodies reduced to.

Note also that the it makes sense to support statically defined constants if macros are facilitated. (Support for constants are not a required part of the language.) An alternative approach is to provide support for constants that exist only during the macro expansion phase, so that the names used to define those constants are not bound at runtime. This is a design choice, left up to you.

- Call by name parameter passing conventions. At the moment SMPL supports only call by value (CBV) and optionally by lazy and by reference. It could be extended to allow procedure declarations that would support parameter passing by other conventions (or you could introduce keywords that could be used in contexts expecting expressions, just like was done for lazy evaluation).
- Threads. Given that Java already has good support for threading, it is actually not too difficult to "piggy back" on Java's threads to provide threading in SMPL. If you do this, you should probably use a functional approach, where a thread is an object (much like a procedure is) and there is a special keyword to initiate a thread (i.e. start it) and continue without waiting for the thread to complete. You should provide a keyword called join that takes a thread, and causes the current thread to wait until the joined thread completes and returns a value (the result of the last expression evaluated) which is also the return value of the join special form.
- List Comprehension. Vectors already have a novel mechanism for creating and initialising subvectors, but they are not as convenient (although equally powerful) as the list comprehension mechanisms found in Haskell and Python. If you decide to attempt this, use the syntax:

$$[: \ \langle \mathit{expr}_{val} \rangle \ \mathsf{for} \ \langle \mathit{id} \rangle \ \mathsf{in} \ \langle \mathit{expr}_{\mathit{start}} \rangle \ \ldots \ \langle \mathit{expr}_{\mathit{stop}} \rangle \ [\mathit{where} \ \langle \mathsf{expr}_{\mathsf{cond}} \rangle] \ :]$$

To evaluate this form, first evaluate the expressions $expr_{start}$ and $expr_{stop}$ to obtain the starting and stopping points of a range. Values in the range are defined by the sequence starting from start, and each subsequent value is obtained by adding 1 to its predecessor. If the start value is larger than the stop value, then the range is empty. The meaning of this form is a vector obtained by evaluating $expr_{val}$ for each instantiation of id to values in the range for which $expr_{cond}$ evaluates to true (actually a non-false value).

Examples

Here are some example procedures in SMPL.

```
def fact proc(n)
  // return factorial n
  if n \le 1
     then 1
     else n * fact(n - 1);
def fib proc(n)
  /* return the nth fibonacci no.*/
  if n <= 1
     then 1
     else fib(n - 1) + fib(n - 2);
def map proc(f, list)
  /* return a new list contining
     f(x) for each x in list */
  if list = #e
     then #e
     else pair(f(car(list)),
               map(f, cdr(list)));
def gcd proc(a, b)
  /* Euclidean alg. for gcd */
  case {
    a < b: gcd(b, a);
    b = 0: a;
    else : gcd(b, a % b);
```

```
def foldr proc(op, base, lst)
  /* fold right LST using binary operator OP
     and base value BASE */
  if lst = #e
     then base
     else op(car(lst),
             foldr(op, base, cdr(lst)));
def append proc(11, 12)
  /* copy 11 and then attach 12 to it
     and return the resulting list. */
  if 11 = #e
     then 12
     else cons(car(l1),
               append(cdr(11), 12));
def vecMap proc(f, v)
  /* return new vector containing f(x)
     for each x in v */
  [: size(v): proc(i) f(v[i]) :];
def vecAppend proc(v1, v2)
  /* append v2 onto the end of v1, return
     result in a new vector */
  [: size(v1): proc(i) v1[i],
     size(v2): proc(i) v2[i] :];
```