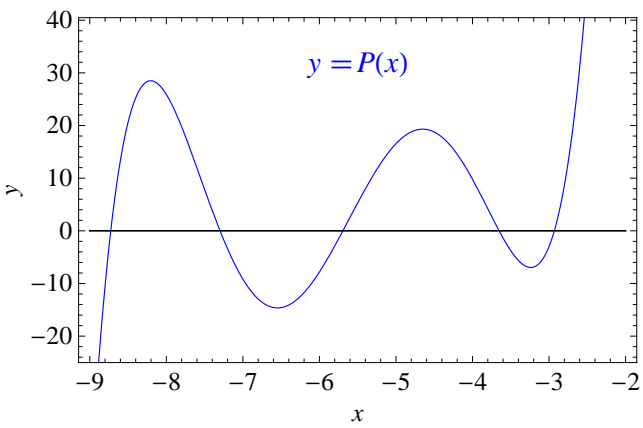


GRÁFICO DA FUNÇÃO  $f(x) = 3880.73 + 4044.8x + 1614.77x^2 + 308.576x^3 + 28.3001x^4 + x^5$



MÉTODO DA BISSECÇÃO | DETERMINAÇÃO DA RAÍZ  $z_1$

k	$a_k$	$x_k$	$b_k$	$f(a_k)$	$f(x_k)$	$f(b_k)$	$ER_k$
0	-9.	-8.5	-8.	-50.0479	20.58600625	25.9076	-
1	-9.	-8.75	-8.5	-50.0479	-3.157451172	20.58600625	0.0285714
2	-8.75	-8.625	-8.5	-3.157451172	11.12809451	20.58600625	0.0144928
3	-8.75	-8.6875	-8.625	-3.157451172	4.645227243	11.12809451	0.00719424
4	-8.75	-8.71875	-8.6875	-3.157451172	0.9162208761	4.645227243	0.00358423
5	-8.75	-8.734375	-8.71875	-3.157451172	-1.076593337	0.9162208761	0.00178891
6	-8.734375	-8.7265625	-8.71875	-1.076593337	-0.06929895857	0.9162208761	0.000895255
7	-8.7265625	-8.72265625	-8.71875	-0.06929895857	0.4261680791	0.9162208761	0.000447828
8	-8.7265625	-8.724609375	-8.72265625	-0.06929895857	0.1791131742	0.4261680791	0.000223864
9	-8.7265625	-8.725585938	-8.724609375	-0.06929895857	0.05507699083	0.1791131742	0.000111919
10	-8.7265625	-8.726074219	-8.725585938	-0.06929895857	-0.007068484418	0.05507699083	0.0000559566
11	-8.726074219	-8.725830078	-8.725585938	-0.007068484418	0.02401487446	0.05507699083	0.0000279791
12	-8.726074219	-8.725952148	-8.725830078	-0.007068484418	0.008475850824	0.02401487446	0.0000139893
13	-8.726074219	-8.726013184	-8.725952148	-0.007068484418	0.0007043472142	0.008475850824	$6.99462 \times 10^{-6}$
14	-8.726074219	-8.726043701	-8.726013184	-0.007068484418	-0.003181902604	0.0007043472142	$3.4973 \times 10^{-6}$
15	-8.726043701	-8.726028442	-8.726013184	-0.003181902604	-0.001238736215	0.0007043472142	$1.74865 \times 10^{-6}$
16	-8.726028442	-8.726020813	-8.726013184	-0.001238736215	-0.0002671841357	0.0007043472142	$8.74327 \times 10^{-7}$

Raíz  $z_1 = -8.726020813$

MÉTODO DE NEWTON | DETERMINAÇÃO DA RAÍZ  $z_2$

k	$x_k$	$f(x_k)$	$f'(x_k)$	$ER_k$
0	-7.5	7.85890625	-40.65625	-
1	-7.306698693	0.3091595841	-36.76146034	0.0264554
2	-7.29828881	0.001080838098	-36.50334567	0.00115231
3	-7.298259201	$1.363878255 \times 10^{-8}$	-36.50242555	$4.05703 \times 10^{-6}$
4	-7.298259201	0.	-36.50242554	$5.11959 \times 10^{-11}$

Raíz  $z_2 = -7.298259201$

MÉTODO DA SECANTE | DETERMINAÇÃO DA RAÍZ  $z_3$

k	$x_k$	$f(x_k)$	$ER_k$
0	-5.5	5.30700625	-
1	-5.	16.5425	0.1
2	-5.736171474	-1.186777404	0.128338
3	-5.686893004	0.159621058	0.00866527
4	-5.692735169	-0.0008114273132	0.00102625
5	-5.692705621	$-4.613812052 \times 10^{-7}$	$5.19054 \times 10^{-6}$
6	-5.692705604	$-8.185452316 \times 10^{-12}$	$2.95304 \times 10^{-9}$

Raíz  $z_3 = -5.692705604$

MÉTODO DA FALSA POSIÇÃO | DETERMINAÇÃO DA RAÍZ  $z_4$

k	$a_k$	$x_k$	$b_k$	$f(x_k)$	$ER_k$
0	-4.	-3.233199172	-3.	-6.95392	-
1	-4.	-3.551249126	-3.233199172	-2.59896	0.08956
2	-4.	-3.645224499	-3.551249126	-0.188147	0.0257804
3	-4.	-3.651899679	-3.645224499	-0.0069806	0.00182787
4	-4.	-3.652147164	-3.651899679	-0.000243587	0.0000677642
5	-4.	-3.6521558	-3.652147164	$-8.48017 \times 10^{-6}$	$2.36456 \times 10^{-6}$
6	-4.	-3.6521561	-3.6521558	$-2.95202 \times 10^{-7}$	$8.2319 \times 10^{-8}$

Raíz  $z_4 = -3.6521561$

MÉTODO DE HORNER | DETERMINAÇÃO DA RAÍZ  $z_5$

Coefficientes  $b_i$  do Polinômio  $f(x)$

k	$b_{5,k}$	$b_{4,k}$	$b_{3,k}$	$b_{2,k}$	$b_{1,k}$	$b_{0,k}$
0	1	26.3001	255.9758	1102.8184	1839.1632	202.4036
1	1	25.86297039	245.544589	1016.346011	1567.83304	59.71767035
2	1	25.57887157	238.9700474	964.4779123	1420.235282	15.94536935
3	1	25.42651934	235.5108457	938.0105882	1349.350914	3.261308758
4	1	25.37514179	234.3547707	929.2920895	1326.659474	0.3064809061
5	1	25.36921566	234.2217631	928.2931024	1324.080283	0.003833196805
6	1	25.36913964	234.2200574	928.2802969	1324.047249	$6.263976502 \times 10^{-7}$

Coefficientes  $c_i$  do Polinômio  $f'(x)$

k	$c_{5,k}$	$c_{4,k}$	$c_{3,k}$	$c_{2,k}$	$c_{1,k}$
0	1	24.3001	207.3756	688.0672	463.0288
1	1	23.42584077	188.4527787	557.0621633	210.2003459
2	1	22.85764313	176.769179	483.4485963	104.6612154
3	1	22.55293868	170.7031573	447.4812965	63.47731397
4	1	22.45018358	168.6889219	435.8840425	51.71686551
5	1	22.43833132	168.4576092	434.5633336	50.42541393
6	1	22.43817929	168.4546434	434.546415	50.40893387

Estimativas

k	$x_k$	$f(x_k)$	$f'(x_k)$	$ER_k$
0	-2.	202.4036	463.0288	-
1	-2.437129613	59.71767035	210.2003459	0.179362
2	-2.721228433	15.94536935	104.6612154	0.104401
3	-2.873580661	3.261308758	63.47731397	0.0530183
4	-2.924958209	0.3064809061	51.71686551	0.0175652
5	-2.93088434	0.003833196805	50.42541393	0.00202196
6	-2.930960357	$6.263976502 \times 10^{-7}$	50.40893387	0.0000259359
7	-2.93096037	-	-	$4.23968 \times 10^{-9}$

Raíz  $z_5 = -2.93096037$