## **Untitled.sagews**

9/1/2017

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      Date
                  2017-01-09T20:27:39
      Proiect
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      Location
                  Untitled.sagews
      Original file <u>Untitled.sagews</u>
     Problema 3
    Define y dibuja el grafo asociado a la matriz de adyacencia
    a)Comprueba si es euleriano o no. Encuentra un circuito euleriano si la respuesta es afirmativa
    b)Comprueba si es hamiltoniano o no. Encuentra un circuito hamiltoniano si la respuesta es afirmativa
     d)Calcula su numero cromatico (c) y calcula p(c), siendo p el polinomio cromatico
    e)Dibuia una coloracion del grafo
    f)Calcula el número de recorridos de longitud 3 que hay entre los vertices 1 y 5
 2 M = matrix([(0,1,1,1,0,1,1,0,0),(1,0,0,1,0,1,0,1,1,1,1,1),(1,0,1,0,0,1,1,0,0,0,1,1,0),(1,0,1,1,0,0,0,1,0),(1,1,1,0,1,0,0,1,1),(0,0,1,0,1,1,1,0,1),(0,0,1,0,1,1,0)])
3 G=Graph(M)
4 G. show()
 5 G.is eulerian()
   False
 6 G.is_hamiltonian()
    True
 7 G.hamiltonian_cycle().show()
    G.is_planar()
    False
 9 G.chromatic_number()
10 G.chromatic_polynomial()
   x^9 - 20*x^8 + 175*x^7 - 874*x^6 + 2719*x^5 - 5376*x^4 + 6561*x^3 - 4482*x^2 + 1296*x
11 pol=G.chromatic_polynomial()
12 pol(4)
  96
    _---
a=x^9-20*x^8+175*x^7-874*x^6+2719*x^5-5376*x^4+6561*x^3-4482*x^2+1296*x
show(a)
     var("x")
    f(x)=G.chromatic_polynomial()
[f(k) for k in range (0,1+G.chromatic_number())]
   [0, 0, 0, 0, 96]
19 c=G.coloring()
20 G.plot(layout='circular', graph_border=True, partition=c)
21
    show((M^3)[1][5])
22
    Sea la sucesion definida por recurrencia mediante Sn+2=3*Sn+1-2*Sn a partir de S1=1 y S2=4. Define una funcion que permita calcular el valor de Sn para cualquier n entero positivo y
     muestra el valor de S62
return 4
                  e:
aux0=1;aux1=4;k=1
                  while k<n:
aux2=3*aux1-2*aux0
aux0=aux1
aux1=aux2
32
33
34
35
36
37
                      k=k+1
             return aux2
    p1(61)
    6917529027641081854
39
     Problema 2(2p)
    Se denominan numeros de woodall a los de la forma n*2^n-1,n=1,2...
    Crea una lista con los primeros 100 numeros de woodall. extrae de ella los que sean primos y menores de 10^40
```

```
[n*2^n-1 for n in range(1,101)]
    [1,
     7,
23,
     63,
159,
     383.
     895
     2047,
4607,
     10239
     22527,
     49151,
106495,
     229375,
     491519,
     1048575,
     4718591,
     9961471,
     20971519,
44040191,
     92274687,
192937983,
     402653183,
838860799,
     1744830463,
     3623878655,
     7516192767,
     15569256447.
     32212254719,
     66571993087,
     137438953471
     283467841535,
     584115552255,
     1202590842879
     2473901162495,
     5085241278463
     10445360463871,
21440476741631,
     43980465111039,
     90159953477631,
     184717953466367,
     378231999954943.
     774056185954303,
     1583296743997439
     3236962232172543,
     6614661952700415,
     13510798882111487,
     27584547717644287,
     56294995342131199,
     114841790497947647,
     234187180623265791,
477381560501272575,
     972777519512027135,
     1981583836043018239
     4035225266123964415,
     8214565720323784703,
     16717361816799281151,
34011184385901985791,
      69175290276410818559,
     140656423562035331071
     285924533142498050047
     581072438321850875903
     1180591620717411303423,
     2398076729582241710079
     4869940435459321626623,
9887454823508319666175,
     20070057552195992158207,
     40730410914750689968127.
     82641413450218791239679,
     167644010141872405086207
     340010386766614455386111,
     689465506498968201199615
     1397820478929414983254015
     2833419889721787128217599,
     5742397643169488579854335,
     11635911013790805806546943.
     23574053482485268906770431,
     47752569874777852400893951
     96714065569170333976494079,
     195845982777569926302400511.
     396527668833598369303625727,
     802726744224113772004900863.
     1624796301562061610805100543,
     3288278229351791355200798719,
     6653927711158918977582792703,
     13462597927228510489527975935
     27234680864278366047780732927,
     55088331748199422233011027967.
     111414603535684224740921180159,
     225305087149939210031640608767.
     455561934457019941162877714431,
     921027389228322924524948422655,
1861861819085211933448282832895,
     3763337719427556035693337640959.
     7605903601369376408980219232255,
     15370263527767281493147526365183
     31057439705591620336669228531711,
     62748704711297355374086808666111,
     126765060022822940149670320537599]
    for n in range(1,101):
    if(2*2^n-1).is_prime()==True:
        if(2*2^n-1)<10^40:
            print 2*2^n-1</pre>
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